We dedicate this book to our parents—Anna, Glen, Zoë, and Neal—and to our daughter, Moriah.
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This book focuses on two goals: (1) helping students evaluate the internal, external, and construct validity of studies and (2) helping students write a good research proposal. To accomplish these goals, we use the following methods:

- We use numerous, clear examples—especially for concepts with which students have trouble, such as statistical significance and interactions.
- We focus on important, fundamental concepts; show students why those concepts are important; relate those concepts to what students already know; and directly attack common misconceptions about those concepts.
- We show the logic behind the process of research design so that students know more than just terminology—they learn how to think like research psychologists.
- We explain statistical concepts (not computations) because (a) students seem to have amnesia for what they learned in statistics class, (b) some understanding of statistics is necessary to understand journal articles, and (c) statistics need to be considered before doing research, not afterward.

**FLEXIBLE ORGANIZATION**

We know that most professors share our goals of teaching students to be able to read, evaluate, defend, and produce scientific research. We also know that professors differ in how they go about achieving these goals and in the emphasis professors place on each of these goals. For example, although about half of all research methods professors believe that the best way to help students understand design is to cover nonexperimental methods first, about half believe that students must understand experimental methods first.
To accommodate professor differences, we have made the chapters relatively self-contained modules. Because each chapter focuses on ethics, construct validity, external validity, and internal validity, it is easy to skip chapters or cover them in different orders. For example, the first chapter that some professors assign is the last.

**CHANGES TO THE SEVENTH EDITION**

The changes to this edition, although extensive, are evolutionary rather than revolutionary. As before, our focus is on helping students think scientifically, read research critically, and write good research proposals. As before, we have tried to encourage students to think along with us; consequently, we have tried to make the book sound more like a persuasive essay or a “how-to” book than a textbook. However, in this edition, we have made this book a more powerful and flexible tool for improving students’ thinking, reading, writing, and researching skills by

- making each chapter a stand-alone module,
- providing many additional modules on the book’s website,
- integrating the book more closely with its website, and
- adding more examples from recent journal articles.

**CHAPTER-BY-CHAPTER CHANGES**

Chapter 1, “Science, Psychology, and You,” now emphasizes the distinction between the scientific method and other ways of knowing (e.g., see the new box: Box 1.2), explains why psychology is a science (including a new section that explains the wisdom of applying general rules to individual cases), and explains how students can benefit from understanding research methods. You can link this chapter to two web appendixes: (1) one on the value of research design for getting a job and getting into graduate school, and (2) another that responds to Kuhn and other critics of science.

Chapter 2, “Validity and Ethics: Can We Know, Should We Know, and Can We Afford Not to Know?,” has been revised to help students understand the connection between validity and ethics. In addition, it has been expanded to help students understand more about (a) the history of ethics in research (e.g., see the new box: Box 2.1), (b) obstacles to establishing internal validity, and (c) how randomized experiments can be internally valid. You can link this chapter to our extensive discussion of how to deal with IRBs in our web appendix on conducting ethical research (Appendix D) and to our web appendix on the debate between quantitative and qualitative research.

Chapter 3, “Generating and Refining Research Hypotheses,” was revised to give students even more help in developing experimental hypotheses. In addition, because so much research today involves either mediating or moderating variables, we expanded our discussion of the distinction between those two types of variables. You can link this chapter to our Web Appendix F: Using Theory to Generate Hypotheses and to Web Appendix D: Practical Tips for Conducting an Ethical and Valid Study.

Chapter 4, “Reading, Reviewing, and Replicating Research,” was revised to make it a self-contained module. Material that students might not have
had the background to understand prior to reading the rest of the book was either rewritten or moved to Appendix C: Checklist for Critically Reading Articles. You can link this chapter to Appendix C, as well as to Web Appendix B: Searching the Literature.

Chapter 5, “Measuring and Manipulating Variables: Reliability and Validity,” was changed to add more practical tips for evaluating, improving, and using measures.

Chapter 6, “Beyond Reliability and Validity: The Best Measure for Your Study,” was reorganized to help students better understand how to refine and select measures. Students can now use this chapter in conjunction with the student section of this chapter’s website to download and evaluate measures.

Chapter 7, “Introduction to Descriptive Methods and Correlational Research,” was made clearer and more engaging by using more and better examples from current research (e.g., research from Psychological Science on happiness) as well as from current controversies (e.g., the autism–vaccine link). In addition, we provided more tips on how to develop descriptive hypotheses, and we explained many of the technical terms that students will see in published reports of correlational studies.

Chapter 8, “Survey Research,” has been updated to continue to keep up with the technological changes (cell phones, web surveys) that have affected survey research. In addition, we have provided even more practical tips on how to conduct survey research.

Chapter 9, “Internal Validity,” is a discussion of Campbell and Stanley’s eight threats to validity. Although this chapter may be skipped, it helps students understand (a) why they should not leap to cause–effect conclusions, (b) why they should appreciate simple experiments (Chapter 10), and (c) why researchers using within-subject designs (Chapter 13), as well as researchers using either single-\(n\) or quasi experimental designs (Chapter 14) cannot merely assume that they will have internal validity. We improved this chapter by (a) putting more emphasis on the value of causal research, (b) adding real-life examples to illustrate the importance of understanding regression toward the mean, (c) putting more emphasis on how mortality can harm internal validity, (d) adding real-life examples to illustrate the importance of understanding the testing effect, and (e) providing additional examples and explanations to help students understand why, in many circumstances, researchers prize internal validity over external validity.

Chapter 10, “The Simple Experiment,” was revised to give students even more heuristics for generating research ideas for simple experiments and now includes examples from recent, interesting research articles—articles that students can read using the guides on the book’s website. We have also expanded our discussion of power to include more about choosing levels of the independent variable and about trade-offs between power and validity. Professors can link this chapter to our web appendix on field experiments.

Chapter 11, “Expanding the Simple Experiment: The Multiple-Group Experiment,” was improved in two ways. First, we included even more tips to help students design multiple-group experiments. Second, we included more examples of published multiple-group experiments, especially examples that illustrated the value of control groups for (a) boosting construct validity and (b) determining whether one group was scoring higher than another because of a positive effect of its treatment or because of a negative effect of the other group’s treatment.
Chapter 12, “Expanding the Experiment: Factorial Designs,” was improved by providing even more (a) explanations and examples of interactions, (b) tips for helping students interpret $2 \times 2$ tables, and (c) strategies students can use to develop ideas for factorial experiments. Professors who want to go into more depth about interactions can assign Web Appendix F: Ordinal Interactions.

Chapter 13, “Matched Pairs, Within-Subjects, and Mixed Designs,” was edited to accommodate professors who assigned this chapter early in the term. Although we did not delete any material, we added a few examples that make the material easier to understand.

Chapter 14, “Single-n Designs and Quasi-Experiments,” now includes a better explanation of how single-n designs differ from case studies and a new box highlighting the problems with case studies. Professors can link this chapter to our web appendix on field experiments.

Chapter 15, “Putting It All Together: Writing Research Proposals and Reports,” because reviewers were so pleased with it, is essentially unchanged.

Appendix A, “APA Format Checklist,” is also, due to reviewer demand, essentially unchanged. If you have your students hand in a filled-out copy of this checklist along with their paper, the quality of their papers will improve.

The old Appendix B, “Searching the Literature,” has been put online so that students can access it while doing their online searches and to make it easier for students to use the links to other online resources. The new Appendix B, “Sample APA-Style Paper,” is a good model for students to follow—and an interesting article to read.

Appendix C: A Checklist for Evaluating a Study’s Validity is a new appendix that we hope will be as successful as our APA Format Checklist. If you use Appendix C with our web guides that help students read particular articles, students will develop confidence and competence in reading and critically evaluating research.

Appendix D: Practical Tips for Conducting an Ethical and Valid Study not only discusses the APA ethical code and IRB issues but also gives practical advice for how to conduct an ethical and valid study.

Appendix E: Introduction to Statistics provides an introduction to statistics. In addition to helping students understand and conduct analyses that students often use (e.g., $t$ tests), we have included material that might help students understand statistical issues (e.g., our box discussing the statistical significance controversy), logic (e.g., how researchers make the case for a mediator variable and how some correlational researchers make the case that a variable has an effect), and techniques (e.g., multiple regression and factor analysis) that students will encounter when they read journal articles. Please note that the Test Bank contains test items for Appendix E.

Appendix F: Statistics and Random Numbers Tables contains statistical tables and instructions on how to use those tables. For example, Appendix F tells students how to draw random samples, how to randomly assign participants, and how to do post hoc tests.

THE STUDENT WEBSITE

The student website includes many goodies that make it almost impossible for a diligent student to get lower than a “C” in the course. For each chapter, the site contains a concept map, a crossword puzzle, learning objectives, a pretest
and a posttest quiz for each chapter based on those learning objectives, and answers to the text’s even-numbered exercises.

**THE PROFESSOR’S WEBSITE**

The professor site has PowerPoint® lectures, chapter summaries, learning objectives, crossword puzzles, demonstrations, and links to videos. In addition, for each chapter, we have a list of articles to assign, a summary of each article, and a “reading guide”—a handout that defines terms, explains concepts, and translates particularly tough passages—so that students can read and understand those articles.

**ACKNOWLEDGMENTS**

Writing *Research Design Explained* was a monumental task that required commitment, love, effort, and a high tolerance for frustration. If it had not been for the support of our friends, family, publisher, and students, we could not have met this challenge.

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Science, Psychology, and You

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The whole of science is nothing more than a refinement of everyday thinking.
—Albert Einstein

There are in fact two things, science and opinion; the former produces knowledge, the latter ignorance.
—Hippocrates

CHAPTER OVERVIEW

They lived in a time when scientific giants like Galileo and Newton made tremendous discoveries. Yet, the people of this scientific age executed thousands of women for being witches (Robinson, 1997).

We live in a time just after the scientific giants Einstein and Skinner made tremendous discoveries. Yet, in the United States, three-quarters of the citizens believe in astrology, millions believe in psychics, billions of dollars are spent on diets that do not work (Kolata, 2007), billions more are spent on health care that does not work (Petersen, 2008), and much of what people do when it comes to attacking a wide range of problems—from fighting crime to treating the mentally ill—is based on superstition rather than fact.

As you can see, living in a scientific age does not guarantee that a person will engage in scientific rather than superstitious thinking. In fact, living in a scientific age does not even guarantee that a person will know what science is. For example, when we tell people that psychology is a science, we often get the following reactions:

“What’s a science?”
“No, it isn’t.”
“That’s what’s wrong with it.”
“They do some science in the lab, but that has nothing to do with helping people.”

In this chapter, we will address those reactions to psychological science. We will begin by showing that science is a set of strategies that helps people learn from experience as well as think clearly about real-world problems. Then, you will see why most psychologists believe that psychology is a science—and that if psychology is to continue to help people, it must continue to be a science. Finally, you will see why it is vital that when you become a professional, you embrace science rather than superstition.
WHY PSYCHOLOGY USES THE SCIENTIFIC APPROACH

From the time humans were first able to reason, they have asked themselves, “Why are people the way they are?” For most of that time, asking did not lead to accurate answers. What people “knew” was incorrect: Much of common sense was common nonsense, and much traditional “wisdom” was superstition and prejudice. Fortunately, a little more than 100 years ago, a few individuals tried a new and different approach that lead to better answers—the scientific approach: a way of using unbiased observation to form and test beliefs. As a result of accepting the scientific method, psychology—the science of behavior—was born.

Today, psychologists and other scientists still embrace the scientific method because it is a useful tool for getting accurate answers to important questions. Crime scene investigators (CSIs) use the scientific approach to solve crimes; biologists use the scientific approach to track down genes responsible for inherited disorders; and behavioral scientists use the scientific approach to unravel the mysteries of human behavior.

Science’s Characteristics

What is it about the scientific approach that makes it such a useful tool for people who want answers to important questions? As you will soon see, the eight strengths of the scientific approach are that it

1. finds general rules
2. collects objective evidence
3. makes testable statements
4. adopts a skeptical, questioning attitude about all claims
5. remains open-minded about new claims
6. is creative
7. is public
8. is productive

Seeking Simple General Rules: Finding Patterns, Laws, and Order

Just as CSIs assume that criminals have motives, scientists assume that events happen for reasons. Furthermore, scientists are optimistic that they can find general rules that will allow them to see connections between seemingly disconnected events and thus better understand the world. They want to explain many seemingly complex events with a few straightforward rules. Their hope is that by finding the underlying reasons for events, they will find simplicity, order, and predictability in what often seems a complex, chaotic, and random universe. Thus, contrary to what happens in some science classes, the goal of science is not to make the world unnecessarily complicated and thus more confusing, but instead to make the world more understandable by finding simple, elegant rules that describe, predict, and explain behavior.

Objective: Seeing the Real World for What It Is

Scientists must be careful, however, not to let their desire to see the world as a simple and predictable place blind them to reality. (As Albert Einstein said, “Things should be made as simple as possible, but not any simpler.”) We all know people who, in their desire to see the world as simple and predictable,
“see” rules and patterns that reflect their prejudices and biases, rather than the facts. For example, some people think they can size up someone based on the person’s race, astrological sign, attractiveness, handwriting, body build, or some other superficial characteristic. However, when we objectively test the ability of these people to predict other people’s behavior, they fail miserably—as more than 100 studies have shown (Dawes, 1994).

Scientists believe in objective facts because human history shows that we can’t always accept people’s subjective opinions. For example, many physicians once believed that destroying parts of patients’ brains through a procedure known as a lobotomy made patients better. Some surgeons even issued reports about the number of patients who were “cured” and the number who were “better off.” However, “cured” and “better off,” rather than reflecting actual observable improvements in the patients (e.g., patients leaving the institution and getting jobs), merely reflected surgeons’ subjective judgments (Shorter, 1997).

Unfortunately, not everyone understands the problems with subjective interpretations. Instead of realizing how easy it is to fool ourselves, many people focus on the fact that their subjective interpretations “feel right” to them. Because many people ignore the possibility that their interpretations may be biased, we have

- individuals who think their biased view of themselves, their relationships, and other groups is reality
- lie detector professionals who do not realize that another lie detector professional would disagree with their judgment about whether the suspect is lying
- therapists who do not realize that another therapist would disagree with their interpretation of what a client’s response to an inkblot means

To avoid being swept away by either unfounded speculations or biased perceptions, scientists tie their beliefs to concrete, observable, physical evidence that skeptics can double-check. Specifically, scientists look for *independent* evidence of their claim: objective evidence that does not depend on the scientist’s theory or personal viewpoint. Because the scientific laws of gravity, magnetism, and operant conditioning are based on objective observations of physical evidence (Ruchlis & Oddo, 1990), these laws are not opinions but facts.

**Test and Testability (Correctable): Could I Be Wrong?**

Although we have attacked unsupported speculation, we are not saying that scientists don’t speculate—they do. Like CSIs, scientists are encouraged to make bold, specific predictions and then to find evidence that either supports or refutes their speculations. In reflecting this “no guts, no glory” approach, psychologist Bob Zajonc says, “You don’t do interesting research if you don’t take risks. Period. If you prove the obvious, that’s not interesting research.”

Similarly, although we would argue that unsupported opinions, like unsupported speculations, are of limited value, we are not saying that scientists don’t have opinions. Like everyone else, they do. However, unlike almost everyone else, scientists willingly and humbly put those opinions to the test and stand ready to renounce their previous views if proved wrong (see Figure 1.1). In
short, scientists agree with Arthur Guiterman that, “Admitting error clears the score and proves you wiser than before.”

At one level, you probably appreciate scientists’ willingness to consider that they might be wrong. You may wish other people—especially certain arrogant ones—asked themselves the “Could I be wrong?” question more often.

At another level, you might ask, “Why should I risk finding out that a cherished opinion is wrong?” Scientists have at least two reasons. First, a major goal of science is to identify myths, superstitions, and false beliefs. To determine what is common sense and what is common nonsense, we have to put popular beliefs to the test. Second, one of science’s major strengths is that its methods allow scientists to learn from mistakes—and to learn from a mistake, you first must know that you made a mistake. Thus, to be a scientist, you do not need to start with intuitively accurate insights into how the world works. You just need to learn when your initial insights are wrong by making testable statements: statements that may possibly be shown to be wrong. The goal in making a testable statement is not to make a statement that will be wrong, but rather to put yourself in a position so that if you are wrong, you admit it and learn from your mistake. As Peter Doherty (2002) writes, “The scientific method requires that you struggle exhaustively to disprove, or falsify, your best ideas. You actually try, again and again, to find the possible flaw in your hypothesis. We scientists are rather accustomed to falling flat on our faces!” (p. 89).

You probably still think it is strange to risk being wrong. To understand why it is good to make statements that can potentially be proven false, let’s see what happens when people don’t make falsifiable statements. As you will see, people who ask “Am I right or am I right?” never find out that they are wrong. Those people do not allow facts to change their beliefs (see Figure 1.2). For example, one individual predicted that the earth would be destroyed in 1998. Has he admitted his mistake? No, he claims that the earth was destroyed in 1998: We are now living on an alternate earth in another dimension, blissfully unaware of our previous world’s destruction. We can’t prove him wrong.
We can, however, point out that he has made an untestable statement—a statement that no observation could possibly disprove. That is, we can point out that his prediction, like the prediction that, “Our team will win, lose, or tie its next game,” is so flexible that it can fit any result. Because his untestable prediction can fit any result, his belief can never be changed, refined, or corrected by the discovery of new facts. Because untestable statements do not allow scientists to test their beliefs, scientists try to avoid untestable statements. Scientists’ efforts to avoid being fooled by untestable statements lead scientists to be skeptical of (a) vague statements and (b) after-the-fact explanations.

Vague Statements May Be Untestable. Vague statements are as useless as they are untestable (see Figure 1.3). Thus, a CSI who claims that the murderer was born in this galaxy can neither be proven wrong nor given credit for solving the case.

Vague statements, because they contain loopholes that make them untestable, are often the province of “sucker bets” and of pseudosciences, such as palmistry and astrology. For example, suppose a stranger bets you that Wednesday will be a good day—but he doesn’t define what a good day is. No matter what happened on Wednesday, the stranger may come back on Thursday, demanding payment because Wednesday, by the stranger’s definition, was a good day. Similarly, one of the authors’ horoscopes once read: “Take care today not to get involved with someone who is wrong for you and you for him or her. Trouble could result.” This horoscope tells us nothing. No matter what happens, the astrologer could claim to have predicted it.
One reason the astrologer could be so slippery is that he or she used vaguely defined terms. For example, the astrologer does not give us a clue as to what “wrong for you” means. Thus, if trouble had resulted, the astrologer could say, “The person was wrong for you.” If trouble had not resulted, the astrologer could say, “The person was right for you.” Note that because the horoscope does not tell us anything, it is both unfalsifiable and useless.

One way that scientists avoid making vague statements is by defining their concepts in precise and objective terms. Instead of talking only in terms of vague, invisible, and hard-to-pin-down abstractions such as “love,” psychologists talk in terms of operational definitions: the specific, observable, concrete steps—the recipes—that are involved in measuring or manipulating the concepts being studied.

As you will see in Chapter 5, these recipes may range from measuring brain wave activity to scoring a multiple-choice test. Some of these recipes will be clever and do a good job of capturing the psychological variable they are supposed to measure, whereas others will not be as good. But no matter what the recipe is, it is one that other scientists can follow. Because the operational definition is an objective recipe that anyone can follow, there is no disagreement about what each participant’s score is.

When researchers state their predictions in such clear, concrete, and objective terms, they can objectively determine whether the evidence supports their predictions. For example, no matter what their biases, scientists can objectively establish whether scores on a given happiness test are correlated with scores on a certain IQ test.

If, contrary to the researchers’ predictions, scores on the happiness test are correlated with scores on the IQ test, the researchers admit the prediction was wrong. If repeating the study in several different ways obtains the same result, the researchers will change their minds about the relationship between happiness and intelligence. Thus, for scientists, seeing becomes believing.

While scientists use operational definitions to help them make testable predictions, quacks avoid making testable predictions by avoiding operational
definitions. For example, the quack can continue to insist that everyone the quack judges as intelligent is—in the quack’s view—unhappy. By not making testable predictions, the quack will never have to admit being wrong. Another technique quacks can use to avoid having to retract their predictions is to avoid predictions altogether and instead make after-the-fact explanations.

**After-the-Fact Explanations May Be Untestable.** After-the-fact explanations (sometimes called ad hoc explanations) are difficult to prove wrong. For example, if we say that a person committed a murder because of some event in his childhood, how can we be proven wrong? Most people would accept or reject our claim based on whether it sounded reasonable. The problem, however, with accepting “reasonable-sounding” explanations is that after something happens, almost anyone can generate a plausible-sounding explanation for why it happened. Although such explanations sound right, they may be wrong.

To illustrate how plausible-sounding explanations often turn out to be wrong, psychological researchers have asked people to explain numerous “facts,” such as why “opposites attract,” and why changing your original answer to a multiple-choice test question usually results in changing from a right answer to a wrong answer. Researchers found that participants were able to generate logical, persuasive reasons for why the “facts” were true—even though all of the “facts” were false (Dawes, 1994; Myers, 2004; Slovic & Fischoff, 1977; Stanovich, 2007).

**Skeptical: What’s the Evidence?**

Scientists are not just skeptical about after-the-fact explanations. Scientists, like CSIs, are so skeptical that they want evidence before they believe even the most “obvious” of statements. As Carl Sagan (1993) noted, scientists have the courage to question conventional wisdom. For example, Galileo tested the obvious “fact” that heavier objects fall faster than lighter objects—and found it to be false. Like the skeptical CSI, scientists respond to claims by saying things like “Show me,” “Let me see,” “Let’s take a look,” and “Can you verify that?” Neither CSIs nor scientists accept notions merely because an authority says it’s true or because everyone is sure that it is true. Instead, both CSIs and scientists accept only those beliefs that are supported by objective evidence.

Even after scientists have objective evidence for a belief, they continue to be skeptical. They realize that having circumstantial evidence in support of a belief is not the same as having proof that the belief is correct. Consequently, whenever they find evidence in support of their belief, scientists ask themselves two questions.

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1 According to *Time*, Nancy Reagan’s strong trust in an astrologer was cemented by the astrologer showing, *after the fact*, that “her charts could have foretold that the period on or around March 30, 1981, [the date President Reagan was shot], would be extremely dangerous for the President.” According to *The Skeptical Inquirer*, another individual tried to capitalize on the assassination attempt. That person, a self-proclaimed psychic, realized that predicting the assassination attempt would be persuasive evidence of her psychic powers. Consequently, she faked a videotape to make it look like she had predicted the assassination attempt on Ronald Reagan months in advance. However, analysis showed that the videotape was made the day after the assassination attempt (Nickell, 2005).
The first question is, “What is the evidence against this belief?” Scientists realize that if they looked only at the cases that support a belief, they could find plenty of evidence to confirm their pet hypotheses. For example, they could find cases and stories—anecdotal evidence—to “prove” that going to a physician is bad for your physical health (by looking only at malpractice cases) and that playing the lottery is good for your financial health (by looking only at lottery winners). Therefore, scientists look for evidence against their beliefs.

The second question is, “What other explanations are there for the evidence that seems to support this belief?” Consequently, scientists are experts at considering alternative explanations for events. To illustrate, take the case of malaria. People originally believed malaria was caused by breathing the bad-smelling air around swamps (indeed, malaria means “bad air”—“mal” means bad, as in “malpractice,” and “aria” means air). In support of this belief, they pointed out that malaria cases were more common around swamps—and that swamps contained foul-smelling marsh gas. Scientists countered by pointing out that the presence of marsh gas is not the only difference between dry areas and swampy areas. For instance, there are more insects, such as mosquitoes, in swamps. As we now know, mosquitoes—not marsh gas—infect people with malaria.

Being skeptical also means realizing that “convincing proof” may merely be the result of a coincidence. A suspect may be near the victim’s house on the night of the murder for perfectly innocent reasons; a patient may suddenly get better even after getting a “quack” treatment; a volcano may erupt exactly 20 years after an atomic bomb went off; and one cold winter does not disprove the “greenhouse effect.” Therefore, scientists “give chance a chance” to explain events (Abelson, 1995).

Open-Minded
Despite being skeptical, good scientists are also open-minded. The same respect for the evidence that allows them to be skeptical of popular claims that are not supported by the evidence allows them to be open to unpopular claims that are supported by the evidence. But what happens when there isn’t evidence for a claim?

Just as a good CSI initially—before the evidence is in—considers everyone a suspect, good scientists are willing to entertain all possibilities. Scientists have the courage to be open to the truth and to see the world as it is (Sagan, 1993). Scientists realize that “cynicism, like gullibility, is a symptom of undeveloped critical faculties” (Whyte, 2005, p. xi). Consequently, scientists will not automatically dismiss new ideas as nonsense, not even ideas that seem to run counter to existing knowledge, such as telepathy. The willingness to consider odd ideas has led scientists to important discoveries, such as the finding that certain jungle plants have medicinal uses.

Creative
To test unconventional ideas and to formulate new ideas to be tested, scientists must be creative. Unraveling the mysteries of the universe is not a boring, unimaginative, or routine task. Scientific giants such as Marie Curie (the discoverer of radium), Charles Darwin, Albert Einstein, and Friederich Kekule...
(who, while dreaming, solved the riddle of how carbon molecules are structured) are called creative geniuses.

We should point out, however, that you don’t need to be “naturally creative” to think in a creative way (Rietzschel, De Dreu, & Nijstad, 2007). Indeed, Darwin, Einstein, and Edison did not attribute their creative success to natural creative ability, but to persistence. As Einstein said, “The most important thing to do is to not stop questioning.”

**Shares Findings**

Science is able to capitalize on the work of individual geniuses like Einstein because scientists, by publishing their work, produce publicly shared knowledge. Most of this published work involves submitting reports of research studies. These reports allow other scientists to replicate—repeat—the original study.

One advantage of scientists publishing their work is that biases and errors can be spotted—and corrected. If a researcher publishes a biased study, rival investigators may replicate that study and get different results. If a researcher publishes a flawed study, critics may challenge the researcher’s conclusions and research methods. Thus, publishing findings, along with using standard research methods, are ways to maintain objectivity by keeping individual scientists’ biases in check (Haack, 2004).

A second advantage of scientists publishing their work is that researchers can build on each other’s work. Nobody has to solve a problem alone. If a scientist doesn’t have the resources to solve an entire puzzle, the scientist can work on filling in one of the last remaining pieces of the puzzle that others have almost completed (Haack, 2004). If a scientist does not see how to go about solving the puzzle—or the scientist is going about it the wrong way—the scientist can take advantage of the viewpoint of individual geniuses such as Einstein as well as the wide variety of different viewpoints offered by all the other puzzle workers in the scientific community (Haack, 2004). By combining their time, energy, and viewpoints, the community of scientists—like a community of ants—can accomplish much more than if each had worked alone. As Ernest Rutherford said, “Scientists are not dependent on the ideas of a single person, but on the combined wisdom of thousands.”

Without an open sharing of information, science doesn’t work, as the debate on cold fusion illustrates. In 1989, two chemists announced at a press conference that they had invented a way of creating nuclear fusion, a potential source of safe electric power, without heating atoms to extreme temperatures. (Before the scientists’ announcement, all known ways of producing nuclear fusion used more energy to heat atoms than the fusion reaction produced. Thus, nobody could seriously consider using nuclear fusion to produce electricity commercially.) However, the two scientists did not submit their research to peer-reviewed journals, and they failed to give details of their procedures. Thus, nobody could replicate their work.

All this secrecy worked against science’s self-corrective and unbiased nature. By not sharing their work, the two chemists removed the checks and balances that make science a reliable source of evidence. Instead of letting others verify their findings, they expected people to accept claims made at a press conference. Fortunately, most reputable scientists refuse to accept claims as facts, even claims from other scientists, without objective evidence.
Therefore, rather than accepting the chemists’ claims, scientists tried to replicate the alleged effect. (Note that, consistent with the view that scientists are open-minded, scientists did not reject the claim outright. Instead, in a fair and open-minded way, they tested the claim.) So far, no one has succeeded in replicating cold fusion.

Thus far, we have skeptically assumed that cold fusion did not really happen. But what if it had? The researchers’ lack of openness would still be unfortunate because science progresses only when scientists openly exchange findings.

**Productive**

Fortunately, scientists usually do share their findings and build on each other’s work. As a result, theories are frequently revised, refined, or replaced, and, in some fields of science, knowledge doubles every 5 to 10 years. As Gluckman put it, “A science is any discipline in which the fool of this generation can go beyond the point reached by the genius of the last generation.” The evidence that science is a productive tool for making discoveries and advancing knowledge is all around us. The technology created by science has vaulted us a long way from the Dark Ages or even the pre-DVD, pre-personal computer, pre-microwave early 1970s.

The progress science has made is remarkable considering that it is a relatively new way of finding out about the world. As recently as the 1400s, people were punished for studying human anatomy and even for trying to get evidence on such basic matters as the number of teeth a horse has. As recently as the early 1800s, the scientific approach was not applied to medicine. Until that time, people were limited to relying on tradition, common sense, intuition, and logic for medical “knowledge.” Because physicians’ knowledge was not based on science, doctors often killed, rather than helped, their patients.

Once science gained greater acceptance, people used the scientific approach to test and refine commonsense notions, as well as notions derived from intuition, tradition, and logic. By supplementing other ways of knowing, science helped knowledge progress at an explosive rate.

Almost everyone would agree that science has allowed physics, chemistry, and biology to progress at a rapid rate (see Figure 1.4). Hardly anyone would argue that we could make more progress in understanding our physical world by abandoning science and going back to prescientific beliefs and methods, such as replacing chemistry with its unscientific ancestor: alchemy (Dawkins, 1998). Indeed, it seems like every field wants to be labeled a science—from creation science to handwriting science to library science to military science to mortuary science (Haack, 2004). However, not all fields deserve that label.

**Psychology’s Characteristics**

Although few doubt the value of the older sciences, some doubt the value of psychological science. Some of the same individuals who would strongly object to chemists going back to alchemy have no objections to psychologists going back to phrenology: the practice of identifying individuals’ personalities by measuring the bumps on their head and changing their personalities by moving those bumps.

Why do some individuals think the scientific method is appropriate for studying chemistry, biology, physics, and astronomy, but inappropriate for
studying psychology? Often, they question whether psychology is a science. That is, they question whether psychologists

- find general rules
- collect objective evidence
- make testable statements
- are skeptical
- are open-minded
- are creative
- produce publicly shared knowledge that can be replicated
- are productive

**General Rules**

Perhaps the most serious question about psychology as a science is, “Can psychologists find general rules that will predict, control, and explain human behavior?”

Cynics argue that although it is possible to find rules to explain the behavior of molecules, it is not possible to find rules to explain the behavior of people.

These cynics claim that, unlike molecules, people are not all alike. Psychologists respond by saying that even though people are not all alike, humans are genetically similar. Perhaps because of this similarity, we humans share many similarities, from our use of language to our tendency to try to repay those who help us. Furthermore, if people’s behavior did not follow some basic and recognizable rules, human interactions (e.g., holding a conversation, driving down a road, playing a sport) would be extremely difficult, if not impossible.²

²We thank Dr. Jamie Phillips for this example.
Cynics also claim that, unlike molecules, humans may spontaneously do something for no reason. Psychologists argue that most behavior does not just spontaneously appear. Instead, people usually do things for a reason—even if the reason isn’t apparent.

Although both cynics and psychologists make logical arguments for their positions, psychologists have evidence to back up their arguments. That is, psychologists have not only argued that human behavior is governed by rules, they have also found many such rules (Kimble, 1990; Buchanan, 2007). For example, psychologists have discovered laws of operant and classical conditioning, laws of perception, laws of memory (Banaji & Crowder, 1989), and even laws of emotion (Frijda, 1988). (If you doubt that emotions follow rules, then ask yourself why people have fairly predictable reactions to certain movies. For example, most people cry or come close to tears the first time they see *Bambi*, whereas most people feel a nervous excitement the first time they see a horror film.)

Like psychology, medicine once faced resistance to the idea that general rules applied to humans. Until recently, people believed that one person’s flu was caused by circumstances that were completely different from another’s. As Burke (1985) noted, “Each patient regarded his own suffering as unique (being caused by unique circumstances) and demanding unique remedies” (p. 195). Consequently, one patient’s treatment was totally different from another’s. Knowledge about cures was not shared, partly because what cured one person was thought to be ineffective for curing anyone else. As a result, medicine did not progress, and many people died unnecessarily. It was only after physicians started to look for general causes of disease that successful cures (such as antibiotics) were found.

Nevertheless, general rules do not always work. A treatment that cures one person may not cure another. For example, one person may be cured by penicillin, whereas another may be allergic to it. It would be wrong, however, to say that reactions to drugs do not follow any rules. It’s simply that an individual’s response to a drug is affected by many rules, and predicting the response would require knowing at least the following: the individual’s weight, family history of reactions to drugs, time of last meal, condition of vital organs, other drugs being taken, and level of dehydration.

Like human physiology, human behavior is governed by many factors. Because there are so many rules that may come into play in a given situation, predicting what a given individual will do in that situation would be difficult even if you knew all the rules. Psychologists agree with cynics that predicting an individual’s behavior is difficult. However, they disagree with the cynic’s assumption that there are no rules underlying behavior. Instead, psychologists know of general rules that are useful for predicting the behavior of most people much of the time. As Sherlock Holmes said, “You can never foretell what any man will do, but you can say with precision what an average number will be up to. Individuals may vary, but percentages remain constant.”

But can we—and should we—apply general rules to individuals? Yes: General rules can help us help individuals—if we don’t let the exceptions to those rules lead us to commit two common mistakes that nonscientists make. First, some nonscientists decide that, because the rule has exceptions, the rule doesn’t hold. They fail to realize that although citing an exception—“That rule is wrong because I know someone who doesn’t follow it”—is a way to disprove an absolute rule, it is not a way to disprove a general rule. Second,
some nonscientists try to guess when the exceptions will occur. To illustrate
that both of these approaches are foolish, imagine that you know that three
quarters of one surgeon’s operations are successful, whereas only one quarter
of another surgeon’s operations are successful. As Stanovich (2007) points
out, it would be foolish to say either (a) “It doesn’t matter which surgeon I
go to because they both succeed sometimes and they both fail sometimes,”
or (b) “If four of my family members need surgery, I won’t send all four to
the good surgeon because one might have a bad outcome: Instead, based on
my instincts, I’ll send three to the good surgeon and one to the bad
surgeon.” Not surprisingly, research shows that a psychologist who applies a
general rule to all individuals will be right more often than the psychologist
who never uses that rule—or who uses intuition to determine when to apply
the rule (Stanovich, 2007).

As you have seen, if psychologists have a general rule that allows us to
predict behavior, we will make better predictions if we use that rule than if
we just guess. But what if psychologists do not have a rule that will allow us
to predict behavior at a better than chance level? Does that mean the behav-
ior does not follow general rules? No—if we knew the rules and could pre-
cisely measure the relevant variables, the behavior might be perfectly
predictable.³

To understand how a behavior that we cannot predict may follow simple
rules, think about trying to predict the outcome of a coin flip. We can’t accu-
rrately predict the outcome of a coin flip. Why not? Is it because the outcome
of a coin flip does not follow any rules? No, it follows very simple rules: The
outcome depends on what side was up when the coin was flipped and how
many times the coin turned over. Nevertheless, because we do not know
how many times the coin will turn over, we can’t know the outcome of a sin-
gle coin toss. Similarly, most would agree that the weather is determined by
specific events. However, because there are so many events and because we
do not have all relevant data on all those events, we can’t predict the weather
with perfect accuracy.

Objective Evidence

A second question people raise about psychology’s ability to be a science is,
“Can psychologists collect objective evidence?” There are two reasons for this
concern.

First, some people worry that the psychologists won’t be able to keep
researcher biases in check. The concern is that the typical researcher will
notice information that is consistent with the hypothesis while ignoring infor-
mation that is inconsistent with the hypothesis; interpret ambiguous evidence
as being consistent with the hypothesis; induce participants to behave in a
way that fits with the hypothesis; and, if the study still doesn’t support the
hypothesis, manipulate statistics to prove the hypothesis.

If psychologists engaged in these practices, they could “prove” whatever
they wanted to prove: Research would simply confirm researchers’ pet theo-
ries and beliefs. Fortunately, psychologists have found ways to keep their

³In physics, for example, researchers working on chaos theory (also known as complexity the-
ory) have shown that simple processes can produce a complex and hard-to-predict pattern of
behavior.
biases in check. We can separate “the facts of life from wishful thinking” (Myers, 2002b, p. 28). By using techniques you will soon learn (e.g., giving ourselves a chance to find out that we are wrong by using objective measures so we can’t see what we want to see and by using statistics correctly so we can’t conclude whatever we want to conclude), the results of psychological research are just as likely to replicate as those of physics research (Hedges, 1987; Stanovich, 2007).

Second, some people worry that psychologists won’t be able to collect objective evidence about abstract mental concepts because psychologists can’t see the mind. Although we can’t directly measure abstract concepts such as love, attitudes, aggression, social influence, and memory, we can develop observable operational definitions of these concepts.

In the effort to measure the unobservable objectively, psychology can follow the lead of the older sciences, which have a long history of studying the unseen. Genetics was well advanced before anyone had seen a gene; and nobody has seen gravity, time, temperature, pressure, magnetism, or electrons. Unobservable events or states can be inferred from observable events: Gravity can be inferred from observing objects fall, electrons can be inferred from the tracks in a cloud chamber, and psychological variables such as love can be assessed by observable indicators such as how long a couple gazes into each other’s eyes, pupil dilation at the sight of the partner, physiological arousal at the sight of the partner, and passing up the opportunity to date attractive others (Rubin, 1970).

One indication that psychologists have succeeded in making unbiased observations is that when psychologists replicate another’s study, they are very likely to get the same pattern of results that the original investigator obtained—even when the reason for repeating the study was skepticism of the original study’s results. Indeed, according to one historian of science, psychology’s reliance on operational definitions has made psychology more objective than physics (Porter, 1997). In short, both logic and evidence suggest that psychological research is objective.

**Testable**

A third question people have about psychology is, “Can it make testable statements?” If it can’t, then it would share the weaknesses of astrology. Fortunately, most published research articles in psychology make testable predictions. Indeed, our journals are full of articles in which predictions made by the investigators were disconfirmed. For example, to his surprise, Charles Kiesler (1982) found that many mentally ill individuals are hurt, rather than helped, by being put into mental institutions. In summary, the fact that research frequently disproves researchers’ predictions is proof that psychologists make testable statements—and test them in an objective manner.

**Skeptical**

A fourth question about psychology is, “Can psychologists be as skeptical as other scientists?” Some people worry that psychologists will accept, rather than test, existing beliefs about human behavior. After all, many of these beliefs seem logical and have the weight of either popular or expert opinion behind them. Consequently, some fear that, rather than seeing what the evidence says, psychologists will base their decisions about what
is true on whether the claim is consistent with either popular or expert opinion.

Although some therapists have ignored the objective evidence, scientific psychologists have been diligent about testing even the most “obviously true” of ideas. For example, Greenberger and Steinberg (1986) performed a series of studies testing the “obviously true” idea that teenagers who have jobs understand the value of hard work better than teens who don’t work. They found that—contrary to conventional wisdom—teenagers who work are more cynical about the value of hard work than nonworking teens. Similarly, Shedler and Block (1990) tested the “obviously true” idea that drug use is the cause of psychological problems. Their evidence suggested that conventional wisdom was wrong—heavy drug use was a symptom, rather than a cause, of psychological problems. Likewise, Coles (1993) found that “cocaine babies” were not as troubled as many people originally believed. More recently, Mehl, Vazire, Ramirez-Esparza, Slatcher, & Pennebaker (2007) found that women do not talk substantially more than men talk. Thus, “obviously true” ideas are often found to be false when objectively tested.

In addition to questioning “obviously true facts,” psychologists question “obviously true interpretations” of evidence. What others see as proof, psychologists may see as circumstantial evidence. To illustrate, let’s consider three types of claims that psychologists question: (a) claims that a measure is accurate, (b) claims that the cause of an outcome is known, and (c) claims that the results of a study generalize beyond the situation or population studied.

Psychologists question the degree to which mental tests or other measures of behavior truly capture the psychological concepts that those instruments claim to capture. Psychologists are not easily convinced that a set of questions labeled as a “love scale” actually measures love or that an “intelligence test” measures intelligence. If the measure uses self-reports, psychologists are skeptical because they realize that people do not always know their own mind (and, as we shall discuss in Chapter 8, even when people do know, they may not tell). If the measure does not use self-report, psychologists are skeptical because they realize that researchers never have a direct pipeline into another person’s mind: We can’t see the mind; we can see only behavior. From observing behavior, we may be able to make educated guesses about what is going on in the mind, but these guesses could be wrong. Consequently, we should never assume that we know what a behavior really means. In other words, there is often a gap between the operational definition of a concept and the concept. Therefore, we should always ask (a) how well the operational definition really matches the label that the investigator gives it, and (b) what evidence supports the idea that the measure really assesses what it claims to measure.

In addition to being skeptical of conventional wisdom and of measures of psychological constructs, psychologists are skeptical of cause–effect conclusions. They realize that it is hard to isolate the one factor that may be causing a certain behavior. Therefore, if they find that better students have personal computers, they do not leap to the conclusion that computers cause academic success. Instead, psychologists would consider at least two alternative explanations. First, psychologists realize that if students were given computers for doing well in school, computers would be the effect—rather than the cause—of academic success. Second, psychologists realize that the computer-owning students may be
doing better than other students because the computer-owning students went to better preschools, had better nutrition, or received more parental encouragement. Until these and other explanations are eliminated, psychologists would not assume that computers cause academic success.

Finally, many psychologists are skeptical about the extent to which results from a study can be generalized to the real world. They do not assume that a study done in a particular setting with a particular group of people can be generalized to other kinds of participants in a different setting. For instance, they would not automatically assume that a study originally done with gifted 10-year-olds at a private school would obtain the same results if it were repeated with adult participants studied in the workplace.

In short, psychologists are extremely skeptical of conventional wisdom—including the idea that the facts speak for themselves. Therefore, psychologists not only question “obvious facts” but also the evidence for those—or any other—“facts.”

**Open-Minded**

Paralleling the concern that psychologists might not test “obvious facts” is the concern that psychologists might not be open to ideas that run counter to common sense. These concerns are groundless because psychologists are open-minded for the same reason they are skeptical: observable facts count rather than one’s personal views.

As evidence that psychological scientists are skeptical, but not closed-minded, note that psychologists have tested all sorts of counterintuitive ideas, such as the idea that subliminal, backward messages (back-masking) on records can lead teens to Satanism (Custer, 1985); the idea that people can learn in their sleep; and the idea that ESP can be reliably used to send messages (Swets & Bjork, 1990). Although psychologists found no evidence for those particular ideas, psychologists’ willingness to test virtually anything has led to tentative acceptance of some novel notions, such as the idea that meditating helps people to live longer (Alexander, Langer, Newman, Chandler, & Davies, 1989), the idea that more choices can make people less happy (Iyengar & Lepper, 2000), and the idea that people can accurately judge another person just by seeing a picture of that person’s room (Gosling, Ko, Mannerelli, & Morris, 2002).

**Creative**

Whereas psychologists’ open-mindedness has been questioned, few have questioned psychologists’ creativity. Most people realize that it takes creativity to come up with ideas for psychological research. Fortunately, with a little help, most people have the creativity to generate research ideas. If you follow the tips on idea generation in Chapter 3, you will be amazed at how creative your ideas can be.

Creativity is needed not only to generate a research idea but also to test it. For example, creativity is needed to develop accurate measures of the concepts the researcher plans to study. Imagine the challenge of developing measures of such concepts as love, intelligence, and helpfulness. Fortunately, to measure key variables, the individual researcher does not always have to rely on his or her own creativity. As you will see in Chapter 5, the researcher can often rely on the creativity of others. After all, why reinvent the wheel when
creative psychologists have already developed ways of measuring all kinds of concepts—from practical intelligence (Sternberg, 1986), to moral reasoning (Kohlberg, 1981), to unconscious prejudice (Greenwald, McGhee, & Schwartz, 1998), to creativity (Rietzschel, De Dreu, & Nijstad, 2007)?

Even after finding ways of measuring the concepts they wish to study, researchers may need to use their creativity to develop a situation that will permit them to test their research idea. Like the inventors of the wind tunnel, psychological scientists may need to create a scaled-down model of a real-life situation that is simpler and more controllable than real life, yet still captures the key aspects of the real-life situation. For example, to study real-life competition, social psychologists have developed competitive games for participants to play. Similarly, to model the situation in which nothing you do seems to matter, Seligman (1990) had people try to solve unsolvable puzzles.

**Shares Findings**

As shown by the hundreds of journals in which they publish their work and the many best-selling books based on that research, psychologists have not just been creative in their research—they also have been very good at sharing that research. Indeed, psychologists may enjoy more candor and cooperation than scientists in other fields because psychologists usually gain little by keeping results secret. For example, if you wanted to be the first to patent a new technology, it would pay to keep secrets from competitors. In such a race, if you were first, you might make millions. If you were second (like the poor guy who tried to patent the telephone 2 hours after Alexander Graham Bell did), you would make nothing. Although such races for dollars are common in chemistry, they are rare in psychology.

**Productive**

Perhaps because psychologists have been so good at sharing, psychologists have made tremendous progress. One hundred years ago, a person could know everything about every area of psychology. Today, even psychologists cannot know everything about their own area of psychology. Not only has research created more knowledge about each area, but it has also helped create new areas—and there are so many more areas of psychology than there were. We now have textbooks full of research-generated facts in applied areas such as consumer psychology, counseling psychology, forensic psychology, political psychology, sports psychology, and organizational psychology. Reading recent research in cognitive, social, and developmental psychology can give you insights into almost any aspect about the human mind—from the unconscious mind to evil to intuition to happiness.

Much recent research has implications for real life. For example, accurate answers to questions like “How do I tell whether the couple I’m counseling will stay together?” and “How do I tell when a suspect is lying?” have come from the research lab. Because psychological research has been so productive in generating answers to applied questions, professionals in applied areas—such as education, communication, marketing, economics, and medicine—are enthusiastically embracing psychologists’ research methods.

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4 For an entertaining and elementary introduction to how one economist uses some psychological methods, read the best-selling book *Freakonomics* (Levitt & Dubner, 2005).
The Importance of Science to Psychology: The Scientific Method Compared to Alternative Ways of Knowing

The scientific method is responsible for the tremendous progress in psychology and is also largely responsible for psychology’s uniqueness. Whereas many other fields—from astrology to philosophy—are concerned with the thoughts and behaviors of individuals, only psychologists study individuals scientifically (Stanovich, 2007). Thus, as Stanovich points out, it is no accident that every definition of psychology starts out “the science of….”

What if psychology were not a science? Psychology would not be useful for helping and understanding people. Without science, psychology might merely be a branch of the popular pseudoscience of astrology (Stanovich, 2007). Without science, psychology might merely be common sense, even though common sense contradicts itself (see Box 1.1). Without science, psychologists might just do what tradition and logic tell them, even when tradition and logic tell them to do things that are actually harmful. For example, until psychological research showed that premature infants benefit from being held, physicians asserted that both logic and tradition dictated that premature infants should not be held (Field, 1993).

Psychology is not the only science that has had to free itself from quackery, tradition, common sense, and from the belief that its subject matter follows no rules. From the beginning of recorded history, some people have argued that finding rules or laws that govern nature is impossible. For centuries, most people believed the stars followed no pattern. Not that long ago, it was believed that diseases followed no patterns. Even today, some people believe that human behavior follows no discernible pattern. Yet, each of these assumptions has been disproven. The stars, the planets, diseases, and humans behave for reasons that we can discover. Admittedly, the rules determining human behavior may be complex and numerous—and it may even be that some behaviors do not follow rules. However, to this point, searching for rules of behavior has been fruitful (see Table 1.1).

Although science is only one way of knowing, it is our most objective way of knowing, and it can work in concert with a variety of other ways of knowing (see Box 1.2). Psychologists can use scientific methods to verify knowledge passed down by tradition or from an authoritative expert, or to test knowledge obtained by intuition or common sense. By anchoring speculation in reality, psychologists can create, refine, or verify common sense and eliminate superstitions (Kohn, 1988). For example, consider the following 10 findings from research:

### BOX 1.1 The Inconsistency of Common Sense

1. Absence makes the heart fonder. **BUT** Absence makes the heart wander.
3. Look before you leap. **BUT** He who hesitates is lost.
4. Too many cooks spoil the broth. **BUT** Two heads are better than one.
5. To know you is to love you. **BUT** Familiarity breeds contempt.

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**The Importance of Science to Psychology: The Scientific Method Compared to Alternative Ways of Knowing**

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1. Punishment is not very effective in changing behavior.
2. Having teens work in low-wage jobs does not instill the “work ethic.”
3. Absence makes the heart fonder only for couples who are already very much in love.
4. Multitasking is inefficient.
5. Money does not buy happiness.
6. If you want to make yourself feel better, do charity work.
7. IQ tests predict life success better than tests of emotional intelligence.
8. Married couples’ understanding of each other declines over the course of marriage.
9. Nonverbal communication is not very helpful in letting people know what other people are thinking.
10. Psychotherapy, especially grief counseling, counseling for multiple personality disorder, and counseling to prevent posttraumatic stress syndrome, can be harmful.

All of these findings are refinements of the common sense of a few years ago. All of these findings are, or will soon become, part of the common sense of this century.

In short, science is a powerful tool that can be used to refine our knowledge, test our beliefs, help people, and stop us from inadvertently hurting people through well-meaning but harmful therapies. If we have a tool that will help us solve important problems, why shouldn’t psychologists use it—especially when it does not rule out the use of other tools?

### Table 1.1

<table>
<thead>
<tr>
<th>Characteristic</th>
<th>Example</th>
</tr>
</thead>
<tbody>
<tr>
<td>Finds general rules</td>
<td>Helps us understand human behavior through rules such as laws of operant and classical conditioning, laws of memory (meaningless information is hard to remember; memorizing similar information, such as Spanish and Italian, leads to memory errors; spreading out your studying leads to longer retention), predictable reactions to stress (general adaptation syndrome), and a wide range of theories from social learning theory to cognitive dissonance theory.</td>
</tr>
<tr>
<td>Collects objective evidence</td>
<td>Tests whether beliefs and theories are consistent with objective evidence. Obtains objective evidence by recording participants’ behaviors: number of words written down on a memory test, ratings made on an attitude scale, responses on a personality test, reaction times, etc. One index of how effective we are at being objective is that our research findings are as replicable as research findings in physics.</td>
</tr>
<tr>
<td>Makes verifiable statements</td>
<td>Makes specific, testable predictions that are sometimes found to be wrong (rewarding someone for doing a task will always increase their enjoyment of that task). That is, we use evidence to correct wrong beliefs.</td>
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Why You Need to Understand Science Rather Than Relying Only on Other Ways of Knowing

<table>
<thead>
<tr>
<th>Way of Knowing</th>
<th>Problems</th>
<th>Quote/Example</th>
<th>How Science Can Improve, Test, or Work with This Way of Knowing</th>
</tr>
</thead>
</table>
| Expert authorities | “Experts” are not always knowledgeable in the areas they are discussing (the media needs “experts”—and will create them, if necessary). | • Einstein uncritically accepted Freud; Linus Pauling (a two-time Nobel Prize winner) overstated the benefits of Vitamin C.  
• “It is absurd, as well as arrogant, to pretend that acquiring a PhD somehow immunizes me from the errors of sampling, perception, recording, retention, retrieval, and inference to which the human mind is subject” (Paul Meehl, as cited in Stanovich, 2007, p. 194.) | A true expert is one who has looked at the evidence with both a skeptical and an open mind. Thus, a person could be an expert in one area, but not in another. 
Simple scientific formulas do a better job of predicting than experts do (Dawes, 1994; Myers, 2002b). Knowing about research will help you to become an expert in whatever field you choose. |
| | Experts are not always unbiased—many are influenced by the groups paying them (Kolata, 2007; Peterson, 2008; Tavris & Aronson, 2007). | | |
| | Experts often give conflicting advice. | | |
| | The more confident the expert, the less accurate the expert’s predictions are (Tetlock, 2005). | | |
### BOX 1.2 Why You Need to Understand Science Rather Than Relying Only on Other Ways of Knowing (Continued)

<table>
<thead>
<tr>
<th>Way of Knowing</th>
<th>Problems</th>
<th>Quote/Example</th>
</tr>
</thead>
</table>
| **Common sense, tradition** | • In some fields, the more respected and famous the expert, the less accurate the expert’s predictions are (Tetlock, 2005).  
 • Experts do not seem to learn from mistakes (Tetlock, 2005).  
 • Experts are poor at predicting outcomes (Dawes, 1994; Tetlock, 2005). | “If you consult enough experts, you can confirm any opinion.”—Arthur Bloch |
| **Logic and reason** | • Logic is not an effective way of obtaining facts that can be obtained through observation.  
 • The conclusion of a logical argument is limited by the “facts” making up that argument—as the saying goes, “garbage in, garbage out.” | See Box 1.1: “Inconsistencies of Common Sense.”  
 “Common sense is a fable agreed upon”: Contrary to popular belief, sugar does not make kids hyperactive, you do not need to drink 10 glasses of water a day, people do use more than 10% of their brains, and you can go swimming right after lunch. |
| | • Aristotle, father of modern logic, concluded that women have fewer teeth than men.  
 • Delusional systems can be logical. A mental patient’s behavior may be completely logical if you accept the patient’s premise that he is really the President of the U.S. | “Science is simply common sense at its best, that is, rigidly accurate in observation, and merciless to fallacy in logic.”—Thomas Huxley  
 Science can test common sense.  
 As the saying goes, “today’s science is tomorrow’s common sense.”  
 After a scientist uses observation to obtain facts, the scientist will use logic to draw reasonable conclusions from those facts. |
**Why You Need to Understand Science Rather Than Relying Only on Other Ways of Knowing (Continued)**

<table>
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<th>Way of Knowing</th>
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<tr>
<td>Informal, unsystematic observation</td>
<td>• Humans are not logical and rational; we are irrational—sometimes, predictably so (Ariely, 2008).</td>
<td></td>
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<tr>
<td>and experience</td>
<td>• Experience is a very tricky and very bad teacher. We experience more illusions than we think.</td>
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<td></td>
<td>• Furthermore, people do not learn from their mistakes (Ariely, 2008; Tavris &amp; Aronson, 2007; Tetlock, 2005).</td>
<td></td>
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<td></td>
<td>• “A man who is so dull that he can learn only by personal experience is too dull to learn anything important by experience.” —Don Marquis</td>
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<tr>
<td>Intuition and Introspection</td>
<td>• Our own insights about ourselves are often wrong.</td>
<td>Wilson (2002) showed that we are “strangers to ourselves.”</td>
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<td></td>
<td>• There is a difference between what sounds right and what is right (Rosenzweig, 2007).</td>
<td>Science is merely an extremely powerful method of winnowing what’s true from what feels good.” —Carl Sagan</td>
</tr>
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<td></td>
<td>• Much of what people call intuition is prejudice (Whyte, 2005).</td>
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<td></td>
<td>• Experience “taught” Aristotle that bees catch honey as it falls from the sky, and it teaches us that the earth is flat and that the sun revolves around it.</td>
<td>Learning to think scientifically can, however, help you to learn better from this bad and tricky teacher: Science helps us to be “wise by other people’s experience.” —Samuel Richardson</td>
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(Continued)
### Why You Need to Understand Science Rather Than Relying Only on Other Ways of Knowing (Continued)

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<tbody>
<tr>
<td>All positions are somewhat true, but the “real” truth lies in the middle.</td>
<td>● There are facts and nonfacts.</td>
<td>● The sun either exists, or it does not exist. The truth is not in the middle.</td>
<td>Science should not compromise about facts.</td>
</tr>
<tr>
<td>The truth is just a matter of opinion and my opinion is as good as anyone else’s.</td>
<td>● “Facts are not a matter of opinion” (Whyte, p. 25). It’s not really all about you: There is a reality beyond you—and people’s beliefs.</td>
<td>● “Bacteria and planets do not come into or go out of existence depending on what people believe” (Whyte, p. 154). ● There is “a distinction between what we have reason to believe and what we have no reason to believe” (Whyte, p. 41).</td>
<td>If you want to know about reality, science is the best tool devised for that purpose.</td>
</tr>
<tr>
<td>“Everybody is talking about it,” ‘I’ve heard a lot about it lately,’ ‘People believe strongly in it.’</td>
<td>● Unfortunately, just because “everybody is talking about it” does not mean that “there must be something to it.” Where there is smoke, sometimes there is no fire—just smoke that has been manufactured by marketing and political machines. (Corporations know how to produce hype and buzz.) ● “Educational” books and seminars are not always what they seem. ● Believing does not necessarily translate into accuracy; belief may even lead to bias.</td>
<td>● Because facts are not put to a vote, “information” you get from the web or Wikipedia may be misinformation. As the saying goes, “conventional wisdom is to wisdom what junk food is to food.” ● Best-selling business books have been full of bunk (Rosenzweig, 2007) and seminars—even continuing education courses for professional counselors—have dealt with improving counselors’ psychic abilities (Arkes, 2003; McDougal, 2007).</td>
<td>You need to think scientifically; going with the sheep may get you slaughtered.</td>
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</tbody>
</table>
Thus far, we have explained why psychologists are interested in scientific research: they see research as a useful tool to obtain answers to their questions. But why should you know how to use this tool? After all, if you don’t need to understand the science of agriculture to enjoy its fruits, why do you need to understand the science of psychology to take advantages of its products?

To Understand Psychology

The classic answer is that you can’t have an in-depth understanding of psychology—the science of behavior—unless you understand its methods. Without understanding psychology’s scientific aspects, you may know some psychological facts and theories, but you will not understand the basis for those facts and theories. It would be like buying a house without inspecting its foundation to ensure that the structure is sound and free of serious faults such as cracks, termite damage, and rot.

Even if you trust that your psychological knowledge is based on a solid foundation, you will have trouble selling that knowledge if you can’t explain why your advice is sound. Understanding the foundation on which psychological facts are based allows you to defend psychological facts from those who claim that such “facts” are really baseless opinions.

Beyond increasing your own credibility and that of your field, explaining the basis for psychological facts will help well-meaning people do good things rather than bad or wasteful things. For example, suppose your organization or community is facing a problem (e.g., increased tensions between two
groups). You know certain facts (e.g., increasing intergroup contact alone will not improve relations; the groups must work as equals toward a common goal) that could be applied to the problem. You want others to use these facts to improve the situation—you do not want them to dismiss these facts as “unsupported opinions” or “merely psychological theory.” To convince people that your advice is sound, you must understand the foundation supporting those facts—the research process—so well that you can make others understand it.

We have just discussed the scenario in which psychology has a pre-packaged, fact-based solution to a problem, and your task is to sell that solution. But what if, as is usually the case, psychological science has not yet unearthed a solution that has been applied to the particular problem? That’s when you really need to understand research methods because you will need to use research to find an answer. Specifically, you will need to (a) search the scientific literature to find principles that might apply to the situation, (b) develop a solution based on those principles, and (c) monitor your attempted solution to see whether it is working. In short, to be an effective psychologist, you must use psychology’s research findings (its technology) to propose a solution that will probably work and use psychology’s research methods (its science) to find out whether your solution really does work (Levy-Leboyer, 1988).

To Read Research

When research addresses problems that interest you, you will want to take advantage of that research. To do so, you must be able to read and interpret scientific research reports. For instance, you may want to know something about the latest treatment for depression, the causes of shyness, factors that lead to better relationships, or new tips for improving workplace morale. If you need the most up-to-date information, if you want to draw your own conclusions, or if you want to look at everything that is known about a particular problem, you need to be able to read the research yourself.

You can’t rely on reading about research in textbooks, magazines, or newspapers. Textbooks will give you only sketchy summaries of the few, often out-of-date studies selected by the textbook’s authors. Magazine and newspaper articles, on the other hand, often cover up-to-date research, but these reports often do not accurately represent what happened (Anderson & Bushman, 2002; Brescoll & LaFrance, 2004; Bushman & Anderson, 2001) and often report the results of poorly done studies (Begley, 2007; Kolata, 2007). Knowing research terminology and logic allows you to bypass second-hand accounts of research, thus allowing you to read the original source and come to your own conclusions.

With psychology progressing at a rapid rate, you will need to keep up with the field. As an employee, you will want to make more money every year. How can you justify receiving raises if, with every year, your knowledge is more out-of-date? If you see clients, you should be giving them treatments that work, and you should be acting on the best information available. After all, you would not be pleased to go to a physician whose knowledge about your illness was 10 years out of date.
To Evaluate Research

If you understand research, you will not only be able to get recent, firsthand information, but you will also be in a position to evaluate that information. You may be able to evaluate many secondhand reports of research in magazines and newspapers, too. Thus, you will be able to take full advantage of the knowledge that psychologists are giving away, knowledge that is available to you in libraries, in newspapers, and on television—without being fooled by the misinformation that is also freely available. You will find that, although a scientist can design a study to get results that conform to the scientist’s wishes, well-designed studies usually get outcomes that conform to reality (Begley, 2007). You will also find that you need your critical abilities because (a) even studies published in good journals may be flawed, (b) poorly designed studies are, in many areas, much more common than well-designed ones (Begley, 2007; Kolata, 2003), and (c) you will often encounter conflicting research findings.

To Protect Yourself From “Quacks”

Perhaps more important than encountering conflicting research findings is the problem of identifying phony experts. Free speech protects quacks, just as the free market protected “snake oil” salespeople in the days before the United States government created the Food and Drug Administration. Back then, patent medicine vendors could sell the public almost anything, even pills that contained tapeworm segments (Park, 2000).

Today, “experts” are free to go on talk shows and the Internet to push “psychological tapeworms.” Common psychological tapeworms include unproven and sometimes dangerous tips on how to lose weight, quit smoking, discipline children, and solve relationship problems.

We do not mean that all experts are giving bad advice. We mean that it’s hard to tell what is good advice and what is not. Research suggests that, at least in some fields, the more well-known and the more quoted an expert is, the less accurate that expert’s predictions are (Tetlock, 2005). Although the truth is out there, so are a lot of lies. Science, nonscience, pseudoscience, and common nonsense exist side by side on the shelves of the psychology section in the bookstore, on talk shows, on the Internet, and on televised newsmagazines. We live in the information age, but we also live in the misinformation age. As a result, without some training in research design, it is hard to distinguish which “expert” information is helpful and which is potentially harmful.

To Be a Better Psychologist

In psychology, as in many fields, professionals who believe that science applies to their field do their job differently than colleagues who don’t. Scientifically oriented detectives use fingerprints and DNA analysis, whereas other

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5 If the secondhand reports provide you with enough information about the study’s procedures, you can evaluate the study. If they do not, you will have to read the original scientific publication.

6 Although we now do have an FDA, “that agency’s 40 analysts can’t be counted on to evaluate the accuracy of the more than 30,000 ads and promotions that are made each year” (Schmit, 2005, p. 1A). Furthermore, some treatments (e.g., homeopathic remedies) are exempt from FDA review (Park, 2000).
detectives rely on psychics and lie detectors. Scientifically oriented physicians treat patients based on what research has established as the most effective cure, whereas other physicians rely on their instincts and on alternative medicines—and end up causing thousands of their patients to die (Gladwell, 1996). Scientifically oriented counselors treat patients based on what research has established as the most effective treatment, whereas other counselors sometimes use techniques shown to be ineffective and harmful. A counselor who abandons the scientific approach is not just engaging in “psychoquackery,” but may be needlessly harming his or her clients (Begley, 2007; Groopman, 2004; Lilienfeld, 2007). Thus, as Carol Tavris says, “…a cautious, skeptical attitude is the hallmark of good science and caring practice.”

In short, those who rely on treatments that science has shown to be effective are true professionals, whereas those who do not rely on science are quacks. We do not want you to be a quack.

**To Be a Better Thinker**

In addition to preventing you from acting like a quack, this course may prevent you from thinking like one or being fooled by one. We do not mean that you are a poor thinker now. Indeed, the way you think now will be the foundation for thinking scientifically: As Einstein said, “The whole of science is nothing more than the refinement of everyday thinking.” We do mean that the skills you learn in this course—problem-solving skills, decision-making skills, looking for objective information, and being able to judge and interpret information—will refine your everyday thinking and increase your practical intelligence (Lehman, Lempert, & Nisbett, 1988).

Put another way, people like to be able to separate fact from fiction. We like to believe that we will not accept statements without adequate proof (Beins, 1993; Forer, 1949). However, without understanding science, how can we know what adequate proof is?

**To Be Scientifically Literate**

Another reason to study psychological research methods is to learn how science works. Intelligent people are supposed to be able to profit from experience, and in today’s world many of our experiences are shaped by scientific and technological changes. Yet, many people do not know how science works.

Some argue that this scientific illiteracy threatens our democracy—and they have a point. How can we make intelligent decisions about the so-called greenhouse effect if we can’t properly interpret the data about global warming? How can juries correctly decide whether to convict an alleged murderer or award damages to people who have allegedly been harmed by a product if the jurors can’t understand the scientific evidence (Kosko, 2002)? We would like to rely on experts, but experts may contradict each other. Furthermore, some “experts” may be quacks (Kosko, 2002), and others may be unduly influenced by the company or group that is sponsoring them (Peterson, 2008; Tavris and Aronson, 2007). Therefore, if we are going to make an informed decision about global warming or a host of other problems, we need to know how to interpret scientific research.

Regrettably, it appears that many people are scientifically illiterate. Most high school students (and some high-ranking politicians) believe in astrology.
Furthermore, many of astrology’s skeptics can easily become believers (Glick, Gottesman, & Jolton, 1989). In addition to astrology, other scientifically invalid procedures such as foot reflexology, numerology, and assessing personality via handwriting analysis also enjoy surprising popularity (Lardner, 1994).

Given this low level of scientific literacy, perhaps it is not surprising that hype often seems to carry more weight than objective facts. Politicians, for example, often say, “We don’t need to do research on the problem; we know what we need to do,” or “I don’t care what the research says, I feel….” Similarly, many consumers buy products that include “secret, ancient remedies” rather than products that have been proven to be effective through open, public, scientific testing. Thus, Americans spend billions of dollars each year on treatments and products that have been shown to be ineffective.

Even when people present us with evidence, their evidence could be weak and should be questioned. Leaders take credit for random or cyclical changes in the economy. Advertisers try to convince us that certain products make professional models attractive. Talk-show hosts periodically parade a few people who claim “success” as a result of some dieting or parenting technique. Advertisers still successfully hawk products using testimonials from a few satisfied users, and political leaders “prove” what our country needs by telling us stories about one or two individuals rather than “boring” us with facts (Kincher, 1992). Unfortunately, research shows that, to the naive, these nonscientific and often misleading techniques are extremely persuasive (Nisbett & Ross, 1980).

Fortunately, after studying psychological research methods, you will know how to question evidence (Lawson, 1999). You will be more skeptical of bad evidence and more able to benefit from good evidence. Consequently, you will be a better-informed citizen and consumer.

**To Increase Your Marketability**

Besides making you a more informed citizen and consumer, knowing about research makes you more employable. In today’s job market, your being hired will probably not depend on what job-relevant information you have memorized. After all, such information is quickly obsolete and is often instantly accessible from a computer database. Instead, you will be hired because you can find, create, and judge information that your company needs. Like most workers in this century, you will probably be a “knowledge engineer,” hired for your ability to evaluate and create information. That is, you will be hired for your analytical abilities rather than your knowledge of facts.

For example, even marketing majors are told that, at least for their first few years, their scientific skills, not their marketing intuition, are what will pave the way to future career success (Edwards, 1990). In other words, if you have the analytical skills that enable you to distinguish between good and bad information, and the ability to turn data into useful information, companies want you. These same analytical skills will, of course, also be helpful if you plan to go to graduate school in business, law, medicine, or psychology.
To Do Your Own Research

To increase your chances of getting into graduate school or getting a good job, you can conduct your own research. Completing a research project shows that you are organized, persistent, and capable of getting things done—and organizations want people who can get things done.

Increasingly, one thing organizations want to have done is research. Some of our former students who went to work for social service agencies have been surprised that they ended up doing research to get government grants or to get more staff.

Many private organizations—from Wal-Mart to museums—do research to find out whether what they are doing works (Ralof, 1998; Rosenzweig, 2007). Other organizations do research to find out whether what they are planning to do will work. For example, movie moguls do research to determine if a movie’s ending is effective—and how to change the ending if it is not.

Beyond the employment angle, you may find that doing research is its own reward. Some students like research because it allows them to do psychology rather than simply read about it. Some enjoy the teamwork aspect of working with professors or other students. Some enjoy the creativity involved in designing a study, seeing it as similar to writing a script for a play. Some like the acting that is involved in conducting certain kinds of studies (some researchers claim that a valuable research skill is the ability to say “oops” convincingly). Some enjoy the challenges of solving the practical problems that go along with completing any project. Others enjoy the excitement of trying to discover the answers to questions about human behavior. They realize that there are so many interesting and important things about human behavior that we don’t know—and that they can find out (Ariely, 2008).

Certainly, many have found the passion for discovery much more exciting than learning terms and definitions. Thus, not surprisingly, such poor-to-average students as John Watson (the father of behaviorism) and Charles Darwin enjoyed exploring the mysteries of human behavior. Once you start trying to answer one of the many unanswered questions about human behavior, we think you will understand what Carl Rogers (1985) meant when he said, “We need to sharpen our vision of what is possible . . . to that most fascinating of all enterprises: the unearthing, the discovery, the pursuit of significant new knowledge” (p. 1).

CONCLUDING REMARKS

Understanding research design will help you distinguish between science, pseudoscience, nonscience, and nonsense: a skill that will help you be a better citizen and consumer. If we lived in a world in which companies, governments, and journalists put the truth and your welfare above their own agendas, you might not need that skill. But we don’t live in such a world. Instead, we live in a world in which ads and best-selling books push diets that don’t work; physicians push newer drugs that are, in some cases, more dangerous but less effective than old ones; government officials lie; and well-known television “experts” are repeatedly wrong. Unfortunately, as William Hazlitt wrote, “Ignorance of the world leaves one at the mercy of its malice” (see Figure 1.5).

Understanding research design will also help you evaluate research articles: a skill that will help you in your professional life. If you become a
counseling psychologist, this skill will help you find the best, most up-to-date diagnostic tests and treatments for your clients (partly for this reason, licensing exams for counseling psychologists include questions about research design). If you become a manager, this skill will help you find the most effective management techniques. Regardless of what career you choose, understanding research design can help you be an effective and reflective professional (see Table 1.2).

Finally, understanding research design will help you get the tools you need to get answers to your own questions. By reading this book, you will learn how to generate research ideas, manipulate and measure variables, collect data that are both objective and valid, choose the right design for your particular research question, treat participants ethically, interpret your results, and communicate your findings. We hope you will use this knowledge to join the most fascinating quest of our time—exploring the human mind.

**FIGURE 1.5** Objective Reality Is Important—Although Sometimes Inconvenient
People can’t always afford the luxury of an anti-scientific attitude.
SUMMARY

1. Psychologists use the scientific approach to unearth observable, objective evidence that either supports or refutes their preconceived notions.

2. Because scientists make their evidence public, they can check each other’s work, as well as build on each other’s work. Because of the public, group-oriented nature of science, scientific progress can be rapid.

3. Because scientists make their evidence public, informed people can make use of new discoveries.

4. Science is both open-minded and skeptical. It is skeptical of any idea that is not supported by objective evidence; it is open-minded about any idea that is supported by objective evidence.

5. One goal of science is to find simple, general rules that will make the world more understandable.

6. One reason psychological research is objective is that psychologists use concrete, operational definitions of abstract concepts.

7. Concrete operational definitions may not accurately reflect the invisible concepts they are intended to capture. Therefore, psychologists question the labels researchers give to measures and manipulations.

8. Psychologists realize that it is difficult to prove that a certain treatment causes an effect. Often, the alleged “proof” is only circumstantial evidence: other factors may be responsible for the change in behavior.

Therefore, psychologists often question cause–effect statements.

9. Psychologists realize that what happens with one group of participants in one setting may not generalize to another type of participant in a different setting. For example, they realize that a study done with a group of students in a lab setting may not apply to a group of people working in a factory. Therefore, psychologists are appropriately cautious about generalizing the results of a study to real-world situations.

10. There is no psychology without science (Stanovich, 2007). Without science, psychology would have fewer facts than it does now and would be little better than palmistry, astrology, graphology, or any other pseudo-science (Stanovich, 2007). More specifically, using the scientific approach in psychology has allowed psychologists to (a) improve common sense, (b) disprove certain superstitions, and (c) make enormous progress in understanding how to help people.

11. Science is the best tool we have for obtaining objective and accurate information about the real world. Furthermore, science is a useful tool for testing the accuracy of common sense and intuition.

12. Scientific research is a logical and proven way to obtain important information about human behavior.

13. The skills you learn in this course can help you in the real world.

TABLE 1.2
Nine Reasons to Understand Psychological Research Methods

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<td>1.</td>
<td>To understand psychology better</td>
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<td>3.</td>
<td>To evaluate research claims</td>
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<td>4.</td>
<td>To protect yourself from quacks and frauds</td>
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<td>5.</td>
<td>To be a better psychologist</td>
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<td>6.</td>
<td>To be a better thinker</td>
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<td>7.</td>
<td>To be scientifically literate and thus a better-educated citizen and consumer</td>
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<td>8.</td>
<td>To improve your marketability in our information age</td>
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<td>9.</td>
<td>To do your own research</td>
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KEY TERMS

operational definitions (p. 7)
replicate (p. 10)

EXERCISES

1. Give one example of a testable statement and one example of an untestable statement. Is your untestable statement untestable because (a) it is vague (possibly because it lacks operational definitions), (b) it is an after-the-fact explanation, or (c) some other reason? State at least one advantage of scientists making testable statements.

2. Give an example of an operational definition of a concept, such as love. How does your operational definition differ from a dictionary definition of that concept? How do operational definitions help psychology to
   a. be objective?
   b. make testable statements?
   c. be public?
   d. be productive?

3. How does the ability of psychologists to replicate each other’s work help psychology to be
   a. skeptical?
   b. open-minded?
   c. productive?

4. Match the following to the qualities of science.
   _____ testable a. allows science to learn from mistakes
   _____ skeptical b. observable, unbiased evidence
   _____ objective c. publishing reports of research does this
   _____ public d. question authority
   _____ productive e. science works

5. Name at least two similarities between a scientist and a detective.

6. Physicists can’t accurately predict certain simple events. For example, physicists have trouble with such questions as, “If you drop a basketball from a table, how many times will it bounce—and what will be the pattern of those bounces?” Which characteristic of science is threatened by physicists’ failure to answer this question? What implications, if any, does this failure have for psychology?

7. Some early psychologists studied and reported on their own thoughts. For example, a person would solve a mathematical problem and then report on everything that went on in his mind during the time that he worked on the problem. What quality of science was missing in these studies?

8. From what you know about astrology, grade it as “pass” or “fail” on the following scientific characteristics:
   a. Makes testable statements
   b. Is productive (knowledge refined, new discoveries made)
   c. Seeks objective, unbiased evidence to determine the accuracy of beliefs

9. According to some, iridology is the “science” of determining people’s health by looking at their eyes. Practitioners tend not to publish research, they don’t try to verify their diagnoses through other means, and different practitioners will diagnose the same patient very differently. What characteristics of science does iridology have? Where does it fall short?

10. Some claim that psychoanalysis is not a science. They attack it by claiming that it lacks certain characteristics of science. Following are three such attacks. For each attack, name the characteristic of science
that psychoanalysis is being accused of failing to achieve.

a. “Psychoanalytic explanations for a person’s behavior often fit with the facts but are generally made after the fact.”

b. “The unconscious is impossible to observe.”

c. “The effectiveness of psychoanalysis does not appear to have improved in the last 20 years.”

WEB RESOURCES

1. Go to the Chapter 1 section of the book’s student website and
   a. View the concept map of the chapter’s key terms.
   b. Test yourself on the key terms.
   c. Take the Chapter 1 Practice Quiz.

d. Do the interactive end-of-chapter exercises.

e. Download the Chapter 1 tutorial.

2. To learn more about how to market the skills you will develop in this course, read “Web Appendix: Marketing Your Research Design Skills.”

3. To learn more about science, read “Web Appendix: Criticisms of Science.”
Validity and Ethics:
Can We Know, Should We Know, and Can We Afford Not to Know?

Questions About Applying Techniques From Older Sciences to Psychology
Internal Validity Questions: Did the Treatment Cause a Change in Behavior?
Construct Validity Questions: Are the Variable Names Accurate?
External Validity Questions: Can the Results Be Generalized?
Ethical Questions: Should the Study Be Conducted?

Concluding Remarks
Summary
Key Terms
Exercises
Web Resources
Science is not physics, biology, or chemistry ... but a moral imperative ... whose purpose is to give perspective, balance, and humility to learning.
—Neil Postman

Science is a long history of learning how not to fool ourselves.
—Richard Feynman

CHAPTER OVERVIEW

When there is a medical emergency, a natural disaster, or some other problem, most of us believe that trained professionals should use their knowledge to try to help. We would be outraged if the emergency medical technician (EMT) at a scene ignored an accident victim’s bleeding or if a clinical psychologist ignored a disaster victim’s sobbing. Similarly, we would be shocked if a biologist had an idea for a cure for cancer but did not pursue it, and we are disgusted when we hear that physicians have not bothered to determine whether the standard treatment for a serious disease is effective.

Should research psychologists, like other professionals, try to use their knowledge to help society and individuals? For example, do psychologists owe it to society to try to solve problems that plague us such as prejudice, depression, and violence—as well as to test the effectiveness of existing approaches to such problems?

Before you answer, realize that attempts to help one person may end up hurting that person—or someone else. The EMT’s or clinical psychologist’s intervention may end up harming an individual who does not need or want treatment. The biologist’s potential cure for cancer may not work—and, even if it does, some people may be hurt—even killed—during the early trials. The physician who tests a standard treatment by administering it to some patients and not to others will probably either harm patients in the treatment group (if the treatment is ineffective or actually harmful) or harm patients in the no-treatment group (if the treatment does work, the researcher has withheld a cure). Similarly, research psychologists who try to help society may end up harming individuals.

As you can see, determining whether it is ethical to do any study involves weighing the study’s potential for good—its ability to provide a valid answer to an important question—against its potential for harm. Weighing a study’s potential benefits and potential risks is especially
difficult when studying living beings for at least two reasons. First, as part of evaluating the benefits, psychological researchers must not only ask whether the research question is important but also must ask whether the study will provide a valid answer to that question. Second, evaluating the risks involves trying to predict the reactions of varied, variable, valuable, and volatile individuals.

In this chapter, you will learn how researchers determine whether a valid study can and should be done. As we show you some obstacles to getting valid data as well as some ways to overcome those obstacles, you will begin to learn how to evaluate other people’s research as well as how to design your own research. After we discuss how to maximize a study’s chances of producing valid data, we will show you how to minimize the study’s risks to participants. Thus, by the end of the chapter, you will know some basic principles that will help you propose ethical research: research that maximizes potential benefits and minimizes potential risks.

QUESTIONS ABOUT APPLYING TECHNIQUES FROM OLDER SCIENCES TO PSYCHOLOGY

To design ethical and valid studies, psychologists use the same tool other sciences use—the scientific method. However, because psychologists study human and animal behavior rather than the behavior of objects, plants, or microbes, psychologists face unique scientific and moral obstacles. To appreciate how sensitive psychologists are to the unique scientific challenges and ethical obligations involved in studying the behavior of living things, let’s see how a psychologist would react if someone ignored those additional challenges and responsibilities. For instance, suppose that a novice investigator tried to model his psychological research after the following chemistry experiment:

A chemist fills two test tubes with hydrogen and oxygen molecules. She leaves the first test tube alone. She heats the second over a flame. She observes that water forms only in the second test tube. She then comes to three conclusions. First, because there was only one difference between the two test tubes (the flame), she concludes that the flame caused the group of molecules in the second test tube to behave differently from the molecules in the first tube. Second, because she knows the flame was a pure manipulation of heat and because she knows that the water’s presence is a valid indicator that there was a reaction, she concludes that heat causes hydrogen and oxygen to react. Third, because she knows that oxygen molecules are all alike, hydrogen molecules are all alike, and that molecules do not change over time, she concludes that heat always causes hydrogen and oxygen to combine.

The novice investigator then conducts the following study:

A novice investigator fills two rooms with people. He leaves the group in the first room alone. He heats up the second room. He “observes” that the second group
behaves more aggressively than the first. He then concludes that “feeling hot” always makes people more “aggressive.”

Because of the vast differences between humans and molecules, an experienced research psychologist would have four sets of questions about the novice investigator’s study. The first three sets (summarized in Table 2.1) deal with the validity of the novice investigator’s conclusions. First, did the treatment manipulation really cause one group to behave differently from the other? Second, did the investigator really manipulate and measure the two psychological variables (feeling hot and being aggressive) that he claimed he did? Third, would

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<th>Types of validity</th>
<th>Major sources of problems</th>
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<td><strong>Internal:</strong></td>
<td>Determining cause–effect relationship between manipulation and behavior in a given study; establishing that a certain observable event caused (was responsible for, influenced) a change in behavior.</td>
<td>Allowing factors other than the manipulation to vary. For example, if the treatment and the no-treatment group differ before the study begins, we can’t conclusively establish that the treatment caused the difference in the groups’ behavior.</td>
<td>Failing to ask, “Is there something other than the treatment that could cause the difference in behavior?”—the “Would it (the difference) have happened anyway?” question.</td>
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<td><strong>Construct:</strong></td>
<td>Accurately naming our measures and manipulations; making accurate inferences about both (a) what our participants’ behaviors mean and (b) what psychological states our manipulations produce.</td>
<td>Faulty measures, resulting in mislabeling or misinterpreting behavior. Poor manipulations can also harm construct validity, as can participants figuring out and playing along with (or against) the hypothesis.</td>
<td>Accepting at face value that a test measures what its title claims it does. Anybody can type up some questions and call it an intelligence test—but that doesn’t mean the test really measures intelligence.</td>
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<td><strong>External:</strong></td>
<td>Generalizing the study’s results outside the study to other situations and participants.</td>
<td>Artificial situations, testing an unusual group of participants, and a small number of participants.</td>
<td>Believing that any survey, regardless of how small or biased, has external validity.</td>
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the results generalize to other settings and participants? The fourth set of concerns is the most serious: Was it ethical to perform the study?

**Internal Validity Questions: Did the Treatment Cause a Change in Behavior?**

The first set of questions deals with the study’s internal validity: the degree to which the study demonstrates that the treatment caused a change in behavior. If the study establishes that putting the participants into different rooms caused the one group to behave differently from the other group, the study has internal validity. To establish that the different rooms caused the groups to behave differently, the study must (a) show that behavior was different in the hot room than in the other room and (b) rule out the possibility that something other than the treatment caused that difference.

For the chemist, establishing internal validity (cause–effect) is simple: If the flame condition yields water and the no-flame condition does not, the chemist knows that the flame manipulation caused the water to form. No other differences between the test tubes could have caused water to form in one tube but not the other.

Because all oxygen molecules are alike in terms of basic physical properties, the chemist does not have to worry that the oxygen molecules in the tube she heated were naturally more likely to combine with hydrogen than were the molecules in the other tube. Because oxygen molecules are stable in terms of their physical properties, the chemist does not have to worry that she put the flame to the oxygen molecules at a time of day when the molecules were in the mood to combine. Because the oxygen molecules can be isolated from other events by putting them in a test tube, she does not have to worry that something in the environment other than the heat—a noise, another chemical, or some other event—was responsible for the oxygen combining with hydrogen. In short, isolating the cause of a difference in molecular behavior is easy.

Isolating the cause of a difference in human behavior, on the other hand, is not easy. If we do not manipulate the treatment, what we think is an action that caused an effect may actually be a reaction to the cause. Thus, some people may have cause and effect reversed when they conclude that diet drinks make one fat, antidepressants cause depression, or that a company’s change in strategy is the cause—rather than a consequence—of its decline. Similarly, if the novice had merely seen that people who were fighting were hotter and sweatier than people who were not fighting, it could be that fighting made them feel warm rather than that feeling warm made them fight.

Because the novice manipulated the treatment, he knows that he—not the fighting—made the hot room hot. Thus, he will not mistakenly reverse cause and effect: If there is more fighting in the hot room, he will never think that the fighting caused the hot room to be hot.

But does more fighting in the hot room mean that the hot room caused the fighting? No—if there is more fighting in the hot room group, the increased fighting may be due to at least three reasons having nothing to do with the treatment manipulation:

1. The people assigned to the hot room group were naturally more hot-headed and aggressive than the people assigned to the other room.
   Because the novice could not clone two groups that had identical
personalities, the novice cannot eliminate the possibility that personality differences between the groups account for the difference in their behavior.

2. Even if the people in the two groups had the same natural level of aggressiveness, the people in the hot group may have been tested at a time when they would be more likely to be in an aggressive mood than the people in the other group. For example, if the normal room group had been tested in the morning and the hot room group was tested at night, we would be concerned because (a) people tested at night may have had additional experiences, such as hearing the nightly news, watching a violent show, having a frustrating day at work, or having some after-work drinks, that the group tested in the morning did not have, and (b) crime statistics suggest that people are more aggressive at night.

To rule out time of day effects, the novice wanted to make sure that just as many hot room as normal room sessions were held at each time of day. One way he could have guaranteed that equality would be to alternate between running hot room sessions and running normal room sessions (see table below). For example, during the first week, on Mondays and Wednesdays, hot room participants would be tested in the morning (and the normal room participants are tested in the afternoon) and on Tuesdays and Thursdays, hot room participants would be tested in the afternoon (and the normal room participants are tested in the afternoon). In the second week, the novice could reverse the first week’s schedule to control for the possibility that some particular day and time combination (e.g., Thursday evening) was a particularly aggressive time. This strategy of systematically balancing out a factor is called counterbalancing.

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<td>9:00 a.m.</td>
<td>Hot</td>
</tr>
<tr>
<td>9:00 p.m.</td>
<td>Normal</td>
</tr>
</tbody>
</table>

Rather than systematically varying time of day, the novice chose to keep time of day constant. Probably the only practical way to keep time of day constant would be to hold all testing sessions at the same time of day (e.g., 9:00 a.m.).

3. Even if the two groups entered the lab with the same personalities and in the same mood, an outside event that would foul participants’ moods could have occurred right before or during the hot group’s testing session. Outside events that could make people act more aggressively and could penetrate the lab include the voices of people cursing in the hallway; the noises from jackhammers, lawnmowers, and alarms; and the rumbles, light flashes, air pressure changes, and negative ions of a thunderstorm.
The novice tried to prevent events occurring outside the lab from contaminating the study, but keeping everything constant was not possible. If the novice’s lab was soundproof, he would have been able to block out noises from the hallway, but he would not be able to block out all outside influences. A storm, for example, could cause the lights to flicker, the building to shake, the air pressure to drop, the humidity to rise, and the concentration of negative ions to soar. Furthermore, even if he could stop all these outside events from penetrating the lab, they would still affect his participants: The participants who run through a thunderstorm to get to the lab would arrive in a different mood (and in wetter clothes) than those who strolled in on a nice, sunny afternoon.

To review, manipulating the treatment was not enough to give the novice’s study internal validity. To establish internal validity, the novice investigator would have had to show not only that the treatment group behaved differently than the no-treatment group but also that the treatment manipulation—rather than something else—was responsible for the difference in behavior. The novice tried two techniques to eliminate the “something else” variables, but both failed. He tried controlling variables—holding nontreatment variables constant—but found that keeping everything the same wasn’t always possible: No two groups of participants will be identical; no two testing situations will be identical. He also tried isolating participants from nontreatment variables but failed (perhaps because he couldn’t put people in test tubes or vacuums).

Given that the novice could not test identical groups of participants under identical situations, what should the novice have done to establish internal validity? The experienced investigator’s answer may surprise you: The novice should have used some random (chance) process to assign participants to either the hot room or the normal room. In this case, random assignment would be similar to flipping a coin: “heads,” the participant is assigned to the hot room; “tails,” the participant is assigned to the normal room.

Note that the coin is not systematically biased toward or against any group. For example, it will not have a much greater tendency to come up “heads” for violent individuals than for nonviolent individuals. Instead, if the coin does put a greater number of violent individuals in the hot room group than it puts in the normal room group, it does so only by chance.

Although chance may not make the groups equal, chance will tend to make the groups more or less equal. If given enough chances, chance will almost balance things out; as a result, almost as many violent people will be in the hot group as in the normal room group.

You know that chance tends to balance out: If you flipped a fair coin 100 times, you would get approximately 50 heads and approximately 50 tails. Similarly, if, among your participants, you had 100 who were naturally violent, as you flipped the coin for each of those 100 violent participants, you would get about 50 heads and about 50 tails. Thus, if you assigned “heads” participants to the hot room group and “tails” to the normal room group, you would have about as many violent individuals in the hot room group as you did in the normal room group. Note that for random assignment to work, you don’t have to know which of your participants are violent and which are nonviolent: After all, the coin is doing the work, and it doesn’t know.
Note also that what the coin is doing for violent individuals (roughly balancing them between the groups), it is doing for every personal characteristic. For example, if you had 120 women and 80 men, the coin would come up heads approximately 60 times during the 120 flips involving women and come up heads approximately 40 times during the 80 flips involving men. Consequently, you would end up with almost the same number of women (60) in each group and the same number of men (40) in each group. Even participant characteristics that you don’t know about (e.g., whether they have obnoxious little brothers) are being distributed more or less equally between groups.

Chance will tend to distribute the differences more equally when given more chances but less equally when given fewer chances. Thus, if you assigned each individual to group by flipping a coin and you had many participants, chance would do a good job of making your groups equivalent. Conversely, if you had few participants, chance will often do a poor job of balancing the effects of individual differences between groups. Indeed, with too few participants, chance has no chance. For example, if you had four people in your study and only one of those was violent, flipping a coin could not give you equal groups. Even if you had eight participants, four of whom were violent, flipping a coin might result in all four violent individuals ending up in the hot room group. Why? Because, in the short run, chance can easily be fickle. For example, it is not unusual to get four “heads” in a row.

Even with large samples, random assignment (like any other method) will fail to give you two equal groups. Instead, the groups will be more or less equal. Fortunately, you can use statistics to find out how much “more or less” should be.

To illustrate that you can use statistics to determine the degree to which chance might fail to balance out, imagine you do the following study (similar to the one done by Batson, Kobrynowicz, Dinnerstein, Kampf, & Wilson, 1997). You have 100 individuals in Condition 1 and 100 in Condition 2. You tell the people in Condition 1 to flip a coin and to tell you the outcome because if it comes up “heads,” you will give them a raffle ticket; you tell the people in Condition 2 to flip the coin and tell you the outcome, but you do not tell them that they will win anything. Suppose we obtained the following results: Condition 1 gets—according to their reports—heads 90 times out of 100 flips, and Condition 2 reports heads 50 times out of 100 flips. We can use statistics to determine that this difference is almost certainly not due to chance. Therefore, we would conclude that this difference was due to the incentive changing the behavior of Condition 1 participants.

We can apply statistics to more than coin reporting behavior—we can apply statistics to any behavior. As a result, we can use statistics to estimate how much two randomly assigned groups should differ by chance alone, and, if the groups differ by more than that amount, we can be confident that some variable we did not randomize—ideally, the treatment—is at least partly responsible for the difference in how the two groups behave.

Notice that, if you were to redo the novice’s study, random assignment could randomize and balance out and account for not only individual differences between groups but also differences between testing sessions. To illustrate how random assignment deals with differences in the times of testing
sessions, suppose the novice had been conducting the study at the following times:

<table>
<thead>
<tr>
<th></th>
<th>Week 1</th>
<th>Week 2</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Monday</td>
<td>Tuesday</td>
</tr>
<tr>
<td>9:00 a.m.</td>
<td></td>
<td></td>
</tr>
<tr>
<td>9:00 p.m.</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

If the novice randomly assigned each group to either the hot or cold room, chances are that we would somewhat balance out the time of testing. It would be rare for all the hot room groups to be tested in the morning or for all of them to be tested at night. Instead, it would be much more likely that about half of the hot room groups would be tested in the morning and about half would be tested in the evening. Admittedly, because random assignment would probably not balance out time of day effects perfectly; the groups could still differ by chance. However, as we discussed earlier, statistics can be used to factor out the effects of chance. Furthermore, notice that, in this case, the effects of chance does not just refer to chance differences in the time of day of the testing sessions, but to all chance differences between the testing sessions—even those caused by weather changes.

If the novice had randomly assigned participants to condition, the novice would have been able to rule out not only the effects of random, outside events but also of almost all nontreatment factors. In that case, the novice would have conducted an experiment: a particular type of study that allows researchers to make cause–effect statements because it manipulates a treatment and rules out—usually through random assignment—the effects of nontreatment factors. Unfortunately, the novice’s study, like most studies, was not an experiment—and because his study was not an experiment, it did not have internal validity.

In short, establishing internal validity is difficult without using an experiment to set up the special conditions that allow a treatment’s effect to be isolated—and most studies are not experiments (Stanovich, 2007). Consequently, the experienced investigator is skeptical whenever people claim to establish that a treatment causes, increases, decreases, affects, influences, impacts, produces, brings about, triggers, or makes a change in a behavior (Stanovich, 2007).

**Construct Validity Questions: Are the Variable Names Accurate?**

As we have seen, the novice investigator naively assumed that the room manipulation caused the two groups of participants to behave differently. That is, he went from (a) observing that the participants in the room where he turned up the thermostat behaved differently from those in the other room to (b) inferring that “turning up the thermostat caused the two groups to behave differently.” However, that was not the only questionable inference he made.

The novice investigator also went from (a) observing that the participants in the room where he turned up the thermostat behaved differently from
those in the other room to (b) inferring that “participants who felt hot were more aggressive.” In making the leap from observable events to talking about the world inside participants’ heads, the novice investigator presumed that his manipulation made hot room participants feel hot and that he accurately measured aggression. In other words, the novice investigator assumed that he accurately manipulated and measured psychological constructs: characteristics of individuals that can’t be directly observed, such as mental states (e.g., love, hunger, feeling hot), traits (e.g., agreeableness), abilities (e.g., intelligence), and intentions (e.g., aggression: the intent to harm another).

The novice investigator might wonder why others are challenging the names he gave his variables given that most scientists go beyond talking about the procedures they use. After all, a chemist’s conclusions deal not with the actions the chemist performed but with the underlying variables that the chemist manipulated. For example, the chemist’s conclusions would deal not with the effects of the chemist putting a test tube over a lit Bunsen burner but rather with the effects of the underlying variable—heat.

The experienced researcher would agree that the chemist, like any scientist, makes inferences. However, the experienced researcher would point out that it is not much of a leap to go from seeing a chemist put a test tube over a lit Bunsen burner to saying that the chemist is manipulating the heat of molecules in that test tube. The flame definitely heated the molecules, and it is unlikely that the burner has any other effects: The molecules do not notice the flame’s color, do not hear the gas coming into the burner, and do not smell the gas. People, on the other hand, may make changes that defeat your manipulation’s intended effect (e.g., they may remove their sweaters so they do not feel hot), and they may notice some of your manipulation’s unintended effects (e.g., the noise or the odor coming from the heater may annoy people). Thus, manipulating the temperature of molecules is simpler than the “mind control” involved in manipulating how people feel. Likewise, measuring the amount of water produced by a reaction is simpler than the “mind reading” needed to measure aggression.

If you are not careful, going from objective, observable, physical events to inferring invisible, subjective, psychological constructs may involve jumping to conclusions (see Figure 2.1). For instance, some people are quick to infer

![Figure 2.1 The Problem With Constructs](cathy.jpg)

Because constructs can’t be observed, knowing what participants do is not the same as knowing what they are thinking.
that a person who works slowly is unintelligent when the truth may be that the individual is cautious, ill, lazy, or unfamiliar with the task.

Psychologists are extremely cautious about inferring private mental states from publicly observable behavior. Therefore, the research psychologist would question the temperature study’s construct validity: the degree to which the study measures and manipulates the underlying psychological elements that the researcher claims to be measuring and manipulating (see Figure 2.2). In this case, the research psychologist would look for at least three potential cracks in the study’s construct validity:

1. The manipulation was poor, so the construct “feeling hot” was not manipulated adequately.
2. The measure was poor, so the construct “aggression” was not measured accurately.
3. Participants figured out what the hypothesis was and played along, so the high scores on the aggression measure were due to lying or acting rather than to feeling aggressive.

**Construct Validity Problems Caused by the Manipulation: What Does the Treatment Really Manipulate?**

The experienced researcher might start questioning the construct validity of the novice investigator’s study by questioning the temperature manipulation’s construct validity. She would ask herself, “Is it right to call this ‘raising-the-thermostat’ manipulation a ‘feeling-hot’ manipulation?”
To begin answering that question, she would ask two other questions. First, “Did the manipulation make the hot group really feel hot?” Second, “Did the manipulation have any effect besides making the hot group feel hot?”

The answer to the first question is not as simple as you might think. You can’t directly get inside participants’ minds to change how they feel. Instead, the only possible way for any researcher to manipulate participants’ mental states is indirectly—by changing the physical environment and then hoping (a) that participants don’t make changes that defeat the researcher’s change and (b) that participants interpret the change the way the researcher expects. Unfortunately, participants may react to the manipulation differently from the way the researcher intended. Thus, putting one group of participants in a room that is, at the physical level, 10 degrees hotter than another is not the same as making one group, at the psychological level, feel hot. For example, participants may take off jackets and sweaters to cool off, they may find the room’s temperature “comfortable,” or they might not even notice the difference in temperature.

If the researcher decides that the manipulation does indeed make participants feel hot, she still has to answer the question, “Did the manipulation do anything besides make the hot group feel hotter than the other group?” Usually, manipulations are not so pure that their only effect is to change the one thing you intended to change. Instead, manipulations often contain extra ingredients or produce unwanted psychological reactions.

The research psychologist would start her search for the manipulation’s extra ingredients by asking, “What did turning up the thermostat do to the participants’ environment besides make the room hotter?” She may find that turning up the thermostat also made the room noisier (because the heater was noisy) and decreased the room’s air quality (because the heater’s filter was dirty). If turning up the thermostat is a temperature manipulation, a noise manipulation, and an air-quality manipulation, how can the novice investigator justify labeling it as a “warmth” manipulation? It would be more accurate to call it a “temperature, noise, and air-quality” manipulation.

Even if the manipulation is pure at the physical level, it may not be pure at the psychological level. The novice investigator may have made the participants feel frustrated about being unable to open the windows to cool off the room, or he may have made participants feel angry with him for putting them in such an uncomfortable room. Therefore, in addition to being a manipulation of feeling hot, the treatment may have had the additional side effect of making people frustrated or angry. So, how can the novice investigator justify calling the room manipulation a warmth manipulation when it may actually be a frustration manipulation or an anger manipulation?

As you have seen, it is difficult to manipulate variables. Even seemingly straightforward manipulations may not be what they seem. For example, suppose that an “aspirin” manipulation involves giving aspirins to one group, but not to the other. On the surface, the “aspirin” label would seem to describe the manipulation accurately. However, many aspirin tablets also contain caffeine. Therefore, rather than being a pure manipulation of aspirin, the manipulation may be an “aspirin and caffeine” manipulation. Even using pure aspirin doesn’t guarantee a pure manipulation: If getting the aspirin makes participants expect to feel better the manipulation is an “aspirin and positive expectations” manipulation.
In conclusion, you should always question the name that a researcher decides to attach to a manipulation. Because of the difficulties of manipulating what one wants to manipulate, the novice investigator should not expect skeptical scientists to take it on faith that he is manipulating the invisible mental state that he claims to be manipulating.

**Construct Validity Problems Caused by the Measure: What Does the Measure Really Measure?**

Even if the manipulation of “feeling hot” is valid, the measure of aggression may not be. Psychological constructs such as aggression are abstract, invisible, and therefore impossible to measure directly. Because we cannot see directly into participants’ minds, the best we can do is to set up situations in which what they are thinking will be reflected in their behavior. Unfortunately, participants’ behaviors may be mislabeled. For example, the novice investigator may have misinterpreted “kidding around” and attention-getting behaviors as aggression. Or, the novice investigator may have misinterpreted physiological reactions to being hot (sweating, flushed face) as signs of nonverbal aggression. Or, the novice investigator may have labeled assertive behavior as aggressive. Or, scores on the novice investigator’s multiple-choice test of aggression may not have any relationship to aggression. In short, it is reckless to assume that a measure will perfectly capture the construct that the researcher is trying to measure.

**Construct Validity Problems Caused by Participants: Is Their Behavior Genuine or an Act?**

Even if the novice investigator had used a good manipulation and a good measure, the results may be misleading because participants who know they are in a research study may mask their true feelings. Some participants, rather than reacting to the manipulation, may be acting to “help” the researcher “prove” the hypothesis. In the novice investigator’s study, hot room participants who realize that they have been (a) deliberately placed in an abnormally hot room and then (b) given an opportunity to express aggression will probably figure out that (c) the investigator wants them to behave—or at least act—aggressively. If they like the investigator, they will probably play along.

**Review: Comparing Internal Validity and Construct Validity**

In conclusion, our novice investigator wants both internal and construct validity. If he can show both internal and construct validity, he can conclude that feeling hot causes aggression.

If his study had internal validity, but not construct validity, he couldn’t legitimately make statements about constructs such as aggression. Therefore, the only thing he could safely conclude would be that something about his manipulation caused a change in participants’ behavior. For example, he might be limited to concluding, “Turning up the thermostat caused a difference in how participants filled in circles on a multiple-choice answer sheet.”

If, on the other hand, his study had construct validity, but not internal validity, he couldn’t legitimately make cause–effect statements. He could conclude that, “the group that felt hot was more aggressive,” but he would not know why that group was more aggressive: He could not conclude that warmth caused aggression.
External Validity Questions: Can the Results Be Generalized?

Even if the novice investigator actually manipulated feeling hot and accurately measured aggression (construct validity) and established that differences between the two groups in this particular study were caused by the room manipulation (internal validity), the experienced researcher would still question the study’s external validity: the degree to which the results could be generalized to different participants, settings, and times (see Figure 2.3). There are at least two reasons to question the aggression study’s external validity.

Can the Results Be Generalized to Other Participants?

First, because people differ, a result that occurs with one group of people might not occur with a different group of people (see Figure 2.4). The novice investigator might have obtained different results had he studied Russian sixth graders instead of Midwestern college students; if he had studied people used to working in very hot conditions; or if he had studied less aggressive individuals. To maximize external validity, the novice investigator could have tested a large, random sample of participants.

Can the Results Be Generalized to Other Settings?

Second, because people’s behavior may change depending on the situation, the results might not hold in another setting. For instance, suppose the novice investigator used a sterile laboratory setting to eliminate the effects of non-treatment factors. By isolating the treatment factor, the novice investigator may have succeeded in establishing internal validity. However, results obtained under such controlled situations may not generalize to more complex situations, such as the workplace or the home, where other factors, such as frustration and pressure, come into play. Therefore, some researchers would advocate that the novice’s study be modified to increase its ecological validity (also called mundane realism): the look and feel of the naturalistic, real-life situation under study. For example, some might urge the study be repeated in a real-world location (e.g., the dorms), that the lab be made to

FIGURE 2.3 External Validity
look more like the family room of a house, or that participants be made to do an everyday activity, such as watching television.

**External Validity Questions: A Summary**

In short, even if temperature did increase aggression in this particular lab, with this particular group of participants, at this particular time, the experienced researcher would not automatically assume that temperature would have the same effect in future studies conducted with different participants in different settings. Therefore, to maximize external validity, the experienced researcher might repeat the study using different types of participants and different situations.

**Ethical Questions: Should the Study Be Conducted?**

Before repeating the study—indeed, before performing it in the first place—the investigator would have to determine whether conducting the study was ethical: consistent with the American Psychological Association’s principles of right and wrong. If the study could not be conducted ethically, it should not be done (see Figure 2.5).

The idea that some studies should not be conducted is a relatively new one. The first obvious example of such studies came to light after World War II, when some German physicians and administrators were sentenced for “murder, torture, and other atrocities committed in the name of science.” Defendants claimed that their experiments were not that different from what U.S. scientists were doing. As part of the verdict, 10 principles of “Permissible Medical Experiments” were produced to (a) prevent scientists from ever again being forced by a government to do such unethical things in the name of science and (b) to illustrate that what the German physicians had done was outside the bounds of acceptable medical research. These 10 principles, which are now called “The Nuremberg Code,” are—in weakened form—part of...
most research ethics codes. Specifically, the code called for the three principles we focus on in this chapter:

1. Maximize benefits: The research must have some potential benefits to society, and these benefits should be maximized by having a valid study.
2. Minimize harm: Do not do a study where there are serious risks to the participants. Do what you can to reduce the chances of any harm, including giving participants
   A. Informed consent: Participants should be volunteers, know what the study involves and what risks the study might involve.
   B. The right to withdraw without penalty: The participant should be able to quit the study at any time.
3. Weigh risks and benefits: If risks outweigh benefits, do not do the study.

In deciding whether the study was ethical, the researcher would not rely on the Nuremberg Code. Instead, the researcher would consult the American Psychological Association’s Ethical Principles of Psychologists and Code of Conduct (American Psychological Association [APA], 2002), often referred to as the Principles. A copy of the ethical guidelines from the Principles relating to research is included in Appendix D. In addition to the Principles, the researcher might also consult the American Psychological Association’s Ethical Principles in the Conduct of Research With Human Participants (APA, 1982). By consulting both sources, the researcher should be able to make an informed decision about whether the participants’ rights had been protected and whether the novice investigator had lived up to his responsibilities.
Has Potential Harm Been Minimized?

As the Principles point out, participants have the right to informed consent: to understand what will happen in the study and then agree to participate. Thus, according to the Principles, the novice investigator should have told participants that the study would involve sitting in a room that might be hot with a group of people for 30 minutes while filling out a questionnaire about their feelings toward the other participants. Knowing what the study was about, participants should have freely volunteered to be in the study and signed an informed consent form. That consent form, in addition to describing what the study was about and what the participant would do, should

1. explain the potential benefits of the research
2. explain any risks to the participant
3. describe what the researcher will do to protect the participant’s privacy
4. explain that participation is voluntary
5. describe any compensation the participant will receive
6. explain that the participant will receive that compensation even if the participant withdraws from the study
7. make it clear to participants that they can quit the study at any point

(To learn more about informed consent and to see a sample consent form, see Appendix D.)

In addition to having the right to refuse to be in the study, participants have the right to confidentiality. Therefore, the novice investigator should have taken extensive precautions to ensure that no one other than the investigator found out how each participant behaved during the study. Common precautions include (a) using code numbers (e.g., “Participant 1’s response”)—rather than participants’ actual names—when recording participants’ responses, (b) storing data in a locked file cabinet, (c) password-protecting any data files stored on a computer, and (d) signing a pledge to keep all information about participants confidential.

The Principles not only address participant rights but also stress investigator responsibilities (see Table 2.2). According to the Principles, the investigator’s responsibilities begin well before the study begins. As part of the planning phase, the investigator should try to anticipate all possible risks to participants and then protect participants from these risks. In this study, the investigator should consult with physicians to be sure that the temperature was not too hot and to identify types of people who should not participate because they might have a bad physiological reaction to the heat. In addition, the investigator would have to determine how to ensure that the aggression induced by the heat would not get out of hand, leading to someone being harmed either physically or psychologically.

While the study is being conducted, the investigator is responsible for behaving in an ethical manner. Furthermore, under some circumstances, the investigator may also be responsible for ensuring that others behave ethically. For example, if the people working with or for the novice investigator on the aggression study had behaved unethically, the novice investigator would have been responsible for their behavior even if he was unaware of what the others were doing.

After each participant has finished taking part in the study, the investigator should debrief participants: explain the purpose of the study, answer any
questions, address any concerns, and undo any harm that the participant may have experienced. During debriefing, the investigator should actively look for signs of harm because (a) some events that do not bother most people may be traumatic to some participants and (b) some participants may be reluctant to tell the investigator about that harm. If harm is detected, the researcher should try to undo it.

Fortunately, most studies do not harm participants. Thus, the main function of debriefing is usually to explain the study to participants. Educating participants about the study is the least an investigator can do to give something back to those who volunteered to be in the study.

Unfortunately, you can’t determine that the novice investigator’s study was ethical merely by observing that the novice investigator followed a few simple guidelines. Instead, as the introduction to Ethical Principles in the Conduct of Research With Human Participants (APA, 1982) states, “the decision to undertake research rests upon a considered judgment by the individual psychologist about how to best contribute to psychological science and human welfare” [italics added].

This statement has two important implications. First, it means that even if the novice investigator fulfilled all his responsibilities to the participants, the study might still be unethical if the study was unlikely to contribute to psychological science and human welfare. Second, it means that even if the novice investigator violated certain participant rights (such as not telling

### Table 2.2
Selected Ethical Guidelines for Studies Involving Human Participants

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<table>
<thead>
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</thead>
<tbody>
<tr>
<td>1.</td>
<td>Participants should volunteer to be in the study. They need to feel that they can refuse to be in the study. Consequently, bribing people by offering excessive rewards (including awarding extra credit points that a student could not earn by doing an alternative activity) for participation is forbidden.</td>
</tr>
<tr>
<td>2.</td>
<td>Participants should have a general idea of what will happen to them if they choose to be in the study. In addition, they should be well-informed about anything that they might perceive as unpleasant. That is, they should know about anything that might cause them to decide not to participate. For example, they should be told about the number and length of sessions, and about any foreseeable risks.</td>
</tr>
<tr>
<td>3.</td>
<td>Participants should be told that they can quit the study at any point and they should be encouraged to quit the study if, at any point, they find the study upsetting.</td>
</tr>
<tr>
<td>4.</td>
<td>Investigators should keep each individual participant’s responses confidential.</td>
</tr>
<tr>
<td>5.</td>
<td>Investigators should make sure all people working for them behave ethically.</td>
</tr>
<tr>
<td>6.</td>
<td>Investigators should try to anticipate all possible risks to participants and take steps to prevent these potential problems from occurring.</td>
</tr>
<tr>
<td>7.</td>
<td>At the end of the study, investigators should probe participants for signs of harm and take steps to undo any harm detected.</td>
</tr>
<tr>
<td>8.</td>
<td>At the end of the study, investigators should explain the purpose of the study and answer any questions participants may have.</td>
</tr>
<tr>
<td>9.</td>
<td>Researchers should get approval from appropriate committees (probably your school’s Institutional Review Board [IRB]).</td>
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</tbody>
</table>
participants what the study is trying to find out), the study might still be ethical if the expected benefits of the study would compensate for those violations. Consequently, an important step in determining whether a study is ethical is determining the likelihood that the study will benefit humanity.

**Have Potential Benefits Been Maximized?**

The experienced researcher would begin to determine the likelihood that the study would benefit humanity by determining the importance of the research question. Unfortunately, determining the value of the research question is highly subjective. One person may find the idea very important, whereas another may find it unimportant. In the aggression study, the novice investigator may believe that determining the relationship between temperature and aggression is extremely valuable, arguing that it might lead to ways of preventing riots. Others, however, may disagree.

To further complicate the problem of assessing the potential value of a piece of research, no one knows what the researcher will discover. A study that looks promising may discover nothing. On the other hand, many scientific studies designed to answer one question have ended up answering a very important but unrelated question (Burke, 1978; Coile & Miller, 1984). For example, Pavlov set out to discover the role of saliva in digestion, yet ended up discovering classical conditioning. Because it is so hard to judge the value of a research question, the researcher would probably acknowledge that the novice investigator’s research question has some merit.

As you have seen, judging the importance of a research question is difficult. Therefore, to estimate the potential value of the novice investigator’s study, the research psychologist would put less emphasis on her subjective impression of the importance of the research question and put more emphasis on the more objective judgment of how well the study would answer the research question. That is, she would ask, “Is the study likely to provide valid data?”

By “valid data,” the experienced researcher would not necessarily mean that the study must have all three types of validity (i.e., construct, internal, and external). Indeed, few studies even attempt to have all three validities. Rather, her focus would be on determining whether the study has the validity or validities necessary to answer the research question. To illustrate that different research goals require different validities, let’s look at three examples.

First, suppose that an investigator wants to describe what most people do on a first date. In that case, the investigator is not interested in the causes of behavior and therefore would not strive for internal validity. However, because the investigator is interested in generalizing the results to most people, the investigator would strive for external validity.

Second, suppose that a researcher is trying to develop a test of social intelligence. If the researcher’s only goal is to show that the test accurately measures the construct of social intelligence, the researcher needs only construct validity.

Third, suppose that an investigator is trying to explain or control a behavior, such as smoking. In that case, the investigator needs to understand the causes of a behavior and therefore would need internal validity.

After the research psychologist evaluated the extent to which (a) the research question was important and (b) the study would provide a valid answer to that question, the research psychologist would be able to estimate the study’s potential benefits. Then, the research psychologist would probably
suggest changes that would either maximize the study’s potential for benefit-
ing humankind or minimize the study’s potential for harming participants. If, after those changes were made, the researcher was satisfied that (a) the research’s benefits outweighed the risks and (b) the planned precautions would minimize risks, the researcher would encourage the novice to submit a research proposal to an ethics committee.

**Has Permission to Conduct the Research Been Obtained?**

Note that even if the researcher believed that the proposed study’s risks were minimal, had been minimized, and were outweighed by its potential benefits, the researcher would not grant the novice investigator permission to conduct the study. Indeed, even if the researcher wanted to conduct the study herself, she would not just go out and do it. Instead, she—like most researchers—would consult with others before doing the research.

Consulting with others is vital for at least two reasons. First, when weighing the benefits of one’s own research against the costs to participants, it is hard to be fair and impartial. As you can see from Box 2.1, the strategy of trusting individual scientists to follow the Nuremberg Code did not always work. Second, consulting with others may lead to insights about how to protect participants from harm.

Because consulting with others is so important, some researchers will not do a research study until their department’s ethics committee has approved the study. At most schools, before conducting a study with human participants, researchers must obtain permission from the school’s institutional review board (IRB): a committee of at least five members—one of whom must be a nonscientist—that reviews proposed research and monitors approved research in an effort to protect research participants. As you can see from Figure 2.6, the IRB, when deciding whether to approve research, weighs the potential benefits of the research against the potential risks to participants. In addition to assessing the risks and benefits of the research, the IRB might require additional steps to protect the participants. These steps might include having the investigator

1. make the informed consent form more specific and easier to understand
2. exclude individuals whose ability to give informed consent could be questioned, such as people under 18 or people with mental disabilities
3. exclude individuals who may be more at risk for negative reactions to the treatment, such as pregnant women
4. eliminate rewards for participation (e.g., extra credit) that might make participants feel obligated to be in the study
5. use alternative procedures that would involve less distress or deception
6. produce a detailed plan for dealing with participants who are upset or harmed by the study
7. take additional steps to protect the participants’ privacy

If your school has an IRB, it is a violation of federal law to do research without first submitting that research to the IRB. In any event, a novice investigator should always get approval from a higher authority before conducting a study. **Never conduct a study without first obtaining approval from your professor!**
BOX 2.1 Some Ethically Questionable Studies Conducted in the U.S.

- 1932–1973: The Tuskegee Study of Untreated Syphilis in the Negro Male (Centers for Disease Control and Prevention, n.d.) studied 399 African American sharecroppers with syphilis to test whether no treatment was better than the dangerous and ineffective treatments of the day. The study also aimed to discover what the most effective treatment was for each stage of syphilis. Participants were told that they had “bad blood,” rather than their true diagnosis. Although by the late 1940s, penicillin had proven to be an effective treatment for syphilis, participants were not told that they had syphilis and were denied the new and effective treatment. The study stopped because of a newspaper exposé. In addition to illustrating the need for informed consent and for minimizing harm, the Tuskegee Study emphasized the problem with doing research in which the costs and benefits of the research are not shared fairly. For example, a disadvantaged group may suffer the costs and risks of being experimented on, whereas an advantaged group may reap the benefits of the newer, more expensive treatments resulting from that research.

- 1950s–1960s: Project MK-ULTRA. Senator Ted Kennedy (1977) testified that in 1975, “The Deputy Director of the CIA revealed that over 30 universities and institutions were involved in an ‘extensive testing and experimentation’ program which included covert drug tests on unwitting citizens ‘at all social levels, high and low, native Americans and foreign.’ Several of these tests involved the administration of LSD to ‘unwitting subjects in social situations.’ At least one death, that of Dr. Olson, resulted from these activities. The Agency itself acknowledged that these tests made little scientific sense.”

- 1959–1962: Thalidomide scandal. As part of a “study,” pregnant American women were given a drug they assumed was safe and effective. Unfortunately, it wasn’t. As a result, some fetuses died, and many more were deformed. Some have implied that the purpose of the study was more about selling physicians on the drug than collecting scientific information (Peterson, 2008). In any event, the “study” violated the Nuremberg Code in that (a) it was started before the animal experiments were completed, (b) the experiment was not conducted by scientifically qualified persons, (c) no preparations were made to protect participants, and (d) the study was not terminated as soon as disabilities and deaths occurred.

- 1960–1964: Studies are conducted in which (a) military personnel are led to believe they were going to die (some are led to believe their plane is about to crash; some are led to believe they will be accidentally killed by artillery fire; and some are led to believe they will die due to an accident involving radioactive fallout) to see their reactions; (b) alcoholics volunteering for an experiment that they believe might lead to a cure for alcoholism (but really has nothing to do with alcoholism) get an injection and then find—often to their horror—that they cannot breathe; (c) male participants are falsely told that they were homosexually aroused by pictures of men; and (d) patients with minor neuroses are given high levels of LSD, electroshock, and sensory deprivation without their permission to see whether erasing their memories could lead to better mental health (Boese, 2007; Lesko, 2009).

- 1963: Medical researchers injected live cancer cells into older adult patients without telling the patients.

- 1966: Henry Beecher published an article in the New England Journal of Medicine in which he discusses 22 “examples of unethical or questionable ethical studies.” Like the authors of the Nuremberg Code, Beecher suggests that each individual researcher should listen to his or her conscience.

- 1993: The Albuquerque Tribune reveals information about a long-term study in which people—some of them mentally retarded children—were exposed to radiation to see its effects.
As you have seen, the psychological researcher’s most important concerns about the novice investigator’s aggression study are ethical concerns. Indeed, because ethical concerns include concerns about validity and human betterment, one could argue that ethical concerns are the researcher’s only concerns (see Table 2.3).

But what if the novice investigator’s study had used animals instead of human participants? In that case, some might think that the psychologist

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**Figure 2.6 IRB Process: What May Happen to a Research Proposal**

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would not have been concerned about ethics. As you can see from Table 2.4, nothing could be further from the truth. Indeed, in recent years, animal rights have received more attention from the American Psychological Association than human rights. If the aggression study had used animals as participants, the researcher would have consulted the ethical standards listed in Table 2.4 (APA, 2002) as well as APA’s 1996 booklet Ethical Principles for the Care and Use of Animals, a copy of which is included in Appendix D. In addition, the researcher would probably need to have the research approved by the school’s Institutional Animal Care and Use Committee (IACUC). If the study had been done unethically, the investigator would be severely punished.

### Table 2.3
Determining Whether a Research Study Is Ethical

<table>
<thead>
<tr>
<th>Does It Maximize the Potential Benefits to Psychological Science and Human Welfare?</th>
</tr>
</thead>
<tbody>
<tr>
<td>1. Is the research question important?</td>
</tr>
<tr>
<td>2. Will the research study provide valid answers to the research question? The type of validity needed will depend on the research question.</td>
</tr>
<tr>
<td>- If the research question concerns finding out whether a certain factor causes a change in behavior (e.g., “Does a certain type of school environment increase student attendance?”), the study should have internal validity. That is, the study should take steps to rule out the possibility that other factors may be responsible for the effect.</td>
</tr>
<tr>
<td>- If answering the research question hinges on accurately measuring abstract psychological concepts, construct validity would be important. That is, the researchers should be able to make a strong case that the psychological variables they are talking about are the variables they actually measured. Construct validity would be the main concern in a research study that was trying to develop a psychological test.</td>
</tr>
<tr>
<td>- If the main purpose of the research is to provide results that can be generalized to the real world, external validity would be important. In such a case, the researchers would want to show that their participants did not represent a limited sample of people. External validity is important for polls because polls try to determine how most people would respond to certain questions.</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Does It Minimize the Potential for Harm to Participants?</th>
</tr>
</thead>
<tbody>
<tr>
<td>1. Does it conform to the ethical principles of the American Psychological Association?</td>
</tr>
<tr>
<td>- Are participants volunteers?</td>
</tr>
<tr>
<td>- Did they know what the study involved before they agreed to participate?</td>
</tr>
<tr>
<td>- Were participants told they could quit the study at any point?</td>
</tr>
<tr>
<td>- Were participants debriefed?</td>
</tr>
<tr>
<td>2. If participants will be subjected to stress,</td>
</tr>
<tr>
<td>- have less-stressful alternatives been considered?</td>
</tr>
<tr>
<td>- has the amount of stress been minimized?</td>
</tr>
<tr>
<td>- have procedures for helping distressed participants been established?</td>
</tr>
</tbody>
</table>
In this chapter, you have seen that research psychologists are aware of the challenges and responsibilities of studying human and animal behavior. In the rest of this book, you will see the wide variety of strategies that researchers use to meet these challenges and responsibilities.

SUMMARY

1. Psychologists realize that measures and manipulations of invisible mental constructs may be flawed. Therefore, psychologists question the labels that researchers give to their measures and manipulations.

2. If investigators are studying the psychological and mental states they claim to be studying, their research has construct validity.

3. Two common threats to construct validity are poor measures of variables and poor manipulations. A third common threat to construct validity is participants figuring out the purpose of the research and acting how they think the researcher wants them to act.

4. Psychologists realize that it is hard to prove that a certain treatment causes an effect. Often, the so-called proof is only circumstantial evidence because factors other than the treatment may be responsible for the change in behavior. Therefore, psychologists often question cause–effect statements.

5. If a study establishes that a particular, observable, physical stimulus or manipulation causes a certain, observable response, the study has internal validity.

TABLE 2.4
Humane Care and Use of Animals in Research

The ethical standards that follow are considered enforceable rules of conduct. Violating these rules may result in being expelled from the American Psychological Association and being both sued and arrested.

8.09 Humane Care and Use of Animals in Research

a) Psychologists acquire, care for, use, and dispose of animals in compliance with current federal, state, and local laws and regulations, and with professional standards.

b) Psychologists trained in research methods and experienced in the care of laboratory animals supervise all procedures involving animals and are responsible for ensuring appropriate consideration of their comfort, health, and humane treatment.

c) Psychologists ensure that all individuals under their supervision who are using animals have received instruction in research methods and in the care, maintenance, and handling of the species being used, to the extent appropriate to their role.

d) Psychologists make reasonable efforts to minimize the discomfort, infection, illness, and pain of animal subjects.

e) Psychologists use a procedure subjecting animals to pain, stress, or privation only when an alternative procedure is unavailable and the goal is justified by its prospective scientific, educational, or applied value.

f) Psychologists perform surgical procedures under appropriate anesthesia and follow techniques to avoid infection and minimize pain during and after surgery.

g) When it is appropriate that an animal’s life be terminated, psychologists proceed rapidly, with an effort to minimize pain and in accordance with accepted procedures.


CONCLUDING REMARKS

In this chapter, you have seen that research psychologists are aware of the challenges and responsibilities of studying human and animal behavior. In the rest of this book, you will see the wide variety of strategies that researchers use to meet these challenges and responsibilities.
6. Psychologists realize that what happens with one group of participants in one setting may not generalize to another type of participant or to a different setting. For example, they realize that a study done with one group of students in a lab setting may not apply to a group of people working in a factory. Therefore, they are appropriately cautious about generalizing the results of a study to real-world situations.

7. If a study’s findings can be generalized to other people, places, and times, the study has external validity.

8. Human participants in research studies have many rights, including the right to decide whether they want to be in the study, the right to privacy, and the right to learn the study’s purpose.

9. Do not conduct a study without the approval of your professor. In addition, obtain approval from the appropriate ethics committees. For example, if you are doing animal research, you may need approval from your school’s Institutional Animal Care and Use Committee (IACUC). If you are doing research with human participants, you may need approval from your school’s institutional review board (in the U.S.) or research ethics board (in Canada).

10. If you are involved with a study that harms a participant, you cannot avoid responsibility by arguing that you did not know the rules; that you did not mean to harm the person; that you were just doing what the lead investigator told you to do; or that your assistant, rather than you, caused the harm.

11. According to APA’s ethical principles, the study’s potential benefits should outweigh the study’s potential for harm. Thus, there are two ways to increase the chances that your study is ethical: reduce the potential for harm and maximize the potential gains of your research.

12. To maximize the gains of your research, you should make sure that your study has the kind of validity that your research question requires. Your research question will determine which type—or types—of validity you need.

13. If your research question is about whether something causes a certain effect, your study should have internal validity.

14. If your research question concerns what percentage of people engage in some behavior, you need a study that has external validity.

15. If your research question involves measuring or manipulating some state of mind (hunger, stress, learning, fear, motivation, love, etc.), you need construct validity.

KEY TERMS

- construct validity (p. 45)
- construct (p. 44)
- debriefing (p. 51)
- ethical (p. 49)
- experiment (p. 43)
- external validity (p. 48)
- informed consent (p. 51)
- institutional review board (IRB) (p. 54)
- internal validity (p. 39)

EXERCISES

1. Match the concept to the type of validity.
   - _____ construct validity
   - _____ external validity
   - _____ internal validity

2. Match the threat to the type of validity.
   - _____ construct validity
     a. generalize
   - _____ external validity
     b. cause–effect
   - _____ internal validity
     c. mental states
   - _____ internal validity
     a. poor measure
   - _____ external validity
     b. treatment and no-treatment groups were unequal before the study began
c. small, biased sample of participants
3. What type of validity are chemists most interested in? Why don’t chemists do more research in natural settings like bakeries? What implications does this have for psychological research?

4. Is it ethical to treat a patient with a method that has not been scientifically tested? Why or why not? Is it ethical to withhold a treatment that is believed to work in order to find out if it does indeed work? Why or why not?

5. For one of the following television shows—Survivor, Fear Factor, The Swan, Punk’d, Candid Camera, and America’s Funniest Home Videos—state which of the nine APA ethical principles listed in Table 2.2 are violated and explain—or provide an example of—how those principles are violated.

6. Two of the most ethically questionable studies in the history of psychology are Milgram’s obedience study (in which participants were told to deliver dangerous shocks to an accomplice of the experimenter) and Zimbardo’s prison study (in which well-adjusted students pretended to be either prisoners or guards). In both of these studies, there would have been no ethical problems at all if participants had behaved the way common sense told us they would; that is, no one would have obeyed the order to shock the accomplice, and none of the “guards” would have mistreated the prisoners.

a. Does the inability to know how participants will react to a research project mean that research should not be done?
b. Does people’s inability to know how they and others will react in many situations mean that certain kinds of research should be performed so we can find out the answers to these important questions?
c. What ethical principles, if any, were violated in Milgram’s shock experiment? (See Table 2.2.)
d. What ethical principles, if any, were violated in Zimbardo’s prison study? (See Table 2.2.)

7. Assume that a participant in a study in which you were involved suffered intense distress. According to the APA ethical guidelines, which of the following are legitimate excuses that would relieve you of responsibility? Explain your answers.

a. “I was just following orders.”
b. “My assistant conducted the session and behaved inappropriately, not me.”
c. “I didn’t notice that the participant was upset.”
d. “I just didn’t think that we had to tell participants that they would get mild electrical shocks.”
e. “I didn’t think that asking questions about suicide would be upsetting—and for most of my participants it wasn’t.”
f. “When the participant got upset, it surprised me. I just didn’t know what to do and so I didn’t do anything.”
g. “Our subjects were mice. We can cause mice whatever distress we want.”

WEB RESOURCES

1. Go to the Chapter 2 section of the book’s student website and

   a. Look over the concept map of the key terms.
   b. Test yourself on the key terms.
   c. Take the Chapter 2 Practice Quiz.
   d. Do the interactive end-of-chapter exercises.
   e. Download the Chapter 2 tutorial.

2. To learn more about IRBs, getting IRB approval for research, and the ethical issues in conducting research, use the “Ethics” link.
Generating and Refining Research Hypotheses

Generating Research Ideas From Common Sense

Generating Research Ideas From Previous Research
Specific Strategies
Conclusions About Generating Research Ideas From Previous Research

Converting an Idea Into a Research Hypothesis
Make It Testable
Make It Supportable
Be Sure to Have a Rationale: How Theory Can Help
Demonstrate Its Relevance: Theory Versus Trivia
Refine It: 10 Time-Tested Tips
Make Sure That Testing the Hypothesis Is Both Practical and Ethical

Changing Unethical and Impractical Ideas Into Research Hypotheses
Make Variables More General
Use Smaller Scale Models of the Situation
Carefully Screen Potential Participants
Use “Moderate” Manipulations
Do Not Manipulate Variables

Concluding Remarks
Summary
Key Terms
Exercises
Web Resources
In good science, questions come first. Science is just a tool for answering those questions.
—John Bargh
The scientist is not the one who gives the right answers, but the one who asks the right questions.
—Claude Lévi-Strauss

CHAPTER OVERVIEW

Research does not begin with variables, equipment, or participants. It begins with questions. Like you, psychologists have many questions about why, what, how, and when people act, think, and feel the way they do. For you, most of your questions probably come from personal experience. For example, you may feel that parties with your friends are more fun than family reunions. If so, you probably have proposed several questions. Is it the peanuts, the music, the age range, or the presence of Aunt Beatrice that made the difference? Certainly, psychologists get many of their ideas from personal experience. However, they also cultivate their research questions by questioning common sense, extending previous research, and testing psychological theory.

In this chapter, you will hone your ability to generate questions. Then, you will learn how to develop your questions into workable research hypotheses: testable predictions about the relationship between two or more variables.

GENERATING RESEARCH IDEAS FROM COMMON SENSE

Although most of us have many questions about why people behave as they do, some students find developing a research hypothesis intimidating. They ask, “How can I find out something that people don’t already know?” One solution is to adopt the skeptical attitude that characterizes science by asking whether what people already “know” is supported by objective evidence. As Abelard said, “The beginning of wisdom is found in doubting; by doubting, we come to question, and by seeking, we may come upon the truth.” You can begin your questioning by doubting the effectiveness of “time-tested” treatments as well as new treatments. These treatments may range from self-help books to online lectures.

Another avenue for your skepticism is to test common sense. Galileo is famous for his experiments testing the commonsense assumption that heavier objects fall faster than lighter objects and for his skepticism about the commonsense belief that the sun revolved around the unmoving earth. Likewise, several psychologists have won Nobel Prizes for testing the assumption
that humans are rational decision makers. Thus, testing commonsense assumptions ("myth busting") is valuable. Indeed, one scientist (Stern, 1993) believes that a major goal of psychology should be to "separate common sense from common nonsense."

Psychologists have a long history of testing common sense by testing old sayings. For example, Schachter (1959) tested the saying that "misery loves company." Zajonc (1968) found the saying "familiarity breeds contempt" to be false in many situations. Berscheid and her colleagues (1971) discovered that birds of a feather do flock together. D. Byrne (1971) found that opposites don't attract. Latane, Williams, and Harkins (1979) found evidence for the idea that "too many cooks spoil the broth." Pennebaker et al. (1979) learned that "the girls do get prettier at closing time." Wilson and Schooler (1991) discovered evidence against the saying "look before you leap."

More recently, researchers have been testing sayings related to happiness. For example:

- Seligman (2002) found support for the saying "happiness is like a butterfly: if you chase it, you won't catch it" (or, if you prefer Eleanor Roosevelt's version, "happiness isn't a goal, it's a byproduct").
- Emmons and McCullough (2003) discovered evidence to support the saying "focus on what's right in your world instead of what's wrong."

If we cited a saying that you were planning to test, do not automatically abandon plans to test that saying. Sayings are usually broad enough that all aspects of them can't be completely tested in a single study. For example, consider Wohlford's (1970) finding that, as would be expected from the saying "like father, like son," fathers who smoked were more likely to have sons who smoked. Researchers still—more than 35 years later—do not have definitive answers about the extent to which a son's behaviors (other than smoking) are modeled after his father's. Similarly, although Vohs, Mead, and Goode (2008) have done many experiments on the saying "Money changes people," they admit that there is still much to be known. Thus, you can test a saying that has already been partially tested. However, if you want to test completely untested sayings, there are many from which to choose.

How do you find a commonsense assumption that you could dispute? Read—read fortune cookies, packages of Salada tea (Dillon, 1990), books of quotations, self-help books such as *Life's Little Instruction Book*, song lyrics, bumper stickers, T-shirts, newspaper ads, editorial columns, and headlines. For example, much of what we know about helping someone in trouble comes from two students' efforts to understand why at least 38 people stood by and did nothing while Kitty Genovese was murdered. Darley and Latané (1968) questioned the common view that the reason the bystanders did not help was because New Yorkers were cold and alienated. Their research suggests that, rather than saying nobody helped despite the presence of 38 other witnesses, it would be more accurate to say that nobody helped because there were 38 other witnesses.

Another way to find an assumption you want to test is to talk to a person who always seems to disagree with you. If both of you make sensible arguments, but neither one of you can prove that the other is wrong, it is time to get objective evidence to show that your acquaintance is wrong.
Yet another way to find questionable assumptions is to attack a real-life, practical problem (cheating, prejudice, rudeness, apathy, too many false fire alarms in the dorms, etc.). Usually, you will find that different people have different “solutions” to almost any practical problem. You could collect objective evidence to find out which of these “solutions” works best.

If you decide to attack a practical problem, you may find that you have two research projects. The first is to document that a problem really exists; the second is to compare the effectiveness of different approaches to solving the problem. For example, you might first conduct a study to find out how prevalent the problem of cheating (or prejudice, apathy, superstitious thinking, etc.) is on your campus. Then, your second study might see which approaches to solving the problem are most effective. For instance, you might see if any of the following six methods designed to stop students from cheating on exams are more effective than what teachers normally do:

1. having a presenter emphasize the ways that cheating harms the cheater
2. having students discuss—in groups that you have set up so that most of the members in the group oppose cheating—whether cheating is unfair to other students
3. having students write an essay about why it is wrong to cheat and then having students read that essay aloud to students in a freshman English class
4. having more serious penalties for cheaters
5. having observers walking around during the exam
6. having students sign a statement at the bottom of their test that said, “I agree that I have abided by the honor system” (Ariely [2008] found that a similar manipulation reduced cheating considerably.)

In summary, questioning common sense is a time-tested way to generate research ideas. In the distant past, famous discoveries—such as that the earth revolves around the sun and that light objects fall just as fast as heavy objects—came from researchers who were willing to question common sense. More recently, a fourth grader made national news by doing research that questioned whether a “healing technique” adopted by over 100 nursing schools was effective (Rosa, Rosa, Sarner, & Barrett, 1998). Even more recently, Cialdini (2005) questioned the persuasiveness of the cards used by thousands of hotels that urge guests to reuse towels, and Strayer and Drews (2008) questioned claims that driving with hands-free cell phones was safer than driving with handheld cell phones.

As you can see from these examples, just by being skeptical, people have been able to generate important research ideas. If you are naturally somewhat skeptical and use Box 3.1, you too can generate an important research idea. However, testing your own insights is not the only—or even the most preferred—way to generate research ideas.

**GENERATING RESEARCH IDEAS FROM PREVIOUS RESEARCH**

A more preferred way to generate research ideas is to base an idea on previous research. Most advances in science come from scientists building on each other’s work. For a beginning researcher, basing an idea on previous research has at least three major advantages.
First, a hypothesis based on previous research is more than a guess—it is an educated guess. Because your prediction is consistent with a previous study’s results and the logic used to predict or explain those results, your hypothesis is likely to be supported.

Second, regardless of whether your hypothesis is supported, your study will be relevant to what other scientists have done. Consequently, your research will not produce an isolated, trivial fact.

Third, doing research based on other people’s work is easier than starting from scratch, especially when you are a beginning researcher. Just as a beginning cook might find it intimidating to make a pizza from scratch without a recipe, some beginning researchers find it intimidating to design a study from scratch. However, just as the beginning cook would feel comfortable adding a few toppings to a store-bought pizza, a beginning researcher might feel comfortable building on someone else’s study.

**Specific Strategies**

As we just discussed, if you can develop an idea from previous research, you may be able to justify your hypothesis by saying that it is consistent with findings from previous research, you may be able to test your hypothesis using the methods from previous research, and you should be able to show
that your results are relevant to previous research. But how can you develop an idea from previous research?

Repeat Studies
The simplest way to take advantage of other people’s work is to repeat (replicate) someone else’s study. Because science relies on skepticism, you should repeat studies when you find the study’s results difficult to believe—especially when those results conflict with results from other studies, seem inconsistent with established theory, or have not been replicated. For example, thanks to failures to replicate the “Mozart effect,” we know that listening to Mozart does not increase intelligence.

Do a Study Suggested by a Journal Article’s Author(s)
Almost as simple as replicating a study is doing a study suggested by an article’s authors. At the end of many research articles, the authors suggest additional studies that should be done. Often, they point out that the research should be repeated either using a different sample of participants or using a different setting.

Improve the Study’s External Validity
Even if the researchers do not suggest it, you may decide to test the external validity (generality) of their findings. For example, you might ask:

1. Should I redo a study, but include types of participants that were not adequately represented in the original sample? If you have specific reasons to believe that the original study’s results would not apply to a certain group—for example, to most women, or to most members of some other group—you probably should redo the study. For example, even if listening to Mozart had increased the intelligence of college students, it would probably still be wise to replicate the study with babies before generalizing the results to babies. Similarly, following up on Pennebaker et al.’s (1979) finding that bar patrons perceive people of the other gender as being prettier at closing time, Madey et al. (1996) found that the effect did not hold if the perceiver was in a committed relationship.

2. Should I redo a lab study by taking it outside of the lab and into the real world? If you believe some important element of real life that would modify the results was left out of the study, you probably should redo the study.

3. Should I repeat the study using stimulus materials more like stimuli that people are exposed to in real life? Sometimes, stimuli in research are highly artificial. For example, many studies have asked participants to form impressions of a person based on reading a list of traits that supposedly describe that person, and many have asked participants to memorize lists of nonsense syllables. You could replace the list of words, nonsense syllables, or traits that participants saw in the original study with a videotape of a real-life event.

4. Should I see whether the effect is long lasting? Short lab studies document that a treatment has a short-term effect but do not document whether the treatment has a long-term effect. An action that produces a positive
short-term reaction may produce no long-term reaction—or even a negative long-term reaction. For example, you may know an ill-tempered person who feels good while throwing a tantrum but who regrets it later. Thus, even if playing Mozart had boosted intelligence for 15 minutes, the effects might have worn off over time.

5. Can I think of any other situations in which the relationship between the variables observed in the original study may not hold? For example, consider the relationship between group size and helping: The more people available to help a victim, the less likely the victim is to get help. Can you think of some situation—such as an event that increases group identity—that would weaken or reverse the relationship between group size and helping? Nida and Koon (1983) used this strategy to find that Pennebaker’s “they get prettier at closing time” occurred at a country western bar but not at a college bar.

**Improve the Study’s Internal Validity**

Instead of improving a study’s external validity, you may choose to improve its internal validity. As you learned in Chapter 2, establishing that one factor caused an effect is very difficult, partly because it is hard to control other factors. For example, Gladue and Delaney (1990) argued that a study finding that “girls get prettier at closing time” at bars (Pennebaker et al., 1979) left unanswered the question of whether time or alcohol consumption was responsible for increased perceptions of attractiveness. Therefore, they modified the original study to control for the effects of alcohol consumption.

Similarly, although Frank and Gilovich (1988) found that teams switching to black uniforms were called for more penalties, their finding did not prove that wearing black causes a team to get more penalties. After all, it could be that aggressive coaches like to have their teams wear black. Therefore, as you can see in Appendix B, Frank and Gilovich devised an experiment that allowed them to make sure that uniform color was the only difference between their teams. Consequently, they were able to isolate black as the cause of the increased aggression.

**Improve the Study’s Construct Validity**

Rather than improving a study’s external or internal validity, you may choose to improve a study’s construct validity. As you learned in Chapter 2, researchers who try to guess what is going on inside participants’ minds may guess wrong. Usually, the problem is either that the researchers used poor operational definitions of their constructs (the manipulation or measure was poor) or the participants figured out the hypothesis and that discovery affected participants’ responses.

When thinking about improving a study’s construct validity, start by asking whether you can use a better manipulation or measure than the original researchers used. Is there a better “stress” manipulation than the one the original researchers used? Was their “conformity” measure really a measure of cooperativeness? For example, in the first study of the Mozart effect, it may have been that (a) the music manipulation, rather than making students think more, put students in a happier, more energetic, and more alert mood, and that (b) the cutting and folding task used as the intelligence measure, rather than tapping what
is typically thought of as intelligence, measured motor skills (Gazzaniga & Heatherton, 2006; Lilienfeld, Lynn, Nam, & Woolf, 2009).

Even if the researchers used a relatively good measure of the construct they wanted to measure, it is unlikely that any single measure of a broad construct such as conformity, intelligence, aggression, or memory will fully capture the entire construct. Therefore, if the original study finds a relationship using one set of operational definitions, it may pay to replicate the study using different operational definitions of the construct(s). For example, when early research suggested that men have greater “spatial ability” than women, critics questioned whether the tasks used to measure spatial ability fully captured the construct of spatial ability. This questioning led to further research. That research has given us a better picture of how men and women differ on spatial ability. (On the average, men are much faster than women at mentally rotating objects, are slightly better at picking out figures that are hidden in a complex background, and are not nearly as good at remembering where objects are.)

Even when the measures and manipulations are fine, a study’s construct validity will be poor if participants figure out what the hypothesis is. Therefore, when reading a study, you should ask, “If I were a participant, would I know what results the researcher expected?” If your answer to this question is “yes,” you may decide to repeat the study but improve it by reducing the biasing effects of participants’ expectations.

One way to avoid the biasing effects of participants’ expectations is to use the double-blind technique: the tactic of keeping both the participants and the research assistants who interact with the participants from knowing which treatment the participants are getting. You are probably most familiar with the double-blind technique from studies examining the effects of new drugs. In such studies, an investigator has physicians give all participants pills, but only some participants get pills that contain the drug being tested. Because neither the physician nor the participants are told who has received the drug, differences between the medicated group and placebo group will be due to the drug itself rather than to the patients’ or physicians’ beliefs that the drug will work.

Look for Practical Implications of the Research

Even if you are satisfied with the original study’s validity, the study will still leave many questions unanswered. If the study involves basic (nonapplied) research, do the findings apply to a practical situation? For example, can a technique that helps participants remember more words on a list in a laboratory experiment be used to help students on academic probation? Similarly, if a study finds that a treatment affects the way people think, you could do a study to see whether the same treatment also affects what people actually do. It is one thing to show that a treatment helps participants remember certain information, feel more sympathy for a crime victim, or produce more of a certain kind of chemical; it is something else to show that the treatment changes the way participants actually act in real-life situations.

Try to Reconcile Studies That Produce Conflicting Results

When you find studies that produce conflicting results, try to reconcile the apparent contradictions. One strategy for resolving the contradictions is to
look for subtle differences in how the studies were conducted. What do the studies that find one pattern of results have in common? What do the studies that find a different pattern have in common? Asking these questions may alert you to a possible moderator variable: a variable that intensifies, weakens, or reverses the relationship between two other variables.

To appreciate the general value of finding a moderator variable, think about students who only know the spelling rule “i before e.” They are frustrated by the exceptions; they may even doubt that there is a rule at all. When they learn that “c” is the moderator variable—when they are told “i before e, except after c”—they will be happy to know that some aspects of spelling follow rules.

Just as those children had started to doubt whether there was a spelling rule about “i and e,” psychologists had started to doubt whether there was rule that predicted the effect an audience had on performance. Many studies found a “social facilitation” effect—the presence of an audience improved performance. Many other studies, however, found a “social inhibition” effect—the presence of others decreased performance. By studying both the studies that found a “social facilitation effect” and the studies that found a “social inhibition” effect, Robert Zajonc (Zajonc, 1965; Zajonc & Sales, 1966) discovered how the two sets of studies differed: studies finding social facilitation involved tasks that were easy for participants to do, whereas studies finding social inhibition involved tasks that were hard for participants to do. Zajonc then designed several studies in which he varied both the presence of others and task difficulty. His results supported the hypothesis that task difficulty was a moderator variable. That is, the effect that other people’s presence had on task performance depended on how difficult the task was.

Conclusions About Generating Research Ideas From Previous Research

Although research studies are designed to answer some questions, no study ends up giving definitive answers to those questions—and most studies raise new questions. Therefore, existing research is a rich source of research ideas. At the very least, you can always just repeat the original study. If you wish to modify the existing study, you have numerous options. You could improve its internal, construct, or external validity. Or, you may decide to pursue the practical applications of the study. Or, try to find situations where the findings would not hold. Or, try reconciling a study’s findings with a study that obtained different findings.

Existing research may give you not only a research idea but also a way to test that idea. If you decide to repeat a study, reading the original study will tell you almost everything you need to know. If you want to improve or build on a study, reading the original article will still help you determine how to measure your variables, what to say to your participants, and so forth.

CONVERTING AN IDEA INTO A RESEARCH HYPOTHESIS

If you used any of the strategies we have discussed thus far, you should have some research ideas. However, you still may not have a research hypothesis: a testable prediction about the relationship between two or more variables.
Note that a research hypothesis is not a research topic, not a vague question you have, but a short, specific statement of how two or more variables will be related. Although converting an idea into a workable research hypothesis can be difficult, it is essential because the goal of all research is to test hypotheses.

Admittedly, different types of research may test different kinds of hypotheses. For example, experiments test hypotheses about whether a treatment causes a certain effect. Testing experimental hypotheses helps us understand why a certain behavior occurs. Survey research, on the other hand, tests hypotheses about what factors are correlated (associated) with a certain behavior. Thus, rather than finding out why a certain behavior occurs, survey research might focus on finding out who is most likely to do that certain behavior, what other behaviors they tend to do, and when, where, and how they tend to do that behavior. For example, an experimenter’s hypothesis may involve seeing whether a given intervention stops people from cheating on their spouses, whereas a survey researcher’s hypothesis may deal with finding out whether men are more likely to cheat than women are. Despite their differences, however, both researchers will have hypotheses.

All researchers should have hypotheses before they conduct their research. If they started their research without having a hypothesis to help them know what to look for, it is unlikely that they would find anything. Consequently, before they will even consider allowing you to do research, most professors and most ethics committees require you to state the hypothesis you plan to test. Because having a hypothesis is so important, the rest of this chapter is devoted to helping you generate a workable research hypothesis.

**Make It Testable**

When converting an idea into a hypothesis, you must be sure that your hypothesis is testable. In general, a testable hypothesis has the same basic characteristics as a fair bet.

As with any bet, you must be able to define your terms. For example, if you bet that “Pat will be in a bad mood today,” you need some publicly observable way of determining what a bad mood is. Similarly, if you hypothesize a relationship between two variables, you must be able to obtain operational definitions of your key variables. Thus, if you plan to measure the effects of physical attractiveness on how much a person is liked, you must be able to define both attractiveness and liking according to specific, objective criteria.

Also, as with any bet, your prediction should be specific so that it is clear what patterns of results would indicate that your hypothesis “won” and what results would indicate that your hypothesis “lost.” You do not want to conduct a study and then have to debate whether the results supported or refuted your hypothesis. Usually the easiest way to avoid such disputes is to make your hypothesis as specific as possible. Therefore, when stating your hypothesis, specify not only a relationship between two or more variables, but also the direction of that relationship. That is, rather than saying aggression will vary with temperature, it would be better to say increases in aggression will correspond to increases in temperature. Ideally, you would be even more specific. For example, you might predict that increasing the temperature from 80 to 90 degrees Fahrenheit will increase aggression more than increasing the
temperature from 70 to 80 degrees. To check that your prediction is precise enough, ask yourself, “What kind of result would disconfirm my prediction?” and “What kind of result would support my prediction?” Then, graph both of these patterns of results.

By being specific, you can avoid making predictions that are so vague that no pattern of results will disprove them. Unlike some fortune-tellers and unscrupulous gamblers, you want to be fair by giving yourself the opportunity to be proven wrong.

**Make It Supportable**

Besides giving your hypothesis a chance to be refuted, you also want to give your hypothesis the opportunity to be supported. That is, you not only have to beware of making bets you can’t lose, but also bets you can’t win.

You must be especially wary of one kind of bet you can never win—trying to prove the null hypothesis: a prediction that there is no relationship between your variables. Even if your treatment group scores exactly the same as the no-treatment group, you have not proven the null hypothesis.

To understand why you can’t prove the null hypothesis, suppose you hypothesize no relationship between honesty and success. Even if you find no relationship, you can’t say that there isn’t a relationship. You can only say that you didn’t find the relationship. Failing to find something—whether it be your keys, a murder weapon, a planet, or a relationship between variables—is hardly proof that the thing doesn’t exist.¹,²

The fact that you can’t prove the null hypothesis has two important implications. First, you can’t do a study to prove that a treatment has no effect. If you find no difference between your treatment group and no-treatment group, you can’t say that your treatment has no effect: You can say only that you failed to find a treatment effect. Second, you can’t do a study to prove that two treatments have the same effect. That is, if you find no difference between your two treatment groups, you can’t say that the treatments have the same effect: You can say only that you failed to find a difference between them.

**Be Sure to Have a Rationale: How Theory Can Help**

In addition to making sure that your hypothesis is testable, make sure that you have a solid rationale for your hypothesis. If you can’t think of a good reason why your hypothesis should be correct, your hypothesis is probably a “bad bet”: It will be a long shot that wouldn’t pay off even if it was correct. For example, if you hypothesized, without giving any rationale, that people would be more creative after eating three Brussels spouts, it is doubtful that your prediction would pan out. Instead, it would appear that you were simply going on a hopeless fishing expedition. Therefore, always write out the reasons for making your prediction. Your rationale can come from previous research that has found results similar to what you are hypothesizing, common sense, or theory: a set of principles that explain existing research.

¹ But why might you fail to find an effect? We’ll answer that question in detail in Chapter 10. For now, just realize that we can’t say “there is no effect.” Instead, we can only say “no effect has been found.”

² We thank Dr. Jamie Phillips for, in effect, rewriting much of this section.
findings and that can be used to make new predictions that can lead to new research findings.

Realize that theory can provide a rationale for your hypothesis, even when your hypothesis did not originally come from theory. For example, suppose that, on a hunch, you predicted that taking care of a plant would cause older adults to be more mentally alert and healthy. You might then use theory to justify your prediction. For example, according to learned helplessness theory, a lack of control over outcomes may cause depression. Therefore, you could use learned helplessness theory to predict that taking care of a plant may give older adults more of a sense of control and thus make them less vulnerable to helplessness (Langer & Rodin, 1976).

**Demonstrate Its Relevance: Theory Versus Trivia**

To have a hypothesis worth testing, not only must you have a reason to expect that it will be supported, but you must also have a reason why people should care whether it is supported. Usually, you must explain how testing it will fill a gap in previous research, test a theory, or solve a practical problem. Thus, the hypothesis about what would happen if one gave people three Brussels sprouts—as well as any other hypothesis in which the only rationale for the hypothesis is “let’s expose people to an unusual circumstance and see what happens”—is not only a bad bet but also a silly and trivial bet. Scientists frown on doing research just to find isolated bits of trivia. For example, without any other rationale, doing a study to show that alcohol decreases Ping-Pong performance is meaningless, except possibly to people who bet on Ping-Pong. Psychological research should not be a trivial pursuit.

To see how theory can transform your hypothesis from trivial to relevant, consider the following two examples. First, consider this hypothesis: *Around age 7, children stop believing in Santa Claus.* In its own right, this is a relatively trivial hypothesis. However, when put in the context of Piaget’s theory, which states that around age 7, children are able to think logically about concrete events (and thus realize that Santa Claus can’t be everywhere at once and can’t carry that many toys), the finding has deeper significance. Now, rather than being just an isolated fact about children’s thinking, it is evidence supporting Piaget’s explanation of how children think.

Second, suppose you were to make a hypothesis about a gender difference. For example, suppose that, like Haselton, Buss, Oubaid, and Angleitner (2005), you predicted that women would be more upset than men to discover that their dating partner was not as wealthy as they were led to believe. At first, such a hypothesis might seem trivial. If you were, however, able to tie your hypothesis to the theory of evolution, your hypothesis would be more interesting.

How could you tie a hypothesis about gender differences to the theory of evolution? The key is to assume that although both genders have the evolutionary goal of bringing as many offspring into adulthood as possible, the strategies that men will use to achieve this aim are different from the strategies that women will use (Buss, 1994). Consequently, it is consistent with the theory of evolution that men would be more

- promiscuous (They have virtually no limit on the number of offspring they can have.)
jealous (Before DNA testing, men could not be sure that they were the biological parent.)

impressed by youth (Younger women are more fertile than older women.)

influenced by physical attractiveness (Attractiveness is a rough indicator of health, and the woman’s health is vital because the potential offspring will live inside the woman’s body for 9 months.)

You are not limited to using a single theory to make your hypothesis seem relevant. Often, you can show that more than one theory is consistent with your hypothesis. Sometimes, you can show that one theory is consistent with your hypothesis and one is inconsistent with it. Such a hypothesis is very interesting because it puts two theories—two ways of explaining events—in competition.

To see the value of putting two theories in competition, imagine how your feelings would change toward someone if you yelled at that person. According psychoanalytic theory, if you express hostility toward a person, you’ll release pent-up anger and consequently feel better about the person. According to cognitive dissonance theory, on the other hand, if you are mad at a person and then hurt that person, you will justify your aggression by viewing that person in a negative way. Experiments support the dissonance prediction that expressing aggression toward a person leads to feeling more hostility toward that person—and refute the psychoanalytic explanation (Aronson, 1990).

**Refine It: 10 Time-Tested Tips**

One reason you may have trouble demonstrating your hypothesis’s relevance is that you are not used to using past research and theory to justify testing an idea. However, another reason you may have trouble selling people on the value of testing your idea is that you need a better hypothesis to sell. The following 10 tips have helped students improve their hypotheses.

1. **Don’t Be Afraid to Be Wrong: “No Guts, No Glory”**

   Some beginning researchers mistakenly believe that a good hypothesis is one that is guaranteed to be right (e.g., *alcohol will slow down reaction time*). However, if we already know your hypothesis is true before you test it, testing your hypothesis won’t tell us anything new (as Einstein said, “A person who never made a mistake never tried anything new”). Remember, research is supposed to produce *new* knowledge. To get new knowledge, you, as a researcher–explorer, need to leave the safety of the shore (established facts) and venture into uncharted waters (as Einstein said, “If we knew what we were doing, it would not be called research, would it?”). If your predictions about what will happen in these uncharted waters is wrong, that’s okay: Scientists are allowed to make mistakes (as Bates said, “Research is the process of going up alleys to see if they are blind”). Indeed, scientists often learn more from predictions that do not turn out than from those that do.

2. **Don’t Be Afraid to Deal With Constructs**

   Some beginning researchers are so concerned about making sure they can measure their hypothesis’s key variables that they design their hypothesis around what they can easily observe (e.g., alcohol consumption and reaction
time) rather than around the constructs that interest them (e.g., mood and creativity). If you avoid constructs, you may propose a hypothesis that is easy to test but hard to find interesting, such as *alcohol slows down reaction time*. To avoid proposing hypotheses that lack both constructs and excitement, realize that there are valid ways to manipulate and measure constructs (as you will see in Chapter 5). In short, scientists study what they are interested in—and so should you.

### 3. Don’t Avoid Theory

Good theory explains existing findings and leads to testable new insights. Theory can help you make the leap from just having a general topic to having a specific prediction, especially if your topic is an applied problem. As Kurt Lewin said, “There is nothing so practical as a good theory.”

Before seeing how theory can help you attack a practical problem, let’s first look at cognitive dissonance theory (see Table 3.1). According to this theory, if a person holds two thoughts that the person considers contradictory, the person will experience an unpleasant state called dissonance (see Figure 3.1). Because dissonance is unpleasant, the person will try to reduce it, much as the person would try to reduce hunger, thirst, or anxiety (Aronson, 1990).

To better understand cognitive dissonance theory, suppose a woman thinks she is generous but also knows she doesn’t give money to charity. If she notices and perceives that these two thoughts are inconsistent, this inconsistency will bother her. In other words, she will feel dissonance. To reduce this dissonance, she may change her thoughts or her actions. To reconcile the perceived inconsistency, she may decide that she is not generous, that the charities she refused were not worthwhile, or that she will give some money to charity.

Now that you have some understanding of cognitive dissonance theory, let’s see how two sets of researchers used dissonance theory to go from a general practical problem to a specific prediction. The first set of researchers was concerned with the general problem of how to get people to buy condoms. According to cognitive dissonance theory, people will buy condoms if doing so will reduce their feelings of cognitive dissonance. That is, if John is aware that he has two contradictory thoughts (“I just told people they should use condoms when having sex,” and “I have had sex without condoms”), John will feel dissonance. To reduce that dissonance, he can perform an action that will be consistent with what he has just preached—buy condoms. Thus,

### Table 3.1

<table>
<thead>
<tr>
<th>Basic Propositions of Cognitive Dissonance Theory</th>
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<tr>
<td>1. If an individual has two thoughts that the individual considers inconsistent, then that individual will experience dissonance.</td>
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<tr>
<td>2. Dissonance is an unpleasant state, like anxiety or hunger.</td>
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<tr>
<td>3. An individual will try to reduce dissonance.</td>
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<tr>
<td>4. Changing one of the thoughts to make it consistent with the other is one way of reducing dissonance.</td>
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cognitive dissonance theory led to this hypothesis: Participants will be motivated to buy condoms if researchers (a) have participants publicly advocate the importance of safe sex and then (b) remind each participant about times when that participant had failed to use condoms. As predicted, participants who were made to see that their past behavior was inconsistent with their publicly stated position were more likely to buy condoms (Stone, Aronson, Crain, Winslow, & Fried, 1994).

The second set of dissonance researchers was concerned about another general problem: Getting introductory psychology students to believe that learning about research methods is important. Although many general psychology professors have worried about that problem, Miller, Wozniak, Rust, Miller, and Sleazak (1996) seem to be the first ones to use cognitive dissonance theory to find a solution. The hypothesis suggested by cognitive dissonance theory was that having students write essays about why it was important to know about research methods would be more effective than lecturing to students about the value of research. This hypothesis was supported: Students were more likely to believe in the value of research methods when they had “convinced themselves.”

You have seen that theory can be useful. A theory, however, can help you only if you know about it and understand it. How can you get to know a theory?

Your first step to getting introduced to a theory might be to read textbook summaries of theories. These summaries will allow you to select a theory that can help you. Once you have selected a theory, you must go beyond textbook summaries because such summaries may oversimplify the theory. The researcher who relies exclusively on textbook summaries may be accused of ignoring key propositions of the theory or of using a straw theory: an
exaggerated, oversimplified caricature of the theory. Therefore, in addition to reading textbook summaries, you should also consult journal articles that describe studies based on the theory (e.g., “Elation and depression: A test of opponent process theory”) so that you can see how other researchers have summarized the theory. The beginnings of these articles usually include a brief description of the theory that the study tests.

Once you have selected a theory, read the original statement of the theory (the citation will be in the texts or articles that you read). Then, to keep up to date about changes in the theory, use Psychological Abstracts or Social Sciences Citation Index to find books and review articles devoted to the theory. (For more information on how to conduct a literature review, see Web Appendix B.)

**4. Be Manipulative: Use True Independent Variables**

Rather than trying to describe what happens, try to change what happens. That is, think about how you can manipulate variables. For example, the authors of the sample article in Appendix B, like many other people, observed that wearing dark uniforms was associated with aggression. They went beyond what others had done, however, by manipulating whether participants wore black or white uniforms and observing its effect on aggressiveness.

To see another example of how and why experimenters manipulate variables, consider a study in which experimenters manipulated participants’ expectations of how likely it was that Bush would be elected president (Kay, Jimenez, & Jost, 2002). To manipulate participants’ expectations, the experimenters first created five reports that were allegedly based on valid scientific analyses of polling data:

1. a report concluding that Bush would win in a landslide,
2. a report concluding Bush would win a narrow victory,
3. a report concluding there would be a tie,
4. a report concluding Gore would win a narrow victory, and
5. a report concluding Gore would win in a landslide.

The experimenters then manipulated (via random assignment) which report each participant read. They found that expecting Bush to win caused people to like Bush. Note what the researchers would have lost if, instead of manipulating expectations, the researchers had merely asked participants (a) who they expected to win and (b) how much they liked Bush. In that case, if the researchers found that participants who expected Bush to win liked Bush more than those who expected Bush to lose, the researchers could not conclude that expecting Bush to win caused participants to like Bush. After all, it might be the reverse: Liking Bush might cause people to expect Bush to win.

The big lesson here is that if you want to have internal validity and more interesting research ideas, rather than looking for participants who already differ in some way, start with participants who do not differ in that way and then manipulate a factor that will make them differ in that way. In technical terminology, you need to use an independent variable: a treatment (an intervention or manipulation of a variable) that you administer to some individuals but not to others.
Using independent variables allows you to find out why people do things. Consequently, many professors will require your hypothesis to be in the form, “_____ affects scores on _____,” with the first blank containing the name of your independent variable (the factor you are manipulating) and second blank containing the name of your dependent variable (dependent measure): the participant’s response that the researcher is measuring.

Despite the terminology, the basic idea for doing an experiment is fairly simple. As Boese (2007, p. x) writes, “An experiment starts when a researcher looks at a situation and thinks, What would happen if I changed one part of this? He or she performs an experimental manipulation and observes the result.” You do that same kind of reasoning whenever you tell a story and say that things would have been even worse if something else had happened.

If you are having trouble thinking of hypotheses that involve independent variables, remember that one reason people do things is because of the immediate environment—and you can manipulate the immediate environment. Because people are constantly adapting and reacting to their environment, you can tell people things, show people things, and set up situations that will change how they feel, think, and act. Thus, although you may tend to think that individuals do certain things because of the type of person they are, research clearly shows that, in many cases, the immediate environment is much more important in determining individuals’ moods, mental states, and behavior than what type of person the individual is. For example:

- People studying to be ministers are much less likely to stop and help a person if they are led to believe that they might be late to give their speech—even when that speech is on the Good Samaritan parable—a story about the virtue of the person who stopped and helped a person in need (Darley & Batson, 1973).
- When playing a game called “The Community Game,” students judged by their dorm counselors to be highly competitive are not any more competitive than students judged to be highly cooperative. Similarly, when playing a game called “Wall Street,” students considered highly cooperative are just as competitive as students considered highly competitive. What makes this finding more remarkable is that all students were playing the same game—only the name had been changed (Liberman, Samuels, & Ross, 2004).
- In his study that involved a simulated prison, Zimbardo and colleagues (Zimbardo, Haney, Banks, & Jaffe, 1975) found that when well-adjusted undergraduates were assigned to play the role of prison inmate, they became dependent, but when they were assigned to play the role of prison guard, they became sadistic.

If you are still failing to come up with a hypothesis because you think that people only do things because of their traits, realize that, for most stable traits (e.g., how anxious one typically is), there is a corresponding unstable state (e.g., how anxious one feels at the moment) that can be manipulated (Ravelle, in press). For example, you could increase participants’ momentary levels of

- anxiety by giving them difficult tasks
- arousal by giving participants caffeine or exposing them to noise
• positive mood by showing them humorous movies
• outgoingness by having them act in an outgoing way
• self-esteem by having others praise them
• materialism by making them think about money by putting them near pictures of money

Manipulating these states allows you to test cause–effect hypotheses. For example, although it was known for years that outgoing people tended to be happier, it was not known whether outgoingness caused happiness (the relationship could have been due to happiness causing outgoingness). Now, we have direct evidence that outgoingness causes happiness because Fleeson and McNeil (2006) found that happiness increased in the participants they had act in an outgoing way. Similarly, we had known for a long time that, compared to less materialistic people, more materialistic people tended to be less interested in other people (Kasser & Ryan, 1993). However, no one knew whether materialism caused a loss of interest in other people (it could be that people who are not interested in others become interested in money) until Vohs, Meade, and Goode (2008) manipulated how materialistic participants felt and found that making people think about money (e.g., by putting participants near a poster that had a picture of money) made people less social and less helpful.

5. Look for Other Effects: Use Other Dependent Variables
Thinking about money has more than one effect. Not only does it make people less social and less helpful but also more persistent (Vohs, Mead, & Goode, 2008). Almost any treatment will have more than one effect. Effects can be short term, long term, behavioral, physiological, emotional, cognitive, good, and bad. So, if people are looking at the good effects of pursuing the American Dream, you could look for the bad effects (as Kasser & Ryan, 1993 did). Similarly, if others look for the good effects of attractiveness, you could look at the bad effects. The key is to realize that a treatment has many more effects (on beliefs, feelings, thoughts, actions, and bodily reactions) and a predictor may predict many more events than you would first think. For example, Dabbs found that high levels of testosterone in one’s saliva correlated with

• phony-looking smiles
• rough tactics in domestic disputes
• premeditated murder
• greater apparent confidence when meeting strangers
• crudeness
• higher rates of marriage
• higher rates of divorce
• being a trial lawyer rather than a non–trial lawyer
• being in prison
• lower levels of career achievement
Although being able to think of many different measures is a useful skill for any researcher, it is perhaps the most important skill that an evaluation researcher—a person who looks at the effect of a program (e.g., a training program, an advertising campaign, a new law)—can have. If you have a strong, practical side, you may be able to generate some research ideas by thinking like an evaluation researcher. You could start by looking at flyers posted on bulletin boards for different activities and programs at your school (e.g., tutoring programs, depression screening, art club), picking one, and then listing five possible positive and five possible negative effects that might result from the activity.

6. Reverse Cause and Effect: Switch Independent and Dependent Variables

Rather than adding dependent measures or replacing one dependent variable with another one, you might convert your dependent variable into an independent variable. For example, suppose you have a rather ordinary hypothesis such as if a person is attractive, participants will be more likely to help that person than if the person is not attractive. In other words, your hypothesis is that being attractive (independent variable) causes one to be helped (dependent variable). Your idea is to make a friend look either moderately attractive or very attractive and see if the friend is helped more when she looks very attractive. You could make this hypothesis more interesting by changing which variable is the cause and which is the effect. That is, you could hypothesize that being helped leads to being perceived as attractive. Thus, you might give some participants a chance to do your friend a favor and see if those participants rate your friend as being more attractive than those who are not given that opportunity.

Many psychologists have made important contributions by doing studies that reversed conventional cause–effect hypotheses. For example:

- Rather than looking at attitude change leading to behavior change (we do what we believe), Festinger and Carlsmith (1959) found that behavior change led to attitude change (we believe in what we did).
- Rather than looking at the finger pulling the trigger (aggressive people use guns), Berkowitz (1981) found that the trigger can pull the finger (guns can make us aggressive).
- Rather than looking at how seeing leads to believing, some perception researchers have found, as Myers (2002a) puts it, that “believing leads to seeing.”
- Rather than looking at how stress on the body affects mental health, many researchers have looked at how mental stress affects physical health.
- Rather than looking at whether increased income leads to happiness, Diener and Seligman (2004) have looked at whether happiness leads to increased income.
7. Ask “How?” to Look for the Missing Links in the Causal Chain: Mediating Variables

If you have a hypothesis about the relationship between two variables that is too obvious and too well documented, how can you make that hypothesis more interesting? Do what 3-year-olds do when they ask a question that is too easy (e.g., “Why did the doorbell ring?): Follow it up with another “why” question (e.g., “Why did the doorbell ring when you pushed it?”). By continuing to ask “why,” a child may force the parents to realize that they know $A \rightarrow C$ (pushing the button causes the doorbell to ring), but not all the in-between steps in the process, not $how$ $A \rightarrow B \rightarrow C$.

Similarly, even when psychologists know that $A \rightarrow C$ (e.g., guns increase aggression), they may not know the other intermediate steps in the causal chain. They may suspect that “$A$,” an environmental event (e.g., a gun), has an effect by first changing “$B$,” (thoughts, feelings, or physiological reactions), which, in turn, triggers “$C$,” a change in the participant’s behavior (e.g., more aggression)—but they may not know what the mediating mechanism is. In technical terminology, they do not know the mediating variable: the mechanism—the biological, mental, physical, emotional, or behavioral process—that comes between a stimulus and a response or between some other cause and effect.

Unfortunately, if we do not know the “$B$” (the mediating mechanism that comes between $A$ and $C$), we do not know how $A$ has its effect. When the mediating mechanism is not clear, people question whether the relationship does exist—or even whether one could exist. Consequently, some have questioned whether women’s menstrual cycles really do synchronize, whether antidepressants are effective, whether being a target of prejudice can harm one’s health, and whether ESP and therapeutic touch are even possible.

To illustrate how not knowing what the mediator is can make a finding seem suspect, consider the early research that found that participants’ expectations about whether another person would be shy or outgoing determined whether that other person behaved in a shy or outgoing way (Myers, 2004). This finding seemed like magic until researchers found the mediating mechanism: the type of questions asked (Myers, 2004). Specifically, participants expecting the other person to act shy asked questions that made the other person act shy (e.g., “Do you ever want to be alone”) whereas participants expecting their partner to be outgoing asked questions that made the other person act outgoing (e.g., “What would you do to liven things up at a party?”).

Finding what comes between a stimulus and a response, like finding out what comes between pressing the doorbell and hearing a ring, usually (a) makes the original relationship seem less magical and (b) requires digging below the surface. For example, if “$B$” (the mediating between variable) is a biological process or a mental process, it may be hard to observe. Because a “$B$” variable can be so hard to observe, it may be part of a model or theory long before it is observed. Thus, researchers did cognitive dissonance experiments for years before only after researchers had done cognitive dissonance experiments for years did they attempt to measure cognitive dissonance. Similarly, people had noticed that people are more likely to yawn after seeing someone else yawn long before scientists had discovered mirror neurons (and, indeed, it has not yet been established that mirror neurons account for yawning being contagious).
Now that you understand what a mediating variable is, let’s see how you could convert even the most mundane hypothesis into a fascinating one by adding a mediating variable to it. For example, the hypothesis that male football fans feel badly when their team loses is not that interesting. It is interesting, however, to hypothesize about the bodily or psychological mechanisms that create this effect. What inside the person causes him to feel badly? Is the mediating physiological process a decrease in testosterone (Bernhardt, Dabbs, Fielden, & Lutter, 1998)? Is the mediating cognitive psychological process a change in self-concept?

Similarly, the hypothesis increasing the room temperature will cause people to be more aggressive (room temperature is the independent variable; aggression, the dependent variable) is not that interesting. It is more interesting to find out how warm temperatures increase aggression. What mediates that relationship? Once you have the answer to that question, you have a hypothesis about a mediating variable. For example, if your answer to that question was “liking others in the room,” your hypothesis might be increasing the room temperature makes people like each other less, and this decreased liking, in turn, causes increased aggression.

To understand mediation better and to see how you might test a hypothesis about mediation, imagine that we have a room containing a massive tangle of electrical cords and power strips. We plug one of those cords (A) into the wall outlet, and the lava lamp (C) lights up. Is the cord directly hooked up to the lava lamp (an A–C connection)—or does it go through a power strip? If so, which one? If we wanted to test whether it goes through the power strip we labeled “B,” we could go one of two routes (see Figure 3.2).

One approach would be to test the A → B (wall → power strip) and B → C (power strip → lamp) connections separately. That is, we would test (1) whether the cord plugged into the wall outlet belonged to the power strip and (2) whether the cord plugged into the power strip’s outlet belonged to the lamp. If plugging and unplugging the cord from the wall outlet turned the power strip on and off and if plugging and unplugging the cord that had been plugged into the power strip’s outlet turned the lamp on and off, we could conclude that the wall outlet was powering the power strip, which, in turn, was powering the lamp.

A second, related approach would be to see whether we could mess with the A → C relationship (plugging the cord into the wall outlet → lamp turns on relationship) by messing with “B” (the power strip). Specifically, after plugging the cord into the wall outlet and establishing the A–C relationship (plugging the cord into the wall outlet → lamp turns on), we would turn the switch on the power strip on and off. If we found that plugging the cord into the wall outlet turned the lamp on only when the power strip was also on, we would conclude that the cord fed into the power strip, which, in turn, went to the lamp.

Let’s now consider how we could use these approaches to determine whether a variable was a mediator. For our first example, let’s look at efforts to try to explain the finding that “after exerting self-control, people are more prone to fail at later efforts at self-control” (Gailliot & Baumeister, 2007, p. 305). If you wanted to see whether blood sugar mediates this relationship (e.g., if A [exerting willpower] → B [lower blood sugar] → C [less willpower]), you could do two experiments. In the first, you would see whether (A) exerting willpower (e.g., persisting on a difficult task) decreased (B)
Clearly established observation

**Mediation Model**

**Strategy 1** for testing mediation model. Conduct a two-part test by testing each link in the causal chain.

**Strategy 2** for testing a mediation model: See if manipulating the mediator moderates (modifies) the original A \(\rightarrow\) C relationship.

**Figure 3.2** Mediation Can Be as Easy as A B C
blood sugar levels. In the second, you would see whether affecting (B) blood sugar levels (e.g., injecting people with glucose or depriving them of breakfast) would affect (C) willpower.

For our second example, let’s look at trying to explain the weapons effect: that the presence of guns increases aggression. If the weapons effect is due to testosterone, we would expect that the presence of (A) guns increases (B) testosterone levels and that increases in (B) testosterone levels, in turn, lead to increases in (C) aggression. Jennifer Klinesmith, a senior psychology major, did a study in which she found that presenting participants with (A) guns increased their (B) testosterone levels (Klinesmith, Kasser, & McAndrew, 2006). Although she did not do an experiment to show that increases in testosterone, in turn, lead to increases in aggression, she did point out that some previous studies had shown that increases in testosterone lead to increased aggression and that, in her study, testosterone levels were statistically related to aggression.

Finding a statistical relationship helps make the case that testosterone is a mediator, but a stronger case would have been made if the researcher had been able to manipulate testosterone (for ethical reasons, she could not). Because she could not do an experiment that manipulated testosterone directly, testosterone might not have been the mediating variable: Rather than being the underlying cause of the effect, it might be a side effect of the treatment. To illustrate, suppose you found that the less acupuncture patients sweat during a session, the more effective the acupuncture is at relieving their pain. In such a case, you would not assume that acupuncture leads to less sweating, which, in turn, leads to less pain. Instead, you would suspect that less pain leads to less sweating. Because reduced sweating might be a by-product of reduced pain rather than the cause of reduced pain, you would not conclude that sweating was the mediator of acupuncture’s pain-reducing effect.

To establish whether a variable is the treatment’s mediator rather than the treatment’s by-product, you could do an experiment that manipulated the potential mediating variable (Sigall & Mills, 1998). Such an experiment would use the same logic as turning a power strip on and off to find out whether plugging a cord into the wall socket turned on a lamp only when the power strip was plugged in. Thus, if blocking the proposed mediating variable blocked the treatment’s effect, you could conclude that you knew what the mediating variable was. For example, researchers showed that acupuncture was effective in relieving pain—unless the researchers gave participants a drug that blocked the effect of endorphins. Because blocking the effects of endorphins blocked the effect of acupuncture, researchers concluded that endorphins mediated the effect of acupuncture.

8. Ask When, Where, and Who: Look for Moderator Variables

We have just suggested that one way to expand a simple, general “A (a treatment) causes C (a consequence)” hypothesis is to add a mediating variable that explains how the cause has its effect. By adding a hypothesis about the mechanism for the cause, you would expand your “A causes C” hypothesis to an “A causes C due to B” hypothesis. For example, if your original hypothesis was that small classes cause improved test scores, you might expand your hypothesis to small classes cause increased test scores due to more interaction with the professor.
Rather than adding a mediating variable to track down how the cause has its effect, you could add a moderating variable to determine when—in what situations and for whom—the cause has its effect. Thus, you could expand your “A causes C” hypothesis to an “A causes C when B\textsuperscript{1} but not when B\textsuperscript{2}” hypothesis. For instance, you could say that

1. small classes cause increased test scores when classes are science classes, but not when classes are art classes, or
2. small classes cause increased test scores when test questions involve applying information but not when questions involve memorizing information, or
3. small classes cause increased test scores when students are nontraditional students, but not when students are traditional students, or
4. small classes cause increased test scores when professors know students’ names but not when professors don’t know students’ names.

To shorten your hypothesis and to remind yourself that you are looking for exceptions, you could phrase your hypothesis in the form: “A causes C except when B\textsuperscript{2}.” However, phrasing your hypothesis that way encourages you to think only about those moderator variables that weaken or eliminate a relationship—not those moderators that strengthen a relationship and not those moderators that reverse a relationship. Because a moderator variable is one that modifies (strengthens, weakens, or reverses) the relationship between two other variables (see Figure 3.3), a better way to phrase a hypothesis for a moderator variable is “the more A, the more/less C, but the effect depends on B.”

To illustrate that the above format is a good way to phrase a hypothesis involving a moderator variable, consider the original social loafing hypothesis: the larger the group, the more individuals will loaf on the task. Researchers later found four types of moderators:

1. the larger the group, the more loafing on the task, but the effect depends on type of group: Groups in which members like each other and groups that are competing with another group, loaf less than other groups.
2. the larger the group, the more loafing on the task, but the effect depends on type of task: If individuals like the task, they loaf less.
3. the larger the group, the more individuals will loaf on the task, but the effect depends on the type of individual: For women and people who are group-oriented, increasing group size reduces effort only slightly; for men and people who are individualistic, increasing group size reduces effort greatly.
4. the larger the group, the more loafing on the task, but the effect depends on perceived identifiability: Manipulations that make participants think they are individually identifiable (e.g., making participants aware that an observer is recording each individual’s performance, making each participant responsible for one section of a report) reduce loafing.

One way to generate hypotheses involving these four types of moderator variables is to realize that a simple two-variable hypothesis—that changing an aspect of A causes a change in C—is general in four ways. For example, consider the general hypothesis that increasing a group’s size will increase loafing. To see that this hypothesis is general in four ways, let’s rewrite it: For
Original relationship

Independent variable  
Slightly increases  
Scores on dependent variable

1. Modifier boosting treatment’s original effect

Independent variable  
Greatly increases  
Modifier intensifies effect  
Scores on dependent variable

2. Modifier reverses treatment’s original effect

Independent variable  
Modifier reverses effect  
Decreases  
Scores on dependent variable

3. Modifier neutralizes treatment’s original effect

Independent variable  
Modifier weakens effect  
Has no effect on  
Scores on dependent variable

FIGURE 3.3 Three Types of Moderators
any type of group, increasing its size will increase loafing on any type of task for any type of person in any type of situation. As you can see, the hypothesis makes four generalizations:

1. It implies that changing an aspect of A (e.g., its size) will have an effect for all types of As (e.g., all types of groups).
2. It implies that changing an aspect of A will have an effect on all types of Cs (e.g., all tasks).
3. It implies that increasing group size will increase loafing for all types of individuals.
4. It implies that increasing group size will increase loafing in all types of situations.

Thus, to start your search for moderators, you could ask whether each of these four generalizations is valid. So, if you were looking at the size of group-loafing relationship, you might first ask whether increasing group size would have less of an effect on some types of groups (e.g., close friends) than on other groups (strangers). Second, you might ask if size would increase loafing to a lesser degree on some types of tasks (e.g., interesting tasks) than on others (e.g., boring tasks). Third, you might ask if the size-loafing effect might hold less for some types of individuals (e.g., people high in conscientiousness, women) than for others (e.g., people low in conscientiousness, men). Fourth, you might ask if the effect of group size would be less in some types of situations (e.g., when competing against another team, when person’s contributions can be identified) than in others (e.g., when not competing against another team, when each person’s contributions can’t be identified).

If you don’t want to go through such a structured approach, simply ask yourself external validity questions: “For what groups would this relationship really apply? Under what circumstances doesn’t this relationship hold? When, where, and for whom would this relationship not apply?” Think of exceptions to the rule—and then try to see how these exceptions to the rule may suggest an addition to the old rule. For instance, imagine that Zebrowitz had decided to test the old saying “people from a different race all look alike.” This hypothesis would not be that interesting because much research has shown support for it. Instead, she and her colleagues thought about exceptions to that rule. They (Zebrowitz, Montepare, & Lee, 1993) found that, under certain conditions, people could do a good job of distinguishing among members of other racial groups. For example, attractiveness moderated the “all look alike” effect: People could distinguish between attractive and unattractive members of a different race.

In addition to looking for moderating variables that allow you to state conditions under which commonsense rules are wrong, you could look for moderator variables that allow you to reconcile conflicts among commonsense rules. For example, when does “like attract like,” and when do “opposites attract”? When does “absence make the heart grow fonder,” and when does absence mean “out of sight, out of mind”? Under what circumstances are “two heads better than one,” and under what circumstances is it better to do it yourself (after all, “too many cooks spoil the broth” and “nothing is worse than a committee”)?

One type of moderator variable you might look for could be an intervention program. For example, you might predict that people who went through
“how to work better in groups” training program might follow the “two heads are better than one” rule, whereas those who had not would follow the “too many cooks spoil the broth” rule. In other words, untrained people might work better alone, whereas trained people might work better in groups.

If you are having trouble thinking of a variable that may moderate an effect, go back and think about variables that may mediate the effect. If you know or suspect the process by which the treatment causes the effect, anything you do that will modify that process may modify (moderate) the treatment’s effect. To take a simple example, suppose we had the following mediating variable hypothesis: Having a child in day care causes parents to get sick due to the existence of viruses and bacteria within the day-care center. That mediating hypothesis suggests at least three moderator variable hypotheses.

1. Having a child in day care causes parents to get sick, but this relationship will depend on whether the parents wash their hands with antibacterial soap.
2. Having a child in day care causes parents to get sick, but this relationship will depend on whether the parents have been vaccinated.
3. Having a child in day care causes parents to get sick, but this relationship will depend on how often and thoroughly we kill the viruses and bacteria within the day-care center.

To take a psychological example of how thinking about mediating variables (variables that are often mind or brain activities that come between cause and an effect) can lead to moderator variables, suppose you suspect that the reason individuals loaf when they are in a group (the “social loafing effect”) is that they do not think that their efforts can be identified. In that case, perceived identifiability would be the mediating variable (as you can see from Figure 3.4, large group → low perceived identifiability → loafing).

If your hypothesis is correct, variables that affect perceived identifiability should moderate the social loafing effect (Williams, Nida, Baca, & Latané, 1989). For example, manipulations that make individuals think they are more identifiable (e.g., having observers record each individual’s performance or making an individual responsible for one section of a report) should moderate the social loafing effect by weakening it.

In conclusion, if you have a hypothesis about the relationship between two variables that is too obvious and too well documented, you may be able to rescue your hypothesis by adding a moderator variable. For example, although the hypothesis, increasing group size will decrease effort, has already been extensively tested, the hypothesis, increasing group size will decrease effort when anxiety is low but not when anxiety is high, has not. Even if your hypothesis does not need to be rescued, chances are good that your hypothesis can be improved by adding a moderating variable. For instance, Frederick and Hazelton (2007) added a moderator to the hypothesis that women will prefer muscular men to make it: Women will prefer muscular men more when considering a short-term partner than when considering a long-term partner.

9. Be More Precise About the Relationship Between Your Variables

Frederick and Hazelton also made their hypothesis about musculature and attraction more interesting by being precise about the relationship between
muscularity and attractiveness: They specified that women would find low levels of muscularity unappealing, moderate and high levels of muscularity appealing, and extremely high levels of muscularity unappealing. You too may be able to improve your hypothesis by being more precise about the relationship between your variables. For instance, the hypothesis that exercise reduces stress is, by itself, not that interesting. However, it would be interesting and valuable to graph the relationship between exercise and stress so that we could quantify how much exercise leads to how much stress reduction. This graph would allow you to answer the following questions:

- Can you get away with exercising for 15 minutes, or do you need an hour to get the full effect?
- Is exercising for 2 hours twice as effective as exercising for 1 hour?
- Is exercising for 3 hours better, worse, or the same as exercising for 1 hour?

For many treatments, people would like to know how much is too little, how much is too much, and how much is just right. Some would argue that the hallmark of a useful science is the ability to make precise, specific
predictions about the effects of treatment. The best way to estimate the effects of different amounts (doses) of a treatment is to map the shape of the functional relationship: the extent to which changes in one variable are accompanied by changes in another variable.

10. Study Individual Dimensions of Multidimensional Constructs

In addition to changing a hypothesis by being more specific about which amounts of one variable had what effect, you can change a hypothesis by being more specific about which aspect of a variable had what effect. Thus, if your hypothesis involves a general construct, you may be able to improve your hypothesis by breaking that multidimensional construct down into its individual dimensions and then making hypotheses involving those individual components (see Figure 3.5). For example, rather than hypothesizing that love will increase over time, you might hypothesize that certain aspects of love (commitment, intimacy) will increase over time, whereas other parts (passionate love) will not. Similarly, rather than saying that stress will interfere with memory, you might try to find what part of memory is most affected by stress. Is it encoding, rehearsal, organization, or retrieval? The component strategy has been useful for personality psychologists who have broken down

**Figure 3.5** Two Examples of How Using Measures of Specific Components Generates New Relationships to Explore
global (overall) self-esteem into different types (body self-esteem, academic self-esteem, social self-esteem, etc.), and social psychologists who have broken down prejudice into its conscious and unconscious dimensions.

One advantage of looking at the different components of a predictor is that you can see how important or unimportant different aspects of a stimulus are to producing an effect. By comparing how baby monkeys responded to “wire mothers” who provided milk with how baby monkeys responded to “cloth mothers” who did not provide milk, Harlow (1958) showed that, for facilitating attachment, it is more important for monkey moms to be soft than to provide food. More recently, researchers, by comparing participants who were given either handheld or hands-free cell phones, showed that it is talking on the phone—not holding the phone—that impairs driving performance (Strayer, Drews, & Crouch, 2006). The same researchers were also able to show that it was not listening that impaired performance (people were not impaired when they listened to books on tape or radio broadcasts) and that it was not even having a conversation that impaired performance (people were not impaired when talking with another person who was also in the (simulated) car. Instead, Strayer and Drews (2008) were able to show that impairment occurs only when talking on the cell phone, partly because, unlike a passenger, the person on the other end of the call will keep talking when the driver is in a challenging driving situation.

Make Sure That Testing the Hypothesis Is Both Practical and Ethical

Once your hypothesis is testable, reasonable, and relevant, you must still ask two additional questions. The first question is, “Can your hypothesis be tested?” Sometimes you may not have the equipment, experience, or money to test it. For example, testing some hypotheses in physiological psychology may require equipment or surgical skills that you do not have.

The second question is, “Should your hypothesis be tested?” That is, can the hypothesis be tested in an ethical manner?

You have a serious obligation to make sure that your study is ethical. Clearly, you do not have the right to physically or psychologically harm another. Reading Appendix D can help you decide whether your study can be done in an ethical manner. However, because conducting ethical research is so important, do not make the decision to conduct research without consulting others. Before doing a study, you and your professor will probably need to have your project reviewed by an ethics committee. In any event, never conduct a study without your professor’s approval! (See Table 3.2.)

CHANGING UNETHICAL AND IMPRACTICAL IDEAS INTO RESEARCH HYPOTHESES

In their present form, some of your ideas may be impractical or unethical. However, with a little ingenuity, many of your ideas can be converted into workable research hypotheses. As you will see, many practical and ethical obstacles can be overcome by making the key variables more abstract, constructing a smaller scale model of the situation, toning down the strength of the manipulation, or not using manipulations.
To understand how these principles can turn even the most impractical and unethical idea into a viable research hypothesis, consider the following hypothesis: *Receiving severe beatings causes one to be a murderer*. How could we convert this idea into a workable research hypothesis?

**Make Variables More General**

One possibility is to consider your original variables as specific instances of more general variables and then reformulate your hypothesis using these more abstract, more psychological variables. In our murder example, you could view murder as a more specific instance of aggression and view beating as a specific instance of aggression, pain, or punishment. Thus, you now have three research hypotheses that have been studied in controlled settings: *(1) aggression leads to more aggression*, *(2) pain causes aggression*, and *(3) punishment causes aggression*. 

**TABLE 3.2**

Questions to Ask About a Potential Hypothesis

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<table>
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<tr>
<td>1. <strong>Can it be proven wrong?</strong></td>
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<td></td>
<td>● Can you obtain operational definitions of the variables?</td>
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<td></td>
<td>● Is the prediction specific?</td>
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<td>2. <strong>Can it be supported?</strong></td>
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<td></td>
<td>● Are you predicting that you will find an effect or a difference? (Remember, your results can never prove the null hypothesis.)</td>
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<td>3. <strong>Are there logical reasons for expecting the prediction to be correct?</strong></td>
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<td></td>
<td>● Is it predicted by theory?</td>
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<td>● Is it consistent with past research findings?</td>
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<td>● Does it follow from common sense?</td>
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<td>4. <strong>Would the results of the test of your prediction be relevant to</strong></td>
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<td></td>
<td>● previous research?</td>
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<td>● existing theory?</td>
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<td>● a practical problem?</td>
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<td>5. <strong>Is it practical and ethical to test your prediction?</strong></td>
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<td></td>
<td>● Do you have the physical and financial resources to test this idea?</td>
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<td></td>
<td>● Would testing the hypothesis cause physical or psychological harm to the participants? (See Appendix D.)</td>
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<td>● Do you have approval from your professor?</td>
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<td>● If you are planning on doing research with human participants and your school has an internal research review board (IRB), do you have approval from that board?</td>
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<td></td>
<td>● If you are planning on doing research with nonhuman animals and your school has an internal animal care and use committee (IACUC), do you have approval from that committee?</td>
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Use Smaller Scale Models of the Situation

Of course, for both ethical and practical reasons, you are not going to have human participants hitting each other to measure aggression. Instead, you may give participants an opportunity to destroy something that supposedly belongs to the target of their anger, an opportunity to write a negative evaluation, an opportunity to press a button that supposedly (but doesn’t really) delivers a mild shock to another person, an opportunity to decide how much hot sauce to put in a glass of water that the other participants will supposedly have to drink, and so on. As you can imagine, working with a small-scale model of aggressive situations is more ethical than manipulating real-life aggression.

Smaller scale models of the situation not only have ethical advantages, but also have practical advantages as well. For example, if you are interested in the effects of temperature on aggression, you can’t manipulate the temperature outside. However, you can manipulate the temperature in a room. Similarly, you can’t manipulate the size of a crowd at a college football game to see the effect of crowd size on performance, but you can manipulate audience size at a dart contest that you sponsor. By using a dart contest, testing your audience-size hypothesis is not only possible, but also practical. For instance, if audience size has an effect, you could probably find it by varying the size of the audience from zero (when you are hiding behind a one-way mirror) to three (yourself and two friends).

Once you have a small-scale model of a phenomenon, you can test all kinds of ideas that previously seemed impossible to test. For example, can you imagine using the dart contest situation to test the effects of audience involvement or size of reward on performance?

Smaller scale models can include simulations (e.g., putting people in a driving simulator to test the effects of cell-phone use on driving), simulated worlds (e.g., having people obey a command to “hurt” an avatar in “Second Life”), or scenarios (having participants imagine what they would do if their partner broke up with them). Because smaller scale models of situations are so valuable, researchers often review research literature to discover if someone else has already made a smaller scale model of the phenomenon they wish to study. That is, just as an airplane designer may use a wind tunnel to test new airplane designs, researchers may use someone else’s model of a situation to see if their ideas fly (Myers, 2004).

Carefully Screen Potential Participants

In some research, you might decrease the ethical problems by choosing participants who are unlikely to be harmed by the manipulation. Therefore, if you were to do a frustration–aggression study, you might only use participants who

1. were, according to a recently administered personality profile, well-adjusted
2. were physically healthy
3. volunteered after knowing about the degree of discomfort they would experience
Use “Moderate” Manipulations

Another way to prevent people from being harmed by your manipulation is to make your manipulation less harmful. One way to make your manipulation less harmful is to avoid unpleasant stimuli entirely by replacing them with either positive or neutral stimuli. Thus, rather than comparing a positive manipulation (e.g., raising self-esteem) with a negative manipulation (e.g., decreasing self-esteem), you might compare a positive manipulation (e.g., praising a person to increase their self-esteem) with a neutral manipulation (e.g., neutral or no feedback). Similarly, rather than comparing a negative feedback (“No!”) with neutral feedback (“Okay”), you might compare a positive feedback (“Yes!”) with neutral feedback.

If you must use an unpleasant manipulation, consider making it moderately—rather than extremely—unpleasant. Thus, if you were to induce frustration to observe its effect on aggression, you might decide not to use a very high level of frustration. Even though a high level of frustration would be more likely to produce aggression, you might decide to use lower levels of frustration to lower the risks of harming your participants. Similarly, although it would be illegal, immoral, or unethical to cause someone permanent brain damage, researchers have used transcranial magnetic stimulation (TMS) to temporarily decrease activity of neurons in parts of the brain. For example, temporarily deactivating parts of the brain has temporarily improved participants’ performance on drawing tasks (Schachter, Gilbert, & Wegner, 2009).

Do Not Manipulate Variables

Finally, you may decide not to manipulate the variables at all. To understand the basic advantages and disadvantages of not manipulating variables, let’s return to the original hypothesis: Receiving severe beatings causes one to be a murderer. You might pursue this idea by interviewing murderers and nonmurderers to see whether murderers were more likely to report being beaten as children. Unfortunately, even if you found that murderers were more likely than nonmurderers to have been beaten, your results would not necessarily mean that the beatings caused the murders. Beatings may have no impact on murders. Instead, murderers may have been beaten more than nonmurderers because, even when they were younger, murderers were more aggressive and more disobedient than nonmurderers. Although interviewing wouldn’t allow you to discover whether beatings cause children to become murderers, it might allow you to address a related research hypothesis: Murderers are more likely to claim to have been beaten by their parents than nonmurderers.3

CONCLUDING REMARKS

In this chapter, you have learned how to generate research ideas. Consequently, if you spend a little time reviewing this chapter, you should be able to generate several hypotheses about how two or more variables are related.

3 Unfortunately, you will not know whether murderers actually were beaten more than other people because murders may exaggerate the extent to which they were beaten.
SUMMARY

1. The purpose of scientific research is to test ideas. One way to get research ideas is to test commonsense ideas.
2. Hypothetical constructs are abstract variables that can’t be directly observed (love, learning, thirst, etc.). Researchers can deal with abstract constructs by devising “recipes” for these variables called operational definitions: concrete ways of manipulating or measuring abstract constructs.
3. Building on other people’s research is an easy way to get good research ideas.
4. Strategies for developing research ideas from previous research include improving the original study’s external, internal, or construct validity; repeating the study; seeing if the finding has any practical implications; doing a follow-up study suggested by the study’s authors; and trying to determine why two studies produced conflicting findings.
5. You can sometimes improve a study’s construct validity by using the double-blind technique.
6. Never do a study without first obtaining your professor’s permission.
7. A null hypothesis states that there is no relationship between two variables. Although the null hypothesis can be disproven, it can’t be proven.
8. When possible, use theory and past research to provide a rationale for your prediction and to show that the results of your study may have implications for evaluating theory and previous research findings.
9. If your hypothesis involves a prediction that one variable influences a second variable, you can refine that hypothesis by (a) studying the functional relationship between those two variables, (b) trying to find the physiological or mental variable mediating that relationship, or (c) finding a variable that moderates that relationship.
10. A research hypothesis must be testable and must be testable in an ethical manner.
11. Even the most impractical and unethical of ideas may be converted into a practical and ethical hypothesis if you carefully screen your participants, use a small-scale model of the phenomenon you wish to study, make key variables more general or abstract, tone down the intensity of your manipulation, or don’t use manipulations.

KEY TERMS

hypotheses (p. 62) theory (p. 71) dependent variable (dependent measure) (p. 77)
double-blind technique (p. 68) straw theory (p. 75) mediating variable (p. 77)
moderator variable (p. 69) independent variable (p. 76) functional relationship (p. 89)
null hypothesis (p. 71)

EXERCISES

1. Look up a research study that tests a commonsense notion or proverb. (If you are having difficulty finding an article, consult Web Appendix B.) What is the title of the article? What are its main conclusions?
2. Writing an essay that expresses opinions that go against your beliefs may cause you to change your beliefs. According to dissonance theory, what factors would moderate the effect of writing such an essay?
3. According to dissonance theory, what is an important variable that mediates attitude change?
4. Find a research article that tests a hypothesis derived from theory. Give the citation for the article and describe the main findings.
5. Describe the relationship between moderator variables and external validity.
6. Design a study to improve the construct validity of the study reported in Appendix B.
7. Design a study to test the generalizability of the findings of the study reported in Appendix B.
8. The study reported in Appendix B finds a relationship between two variables. Design a study to map out the functional relationship between those two variables.

9. Design a study to test the practical implications of the findings from the study reported in Appendix B.
10. Taking into account the problems with the null hypothesis, discuss what is wrong with the following research conclusions:
    a. There is no difference in outcome among the different psychological therapies.
    b. Viewing television violence is not related to aggression.
    c. There are no gender differences in emotional responsiveness.

WEB RESOURCES

1. Go to the Chapter 3 section of the book’s student website and
   a. Look over the concept map of the key terms.
   b. Test yourself on the key terms.
   c. Take the Chapter 3 Practice Quiz.
   d. Do the interactive end-of-chapter exercises.
   e. Download the “Idea Generator,” and develop a research idea.
   f. Use the “C3Tester” link to help spell out your predictions.
   g. Practice evaluating hypotheses using the “C3Evaluator” link.

2. Get a better sense of what research is like by using Chapter 3’s “Participate in a Study” link.
3. Get more ideas on how to use theory to support your hypothesis by reading “Web Appendix: Using Theory to Generate Ideas.”
4. If you have a research hypothesis that you want to test, use Chapter 3’s “Getting Started on Writing Your Introduction” link.
Reading, Reviewing, and Replicating Research

Reading for Understanding
Choosing an Article
Reading the Abstract
Reading the Introduction
Reading the Method Section
Reading the Results Section
Reading the Discussion

Developing Research Ideas from Existing Research
The Direct Replication
The Systematic Replication
The Conceptual Replication
The Value of Replications
Extending Research

Concluding Remarks
Summary
Key Terms
Exercises
Web Resources
It's not what you don’t know that’s the problem. It’s what you know that just ain’t so.
—Will Rogers

Science, in the very act of solving problems, creates more of them.
—Abraham Flexner

CHAPTER OVERVIEW

Science produces much more information than you can possibly learn. Furthermore, thanks in part to the disinformation campaigns waged by politicians, advertisers, and the media, some of what you think you know is false. Most of the time, what you don’t know won’t hurt you. However, there are times—when making a decision about a medical treatment, when deciding on a way to help a child, when deciding what charity to support, when deciding whether a country has nuclear weapons, when deciding about what problems social security has—when not knowing the facts can have life-changing, and even life-ending, consequences.

When you need the best information, you need to read the research and question that research. In this chapter, we will focus on helping you read and question psychological research presented in journal articles. We chose psychological research articles because they are rich gold mines of information about a wide variety of topics: from how to be happier or healthier to how the genders differ to how the mind works. However, if you wish to use the critical thinking skills we discuss in this chapter to help you mine other sources that are relevant to making informed purchasing or political decisions, you will be able to do so.

We will start by learning how to make sense of a research article. Then, you will learn how to spot flaws and limitations in research. Finally, you will learn how you can get research ideas by reading research: You will see how ideas breed ideas. Thus, the aim of this chapter is to make you an intelligent consumer and producer of research.

READING FOR UNDERSTANDING

You wouldn’t find a “how to” manual about how to download ring tones for your cell phone very useful unless you were reading it while you were downloading ring tones. Similarly, you will find this “how to read an article” chapter little more than a review of what you already know unless you read it
while you are reading an article. Therefore, before you finish the next section, get an article.

Choosing an Article

But don’t just read the first article you find. You are going to be spending a lot of time alone with this article, so choose an article that uses a type of study you understand (e.g., a survey or a simple experiment) and that deals with an area that you find interesting.

To start your quest for such an article, you could

1. Look at sections of texts that you find particularly interesting, and look up the articles they reference. For example, you might want to look up a study referenced in this textbook, such as the study by Iyengar and Lepper (2000) showing that people are happier when they have fewer choices than when they have many choices.
2. Consult Web Appendix B, “Searching the Literature,” to learn how to search for articles on a topic that interests you or by a researcher whose work interests you.
3. Browse the table of contents of current journals.

Your first clue to whether an article is interesting is its title. Almost any title will tell you what the general topic or research question was. A good title will also contain the study’s key variables. For example, in articles describing an experiment, the main manipulated factor (the main independent variable) and the outcome variable (the dependent measure) may be in the title. In some cases, the title may hint at what the hypothesis was or even what the main findings were.

Once you find an article that has an interesting title, the next step is to read a brief, one-paragraph summary of that article. This one-paragraph summary of the research’s purpose, methodology, and results is called the abstract.

Even if you don’t have the original article, you can read its abstract—provided you have access to one of the resources described in Web Appendix B, such as Psychological Abstracts or PsycINFO (the computerized version of Psychological Abstracts). If you have the original article, the only problem in finding the abstract is that it is usually not labeled. To find the abstract, turn to the article’s first page. The first paragraph right under the title is the abstract.

Reading the Abstract

By reading the abstract, you should get a general sense of what the researchers’ hypotheses were, how they tried to test those hypotheses, and whether the results supported those hypotheses. But most importantly, you will get an idea about whether you want to read the article. Just as you probably would not watch a show if the TV Guide summary of the show turned you off, you should look for another article if the abstract turns you off. If the abstract seems promising, scan the article and read the first paragraph of the Discussion section. If you can’t understand that paragraph, consider looking for another article. Looking at other articles before committing to one pays off: When we have students analyze an article, we find that the students who look at more than five abstracts before choosing an article are the happiest with their choices.
Reading the Introduction

Once you find an article that has an interesting title and abstract, you are ready to start reading the rest of the article. For the beginning student, the best place to start reading an article is at the beginning. Although unlabeled, the beginning of the article is called the introduction. The introduction is the most difficult, most time-consuming, and most important part of the article to understand. You must understand the introduction because it is where the authors tell you

1. how they came up with the hypothesis, including reasons why they think the hypothesis will be supported
2. reasons why the hypothesis might not be correct
3. why the hypothesis is important
4. why the authors’ way of testing the hypothesis is the best way to test the hypothesis (see Figure 4.1)

One way of thinking of the introduction is as a commercial for the article. The authors try to sell you on the importance of their research. They

**FIGURE 4.1 General Flow Chart of an Introduction**
may try to sell you on their study by claiming that, relative to previous research ("our competitor’s brands"), their methodology—way of testing the hypothesis—is "clearly superior."

Sometimes they argue that their methodology is superior because their study has better construct validity: the degree to which it is studying the variables it claims to be studying. For example, they may argue that they use a better measure, a better manipulation, or a better way of preventing participants and experimenters from biasing the results. For example, in the sample article in Appendix B, the authors argue that, unlike related, previous research, their study did not set up a situation in which participants would guess and play along with the hypothesis.

Sometimes they argue that their methodology is superior because their study has more internal validity: the degree to which it can legitimately make cause–effect statements. For example, they may point out that, unlike other studies, they compared the participants who received the treatment to a control group—participants who did not receive the treatment—so they could see whether the changes depended on the treatment or whether the changes would have happened anyway. If they used a control group, they should point out that they used random assignment (a random process similar to assigning participants on the flip of a coin) to determine which participants received the treatment and which did not. Researchers may not spell out why their study’s internal validity is superior to previous researchers’. Instead, they may merely state that they, unlike previous researchers, are able to demonstrate that the treatment, rather than some other factor, causes changes in the participants because they, unlike previous researchers, used an experimental design: a design in which (a) a treatment manipulation is administered and (b) that manipulation is the only variable that systematically varies between treatment conditions. They may state this idea in an even more abbreviated form by saying, “in contrast to the case study and correlational designs used in previous research, this study uses an experimental design.”

Sometimes researchers argue that their study is superior to previous research in terms of external validity: the degree to which the results can be generalized to different people, settings, and times. One way they may make the case that their study has more generalizability than previous research is by arguing that they studied participants in a situation that was more like real life than the situations used in previous research (e.g., participants were tested in a more naturalistic setting or did a task that was more similar to what people do in real life). To emphasize such a difference, they may write that their study has more ecological validity than previous research had. A second way to argue that their study has more generalizability than previous research is by arguing that their study’s sample is more representative of (is a better mirror of) the entire population than previous research was. In survey research, for example, researchers may emphasize that they used a random sample.

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As you will see in Chapters 10–13, the only factors that vary systematically in an experimental design are the treatment factors. Therefore, in an experiment, if manipulating a treatment is followed by a significant behavioral change, the experimenter can be confident that the behavioral change is due to the treatment. As you will also see in Chapters 10–13, one key to making sure other variables do not systematically vary along with the treatment is random assignment. In its simplest form, random assignment involves using a coin flip or some other random process to determine which of two treatments a participant receives.
(everyone in their population had an equal chance of being asked to participate) and that almost everyone they sampled answered their questions.

Sometimes researchers argue that their study is superior to previous research in terms of power: the ability to detect differences between conditions. Just as a more powerful microscope may reveal differences and relationships that a lower-powered microscope missed, a powerful study may find relationships between variables that a less powerful study failed to find. To argue that their study has more power, they may stress that they are using a more sensitive design, more sensitive measures, or more participants than the original study.

If the authors don’t try to sell you on the methodological superiority of their study, they may try to sell you on their study by telling you that, relative to previous hypotheses, their hypothesis is “new and improved” because it has a special ingredient that other hypotheses don’t have. Thus, they will try to get you to say, “It’s incredible that people have done all this other, related research but not tested this hypothesis! Why didn’t anyone else think of this?” Often, such studies extend existing research by

1. studying a different sample than previous research (e.g., women versus men)
2. looking at a different outcome measure (e.g., manner of walking instead of facial expression, gambling rather than bar-pressing, problem-solving skills rather than aggressiveness, persistence rather than helpfulness, behavior rather than feelings)
3. looking at a different predictor (e.g., in the sample article in Appendix B, the researchers looked at color of clothes instead of type of uniform). The different predictor could be a newer form of the original predictor (video games instead of television, online classes instead of traditional classes) or a more specific form of the original (types of video games instead of just video games, types of music instead of just music).
4. looking at when, where, or for whom a previous relationship holds—and when it doesn’t hold. They will refer to the variable that moderates (modifies) the relationship between two other variables as a moderator variable. For example, Zajonc found that an audience’s effect on performance was moderated by task difficulty: for easy tasks, an audience helped; for difficult tasks, an audience hurt (Zajonc & Desales, 1966).
5. looking at how a variable has its effect. Often, this involves looking for changes that occur in either the mind (e.g., feelings of being overwhelmed) or the body (e.g., decreased blood sugar levels, decreased oxytocin) that are triggered by the stimulus and then, in turn, trigger the response. For example, Zajonc (1965) found that the presence of others had its effect by increasing arousal. Thus, whereas previous research had established the A (presence of others) → C (change in behavior) causal chain, Zajonc filled in a missing part of the chain to make it: A (presence of others) → B (increased arousal) → C (change in behavior). More recently, researchers have been trying to find the missing steps (the “B”) in many (A → C) causal chains. For instance, researchers are looking at how being a victim of prejudice leads to poor health (e.g., perhaps by increasing blood pressure), how—through what processes—religious faith leads to good health (Ai, Park, Huang, Rodgers, & Tice, 2007), and how wearing red helps
athletes win contests (probably because refs are biased toward athletes who wear red [Hagemann, Strauss, & Leising, in press]). Researchers refer to these “B” variables, variables that mediate between what previous researchers called the cause and what previous researchers called the effect, as mediating variables or mediators.

6. testing a competing explanation for a relationship (e.g., one theory’s explanation versus a competing theory’s explanation, such as biological versus cultural explanations for a gender difference)

7. attempting to reconcile studies that have produced conflicting results

A second way to look at the introduction is as a preview to the rest of the article. The authors start by giving you an overview of the research area. Then, they go into more detail about what other researchers have found in exploring a specific research topic. Next, the researchers point to some problem with past research. The problem may be a gap in past research, such as a research hypothesis being tested in only a couple of studies—or by none at all. The problem may be a flaw in past research, such as failing control for key variables or obtaining conflicting results. The authors will use the problem as the rationale for their study and then state their research question. Finally, the authors may explain why their method for testing the hypothesis is the best way (see Figure 4.1 on page 99). For example, they may justify their choice of design, their choice of measures, and their choice of participants. Consequently, if you understand the introduction, you should be able to predict much of what the authors will say in the rest of the article.

Unfortunately, understanding the introduction is not always easy. The main reason the introduction may be hard for you to understand is that the authors are not writing it with you in mind. Instead, they are writing it to other experts in the field. Their belief that the reader is an expert has two important consequences for how they write their article. First, because they assume that the reader is an expert in the field, they do not think that they have to give in-depth descriptions of the published articles they discuss. In fact, authors often assume that just mentioning the authors and the year of work (for instance, Miller & Smudgekins, 2009) will make the reader instantly recall the essentials of that article. Second, because they assume that the reader is an expert, they do not think they have to define the field’s concepts and theories.

Because you are not an expert in the field, the authors’ failure to describe studies and define concepts may make it difficult to understand what they are trying to say. Fortunately, you can compensate for not having the background the authors think you have by doing two things. First, read the abstracts of the articles that the authors mention. Second, look up unfamiliar terms or theories in a textbook. If you can’t find the term in a textbook, consult the sources listed in Table 4.1.

To encourage yourself to look up all relevant terms and theories, make a photocopy of your article. On the photocopy, use a yellow highlighter to mark any terms or concepts you do not understand (Brewer, 1990). Do some background reading on those highlighted concepts, and then reread the introduction. As you reread it, highlight any terms or concepts you do not understand with a pink marker. Do some more background reading to get a better understanding of those terms. Then, reread the introduction using a green marker to highlight terms you still do not understand (Brewer, 1990).
By the third time you go through the introduction, you should see much less green than yellow, so you can see that you are making progress (Brewer, 1990). However, even if you know all the individual terms, how do you know that you understand the introduction? One test is to try to describe the logic behind the hypothesis in your own words. A more rigorous test is to design a study to test the hypothesis and then describe the impact of those results for current theory and further research. If you can do that, you not only understand the introduction, but you probably also have a good idea of what the authors are going to say in their discussion section.

To reiterate, do not simply skim the introduction and then move on to the method section. The first time through the introduction, ask yourself two questions:

1. What concepts do I need to look up?
2. What references do I need to read?

Then, after doing your background reading, reread the introduction. Do not move on to the method section until you can answer these six questions:

1. What variables are the authors interested in?
2. What is the prediction (hypothesis) involving those variables? (What is being studied?)
3. Why does the prediction (hypothesis) make sense?
4. How do the authors plan to test their prediction? Why does their plan seem to be a reasonable one?
5. Does the study correct a weakness in previous research? If so, what was that weakness? That is, where did others go wrong?
6. Does the study fill a gap in previous research? If so, what was that gap? That is, what did others overlook?

### Table 4.1

<table>
<thead>
<tr>
<th>Deciphering Journal Articles</th>
</tr>
</thead>
<tbody>
<tr>
<td>Even experts may need to read a journal article several times to understand it fully. During your first reading, highlight any terms or concepts that you do not understand on a photocopy of the article. The highlighting shows you what you don’t understand (if you highlight the entire article, maybe you should find another article). Once you identify the terms that you don’t understand, decipher those terms by using one of the techniques listed below.</td>
</tr>
<tr>
<td>To Decipher Highlighted Terms</td>
</tr>
<tr>
<td>Consult an introductory psychology text.</td>
</tr>
<tr>
<td>Consult an advanced psychology text.</td>
</tr>
<tr>
<td>Consult a psychological dictionary or encyclopedia.</td>
</tr>
<tr>
<td>Consult a professor.</td>
</tr>
<tr>
<td>Consult general sources such as <em>Psychological Science,</em> <em>Psychological Bulletin,</em> <em>Annual Review,</em> and <em>American Psychologist</em> to better understand key theories.</td>
</tr>
<tr>
<td>Consult other articles that were referenced in the article.</td>
</tr>
<tr>
<td>Look up the term in a search engine, such as <a href="http://www.google.com">http://www.google.com</a> or <a href="http://scholar.google.com">http://scholar.google.com</a>.</td>
</tr>
</tbody>
</table>
Reading the Method Section

After you are clear about what the authors predicted and why the authors made those predictions, read the method section to find out what the authors did and who they did it with.

In the method section, the authors will tell you what was done in terms of

1. who the participants were and how they were recruited and selected
2. what measures and equipment were used
3. what the researchers said and did to the participants (what participants experienced)

An efficient way to tell you about each of these three aspects of the method is to devote a section to each aspect. Thus, many method sections are subdivided into these three subsections: participants, apparatus (or measures), and procedure. However, some method sections have fewer than three sections, and some have more.

Studies with more than three sections may have an overview subsection. You are most likely to see an overview subsection if the article reports several studies, all of which use similar procedures. By using an overview section, the author of a five-experiment paper can describe the aspects of the method that are the same for all five studies once, rather than repeating those details in all five method sections. You may also see a brief overview section for any method section that is so long or so detailed that readers need to see a general outline of the methods before they can make sense of the procedure section.

Some method sections have a separate design subsection. For instance, the design subsection might tell you whether the design was a survey, a between-subjects design (in which one group of participants is compared against another group), or a within-subjects—also called “repeated measures”—design (in which each participant is compared against himself or herself). However, instead of a separate design section, authors may put information about the design in the participants section, in some other section, or even leave design information out of the method section entirely.

Just as authors often do not include a design subsection, authors often do not include either a materials or an apparatus section. Instead, they may incorporate information about the apparatus or materials in the procedure section.

In short, there is no one rule for how many subsections a method section should have. Many will have only two: a participants section and a procedure section. Others may have an overview section, a participants and design section, a procedure section, and a dependent-measures section. Other method sections will use still different formats.

Regardless of its structure, the method section should be easy to understand for two reasons. First, the main purpose of the method section is to tell you what happened in the study—who the participants were, how many participants there were, and how they were treated. The authors should make it easy for you to imagine what it would be like to be a participant in the study. Indeed, some good procedure sections almost make you feel like you are watching a video, shot from the participants’ perspective, of what happened in the study.

Second, even though the introduction probably foreshadowed how the authors planned to test the hypothesis, the authors are still going to take you, step-by-step, through the process so that you could repeat their experiment.
This “How we did it” section will be easy to follow unless (a) the authors give you too many details (details that might be useful for redoing the study but aren’t essential for understanding the basics of what the researchers did), (b) the authors avoid giving you too many details by using a shorthand for a procedure (e.g., “we used the same procedure Hannibal & Lector [2005] used”), or (c) the authors use some task (e.g., a Stroop task) or piece of equipment (e.g., a tachistoscope) that you are unfamiliar with.

What should you do if you encounter an unfamiliar procedure, apparatus, or measure? If knowing the details of the procedure is essential, find the article the authors referenced (e.g., Hannibal & Lector, 2005). Look up any unfamiliar apparatus in the index of either an advanced textbook or a laboratory equipment catalog. If that fails, ask your professor. If you encounter an unfamiliar measure, find a source that describes the measure in detail: Such a source should be referenced in the original article’s reference section. If the source is not referenced in the original article, look up the measure in the index of one or more textbooks. If that fails, look up the concept the measure is claiming to assess in Psychological Abstracts. The Abstracts should lead you to an article that will describe the measure.

After reading the method section, take a few moments to think about what it would have been like to be a participant in each of the study’s conditions. Would you have been engaged in the study? Would you have acted natural? Would you have figured out the hypothesis? Would you have interpreted the situation the way the researchers expected you to? Then, think about what it would have been like to be the researcher. Would you have been able to avoid biasing the results?

Realize that the method section contains the information you need to evaluate the study’s internal, external, and construct validity. Consequently, to critique a study, you will need to reread the method section.

When evaluating the study’s internal validity, you will want to know

- whether the study was an experiment (surveys, polls, and other studies in which a treatment is not administered are not experiments. If the study was not an experiment, assume that it does not have internal validity.)
- whether an apparent effect might be due to more people dropping out of one condition than another

When evaluating external validity, you will want to know

- the population from which the sample was drawn
- how participants were recruited
- what criteria were used to exclude people from the study
- whether random sampling was used
- what the dropout rate was
- what the gender, age, racial, and ethnic composition of the sample was

When evaluating the construct validity of a study, you will want to know

- the degree to which the measure is valid: measures what it claims to measure (e.g., does the aggression measure really measure aggression?)
- the degree to which the researcher has used techniques to prevent researcher and participant bias, such as (a) having the dependent measure collected and
coded by assistants who do not know what condition the participant is in, (b) having the treatment administered by assistants who do not know what the hypothesis is, and (c) having even participants in the comparison group believe they are receiving a treatment.

Although you will probably return to the method section, do not leave it to go on to the results section until you can answer these five questions:

1. What were the participants like (species, gender, age), and how did they come to be in the study?
2. What was done to the participants?
3. What tasks or actions did the participants perform?
4. What were the key variables in this study, and how did the researcher operationally define those variables? For example, how was the dependent variable measured?
5. What was the design (type of study, e.g., survey, simple experiment)?

Reading the Results Section

Now, turn to the results section of the article you selected to find out what happened. Just like a sports box score tells you how your team did, the results section tells you how the hypotheses did (whether the hypothesis “won”) and provides an in-depth analysis of what participants did. (Although you might not understand some of these analyses, you should still be able to learn whether the hypotheses were supported. If, however, you feel overwhelmed by the results section, skip ahead to read the first paragraph of the discussion section [that paragraph will summarize the results], and then return to the results section.)

Of course, there are many differences between box scores and results sections. One difference is that authors of box scores do not have to explain what the numbers in the box scores mean. For example, any baseball fan knows that a “1” in the “HR” column means that the batter hit one home run. But, in a study, what does it mean that the participants averaged a “6”? The meaning of a 6 would depend on the study; therefore, at the beginning of the results section (if they did not do so in the method section), the authors will briefly explain how they got the numbers that they later put into the statistical analysis. That is, they will describe how they scored participants’ responses. Often, the scoring process is straightforward. For example, researchers may say, “The data were the number of correctly recalled words.”

Occasionally, computing a score for each participant involves a little more work. In one study, researchers were looking at whether participants believed a person had a mental illness (Hilton & von Hippel, 1990). To measure these beliefs, the researchers had participants answer two questions. First, participants answered either “yes” or “no” to a question about whether the person had a mental illness. Then, researchers had participants rate, on a 1-to-9 scale, how confident participants were of their decision. How did the researchers turn these two responses into a single score? To quote the authors,

In creating this scale, a value of −1 was assigned to “no” responses and a value of +1 was assigned to “yes” responses. The confidence ratings were then multiplied by these numbers. All ratings were then converted to a positive scale by
adding 10 to the product. This transformation led to a scale in which 1 indicates a high degree of confidence that the person is normal and 19 represents a high degree of confidence that the person is pathological.

Do not merely glance at the brief section describing the scores to be used. Before leaving that section, be sure you know what a low score indicates and what a high score indicates: If you do not understand what the numbers being analyzed represent, how will you be able to understand the results of analyses based on those numbers?

After the authors explain how they got the scores for each participant, they will explain how those scores were analyzed. For example, they may write, “The prison sentence the participant recommended was divided by the maximum prison sentence that the participant could have recommended to obtain a score on the dependent measure. These scores were then subjected to a 2 (attractiveness) × 3 (type of crime) between-subjects analysis of variance (ANOVA).”

Usually, authors will report more than one analysis. Indeed, for some kinds of studies, authors may report the following four kinds of results.

**Basic Descriptive Statistics**

The first kind of analysis that may be reported—but often is not—is an analysis focusing on basic, descriptive statistics that summarize the sample’s scores on one or more measures. Typically, authors will describe the average score using the mean (which they will abbreviate as M). In addition, they will describe how closely most scores are to the mean. This measure of variability—of how spread out the scores are—will either be the range (high score minus low score) or, more commonly, the standard deviation (abbreviated SD). In addition to stating how much the scores are spread out (distributed), they may report whether the scores are normally distributed. For instance, authors may report, “Overall, recall was fairly good (M = 12.89, SD = 2.68), and recall scores were normally distributed.”

Knowing that the data are normally distributed is useful because many statistical tests, such as the t test and ANOVA, assume that data are normally distributed. If the data are not normally distributed, the researcher has three choices. First, the researcher may do the test and hope that violating the normality assumption will not unduly affect the results. Second, the researcher can decide to use a statistical test that does not assume that scores are normally distributed (often, such tests are called “nonparametric tests”). Third, the researcher may be able to perform some mathematical operation (transformation) on the scores to get a set of transformed scores that are normally distributed (hence, the joke that statisticians are not normal, but can be transformed). Occasionally, the mathematical operation that yields a set of normally distributed scores is relatively simple. For instance, rather than analyze

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2 Note that even if you have never heard of ANOVA before, you would still be able to have a basic understanding of such a results section. However, if you want to learn more about ANOVA, see Appendix E.

3 As you can see from Figure 4.2, normally distributed usually indicates that (a) the most common score is the mean, (b) most scores are near the mean, (c) as many scores are above the mean as below the mean, and (d) plotting the scores on the graph produces a bell-shaped pattern in which the graph’s left half is the mirror image of its right half.
how much time it took participants to scan a word, a researcher may analyze the scanning speed. Thus, a scanning time of half (1/2) a second per word may be transformed into a speed of 2 words per second (2/1).

If a new measure is used, the authors may report evidence that should increase your confidence in the measure. One strategy they may use is to show that the measure is apparently measuring some stable characteristic in a consistent, reliable way because people taking the test twice score about the same both times. For example, authors may report, “test–retest reliability was .90.” (Test–retest reliability can range from 0 to 1; .90 test–retest reliability is excellent.)

If raters are rating participants, the authors will want to convince you that the raters are reliable by showing you that raters’ judgments consistently agree with each other. That is, if one rater judges a participant to be very outgoing, the other judges should also judge the participant to be very outgoing. To present evidence that judges’ ratings agree, authors will present some measure of inter-rater agreement. Sometimes, it will be obvious that they are reporting interobserver agreement (e.g., “Raters agreed on 96% of the ratings”); sometimes, it will be a little less obvious (“Inter-rater reliability was extremely high \(r = .98\)),” and sometimes it will be far from obvious (e.g., “Cohen’s kappa = .82”).

If the authors have a scale composed of several questions, each question is, in a sense, like a “judge” that “rates” participants. In such a case, authors will want to convince you that the different questions provide reliable “ratings” that consistently agree with each other. That is, if according to the participant’s answer to question 1, the participant is very outgoing, the other questions should also “judge” the participant to be very outgoing. If, on the other hand, the questions did not agree (e.g., one question “judged” the participant as extremely outgoing whereas the other judged the participant as extremely shy), we would wonder how good the “judges” were and what

**FIGURE 4.2** A Normal Curve

![Normal Curve Diagram](image-url)
they could possibly be “seeing.” When talking about how well the questions seem to be agreeing in their judgments, authors will talk about internal consistency and refer to some measure of it. For example, the authors might report, “the scale was internally consistent (coefficient alpha = .91).” (Note that coefficient alpha is often abbreviated as α.)

As you have seen, authors may provide evidence that the whole test agrees with itself (test–retest reliability—participants score the same way when they are first tested as when they are retested), that raters agree with each other (inter-rater reliability), and that the individual items on the test agree with each other (internal consistency). In addition, authors may provide evidence that the test agrees with other indicators of the construct it is supposed to be measuring and does not agree with indicators of constructs it is not supposed to be measuring. For instance, authors may report that their emotional intelligence test

a. correlates with other tests of emotional intelligence
b. predicts a behavior associated with the construct (e.g., people scoring higher on the emotional intelligence test have more positive interactions with friends)
c. is not a measure of a related construct (e.g., it does not correlate highly with measures of traditional IQ)

**Results of the Manipulation Checks**

The next type of results that may be reported would be in a section that describes the results of the manipulation check. The manipulation check is a question or set of questions designed to determine whether participants perceived the experiment’s manipulation in the way that the researcher intended.

Usually, these results will be statistically significant (unlikely to be due to chance alone and, thus, probably due to the treatment) and unsurprising. For example, if a study manipulates attractiveness of defendant, the researchers might report that: “Participants rated the attractive defendant (M = 6.2 on a 1–7 scale) as significantly more attractive than the unattractive defendant (M = 1.8), F(1,44) = 11.56, p < .05.” After the authors have shown you that they manipulated the factor they said they manipulated, they are ready to show you whether that factor had the effect that they had hypothesized.

**Results Relating to Hypotheses**

Even if the researchers did not have a manipulation check, they will discuss the findings that relate to the hypotheses. After all, the researchers’ main goal in the results section should be to connect the results to the hypotheses so that the reader can tell how the hypotheses fared. For example, if the

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4 “F(1,44) = 11.56” means that a statistical test called an F test was calculated and the value of that test was 11.56; p < .05 means that if there was no effect for the manipulation, the chances of finding a difference between the groups of that size or larger is less than 5 in a 100. Traditionally, if p is less than 5 in 100, the difference is considered reliable and is described as “statistically significant.” In some journals, authors use prep (probability of replication) instead of p. For example, they might say prep = .95, meaning that the chances of a replication of the study getting the same pattern of results (e.g., the one group again having a higher average score than the other) would be 95%. To learn more about why some people want to use prep rather than p and to learn more about statistical significance, see Appendix E.
The hypothesis was that attractive defendants would receive lighter sentences than unattractive defendants, the author would report what the data said about this hypothesis:

The hypothesis that attractive defendants would receive lighter sentences was not supported. Attractive defendants received an average sentence of 6.1 years whereas the average sentence for the unattractive defendants was 6.2 years. This difference was not significant, $F(1,32) = 1.00, ns.$

**Other Significant Results**

After reporting results relating to the hypothesis (whether or not those results are statistically significant), authors will dutifully report any other statistically significant results. Even if the results are unwanted and make no sense to the investigator, significant results must be reported. Therefore, you may read things like, “There was an unanticipated interaction between attractiveness and type of crime. Unattractive defendants received heavier sentences for violent crimes whereas attractive defendants received heavier sentences for non-violent crimes, $F(1,32) = 18.62, p < .05.$” Or, you may read, “There was also a significant four-way interaction between attractiveness of defendant, age of defendant, sex of defendant, and type of crime. This interaction was uninterpretable.” Typically, these results will be presented last. Although an author is obligated to report these unexpected and unwelcomed findings, an author is not obligated to emphasize them.

**Conclusions About Reading the Results Section**

In conclusion, depending on the statistics involved, reading the results section may be difficult. After reading through it, you probably will not understand everything. However, before moving on to the discussion section, you should be able to answer these five questions:

1. What are the scores they are putting into the analysis?
2. What are the average scores for the different groups? Which types of participants score higher? Lower?
3. Do I understand all the tables and figures that contain descriptive statistics, such as tables of means, percentages, correlations, and so on?
4. What type of statistical analysis did the authors use?
5. Do the results appear to support the authors’ hypothesis? Why or why not?

**Reading the Discussion**

Finally, read the discussion. The relationship between the discussion and the results section is not that different from the relationship between a sports article and the box score. The article about the game reiterates key points from the box score but focuses on putting the game in a larger context—what the team’s performance means for the team’s play-off hopes, the team’s place in history, or even for the league itself. Similarly, the discussion section relates the results to the real world, theory, and future research. Whereas the results

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5 The abbreviation ns stands for “not statistically significant.”
section analyzes the results in relationship to the hypothesis, the discussion section interprets the results in light of the bigger picture.

The discussion section should hold few surprises. In fact, before reading the discussion, you can probably write a reasonable outline of it if you take the following three steps.

1. Jot down the main findings.
2. Relate these findings to the introduction.
3. Speculate about the reasons for any surprising results.

Because many discussion sections follow this three-step formula, the discussion is mostly a reiteration of the highlights of the introduction and results sections. If the authors get the results they expect, the focus of these highlights will be on the consistency between the introduction and the results. If, on the other hand, the results are unexpected, the discussion section will attempt to reconcile the introduction and results sections.

After discussing the relationship between the introduction and the results, the authors will discuss some limitations of the current research, suggest follow-up research that will overcome those limitations, and conclude by explaining why the current study is important. Consequently, by the time you finish the discussion section, you should be able to answer these five questions:

1. How well do the authors think the results matched their predictions?
2. How do the authors explain any discrepancies between their results and their predictions?
3. Do the authors admit that their study was flawed or limited in any way? If so, how?
4. What additional studies, if any, do the authors recommend?
5. What are the authors’ main conclusions?

DEVELOPING RESEARCH IDEAS FROM EXISTING RESEARCH

Once you understand the article, you can take advantage of what you have learned in previous chapters about internal, external, and construct validity to question the article’s conclusions and develop your own study. In addition, if the researchers failed to find a relationship, you can question the study’s power: its ability to detect differences between conditions.

As you can see from Appendix C, there are many questions you can ask of any study. Asking these questions of a study pays off in at least two ways.

First, because you become aware of the study’s limitations, you avoid the mistake of believing that something has been found to be true when it has not. Consequently, you are less likely to act on misinformation and thus less likely to make poor choices when buying medicines, voting in elections, making business decisions, or treating clients.

Second, because you are aware that no single study answers every question, you realize that additional studies should be done. In other words, a common result of asking questions about research is that you end up designing additional studies that will document, destroy, or build on the previous research. Thus, familiarity with research breeds more research.
**The Direct Replication**

Whenever you read a study, one obvious research idea always comes to mind—repeat the study. In other words, do a **direct or exact replication**: a copy of the original study.

One reason to do a direct replication is to develop research skills. Many professors—in chemistry, biology, and physics, as well as in psychology—have their students repeat studies to help students develop research skills.

But, from a research standpoint, isn’t repeating a study fruitless? Isn’t it inevitable that you will get the same results the author reported? Not necessarily—especially if there was an error in the original study. Unfortunately, there are at least three reasons why the results reported in the original study may be misleading: fraud, Type 1 errors, and Type 2 errors.

**Combating Fraud**

Although scientific fraud is rare, it does occur. Some cheat for personal fame. Others cheat out of the misguided notion that, if the evidence doesn’t support their hypothesis, there must be something wrong with the evidence. Consequently, they may decide to “fix” the evidence.

Although thousands of researchers want to be published, cheating is unusual because the would-be cheat knows that others may replicate the study. If these replications don’t get the results the cheat reported, the credibility of the cheat and of the original study would be questioned. Thus, the threat of direct replication keeps would-be cheats in line. Some scientists, however, worry that science’s fraud detectors are becoming ineffective because people are not doing replications as often as they once did (Broad & Wade, 1982). Given that one large-scale study found more than one-third of scientists confessing to unethical behavior (Wadman, 2005) and that researchers funded by a sponsor obtain results that support their sponsor’s position much more often than independent researchers do (Tavris & Aronson, 2007), this worry is well founded.

**Problems with Significance Testing**

Although fraud is one reason that some findings in the literature may be inaccurate (Broad & Wade, 1982), significance testing is a more common reason for inaccurate findings in the literature. Significance testing is a technique used by researchers to predict whether a finding would replicate without actually conducting a new study.

To understand significance testing and its problems, imagine you do a study in which you randomly assign participants to two groups. After administering the treatment to one of the groups, you obtain scores for all participants on the outcome measure. Suppose that the treatment group scores higher than the no-treatment group. Is this difference due to the treatment? Not necessarily. You know that chance might make the groups score differently. For example, you know that because random assignment isn’t perfect, just by chance, most of the individuals who naturally score high on your measure may have been assigned to the treatment group. Because you know that chance may have affected your study’s results, you might have the following two questions:

1. If I were to do this study again, would I get the same pattern of results?
2. Given a difference of this size, what are the chances that the treatment has no effect?
To try to answer these two questions, you might use a statistical significance test. However, such a test would not ask either of your two questions. Instead, it would ask a different question: “Given the treatment had no effect, what are the chances we would have observed a difference of this size?” If the answer is not very likely (e.g., less than 5 out of 100 times) and you were like many researchers, you might incorrectly assume that you had precise answers to your two original questions. Thus, you might conclude that (1) if you repeated the study, you would be highly likely to get the same pattern of results and (2) there is a less than 5% chance that the treatment has no effect.

In recent years, psychologists have been increasingly concerned that the question the statistical test asks—“If the treatment had no effect, what are the chances we would have observed this difference?”—is not the question researchers want answered (Cohen, 1990). Instead, as we suggested earlier, many researchers are using statistical tests to answer a different question: “If I do this study again, will I get the same pattern of results?” Unfortunately, statistical significance tests do not give reliable answers to that question (Cumming, 2008). Thus, some have argued that if psychologists want to know how replicable their findings are, they should do what other sciences do—replicate studies (Cohen, 1990; Cumming, 2008).

Even if researchers want to know the answer to the “If the treatment had no effect, what are the chances we would have observed this difference?” question, two errors could prevent researchers from getting the right answer to that question: Type 1 errors and Type 2 errors. **Type 1 errors** occur when variables are not really related, even though the statistical test suggests that they are. That is, Type 1 errors are statistical “false alarms” that involve mistaking a coincidence for a real relationship. For example, a Type 1 error would occur if a chance difference between a group who took a new drug that had no effect and a group who took a placebo (a sugar pill) was statistically significant and thus the drug was mistakenly viewed as having an effect.

**Type 2 errors**, on the other hand, occur when the statistical test fails to detect that the variables are related. That is, Type 2 errors are when the statistical alarm doesn’t go off when it should, so we overlook a relationship. For example, a Type 2 error would occur if the new drug really had more side effects than the placebo, but the statistical test was unable to determine that the new drug was significantly (reliably) more dangerous than the placebo. Partly because of psychologists’ concerns about Type 1 and Type 2 errors, some journals solicit and accept studies that replicate—or fail to replicate—previously published research.

**Combating Type 1 Errors**

To understand how the original study’s results may have been significant because of a Type 1 error, imagine that you are a crusty journal editor who allows only simple experiments that are significant at the $p = .05$ level to be published in your journal. If you accept an article, you believe that the chances
are only about 5 in 100 that the article will contain a Type 1 error (the error of mistakenly declaring that a chance difference is a real difference). Thus, you are appropriately cautious. But what happens once you publish 100 articles? Then, you may have published five articles that have Type 1 errors.

In fact, you may have many more Type 1 errors than that because people do not send you nonsignificant results. They may have done the same experiment eight different times, but they send you the results of the eighth replication—the one that came out significant. Or, if 20 different teams of investigators do basically the same experiment, only the team that gets significant results (the team with the Type 1 error) will submit their study to your journal. The other teams will just keep their nonsignificant results in their filing cabinets. As a result, you have created what is called the **file drawer problem**: a situation in which the research not affected by Type 1 errors languishes in researchers’ file cabinets, whereas the Type 1 errors are published.

To see how the “file drawer problem” might bias published ESP research, imagine you do a study looking for an effect of ESP. If you fail to find an effect, your study would not be published (the data would probably never make it out of your file cabinet). However, if, because of a Type 1 error, you found an effect, your study could be published, thereby contributing to a “file drawer problem.”

Knowing about the file drawer problem can prevent you from contributing to the problem. For example, while serving as editor for the *Journal of Personality and Social Psychology*, Greenwald (1975) received an article that found a significant effect for ESP. Because Greenwald was aware that many other researchers had done ESP experiments that had not obtained significant results, he asked for a replication. The authors could not replicate their results. Thus, the original study was not published because the original results were probably the result of a Type 1 error (Greenwald, 1975).

**Combating Type 2 Errors**

Just as studies that find significant effects may be victimized by Type 1 errors, studies that fail to find significant effects may be victimized by Type 2 errors. Indeed, Type 2 errors (the failure to find a statistically significant difference when a reliable difference exists) are probably more common than Type 1 errors. Realize that, in a typical study, the chance of a Type 1 error is usually about 5%. However, in most studies, the chance of a Type 2 error is much higher. To give you an idea of how much higher, Cohen (1990), who has urged psychologists to make their studies much less vulnerable to Type 2 errors than they currently are, wants psychologists to set the chance of a Type 2 error at about 20%. Even if researchers would reach Cohen’s relatively high standards, the risk of making a Type 2 error in a study would be at least four times \((4 \times 5\% = 20\%)\) higher than the risk of making a Type 1 error!

Few researchers conduct studies that come close to Cohen’s standards. Cohen (1990) reports that, even in some highly esteemed journals, the studies published ran more than a 50% chance of making a Type 2 error. Similarly, when reviewing the literature on the link between attributions and depression, Robins (1988) found that only 8 of 87 published analyses had the level of power that Cohen recommends. No wonder some studies found relationships between attributions and depression whereas others did not! Thus, when a study fails to find a significant effect, do not assume that a direct replication would also fail to find a significant effect. Repeating the study may yield statistically significant results.
The Systematic Replication

Rather than merely repeating the study, you could do a systematic replication: a study that varies in some systematic way from the original study. Usually, your systematic replication will differ from the original in one of two ways.

First, you may refine the design or methodology of the previous study. For example, your systematic replication may use more participants, more standardized procedures, or more objective measures than the original study used.

Second, you may make different trade-offs than the original researcher. Whereas the original researcher sacrificed construct validity to get power, you may sacrifice power to get construct validity.

You now know what a systematic replication is, but why should you do one? There are two main reasons.

First, as we suggested earlier, you might do a systematic replication for any of the reasons you would do a direct replication. Because the systematic replication is similar to the original study, the systematic replication, like the direct replication, can help verify that the results reported by the original author are not due to a Type 1 error, a Type 2 error, or to fraud.

Second, you might do a systematic replication to make new discoveries. The systematic replication may uncover new information because it will either do things differently or do things better than the original study. Because you can always make different trade-offs than the original researcher and because most studies can be improved, you can almost always do a useful systematic replication.

In the next few sections, we will show you how to design a useful systematic replication. Specifically, we will show you how to design systematic replications that have more power, more external validity, or more construct validity than the original. We will begin by showing you how to change the original study to create a systematic replication that has more power than the original.

Improving Power by Tightening the Design

If the original study fails to find a relationship between variables, that failure could be due to that study not looking hard enough or smart enough for the relationship. Therefore, you might want to repeat the study, but add a few minor refinements to improve its ability to detect relationships (see Table 4.2). Although we will discuss the logic and techniques for doing so in other chapters, you already have an intuitive understanding of what to do.

<table>
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<tr>
<th>TABLE 4.2</th>
<th>How to Devise a Systematic Replication That Will Have More Power Than the Original Study</th>
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<td>1. Reduce random differences that could hide differences caused by the treatment effect by</td>
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<tr>
<td>a. using participants who are similar to one another,</td>
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<tr>
<td>b. administering the study in a consistent way, and</td>
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<tr>
<td>c. training and motivating raters to be more consistent.</td>
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<tr>
<td>2. Balance out the effects of random error by using more participants.</td>
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<tr>
<td>3. Use a more sensitive dependent measure.</td>
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To show that you do have an intuitive understanding of how to design a study that can find relationships, let’s look at an absurdly designed study that needs some help:

**Dr. F. Ehl wants to see whether aspirin improves mood. He enlists two participants: one person who is depressed and one who is not. One participant receives 1/16 of an aspirin tablet, the other receives 1/8 of an aspirin tablet. The assistant running the study is extremely inconsistent in how she treats participants: Sometimes, she is warm, smiling, and professional as she ushers the participant into a nice, air-conditioned room, provides the participant with a nice clean glass of cool water, and carefully administers the dose of aspirin. Other times, she is rude, grumpy, and unprofessional as she dumps the participant into a hot, stinky room that used to be the janitor’s closet, provides the participant with a dirty glass of warm water, and drops the aspirin on the floor before administering it. To measure mood, the assistant asks the participant whether he or she is in a good mood. If the participant says “yes,” that is to be coded as “1”; if the participant says “no,” that is to be coded as “2.” Unfortunately, the assistant sometimes codes “yes” as “2” and “no” as “1.”**

To improve the study’s ability to find an effect for the treatment variable (aspirin), you would make six improvements.

First, you would use participants who were more similar to one another. If one participant is depressed and the other is not (as in Dr. F. Ehl’s experiment), the “groups” will clearly be different from each other before the treatment is administered. Consequently, even if the treatment has an effect, it will not be detected.

Second, in addition to trying to reduce differences between participants, you would try to reduce differences between research sessions. That is, you would run the study in a more consistent, standard way. You would try to keep the assistant’s behavior, the room, and the glass’s cleanliness the same for each participant. That way, you wouldn’t have to worry as much that the difference between the groups’ behavior was due to inconsistencies in how participants were treated.

Third, you would try to make your measuring system more reliable. The assistant must be consistent in how she codes “yes” and “no” responses so you know that differences between the groups aren’t due to unreliable coding.

Fourth, you would use more participants. You know that with only one participant in each condition, it would be impossible to say that the treatment—rather than individual differences—caused the “groups” to be different. You know that as you add participants to the two groups, it becomes easier to say that a difference between the groups is due to the treatment rather than to the chance event that substantially more people who were in better moods to start with were put in one group rather than in the other group. Similarly, with more participants, it becomes less likely that a random measurement error (e.g., miscoding a “1” as a “2”) or random differences in how the experiment was conducted (e.g., the assistant being in a grumpy mood) will affect one group of participants much more than another. In short, whereas the first three things you might do would reduce treatment-unrelated
differences so that treatment-related differences can be seen, this fourth step gives treatment-unrelated differences a chance to balance out over the two groups so they don’t affect one group much more than the other.

Fifth, you would use a measure that was more sensitive to small differences. For example, rather than asking whether participants were in a good mood, you might ask participants to rate their mood on a 1 (poor) to 9 (excellent) scale.

Sixth, rather than increasing your ability to detect a subtle difference, you might improve your study’s power to find a difference by giving it a bigger difference to find. The idea is that bigger differences should be harder to overlook. One way that might create bigger differences in how your participants behave is to create bigger differences in the treatment amounts you give each group. In this case, you might give one group a pill containing no aspirin and the other group an entire aspirin. Another way to have a more powerful manipulation is to use a manipulation that is so dramatic that participants can’t ignore it. For example, when Frederickson et al. (1998) had men sit in a room with a mirror while wearing a bathing suit, the men did not do worse on a math test than men wearing a sweater. Thus, there was no evidence that wearing swimsuits made men self-conscious about their bodies. However, Hebl, King, and Lin (2004) noted that the men wore swim trunks rather than very brief Speedo swimsuits. When Hebl, King, and Lin replicated the study by having men wear Speedo swimsuits, the men did do more poorly on the math test.

**Improving External Validity**

If the original study had adequate power, this power to obtain a statistically significant relationship may have come at the expense of other valued characteristics (see Table 4.3), such as external validity. To illustrate, let’s look at two cases in which attempts to help power hurt the generalizability of the results.

In the first case, a researcher realizes that if all the individuals in the study were alike, it would be easier to find out whether the treatment has an effect. If, on the other hand, individuals in the study were all quite different, it would be difficult to distinguish differences caused by the treatment from those individual differences. To be more specific, if the individuals in the study are very different from each other, random assignment of those individuals into two groups may produce two groups that are substantially different from each other before the study starts. Consequently, if the treatment has a small positive effect, at least two bad things can happen. First, if the group that is to receive the treatment would have—without the treatment—scored substantially lower than the no-treatment group, the treatment’s small effect will not be enough to make the treatment group score higher than the no-treatment group. Thus, random differences between the groups would have overwhelmed the treatment’s effect. Second, even if the treatment group does score slightly higher than the no-treatment group, the researcher could not say that this difference was due to the treatment rather than to chance. After all, if the groups could have been substantially different even before the treatment was administered, finding that the groups are somewhat different after the treatment was administered is hardly proof of a treatment effect.

To make it easier to prevent individual differences from overwhelming or obscuring treatment effects, the researcher tries to reduce the impact of
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<th>Conflict</th>
<th>Steps to Improve Power</th>
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<td>Power versus construct validity</td>
<td>Using empty control group (a group that is just left alone), despite its failure to control for placebo effects: effects due to expecting the treatment to work. For example, to look at the effects of caffeine, a power hungry researcher might compare an experimental group that drank caffeinated colas with an empty control group that drank nothing. However, a less powerful but more valid manipulation would be to might use a control group that drank decaffeinated colas.</td>
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<td>Using a sensitive self-report measure (e.g., “on a 1–10 scale, how alert do you feel?”), despite its vulnerability to self-report biases.</td>
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<td>Testing the same participants under all experimental conditions (a within-subjects design) even though using that design alerted participants to the hypothesis (e.g., if participants played a peaceful video game, filled out an aggression scale, played a violent video game, and filled out an aggression scale, participants would know they were supposed to act more aggressively after playing the violent game).</td>
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<tr>
<td>Power versus external validity</td>
<td>Using a restricted sample of participants so that differences between participants won’t hide the treatment effect.</td>
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<td>Using a simple, controlled environment to reduce random error due to uncontrolled situational variables, but losing the ability to generalize to more realistic environments.</td>
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<td>Maximizing the number of participants per group by decreasing the number of groups. Suppose you can study 120 participants, and you choose to do a two-group experiment that compares no treatment with a medium level of the treatment instead of a four-group experiment that compares no, low, medium, and high levels of the treatment. With 60 participants per group, you have good power but, with only two treatment amounts, the degree to which you can generalize results to different amounts of treatment is limited.</td>
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<td>Using a within-subjects design in which participants got both treatments (e.g., psychoanalysis and behavioral therapy) even though—in real life—individuals receive either psychoanalysis or behavior therapy (Greenwald, 1976).</td>
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<tr>
<td>Power versus internal validity</td>
<td>Using the more powerful within-participants design (in which you compare each participant with herself or himself) rather than between-participants design (in which you compare participants getting one treatment with participants getting another treatment) even though the between-participants design may have better internal validity. As you will see in Chapter 13, when you compare participants with themselves, they may change for factors unrelated to getting the current treatment (e.g., getting better at or bored with the task, getting tired, having a delayed reaction to an earlier treatment).</td>
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<tr>
<td>Power versus statistical conclusion validity</td>
<td>Increasing the chances of declaring a real difference significant by being more willing to risk declaring a chance difference significant. For example, if a researcher increases the false alarm (Type 1 error) rate to $p = .20$ (rather than the conventional $p &lt; .05$ rate), the study will have more power to find real effects but will also be more likely to mistake chance effects for real ones.</td>
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individual differences on the study by choosing a group of individuals who are homogenous (all similar). The researcher knows that studying participants who are alike will tend to boost power: The researcher is more likely to obtain a statistically significant result. However, choosing homogeneous participants will decrease the extent to which the results can be generalized to other kinds of participants. What applies to a particular group of 18-year-old White, middle-class, first-year college participants may not apply to other groups of people, such as retirees, members of the working class, and members of minority groups.

In the second case, a researcher is worried that doing a study in a real-world setting would allow uncontrolled, nontreatment factors to have effects that might hide the treatment’s effect. To prevent nontreatment effects from hiding treatment effects, the researcher performs the study in a lab rather than in the field. The problem is that we do not know whether the results would generalize outside of this artificial environment.

Suppose you find a study that you believe lacks external validity. For example, suppose that some students performed a lab experiment at their college to examine the effects of defendant attractiveness. There are at least four things you can do to improve the study’s generalizability (see Table 4.4).

First, you can use a sample that differs from the original study’s sample. Your study might include a more representative sample of participants (perhaps by using random sampling from a broad population) than the original or it might include a group that was left out of the original study. For example, if their study tested only men, you might test only women.

Second, you can change a lab experiment into a field experiment. For example, suppose that the defendant study used college students as participants. By moving the defendant study to the field, you might be able to use real jurors as participants rather than college students.

Third, you can use different levels of the independent (treatment) variable to see whether the effects will generalize to different levels of the independent variable. In the defendant study, researchers may have only compared attractive versus unattractive defendants. Therefore, you might replicate the study to see whether extremely attractive defendants have an advantage over moderately attractive defendants.

Fourth, you can wait a while before collecting the dependent measure to see whether the effect lasts. Fearing the effect will wear off, researchers often

**Table 4.4**

How to Devise a Systematic Replication That Will Have More External Validity Than the Original Study

<p>| | |</p>
<table>
<thead>
<tr>
<th></th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>Use a more heterogeneous group of participants or use a participant group (for instance, women) that was not represented in the original study.</td>
</tr>
<tr>
<td>2</td>
<td>Repeat a lab experiment as a field experiment (to see how, go to the field experiment section of our website).</td>
</tr>
<tr>
<td>3</td>
<td>Use more levels (amounts) of the independent or predictor variable.</td>
</tr>
<tr>
<td>4</td>
<td>Delay measurement of the dependent variable to see if the treatment effect persists over time.</td>
</tr>
</tbody>
</table>
measure the dependent variable almost immediately after the participant gets the treatment to maximize their chances of finding a significant effect. However, in real life, there may be a gap between treatment and opportunity to act.

**Improving Construct Validity**

We have discussed doing a systematic replication to improve a study’s power and external validity. You can also do a systematic replication to improve a study’s construct validity, especially if you think the original study’s results could be due to participants guessing the hypothesis and then deciding to “give the researcher results that will prove the hypothesis” (see Table 4.5).

To illustrate how a systematic replication could prevent participants from essentially telling the researcher what the researcher wants to hear, imagine a two-group lab experiment in which one group gets caffeine (in a cola), whereas the other group gets nothing (an empty control group). You could design a study that had more construct validity by

- Replacing the empty control group with a placebo treatment group (a caffeine-free cola) and making the study a double-blind experiment (an experiment in which neither the participant nor the assistant interacting with the participant knows which treatment the participant received).
- Misleading the participants about the purpose of the study by giving them a clever cover story (e.g., they are doing a taste test).
- Not letting them know they were in a study by doing your study in the real world: If participants do not know they are in a study, they will probably not guess the hypothesis.

In short, the systematic replication accomplishes everything a direct replication does and more. By making some slight modifications in the study, you can improve the original study’s power, external validity, or construct validity.

**The Conceptual Replication**

Suppose you believe there were problems with the original study’s construct validity—problems that cannot be solved by making minor procedural changes. Then, you should perform a **conceptual replication**: a study that is based on the original study but uses different methods to better assess the true relationships between the variables. In a conceptual replication, you might use a different manipulation or a different measure.
Because there is no such thing as a perfect measure or manipulation, virtually every study’s construct validity can be questioned. Because the validity of a finding is increased when the same basic result is found using other measures or manipulations, virtually any study can benefit from conceptual replication. Therefore, you should have little trouble finding a study you wish to redo as a conceptual replication.

There are multiple ways to design a conceptual replication (see Table 4.6). For example, you could use a different way of manipulating the treatment variable. The more manipulations of a construct that find the same effect, the more confident we can be that the construct actually has that effect. Indeed, you might use two or three manipulations of your treatment variable and use the type of manipulation as a factor in your design.

For instance, suppose a study used photos of a particular woman dressed in either a “masculine” or “feminine” manner to manipulate the variable “masculine versus feminine style.” You might use the original experiment’s photos for one set of conditions, but also add two other conditions that use your own photos. Then, your statistical analysis would tell you whether your manipulation had a different impact from the original study’s manipulation.

Realize that you are not limited to using the same type of manipulation as the original study. Thus, instead of manipulating masculine versus feminine by dress, you might manipulate masculine versus feminine by voice (masculine-sounding versus feminine-sounding voices).

Although varying the treatment variable for variety’s sake is worthwhile, changing the manipulation to make it better is even more worthwhile. One way of improving a treatment manipulation is to make it more consistent with the definition of the construct. Thus, in our previous example, you might feel that the original picture manipulated “fashion sense” rather than masculine versus feminine style. Consequently, your manipulation might involve two photos: one photo of a woman fashionably dressed in a feminine way, one of a woman fashionably dressed in a masculine manner. To see whether you really were manipulating masculinity–femininity instead of fashion sense or attractiveness, you might add a manipulation check. Specifically, you might ask participants to rate the masculine and feminine photos in terms of attractiveness, fashion sense, and masculinity–femininity.

**Table 4.6**
How to Devise a Conceptual Replication That Will Have More Construct Validity Than the Original Study

| 1. Use a different manipulation of the treatment variable and add a manipulation check. |
| 2. Use a different dependent measure, such as one that |
|   a. is closer to accepted definitions of the construct. |
|   b. is less vulnerable to social desirability biases and demand characteristics, such as |
|     i. a measure of overt behavior (actual helping rather than reports of willingness to help). |
|     ii. a measure that is unobtrusive (how far people sit from each other, rather than reports of how much they like each other). |
Because no manipulation is perfect, replicating a study using a different treatment manipulation is valuable. Similarly, because no measure is perfect, replicating a study using a different measure is valuable. Often, you can increase the construct validity of a study by replacing a self-report measure that asked people what they would do with a behavioral measure that would see whether participants actually helped. By replacing a self-report measure with a behavioral measure, you don’t have to worry as much about participants lying, misremembering, providing answers that please the researcher, or providing answers that make the participant look good.

**The Value of Replications**

Replications are important for advancing science. Direct replications are essential for guaranteeing that the science of psychology is rooted in solid, documented fact. Systematic replications are essential for making psychology a science that applies to all people. Conceptual replications are essential for making psychology a science that can make accurate statements about constructs. Conceptual replications help us go beyond talking about the relationship between specific procedures and scores on specific measures to knowing about the relationships between broad, universal constructs such as stress and mental health.

In addition to replicating previous research, systematic and conceptual replications extend previous research. Consider, for a moment, the conceptual replication that uses a better measure of the dependent variable or the systematic replication that shows the finding occurs in real-world settings. Such conceptual and systematic replications can transcend the original research.

**Extending Research**

Systematic and conceptual replications are not the only ways to extend published research. Of the many other ways to extend published research (see Table 4.7), let’s briefly discuss the two easiest.

First, you could both replicate and extend research by repeating the original study while adding a variable that you think might moderate the observed effect. For instance, if you think that being attractive would hurt a defendant if the defendant had already been convicted of another crime, you might add the factor of whether or not the defendant had been previously convicted of a crime.

Second, you could extend the research by doing the follow-up studies that the authors suggest in their discussion section. Sometimes, authors will describe follow-up studies in a subsection of the discussion titled “Directions for Future Research.” At other times, authors will hint at follow-up studies in the part of the discussion section in which they talk about the research’s limitations. Thus, if the authors say that a limitation of the study was that it covered only a short period, they are suggesting a replication involving a longer period. If they say that a limitation was that they used self-report measures, they are suggesting a replication using other types of measures. If they say their study was correlational and so cause–effect statements cannot be made, they are suggesting replicating their study as an experiment.

In short, much of the work done by scientists is a reaction to reading other scientists’ work. Sometimes, the researcher gets excited because she thinks the authors are onto something special, so she follows up on that work. Other
times, she thinks that the authors are wrong, so she designs a study to prove them wrong. Regardless of the reaction, the outcome is the same: The publication of an article not only communicates information but also creates new questions. As a result of scientists reacting to each other’s work, science progresses.

CONCLUDING REMARKS

After reading this chapter, you can be one of the scientists who reacts to another’s work and helps science progress. You know how to criticize research as well as how to improve it. Thus, every time you read an article, you should get at least one research idea.

SUMMARY

1. Not all articles are equally easy and interesting to read. Therefore, if you are given an assignment to read any article, you should look at several articles before committing to one.

2. Reading the title and the abstract can help you choose an article that you will want to read.

3. The abstract is a short, one-paragraph summary of the article. In journals, the abstract is
the paragraph immediately following the authors’ names and affiliations.
4. In the article’s introduction, the authors tell you what the hypothesis is, why it is important, and justify their method of testing it.
5. To understand the introduction, you may need to refer to theory and previous research.
6. The method section tells you who the participants were, how many participants there were, and how they were treated.
7. In the results section, authors should report any results relating to their hypotheses and any statistically significant results.
8. The discussion section either reiterates the introduction and results sections or tries to reconcile the introduction and results sections.
9. When you critique the introduction, question whether (a) testing the hypothesis is vital, (b) the hypothesis follows logically from theory or past research, and (c) the authors have found the best way to test the hypothesis.
10. When you critique the method section, question the construct validity of the measures and manipulations and ask how easy it would have been for participants to have played along with the hypothesis.
11. When you look at the results section, question any null (nonsignificant) results. The failure to find a significant result may be due to the study failing to have enough power.
12. In the discussion section, question the authors’ interpretation of the results, try to explain results that the authors have failed to explain, find a way to test your explanation, and note any weaknesses that the authors concede.
13. The possibility of Type 1 error, Type 2 error, or fraud may justify doing a direct replication.
14. You can do a systematic replication to improve power, external validity, or construct validity.
15. If minor changes can’t fix problems with a study’s construct validity, you should do a conceptual replication.
16. Replications are vital for the advancement of psychology as a science.
17. Reading research should stimulate research ideas.

KEY TERMS
abstract (p. 98)  file drawer problem (p. 114)  PsycINFO (p. 98)
conceptual replication (p. 120)  introduction (p. 99)  results section (p. 106)
direct or exact replication (p. 112)  method section (p. 104)  systematic replication (p. 115)
discussion (p. 110)  power (p. 101)  Type 1 errors (p. 113)
experimental design (p. 100)  Psychological Abstracts (p. 98)  Type 2 errors (p. 113)

EXERCISES
1. Find an article to critique. If you are having trouble finding an article, consult Web Appendix B (Searching the Literature) or critique the article in Appendix B. To critique the article, question its internal, external, and construct validity. If you want more specific help about what questions to ask of a study, consult Appendix C.
2. What are the main strengths and weaknesses of the study you critiqued?
3. Design a direct replication of the study you critiqued. Do you think your replication would yield the same results as the original? Why or why not?
4. Design a systematic replication based on the study you critiqued. Describe your study. Why is your systematic replication an improvement over the original study?
5. Design a conceptual replication based on the study you critiqued. Describe your
study. Why is your conceptual replication an improvement over the original study?

6. Evaluate the conclusions of these studies. Then, recommend changes to the study.
   a. A study asked teens whether they had taken a virginity pledge and found that those who claimed to have taken a pledge were more likely to abstain from sex than those who claimed not to have taken that pledge. The researchers conclude that abstinence pledges cause students to abstain from sex.
   b. A study finds that teens, after completing a three-year, voluntary, after-school abstinence education program, are better informed about the diseases that may result from sex. The researchers conclude that abstinence pledges cause students to abstain from sex.

WEB RESOURCES

1. Go to the Chapter 4 section of the book’s student website and:
   a. Look over the concept map of the key terms.
   b. Test yourself on the key terms.
   c. Take the Chapter 4 Practice Quiz.

2. Get a better idea of the steps involved in actually conducting a study by reading “Appendix D: Practical Tips for Conducting an Ethical and Valid Study.”

3. To learn more about how to use PsycINFO and other databases to find articles, go to Chapter 4’s “Computerized Searches” link.

4. To learn more about the value of reading the original source, click on Chapter 4’s “Misinformation From Textbooks, Newspaper Articles, and Other Secondhand Sources” link.

5. If you want to read articles that are available on the web (including articles written by students), click on Chapter 4’s “Web Articles” link.

6. If you want to start writing the introduction to either your research proposal or your research report, use Chapter 4’s “Getting Started on Writing Your Introduction” link.
Choosing a Behavior to Measure

Errors in Measuring Behavior
Overview of Two Types of Measurement Errors: Bias and Random Error
Errors Due to the Observer: Bias and Random Error
Errors in Administering the Measure: Bias and Random Error
Errors Due to the Participant: Bias and Random Error
Summary of the Three Sources and Two Types of Measurement Error

Reliability: The (Relative) Absence of Random Error
The Importance of Being Reliable: Reliability as a Prerequisite to Validity
Using Test–Retest Reliability to Assess Overall Reliability: To What Degree Is a Measure “Random Error Free”? Identifying (and Then Dealing With) the Main Source of a Measure’s Reliability Problems
Conclusions About Reliability

Beyond Reliability: Establishing Construct Validity
Content Validity: Does Your Test Have the Right Stuff?
Internal Consistency Revisited: Evidence That You Are Measuring One Characteristic
Convergent Validation Strategies: Statistical Evidence That You Are Measuring the Right Construct
Discriminant Validation Strategies: Showing That You Are Not Measuring the Wrong Construct
Summary of Construct Validity

Manipulating Variables
Common Threats to a Manipulation’s Validity
Pros and Cons of Three Common Types of Manipulations
Conclusions About Manipulating Variables

Concluding Remarks
Summary
Key Terms
Exercises
Web Resources
Science begins with measurement.
—Lord Kelvin

An experiment is a question which science poses to Nature, and a measurement is the recording of Nature’s answer.
—Max Planck

CHAPTER OVERVIEW

To state a hypothesis, you usually propose a relationship between two or more variables. For example, you might propose that “bliss causes ignorance.” To test this hypothesis, you must define the fuzzy, general, and abstract concepts “ignorance” and “bliss” in terms of operational definitions: clear, specific, and concrete recipes for manipulating or measuring variables.

Because operational definitions are objective recipes for variables, they allow you to talk about your variables in objective, rather than subjective, terms. Thus, rather than saying, “My opinion is that they are happy,” you can say, “They scored 94 on the happiness scale.” By letting you talk about objective procedures rather than subjective opinions, operational definitions enable you to test your hypothesis objectively. In addition, because they are specific recipes that others can follow, operational definitions make it possible for others to repeat (replicate) your study.

Most people recognize that the ability of psychology to test hypotheses objectively and to produce publicly observable facts—in short, its ability to be a science—depends on the psychologists’ ability to develop publicly observable ways to measure psychological variables objectively and accurately. Unfortunately, most people also believe one of two myths about measuring psychological variables.

At one extreme are cynics who believe the myth that psychological variables cannot be measured. For example, they believe shyness is a subjective concept that can’t be measured with a multiple-choice test or any other objective measure and that arousal can’t be measured by increases in heart rate or changes in brain waves. These people think that psychology is not—and cannot be—a science.

At the other extreme are trusting, gullible innocents who believe the myth that psychological variables are easy to measure and that anyone who claims to be measuring a psychological variable is doing so.
For example, they believe that the polygraph (lie detector) test accurately measures lying and that tests in popular magazines accurately measure personality. Because these naïve individuals can’t distinguish between accurate (valid) measures and inaccurate (invalid) measures, they can’t distinguish between scientific and pseudoscientific claims.

The truth is that developing measures and manipulations of psychological variables is not easy. However, developing objective measures of abstract constructs such as love, motivation, shyness, religious devotion, or attention span is not impossible. By the end of this chapter, you will know not only how to develop operational definitions of such abstract concepts but also how to determine whether such operational definitions have a high degree of construct validity. Put another way, by the end of this chapter, you will have completed a short course in psychological testing.

### CHOOSING A BEHAVIOR TO MEASURE

If your hypothesis is about a behavior, such as smoking, yawning, jaywalking, typing, exercising, or picking one’s nose, your hypothesis (e.g., people will be more likely to smoke after being told that they should not be allowed to smoke) tells you what behavior to measure. Indeed, your hypothesis may even spell out whether you should measure the behavior’s

- rate (how fast—if you’re measuring smoking, rate might be measured by how many cigarettes the participant smoked in 2 hours)
- duration (how long—if you’re measuring smoking, duration might be measured by how many minutes the participant spent smoking)
- cumulative frequency (how many—if you’re measuring smoking, cumulative frequency might be measured by the total number of cigarettes the participant smoked during the observation period)
- intensity (how vigorously—if you’re measuring smoking, intensity might be measured by how much smoke the participant inhaled with each puff)
- latency (how quickly the behavior began—if you’re measuring smoking, latency [also called either response time or reaction time] might be measured by how much time passed before the participant lit up a cigarette)
- accuracy (how mistake-free—if you’re measuring typing, accuracy might be measured by number of typos)

Thus, if you have a hypothesis about a specific behavior, obtaining accurate scores from each participant seems manageable: All you have to do is accurately measure the right aspect of the behavior.

But what if your hypothesis is about an abstract construct? At first, objectively measuring a construct may seem impossible: You cannot see abstract, invisible, psychological states such as love. As much as you might want to see
what people are feeling, you can see only what they do. Fortunately, what they do may give you an indication of what they feel. Thus, although you cannot see love, you may be able to see love reflected in one of four types of behavior:

1. verbal behavior—what participants say, write, rate, or report, such as how a participant fills out a “love scale”
2. overt actions—what participants do, such as the extent to which a participant passes up opportunities to date attractive others
3. nonverbal behavior—participants’ body language, such as the amount of time a person spends gazing into a partner’s eyes
4. physiological responses—participants’ bodily functions, such as brain wave activity, heart rate, sweating, pupil dilation, the degree to which a person’s blood pressure increases when the partner approaches (Rubin, 1970)

To choose a specific behavior that is a valid indicator of your construct, you should consult theory and research. If you don’t, you may choose a behavior that research has shown is not a valid marker of that construct. For example, if you choose self-reported social intelligence as a measure of actual social intelligence, handwriting as a sign of personality, or blood pressure as a gauge of lying, you are in trouble because those behaviors aren’t strongly related to those constructs.

**ERRORS IN MEASURING BEHAVIOR**

If you have chosen a behavior that is a valid indicator of your construct—or if you are interested in measuring a certain behavior (e.g., smoking) rather than a construct—your search for a measure is off to a good start. However, it is only a start— you don’t have a measure yet.

To understand why choosing a measure involves more than choosing a relevant behavior, imagine that you want to measure how fast participants run a 40-yard dash. To measure this behavior, (1) you must set the stage for the behavior to occur, (2) participants must perform the behavior, and (3) you must record the behavior. What happens at each of these three stages will affect what time you write down as the participant’s 40-yard dash time.

First, by controlling the testing conditions, you, as the person administering the “test,” will affect how fast each participant runs. For example, variations in the instructions you give, in what participants wear, in the temperature at the time of the test, and in how many people watch the test all affect how fast participants run—and are all factors you may be able to control. In technical terms, any variations in testing conditions will introduce error. Thus, the accuracy of participants’ times will depend on you minimizing error by keeping the testing conditions constant.

Second, the participant will determine how fast he or she runs. Specifically, two types of participant characteristics will affect the runner’s speed: (a) characteristics that tend not to vary, such as the runner’s height and athletic ability, and (b) characteristics that can vary, such as the participant’s mood, health, energy level, and desire. Variations in these variable factors—other than changes you wanted your manipulation to cause—will introduce
error. For example, if the participant becomes ill right before the run, you will not be measuring the runner’s typical performance.

Third, you, as observer, will determine the participant’s recorded time by what time you write down, and the time you write down will usually be affected by when you start and stop the stopwatch.

For instance, if you stop the stopwatch before a participant crosses the finish line, that participant’s recorded time will be faster than the participant’s actual time.

All three of these factors—testing conditions, participants’ psychological and physiological states, and observers—can vary. Testing conditions, such as weather conditions and what instructions the researcher gives, may not be the same from day to day, moment to moment, and participant to participant. Likewise, participants and their energy levels, efforts, and expectations may vary, as can the timer’s accuracy.

**Overview of Two Types of Measurement Errors: Bias and Random Error**

When the three factors in the 40-yard-dash example (testing conditions, participants, and observers) vary, participants’ scores vary. The way these three factors affect participants’ scores depends on whether these factors vary (a) systematically or (b) randomly.

**Bias**

If these factors vary systematically (in a way that pushes scores in a certain direction), the result is bias. Bias may cause a researcher to “find” whatever he or she expects to find. For example, suppose a researcher believes that one group of individuals—the individuals given a special treatment—will run faster than the no-treatment group. The researcher could unintentionally bias the results in at least three ways.

First, the researcher could create biased testing conditions by consistently giving the participants who received the treatment more time to warm up than the other participants. Second, the researcher could bias the participants’ expectations by telling participants who received the treatment that the treatment should improve their performance. Third, the researcher could bias observations by clicking off the stopwatch just before the participants who received the treatment reach the finish line, but clicking off the stopwatch just after the other participants reach the finish line. If the researcher does any of these things, the researcher will “find” that the group that was expected to run faster will have faster recorded times than the other group.

**Random Error**

You have seen that if the testing conditions, the researcher’s expectations, or the scoring of the test consistently favor one group, the result is systematic bias. But what if testing conditions, researcher’s expectations, and the scoring of the test do not consistently favor any group? Then, the result is unsystematic random error of measurement. For instance, suppose the wind at the time participants run the race varies in an unsystematic way. It unpredictably blows at the back of some runners, in the face of other runners, but, on the
average, it probably does not aid the runners receiving the treatment substantially more than it aids the other runners.

This random measurement error makes individual scores less trustworthy. Some runners’ times will benefit from the gusts of wind, whereas other runners’ times will be hurt by the wind. Thus, if there is a substantial amount of random measurement error, individual scores may be misleading.

Although random measurement error has a strong effect on individual scores, it has little effect on a group’s average score. Why? Because random measurement error, like all random error—and unlike bias—does not consistently push scores in a given direction. To be more specific and technical, random error tends to average out to zero (see Figure 5.1).

Because random error tends to balance out to zero, if a group is large enough (e.g., more than 60), the seconds random error added to some members’ times will be balanced out by the seconds random error subtracted from other members’ times. Consequently, random error’s average effect on the group will tend to be near zero. Because random measurement error will probably have little to no effect on either the treatment group’s or the

![Random Error Balancing Out to Zero](image)

**FIGURE 5.1** Random Error Balancing Out to Zero.

Notes:

1. These are the results of 90 coin flips. “H” stands for heads; “T” stands for tails. Of the first four flips (see the first row), three were heads. However, of the next 26 flips (see the second and third rows), 13 were heads and 13 were tails. Thus, whereas 75% of our first 4 flips were heads, only 53% of our first 30 flips were heads. Put another way, when we had only 4 flips, the difference between the percentage of heads we expected (50%) and what we obtained (75%) was large, but when we had 30 flips, the difference between the percentage we expected (50%) and what we obtained (53%) was small.

2. In our example, after 90 flips, we had 45 heads and 45 tails. This is an unusual result, especially given that we started out with 3 heads and 1 tail. Regardless of what happened in the first 4 flips, we would have expected to obtain approximately 43 heads and 43 tails in our next 86 flips. Thus, given that we started out with two more heads than tails, we would have expected—after 90 flips—to still have two more heads than tails. That is, we don’t expect the coin to have a memory and for it (or chance) to correct for past errors. If we had obtained 43 heads and 43 tails in the next 86 flips, our total number of heads would have been 46, which is 51% heads, which is 1% more than the 50% we would get without random error. Thus, it might be best for you to think of random error balancing out toward—rather than evening out to—zero.
no-treatment group’s average score, random measurement error will probably not create significant differences between those groups. For example, random gusts of wind, rather than helping the runners who received the treatment much more than runners who did not receive the treatment, will tend to affect both groups equally.

Admittedly, random measurement error will probably not balance out perfectly: The wind may help one group slightly more than the other. Fortunately, however, you can use statistical techniques to estimate the extent to which random measurement error might fail to balance out. To appreciate the value of such statistical analyses, imagine that a statistical analysis told you that all sources of random error combined (variations in wind, variations in instructions, variations in scoring, etc.) would probably not cause the groups to differ by more than 5 seconds.

In that case, if your groups’ average times differed by 10 seconds, you could conclude that the difference between the groups is due to something more than random error—the treatment. But what if the groups differed by 4 seconds?

The good news is that if this 4-second difference is due solely to random error, you will not be fooled into claiming that the groups really differ. You know, thanks to the statistical analysis, that the groups could reasonably be expected to differ by as much as 5 seconds by chance alone.

The bad news is that if some of this 4-second difference is due to a real difference between the groups, you will fail to claim that the groups really differ. You are not going to claim that the observed difference of 4 seconds represents a treatment effect when you know, thanks to the statistical analysis, that the groups could reasonably be expected to differ by as much as 5 seconds by chance alone. In such a case, unsystematic random measurement error would hide true differences between groups.

To see the benefits of reducing random measurement error, suppose you had reduced random measurement error to the point that it was unlikely that wind and other random error would have caused the groups to differ by more than 2 seconds. Then, because your observed difference (4) was more than the 2 seconds that chance could account for, you would be able to see that the groups really did differ. Thus, by reducing random error, you reduced its ability to overshadow a treatment effect.

**The Difference Between Bias and Random Error**

In conclusion, although random measurement error and bias in measurement are both measurement errors, the two errors are different. Bias is systematic (it pushes scores in a certain direction), and statistics cannot account for its effects. Thus, bias can often fool you into thinking that two groups differ when they do not. Random error, on the other hand, is unsystematic, and statistics can partially account for its effects. Thus, if you use statistics, you will rarely mistake the effects of random error for a genuine difference between your groups—no matter how much random error is in your measurements.

We have argued that whereas random error is a nuisance, bias harms objectivity. To illustrate this point, imagine that two people are weighing themselves over a period of days. Although neither is losing weight, the first
is content with her weight, whereas the second is trying to lose weight. They might record the following data:

<table>
<thead>
<tr>
<th>Day</th>
<th>Person 1</th>
<th>Person 2</th>
</tr>
</thead>
<tbody>
<tr>
<td>Day 1</td>
<td>150</td>
<td>151</td>
</tr>
<tr>
<td>Day 2</td>
<td>149</td>
<td>150</td>
</tr>
<tr>
<td>Day 3</td>
<td>151</td>
<td>149</td>
</tr>
</tbody>
</table>

In the case of Person 1, the errors are random; the errors do not make it look like she is losing weight. Despite the errors, we know that her weight is around 150 pounds. Although the weight of the clothes she is wearing while being weighed, the time of day she weighs herself, and how she reads the needle on the scale are not exactly the same from measurement to measurement, they do not vary in a systematic way. In the case of Person 2, on the other hand, the errors are systematic; they follow a pattern that makes it look like he is losing weight. Maybe the pattern is due to moving the scale to a more sympathetic part of the floor, maybe the pattern is due to weighing himself at a time of day when he tends to weigh less (before meals), or maybe the pattern is due to his optimistic reading of the scale’s needle. Regardless of how he is biasing his measurements, the point is that he is seeing what he wants to see: He is not being objective.

**Errors Due to the Observer: Bias and Random Error**

To help you better understand the distinction between systematic errors (biases) and unsystematic, random errors, we will show you how these two types of errors can come from the following three sources: (1) the person administering the measure and that person’s failure to create testing conditions that are the same for all participants, (2) the participant, and (3) the person scoring the measure. We will begin by discussing how bias and random error come into play when researchers observe, score, and record behavior.

**Observer Bias (Scorer Bias)**

The first, and by far the most serious, observer error occurs when people’s subjective biases prevent them from making objective observations. Observers may be more likely to count, remember, or see data that support their original point of view. In other words, a measure of behavior may be victimized by observer bias: observers recording what they expect participants will do rather than what participants are actually doing.

To see how serious a problem observer bias can be, suppose that biased observers record the cigarette-smoking behavior of smokers before and after the smokers go through a “stop smoking” seminar. Before a smoker entered the program, if she took one puff from a cigarette, the observer counted that as smoking an entire cigarette. However, after the smoker completed the program, the observer did not count smoking one puff as smoking. In such a case, observer bias would be systematically pushing cigarette-smoking scores in a given direction—down. By decreasing the average smoking score, observer bias may lead us to believe that a smoking prevention program worked—even when it did not.
If we can’t control observer bias, we can’t do scientific research. There is no point in doing a study if, regardless of what actually happens, you are going to “see” the results you want to see. Thus, without objective measures, we go from the scientific ideal of believing whatever we see to seeing whatever we believe. If, on the other hand, we can control observer bias, we move toward the scientific ideal that the findings will be the same no matter who does the study.

Random Observer Error
The second type of mistake that observers make in scoring behavior is making unsystematic random errors that will inconsistently increase and decrease individual’s scores. For example, a participant who should get a score of 3 could get a score of 2 one moment but a 4 the next.

If your observers are that inconsistent, the bad news is that you can’t trust individual scores. You can’t say “Participant X scored a 3, so Participant X’s true score is a 3.” Instead, the most you can do is use the observed score to estimate the range of scores in which the participant’s true score might fall. For instance, you might say, “Participant X scored a 3, but random observer error may easily have added or subtracted a point from that score. Because random observer error has made that score inaccurate, we shouldn’t think of it as a 3, but as a score somewhere between 2 and 4.”

The good news is that because random errors are unsystematic, they will probably not substantially affect a group’s overall average score. The points that random observer errors add to some group members’ scores will tend to be balanced out by the points that random errors subtract from other group members’ scores. Thus, unlike observer bias, random observer error will probably not substantially change a group’s average score.

Minimizing Observer Errors
Although we would like to reduce the influence of both observer bias and random observer error, reducing observer bias is more important than reducing random error.

Why It Is More Important to Reduce Observer Bias Than Random Error. To understand why observer bias is more of a problem than random error, let’s consider two error-prone basketball referees. The first makes many random

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1 Fortunately, science does have a safeguard against subjective measures: replication. If a skeptic with different beliefs replicates the study, the skeptic will obtain different results—results consistent with the skeptic’s beliefs. The failure to replicate the original study’s results may expose the measure’s subjectivity.

2 To calculate how big the range will be, first use the formula for the standard error of measurement (SEM): standard deviation (SD) × √1 - reliability. For example, if the SD was 10 and the reliability was .84, the SEM would be 10 × √1 - .84 = 10 × √.16 = 10 × .4 = .4. Next, determine how confident you want to be that your range includes the true score. You can be 68% confident that the true score is within 1 SEM of the observed score, 95% confident that the true score is within 2 SEMs of the observed score, and 99% confident that the true score is within 3 SEMs of the observed score. Thus, with a SEM of 4, we could be 68% confident that the person’s true score was within 4 points of the observed score. Put another way, our range would extend 8 points—from 4 points below the observed score to 4 points above.
errors; the other is biased. Which would you want to referee your team’s big
game?

Your first reaction might be to say, “Neither!” After all, the referee who
makes many random errors is aggravating. Who wants an inattentive, inconsis-
tent, and generally incompetent ref? However, in the course of a game, that
ref’s errors will tend to balance out. Consequently, neither team will be given
a substantial advantage. On the other hand, a referee who is biased against
your team will consistently give the opposing team a several-point advantage.
Thus, if you had to choose between the two error-prone officials, which one
would you pick? Most of us would pick the one who made many random
errors over the one who was biased against us.

**Eliminating Human Observer Errors by Eliminating the Human Observer.** Often,
we don’t have to choose between minimizing random error and minimizing
observer bias because the steps that reduce observer bias also tend to reduce
random observer error. For example, one way to eliminate observer bias is
to replace the human observer with scientific instruments, such as computers
and other automated data recorders. Note that eliminating the human
observer not only eliminates bias due to the human observer, but it also elim-
inates random error due to the human observer.

**Limiting Human Observer Errors by Limiting the Human Observer’s Role.** If you
can’t eliminate observer error by eliminating the observer, you may still be
able to reduce observer error by reducing the observer’s role. For instance,
rather than having observers interpret participants’ answers to essay ques-
tions, you could limit the observers’ role to recording participants’ answers to
multiple-choice questions. Similarly, rather than having observers rate how
aggressive a participant’s behavior was, observers could simply decide
whether the participant’s behavior was aggressive. For more tips on how to
reduce both random observer bias and random observer error by making the
observer’s job easier, see Table 5.1.

**Reducing Observer Bias by Making Observers “Blind.”** Although Table 5.1
includes a wide variety of strategies that will help reduce observer bias, those
tactics may not eliminate observer bias. To understand why, suppose you
were having observers judge essays to determine whether men or women
used more “aggressive” words. Even if you conducted a thorough training
program for your raters, the raters might still be biased. For example, if they
knew that the writer was a man, they might rate the passage as more aggres-
sive than if they thought the same passage was written by a woman.

To reduce such bias, you should not let your raters know whether an
essay was written by a man or a woman. Instead, you should make your
raters **blind** (also called **masked**): unaware of the participant’s characteristics
and situation.

The importance of making observers blind has been illustrated in several
studies. In one such study, people rated a baby in a videotape as much more
troubled when they were told they were watching a baby whose mother had
used cocaine during pregnancy than when they were not told such a story
Conclusions About Reducing Observer Bias. Because eliminating observer bias is vital, scientists often eliminate observer bias by eliminating the observer. Consequently, measures that do not require an observer, such as multiple-choice tests, rating scale measures, and reaction time measures, are popular.

The logic behind eliminating—or at least reducing—observer bias is relatively clear. Indeed, most of the tactics you would use to reduce observer bias are the same tactics a professor would use to avoid favoritism in grading: She would not determine students’ grades solely by sitting down at the end of the term and trying to recall the quality of each student’s class participation. Instead, the professor would probably give multiple-choice tests that were computer scored. If the favoritism-conscious professor were to give an essay exam, she would establish clear-cut criteria for scoring the essays, follow those criteria to the letter, and not look at students’ names while grading the essays.

Conclusions About the Relationship Between Reducing Observer Bias and Reducing Random Observer Error. Making observers blind should eliminate observer bias, but it will not eliminate random observer error. Blind observers can still be careless, inattentive, forgetful, or inconsistent about how they interpret behavior. Suppose, for example, that a history professor grades 100 essay exams over the weekend. Even if the professor avoids bias by grading all those exams “blind,” he may still fail to grade consistently from test to test. Thus, random error can creep in due to variations in how closely the professor reads each paper, variations in how much partial credit he gives for a certain essay answer, and even in variations (errors) in adding up all the points.

### Table 5.1
Techniques That Reduce Both Random Observer Error and Observer Bias

<table>
<thead>
<tr>
<th>Technique</th>
</tr>
</thead>
<tbody>
<tr>
<td>1. Replace human observers and human recorders with machines (such as computers and automatic counters).</td>
</tr>
<tr>
<td>2. Simplify the observer’s task:</td>
</tr>
<tr>
<td>a. Use objective measures such as multiple-choice tests rather than essay tests.</td>
</tr>
<tr>
<td>b. Replace tasks that require observers to judge a behavior’s intensity with tasks that merely count how many times the behavior occurs.</td>
</tr>
<tr>
<td>c. Reduce the possibility for memory errors by making it very easy to immediately record their observations. For example, give your observers checklists so they can check off a behavior when it occurs, or give observers mechanical counters that observers can click every time a behavior occurs.</td>
</tr>
<tr>
<td>3. Tell observers that they are to record and judge observable behavior rather than invisible psychological states.</td>
</tr>
<tr>
<td>4. Photograph, tape record, or videotape each participant’s behavior so that observers can recheck their original observations.</td>
</tr>
<tr>
<td>5. Carefully define your categories so that all observations will be interpreted according to a consistent, uniform set of criteria.</td>
</tr>
<tr>
<td>6. Train raters, and motivate them to be accurate.</td>
</tr>
<tr>
<td>7. Use only those raters who were consistent during training.</td>
</tr>
<tr>
<td>8. Keep observation sessions short so observers don’t get tired.</td>
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</tbody>
</table>
We do not mean to imply that the steps you take to reduce observer bias will never reduce random observer error. On the contrary, except for the blind technique, every step that you take to reduce observer bias will also tend to reduce random observer error.

**Errors in Administering the Measure: Bias and Random Error**

By using blind procedures and by reducing the observer’s role, you can reduce the amount of measurement error that is due to scoring errors. However, not all errors in measurement are due to the scorer. Some errors are made in administering the measure. As was the case with scoring, there are two kinds of errors that people can make in administering the measure: bias and random error.

When you administer the measure, you hope to avoid introducing either bias or random error. But to avoid both these errors completely, you would have to keep everything in the testing environment the same from session to session. For example, if you were administering an IQ test, you would have to make sure that noise level, lighting, instructions to participants, your facial expressions, your gestures, and the rate, loudness, and pitch at which you spoke did not vary from session to session.

Keeping all these factors perfectly constant is impossible. However, most researchers—and people who administer psychological tests—strive for a high level of **standardization**: treating each participant in the same (standard) way. Thus, you should try to test all your participants in the same sound-proof, temperature-controlled setting. You should also write out a detailed description of how you are going to test your participants and stick to those procedures. For example, you might write down whatever instructions you were going to give participants and read those instructions to every participant. To standardize your procedures even more, you might present your instructions on videotape, put the instructions and measures in a booklet, or you might even have a computer program present the instructions and administer the measure.

Because perfect standardization is usually impossible, there will usually be some measurement error due to imperfect standardization. If you must have such error, you would prefer that this error be random error rather than bias. As was the case with observer error, random error will not push scores in a certain direction whereas bias will. Thus, although it would be annoying if you were randomly inconsistent in how you treated participants, it would be disastrous if you biased the results by being more attentive, enthusiastic, and patient when administering the test to the treatment group than to the no-treatment group.

To prevent bias from creeping in when your measure is administered, you should try to keep the person who administers the measure blind. You might have one researcher administer the treatment and a second researcher—who is blind to what the first researcher did—administer the measure.

**Errors Due to the Participant: Bias and Random Error**

To this point, we have focused on two sources of measurement error: errors made by the person administering the measure and errors made by the person scoring the measure. We will now turn to a third source of measurement error: participants.
Random Participant Error

Participants may produce responses that don’t perfectly reflect their true behavior or feelings because they themselves are not perfectly consistent. Their behavior is variable, and some of this variability is random. One moment they may perform well; the next moment they may perform poorly. For example, participants may misread questions, lose their concentration, or make lucky guesses.

One way to overcome this random variability in participants’ behavior is to get a large sample of their behavior. For example, if you wanted to know how good a free-throw shooter someone was, you wouldn’t have her shoot only 2 free throws. Instead, you would probably have her shoot at least 20. Similarly, if you wanted to know how outgoing she was, you wouldn’t base your conclusion on a 2-item test. Instead, you would probably use a test that had at least 20 questions on it so that random participant error would tend to balance out.

Because psychologists want to give random participant error a chance to balance out, they often avoid trying to measure a construct with a single question. Instead, they tend to use multiple-item psychological tests. Indeed, if you have filled out a psychological test, you may have wondered, “Why is it so long—and why are they asking me what seems to be the same questions over and over?” Now you know one answer to your question: to balance out random participant error.

Subject Biases

When trying to know what participants are like from their behavior, random participant error is a problem because it may cause us to think that a random, atypical action is typical of the participant. However, a more serious obstacle to deducing participants’ thoughts from their actions is subject (participant) bias: participants changing their behavior to impress you or to help you (or, sometimes, even to thwart you).

One of the earliest documented examples of the problem of subject bias was the case of Clever Hans, the mathematical horse (Pfungst, 1911). Hans would answer mathematical problems by tapping his hoof the correct number of times. For example, if Hans’s owner asked Hans what 3 times 3 was, Hans would tap his hoof 9 times. Hans’s secret was that he watched his owner. His owner would stop looking at Hans’s feet when Hans had reached the right answer. Although people believed Hans’s hoof tapping meant that Hans was performing mathematical calculations, his hoof tapping only meant that Hans was reacting to his owner’s gaze. Hans didn’t know math, but he did know how to give the “right” answer.

If animals can produce the right answer when they know what you are measuring, so can humans. In fact, for humans, there are two kinds of right (biased) responses: (1) obeying demand characteristics and (2) social desirability.

Obeying Demand Characteristics. The first kind of right answer is the one that makes you, the researcher, look good by ensuring that your hypothesis is supported. Orne (1962) believed that participants are so eager to give researchers whatever results the researcher wants that participants look for clues as to what responses will support the researcher’s hypothesis. According to Orne, if a participant finds a hint, the participant will follow that hint as
surely as if the researcher had demanded that the participant follow it. Consequently, Orne named such hints demand characteristics.

To give you some idea of the power of demand characteristics, consider how they operate in everyday life. Imagine you and a friend are at a restaurant. The service is slow, and the food is bad. You and your friend grumble about the food through much of the meal. Then, at the end of the meal, your server asks you, “Was everything all right?” Do you share your complaints, or do you give in to demand characteristics and say that everything was fine?

To see how demand characteristics might affect the results of a study, imagine that you do the following study. First, you have participants rate how much they love their partner. Next, you give them fake feedback, supposedly from their partner, showing that their partner loves them intensely. Finally, you have participants rate how much they love their partner a second time. Participants may realize that they are supposed to rate their love higher the second time. Therefore, if participants reported that they loved their partner more the second time, you would not know whether learning about their partners’ devotion changed participants’ feelings or whether participants merely obeyed the study’s demand characteristics.

Participants might have obeyed the study’s demand characteristics because of two problems with your measure. First, your measure tipped them off that you were trying to measure love. Once participants knew that you were trying to measure love, they were able to guess why you showed them their partners’ ratings. Your measure gave them all the clues (demand characteristics) they needed to figure out what you would consider a “good” response. Second, you made it easy for them to give that response.

So, to improve your study, you need to choose a measure that doesn’t have both the problems of your original measure. At the very least, you should use a measure that either (a) makes it more difficult for participants to figure out what the hypothesis is or (b) makes it more difficult for participants to play along with that hypothesis.

As Table 5.2 shows, there are at least two ways you could make it hard for participants to figure out what you are measuring, thereby making it hard for participants to figure out your hypothesis. Unfortunately, both ways raise ethical questions because they both involve compromising the principle of informed consent: Participants should freely decide whether to participate in the study only after being told what is going to happen to them. 3

The first way to make it hard for participants to know what you are measuring is to make it hard for participants to know that you are observing them. In technical terminology, you use unobtrusive measurement: recording a particular behavior without the participants knowing you are measuring that behavior. For example, you might spy on them when they are in the real world or you might spy on them through a one-way mirror when they are in the waiting room.

The second way involves disguising your measure. You might let participants think you were measuring one thing when you were actually measuring something else. For instance, you might take advantage of the fact that people

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3In the next chapter, we discuss the ethical issues involved in choosing a measure.
in love tend to overestimate how similar they are to their partner. Therefore, you could have participants rate themselves and their partners on a variety of characteristics. Participants would probably think you are interested in how accurately or positively they rate their partners. Instead, you’d be seeing the extent to which participants believed that they were similar to their partner—and using perceived similarity as a measure of love. (To see how a disguised measure can be used to measure prejudice, see Box 5.1.)

But what if you can’t stop your participants from figuring out the hypothesis? Even if participants figure out the hypothesis, you can still do two things to prevent participants from playing along with it.

First, you could make it almost impossible for participants to play along with the hypothesis. For instance, you might use a physiological measure of love that most people can’t voluntarily control, such as brain wave activity, pupil dilation, or contraction of certain facial muscles that are associated with happiness. If you wanted to use a nonphysiological measure, you might use a measure based on reaction time because such a measure is also hard for participants to fake. (To see how reaction time can be used to measure prejudice, see Box 5.2.)

Second, you could make it costly for participants to play along with the hypothesis. For example, if you made it so participants would have to spend more time performing a dull task (watching people fill out questionnaires) to help out their partner, many would not be willing to put themselves through that much aggravation to play along with your hypothesis.
Social Desirability Bias. Unfortunately, subject bias does not stop at participants trying to give you the results they think will make you look good. Another kind of subject bias is called the social desirability bias: the participant acting in a way that makes the participant look good. On most questionnaires, it is easy for participants to choose the answer that makes them look good.

**BOX 5.2 The Implicit Attitude Test (IAT): A Reaction Time Measure That Is Hard to Fake**

Imagine that you are a White person and that you consider yourself unprejudiced. You go to the Implicit Association Test website (https://implicit.harvard.edu/implicit/) and take a test designed to measure whether you are biased toward Blacks. At first, the task is ridiculously easy: When you see a Black face, hit a key on the left (e.g., the letter “e” key); when you see a White face, hit a key on the right (e.g., the letter “i” key). Then, you have yet another easy task: When you see a positive word (e.g., “good”) hit a key on the left; when you see a negative word (e.g., “bad”), hit a right key. In the next phase, the task becomes slightly more challenging. Now, you have to deal with two categories at once. If you see either a White face or a positive word, you have to hit the left key. If you see either a Black face or a negative word, you have to hit the right key. You’re still doing fine—responding accurately and quickly. In the final phase, the rules are changed. Now, if you see either a Black face or a positive word, you have to hit the left key. If you see either a White face or a negative word, you have to hit the right key. If you are like most (88%) of Whites, you will find the last task the hardest and perform it the slowest, indicating some degree of bias against Blacks.

How do researchers know that slower reaction times on this last task indicate implicit bias? Researchers know because, among other things, studies have shown that

- Blacks are less likely than Whites to have slower reaction times on this last task.
- Conservatives are more likely than liberals to have slower reaction times on this last task.
- People in favor of racial profiling are more likely than others to have slower reaction times on this last task.
- Whites with slower reaction times on this last task are less likely to choose to work with a Black partner.
- Scores on the test do not correlate with hand-eye coordination.
Indeed, research has shown that people claim to be much more helpful (Latané & Darley, 1970) and less conforming (Milgram, 1974) than they really are.

To reduce social desirability bias, you could use any of the four main measurement strategies that work for reducing demand characteristics: (a) not letting participants know they are being measured, (b) not letting participants know what is being measured, (c) using physiological and other measures that are impossible to fake, and (d) using behavioral measures that would be costly (in terms of time, money, energy, or fun) to fake. Put another way, participants won’t produce fake responses to impress the researcher if (a) they don’t know they are being watched, (b) they don’t know what the right response is, (c) they can’t fake the right response, or (d) they don’t care to pay the price of impressing the researcher. For example, they probably won’t try to be more generous than they are if they don’t know you are watching them or if it costs them time and money to show how generous they are.

Although the techniques to reduce demand characteristics can be used to reduce social desirability bias, the easiest and most commonly used tactic to deal with the social desirability bias is a technique that is not used to reduce demand characteristics: having participants not put their names on their answer sheets so that their responses are anonymous. If participants cannot get credit for their answers, participants should not be motivated to make socially desirable, but false, responses. 4

Although anonymous participants cannot make themselves look good, anonymous participants can still try to make you look good by producing results that they think will support your hypothesis. Thus, although making responses anonymous eliminates social desirability bias, it doesn’t eliminate bias due to obeying demand characteristics.

To prevent participants from following demand characteristics, you would remove demand characteristics by making participants blind (unaware of what condition they are in). Making participants blind, however, would not reduce social desirability bias because it would not stop participants from trying to make themselves look good.

**Summary of the Three Sources and Two Types of Measurement Error**

We have discussed three major sources of measurement error: errors due to the person scoring the measure, errors due to the person administering the measure, and errors due to the participant. We have also stressed that each of these sources can contribute two types of measurement error: random error and systematic bias (see Figure 5.2). Furthermore, we stressed that bias is a much more serious threat to validity than random error. We showed how observer bias was worse than random observer error, how researcher bias was worse than random errors in administering a measure, and how participant bias was worse than random participant error. To combat bias, we advocated using two strategies that specifically target bias—blind (masked) techniques and unobtrusive measurement (see Table 5.2)—and two strategies

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4 Unfortunately, anonymous participants may still give false or misleading information. For example, some adolescents may display a sense of humor or a sense of rebelliousness by putting outrageous answers on an anonymous questionnaire.
that reduce both bias and random error—standardizing how the measure is administered and simplifying how the measure is scored (see Table 5.1).

**RELIABILITY: THE (RELATIVE) ABSENCE OF RANDOM ERROR**

As you have seen, bias is a much more serious threat to a measure’s validity than random error (see Figure 5.3). Indeed, at this point, you might be saying to yourself, “Bias is bad. I should try to eliminate it. Random error, on the other hand, doesn’t seem that serious. Why should we bother to develop a measure that is free of random error?” In the next section, we will answer that question by explaining why you want a measure that is reliable: producing stable, consistent scores that are not strongly influenced by random error (chance).

**The Importance of Being Reliable: Reliability as a Prerequisite to Validity**

You want scores on your measure to be stable over time when you are measuring a construct that, rather than changing from minute to minute, is stable over time. Thus, if you are accurately measuring a person’s intelligence, shyness, or height at two different times, you should get the same results each time. For example, if someone is 5 feet tall (152 cm) and your measure is valid (accurate), you should consistently (reliably) measure that person as 5 feet (152 cm) tall. Thus, if your measure of height or any other stable characteristic is valid, your measurements must be reliable. In short, (when talking about a stable characteristic) validity guarantees reliability; that is, valid measures must be reliable.

Reliability, however, does not guarantee validity; that is, reliable measures may not be valid. For example, if we reliably measure someone’s height at 5 feet tall (152 cm) but the person is actually 6 feet tall (180 cm), our measurements are reliably wrong.

Although reliability does not guarantee validity, reliability is a prerequisite for validity. To be more specific, reliability puts a ceiling on how high validity can be. That is, only to the degree that your measurements of a stable trait are stable can your measurements of that stable trait be accurate. For example,
suppose you measure a person’s height twice. If you measure the person as 5’ 5” (165 cm) both times, your measure’s reliability is perfect and—if the person is 5’ 5” tall (165 cm)—your measure’s validity is also perfect. However, suppose you measure the person as 5’ 6” (167 cm) one time and 5’ 4” (162 cm) the next. In that case, your measure is not perfectly reliable and your average error of measurement would be at least 1 inch (2.54 cm). If your measurements were so unreliable that you measured someone’s height to be 5’ 10” (175 cm) one day and 5’ 0” (152 cm) the next, your average error of measurement would be at least 5 inches (12.70 cm).

You have seen that the less reliable your measurements, the more random error your measurements contain. The more scores are affected by unstable, unsystematic random factors (random error), the less opportunity scores have to be affected by the stable factor (e.g., height) that you want to measure. Because reliability puts a ceiling on validity (see Figure 5.4), you want a reliable measure: one that produces scores that will not be bounced around by the erratic winds of chance. But how can you know the extent to which your measure is contaminated by random error?

Using Test–Retest Reliability to Assess Overall Reliability: To What Degree Is a Measure “Random Error Free”?  
To find out to what extent your measurements are contaminated by random error, you should find out the measure’s reliability. Perhaps the most straightforward way to find out the degree to which the measure produces consistent results that are stable and repeatable over time is to obtain the measure’s test–retest reliability.

As the name suggests, test–retest reliability requires participants to be tested and then retested. For example, a psychological test developer may
test participants on a measure and then test those same participants again on the same measure 3 months later. The developer would then calculate a test–retest coefficient by comparing the scores that participants received the first time they took the test with the scores participants received the second time.

The more participants’ scores on the first measurement correspond to their scores on the second measurement, the higher the test–retest coefficient. Although test–retest coefficients can range from 0 (no reliability) to 1 (perfect reliability), most are between .60 and .98.\(^5\)

The test–retest coefficient tells you, in percentage terms, the degree to which scores are stable and consistent from test to retest. Thus, a test–retest coefficient of 1.00 would mean that there was a perfect (100%) correspondence between the first and second time of measurement—all those who scored high the first time also scored high the second time. The data that follow reflect a 1.00 test–retest coefficient.

<table>
<thead>
<tr>
<th>Participant</th>
<th>Score first time</th>
<th>Score second time</th>
</tr>
</thead>
<tbody>
<tr>
<td>Hinto</td>
<td>3</td>
<td>3</td>
</tr>
<tr>
<td>Nato</td>
<td>4</td>
<td>4</td>
</tr>
<tr>
<td>Misu</td>
<td>5</td>
<td>5</td>
</tr>
</tbody>
</table>

Put another way, the test–retest coefficient tells you the percentage of variation in scores that is not due to random error. Thus, a test–retest coefficient of 1.00 tells us that 100% of the differences between scores are not due to random error. The measure is 100% (completely) free from random error.

\(^5\)The test–retest reliability coefficient is usually not a correlation coefficient. If it were, it could range from −1 to +1. Instead, the test–retest reliability coefficient is usually the square of the test–retest reliability correlation (Anastasi, 1982). This squared term represents the percentage of variation that is not due to random error. To find out how much of the variation of scores is due to random error, you subtract the test–retest coefficient from 1. Thus, if your test–retest coefficient is 1, none (0%) of the variation in your scores is due to random error (because 1 − 1 = 0). If, on the other hand, your test–retest coefficient is 0, then all (100%) of the variation in your scores is due to random error (because 1 − 0 = 1 = 100%).
What if a measure, rather than being perfectly reliable, was perfectly unreliable? Then, the measure would have a test–retest coefficient of zero, meaning that there was absolutely no (0%) relationship between the scores participants received the first time they took the test and the scores they received when they were retested. In the next table, we have displayed data from a measure with a zero test–retest coefficient. As you can see, there is no connection between a participant’s test and retest scores: The only way a participant gets the same score on both the test and retest is by chance. Put another way, in the case of a measure with a zero reliability coefficient, scores are 0% (not at all) free from random error.

<table>
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<td>3</td>
</tr>
<tr>
<td>Misu</td>
<td>5</td>
<td>4</td>
</tr>
</tbody>
</table>

Note that because this measure is completely affected by random error, it can’t be affected by the stable trait it is supposed to measure. Put another way, because it has zero reliability, it has zero validity: Because it is so unstable that it does not even correlate with itself, it can’t correlate with the stable trait it is supposed to measure.

What if, rather than having zero reliability, the measure has .40 reliability? In that case, because only 40% of the variability in scores is not due to random error, only 40% of the variation in scores could possibly be due to the stable trait the measure is supposed to measure. Put another way, because it has .40 reliability, it can’t have more than .40 validity. To express the idea that a measure can’t correlate with what it is supposed to measure (validity) more than it correlates with itself (reliability), experts often say, “reliability puts a ceiling on validity.”

Because reliability puts a ceiling on validity, you would like to know your measure’s reliability. If you are examining a previously published measure, somebody may have already calculated its test–retest reliability coefficient for you. To find that coefficient, check the article in which the measure was published. If the measure was not published in an article, check articles that used the measure or check the Directory of Unpublished Experimental Mental Measures (Goldman & Mitchell, 2007). If you are using a psychological test and you still can’t find the test–retest reliability, check the test’s manual or Test Critiques (Keyser & Sweetland, 2007).

When interpreting a measure’s test–retest reliability coefficients, remember that these coefficients are telling you the extent to which the measure is not affected by random error. To find out the extent to which the measure is affected by random error, you have to subtract the reliability coefficient from 1. Like the ads that boast that their product is 70% fat-free rather than saying that 30% of the fat remains (1.00 − .70 = .30 = 30%), and like the optimist who sees the glass as 70% full rather than as 30% empty, the test–retest reliability coefficient focuses on the positive by telling us how random error free the measure is.
However, if you are trying to avoid using a poor measure, you may need to focus on the negative. For example, although a test–retest coefficient of .70 does not sound bad, it means two things. First, it means that your validity can’t possibly be above .70 (because reliability puts a ceiling on validity). Second, it means that 30% (1.00 – .70 = .30 = 30%) of the differences between participants’ scores on the measure are due to random error (see Figure 5.5).

Normally, you would not choose a measure in which more than 30% of the differences between participants’ scores was due to random error. In other words, you would probably not choose a measure that had a test–retest reliability coefficient below .70.

**Identifying (and Then Dealing With) the Main Source of a Measure’s Reliability Problems**

What if your measure’s test–retest reliability is below .70? Then, more than 30% of the variation in scores is due to random error. Where is this random error coming from? The three likely sources are

1. random error due to the observer
2. random error due to the participant
3. random error due to the way the measure is administered

If you knew which of these possible sources was the main source of a measure’s unreliability, you might be able to fix the measurement’s reliability problem at the source. If the main reason your participants’ scores were not consistent was because your observers were inconsistent, you would work on making your observers more consistent. On the other hand, if inconsistent scores were due to inconsistencies in how the measure was administered, you
would work on administering the measure the same way every time. But how
do you determine which of the three likely sources is most to blame for the
measure’s poor reliability?

**Are Observers to Blame for Low Test–Retest Reliability? Assessing
Observer Reliability**

Most researchers start by seeing whether the observer is to blame for a mea-
sure’s poor reliability. Often, researchers can immediately determine that the
scorer is *not* a major source of random error because the scoring system is
relatively objective. For example, in a multiple-choice test, observers are prob-
ably not going to make many errors.

But what about when observers rate behavior? Then, you should determine
the extent to which random observer error is lowering test–retest reliability.

You can estimate the extent to which random observer error is a problem
by having two or more observers independently (without talking to one
another) rate the same behavior. If the observers are blind to what condition
the participant is in and their ratings agree, you don’t have an observer-
related problem. If, however, the two trained raters score the same behavior
differently, these differences may be due to random observer error. For
instance, two observers may produce different scores because one or both
observers guessed about which category to put the behavior in, misread the
stopwatch, failed to pay attention, wrote down one number when they meant
to write down another, or made any number of other random mistakes.

To determine how well your independent raters agreed, you need to cal-
culate an index of the degree to which observers agree. Two of the most
common indexes that researchers use are interobserver agreement and inter-
observer reliability.

Sometimes, researchers will report the **interobserver (judge) agreement:**
the percentage of times the raters agree. For example, the researchers might
report that the raters agreed 98% of the time. Interobserver agreement is sim-
ple to calculate and understand. If observers are agreeing 100% of the time,
there is no random error due to the observer.

Rather than report the percentage of times the raters agree, most
researchers will report some index of interobserver reliability. They may use
Cohen’s kappa or Krippendorf’s alpha. However, most of the time, they use
the simplest index of interobserver reliability: the **interobserver (scorer) reli-
ability coefficient**. To obtain the interobserver reliability coefficient, research-
ers calculate a correlation coefficient between the different raters’ judgments
of the same behaviors and then square that correlation.  

Like test–retest reliability coefficients, interobserver reliability coefficients
can range from 0 to 1. An interobserver reliability coefficient of 1.00 means
there is a 100% correspondence between the raters. Knowing how one
observer rated a behavior allows you to know perfectly (with 100%

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6 To show you the connection between interobserver agreement and interobserver reliability,
imagine that we are having observers rate whether a behavior falls into one of two categories.
If observers were just flipping a coin to determine what category the behavior belonged, they
would agree 50% of the time. Thus, if the observers’ judgments are completely affected by
chance, interobserver agreement would be 50% and the interobserver reliability coefficient
would be zero. If, on the other hand, random error had no effect on judgments, interobserver
agreement would be 100% and the interobserver reliability coefficient would be 1.00.
accuracy) how the other observer rated the behavior. The following data reflect an interobserver reliability coefficient of 1.00.

<table>
<thead>
<tr>
<th>Participant</th>
<th>Observer 1’s rating</th>
<th>Observer 2’s rating</th>
</tr>
</thead>
<tbody>
<tr>
<td>Jorge</td>
<td>1</td>
<td>1</td>
</tr>
<tr>
<td>Nia</td>
<td>2</td>
<td>2</td>
</tr>
<tr>
<td>Dalia</td>
<td>3</td>
<td>3</td>
</tr>
<tr>
<td>Malik</td>
<td>4</td>
<td>4</td>
</tr>
<tr>
<td>Naval</td>
<td>5</td>
<td>5</td>
</tr>
<tr>
<td>Maria</td>
<td>6</td>
<td>6</td>
</tr>
</tbody>
</table>

The 1.00 interobserver reliability coefficient tells you the extent to which your measure is not affected by random observer error. Specifically, the 1.00 interobserver reliability coefficient shows that the measure is 100% (completely) free of random observer error.

An interobserver reliability coefficient of 0, on the other hand, indicates that the measure is not at all (0%) free from random observer error. That is, 100% of the differences between scores are due to random observer error. In such a case, there is no relationship (0) between the observers’ ratings: Knowing how one observer rated a behavior gives you no idea about how the other observer rated the same behavior. To see a case in which observers’ judgments are completely a function of random error, look at the data in the next table.

<table>
<thead>
<tr>
<th>Participant</th>
<th>Observer 1’s rating</th>
<th>Observer 2’s rating</th>
</tr>
</thead>
<tbody>
<tr>
<td>Jorge</td>
<td>1</td>
<td>3</td>
</tr>
<tr>
<td>Nia</td>
<td>2</td>
<td>5</td>
</tr>
<tr>
<td>Dalia</td>
<td>4</td>
<td>3</td>
</tr>
<tr>
<td>Malik</td>
<td>5</td>
<td>3</td>
</tr>
<tr>
<td>Naval</td>
<td>2</td>
<td>3</td>
</tr>
<tr>
<td>Maria</td>
<td>6</td>
<td>4</td>
</tr>
</tbody>
</table>

As you can see, there is no connection between Observer 1’s ratings and Observer 2’s ratings. Because scores are completely a function of random observer error, the measure has no interobserver reliability.

Because observers usually agree to some extent, and because journal editors will usually publish only articles that have a high degree of interobserver reliability, you will almost never see a published study that includes an interobserver reliability coefficient below .60.7 Therefore, when reading a study,

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7 Indeed, observer reliability coefficients—or Cohen Kappa’s—below .70 are usually considered unacceptable.
your question will not be, “Did the observers agree?” but rather, “To what
extent did the observers agree?” Generally, you will expect interobserver reli-
ability coefficients of around .90.

You want a measure with a high interobserver reliability coefficient for
two reasons. First, you want your measure to be objective—you want trained
raters to report the same scores. Second, interobserver reliability puts a ceiling
on overall (test–retest) reliability. For example, if interobserver reliability is
.60, test–retest reliability can’t be above .60.

If interobserver reliability is low, you probably need to reduce random
observer error. Sometimes, you can reduce random observer error by training
or motivating your observers. Often, however, the most effective way to
reduce—and prevent—random observer error is to simplify the observer’s job.

To illustrate the benefits of simplifying the observer’s job, consider Ickes’s
(2003) research on “everyday mind reading.” One way he studies such mind
reading is by having two strangers interact. He tapes the interaction and then
has each participant view the tape. Participants are to stop the tape at differ-
ent points and say what they are thinking. Then, participants see the tape
again and are to stop it at different points and write down what their interaction
partner was thinking at that point. Observers rate the degree to which
the participant’s guess about what the partner was thinking matches what
the partner was actually thinking. Ickes could have had observers make their
judgments on a 0 (not at all) to 100 (completely) scale. However, he had
observers use a 3-point scale with “0” being “essentially different content,”
“1” being “similar, but not the same, content,” and “2” being “essentially
the same content.” By using fewer categories, raters found the job of rating
easier and raters were able to make reliable ratings.

Ickes knew the observers’ ratings were agreeing with each other because
he calculated interobserver reliabilities. He was able to calculate inter-rater
reliabilities because he had more than one person rate each participant.

Being able to calculate inter-rater reliabilities is one benefit of having
more than one observer rate each participant. A second benefit is that rather
than each participant’s score being based on a single observer’s rating, each
participant’s score can be based on the average of two or more observers’
ratings.

The advantage of average ratings is that they are more reliable (more sta-
ble; less influenced by random observer error) than individual ratings. Average
ratings are more reliable than individual ratings because observer error,
like all random error, tends to average out to 0. That is, random errors
made by one observer tend to be cancelled out by random errors made by
another. Thus, even if Ickes had found that individual ratings had low inter-
observer reliability, random observer error would not have been a huge prob-
lem for his study because he was basing participants’ scores on the average of
5 observers’ ratings.

If you can’t get multiple observers to rate each behavior and you can’t get
reliable ratings, you may need to find a way of measuring behavior that does
not involve observers. One reason multiple-choice tests and rating scale mea-
sures are so popular in research is that these measures essentially eliminate
human observers, thereby eliminating the random observer error that human
observers produce.
Estimating Random Error Due to Participants

So far, we have discussed a situation in which interobserver reliability is low, thus dooming test-retest reliability to be low. But what if interobserver reliability is high, yet test-retest reliability is still low? For example, suppose you have the following data:

<table>
<thead>
<tr>
<th>Participant</th>
<th>Test</th>
<th></th>
<th>Retest</th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Observer 1</td>
<td>Observer 2</td>
<td>Observer 1</td>
<td>Observer 2</td>
</tr>
<tr>
<td>Jordan</td>
<td>3</td>
<td>3</td>
<td>5</td>
<td>5</td>
</tr>
<tr>
<td>Asia</td>
<td>4</td>
<td>4</td>
<td>3</td>
<td>3</td>
</tr>
<tr>
<td>Deja</td>
<td>5</td>
<td>5</td>
<td>5</td>
<td>5</td>
</tr>
</tbody>
</table>

In such a case, you know your low test-retest reliability is not due to erratic observers, but instead must be due to inconsistencies in (a) how the measure was administered and/or (b) the participant.

Ideally, you would figure out how much of the random error was due to poor standardization and how much was due to random changes in the participant. Unfortunately, it is impossible to directly assess how much random error is due to poor standardization. However, there is a way to get a rough index of how much random error is due to the participant—if your measure is a multiple-choice test or some other objectively scored measure.

Internal Consistency: Test Questions Should Agree With Each Other. How can we determine how much random error on a test is due to the participant? The key is to assume that each question on the test is measuring the same thing. For example, let’s assume that all questions on a shyness test are measuring shyness. If this assumption is correct, people who score “shy” on one question should score shy on all the other questions. In other words, the test should agree with itself. But what if it doesn’t? What if a participant is shy according to the participant’s answers to some questions but outgoing according to the participant’s answers to other questions?

If our assumption that all the questions are measuring the same thing is correct, this inconsistency in how questions are answered is due to random error. As you may recall, random error, ordinarily, could be due to one or more of the following:

1. the observer
2. the testing environment
3. the participant

Random Error Due to Participants May Cause Low Internal Consistency. We can rule out observers as the source of the random error if we use an objective, multiple-choice test. In such a case, we can also rule out the testing environment as a cause of random fluctuations in the participant’s behavior because the testing environment and instructions are probably not changing during the testing session. That is, we expect that the testing environment is the same when the participant answers question 2 as it is when the participant
answers question 3. If the random error is not due to the scorer or to the testing environment, it must be due to

1. the observer
2. the testing environment
3. the participant

Specifically, the measure’s inconsistency may reflect (a) participants experiencing random, momentary variations in mood or concentration or (b) participants randomly guessing at the answers to some questions.

**Two Solutions to Problems Caused by Random Participant Error**

If your measure’s reliability problems are due to the participant, what can you do? Your plan of attack will depend on whether the inconsistency is due to participants guessing at the answers to questions.

**Add Questions to Let Random Participant Error Balance Out.** If participants fluctuate considerably from moment to moment in how they think or feel, the best you can do is make sure your measure has many questions. By having participants provide many responses, you allow random fluctuations to balance out. Asking numerous questions should also help balance out the effects of guessing. For example, suppose you are unprepared for a physics quiz and the only thing you can do is guess at the answers. If the quiz is composed of one multiple-choice question, you might get 100% just by guessing. However, if the quiz is composed of 100 multiple-choice questions, random guessing is not going to get you a high score.

**Ask Better Questions to Reduce Random Participant Error.** Asking more questions is not the only way to deal with the problem of guessing. Sometimes the solution is to ask better questions. Your participants may be guessing at the answers because some questions are so poorly worded that participants are guessing at what the questions mean. In a sense, participants are mentally flipping a coin to answer the question. As a result, their answers to such a question will be so inconsistent that such answers won’t consistently correlate with their answers to anything—including their answers to the same question the next day and their answers to other questions on the test. If, however, you reword or eliminate questions that participants misinterpret, you should be left with questions that participants answer reliably. If the remaining questions are reliable and are all measuring the same variable, a participant’s answers to one question should now consistently agree with that participant’s answers to any of the other questions on the test. In other words, by reducing random error due to guessing and misinterpreting questions, you should have boosted your measure’s internal consistency: the degree to which answers to each question correlate with the overall test score; the degree to which the test agrees with itself.

**Measuring Internal Consistency**

But how would you know whether you have boosted your measure’s internal consistency? How would you know whether your measure’s internal consistency was poor in the first place?
To estimate your measure’s internal consistency, you would find or calculate an index of internal consistency, such as an average inter-item correlation, a split-half reliability, or Cronbach’s alpha (often abbreviated as alpha, Cronbach’s $\alpha$, or just $\alpha$). All of these indexes measure the degree to which answers to one item (question) of the test correspond to answers given to other items on the test. Thus, the following data would produce a high score on any index of internal consistency:

<table>
<thead>
<tr>
<th>Participant</th>
<th>Question 1</th>
<th>Question 2</th>
<th>Question 3</th>
</tr>
</thead>
<tbody>
<tr>
<td>Miles</td>
<td>1</td>
<td>1</td>
<td>1</td>
</tr>
<tr>
<td>Theodora</td>
<td>3</td>
<td>3</td>
<td>3</td>
</tr>
<tr>
<td>Becky</td>
<td>5</td>
<td>5</td>
<td>5</td>
</tr>
</tbody>
</table>

**Average Inter-Item Correlations as Indexes of Internal Consistency.** One index that directly assesses the extent to which answers to one test item (question) correlate with answers to other test items is the average inter-item correlation. As the name suggests, this index involves computing a correlation between the answers to each question (item) and then averaging those correlation coefficients.

Depending on how you average those correlation coefficients, you will either have the mean inter-item correlation or the median inter-item correlation. If you use the mean as your average (you add up all the correlation coefficients and divide by the number of correlation coefficients), you have the mean inter-item correlation. If your average is the median (you arrange the correlation coefficients from lowest to highest and pick the middle one), you have the median inter-item correlation.

Usually, there is little difference between the median inter-item correlation and the mean inter-item correlation. For example, if you had a three-item test, you might find the following:

- Correlation of item 1 with item 2: .2
- Correlation of item 1 with item 3: .3
- Correlation of item 2 with item 3: .4
- Mean inter-item correlation: .3
- Median inter-item correlation: .3

**Split-Half Reliability Coefficients as Indexes of Internal Consistency.** Other indexes of internal consistency are less direct than the average inter-item correlation. Many rely on essentially splitting the test in half and comparing how participants scored on one half versus how they scored on the other half. For instance, researchers may (a) calculate each participant’s score for the first half of the test, (b) calculate each participant’s score for the second half of the test, and then (c) correlate scores on the first half of the test with scores on the last half of the test. This correlation between the score for the first half of the test and the score for the second half is a type of split-half
reliability. Thus, the following data would yield a perfect (1.00) split-half reliability and suggest that the scale was internally consistent:

<table>
<thead>
<tr>
<th>Participant</th>
<th>Score on first 10 questions</th>
<th>Score on last 10 questions</th>
</tr>
</thead>
<tbody>
<tr>
<td>Lionel</td>
<td>50</td>
<td>50</td>
</tr>
<tr>
<td>Alexi</td>
<td>10</td>
<td>10</td>
</tr>
<tr>
<td>Lothar</td>
<td>30</td>
<td>30</td>
</tr>
</tbody>
</table>

Another type of split-half reliability involves splitting the test in half by comparing answers to the odd-numbered questions (1, 3, 5, etc.) with answers to the even-numbered questions (2, 4, 6, etc.). Specifically, researchers may calculate a score based only on the answers to the odd-numbered questions, a score based only on the answers to even-numbered questions, and then correlate each participant’s “odds” score with that participant’s “evens” score. That correlation would be the measure’s “odd–even correlation.”

**Additional Indexes of Internal Consistency.** In addition to the measures of internal consistency that we have described, there are more mathematically sophisticated measures of internal consistency, such as Cronbach’s alpha and Kuder-Richardson reliabilities. At this point, we do not want you to know the advantages and disadvantages of each measure of internal consistency. Instead, we want you to realize whenever you see odd–even correlations, average inter-item correlations, Cronbach’s alpha, split-half reliabilities, or Kuder-Richardson reliabilities, the researchers are just trying to tell you the extent to which their measure is internally consistent.

In general, you can treat these indexes of internal consistency as all being pretty much alike—except that the score suggesting good internal consistency is lower for the average inter-item correlations than for the other indexes of internal consistency. For the other indexes we have mentioned, you need a score of at least .70 (and preferably above .80) to say that the measure is internally consistent. Therefore, you would probably not use a measure with an odd–even correlation of .60 or a Cronbach’s alpha of .50. However, the cutoff for acceptable internal consistency of the average (mean or median) inter-item correlation index is around .30. For example, most experts would say that a measure that has a median inter-item correlation of .35 has an adequate degree of internal consistency.

**Conclusions About Internal Consistency’s Relationship to Reliability**

An adequate degree of internal consistency suggests that your measure’s reliability problems are not due to its questions or to minute-to-minute fluctuations in your participants. Instead, your reliability problems, if you have any, are probably due to participants changing over time or to improper standardization.

Low internal consistency, on the other hand, suggests that there are problems with the questions on your test. These problems will tend to hurt your test’s overall reliability, especially if your test is relatively short. Therefore, you may want to boost your test’s internal consistency by eliminating or refining some of your test’s less reliable questions.
Conclusions About Reliability

Up to now, this chapter has focused on reliability. We have shown you why reliability is important, how to determine if a measure has sufficient reliability, and how to determine where a measure’s reliability is breaking down (for a review, see Table 5.3, Table 5.4, and Figure 5.6). Specifically, we have stressed that:

1. Reliability is a prerequisite for validity.
2. Test–retest reliability tells you the total extent to which random error is influencing your measure.
3. Low test–retest reliability should encourage you to calculate other types of reliability coefficients, such as interobserver reliability and internal consistency, to pinpoint the main source of the measure’s unreliability.

### Table 5.3
Reliability Indexes and the Type of Random Error They Detect

<table>
<thead>
<tr>
<th>Measures of observer reliability (Cohen’s kappa, Krippendorf’s alpha, interobserver reliability coefficient)</th>
<th>Random error due to the observer</th>
<th>Random error due to random changes in participants</th>
<th>Random error due to random changes in the testing situation</th>
</tr>
</thead>
<tbody>
<tr>
<td>Yes</td>
<td>No</td>
<td>No</td>
<td></td>
</tr>
<tr>
<td>Measures of internal consistency (Cronbach’s alpha, split-half reliability, Kuder-Richardson reliability, mean inter-item correlation, median inter-item correlations)</td>
<td>Yes</td>
<td>Only for changes that occur during a testing session</td>
<td>Only for changes that occur during a testing session</td>
</tr>
<tr>
<td>Test–retest reliability</td>
<td>Yes</td>
<td>Yes</td>
<td>Yes</td>
</tr>
</tbody>
</table>

### Table 5.4
Key Points to Remember About Reliability

1. Two major *avoidable* sources of unreliability are
   a. random fluctuations in the measurement environment.
   b. random fluctuations in how observers interpret and code observations.
2. All reliability coefficients are not the same.
3. Test–retest reliability tells you the total extent to which random error is influencing your measure.
4. Other types of reliability can help you find the source of the measure’s unreliability. For example, a low interobserver reliability coefficient tells you that random observer error is seriously reducing your measure’s overall reliability.
5. Reliability is necessary for construct validity: Valid measures are reliable.
6. Reliability does not guarantee construct validity: Reliable measures are not always valid.
7. Unreliability weakens a measure’s validity but does not introduce systematic bias into the measure.
8. Reliability is an important, but not all-important, consideration in choosing a measure.
However, we have not emphasized the main limitation of reliability: 
*Reliability does not guarantee validity.* For example, consider the following data:

<table>
<thead>
<tr>
<th>Participant</th>
<th>Score on physical aggression test</th>
<th>Score on retest</th>
<th>Number of fights</th>
</tr>
</thead>
<tbody>
<tr>
<td>Paco</td>
<td>50</td>
<td>50</td>
<td>3</td>
</tr>
<tr>
<td>Lacrishia</td>
<td>60</td>
<td>60</td>
<td>4</td>
</tr>
<tr>
<td>Eldora</td>
<td>70</td>
<td>70</td>
<td>1</td>
</tr>
</tbody>
</table>

**FIGURE 5.6** Determining Whether—and How—to Improve a Measure’s Reliability
As you can see from the previous table, individuals score the same when retested as they did when they were first tested. Thus, the test has high test–retest reliability. However, individuals’ scores on the test do not correspond with how many fights they have. Thus, the test is not a valid measure of physical aggression. Consequently, the measure is reliable but not valid.8

BEYOND RELIABILITY: ESTABLISHING CONSTRUCT VALIDITY

One reason a reliable measure may not be valid is that it is reliably and consistently measuring the wrong thing. How can we know that a measure has construct validity: the degree to which the measure is measuring the construct that it claims to measure?

We can never prove that our measure has construct validity. However, we can make a case for a measure’s construct validity, especially if it has good

- content validity
- internal consistency
- convergent validity
- discriminant validity

Content Validity: Does Your Test Have the Right Stuff?

Often, the first step in devising a valid test is to establish its content validity: the extent to which it represents a balanced and adequate sampling of relevant dimensions, knowledge, and skills. Before writing any test questions, you should consult the established theories and definitions of the concept you wanted to measure. Once you know what you are measuring, use your definition to guide you in writing questions that measure all your concepts’ dimensions. For example, if you define love as, “feeling sexual attraction toward a person and a willingness to make sacrifices for that person,” you would make sure your measure had questions that measured both sexual attraction and willingness to sacrifice. In fact, to make sure that you had an adequate number of both types of questions, you might break your scale into two subscales: a “sexual attraction” subscale and a “sacrifices” subscale.

As you can see, there are two main points to content validity: (1) having content (questions) tapping every dimension of your construct and (2) having enough questions to provide an adequate sampling of questions from each of those content areas. Consequently, content validity is sometimes called content sampling.

When evaluating classroom tests and other tests of knowledge or skills, content validity may be extremely important. For instance, a test to assess everything you have learned about psychology should not consist of only one multiple-choice question. Beyond having many questions, such a test should cover all areas of psychology, not just one. For example, if such a test consisted of 500 questions about classical conditioning, it would not have content validity.

8 As one reviewer pointed out, a classic example of a measure that would be reliable but not valid is using head circumference as a measure of IQ.
Internal Consistency Revisited: Evidence That You Are Measuring One Characteristic

Content validity is important. If you can’t argue that your measure logically follows from an accepted definition of the concept, few would accept your measure as valid. However, you must do more than claim that you have sets of questions that measure each important aspect of your construct: You need objective, statistical evidence of that claim. For example, if you write some questions that you believe reflect the willingness to sacrifice for one’s partner and call it a “personal sacrifices for partner scale,” scientists are not going to accept your scale as valid without more evidence.

A first step toward making the case that your measure really is measuring the right thing (your construct) is to show that all the questions making up that instrument are measuring the same thing. To do this, you have to show that your scale is internally consistent: that participants who score a certain way on one of the “personal sacrifices for partner” subscale questions should score similarly to all the other “personal sacrifices for partner” questions. For example, if a participant’s answer to one question suggests the participant is willing to sacrifice for his partner, the participant’s answers to the other questions should echo that suggestion.

To understand the value of internal consistency, you may want to think of each question as a judge of whether participants have a certain characteristic. If one judge’s scores are very different from everyone else’s, you would doubt that judge’s competence. You might ask, “Was she watching the same thing everybody else was?” Similarly, if answers to a certain question on the test do not correspond to answers to the other questions, you would have doubts about that question. Because low internal consistency raises doubts about our questions, we want our measure to have high internal consistency.

As we mentioned earlier, there are several ways you can determine whether a measure has high internal consistency. If you found high inter-item correlations (e.g., above .35), split-half reliabilities (e.g., above .85), or Cronbach’s alphas (e.g., above .85), you would be more confident that all the questions on the test were measuring the same construct. The following data would support the view that the questions agree with each other:

<table>
<thead>
<tr>
<th>Participant</th>
<th>Question 1</th>
<th>Question 2</th>
<th>Question 3</th>
</tr>
</thead>
<tbody>
<tr>
<td>Omar</td>
<td>1</td>
<td>1</td>
<td>1</td>
</tr>
<tr>
<td>Destiny</td>
<td>3</td>
<td>3</td>
<td>3</td>
</tr>
<tr>
<td>Osana</td>
<td>5</td>
<td>5</td>
<td>5</td>
</tr>
</tbody>
</table>

However, what if the data were like this?

<table>
<thead>
<tr>
<th>Participant</th>
<th>Question 1</th>
<th>Question 2</th>
<th>Question 3</th>
</tr>
</thead>
<tbody>
<tr>
<td>Omar</td>
<td>1</td>
<td>1</td>
<td>5</td>
</tr>
<tr>
<td>Destiny</td>
<td>3</td>
<td>3</td>
<td>1</td>
</tr>
<tr>
<td>Osana</td>
<td>5</td>
<td>5</td>
<td>3</td>
</tr>
</tbody>
</table>

Then, you would probably want to reword or eliminate question 3.
By eliminating and rewording questions, you should be able to achieve a reasonable level of internal consistency. Thus, if you were to take participants’ scores on the first half of a 20-question test and correlate them with their scores on the last half of the test, you should find a high degree of agreement, like this:

<table>
<thead>
<tr>
<th>Participant</th>
<th>Score on first 10 questions</th>
<th>Score on last 10 questions</th>
</tr>
</thead>
<tbody>
<tr>
<td>Omar</td>
<td>50</td>
<td>50</td>
</tr>
<tr>
<td>Destiny</td>
<td>10</td>
<td>10</td>
</tr>
<tr>
<td>Osana</td>
<td>30</td>
<td>30</td>
</tr>
</tbody>
</table>

These data strongly suggest that the test is measuring one thing. Thus, internal consistency seems like a good idea if you are measuring a simple construct that has only one dimension.

But what if you are measuring a complex construct that you think has two separate aspects? For instance, suppose that, consistent with our love example, you assumed that love had two different dimensions (sexual attraction and willingness to sacrifice for the other). Furthermore, assume that these dimensions are relatively independent: You believe that people who are high on sexual attraction are not more likely to be high on willingness to sacrifice than people who are low on sexual attraction. In such a case, you don’t expect a high level of internal consistency for your scale as a whole because your scale is measuring two different things.

As suggested earlier, one solution would be to make up a love scale that had two different subscales. You would then expect that each of the individual subscales would have a high degree of internal consistency but that the subscales would not correlate highly with each other. That is, all the responses to questions related to sexual attraction should correlate with one another; all the responses to items related to sacrifice should correlate with one another; but the sexual attraction scale should not correlate highly with the sacrifice scale.9 The following results would support the case that your two subscales were measuring two different constructs:

- Split-half reliability for Sacrifice Subscale: .84
- Split-half reliability for Sexual Attraction Subscale: .89
- Correlation between the Sacrifice and Sexual Attraction Subscales: .10

**Convergent Validation Strategies: Statistical Evidence That You Are Measuring the Right Construct**

Internal consistency can help you build the case that you are measuring the number of constructs you claim to be measuring. The data just presented

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9 Another commonly used strategy (discussed at the end of Appendix E) is to use factor analysis. In this case, you would want at least three outcomes from that factor analysis. First, you want the factor analysis to extract two independent factors (sacrifice and sexual attraction) that together accounted for much (over 60%) of the variability in scores. Second, you want items in the sacrifice subscale to correlate with (have factor loadings above .4 on) the factor you labeled sacrifice and not load on (not correlate with) the factor you labeled sexual attraction. Third, you want items in the sexual attraction subscale to load heavily on the factor you labeled sexual attraction and not load heavily on the factor you labeled sacrifice.
strongly suggest that our love test is measuring two things. However, they do not tell us what those two things are.

The data do not give us objective evidence that we are measuring “sacrifice” and “sexual attraction.” Indeed, if one subscale was measuring intelligence and the other scale was measuring political attitudes, we might obtain those same data.

To make a case that your measure is measuring a certain construct, you should obtain evidence for its convergent validity: the extent to which your measure correlates with other indicators of the construct. The general idea is that your measure correlates with these other indicators because it and these other indicators are all converging on the same thing—your construct.

Perhaps the most obvious step in convergent validation is to show that your measure correlates with other measures of the same construct. Thus, if you were measuring love, you might correlate your measure with another measure of love, such as Rubin’s Love Scale (Rubin, 1970). Because both measures are supposed to be measuring the same thing, the two measures should correlate highly with one another. That is, participants scoring high on your love measure should score high on the other love measure, and participants scoring low on your love measure should score low on the other love measure. Ideally, you would find a convergent validity correlation between your measure and the existing measure of .80 or higher, as in this example:

<table>
<thead>
<tr>
<th>Participant</th>
<th>Established love measure</th>
<th>Your measure</th>
</tr>
</thead>
<tbody>
<tr>
<td>Basil</td>
<td>100</td>
<td>100</td>
</tr>
<tr>
<td>Marisol</td>
<td>20</td>
<td>20</td>
</tr>
<tr>
<td>Jaivin</td>
<td>60</td>
<td>60</td>
</tr>
</tbody>
</table>

Another obvious convergent validity tactic is to find two groups: one known to possess a high degree of the characteristic you want to measure and one known to possess a low degree of that characteristic. You would hope that participants known to have a high level of the construct would score higher on your measure than participants known to have a low level of the construct. This tactic is called the known-groups technique. Thus, in validating your love scale, you might give your scale to two groups—one that is known to be in love (dating couples) and one that is known not to be in love (strangers). Scores on the love scale might approximate the following:

<table>
<thead>
<tr>
<th>Strangers</th>
<th>Dating couples</th>
</tr>
</thead>
<tbody>
<tr>
<td>55</td>
<td>90</td>
</tr>
</tbody>
</table>

In addition to seeing whether different existing groups score differently on your measure, you could see whether individual scores on your measure predict future group membership. For instance, you might see if your measure could predict which dating couples would get engaged and which would soon split up (like Rubin did).
You could also see if your measure distinguishes between two groups exposed to different experimental manipulations. For example, if you had an experimental group that was expecting a shock and a control group that was not, you would expect the experimental group to score higher on your measure of anxiety than the control group.

Finally, you could determine whether your measure correlated with other indicators of the concept. Thus, you might correlate scores on the love scale with a behavior that lovers tend to do, such as look into each other’s eyes, and find that couples with low scores on the love scale were less likely to gaze at each other than couples with high scores (like Rubin did).

**Discriminant Validation Strategies: Showing That You Are Not Measuring the Wrong Construct**

Convergent validity uses the “if it looks like a duck and walks like a duck, it must be a duck” approach to building the case for construct validity. Unfortunately, something may look like a duck and walk like a duck but actually be a related bird (or a robotic toy). An “intelligence test,” despite correlating with some measures of intelligence, may really measure mathematical knowledge. A lie detector test that correlates with lying may merely be measuring nervousness. Similarly, a “love measure” that has some convergent validity with other measures of love may be measuring liking rather than love.

To illustrate the limits of convergent validity, suppose you correlate your love scale with another love scale. Imagine you have the following data:

<table>
<thead>
<tr>
<th>Person</th>
<th>Score on your scale</th>
<th>Score on other love scale</th>
</tr>
</thead>
<tbody>
<tr>
<td>Basil</td>
<td>30</td>
<td>38</td>
</tr>
<tr>
<td>Marisol</td>
<td>52</td>
<td>49</td>
</tr>
<tr>
<td>Jaivin</td>
<td>70</td>
<td>60</td>
</tr>
</tbody>
</table>

You have some good evidence for convergent validity because people who score one way on your test score about the same way on an established love test. But are you really measuring love? Before you say “yes,” let’s look at a table that combines data from the previous table with data from a liking scale:

<table>
<thead>
<tr>
<th>Person</th>
<th>Liking scale</th>
<th>Your scale</th>
<th>Other love scale</th>
</tr>
</thead>
<tbody>
<tr>
<td>Basil</td>
<td>30</td>
<td>30</td>
<td>38</td>
</tr>
<tr>
<td>Marisol</td>
<td>52</td>
<td>52</td>
<td>49</td>
</tr>
<tr>
<td>Jaivin</td>
<td>70</td>
<td>70</td>
<td>60</td>
</tr>
</tbody>
</table>

As you can see from this new table, your scale seems to be measuring liking rather than love. Because you cannot show that your so-called love
measure is different from a liking measure, you cannot say that the “love” measure is valid.

The moral of the previous two tables is that convergent validity alone is not enough to establish construct validity. It is not enough to show, as the first table did, that a measure correlates with measures of the right construct. We must also show that our measure has discriminant validity: showing that it is not measuring a different construct. Typically, you establish discriminant validity by showing that your measure (a) does not correlate with measures of unrelated constructs and (b) does not correlate too highly with measures of related constructs.

**Showing Discriminant Validity Relative to Unrelated Constructs**

If you need to show discriminant validity relative to a construct that is unrelated, unassociated, and irrelevant to your construct, you would need a near-zero (anywhere from \(-.20\) to \(+.20\)) correlation between your measure and a measure of that unrelated construct. For example, you, like many test developers, may need to show that your measure is not affected by social desirability bias. That is, you want to avoid a big problem with “tests” that appear in magazines: The more a test taker gives the answer that will put him or her in a good light, the higher that person will score on the “trait” (e.g., “Being a Good Friend”). How could you show that your measure was immune to that bias?

The first step is to have participants complete your scale and a social desirability scale. Social desirability scales, sometimes called “lie scales,” measure the degree to which the participant gives answers that—rather than being truthful—would impress most people. Basically, a social desirability scale consists of questions that ask you to describe yourself by choosing between two responses:

1. a socially desirable response (“Yes, I always help people out”) that makes a good impression but is not honest
2. a less impressive response (“No, I do not always help people out”) that is honest

People who lie by picking the socially correct responses will score high on the social desirability scale; people who pick the truthful, but less flattering, answers will score low in social desirability.

After administering both your measure and the social desirability scale, you would correlate the two measures. A correlation of around zero (between \(-.20\) and \(+.20\)) would suggest that your measure is not strongly influenced by the social desirability bias. That is, a near-zero correlation between your scale and a social desirability scale suggests that you are measuring people’s true feelings rather than people’s willingness to make a good impression.

If, on the other hand, scores on the social desirability scale correlate highly with responses on your scale, your scale may be strongly affected by social desirability bias: Rather than measuring what people really think, you may just be measuring their willingness to make a good impression. For example, do you think the following data support the idea that the “love test” really measures being in love?
<table>
<thead>
<tr>
<th>Person</th>
<th>Love score</th>
<th>Social desirability score</th>
</tr>
</thead>
<tbody>
<tr>
<td>Basil</td>
<td>30</td>
<td>30</td>
</tr>
<tr>
<td>Marisol</td>
<td>52</td>
<td>52</td>
</tr>
<tr>
<td>Jaivin</td>
<td>70</td>
<td>70</td>
</tr>
</tbody>
</table>

These data don’t support the idea that the so-called love test is measuring being in love. Instead, they suggest that the so-called love test is really a measure of social desirability. As you can imagine, showing that a new measure has a near-zero correlation with social desirability is often one of the first steps that researchers take in establishing discriminant validity.

### Showing Discriminant Validity Relative to Related Constructs

In addition to showing that you are not measuring social desirability, you may also need to show that your love measure has discriminant validity relative to a variety of other constructs, such as liking, lust, loyalty, and trust. When trying to show discriminant validity relative to a related construct, you do not need a zero correlation between your measure and a measure of that related construct. Indeed, you would expect that scores on your measure would be somewhat related to scores on a measure of that related construct. For instance, you might expect that your love scale would correlate moderately (.60) with the liking scale because people who love each other tend to like each other. However, if your love scale correlated very highly with the liking scale, you would be worried that you were measuring liking instead of love. You would especially be concerned if your scale correlated more highly with a liking scale than it did with other love scales.

Similarly, if you had a measure of practical intelligence, you would not be alarmed if it correlated moderately with a measure of conventional intelligence. However, if the correlation was around .80 (about as high as different IQ tests correlate with each other), you would have a hard time arguing that you had devised a test of a different type of intelligence. Instead, the evidence would suggest that you had devised yet another measure of conventional intelligence.

### Conclusions About Discriminant Validity

In short, to make a convincing case that a measure really measures the construct it is supposed to measure (construct validity), you need to show that it really isn’t measuring a construct that it shouldn’t be measuring (discriminant validity). Therefore, when trying to decide whether to use a certain measure, you should ask two questions:

1. What other constructs might this measure be measuring?
2. Is there evidence that this measure does not measure those other constructs?

If you are trying to show that you are not measuring an unrelated construct, you need to show that there is a near-zero correlation between your measure and a measure of the unrelated construct. If, on the other hand, you
are trying to show that you are not measuring a related construct, even a moderately high correlation of .60 might provide evidence of discriminant validity—as long as that was significantly lower than your measure’s convergent validity correlations. 10

Summary of Construct Validity

As you can see from Figure 5.7 and Table 5.5, building a strong case for your measure’s construct validity involves several research projects. To assess convergent validity, researchers often have to consult theory and past research to see what manipulations would affect their construct and then see whether those manipulations affect scores on their own measure. In addition, researchers may need to consult theory and past research to see what behaviors

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10 Two common ways of showing that a measure is not measuring a related construct are (1) partial correlations and (2) tests of the differences between correlations. Partial correlations are correlations between two variables that try to control for the possibility that the correlation between those two variables is due to some third variable. For example, suppose a social intelligence test and a conventional intelligence test both correlated .60 with grades. In that case, you might wonder whether the social intelligence test was just another intelligence test. To find out, we could compute a partial correlation between social intelligence and grades that would control for IQ scores. If the partial correlation between social intelligence and grades was now zero, we would conclude that the social intelligence test did not have discriminant validity relative to conventional intelligence tests. If, on the other hand, the partial correlation was significantly different from zero, we would conclude that the social intelligence measure did have discriminant validity relative to conventional intelligence. The test between correlations might involve doing a statistical significance test to determine whether the correlation between your social intelligence test and another social intelligence test was significantly higher than the correlation between your social intelligence test and a conventional intelligence test.
correlate with high levels of the construct and then see whether people scoring high on their measure exhibit those behaviors. To assess discriminant validity, researchers have to correlate their measure with measures of other constructs. To assess internal consistency, researchers need to administer the measure and calculate some measure of internal consistency. Because validating a measure takes so much time and because most researchers are interested in finding out new things about a construct rather than finding new ways to measure it, most researchers do not invent their own measures. Instead, researchers use measures that others have already validated. (In fact, as you read about what it would take to validate your own love scale, you may have been saying to yourself, “Let’s use Rubin’s Love Scale instead.”) To find such measures, go to the Chapter 5 section of this text’s website.

### MANIPULATING VARIABLES

We have devoted most of this chapter to measuring, rather than manipulating, variables for two reasons. First, all research involves measuring variables, whereas not all research involves manipulating variables. For example, if a researcher wants to know whether people who tend to exercise are happier than people who don’t, researchers can simply measure both variables. Even if a researcher wanted to know whether exercise causes one to be happier, the researcher would still measure happiness—although the researcher would also have to manipulate how much participants exercise. Second, as you can see from both Table 5.6 and the next section of this chapter, most of the things you should think about when measuring variables are the same things you should think about when manipulating variables.

### Common Threats to a Manipulation’s Validity

When evaluating manipulations, you have the same four concerns as you have when you measure variables:

1. Can we reduce random error?
2. Can we reduce bias due to the researcher?
3. Can we reduce bias due to the participant?
4. Can we provide evidence that the operational definition we are using is valid?

1. Reducing Random Error

Just as you want to minimize random error when measuring variables, you want to minimize random error when manipulating variables. Therefore, just as you standardized the administration of your measure, you want to standardize the administration of your treatment. You want to administer the treatment the same way every time.

2. Reducing Experimenter (Researcher) Bias

Just as you were worried about researchers being biased when they score the measure, you will be worried about experimenter bias: experimenters being biased when they administer the treatment. For instance, researchers may be friendlier to the participants who are getting the treatment. As was the case with observer bias, you can reduce researcher bias by

- using scientific equipment to administer the manipulations
- using written or computerized instructions
- standardizing procedures
- making the researcher blind to what treatment the participant received

<table>
<thead>
<tr>
<th>Measure</th>
<th>Manipulation</th>
</tr>
</thead>
<tbody>
<tr>
<td>Reduce random error by standardizing administration of the measure.</td>
<td>Reduce random error by standardizing administration of the manipulation.</td>
</tr>
<tr>
<td>Reduce observer bias by training, standardization, instruments, and making researcher “blind” to the participant’s condition.</td>
<td>Reduce researcher bias by training, standardization, instruments, and making the researcher “blind” to the participant’s condition.</td>
</tr>
<tr>
<td>Participants may figure out what the measure is measuring and then act in such a way as to make a good impression or give the researcher the “right” results. Sometimes, the problem of subject biases is dealt with by not letting participants know what the measure is or what the hypothesis is.</td>
<td>Participants may figure out what the manipulation is designed to do and then act in such a way as to make a good impression or to give the researcher the “right” results. Sometimes, the problem of subject biases is dealt with by not letting participants know what the manipulation is or what the hypothesis is.</td>
</tr>
<tr>
<td>Show that your operational definition is consistent with the theory’s definition of the construct.</td>
<td>Show that your operational definition is consistent with the theory’s definition of the construct.</td>
</tr>
<tr>
<td>Convergent validity is shown by correlating the measure with other measures of the construct.</td>
<td>Convergent validity is sometimes demonstrated by showing that the manipulation has the same effect that other manipulations of the construct have and that it has an effect on the manipulation check.</td>
</tr>
</tbody>
</table>
3. Reducing Subject (Participant) Biases

Just as you were concerned that your measure might tip off participants to how they should behave, you should also be concerned that your manipulation might tip off participants as to how they should behave. One of the most frequently cited examples of how a treatment could lead to demand characteristics was a series of studies begun in the 1920s at the Hawthorne Electric Plant. The investigators, Roethlisberger and Dickson (1939), were looking at the effects of lighting on productivity. At first, everything seemed to go as expected: Increasing illumination increased productivity. However, when they reduced illumination, productivity continued to increase. The researchers concluded that the treatment group was reacting to the special attention rather than to the treatment itself. This effect became known as the Hawthorne effect.

Although many experts now believe that Roethlisberger and Dickson’s results were not due to the Hawthorne effect, no one disputes that participants may act differently simply because they think they are getting a treatment. Therefore, researchers use a wide variety of techniques to avoid the Hawthorne effect. Some of these techniques are similar to the techniques used to make a measure less vulnerable to subject biases. Just as researchers may reduce subject biases by measuring participants in nonresearch settings, experimenters may reduce subject biases by manipulating the treatment in a nonresearch setting.

A more common way of reducing subject biases is to give the “no-treatment” group a placebo treatment: a treatment that is known to have no effect. For example, in most studies examining the effect of a drug, some participants get the pill that contains the drug (the treatment), whereas others get a sugar pill (the placebo). If both groups improve equally, researchers would be concerned that the treatment group’s improvement might be due to participants expecting to get better. If, however, the treatment group improves more than the placebo group, we know that the improvement was not due to participants’ expectations.

4. Making the Case for a Manipulation’s Construct Validity

As with measures, you would like to provide evidence that your operational definition is what you claim it is. The difference is that making a case for the validity of a treatment is usually less involved than making a case for the validity of a measure.

Indeed, making the case for a treatment’s validity usually involves only two strategies: (1) arguing that your treatment is consistent with a theory’s definition of the construct and (2) using a manipulation check: a question or set of questions designed to determine whether participants perceived the manipulation in the way that the researcher intended.

Consistency With Theory

To illustrate the value of these two ways of establishing construct validity, suppose that you wanted to manipulate cognitive dissonance: a state of arousal caused when participants are aware of having two inconsistent beliefs. To create dissonance, you ask a group of smokers to write an essay about why people shouldn’t smoke. You would want to argue that your
Manipulation meets three general criteria that dissonance theory says must be met to induce dissonance:

1. Participants must believe they are voluntarily performing an action that is inconsistent with their attitudes (a smoker writing an essay about why people shouldn’t smoke).
2. Participants should believe that the action is public and will have consequences (before writing the essay, participants must believe that others will not only read their essay but know that the participant wrote it).
3. Participants must not feel that they engaged in the behavior for a reward (that they are being bribed to write an essay that goes against their beliefs).

To make the case that the manipulation is consistent with dissonance theory, you might argue that

1. You told participants that their cooperation was voluntary and that they could refuse.
2. You told them that their essay would be signed and that children who were thinking about smoking would read it.
3. You did not pay participants for writing an antismoking essay.

**Manipulation Checks**

Your procedures would seem to induce the mental state of dissonance—assuming that participants perceived the manipulation as you intended. To check on that assumption, you might use a manipulation check. For example, you might ask participants whether they felt aroused, uncomfortable, coerced, that their attitudes and behavior were inconsistent, that their behavior was public, whether they foresaw the consequences of their behavior, and so on. Many researchers believe that you should always use a manipulation check when doing research on human participants (Sigall & Mills, 1998).

But what if the manipulation check tips off participants to the study’s hypothesis? In that case, manipulation check advocates would say you have two options. First, use the manipulation check—but only after the participant has responded to your measure. Second, conduct a mini-study in which the only thing that happens is that participants receive the manipulation and then respond to the manipulation check.

But what if it’s obvious that you are manipulating whatever you think you are manipulating (physical attractiveness, concrete versus abstract words, etc.)? Even then, manipulation check advocates would urge you to go ahead with a manipulation check for two important reasons. First, because you are doing research to test assumptions rather than to make assumptions, you should be willing to test the assumption that you are manipulating what you think you are manipulating. Second, a manipulation check could establish

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11 In addition to using the manipulation check to test the hypothesis that your manipulation (A) had the predicted psychological effect (B), you could also use the manipulation check data to test the hypothesis that the psychological effect (B), in turn, changed (C) behavior (Sigall & Mills, 1998). Thus, without a manipulation check, you are limited to testing the hypothesis that A (the manipulation) → C (the dependent measure). With a manipulation check, on the other hand, you can test the A (the manipulation) → B (variable measured by the manipulation check) → C (the dependent measure) hypothesis.
the discriminant validity of your treatment. For example, wouldn’t it be nice if you could show that your attractiveness manipulation increased perceptions of attractiveness but did not change perceptions of age or wealth?

**Pros and Cons of Three Common Types of Manipulations**

Choosing a manipulation usually involves making trade-offs because there is no such thing as the perfect manipulation. Different manipulations have different strengths and weaknesses. In the next sections, we will briefly highlight the strengths and weaknesses of three common ways of giving participants in different conditions different experiences: (1) giving them different instructions (instructional manipulations), (2) changing their physical environment (environmental manipulations), and (3) varying the behavior of their “co-participants”—research assistants pretending to be participants (stooge manipulations).

**Instructional Manipulations**

Perhaps the most common treatment manipulation is the *instructional manipulation*: manipulating the variable by giving written or oral instructions. One advantage of an instructional manipulation is that you can standardize your manipulation easily. Often, all you have to do is give each participant in the treatment condition one photocopied sheet of instructions and give each participant in the no-treatment condition another sheet of instructions. If you use a computer to compose the different sets of instructions, you can easily ensure that the instructions are identical except for the manipulation. If you have a cover sheet for the instructions, the person handing out the instructions can be blind to which set of instructions the participant receives. Because written instructions are easily standardized and because written instructions allow you to make the researcher blind, written instructions can reduce both random error and experimenter bias.

Unfortunately, instructional manipulations, although easy for you to administer, are easy for participants to misinterpret, ignore, and play along with. Therefore, just because you can consistently present instructions to participants, don’t assume that your instructions will be perceived the same way every time.

To get participants to notice, remember, and understand your instructions, “hit participants over the head” with your manipulation by repeating and paraphrasing your most important instructions, and, if necessary, by quizzing participants over those instructions. Thus, if you were manipulating anonymity, you would make a big deal of forbidding participants in the “private” condition from writing their name on any of the materials—and you would tell participants that their responses will be anonymous, confidential, private, and that no one will know how they responded. Then, you might have them fill out a form in which they had to indicate whether their responses were anonymous or public. In the public condition, you would do just the opposite: You would make a big deal of making participants write their names on their paper, and you would tell them that many people would see their paper. Then, you might have them fill out a form in which they had to indicate whether their responses were anonymous or public.

By making sure that participants notice, remember, and understand the manipulation, you run the risk that they may understand your manipulation too well: They may figure out what you are trying to manipulate and then
play along. Fortunately, you can reduce this threat to your study’s construct validity by using placebo treatments, counterintuitive hypotheses (hypotheses that make a prediction that is opposite of what most people—and most participants—would predict), and clever ways of measuring your construct. (To see examples of clever measures, see Table 5.2.)

**Environmental Manipulations**

If you are concerned that participants will play along with an instructional manipulation, you might use an environmental manipulation: changing the participants’ surroundings. Some environmental manipulations take the form of “accidents.” For instance, smoke may fill a room, the participant may be induced to break something, or the participant may “overhear” some remark.

When considering an environmental manipulation, ask two questions. First, will participants notice the manipulation? Even when manipulations have involved dramatic changes in participants’ environments (smoke filling a room), a sizable proportion of participants report not noticing the manipulation (Latané & Darley, 1970).

Second, can you present the manipulation the same way every time? Fortunately, many environmental manipulations can be presented in a consistent, standardized way. Most animal research, for example, involves environmental manipulations that can be consistently presented (food deprivation). Likewise, research in perception, sensory processing, cognition, and verbal learning usually involves environmental manipulations (presenting illusions or other stimuli). These manipulations vary from the routine—presentation of visual stimuli by computer, tachistoscope, memory drum, or automated slide projector—to the exotic. For example, Neisser (1984) has done studies in which the manipulation consists of silently moving the walls of the participant’s cubicle.

**“Stooge” Manipulations: Using Fake Participants to Engage Real Participants**

A special kind of environmental manipulation employs stooges (confederates): actors who pretend to be participants but are actually the researcher’s assistants. By using stooges, social psychologists and others get participants to respond openly, thus avoiding the demand characteristics that accompany instructional manipulations. However, using stooges leads to two problems.

First, using stooges raises ethical questions because by deceiving your participants, you are violating the principle of informed consent. Your attempt to reduce demand characteristics is coming at the cost of participants’ rights. The decision to try to deceive participants should be made only after careful consideration of the alternatives. Thus, for ethical reasons, you, your professor, or your school’s ethics committee may decide that you shouldn’t use stooges (for more on ethics, see Appendix D).

Second, it’s hard to standardize the performance of a stooge. At best, inconsistent performances by stooges create unnecessary random error. At worst, stooges may bias the results. Some researchers solve the standardization problem by having participants listen to tapes of actors rather than relying on stooges to give exactly the same performance time after time. For example, both Aronson and Carlsmith (1968) and Latané and Darley (1970) made participants believe they were listening to people talking over an intercom when participants were actually listening to a tape recording.
The Type of Manipulation You Should Use Depends on Your Concerns

As you can see from Table 5.7, choosing manipulations usually means making trade-offs. To choose the right manipulation for your study, you must determine what your study needs most. Is experimenter bias your biggest concern? Then, you might use an instructional manipulation. Is subject bias your biggest concern? Then, you might use an environmental manipulation.

Conclusions About Manipulating Variables

As you have seen, when manipulating variables, you have many of the same concerns you have when measuring variables, such as random error, participant bias, and researcher bias. As a result, when manipulating variables, you want to use some of the same techniques you use when measuring variables, such as standardizing procedures and keeping both participants and researchers blind.

CONCLUDING REMARKS

In Chapter 3, you developed a research idea: a prediction about how two or more variables were related. In this chapter, you learned how to determine whether you had valid operational definitions of those variables. Now that you have the raw materials to build a research design, you can take advantage of the rest of this book.

SUMMARY

1. Reliability refers to whether you are getting consistent, stable measurements. Reliable measures are relatively free of random error.
2. One way to measure the extent to which a measure is free of random error is to compute its test–retest reliability.
3. Three major sources of unreliability are random errors in scoring the behavior, random variations in how the measure is administered, and random fluctuations in the participant’s performance.
4. You can assess the degree to which random errors due to the observer are affecting scores by computing an interobserver reliability coefficient. Interobserver reliability puts a ceiling on test–retest reliability.
5. For objective tests, you may get some idea about the degree to which scores are affected by random, moment-to-moment fluctuations.
in the participant’s behavior by using an index of internal consistency. Popular indexes of internal consistency are Cronbach’s alpha, split-half reliabilities, and average inter-item correlations.

6. Random error is different from bias. Bias is a more serious threat to validity. In a sense, random error dilutes validity, whereas bias poisons validity.

7. **Validity** of a measure refers to whether you are measuring what you claim you are measuring.

8. Reliability puts a ceiling on validity; therefore, an unreliable measure cannot be valid. However, reliability does not guarantee validity; therefore, a reliable measure may be invalid.

9. A valid measure must (a) have some degree of reliability and (b) be relatively free of both observer and subject biases.

10. Two common subject biases are social desirability (trying to make a good impression) and obeying the study’s demand characteristics (trying to make the researcher look good by producing results that support the hypothesis).

11. By not letting participants know what you are measuring (unobtrusive measurement), you may be able to reduce subject biases (see Table 5.2).

12. Establishing internal consistency, discriminant validity, convergent validity, and content validity are all ways of building the case for a measure’s construct validity.

13. Choosing a manipulation involves many of the same steps as choosing a measure.

14. Placebo treatments and unobtrusive measurement can reduce subject bias.

15. “Blind” procedures and standardization can reduce experimenter bias.

16. You can use manipulation checks to make a case for your manipulation’s validity.

### KEY TERMS

- operational definitions (p. 127)
- bias (p. 130)
- random error (p. 130)
- observer bias (p. 133)
- blind masked (p. 135)
- standardization (p. 137)
- subject bias (p. 138)
- demand characteristics (p. 139)
- informed consent (p. 139)
- unobtrusive measurement (p. 139)
- social desirability bias (p. 141)
- reliable, reliability (p. 143)
- test–retest reliability (p. 144)
- interobserver (judge) agreement (p. 148)
- interobserver (scorer) reliability coefficient (p. 148)
- internal consistency (p. 152)
- construct validity (p. 157)
- content validity (p. 157)
- convergent validity (p. 160)
- known-groups technique (p. 160)
- discriminant validity (p. 162)
- experimenter bias (p. 166)
- Hawthorne effect (p. 167)
- placebo treatment (p. 167)
- manipulation check (p. 167)
- instructional manipulation (p. 169)
- environmental manipulation (p. 170)
- stooges (confederates) (p. 170)

### EXERCISES

1. Why is bias considered more serious than random error?
2. What are the two primary types of subject bias? What are the differences between these two types?
3. Suppose a “social intelligence” test in a popular magazine had high internal consistency. What would that mean? Why would you still want to see whether the test had discriminant validity? How would you do a
study to determine whether the test had discriminant validity?

4. Given that IQ tests are not perfectly reliable, why would it be irresponsible to tell someone his or her score on an IQ test?

5. What is content validity? How does it differ from internal consistency? For what measures is it most important?

6. Swann and Rentfrow (2001) wanted to develop a test “that measures the extent to which people respond to others quickly and effusively.” In their view, high scorers would tend to blurt out their thoughts to others immediately and low scorers would be slow to respond.
   a. How would you use the known-groups technique to get evidence of your measure’s construct validity?
   b. What measures would you correlate with your scale to make the case for your measure’s discriminant validity? Why? In what range would the correlation coefficients between those measures and your measure have to be to provide evidence of discriminant validity? Why?
   c. To provide evidence of convergent validity, you could correlate scores on your measure with a behavior typical of people who blurt out their thoughts. What behavior would you choose? Why?

7. A researcher wants to measure “aggressive tendencies” and is trying to decide between a paper-and-pencil test of aggression and observing actual aggression.
   a. What problems might there be with observing aggressive behavior?
   b. What would probably be the most serious threat to the validity of a paper-and-pencil test of aggression? What information about the test would suggest that the test is a good instrument?

8. Think of a construct you would like to measure.
   a. Name that construct.
   b. Define that construct.
   c. Locate a published measure of that concept (if you are having trouble finding a published example, see Web Appendix B), and write down the reference for that source.
   d. Develop a measure of that construct.
   e. What could you do to improve or evaluate your measure’s reliability?
   f. If you had a year to try to validate your measure, how would you go about it? (Hint: Refer to the different kinds of validities discussed in this chapter.)
   g. How vulnerable is your measure to subject and observer bias? Why? Can you change your measure to make it more resistant to these threats?

9. What problems do you see with measuring “athletic ability” as 40-yard-dash speed? What steps would you take to improve this measure? (Hint: Think about solving the problems of bias and random error.)

10. Think of a factor that you would like to manipulate.
    a. Define this factor as specifically as you can.
    b. Find one example of this factor being manipulated in a published study (if you are having trouble finding a published example, see Web Appendix B). Write down the reference citation for that source.
    c. Would you use an environmental or instructional manipulation? Why?
    d. How would you manipulate that factor? Why?
    e. How could you perform a manipulation check on the factor you want to manipulate? Would it be useful to perform a manipulation check? Why or why not?
WEB RESOURCES

1. Go to the Chapter 5 section of the book’s student website and
   a. Look over the concept map of the key terms.
   b. Test yourself on the key terms.
   c. Take the Chapter 5 Practice Quiz.
   d. Do the interactive end-of-chapter exercises.

2. If you are ready to draft a method section, click on the “Method Section Tips” link.

3. If you want to have a better understanding of correlation coefficients, click on the “Correlator” link.
Beyond Reliability and Validity
The Best Measure for Your Study

**Sensitivity: Will the Measure Be Able to Detect the Differences You Need to Detect?**
Achieving the Necessary Level of Sensitivity: Three Tips
Conclusions About Sensitivity

**Scales of Measurement: Will the Measure Allow You to Make the Kinds of Comparisons You Need to Make?**
The Four Different Scales of Measurement
Why Our Numbers Do Not Always Measure Up
Which Level of Measurement Do You Need?
Conclusions About Scales of Measurement

**Ethical and Practical Considerations**
**Concluding Remarks**
Summary
Key Terms
Exercises
Web Resources
When possible, make the decisions now, even if action is in the future. A reviewed decision usually is better than one reached at the last moment.
—William B. Given, Jr.

It is the mark of an educated mind to rest satisfied with the degree of precision which the nature of the subject permits—and not to seek exactness where only an approximation is possible.
—Aristotle

CHAPTER OVERVIEW

Some people buy the most highly rated software available, only to find out that it doesn’t work well for them. The program may be incompatible with other software they have, or it may not have a certain feature they want. As a result, they have a decent program, but one that doesn’t work well for what they want to do. Similarly, when selecting a measure, some people choose the most valid measuring instrument available, yet find out that it doesn’t work well for what they want to do.

At first, choosing the most valid measure seems perfectly sensible. After all, who wouldn’t want to make sure that their instrument is the best at measuring what it is supposed to measure?

After giving it some thought, however, you probably realize that most important decisions involve weighing more than one factor. Every measure, like every computer program, has weaknesses. The key is to find the measure whose weaknesses are least likely to get in the way of what you want to do.

To choose the measure whose weaknesses won’t stop you from doing what you want to do, you need to know not only the measure’s weaknesses but also your particular study’s strengths and weaknesses. For example, imagine that you find three measures that, although they have similar overall levels of validity, are vulnerable to different threats to validity. The first measure is vulnerable only to biased observers. The second measure is a rating scale measure vulnerable only to subject biases. The third measure’s only weakness is unreliability. Which measure should you choose?

The answer depends on how the measure’s strengths and weaknesses complement your study’s strengths and weaknesses. For example, suppose your design made it impossible for observers to bias the results in favor of the treatment group because you kept them blind (you didn’t let
them know whether the participant they were rating was in the treatment group or in the no-treatment group). In that case, you would choose the measure that is vulnerable only to observer bias.

If you had a hypothesis that is easy to figure out, you would avoid the measure that is vulnerable to subject bias. Suppose, for example, you hypothesized that participants would like a product more after seeing an ad for the product. Unfortunately, even if the ad was ineffective, participants may still rate the product higher after seeing the ad because they thought you wanted the ad to be effective. In this case, the combination of a hypothesis that is easy to guess and a rating scale measure that is easy to fake would be deadly to your study’s construct validity. Therefore, you would not use the rating scale measure. Suppose, however, you had a hypothesis that participants probably wouldn’t figure out. For example, suppose your hypothesis was that the ad would actually decrease liking for the product. In that case, you might choose the rating scale measure because its vulnerability to subject biases would not hurt you.

Finally, if you were concerned about avoiding both subject and observer bias, you would choose the measure that was unbiased but unreliable. Admittedly, the measure’s low reliability guarantees low validity—and its unreliability will make it hard for you to find that a treatment has a statistically reliable effect. However, if, despite the fog created by the measure’s random error, you were able to find a significant difference between the treatment and no-treatment groups, you could be confident that the difference wasn’t due to measurement bias.

As you can see, even if validity were your only concern, you would not always choose the measure that, in general, was most valid. Instead, you would choose the measure that would be most valid for your particular study. But validity should never be your only concern. Instead, validity should take a backseat to three other concerns.

First, you must put practical concerns above validity. If you can’t afford the measure or aren’t qualified to administer it, you can’t use it. Second, you should place ethical concerns above validity. If the most valid measure would humiliate or endanger participants, you shouldn’t use it. Third, you should care more about whether the measure will allow you to do what you want to do—answer your research question—than about its validity.
SENSITIVITY: WILL THE MEASURE BE ABLE TO DETECT THE DIFFERENCES YOU NEED TO DETECT?

To understand how a measure could prevent you from answering your research question, imagine a cell biologist’s reaction to being told that she could use only a magnifying glass to distinguish the DNA of cancer cells from the DNA of normal cells. Obviously, she would be surprised. Without a microscope, the cell biologist could not detect small differences between cells.

Like cell biologists, psychologists often look for subtle differences. Consequently, like cell biologists, psychologists usually want their measure to be sensitive: to have the ability to detect differences among participants on a given variable. For example, we might try to increase participants’ empathy for others. Realistically, we realize that one short treatment is probably not going to have enormous effects on a trait that has been shaped by heredity and a lifetime of experiences. If we have been able to make even a small improvement in this characteristic, we want to know about it.

Achieving the Necessary Level of Sensitivity: Three Tips

How can you find or develop a sensitive measure? Often, you can evaluate or improve a measure’s sensitivity by evaluating it on the same three characteristics you would use to evaluate the sensitivity of a system for comparing people’s weights: validity, reliability, and ability to provide a wide variety of scores.

First, you would want your measurements to be valid. For example, you wouldn’t weigh people with their shoes and coats on because the difference in your recorded weights might be due to differences in the weight of their clothes rather than to differences in their body weights. Similarly, if you were interested in differences in body fat, you would want to use a much more direct and valid measure of body fat than body weight.

Second, you would want your measurements to be reliable. If the scale can’t give the same person the same weight from one minute to the next, you know the scale is not reliable and not valid. You also know that such a scale is not sensitive because (a) if it is not accurately measuring people’s weights, it cannot be accurately measuring differences between people’s weights, and (b) if it is creating large, random differences between people’s measured weights, it may not be able to find small, real differences between people’s weights.

Third, you want your measurements to be able to range from low to high and include small gradations in between. For example, you would want the scale to go high enough that you could distinguish people weighing 400 pounds from those weighing 500 pounds, and you would want the marks on the scale to be close enough together that you could distinguish someone weighing 150.0 pounds from someone weighing 150.5 pounds. Consequently, if you found a measure in which participants must receive either a score of “1” or “2,” you would know that the measure could not be sensitive to subtle differences among participants.

You now have a general idea of what makes a measure sensitive: validity, reliability, and ability to provide a variety of scores. In the next sections, you will learn why these three qualities are important and how you can increase
your measure’s sensitivity by increasing the degree to which your measure has these qualities.

**Look for High Validity**

The desire for sensitivity is a major reason that researchers often insist on having the most valid measure available. Even though they have several valid measures to choose from, they want the most valid one because it will tend to be the most sensitive.

Why does the most valid measure tend to be the most sensitive? To answer this question, keep two related facts in mind. First, the most valid measure is the one in which scores are least affected by factors that are irrelevant to what you are trying to measure. Second, the less a measure’s scores are affected by irrelevant factors, the more it will be sensitive to changes in the relevant factor. For example, if you were weighing people to determine whether a diet had an effect, you would be more likely to find the diet’s effect if participants were weighed unclothed rather than clothed. Both the clothed and unclothed measures would be valid. However, because the unclothed measure is not assessing the weight of the clothes, it is more valid and more sensitive to actual weight changes.

For similar reasons, measures that involve fewer inferences tend to be both more valid and more sensitive. Consequently, scientists would prefer to measure a person’s weight on a scale rather than by the depth of the impression the person’s footprint left in the sand. Likewise, they would prefer to measure body fat using calipers rather than by estimating it from overall body weight.

You now know that valid measures tend to be more sensitive and that valid measures are usually more pure and more direct than less valid measures. To make your measure more pure, more direct, more valid, and more sensitive, take two steps.

First, spend the time to figure out precisely what it is you want to measure. When you initially come up with a research idea, you may have a general sense of what you want to measure. For example, you may start out thinking that you want to measure attraction. Upon reflection, however, you may decide that you really want to measure lust. One way of helping you focus on what you want to measure is to look up the term you think you want to measure in the *Psychological Thesaurus* (see Web Appendix B). The Thesaurus will help you clarify what you want to measure by alerting you to more specific terms, as well as related terms.

Second, ask if there is a more direct way of measuring your construct. For instance, if you are interested in measuring aggression in football, do not simply measure how many penalties a team gets. Instead, measure how many penalties they get for unsportsmanlike conduct. Similarly, rather than assuming that fear will lead children to sit closer to each other and then measuring fear by how closely children sit to each other, take the more direct approach of asking children how afraid they are. By thinking about the simplest, most direct way to measure what you want to measure, you can often reduce the extent to which your measure is affected by things you don’t want to measure.
Look for High Reliability

One thing you don’t want to measure is random error. When you are measuring random error, you aren’t measuring the quality you wish to measure. The less reliable the measure, the more scores on that measure are being influenced by random error. Therefore, all other things being equal, the less reliable the measure, the less sensitive it will be at detecting different amounts of the quality you wish to measure. ¹

To illustrate that unreliability hurts sensitivity, imagine that you have two scales: a reliable one and an unreliable one. Suppose that you go for a while without gaining weight and then you gain 2 pounds one weekend. If you always weighed yourself on the reliable scale, the scale would probably register the same weight day after day until that weekend. Consequently, you would probably notice your weight gain. If, on the other hand, you weighed yourself every day on the highly unreliable scale, the scale would make you think your weight was bounding around even when it wasn’t. In that case, if you were to gain 2 pounds one weekend, it would be hard to determine whether you had really gained 2 pounds for two reasons. First, if the scale did register 2 pounds heavier, you wouldn’t know whether that was due to you gaining 2 pounds or whether it was due to random fluctuations you were used to seeing. Thus, instead of realizing that you’d gained weight, you might think that the different readings on the scale were due entirely to random error.

Second, the scale wouldn’t consistently register you as 2 pounds heavier. Indeed, if the unreliability of the scale made it fluctuate by 8 pounds, the scale rather than indicating that you had gained 2 pounds, might indicate that you had lost 6 pounds.

As this example suggests, unreliability in your data is like static interfering with your ability to hear a radio news bulletin. With a little static, you can still hear the program. But as the static increases, you will find it increasingly difficult to make out what is being said. Similarly, with a lot of random error in your measurements, it becomes hard to pick up the news your data are sending you. Consequently, if you see that your groups score quite differently on an unreliable measure, you may not know whether those large differences are due to random measurement error or whether they represent actual differences.

To visualize how random error makes it hard to see the message in your data, imagine you were measuring the time it took two different rats to run a maze. Suppose that Rat A and Rat B ran the maze four times each. Below are their actual times.

<table>
<thead>
<tr>
<th>Rat</th>
<th>Trial 1</th>
<th>Trial 2</th>
<th>Trial 3</th>
<th>Trial 4</th>
</tr>
</thead>
<tbody>
<tr>
<td>Rat A</td>
<td>6 seconds</td>
<td>6 seconds</td>
<td>6 seconds</td>
<td>6 seconds</td>
</tr>
<tr>
<td>Rat B</td>
<td>5 seconds</td>
<td>5 seconds</td>
<td>5 seconds</td>
<td>5 seconds</td>
</tr>
</tbody>
</table>

¹The less reliable the measure, the more it is affected by random error—provided that you are measuring a stable characteristic. If you are measuring intelligence—and if intelligence is stable—any unreliability in your measure reflects random error. If, however, you are measuring something that changes (knowledge about research methods), unreliability might not reflect random error.
If you had used a perfectly reliable and valid measure, you could have clearly seen that Rat B was the faster rat. However, suppose your measuring system was unreliable. For example, suppose you were having some problems with the stopwatch or you weren’t always paying close attention. Then, you might record the rats’ times as follows:

<table>
<thead>
<tr>
<th></th>
<th>Trial 1</th>
<th>Trial 2</th>
<th>Trial 3</th>
<th>Trial 4</th>
</tr>
</thead>
<tbody>
<tr>
<td>Rat A</td>
<td>7 seconds</td>
<td>6 seconds</td>
<td>5 seconds</td>
<td>6 seconds</td>
</tr>
<tr>
<td>Rat B</td>
<td>8 seconds</td>
<td>4 seconds</td>
<td>6 seconds</td>
<td>2 seconds</td>
</tr>
</tbody>
</table>

Despite the random error in your measurements, you correctly calculated that Rat A averages 6 seconds to run the maze and Rat B averages 5 seconds to run the maze. Thus, random error does not bias your observations. However, because of the unreliable, erratic nature of your measuring system, it is hard to determine whether Rat B really is the faster rat. The unreliability of the measuring system causes static that makes it harder to get a clear picture of the message your data should be sending you.

You have seen that too much random error in your measuring system can prevent you from detecting true differences between participants. In other words, all other things being equal, the more reliable the measure is, the more sensitive it is. Therefore, if you want to have a sensitive measure, you should probably choose a measure that has a high (above .80) test–retest reliability coefficient.

**Find Measures That Provide a Variety of Scores**

Thus far, we have discussed cases in which you could increase sensitivity by increasing both reliability and validity. The more scores on the measure are affected by the characteristic you want to measure (rather than by bias, a different trait, or random error), the more the measure is likely to be sensitive to differences between individuals on that characteristic. A reliable and valid measure might still be insensitive, though, because—like a scale that will measure you only to the nearest 100 pounds—it fails to allow participants who differ slightly on a trait to receive different scores (see Figure 6.1).

If a measure is to be sensitive to subtle differences between participants, participants who differ on the characteristic must get different scores. Thus, if you measured participants who varied widely on the characteristic, you should get a wide range of scores. Some participants should get extremely low scores, and others should get extremely high scores. Few participants should get the same score.

What could prevent a valid measure from producing the wide variety of scores necessary to reflect the full extent of the variation among your participants? What should you do to increase a measure’s sensitivity? What should you avoid doing? To answer these questions, let’s imagine that you are trying to detect small changes in how much a man loves a woman. What could stop you from detecting changes in the man’s love?

**Avoid Behaviors That Are Resistant to Change.** One reason you might be unable to detect small changes in love is that you chose to measure a behavior that is resistant to change. As a result, when the man’s love changed, his
behavior did not change along with his love. Thus, you should not choose to measure a behavior that is resistant to change. But what behaviors are resistant to change?

Important behaviors, such as proposing marriage or buying a car, and well-ingrained habits, such as smoking or cursing, are resistant to change. Such behaviors are especially insensitive to subtle changes in a construct. For example, suppose your measure of love was whether a man asked a woman to marry him. Because a man would ask a woman to marry him only after his love had reached an extremely high level, this measure would be insensitive to many subtle changes. It would not be able to detect a man’s love changing from a near-zero level of love to a moderate level.

So, if you are interested in sensitivity, stay away from measures that cannot detect low levels of a construct. Don’t use death as a measure of stress, tile erosion in front of a painting as a measure of the painting’s popularity, quitting smoking as a measure of willpower, or any other measure that stays at zero until a high level of the variable is present. Instead, if sensitivity is a big concern, base the measure of your construct on a behavior that will change as quickly and easily as participants change on that construct.

Avoid “All or Nothing” Measures. A second thing that could prevent you from distinguishing between the subtly different levels of the man’s love is if your measure did not represent all these different levels. Consequently, a second reason that a marriage proposal is an insensitive measure is that there are only two scores the man could receive (asked or didn’t ask). You are trying to distinguish between numerous subtly differing degrees of love, but you are

**FIGURE 6.1 An Insensitive But Potentially Reliable Measure**

Having only two scale points (light and heavy) makes this scale insensitive. Adding scale points (e.g., marks for every pound or every half a kilogram) would make the scale more sensitive.
letting your participant respond in only two different ways. If a measure is going to discriminate between many different degrees of love, participants must be able to give many different responses.

**Ask “How ___” Rather Than “Whether.”** One way to allow participants to get a variety of scores is to ask not whether the participant did the behavior, but *how much* of the behavior the person did, *how quickly* the participant did the behavior, or *how intensely* the person did the behavior. Thus, if you are measuring generosity, don’t just record whether someone gave to charity. Instead, record how much she gave or how long you had to talk to her before she was willing to give. Similarly, if you are using maze running to measure motivation, don’t simply record whether the rat ran the maze. Instead, record how fast the rat ran the maze.

Asking “how much?” instead of whether is an especially good tactic when your original measure involved asking people about themselves or others. For example, rather than measuring love by asking the question: “Are you in love? (1—no, 2—yes),” ask, “How much in love are you? (1—not at all, 2—slightly, 3—moderately, 4—extremely).” Similarly, rather than having an observer judge whether a child was aggressive, you could have the observer rate how aggressive the child was.

**Add Scale Points.** If your measure already asks how much, you may still be able to improve its sensitivity by having it ask *precisely* how much. That is, just as adding 1/8-inch marks to a yardstick makes the yardstick more useful for detecting subtle differences in the lengths of boards, adding scale points to your measure may increase its sensitivity.

Using scientific equipment may help you add scale points to your measure. For instance, with the proper instruments, you can measure reaction time to the nearest thousandth of a second. Similarly, by using a sound meter to measure how loudly a person is speaking, you can specify exactly how many decibels the person produced.

Adding scale points to a rating scale measure is simple. You can change a 3-point scale to a 5-point scale, a 5-point scale to a 7-point scale, or a 7-point scale to a 100-point scale.

There comes a point, however, where adding scale points to a measure will not enhance sensitivity. Asking people to report their weight to the nearest thousandth of a pound or asking them to report their love on a 1,000-point scale will probably not boost sensitivity. After a certain point, any apparent gains in precision are wiped out by the fact that responses are unreliable guesses. Besides, such questions may cause participants to be frustrated or to doubt your competence. To boost sensitivity without frustrating your participants, you should not add scale points beyond a certain point. But what is that point?

According to conventional wisdom, that point could be after you reach 3 points or after you reach 11 points, depending on the kind of question you are asking. If you are asking about something that your participants think about a lot, you might be able to use an 11-point scale. If, however, you are asking about an issue that your participants are relatively ignorant of (or uninterested in), you may be fine with a 3-point scale. When in doubt, use either a 5- or 7-point scale.
Pilot Test Your Measure. If you have followed our advice, you now have a measure that potentially provides a range of scores. But, just because there are many possible scores a participant could get on your measure, that does not mean there are many different scores that your participants will get.

To determine whether scores will actually vary, pilot test your measure: Try out your study and your measure on a few participants before conducting a full-blown study. If you do a pilot test, you will often find that participants’ scores on the measure do not vary as much as you expected.

If you do not conduct a pilot test, you will discover the problem with your measure only after you have completed the study. For example, one investigator performed an experiment to see whether participants who read a story while also watching the story on video (the reading plus video group) would remember more about the story than participants who only read the story (the reading-only group).

To measure memory, she asked the children 24 questions about the story. She thought participants’ scores might range from almost 0 (none correct) to 24 (all correct). Unfortunately, the questions were so hard that all of the children got all of the questions wrong. Put another way, the measure’s floor (the lowest score participants could get) was too high. Because of the high floor, all of the children got the same score (0), even though the children probably did differ in terms of how well they knew the story. Consequently, the investigator didn’t know whether the video had no effect or whether the measure’s high floor prevented her from detecting the effect.

The previous example points out why you might pilot test a measure that you devised. But should you pilot test a published measure? To answer this question, suppose our student researcher had, instead of devising her own measure, found a published measure that appeared to be sensitive and that consisted of 24 questions about a story.

If her participants were less skilled readers than the participants in the published study, all her participants might have scored near the bottom (the floor) of the measure. In that case, if participants’ memories really were worse in the videotape condition (because the videotape distracted participants), this decrease in memory wouldn’t be detected because the videotape group couldn’t score lower than the no-videotape group. In technical terminology, if adding the videotape had a negative effect on memory, this harmful effect would probably be hidden by a floor effect: the effect of a treatment or combination of treatments being underestimated because the measure is not sensitive to values below a certain level. In such a case, if the investigator had pilot tested the measure, she would have known that she needed to either abandon the measure or to modify it by making the questions easier.

What if her participants had been better readers than the participants in the published study? In that case, pilot testing would still have been useful. Although she would not need pilot testing to avoid floor effects, she might need pilot testing to avoid the opposite problem: All of her participants might have scored close to 24—the measure’s highest score, its ceiling.

To see why there are problems when most of the participants score near or at the ceiling, suppose that all the participants in the reading-only group are scoring at the ceiling. Even if the reading plus videotape group remembered the story better than the other group, the reading plus videotape group can’t show it on this measure because the reading plus videotape group can’t get better than the perfect score the other group is getting. In technical
FIGURE 6.2 Measures May Lead to Ceiling or Floor Effects
If we were looking at the effects of exercise on how much people weigh, the scale on the left would lead to a floor effect (because everyone under 500 pounds would get the lowest reading), whereas the one on the right would lead to ceiling effects (because everyone would weigh more than the scale’s highest reading of 20 pounds).

terminology, the reading plus videotape group’s superiority would have been hidden by a ceiling effect: the effects of the treatment or combination of treatments being underestimated because the measure places too low a ceiling on what the highest response can be (for more on floor and ceiling effects, see Figure 6.2).

If the researcher had pilot tested the measure, she would have known that using it would lead to ceiling effects that would hide any effects the treatment might have. Therefore, she would have either modified the measure by making the questions more difficult or she would have used a different measure.

If you pilot test a measure and find that participants’ scores vary widely on the pilot test, you probably will not have to worry about your measure’s sensitivity being ruined by floor effects, ceiling effects, or some other factor that restricts the range of scores. However, you may still need to worry about your measure’s sensitivity being ruined by random error. Even if you are using a measure that was highly reliable in one study, that measure may not be so reliable when you administer it to your participants (Wilkinson & the Task Force on Statistical Inference, 1999). Therefore, as part of pilot testing the measure, you may wish to collect some data to determine how reliable the measure is with your participants.

Conclusions About Sensitivity
You have seen that if a measure is to be sensitive to differences between participants, two things must happen. First, different participants must get different scores. Second, different participants must get different scores because they differ on what the measure is supposed to be measuring. If participants are getting different scores due to random error, the measure will not be
sensitive. For example, if you have people respond, on a 100-point scale, to a question they don’t understand, you will get a wide range of scores, but your measure will be insensitive. In general, to the extent that participants’ scores vary because of factors unrelated to your construct, the measure is not sensitive.

To boost sensitivity, you should minimize the extent to which participants’ scores vary because of factors unrelated to your construct. Thus, if you use simple, direct, anonymous behaviors as measures (such as responses to self-rating scale questions like “How much do you like your partner?”), you may be more likely to detect differences between participants than if you observe complex, public behaviors (such as time spent with a partner) that are influenced by many factors other than your construct.

As you can imagine, the goal of sensitivity sometimes conflicts with the goal of validity. For example, to avoid subject biases, you might want to use a complex, public behavior (sacrificing for one’s partner) as your measure of love. However, to have a sensitive measure, you might want to use a simple rating scale. Do you choose the complex behavior that might be insensitive? Or, do you use the rating scale, even though it would be invalid if participants simply give you the ratings they think you want?

In certain situations, some researchers would choose the more sensitive rating scale. To understand why, realize that a sensitive measure can help you find small differences so that you can make discoveries. An insensitive measure, on the other hand, may stop you from making discoveries. Consequently, some scientists might select a more sensitive measure and worry about construct validity only after they have found differences. They would prefer debating what a difference meant to not finding any differences at all.

In short, even though validity is important, it is not the only factor to consider when selecting a measure. Depending on the circumstances, having the ability to detect subtle differences may be equally important. After all, an insensitive measure may—by preventing you from finding anything—prevent you from being able to answer your research question.

SCALES OF MEASUREMENT: WILL THE MEASURE ALLOW YOU TO MAKE THE KINDS OF COMPARISONS YOU NEED TO MAKE?

Whereas an insensitive measure may prevent you from answering your research question because it fails to detect that there is a difference between conditions, other measures may prevent you from answering your research question because they fail to detect what kind of difference there is between your conditions. That is, some measures won’t allow you to make the kind of comparison you need to make to answer your research question. To see that different research questions may require different kinds of comparisons, consider these four questions:

1. Do the two groups differ on the quality?
2. Does one group have more of the quality than the other?
3. How much more of the quality does one group have than the other group?
4. Does one group have more than three times as much of the quality as the other group?
All four of these questions could be answered by using numbers—and all measures can provide numbers. However, very few measures could help you answer the fourth question. Why?

The short answer is that not all measures produce the same kinds of numbers. Before you can understand how different measures produce different kinds of numbers, you first need to understand that not all numbers are alike. Just as some descriptive phrases are more informative and specific than others (“Dion doesn’t look the same as Elon” versus “Dion is twice as attractive as Elon”), some numbers are more informative than others.

**The Four Different Scales of Measurement**

Rather than saying that some numbers provide more specific information than other numbers, researchers say that some numbers represent a higher scale of measurement than others. To be more specific, social scientists have identified four different kinds of numbers. In the next few sections, we will show you

1. how numbers representing different scales of measurement differ
2. why some measures provide more informative numbers than others
3. how to determine what kind of numbers you need

**Nominal Numbers: When 3 Is Different From But Maybe Not More Than 2**

The least informative numbers are nominal scale numbers (data): numbers that do not represent different amounts of a characteristic but instead represent different kinds of characteristics; numbers that represent different qualities, types, or categories; numbers that substitute for names. Like names, nominal numbers can be used to identify, label, and categorize things. Things having the same number are alike (they belong in the same category); things having different numbers are different (they belong to different categories).

Like names, nominal numbers cannot be ordered from lowest to highest in a way that makes sense. Just as we do not say that Xavier is a bigger name than Sofia, we do not say that someone having the uniform number 36 is better than someone wearing number 35.

In everyday life, we often see these name-like, orderless, nominal numbers. For example, social security numbers, student ID numbers, charge card numbers, license plate numbers, and serial code numbers are all nominal numbers.

In psychological research, the best use of nominal numbers is when the participants can be clearly classified as either having a certain quality (e.g., married) or not. In those cases, we can use numbers to substitute for category names. For example, we may put people into categories such as male/female or student/faculty. Note, however, that the number we give to category names is completely arbitrary: We could code male as 1, female as 2; male as 2, female as 1; male as 0, female as 5,000. (If men are coded as 2, then, to paraphrase Shakespeare, “A ‘2’ by another nominal number would smell just as sweet.”) This most basic way of using numbers is ideal for when you aren’t interested in measuring different amounts, but are interested in different kinds or types. For instance, if you were measuring types of love, someone scoring a “1” might think of love as an addiction, a person scoring a “2” might think of love as a business partnership, a person scoring a “3” might
think of love as a game, and a person scoring a “4” might think of love as “lust” (Sternberg, 1994).

Unfortunately, sometimes we are interested in measuring different amounts of a construct, but we are stuck with nominal numbers because the measuring system is undeveloped and unsophisticated. That is, in the early stages of developing a measure, we may have such a poor idea of what scores on the measure mean that we can’t even say that a high score means we have more of a construct than a low score. Suppose that when participants see their partner, some participants produce one pattern of brain waves, whereas others produce a different pattern. Labeling the first brain wave pattern “1” and the other pattern “2” is arbitrary. We could have just as easily labeled the first pattern “2” and the other pattern “1.” Consequently, we have nominal scale measurement because we do not know whether “2” indicates a greater reaction than “1.” We only know that “2” is a different pattern than “1.”

Once we find out that one pattern indicates more love than another, it would be meaningful to give that pattern the higher number. At that point, we would have moved beyond nominal scale measurement.

**Ordinal Numbers: When 3 Is Bigger Than 2 But We Don’t Know How Much Bigger**

As you shall see, we often want to move beyond nominal scale measurement. Rather than always being limited to saying only that participants getting different numbers differ, we often want to say that participants receiving higher scores have more of a given quality. Rather than being limited to saying only that people scoring “3” are similar to each other and are different from people scoring “1,” we also want to say that people scoring “3” have more of a certain quality than those scoring “1.” In other words, we may want to be able to meaningfully order scores from lowest to highest, with higher scores indicating more of the quality. For example, we would often like to say that people scoring a “5” feel more love than people scoring “4,” who feel more love than people scoring “3,” and so on.

If you can assume that higher numbers indicate more love than lower numbers, your measure is producing at least ordinal scale numbers (data): numbers that can be meaningfully ordered from lowest to highest. When you assume that you have ordinal data, you are making a very simple assumption: The numbers are ordered.

One way to get ordinal numbers is to rank participants. For example, if you record runners’ times according to what place (first, second, third, etc.) they finished, you have an ordinal measure of time. Runners getting the higher numbers (e.g., “third”) took more time to finish the race than runners getting lower numbers (e.g., “first”). Note, however, that you are not assuming that the difference in time between the runner who finished first and the runner who finished second is the same as the difference between the runner who finished second and the runner who finished third. For example, there might be a tenth of a second difference between the first and second runners but a 2-second difference between the second and third runners.

To illustrate what ordinal scaling does and does not assume, suppose you successfully ranked 10 couples in terms of how much they loved each other. Because the numbers can be ordered meaningfully from highest to lowest,
these are definitely ordinal data. Yet, because they are ordinal data, the psychological difference between “1” and “2” may be very different from the psychological difference between “9” and “10.” For example, there might be little difference between how much in love the couple getting rank 1 and the couple getting rank 2 are, but there might be an enormous difference between how much in love the couple getting rank 9 and the couple getting rank 10 are. In short, ranked data, like all ordinal data, can tell you whether one participant has more of a quality than another but are limited in that they can’t tell you how much more of a quality one participant has than another (see Figure 6.3).

**Interval Scale Numbers: When We Know How Much Bigger 3 is Than 2 But Not How Many Times Bigger**

Because of the limitations of ordinal numbers, you may decide you want a higher scale of measurement. For example, you may want numbers that will let you know how much of a quality an individual has or how much more of a quality one group has than another group. You want to make the same kind of statements about your measurements as you make about temperature: With temperature, you can say that the difference between 10 degrees and 20 degrees is the same as the difference between 30 degrees and 40 degrees. You can make these statements because you can assume that (a) the numbers follow an order (higher numbers always mean hotter temperatures) and (b) the distance (the *interval*) between any two consecutive numbers (e.g., 10 degrees and 11 degrees; 102 and 103 degrees) is, in terms of temperature, the same. Similarly, if you are going to talk about how much of a psychological quality an individual or group has, you need to assume that (a) the numbers can be ordered and (b) the psychological distance (the difference in participants’ minds) between a score of “1” and “2” is exactly the same as the psychological difference between “2” and “3,” which is the same as the psychological distance between any other two consecutive whole numbers. In technical terminology, you must be able to assume that you have **interval scale numbers** (*data*): The numbers can be ordered from lowest to highest and equal numerical intervals (distances) represent equal psychological intervals.
Although you may want to assume that you have an interval scale measure, be aware that the assumption of equal intervals is not easy to defend—no matter what measure you use. As we have seen, ranked data are typically assumed to be only ordinal—not interval.

Even if you use a measure of nonverbal behavior, you could still fail to meet the assumption of equal intervals.

Suppose, for example, that during the 10 minutes you had couples wait in a small room, you recorded the total amount of time the couple stared into each other’s eyes. It would be risky to assume that the difference in the amount of love between a couple who looks for 360 seconds and a couple who looks for 300 seconds is the same as the difference between a couple who looks for a total of 60 seconds and a couple who does not look at all.

Likewise, if you use a physiological measure, it is hard to justify the assumption that equal changes in bodily responses correspond to equal changes in psychological states. It seems unlikely that changes in the body correspond perfectly and directly to changes in the mind. For example, if, on seeing their partners, one participant’s blood pressure increases from 200 to 210 and another’s goes from 90 to 100, would you say that both were equally in love?

How could you possibly get interval scale data? One possibility is to ask participants to do the scaling for you. That is, ask participants to rate their feelings on a scale, trusting that participants will view the distances between each scale point as equal psychological distances.

Although many psychologists assume that rating scales produce interval scale data, this assumption of equal intervals is controversial. To see why this assumption is hard to justify, suppose you had people rate how they felt about their spouse on a −30 (hate intensely) to a +30 (love intensely) scale. Would you be sure that someone who changed from −1 to +1 had changed to the same degree as someone who had changed from +12 to +14?

**Ratio Scales: Zeroing in on Perfection So That 4 is 2 X 2**

If you are extremely demanding, it may not be enough for you to assume that your measure’s numbers can be meaningfully ordered from lowest to highest and that equal intervals between numbers represent equal psychological distances. You may want to make one last, additional assumption—that your measure has an absolute zero. In other words, you might assume that someone scoring a zero on your measure feels absolutely no love. If a score of zero on your love measure represented absolutely no love, and you had equal intervals, then you could make ratio statements such as: “The couple who scored a ‘1’ on the love measure was 1/2 (a ratio of 1 to 2) as much in love as the couple scoring a ‘2.’” In technical terminology, you can make ratio statements because your measure provides ratio scale numbers (data): numbers that have both (a) an absolute zero and (b) equal intervals.

Meeting one key assumption of ratio scale measurement—the assumption of having an absolute zero—is not easy. Indeed, even when measuring physical reality, you may not have an absolute zero. To illustrate, 0 degrees Fahrenheit doesn’t mean the absence of (zero) temperature. If 0 degrees Fahrenheit meant no temperature, we could make ratio statements such as saying that 50 degrees is half as hot as 100 degrees. Similarly, if you were timing a runner using a handheld stopwatch, even if the runner somehow took zero
seconds to cross the finish line, you would time the runner at about .1 seconds because it takes you time (a) to react to the runner crossing the finish line and (b) to push the stop button. Thus, your measure of time would provide interval rather than ratio scale data. To get near ratio scale data, you would need to use automated electronic timers.

Note that if our measure of zero is off by even a little bit, it may prevent us from making accurate ratio statements. To illustrate, suppose you have a 2-pound weight and a 1-pound weight. If your scale’s zero point is off by one-quarter of a pound, instead of seeing a 2:1 ratio between the weights, you will “find” a 2.25 to 1.25 (1.8 to 1) ratio.

Even if the scale’s zero point is perfectly accurate, any inaccuracy in our measurements may prevent us from making accurate ratio statements. Thus, if we weigh the 1-pound weight with perfect accuracy but weigh the 2 pound weight as 1.9 pounds, our statement about the ratio between the weights would be inaccurate. In other words, to make perfectly accurate ratio statements, we need perfectly accurate measurements.

Although meeting the assumptions of ratio scale measurement is difficult when measuring physical reality, it is even more difficult to meet those requirements when measuring a psychological characteristic. It is difficult to say that a zero score means a complete absence of a psychological characteristic or that the numbers generated by a measure correspond perfectly to psychological reality. It’s tough enough to have some degree of correspondence between scores on a measure and psychological reality, much less to achieve perfection.

Because of the difficulty of achieving ratio scale measurements, most researchers do not ask participants to try to make ratio scale judgments. They usually do not ask participants to think of “zero” as the absence of the quality. Indeed, they often do not even let participants have a zero point. Instead, participants are more likely to be asked to make their ratings on a 1-to-5 scale than on a 0-to-4 scale. Furthermore, even when participants rate on a 0-to-4 scale, they are rarely asked to think of “2” as having twice as much of the quality as “1,” “3” as three times “1,” and “4” as four times as much as “1.”

Occasionally, however, participants are asked to make ratio scale judgments, using a process called magnitude estimation. For example, participants might be told that the average amount of liking that people feel for a roommate is a “50.” If they feel one-fifth as much liking toward their roommate as that, they should estimate the magnitude of their liking toward their roommate as 10. If they like their best friend twice as much as they think most people like their roommates, they should estimate the magnitude of their liking for their best friend as 100. Participants would then be asked to rate the magnitude of their liking for a variety of people.

Magnitude estimation doesn’t always involve using numbers. Instead, participants might draw lines. For example, they may be shown a line and told to imagine that the length of that line represents the average extent to which people like their roommates. Then, they may be asked to draw lines of different lengths to express how much they like various people. If a participant likes Person A three times as much as Person B, the participant’s line representing his or her liking for Person A should be three times longer than the line for Person B.

Advocates of magnitude estimation believe that the numbers or line lengths that participants produce provide ratio scale data. However, as you
might imagine, critics have doubts. Even when participants are asked to make ratio scale judgments in magnitude estimation, there is no guarantee that participants will be able to do so.

**Why Our Numbers Do Not Always Measure Up**

You can see why participants’ subjective ratings on scales and on estimates of magnitude might not provide ratio scale numbers. But why don’t you get ratio scale numbers from your behavioral measures of love? For example, why isn’t time staring into each other’s eyes a ratio scale measure of love?

If you were interested only in gazing behavior, time spent gazing would be a ratio scale measure: Zero would be the complete absence of gazing and 3 seconds of gazing would be three times as much gazing as 1 second. However, suppose you were not interested in gazing for gazing’s sake. Instead, you were interested in love. You were using gazing behavior (an observable behavior) as an indicator of love (an unobservable psychological state). As an indirect, imperfect reflection of love, time of gaze does not allow you to estimate amount of love experienced with ratio scale precision (see Box 6.1).

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**BOX 6.1 Numbers and the Toll Ticket**

The toll ticket shows us many kinds of numbers in action. For example, the numbers representing vehicle class (1–4) at the top of the ticket (under toll by vehicle class) are nominal numbers. The only reason the toll people used numbers instead of names is that numbers take up less room. So, instead of writing “car,” “16-wheeled truck,” “small truck,” and so on, they wrote 1, 2, 3, and 4. There’s no particular order to these numbers as shown by the fact that a “3” is charged more than any other number.

On this toll ticket, the exit numbers refer to the order in which the exits appear. Thus, a “1” on the toll ticket refers to the first exit and “7” refers to the seventh exit. The exits, when used as an index of distance, represent ordinal data. You know that if you have to get off at exit 5, you will have to go farther than if you get off at exit 4, but—without looking at the miles column—you don’t know how much farther. When you do check the miles column, you realize that missing exit 4 isn’t too bad—the next exit is only 4 miles away. Missing exit 6, on the other hand, is terrible—the next exit is 66 miles farther down the road!

Money, as a measure of miles, is also an ordinal measure. Although you know that the more money you spend on tolls, the farther you have gone, you can’t figure out how much farther you have gone merely by looking at how much money the toll was. For example, if you are vehicle class number 1, it costs you 25 cents to go 3 miles, 15 cents more to go 7 additional miles, and only 10 more cents gets you 30 additional miles.

As you have seen, both the amount of money spent and the number of exits passed are just ordinal measures when they are used to try to estimate the amount of another variable (distance). Similarly, some behavioral and physiological measures (eye-gazing or blood pressure increases) may merely be ordinal measures when used to estimate the amount of another variable, such as the invisible psychological state of love.

<table>
<thead>
<tr>
<th>Toll (in dollars) by vehicle class</th>
</tr>
</thead>
<tbody>
<tr>
<td>Exit</td>
</tr>
<tr>
<td>------</td>
</tr>
<tr>
<td>1</td>
</tr>
<tr>
<td>2</td>
</tr>
<tr>
<td>3</td>
</tr>
<tr>
<td>4</td>
</tr>
<tr>
<td>5</td>
</tr>
<tr>
<td>6</td>
</tr>
<tr>
<td>7</td>
</tr>
</tbody>
</table>

---
Similarly, although we can all agree that a heart rate of 60 beats per minute is twice as fast as a heart rate of 30 beats per minute, we can’t all agree that a person with a heart rate of 60 beats per minute is twice as excited as a person with a heart rate of 30 beats per minute.

Likewise, we can all agree that a person who donates $2.00 to our cause has given twice as much as a person who gives us $1.00. We have a ratio scale measure of how much money has been given. If, however, we are using dollars given as a measure of a construct such as “generosity,” “kindness,” “empathy,” or “gullibility,” we do not have a ratio scale measure. The person who gives $2.00 is not necessarily twice as kind as the person who gives $1.00.

To reiterate, you cannot measure generosity, excitement, love, or any other construct directly. You can measure constructs only indirectly, capturing their reflections in behavior. It is unlikely that your indirect measure of a construct will reflect that construct with the perfect accuracy that ratio scale measurement requires.

**Which Level of Measurement Do You Need?**

You have seen that there are four different levels of measurement: nominal scale, ordinal scale, interval scale, and ratio scale. As you go up the scale from nominal to ordinal to interval to ratio scale measurement, the numbers become increasingly more informative (for a review, see Table 6.1 and Figure 6.4).

You have also seen that as you go up the scale, it becomes harder to find a measure that provides the required level of measurement. For instance, if you need ordinal data, you can use almost any measuring system—from ranked data to magnitude estimation. However, if you need ratio scale data, magnitude estimation might be your only option; you cannot use a measure that involves ranking participants from lowest to highest—no matter how valid that ranking system is. Thus, if you need ratio scale measurement, the scale of measurement you need, rather than validity, will determine what measure you should use.

The scale of measurement you need to test your hypothesis should always influence what measure you use. Therefore, when choosing a measure for a study, you should ask two questions:

1. What scale of measurement do I need to answer the research question?
2. Which of the measures that I am considering will give me this level of measurement?

The next sections and Tables 6.2 and 6.3 will help you answer these two key questions.

**When You Need Ratio Scale Data**

Suppose you want to find out whether engaged couples are twice as much in love as dating couples who are not engaged. Because you are hypothesizing a
TABLE 6.1
The Meaning and Limitations of Different Scales of Measurement

<table>
<thead>
<tr>
<th>Scale</th>
<th>What different scores represent</th>
<th>What we can say</th>
<th>What we can’t say</th>
</tr>
</thead>
<tbody>
<tr>
<td>Nominal</td>
<td>a. Different scores indicate <em>different</em> amounts, kinds, or types.</td>
<td>People scoring a “3” experience a different kind (or amount) of love than people scoring a “1.”</td>
<td>Because there is no order to nominal numbers, we can’t say that “3” indicates <em>more</em> love than “1.”</td>
</tr>
</tbody>
</table>
| Ordinal   | a. Different scores indicate different amounts  
and  
b. higher scores represent greater amounts of the measured variable. | People scoring a “3” are more in love than people scoring a “1.” | Because the distances between numbers do not correspond to psychological reality, we can’t say *how much* more of a quality one participant has than another. |
| Interval  | a. Different scores indicate different amounts  
and  
b. higher scores represent greater amounts of the measured variable.  
and  
c. equal distances between numbers represent equal psychological differences. | We can say *how much* more love one participant feels than another. For example, people scoring “3” are more in love than people scoring “1” to the same extent that people scoring “5” are more in love than people scoring “3.” | Because we do not have an absolute zero, we cannot say *how many more times* in love one participant is than another. |
| Ratio     | a. Different scores indicate different amounts  
and  
b. higher scores represent greater amounts of the measured variable.  
and  
c. equal distances between numbers represent equal psychological differences.  
and  
d. zero means a complete absence of the measured variable. | The mathematical ratio between two scores perfectly corresponds to reality. People scoring “3” are three *times as much* in love as people scoring “1.” | None. |

2-to-1 ratio, you need a measure that gives you ratio scale numbers. Similarly, suppose you had love scores from the following three groups:

<p>| | |</p>
<table>
<thead>
<tr>
<th></th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td>Didn’t go to counseling at all</td>
<td>3.0</td>
</tr>
<tr>
<td>Went to counseling for 1 week</td>
<td>6.0</td>
</tr>
<tr>
<td>Went to counseling for 8 weeks</td>
<td>8.0</td>
</tr>
</tbody>
</table>

(The higher the score, the more in love. Scores could range from 1 to 9.)
(a) Ratio Scale Ruler: Absolute zero and equal intervals. We have perfect measurement and we can make ratio statements such as, “The object we measured as ‘4’ is two times as long as the object we measured as ‘2.’”

(b) Interval Scale Ruler: No absolute zero but equal intervals. Because we do not have an absolute zero, we shouldn’t say, “The object we measured as ‘4’ is twice as long as the object we measured as ‘2.’” Because we have equal intervals, we can say, “The difference between the object we measured as ‘7’ and the object we measured as ‘6’ is the same as the difference between the object we measured as ‘4’ and the object we measured as ‘3.’”

(c) Ordinal Scale Ruler: Order but not equal intervals. Because we do not have equal intervals, we shouldn’t say, “The difference between the object we measured as ‘7’ and the object we measured as ‘6’ is the same as the difference between the object we measured as ‘4’ and the object we measured as ‘3.’” Because we do have order, we can say, “The object we measured as ‘6’ is longer than the object we measured as ‘5.’”

(d) Nominal Scale Ruler: No order—higher numbers (e.g., “3”) represent a different length than lower numbers (e.g., “1”) but not more length. Because we do not have order, we can’t say, “The object we measured as ‘6’ is longer than the object we measured as ‘5.’” However, we can say, “The object we measured as ‘6’ has a different length than the object we measured as ‘5.’”

**Figure 6.4** Different Rulers, Different Scales of Measurement
If you wanted to say that people who went to counseling for 1 week were twice as much in love as those who did not go to counseling, you would need ratio scale data. Unfortunately, as Table 6.3 indicates, there are few measures that you can use if you need ratio scale numbers. If you want a ratio scale measure of a construct (e.g., happiness), you probably need to use magnitude estimation. If you want a ratio scale measure of behavior (e.g., number of cigarettes smoked), you need to measure that behavior with perfect accuracy. Fortunately, you need ratio scale level of measurement only if you are trying to make ratio statements like “Married women are two times as happy as widows.”
When You Need at Least Interval Scale Data

Because you would rarely have a hypothesis that would specify a ratio (e.g., Group A will be 1/3 as anxious as Group B), you will rarely need to assume that your measure has ratio properties. However, because you will often be concerned about how much more of a quality one group has than another, you will often need to assume that your measure has interval properties. To illustrate, consider the data from our previous example:

<table>
<thead>
<tr>
<th>Didn’t go to counseling at all</th>
<th>3.0</th>
</tr>
</thead>
<tbody>
<tr>
<td>Went to counseling for 1 week</td>
<td>6.0</td>
</tr>
<tr>
<td>Went to counseling for 8 weeks</td>
<td>8.0</td>
</tr>
</tbody>
</table>

(The higher the score, the more in love. Scores could range from 1 to 9.)

We might want to be able to say that the first week of counseling does more good than the next seven weeks. In that case, we would need interval data.

To see a more common case in which we would need interval data, let’s look at another study you might do to estimate the effects of therapy on relationships. Before relationship counseling is offered, you measure the degree to which couples are in love. Next, you observe who goes to counseling and who doesn’t. Finally, at the end of the term, you measure the couples’ love again. Let’s say that you got the following pattern of results:

<table>
<thead>
<tr>
<th>Beginning of term</th>
<th>End of term</th>
</tr>
</thead>
<tbody>
<tr>
<td>Didn’t go to counseling</td>
<td>3.0</td>
</tr>
<tr>
<td>Went to counseling</td>
<td>5.0</td>
</tr>
</tbody>
</table>

(The higher the score, the more in love. Scores could range from 1 to 9.)

Did the couples who went for counseling change more than those who didn’t? At first glance, the answer seems obvious. The no-counseling group changed 1 unit and the counseling group changed 2 units, so isn’t 2 units more than 1 unit? At the mathematical and score levels, the answer is “yes.” However, at the psychological level, the answer is “not necessarily.”

If we have interval or ratio scale data, we can assume that each unit of change represents the same psychological distance. Therefore, we can say that—at the mental, psychological, emotional level (as well as at the score level)—2 units of change is more than 1 unit of change. Thus, if we have interval or ratio scale data, we can say that the counseling group changed more than the no-counseling group.

But what if we had nominal or ordinal data? With nominal or ordinal data, we can’t safely assume that each unit of change represents the same psychological distance. If our data were nominal or ordinal, the psychological distance between 3 and 4 could be much more than the psychological distance.
between 5 and 7. Thus, if we had nominal or ordinal data, we would not be able to answer the question, “Did couples who went for counseling change more than those who didn’t?” The lesson from this example is that if your research question involves asking whether one group changed more than another group, you must use a measure, such as a rating scale, that has at least interval properties.

**When Ordinal Data Are Sufficient**

Suppose you don’t care how much more in love one group is than the other. All you want to know is which group is most in love. For example, suppose you want to be able to order these three groups in terms of amount of love:

<table>
<thead>
<tr>
<th>Didn’t go to counseling at all</th>
<th>3.0</th>
</tr>
</thead>
<tbody>
<tr>
<td>Went to counseling for 1 week</td>
<td>6.0</td>
</tr>
<tr>
<td>Went to counseling for 8 weeks</td>
<td>8.0</td>
</tr>
</tbody>
</table>

(The higher the score, the more in love. Scores could range from 1 to 9.)

If you had ordinal data, you could conclude that participants who went to counseling for 8 weeks were most in love, those who went for 1 week were less in love, and those who didn’t go to counseling were least in love. So, if you simply want to know which group is higher on a variable and which group is lower, all you need is ordinal data. If that’s the case, you are in luck. As you can see from Table 6.3, most measures produce data that meet or exceed the requirements of ordinal level measurement.

**When You Need Only Nominal Data:**

It’s conceivable that you aren’t interested in discovering which group is more in love. Instead, you might have the less ambitious goal of trying to find out whether the different groups differ in terms of their love for each other. If that’s the case, nominal data are all you need. Because you need to make only the least demanding and safest assumption about your numbers (that different numbers represent different things), any valid measure you choose will measure up.

**Conclusions About Scales of Measurement**

As you have seen, different research questions require different scales of measurement. If you are asking only whether two groups differ, any scale of measurement, even nominal, will do. If, however, you are asking whether one group has more of a quality than another, you need at least ordinal level data. If your research question involves asking how much more of a quality one group has than another, you need to use a measure that provides at least interval data. If you need to find out how many times more of a quality one group has than another, you need ratio level data.

If your research question requires a given level of measurement, you must use a measure that provides at least that level of measurement. Consequently, you may find that the type of data you need will dictate the measure you
choose—and that the only measure that will give you the type of data you need is not as sensitive or as free from biases as another measure.

To illustrate that the type of data you need may dictate what measure you use, suppose you want to know whether a treatment is more effective for couples who are less in love than it is for couples who are more in love. You are reluctant to use a rating scale measure because rating scale measures are extremely vulnerable to subject biases, such as participants lying to impress the researcher or participants providing the answers that they think will support the researcher’s hypothesis.

Although validity questions make you hesitant to use rating scales, rating scale measures are commonly assumed to produce interval data—and your research question requires at least interval scale data. To see why your research question requires interval data, imagine that the average love score for the unhappy couples increases from a “1” to a “3,” whereas the average love score for the happy couples increases from an “8” to a “9.” To say that the unhappy couples experienced more improvement, you must assume that the difference between “1” and “3” is greater than the difference between “8” and “9.” This is not an assumption you can make if you have either nominal or ordinal data. It is, however, an assumption you can make if you have interval data (because with interval data, the psychological distance between “1” and “2” is the same as the distance between “8” and “9”).

Because your research question requires interval data, you must use a measure that provides at least interval data. Consequently, if the rating scale is the only measure that gives you interval scale data, you will have to use it—despite its vulnerability to subject bias—because it is the only measure that will allow you to answer your research question.

ETHICAL AND PRACTICAL CONSIDERATIONS

Clearly, you want to use a measure that will allow you to answer your research question. However, there may be times when you decide not to use a certain measure even though that measure allows you to answer your research question. For example, suppose you have a measure that gives you the right scale of measurement and is more valid than other measures because it is not vulnerable to subject biases. However, it avoids subject bias by surprising or tricking participants. In such a case, you may decide against using that measure because you believe participants should be fully informed about the study before they agree to participate. Similarly, you may reject field observation because you feel those tactics violate participants’ rights to privacy.

When choosing a measure, you should always be concerned about ethical issues (see Appendix D). In addition, at times you may also have to be concerned about practical issues. You may have to reject a measure because it is simply too time consuming or expensive to use. Practical concerns may even force you to either reject or use a measure based on its face validity: the extent to which a measure looks, on the face of it, to be valid. Note that face validity has nothing to do with actual, scientific validity. Therefore, you would usually not choose a measure for its face validity any more than you would judge a book by its cover. Typically, you would choose a measure based on a careful evaluation of scientific evidence, rather than on participants’ opinions.
Indeed, under many circumstances, high face validity could harm real validity. To illustrate, if people think that questions from a “test” in a popular magazine are measuring a certain construct, people can “fake” the test to get the results they want. Conversely, a measure with no face validity may be valid precisely because participants don’t see what it is measuring.

As we have pointed out, when evaluating the validity of a measure, you will usually have little use for face validity. However, face validity may be important to the consumer (or the sponsor) of your research. For example, imagine you are doing research on factors that affect effort. How loud a person yells and how many widgets a person produces may be equally valid measures of effort. But if you were going to get a factory manager to take your research seriously, which measure would you use?

CONCLUDING REMARKS

In this chapter, you have seen that choosing a measure is a complex decision. It is not enough to pick the most valid measure. Instead, you need to pick the measure that will be most likely to answer your research question. For your particular study, you must decide what threats to validity are most serious, decide how much sensitivity you need, decide what level of measurement your research question requires, and carefully weigh both ethical and practical considerations.

In designing a research project, choosing a measure is an important decision. However, it is only one of several decisions you will make. For example, you must decide whether to do a survey, an experiment, or some other type of research. Then, if you decide to do an experiment, you must decide on what type of experiment to do. In the next few chapters, you will learn how to make these key design decisions.

SUMMARY

1. Because no measure is perfect, choosing a measure involves making trade-offs.
2. Sensitivity, reliability, and validity are highly valued in a measure.
3. Sensitivity is a measure’s ability to detect small differences.
4. Because reliability is a prerequisite for sensitivity, an unreliable measure cannot be sensitive. However, because reliability doesn’t guarantee sensitivity, a reliable measure could be insensitive.
5. You may be able to increase a measure’s sensitivity by asking “how much” rather than “whether,” by knowing what you want to measure, by avoiding unnecessary inferences, and by using common sense.
6. Different kinds of measures produce different kinds of numbers. These numbers range from the least informative (nominal) to the most informative (ratio).
7. Nominal numbers let you say only that participants differ on a characteristic, but they do not let you say that one participant has more of a characteristic than another. With nominal measurement, higher numbers don’t mean more of a quality because the number you assign to a category is arbitrary. For example, if you coded men as “1” and women as “2,” your coding is entirely arbitrary. You could even go back and recode women as “1” and men as “2.”
8. Ordinal numbers let you say that one participant has more of a quality than another. However, ordinal numbers do not allow you to talk about specific amounts of a quality. They let you talk only about having more of
it or less of it, but not about how much more or less.

9. Interval and ratio numbers let you say how much more of a quality one participant has than another.

10. Ratio scale numbers let you say how many times more of a quality one participant has relative to another.

11. Depending on the research question, a measure’s sensitivity and its level of measurement may be almost as important as validity.

12. You must always consider ethical and practical issues when choosing a measure.

**KEY TERMS**

<table>
<thead>
<tr>
<th>sensitive, sensitivity</th>
<th>ordinal scale numbers</th>
<th>interval scale numbers</th>
</tr>
</thead>
<tbody>
<tr>
<td>(p. 178)</td>
<td>(data) (p. 188)</td>
<td>(data) (p. 189)</td>
</tr>
<tr>
<td>floor effect (p. 184)</td>
<td>nominal scale numbers</td>
<td>ratio scale numbers</td>
</tr>
<tr>
<td>ceiling effect (p. 185)</td>
<td>(data) (p. 187)</td>
<td>(data) (p. 190)</td>
</tr>
<tr>
<td>face validity (p. 199)</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

**EXERCISES**

1. Suppose that in a study involving only 40 participants, researchers look at self-esteem differences between two groups. They find a small, but statistically significant, difference between the self-esteem of the two groups. Based on this information, would you infer that the measure’s reliability was low or high? Why?

2. List the scales of measurement in order from least to most accurate and informative.

3. Becky wants to know how much students drink.
   a. What level of measurement could Becky get? Why?
   b. Becky asks participants: How much do you drink?
      1. 0–1 drinks
      2. 1–3 drinks
      3. 3–4 drinks
      4. more than 4 drinks
      What scale of measurement does she have?
   c. Becky ranks participants according to how much they drink. What scale of measurement does she have?
   d. Becky assigns participants a “0” if they do not drink, a “1” if they primarily drink wine, and a “2” if they primarily drink beer. What scale of measurement is this?
   e. Becky asks participants: How much do you drink?
      1. 0–1 drinks
      2. 1–3 drinks
      3. 3–4 drinks
      4. more than 4 drinks
      5. don’t know
      What scale of measurement does she have? Why?

4. Assume that facial tension is a measure of thinking.
   a. How would you measure facial tension?
   b. What scale of measurement is it on? Why?
   c. How sensitive do you think this measure would be? Why?

5. Suppose a researcher is investigating the effectiveness of drug awareness programs.
   a. What scale of measurement would the investigator need if she were trying to discover whether one drug awareness program was more effective than another?
   b. What scale of measurement would the investigator need if she were trying to discover whether one program is better
for informing the relatively ignorant than it is for informing the fairly well informed?

6. In an ideal world, car gas gauges would be on what scale of measurement? Why? In practice, what is the scale of measurement for most gas gauges? Why do you say that?

7. Find or invent a measure.
   a. Describe the measure.
   b. Discuss how you could improve its sensitivity.
   c. What kind of data (nominal, ordinal, interval, or ratio) do you think that measure would produce? Why?

WEB RESOURCES

1. Go to the Chapter 6 section of the book’s student website and
   a. Look over the concept map of the key terms.
   b. Test yourself on the key terms.

2. Go to the “Measure Chooser” link to practice choosing the right measure for the situation.

3. Download the “Scales of Measurement” tutorial.
Introduction to Descriptive Methods and Correlational Research

Uses and Limitations of Descriptive Methods
Descriptive Research and Causality
Description for Description’s Sake
Description for Prediction’s Sake

Why We Need Science to Describe Behavior
We Need Scientific Measurement
We Need Systematic, Scientific Record-Keeping
We Need Objective Ways to Determine Whether Variables Are Related
We Need Scientific Methods to Generalize From Experience
Conclusions About Why We Need Descriptive Research

Sources of Data
Ex Post Facto Data: Data You Previously Collected
Archival Data
Observation Tests

Analyzing Data From Descriptive Studies: Looking at Individual Variables
Analyzing Data From Descriptive Studies: Looking at Relationships Between Variables
Comparing Two Means
Correlation Coefficients
The Coefficient of Determination
Determining Whether a Correlation Coefficient Is Statistically Significant
Interpreting Significant Correlation Coefficients
Interpreting Null (Nonsignificant) Correlation Coefficients
Nonlinear Relationships Between Two Variables
Relationships Involving More Than Two Variables

Concluding Remarks
Summary
Key Terms
Exercises
Web Resources
The invalid assumption that correlation implies cause is probably among the two or three most serious and common errors of human reasoning.
—Stephen Jay Gould

Remember, correlation does not equal causality.
—Unknown

CHAPTER OVERVIEW

In this chapter, you will learn how to refine techniques you use every day—watching people, asking them questions, and paying attention to records of their behavior (e.g., diaries, police reports, news reports)—into descriptive research: methods that will provide objective, reliable, and scientifically valid descriptions of what people think, say, and do. Perhaps more importantly, you will learn when to use descriptive research—and when not to.

Like all research, the goal of descriptive research is to test hypotheses and answer questions. However, unlike experimental research, it is not equipped to test cause-effect hypotheses and therefore can’t answer questions about the “whys” (causes) of behavior. Instead, it can help us answer “what,” “who,” “when,” and “where” questions.

Descriptive researchers often start by trying to answer “what” questions about a single variable, such as “What is the behavior?” and “What percentage of people have that characteristic?” For example, the earliest research on flirting focused on what people did when flirting; early work on laughter dealt with describing laughter; the earliest work on unconscious prejudice focused on seeing what percentage of people held these prejudices; and the earliest work on happiness counted how many people were happy.

Usually, descriptive researchers quickly expand their focus from “what” questions describing a single variable to “who,” “when,” and “where” questions describing that variable’s relationship to other variables. Thus, soon after researchers had described laughter, they were finding factors that related to it, such as who laughs (women more than men), where people laugh (in public), and when (women laugh when listening to a man they like; Provine, 2004). Similarly, happiness researchers quickly went from finding out that most people were happy (Diener & Diener, 1996) to finding (a) factors that predict happiness, such as exercise, extroversion, marriage, and religious faith, as well as (b) factors that happiness seems to
predict, such as a longer life (Danner, Snowden, & Friesen, 2001). Because researchers using descriptive methods almost always look at relationships between two or more variables to see whether those variables covary (correlate), most research using descriptive methods is called correlational research.

USES AND LIMITATIONS OF DESCRIPTIVE METHODS

When you use descriptive methods, you gain the ability to test hypotheses about virtually any variable in virtually any situation. For example, you can use them even when you can’t—for either practical or ethical reasons—manipulate variables. You can use descriptive methods even when you can neither control irrelevant variables nor account for their effects. In short, if your hypothesis is that two or more measurable variables are statistically related (e.g., soccer playing and IQ scores, being spanked and aggressive behavior, parental warmth and autism, mother’s skill at reading her child’s mind and child’s self-esteem, smoking and hyperactivity, cheating and level of moral development, church attendance and happiness), descriptive methods give you the flexibility to test that hypothesis.

Descriptive Research and Causality

But this flexibility comes at a cost. Without being able to manipulate variables and account for the effects of irrelevant variables, you cannot legitimately make cause–effect statements. In other words, you can find out that two variables are related, but you cannot find out why they are related. For example, if you find a relationship between church attendance and happiness, you cannot say why church attendance and happiness are related. Certainly, you cannot say that church attendance causes (produces, results in, affects, creates, brings about, influences, changes, increases, triggers, has an effect on) happiness. That is, you cannot say that people who go to church are happy because they go to church.

Why Descriptive Methods Cannot Test Causal Hypotheses

Why not? There are two reasons.

First, rather than church attendance being a cause of happiness, church attendance may be an effect of happiness. Because you did not manipulate variables, you don’t know which variable came first—happiness or church attendance—and thus, you may be wrong about which variable caused which. You may believe church attendance causes happiness, but you may have it backward: Maybe happiness causes church attendance. For example, happy people may be more likely to be out of bed and ready to face the outside world in time to go to church than people who are depressed.

Second, rather than church attendance being a cause of happiness, both church attendance and happiness may be effects of some other variable. Because you have neither controlled for nor accounted for any other factors that might lead both to being happy and to going to church, many factors
might be responsible for the relationship between happiness and church attendance. Just a few of those possible factors are listed here:

- Disciplined people may be happier and more likely to go to church.
- People who like structured social activities may be more likely to be happy and more likely to go to church.
- Having genes that predispose one to be conventional and outgoing may cause one to be happy and go to church.
- Having church-going friends may cause one to be happy and to go to church.
- Married people may be more likely to be happy and more likely to go to church than unmarried people.
- Unhealthy people may be both less likely to make it to church and less likely to be happy.
- Optimistic people may be more likely to go to church (perhaps because they are more likely to believe in an afterlife) and may be more likely to be happy.

To repeat a key point, correlational methods do not have internal validity, so they do not allow you to make cause–effect statements. When you use a correlational method to find a relationship between two variables, you do not know whether the relationship is due to changes (1) in the first variable causing changes in the second variable, (2) in the “second” variable causing changes in the “first” variable, or (3) in a third variable causing the changes in both variables (see Figure 7.1). If you think you know what causes the relationship, you are like a game show contestant who thinks he knows behind which of the three doors is the prize: You don’t know, you’re probably wrong, and, if you’re right, it’s by luck.

**How Descriptive Methods Can Stimulate Cause–Effect Hypotheses**

Although data from descriptive research cannot allow you to make cause–effect assertions, such data may raise cause–effect questions. As you can see from Table 7.1 on page 208, correlational methods may stimulate causal hypotheses in two ways.

First, if you find a relationship between two variables, you may want to do an experiment to determine whether the relationship is a cause–effect relationship. For instance, knowing that there was a correlation between smoking and lung cancer led to experiments that tested whether smoking caused lung cancer.

Second, even if you know that the two factors do not directly influence each other, you may try to find out what causes them to be statistically related. In other words, you may try to find out what third factor accounts for their relationship. Suppose you find that in general, students who study more have lower grade-point averages. This finding may suggest the following idea: Perhaps some students are using study strategies that are both time-consuming

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1 Often, you don’t know which variable came first, so labeling one variable the “first” variable and the other the “second” is arbitrary. Given that you don’t know which variable is really the first, you can’t say which caused which (the situation is like the “Which came first—the chicken or the egg?” question).
and ineffective. This idea may lead you to do experiments to test whether some study strategies are more effective than others. Alternatively, if you think the relationship is due to students with lower grades being less effective readers, you might design an experiment to see whether training in reading skills improves grades.

In summary, descriptive research does not allow you to infer causality (see Table 7.2). However, descriptive research may stimulate experimental research that will allow you to infer causality: Once you use a descriptive design to find out what happens, you can use an experimental design to try to find out why it happens.

**FIGURE 7.1 Three Basic Possibilities for an Observed Relationship Between Low Self-Esteem and Television-Viewing**

Note that there are many “third” factors that might account for the relationship. We have listed only two (friends and reading skills).
TABLE 7.1
Generating Causal Hypotheses From Correlational Data

For each correlational finding listed here, develop an experimental hypothesis.

1. Listeners of country music tend to be more depressed than people who listen to other types of music.
2. There is a correlation between school attendance and good grades.
3. Attractive people earn higher salaries than less attractive people.
4. In restaurants, large groups tend to leave lower tips (in terms of percentage of bill) than individuals.
5. Teams that wear black uniforms are penalized more often than other teams.
6. People report being more often persuaded by newspaper editorials than by television editorials.
7. Students report that they would be less likely to cheat if professors walked around the classroom more during exams.
8. Students who take notes in outline form get better grades than those who don’t.

TABLE 7.2
Three Sets of Questions to Answer Before Claiming That One Variable Affects (Influences, Controls, Changes, Causes) Another

1. Is There a Relationship Between the Two Variables in the Sample?
   - Did the researchers accurately measure the two variables?
   - Did the researchers accurately record the two variables?
   - Did the researchers accurately perceive the degree to which the variables were related?

2. If the Variables Are Related in the Sample, Are the Variables Related in the Population?
   - Is the sample a random sample of the population?
   - Even if the sample is a random sample of the population, is the sample large enough—and the relationship strong enough—that we can be confident that the relationship really occurs in the population?

3. If the Variables Are Related, Did the Predictor Variable Cause Changes in the Criterion?
   - Is it possible that the “criterion” (outcome) variable caused changes in the predictor variable? In other words, is our “cause” really the effect?
   - Do we know which variable came first?
   - Do we have data that suggest to us which came first? For example, if we are looking at self-esteem and delinquency, high school records might provide information about self-esteem before becoming criminals. If there is no difference between delinquents’ and nondelinquents’ self-esteem prior to committing crimes, we would be more confident that self-esteem was not a cause of delinquency.
   - Can we logically rule out the possibility that one variable preceded the other? For example, if height and being a delinquent were correlated, we can make a good case that the person’s height was established before he or she became a delinquent.
   - Is it possible that a third variable could be responsible for the relationship? That is, neither variable may directly influence (cause) the other. Instead, the two variables might be statistically related because they are both effects of some other variable. For example, increases in assaults and ice cream consumption may both be consequences of temperature.
   - Were all other variables randomized or held constant? (This control over other variables happens only in experimental designs [we discuss experimental designs in Chapters 10–14].)
   - Does the researcher know what the potential third variables are? If so, the researcher may be able to statistically control for those variables. However, it is virtually impossible to know and measure every potential third variable.
**Description for Description’s Sake**

By hinting at possible causal relationships, descriptive research can indirectly help psychologists achieve two goals of psychology—explaining behavior and controlling behavior. But the main purpose of descriptive research is to achieve another important goal of psychology—describing behavior.

Is description really an important scientific goal? Yes—in fact, description is a major goal of every science. What is chemistry’s famed periodic table but a description of the elements? What is biology’s system of classifying plants and animals into kingdom, phylum, genus, and species but a way of describing living organisms? What is astronomy’s mapping of the stars but a description of outer space? What is science but systematic observation and measurement? Thus, one reason psychologists value descriptive methods is that description is the cornerstone of science. Besides, psychologists, like everyone else, want to be able to describe what people think, feel, and do.

**Description for Prediction’s Sake**

Psychologists also like descriptive methods because knowing what is happening helps us predict what will happen. In the case of suicide, for example, psychologists discovered that certain signals (giving away precious possessions, abrupt changes in personality) were associated with suicide. Consequently, psychologists now realize that people sending out those signals are more likely to attempt suicide than people not behaving that way.

**WHY WE NEED SCIENCE TO DESCRIBE BEHAVIOR**

Certainly, describing behavior is an important goal of psychology. But do we need to use scientific methods to describe what’s all around us? Yes! Intuition alone cannot achieve all four steps necessary to accurately describe behavior:

1. Objectively measure variables.
2. Keep track of these measurements.
3. Use these measurements to accurately determine the degree to which variables are related.
4. Accurately infer that the observed pattern of results reflects what typically happens (see Figure 7.2).

![Figure 7.2 Four Steps Involved in Determining Whether There Is a Relationship Between Two Variables](image)

People who draw conclusions based on their own personal experience could be making mistakes at every single one of these steps. Do you know anyone who executes all four steps correctly? Probably not—even some scientific studies fail to execute all four steps correctly.
Indeed, intuition alone fails at each of these four steps. Thus, as you will soon see, we need science to measure variables, keep track of those measurements, determine the degree to which variables are related, and to make accurate inferences about the degree to which the observed pattern of results reflects what typically happens.

**We Need Scientific Measurement**

We need scientific methods to accurately measure the variables we want to measure. As you saw in Chapter 5, reliable and valid measurement of psychological variables is not automatic. If you are to observe psychological variables in a systematic, objective, and unbiased way, you must use scientific methods. Imagine using intuition to measure a person’s level of motivation, intelligence, or some other psychological variable!

**We Need Systematic, Scientific Record-Keeping**

Even if you could intuitively get accurate measurements of psychological variables, you could not rely on your memory to keep track of your observations. Your memory can fool you, especially when it comes to estimating how often things occur. For example, our memories may fool us into believing that more people die from plane crashes than actually do, that sharks kill more people than falling coconuts, and that more words start with \( r \) than have \( r \) as their third letter (Myers, 2002b). Therefore, if you are to describe behavior accurately, you need to record your observations systematically so that your conclusions are not biased by memory’s selectivity.

**We Need Objective Ways to Determine Whether Variables Are Related**

Obviously, if you’re poor at keeping track of observations of one variable, you are going to be even worse at keeping track of two variables—plus the relationship between them. Therefore, you cannot rely on your judgment to determine whether two things are related.

People are so eager to see relationships that they sometimes “see” variables as being related, even when those variables are not related. In several experiments on illusory correlation (Chapman & Chapman, 1967; Ward & Jenkins, 1965), researchers showed participants some data that did not follow any pattern and that did not indicate any relationship among variables. Remarkably, participants usually “found” patterns in these patternless data and found relationships (illusory correlations) between the unrelated variables.

Out of the lab, we know that people see systematic patterns in the stock market, even though the stock market behaves in an essentially random fashion (Shefrin & Statman, 1986). Similarly, many people believe that the interview is an invaluable selection device, even though research shows that interviews have virtually no validity (Dawes, 1994; Schultz & Schultz, 2006).

Even when there is a relationship between two variables, the relationship people perceive between those two variables may be exactly opposite of the relationship that exists. To illustrate, basketball coaches swear that if a player makes a shot, that player will be more likely to make the next shot. However, as Gilovich, Vallone, and Tversky (1985) discovered, a shooter is less likely to make the next shot if he has made the previous shot.
Coaches are not the only ones to misperceive relationships. Many bosses and parents swear that rewarding people doesn’t work whereas punishing them does, even though research shows that rewards are more effective than punishments. Many students swear that cramming for exams is more effective than studying consistently, even though research contradicts this claim. Similarly, psychiatric hospital nurses believe that more patients are admitted during a full moon, even though admissions records dispute that. You probably know a biased person whose prejudices cause him or her to see relationships that don’t exist. In short, because people may misperceive the relationship between variables, we need to do research to determine the real relationship between variables.

**We Need Scientific Methods to Generalize From Experience**

Even if you accurately describe your own experience, how can you generalize the results of that experience? After all, your experience is based on a limited and small sample of behavior.

One problem with small samples is that they may cause you to overlook a real relationship. Thus, it’s not surprising that one man wrote to “Dear Abby” to inform her that lung cancer and smoking were not related: He knew many smokers and none had lung cancer.

Another problem with small samples is that the relationship that exists in the sample may not reflect what typically happens in the population. Thus, our experiences may represent the exception rather than the rule. In other words, the relationship you observe may be due simply to a coincidence. For example, if we go by some people’s experiences, playing the lottery is a great investment.

As you have seen, even if you accurately observe a pattern in your experiences, you must take one additional step—determining whether that pattern is simply a coincidence. But how can you determine the likelihood that a pattern of results is due to a coincidence?

To discount the role of coincidence, you need to do two things. First, you need to have a reasonably large and random sample of behavior. Second, you need to use probability theory to determine the likelihood that your results are due to random error. Thus, even if you were an intuitive statistician, you would still face one big question: What’s to say that your experience is a large, random sample of behavior? Your experience may be a small and biased sample of behavior. Results from such biased samples are apt to be wrong. For example, in 1988, George H. W. Bush defeated Michael Dukakis by one of the biggest margins in the history of U.S. presidential elections. However, right up to election eve, some ardent Dukakis supporters thought that Dukakis would beat Bush. Why? Because everybody they knew was voting for Dukakis.

In summary, generalizations based on personal experience are often wrong. These informal generalizations are error prone because they (1) are based on small or biased samples and (2) are based on the assumption that what happens in one’s experience happens in all cases. To avoid these problems, researchers who make generalizations about how people typically act or think (1) study a large, random sample and then (2) use statistics to determine how likely it is that the pattern observed in the sample holds in the population.
Conclusions About Why We Need Descriptive Research

As you can see, we need descriptive research if we are to accurately describe and predict what people think, feel, or do. Fortunately, descriptive research is relatively easy to do. To describe how two variables are related, you need to get a representative sample of behavior, accurately measure both variables, and then objectively assess the association between those variables. The bottom line in doing descriptive research is getting accurate measurements from a representative sample.

The key to getting a representative sample is to get a large and random sample. But how can you get accurate measurements from such a sample?

SOURCES OF DATA

In the next few sections, we’ll look at several ways to get measurements. We’ll start by examining ways of making use of data that have already been collected; then we’ll move to going out and collecting new data.

Ex Post Facto Data: Data You Previously Collected

One possible source of data for descriptive research is data that you have already collected. For example, you may have done an experiment looking at the effects of time pressure on performance on a verbal task. At the time you did the study, you may not have cared about the age, gender, personality type, or other personal characteristics of your participants. For testing your experimental hypothesis (that the treatment had an effect), these individual difference variables were irrelevant. Indeed, experimenters often call such individual difference variables “nuisance variables.” However, you collected this individual difference information anyway.

After the experiment is over, you might want to go back and look for relationships between these nuisance variables and task performance. This kind of research is called ex post facto research: research done after the fact.

External Validity

Suppose your ex post facto research revealed that women did better than men on the verbal task. Although this finding is interesting, you should be careful about generalizing your results. Unless the men and women in your study are a random sample drawn from the entire population of men and women, you cannot say that women do better at this verbal task than men do. Your effect may simply be due to sampling men of average intelligence and women of above-average intelligence. This sampling bias could easily occur, especially if your school was one that had higher admissions standards for women than for men. (Some schools did this when they switched from being all-women colleges to coeducational institutions.)

You could have a bit more confidence that your results were not due to sampling error if you had also included a mathematical task and found that although women did better than men on the verbal task, men did better on the mathematical task. If, in this case, your results are due to sampling error, they aren’t due to simply having sampled women who are above average in intelligence. Instead, your sampling error would have to be due to something rather strange, such as sampling women who were better than the average woman in verbal ability but who were worse than the average woman in
mathematical ability. Although such a sampling bias is possible, it is not as likely as having merely sampled women who are above average in intelligence. Therefore, with this pattern of results, you would be a little more confident that your results were not due to sampling bias.

**Construct Validity**

Even if you could show that your results are not due to sampling error, you could not automatically conclude that women had greater verbal ability than men. To make this claim, you would have to show that your measure was a valid measure of verbal ability and that the measure was just as valid for men as it was for women. For example, if your verbal ability measure used vocabulary terms relating to different colors, women’s fashions, and ballet, critics would argue that your measure was biased against men.

**Internal Validity**

If you had carefully chosen a valid measure and, if, by randomly sampling from a representative sample, you had carefully selected a representative sample, you might be able to claim that women had better verbal ability than men. However, you could not say why women had superior verbal ability. As you’ll recall, correlational methods are not useful for inferring causality. Therefore, you could not say whether the difference in men’s and women’s verbal ability was due to inborn differences between men and women or due to differences in how men and women are socialized.

**Conclusions About Ex Post Facto Research**

In summary, ex post facto research takes advantage of data you have already collected. Therefore, the quality of ex post facto research depends on the quantity and quality of data you collect during the original study. The more information you collect about your participants’ personal characteristics, the more ex post facto hypotheses you can examine. The more valid your measures, the more construct validity your conclusions will have. The more representative your sample of participants, the more external validity your results will have. Therefore, if you are doing a study, and there’s any possibility that you will do ex post facto research, you should prepare for that possibility by using a random sample of participants and collecting a lot of data about each participant’s personal characteristics.

**Archival Data**

Rather than use data that you have collected, you can use **archival data**: data that someone else has already collected. Basically, there are two kinds of archival data—coded data and uncoded data.

**Collected and Coded Data**

As the name suggests, coded data are not mere records of behavior (e.g., diaries, videotapes, pictures) but rather are data that have been scored (coded) so that numbers have been assigned to the recorded behaviors. Market researchers, news organizations, behavioral scientists, and government researchers are all collecting and tabulating data. How much data? To give you some idea, more than 5,000 Americans are surveyed every day—and surveys are just one way that these researchers collect data. Not only can you get access to
some of these survey results but you can also get access to many statistics relating to people’s behaviors—including statistics on accidents, attendance (church, school, sporting events, etc.), bankruptcy, baseball, chess, crime, mental health, income, IQ, literacy, mortality, movie viewing, obesity, voting, and all kinds of sales and spending.

Sometimes, to test a hypothesis, you need to comb through records and collate (pull together, assemble, compile) the data. For example, three psychologists found support for the idea that hotter temperatures are associated with aggression by looking through the baseball and weather sections of newspapers and finding there was a relationship between game time temperature and how many batters were hit by pitches (Reifman, Larrick, & Fein, 1991).

Many times, the data have already been collated (brought together and organized) for you. You simply need to make the connection between the data and your hypothesis—and that often involves making the connection between two different sources of data. For example, using existing measures of wealth (inflation-adjusted U.S. gross national product) and life satisfaction, Diener and Seligman (2004) found that although U.S. citizens became wealthier from 1950 to 1998, U.S. citizens did not become happier during that time.

Sometimes, collated data can help you test hypotheses derived from theory. To test the limits of modeling theory (a theory that describes when and why people model—imitate—others), David Phillips (1979) used suicide and traffic accident statistics to find that both suicides and one-car accidents increased after a well-publicized suicide—but only among people who were similar in age to the person who committed suicide. To test a hypothesis derived from social loafing theory—that songwriters would not work as hard on group-authored songs as they would on their own solo efforts—two music-loving graduate students looked at the equivalent of Top 40 charts. Specifically, the students found that songs written by members of the 1960s rock band The Beatles were better (measured by popularity in terms of chart rankings from Billboard Magazine) when written alone than when jointly written (Jackson & Padgett, 1982). Using a hypothesis derived from the theory of evolution—that left-handedness survives because it is helpful in hand-to-hand combat—two researchers found that, in eight societies that use knives rather than guns as weapons, the societies that had the most killings had the most left-handed people (Faurie & Raymond, 2005).

Sometimes, the data have been collected and collated but not published. In that case, you just need to ask for the information. For example, a journalist wanted to test the hypothesis that many heads are better than two by seeing whether the opinion expressed by the majority of the studio audience on the game show Who Wants to Be a Millionaire? is more accurate than the opinion given by the “expert” friend the contestant has selected. The journalist did not have to look at tapes of all the shows to compile the relevant data. Instead, because the show had already compiled that data, just interviewing the show’s spokesperson gave him the information he needed: The answers provided by the friend-selected experts were right 65% of the time, whereas the answers provided by the studio audience were right 91% of the time (Surowiecki, 2004).

There is good news and bad news about archival data that have been coded for you. The good news is that if you can get access to archival data, you can often look at data that you would never have collected yourself because you wouldn’t have had the time or resources to do so—and it has
already been coded for you. The bad news is that most archival data are data that you would never have collected yourself because they were collected in a way that is inappropriate for answering your research question—and even those data that you would possibly have collected, you would never have coded that way.

**Collected but Uncoded Data**

If you are willing to code the data yourself, you can avoid the problem of inappropriately coded data. You will also gain access to a vast amount and variety of preserved records of behavior, including

- letters to the editor
- transcripts of congressional hearings
- videotapes of television shows
- yearbook photos (which you can code for smiling and type of smile)
- diaries and autobiographies
- *Playboy* centerfolds (an indicator of the physical characteristics that *Playboy* readers consider ideal)
- comments made in Internet chat rooms and discussion groups
- personal ads for a dating partner

The main advantage of using records of behavior is that the basic data have already been collected for you. All you have to do is code them—and you can code them to suit your needs. If you want to study happiness, for example, you can code a wide range of data, such as:

- Videotapes. By having students rate the happiness of Olympic athletes on the podium during medal ceremonies, Medvec, Madey, and Gilovich (1995) coded videotapes and found that Bronze (third place) winners were happier than Silver (second place) winners.
- College yearbook photos. Using a coding strategy that involved looking at the position of two facial muscles, Harker and Keltner (2001) judged the happiness expressed by people in their college yearbook photos and found that the students who were rated as showing more positive emotion in their yearbooks were, 30 years later, more likely to be happily married.
- Essays. By coding the happiness expressed in short essays that nuns wrote when they were first accepted into the sisterhood, Danner, Snowden, and Friesen (2001) found that the nuns expressing the most happiness lived the longest.

**Content Analysis: Objectively Coding the Uncoded.** The challenge of using such data is that you must convert the photos, videotapes, transcripts, or other records into a form that you can meaningfully and objectively analyze. To succeed at this task, use content analysis.

Content analysis has been used to categorize a wide range of free responses—from determining whether a threatening letter is from a terrorist to determining whether someone’s response to an ambiguous picture shows that they have a high need for achievement. In content analysis, you code
behavior according to whether it belongs to a certain category (aggressive, sexist, superstitious, etc.).

To use content analysis successfully, you must first carefully define your coding categories. To do so, you should review the research to find out how others have coded those categories. If you can’t borrow or adapt someone else’s coding scheme, do a mini-study (often called a pilot study) to get an idea of the types of behavior you will be coding, and to help you choose and define the categories you will use to code the data.

After you have defined your categories, you should provide examples of behavior that would fit into each of your categories. Then, train your raters to use these categories.

The primary aim in content analysis is to define your categories as objectively as possible. Some researchers define their categories so objectively that all the coder has to do is count the number of times certain words come up. For example, to get an indication of America’s mood, a researcher might count the number of times words like war, fight, and so on appear in The New York Times. These word-counting schemes are so easy to use that even a computer can do them. In fact, one set of researchers invented a computer program that can tell genuine suicide notes from fake ones (Stone, Smith, Dunphy, & Ogilvie, 1966), and another set invented a computer program that can, with a fair degree of accuracy, tell poetry written by poets who committed suicide from poetry written by poets who did not (Stirman & Pennebaker, 2001). Thus, objective coding can be simple and have construct validity.

Is Objective Coding Valid? Unfortunately, objective criteria are not always so valid. To get totally objective criteria, you often have to ignore the context—yet the meaning of behavior often depends on the context. For example, you might use the number of times the word war appears in major newspapers as a measure of how eager people are for war. This method would be objective, but what if the newspaper was merely reporting wars in other countries? Or, what if the newspaper was full of editorials urging us to avoid war or urging us to expand the war on poverty? In that case, our measure would be objective, but invalid.

Indeed, context is so important that completely objective scoring criteria of certain variables is virtually impossible. Whether a remark is sarcastic, humorous, or sexist may depend more on when, where, and how the statement is said than on the content of what is said. However, despite the difficulties of objectively and accurately coding archival data, researchers often have successfully developed highly objective ways of coding archival data.

An Example of Archival Research
To get a clearer picture of both the advantages and disadvantages of archival research, suppose you wanted to know whether people were more superstitious when they were worried about the economy. As your measure of concern about the economy, you use government statistics on unemployment. As your measure of how superstitious people are, you have the computer count the number of key words such as magic, superstition, and voodoo that appear in local newspapers and then divide this number by the total number of
words in the newspaper. This would give you the percentage of superstitious words in local newspapers.\(^2\)

**Internal Validity**

Once you had your measures of both economic concern and of superstitiousness, you would correlate the two. Suppose you found that the higher the unemployment rate is, the more superstitious words were used in the newspaper. Because you have done a correlational study, you cannot say why the two variables are related. That is, you do not know whether:

1. The economy caused people to become superstitious.
2. Superstitious beliefs caused the downfall of the economy.
3. Some other factor (bad weather ruining crops) is responsible for both an increase in superstitious beliefs and a decline in the economy.

**Construct Validity**

In addition to the internal validity problems that you have anytime you use correlational data, you have several construct validity problems specific to archival data. You are using measures of a construct, not because they are the best, but because they are the only measures that someone else bothered to collect. Although you are using unemployment records as an index of how insecure people felt about the economy, you would have preferred to ask people how they felt about the economy. To the degree that the relationship between how many people are unemployed and how people feel about the economy is questionable, your measure’s construct validity is questionable.

Even if there is a strong relationship between actual unemployment and feelings about the economy, your measure may not be valid because it may not accurately assess unemployment because of instrumentation bias: scores on the measure changing due to (1) changes in the measure itself, (2) changes in how the measure is scored, or (3) changes in who is being measured and recorded.

In measuring unemployment, we would be most concerned about two sources of instrumentation bias: changes in the definition (scoring) of unemployment and changes in whose data is included when calculating the unemployment statistics. A change in scoring, such as the government changing the definition of unemployment from “being unemployed” to “being unemployed for 6 weeks and showing documentation that he or she looks for three jobs every week,” would reduce the number of people recorded as unemployed.

Any change in how thoroughly data are collected and collated could affect unemployment statistics. For example, because of the introduction of unemployment compensation in 1935 and more recent computerization of national statistics, current unemployment statistics are more complete than they were in the early 1900s. Thus, better record-keeping may increase the number of people currently recorded as unemployed. Another change might be found in data collection: Because the people who would collect unemployment statistics—social workers and other government workers—are sometimes laid off during

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\(^2\)Padgett and Jorgenson (1982) did a study similar to this one.
hard economic times, unemployment statistics might be less complete during periods of high unemployment. Still another change that would reduce the number of people labeled as unemployed would be if some politicians distorted unemployment data to make things seem better than they were.³

To illustrate how the three sources of instrumentation bias (changes in the instrument, changes in scoring, and changes in sampling and tabulating) can make it difficult to do a meaningful study, imagine you wanted to compare average SAT scores from 2009 with average SAT scores of 25 years ago. Your first problem is that the SAT instrument has changed. The types of questions the current SAT asks are different from the ones used in the past. In 2005, a section on analogies was dropped from the test, an essay section was added, and the math segment went through a major change. Your second problem is that the way the instrument is scored has changed. For example, in 1985, the SAT was based on a perfect score of 1,600. However, starting in 2005, the new perfect score is 2,400. Your third problem is that the sample of students that are measured has changed. Specifically, a greater percentage of high school students took the SAT in 2005 (at one time, only the very best high school students took the SAT; in 2005, about half of all high school students took it).

Thus, even if we developed a formula to compare 1985 scores with 2009 scores, we would have difficulty making meaningful comparisons. For instance, if scores on the SAT went down, we would not conclude that students were learning less in high school because (a) rather than testing what it once did, the test is testing different knowledge and (b) rather than testing the top 10% of students, the test is testing the top 50%. If, on the other hand, scores on the SAT went up, we couldn’t conclude that students were learning more in high school because (a) the test is testing different knowledge and (b) the scoring system has been changed.

Instrumentation is also a problem in understanding the correlates and incidence of autism. The definition of autism has recently expanded and so the numbers of people diagnosed with autism has recently exploded (Radford, 2007). As a result, anything else that has recently become more popular (e.g., cell phones, ultrasounds, vaccines) will correlate with autism (Gernsbacher, 2007). In addition, because physicians will usually not diagnose autism at age 1, parents whose child is diagnosed as autistic at age 2 may assume that some event between age 1 and 2 caused their child to become autistic (Novella, 2007).

Fortunately, in the economy–superstition study, you only have to worry about instrumentation bias ruining our measure of unemployment; you do not have to worry about instrumentation bias ruining the superstition measure. However, you still have to worry about your superstition measure’s construct validity. Is the number of times superstitious terms are mentioned in newspapers a good index of superstition? Perhaps these articles sell papers, and major newspapers stoop to using these articles only when sales are low. Rather than relying on the number of times “superstition” appears in papers, you would prefer to have results of some nationwide survey that questioned people directly about their superstitious beliefs. However, your measure has

³ According to Levitt and Dubner (2005, p. 92), violent crime statistics in Atlanta were altered as part of that city’s attempt to host the 1996 Olympics.
one advantage over the poll—it is a nonreactive measure: Collecting it does not change participants’ behavior.

**External Validity**

Because you can collect so much data so easily, your results should have good external validity. In some cases, your results may apply to millions of people because you have data from millions of people. Specifically, you can easily get unemployment statistics for the entire United States. Furthermore, because you can collect data for a period of years rather than for just the immediate present, you should be able to generalize your results across time.

**The Limits of Aggregate Data**

Gaining access to group data (for instance, the unemployment rate for the entire United States for 1931) is convenient and may aid external validity. However, as psychologists, we are interested in what individuals do; therefore, we want individual data. Consequently, even if we find that there is a correlation between unemployment for the nation as a whole and superstition for the nation as a whole, we are still troubled because we do not know which individuals are superstitious. Are the individuals who are unemployed the ones who are superstitious? Or, are the superstitious ones the people whose friends have been laid off? Or, are the superstitious ones the people who are doing quite well? With aggregate data, we can’t say.

**Conclusions About Archival Research**

By using archival data, you can gain access to a great deal of data that you did not have to collect, which may allow you to test hypotheses you would otherwise be unable or unwilling to test. For example, you can test hypotheses about relationships between type of prison and violence in prisons (Briggs, 2001), color of uniform and violence in professional sports (Frank & Gilovich, 1988), economic conditions and what men want women to look like (Pettijohn & Jungeberg, 2004), and competitiveness and violence in Detroit (Wilson & Daly, 1985). Because archival data often summarize the behavior of thousands of people across a period of years, your results may have impressive external validity.

Relying on others to collect data has its drawbacks. You may find that others used measures that have less construct validity than the measures you would have used. You may find that others did not collect the data as carefully and as consistently as you would have. You may find that you have data about groups but no data about individuals. Because the data that others collected will usually not be ideal for answering the question you want to answer, you may decide to collect your own data.

**Observation**

One way to collect your own data is through observation. As the name implies, observation involves watching (observing) behavior.

Observation can play a role in experiments. For example, an experimenter administering different levels of a drug to rats might observe and categorize each rat’s behavior. Similarly, an experimenter manipulating levels of televised violence might observe and categorize each participant’s behavior.
Observation is also of interest for its own sake. Describing behavior is a vital concern of every field of psychology. Developmental psychologists use observation to describe child–parent interactions, social psychologists to describe cults, clinical psychologists to describe abnormal behavior, counseling psychologists to describe human sexual behavior, and comparative psychologists to describe animal behavior.

**Types of Observational Research**

There are three basic types of observation: laboratory observation, naturalistic observation, and participant observation. In both naturalistic and participant observation, you study real behavior in the real world. In contrast, laboratory observation, as the name suggests, occurs in a laboratory.

Laboratory observation, however, is not always as artificial as you might think. The lab experience is often very real to participants—and participants’ behavior may strongly relate to real-world behavior. For example, consider Mary Ainsworth’s “strange situation.” To oversimplify, a mother and her 1-year-old child enter the lab. The child has a chance to explore the room. Next, a stranger enters. Then, the mother leaves. Later, the mother reunites with the child (Ainsworth & Bell, 1970). This situation is very real to the child. Many children were extremely upset when their mother left and very happy when she returned. How children behave in the strange situation also seems to relate to how the child behaves in real life and even relates to the child’s social skills and self-confidence 10 years later (Elicker, Englund, & Sroufe, 1992).

The lab experience can be real to adults as well. For example, Ickes and some of his students (Ickes, Robertson, Tooke, & Teng, 1986) brought pairs of opposite-sex strangers to the lab. The strangers sat down next to each other on a couch, supposedly to view slides that they were to judge. As the slide projector warmed up, the projector bulb appeared to pop. As the researcher left to find a bulb, the students began to talk—and their talking was what Ickes observed. The situation was quite real to the students—and not that different from real-life situations in which two students who arrive early to class find themselves talking to each other.

Even when people know they are being videotaped and have sensors clipped to their ears and fingers, they may behave naturally. For example, under these conditions, married couples argue with each other freely—and their behavior predicts with greater than 94% accuracy whether they will be married 15 years later (Carrere & Gottman, 1999). Yet, despite the impressive generalizability of lab observation, many researchers want to observe behavior in a more realistic setting. Such researchers use either naturalistic observation or participant observation.

In naturalistic observation, you try to observe the participants in a natural setting unobtrusively: without letting them know you are observing them. Often, naturalistic observation involves keeping your distance—both physically and psychologically.

In participant observation, on the other hand, you actively interact with your participants. In a sense, you become “one of them.”
Both types of observation can lead to ethical problems because both may involve collecting data without participants’ informed consent.\(^4\) Naturalistic observation may involve spying on your participants from a distance; participant observation may involve spying on a group that you have infiltrated. Because the participant observer is more likely to have a direct effect on participants, most people consider participant observation to be more controversial than naturalistic observation is.

But which method provides more valid data? Not everyone agrees on the answer to this question. Supporters of participant observation claim that you get more “inside” information by using participant observation. Fans of naturalistic observation counter that the information you get through participant observation may be tainted. As a participant, you are in a position to influence (bias) what your participants do. Furthermore, as an active participant, you may be unable to sit back and record behavior as it occurs. Instead, you may have to rely on your (faulty) memory of what happened.

**Problems With Observation**

Whether you use participant or naturalistic observation, you face two major problems. First, if participants know they are being watched, they may not behave in their normal, characteristic way. Thus, participants in observational research, unlike archival research, may react to being watched. Second, even if participants act “natural,” you may fail to record their behavior objectively. That is, your personality and motives may affect what things you ignore and how you interpret those things you do pay attention to.

**Dealing With Effects of the Observer on the Observed.** To deal with the first problem, the problem of changing behavior by observing it, you might observe participants unobtrusively (without their knowledge). For example, you might want to observe participants through a one-way mirror.

If you can’t be unobtrusive, try becoming less noticeable. One way to do this is to observe participants from a distance, hoping that they will ignore you. Another way is to let participants become familiar with you, hoping that they will eventually get used to you. Once participants are used to you, they may forget that you are there and revert back to normal behavior.

**Dealing With Difficulties in Objectively Coding Behavior.** Unfortunately, steps you might take to make observers less reactive, such as observing participants from a distance, may make observers less accurate. For example, if observers can’t easily see or hear participants, they may record what they expected the participant to do rather than reporting what the participant actually did. However, even when observers can observe behavior at close range, observations may lack objectivity. That is, as with archival research (which you could consider indirect observation), one problem with observation is that different observers may code the same behavior differently.

As with archival data, one way to check whether different observers are coding the same behavior differently is to have more than one observer rate

\(^4\)According to most ethical guidelines, people in studies should be volunteers who know what they have volunteered for. For more on ethics, see Chapter 2 and Appendix D.
the same behavior and then obtain some index (percent of times they agree, correlation between raters, Cohen’s kappa) of interjudge reliability. As was the case with archival data, the way to maximize interjudge agreement is to use a clear coding scheme. You need to

1. define your categories in terms of specific target behaviors
2. develop a check sheet to mark off each time a target behavior is exhibited
3. train and motivate raters to use your check sheet

Training and motivating your raters are even more important in observational research than in archival research because in observational research, there are often no permanent records of the behavior. Thus, unmotivated or disorganized raters do not get a second chance to rate a behavior they missed: There is no instant replay. Furthermore, without permanent records, you cannot check or correct a rater’s work.

We have shown you why training is so important. But how do you train observers to categorize behavior? Training should involve at least three steps. First, you should spell out what each category means, giving both a definition of each category and some examples of behaviors that belong and do not belong in each category. Second, you should have your observers rate several videotaped examples of behavior, and you should tell them why their ratings are right or wrong. Third, you should continue the training until each rater is at least 90% accurate.

**Conclusions About Observation**

In conclusion, observation can be a powerful technique for finding out what people do. However, observers may let you down by changing the behavior of the individuals they are observing or by letting their biases affect what they record.

**Tests**

If you do not want to rely on observers, you may decide to use tests. Tests are especially useful if you want to measure ability, knowledge, or personality variables. For instance, you might correlate scores on an extroversion test with scores on a happiness test.

**External Validity**

As was the case with ex post facto research, the external validity of a study that uses tests depends on the representativeness of the sample. You cannot generalize your results to a population unless you have a random sample of that population. Therefore, you cannot say that women score more extroverted on an extroversion test than men unless you have a random sample of all men and women. Similarly, you cannot say that extroverts are happier than introverts unless you have a random sample of all introverts and extroverts.

**Internal Validity**

As is the case with all correlational research, if you find a relationship between test scores, that relationship is not necessarily a causal relationship.
For example, if extroverts are happier than introverts, we don’t know whether extroversion causes happiness, happiness causes extroversion, or some other factor (supportive parents, social skills, etc.) causes both extroversion and happiness.

The fact that correlation does not prove causation is important to keep in mind. Without an understanding of this concept, you may mistake circumstantial evidence for proof. For example, certain authors try to show a genetic basis for some characteristics (career preferences, schizophrenia, introversion, etc.) by showing that identical twins score similarly on a test of a particular trait. However, identical twins could be similar on the trait because they share a similar environment or because they have influenced one another.

**Conclusions About Using Tests**

By using tests, you can take advantage of measures that other people have spent years developing. As a result, construct validity is usually less of a problem than if you had devised your own measures. Furthermore, tests are often easier to use than other measures. Because of these advantages, tests are often used in experimental as well as nonexperimental research. When used in nonexperimental research, however, this research has the same weaknesses as other correlational research: It doesn’t allow you to establish causality, and the generalizability of your results will only be as good as the representativeness of your sample (to compare different descriptive designs, see Table 7.3).

**Table 7.3**

Comparing Different Correlational Methods

<table>
<thead>
<tr>
<th>Validity</th>
<th>Ex post facto</th>
<th>Archival</th>
<th>Observation</th>
<th>Tests</th>
</tr>
</thead>
<tbody>
<tr>
<td>Internal validity</td>
<td>Poor</td>
<td>Poor&lt;sup&gt;a&lt;/sup&gt;</td>
<td>Poor</td>
<td>Poor</td>
</tr>
<tr>
<td>Construct validity</td>
<td>Fair</td>
<td>Fair to poor</td>
<td>Fair to poor</td>
<td>Fair to good</td>
</tr>
<tr>
<td>Objective—Avoids observer bias</td>
<td>Good</td>
<td>May be good</td>
<td>May be poor</td>
<td>Good</td>
</tr>
<tr>
<td>Nonreactive—Avoids subject bias</td>
<td>Often a problem</td>
<td>Often good</td>
<td>Can be poor</td>
<td>Reactive—But steps can be taken to control for subject biases</td>
</tr>
<tr>
<td>Operational definition is consistent with definition of the construct</td>
<td>Fair to good</td>
<td>Often poor</td>
<td>Fair</td>
<td>Good</td>
</tr>
<tr>
<td>External validity</td>
<td></td>
<td></td>
<td></td>
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</tr>
<tr>
<td>Ease of getting a large</td>
<td></td>
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<td></td>
<td></td>
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<tr>
<td>Representative sample</td>
<td></td>
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</tr>
</tbody>
</table>

<sup>a</sup>Internal validity will be poor unless you find a situation in which a random process determines what treatment people receive. For example, two anthropologists found that Olympians who were randomly assigned to wear red were more likely to win than those who were randomly assigned to wear blue. Similarly, by comparing losers and winners of a lottery in which winners would get to go to the Chicago public school of their choice, an economist was able to determine that going to a better school didn’t have noticeable long-term effects (Levitt & Dubner, 2005).
Once you have coded your data, you want to compile and summarize them. You want to know what your data “look like.”

You may start by describing participants’ scores on one or more key variables. Often, summarizing those scores will involve calculating both (a) the average score as well as (b) an index of the degree to which scores vary from either that average or from each other. For example, you might report that the mean (average based on adding up all the scores and then dividing by the number of scores) score on the personality test was 78 and the range (the highest score minus the lowest score) was 50. Instead of reporting the range, you will probably report the standard deviation (SD): an index of the extent to which individual scores differ (deviate) from the mean, a measure of the degree of scatter in the scores. For example, you might say that the mean was 78 and the standard deviation was 10.

Researchers must mention both the average score and an index (like the range or, better yet, the standard deviation) of the extent to which scores vary. If researchers mentioned only the average score, it would lead to many problems. One problem would be that descriptive research, rather than providing a deeper and richer appreciation of people, might lead to labeling, stereotyping, and other oversimplifications. For example, consider the problems caused by people knowing that the average age when infants begin talking is 12 months. The problem is that half of all infants are going to talk later than that. Many of those infants’ parents, not understanding the wide range at which children begin to talk, needlessly worry that their child’s development is delayed. Similarly, take the research suggesting that the average teenager today is as stressed as the average teenager in therapy in the 1950s (Twenge, 2002). Without considering the variability, knowing this fact might cause some people to stereotype today’s teenagers as all being neurotic kids.

One way to describe the variability of scores is to make a frequency distribution: a graph on which how often each score occurs is plotted. The possible scores are arranged from lowest (leftmost) to highest (rightmost) on the bottom of the graph. The frequency of a particular score is indicated by how high the line is above that score. If there is no line above a score—or the line above the score is at the bottom of the graph—no one had that score (the score’s frequency is zero). The highest point on the graph will be above the mode: the most common score.

To draw a crude frequency distribution, start near the left edge of a sheet of paper and draw a line straight down almost to the bottom of the page. This

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5 The lowest the standard deviation can be is zero. You would get a zero only if everyone in the group scored at the mean. In that case, there would be zero (no) deviations from the mean. If you want a rough estimate of the standard deviation, divide the range by 6. If you want a more precise estimate of a population’s standard deviation and you have a random sample from that population, (a) get the differences between each score and the mean by subtracting each score from the mean, (b) square each of those differences, (c) get the sum of those squared differences (also called “sum of squares”) by adding (summing) up all those squared differences, (d) get the variance by dividing the sum of the squared differences by one less than the number of scores, and (e) get the standard deviation by taking the square root of the variance. For more on calculating and using the standard deviation, see Appendix E.
vertical line is called the $y$-axis. Because you will use this line to represent how frequently scores occur, label this line “frequency” (see Figure 7.3a).

Your next step is to draw a line that goes from the bottom of the $y$-axis straight across to the right side of the page. (If you are using lined paper, you may be able to trace over one of the paper’s horizontal lines.) This horizontal
line is called the x-axis and will represent your scores, so label this x-axis with numbers representing possible scores on your measure (see Figure 7.3b). For example, if the scores could range from 0 to 10, the bottom left-hand part of the graph would be labeled “0” and the bottom right-hand part of the graph would be labeled “10.” Then, find the mode: the score that occurred most often; the most frequent score. For each person who scored at the mode, put an “X” above the mode (see Figure 7.3c). After making a column of “Xs” at the mode (each “X” representing one person who scored at the mode), repeat the process for the rest of the possible scores.

Once you are done plotting the scores, your distribution will probably look like the normal distribution in Figure 7.3d. This bell-shaped distribution shares at least three characteristics with every normal distribution.

First, the center of the distribution is at the mean. One indication that the mean is at the middle of the distribution is that the mean is the most common score. In other words, the mean is also the mode, as indicated by the fact that the tallest row of “Xs” is at the mean. A stronger indication that the mean is the distribution’s middle point is that just as many scores are above the mean as below the mean: If you count the “Xs” below the mean, you will know how many are above the mean. In other words, for the normal curve, the mean is the same as the median: the middle score, the score at which just as many scores are above as are below (just as the median of the highway is in the middle of the road, the median of a set of scores is in the middle of the scores).

Second, not only is the distribution balanced on the mean but the distribution is symmetrical. That is, if you fold the distribution in half at the mean, the two halves will match.

Third, the distribution extends for about three standard deviations in both directions from the mean, with about 2/3 of the scores being within one standard deviation of the mean. Relatively few of the scores (less than 5%) are more than two standard deviations from the mean.

But what if your frequency distribution does not look like a normal distribution? That is, what if, instead of having a symmetrical normal distribution, your frequency distribution is skewed (tilted) to one side of the mean, like the distribution in Figure 7.3e? Such a skewed distribution is likely if you use a reaction time measure—and reaction times are used to measure many constructs, from unconscious prejudice to intelligence to personality (Robinson, Vargas, Tamir, & Solberg, 2004).

One problem with skewed distributions is that a few extreme scores (those causing the skew) can distort (skew) the mean. For example, if a participant’s reaction times were 0.1, 0.1, 0.1, 0.2, and 5 seconds, the participant’s mean score would be 1.1 seconds. Note that although the one extreme score (the 5-second reaction time) throws off the mean, it does not throw off the median score (indeed, in this example, no matter what the last score is, the median—the middle score—will be 0.1). Therefore, if the researcher has a skewed distribution, the researcher may want to use the median (middle) score rather than the mean.6

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6 Some researchers still use the mean with reaction time data. However, these researchers often (a) throw out reaction times that are abnormally long (or replace those times with a certain value, such as 4 seconds) and (b) use some mathematical transformation of the data to make the data normally distributed.
If you put people into categories such as helped or didn’t help, you have nominal (qualitative, categorical) data. Calculating a mean on qualitative data makes little sense. For example, it doesn’t make sense to say that “mean helping was 0.4.” With categorical (nominal) data, you should use percentages (e.g., “40% of people helped”) to summarize your data. If you had to use an average, use the mode (e.g., “the most common [modal] behavior was to avoid eye contact with the person needing help”).

In short, the most appropriate average score for your data could be a mean, a median, or a mode. However, most of the time, the most appropriate average will be the mean.

If your mean is based on a random sample of a larger group, you may want to estimate the mean of that population. For example, Brescoll and LaFrance (2004), using a random sample of major U.S. newspapers, looked at the degree—on a scale of 1 (extremely opposed) to 5 (extremely in favor of)—to which newspapers opposed or supported women being allowed to enter military academies. The average rating for the newspaper editorials in their sample was 3.48. Thus, the best guess about the average extent to which all editorials in all major U.S. newspapers opposed or supported women being allowed to enter military academies—the population mean—would also be 3.48.

This estimate of the population average, the sample mean, may differ from the actual population average. Therefore, you may want to not only provide your estimate of the population mean, but an estimate of how good your estimate is. In that case, you would probably establish a range in which the population mean is likely to fall. Often, researchers establish a 95% confidence interval: a range in which you can be 95% sure that the population mean falls. You can establish 95% confidence intervals for any population mean from the sample mean if you know the standard error of the mean. You establish the lower limit of your confidence interval by subtracting

If you have categorical data (e.g., number of people who helped), you can still use the confidence interval technique we describe in the next section. The only differences are that (a) instead of the mean, you use the proportion of participants who did the behavior (e.g., .40 [40%] of the participants helped) and (b) instead of basing your standard error on the standard deviation, you calculate it by (1) multiplying $p$ by $(1-p)$, (2) dividing that quantity by $n$, and then (3) taking the square root. For example, suppose $p$ was .40 and you had 240 observations. Your sample mean equivalent is $\hat{p}$, which is .40. Now you need the standard error, which you can calculate in three steps. The first step would be to multiply $p$ by $(1-p)$. That would be $.4 \times (1-.4)$, which is $.4 \times .6$, which is .24. The second step would be to divide .24 by 240, which would give you .001. The third step would be to take the square root of .001, which would be .03. Once you have the standard error, setting up the confidence interval for proportion is just like doing the confidence interval for the mean. Thus, in this case, the confidence interval for the population proportion would go from approximately 2 standard errors below the sample proportion to approximately 2 standard errors above the sample proportion (i.e., approximately .40 $\pm (2 \times .03) = .40 \pm .06 = .34$ to .46). For more specifics, see the Chapter 7 website.

Many calculators and web pages can calculate the standard error of the mean for you (our website has links to some of those calculators). If you need to calculate the standard error, take the standard deviation and divide it by the square root of the number of observations. If you don’t have the standard deviation, you can calculate it by following the steps in footnote 5 or by using the formula $\sqrt{\Sigma(x-\bar{x})^2/(N-1)}$. In this case, the standard deviation was 1.11 and the number of observations was 326. Thus, the standard error was .06 (or $1.11/\sqrt{326} = 1.11/18.06 = .06$).
approximately two standard errors from the sample mean. Then, you establish the upper limit of your confidence interval by adding approximately two standard errors to the sample mean.

In this example, because the average was 3.48 and the standard error was .06 (and that sample size was above 60), we can be 95% confident that the true population mean is somewhere between 3.36 (2 standard errors below the mean) and 3.60 (2 standard errors above the mean). Because 3.60, the upper limit of our confidence interval, is below 4, we can be very confident that the true population mean is below 4. The fact that the true population mean is below 4 is of interest because 4 represented supporting the women’s right to go to a military academy—but with reservations. Consequently, the results suggest that there is a conservative bias in newspapers, at least as far as women’s rights are concerned.

We used confidence intervals in this example to show that a sample mean (the average rating of newspaper editorials) is different from a certain score. However, we could have used the one-sample $t$ test to find that the mean extent to which newspapers supported women being allowed to enter military academies was significantly (reliably) different from 4. The results of such an analysis might be reported as, “The mean rating of 3.48 was significantly less than 4, $t(325) = 8.46, p < .05$.”

Should you use confidence intervals or one-sample $t$ tests? To answer that question, let’s compare the results of the confidence interval and one-sample $t$ tests. The one sample $t$ test told us one thing that the confidence interval told us: that it was unlikely that the true mean of our sample was 4.0. However, the $t$ test failed to tell us two things that the confidence interval did.

First, it didn’t tell us how close our population mean could be to 4—it told us only that the population mean is reliably different from 4. Whether our confidence interval was from 1 to 2 or from 2.97 to 3.99, the one-sample $t$ test would say the same thing: that the results were significantly different from 4. Put another way, the $t$ test may tell us what the mean probably isn’t, but it doesn’t tell us what the mean might be.

Second, the one-sample $t$ test didn’t tell us how accurate our estimate of the population mean was. For instance, the $t$ test doesn’t tell us whether our estimate is probably highly accurate, as indicated by a narrow confidence interval, such as one between 3.4 and 3.5, or whether the estimate is imprecise, as indicated by a wide interval, such as one between 1.1 and 3.9. In conclusion, despite the one-sample $t$ test’s popularity, it really doesn’t tell you

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9 The exact number will usually vary from 1.96 to 2.776, depending on how many participants you have. To be more precise, the exact number will depend on your degrees of freedom ($df$)—and your $df$ will be 1 less than your number of participants. For example, if you have a mean based on 11 participants’ scores, your $df$ will be 10. Once you have calculated your $df$, go to the $t$ table (Table 1) in Appendix F. In that table, look under the .05 column (it starts with 12.706) and find the entry corresponding to your $df$. Thus, if you have a $df$ of 10, you would multiply your standard error by 2.228; if you had a $df$ of 120, you would multiply your standard error by 1.98.

10 “Significantly” means reliably. The $t$ of 8.46 was calculated by subtracting the observed mean (3.48) from 4 and then dividing by the standard error of the mean (.06). If the real mean was 4, the chances of getting an observed mean as low or lower than 3.48 are fewer than 5 in 100 ($p < .05$). The “325” refers to the degrees of freedom ($df$) for the test, which is the number of observations minus one (one $df$ is lost computing the one sample mean).
anything more than a confidence interval does—and it sometimes tells you less (Cumming & Finch, 2005).  

**ANALYZING DATA FROM DESCRIPTIVE STUDIES: LOOKING AT RELATIONSHIPS BETWEEN VARIABLES**

Although you can answer an interesting question by describing how one group of participants scored on one measure, you will usually answer more interesting questions if you also look at how participants’ scores on one measure relate to their scores on some other measure. For example, rather than just knowing at what ages children begin to talk, you may want to know what relationship age of talking has with future success. Similarly, rather than knowing the average anxiety levels of teenagers, you might want to know whether boys are less anxious than girls. Sometimes, the simplest way to describe relationships between two variables is to look at two means. For example, you might compare the means for men and the means for women on your measure. Or, you might compare the happiness of a group of lottery winners against a group of people who, other than winning the lottery, seem similar to those lottery winners.

**Comparing Two Means**

To begin to compare the two means, you could subtract the smaller mean from the larger mean to find the difference between means. Then, you could calculate a 95% confidence interval for the difference between the means. You would be interested in seeing whether that confidence interval included 0 because 0 would indicate no (0) difference between the two means. If your confidence interval did not include 0 (e.g., the lower and upper limits were both positive, or the lower and upper limits were both negative), you would be relatively confident that the difference between the means is not zero. In that case, you could say that the means are reliably different. If, on the other hand, your confidence interval included 0 (e.g., the confidence interval includes both a negative number and a positive number), there may be no (0) real difference between your means. In that case, you couldn’t say that the means were reliably different.

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11 Both analyses involve comparing the mean and the standard error, so they both are similar. Indeed, you could use some algebra on the formula for confidence intervals to get the $t$.

12 To estimate the 95% confidence interval, you would (a) multiply the standard error of the differences by 2, (b) subtract that number from the mean to get the lower limit of the confidence interval, and (c) add that number to the mean to get the upper limit of the confidence interval. To get the exact confidence interval, rather than multiplying by 2, you would multiply by the number in the .05 column of the $t$ table (Table 1) in Appendix F corresponding to your degrees of freedom ($df$). Note that your $df$ would be 2 less than your number of participants. Thus, if you had 12 participants, you would have a $df$ of 10 (12–2), and you would multiply your standard error of the differences by 2.228. If you need to calculate the standard error of the differences and you have the same number of participants in each group, you can simply (a) square the standard error of the mean of each group, (b) add those squared terms together, and (c) take the square root. If you need help calculating the standard error of the mean, see footnote 8.
Rather than—or in addition to—the confidence interval, you could compute an independent (between) groups \( t \) test.\(^{13} \) Like confidence intervals that did not include 0, a significant \( t \) test would tell you that the groups were reliably different. However, note what the significant \( t \) test does not tell you. Whereas a confidence interval might tell you about how big the difference was (e.g., between .1 and .2 points or between 3 and 5 points), a significant \( t \) test tells you only that the difference was probably not zero.

The \( t \) test is even less informative when it is not significant. In that case, its results are completely inconclusive. In contrast, using confidence intervals on the same data will tell you two things.

First, as was the case with a significant \( t \), confidence intervals give you some idea about how big the relationship might be. That is, a confidence interval between \(-.1 \) and \(+.1\) indicates the relationship, even if it exists, is small. A confidence interval between \(-.1 \) and 10, on the other hand, hints that a sizable relationship may exist.

Second, confidence intervals give you some idea about whether the failure to find a relationship was due to random error causing the estimates of the difference between means to be inaccurate. For example, if the confidence interval is from \(-.1\) to \(+.1\), we probably have done a good job of dealing with random error. In such a case, we would probably conclude that the difference either doesn’t exist or, if it does, is too small to be of interest. Therefore, you would probably not redo the study to see if you could find a difference. If, on the other hand, the confidence interval ranged from \(-20 \) to \(+20\), your failure to find a difference may be due to having an imprecise estimate of the difference between the means. Therefore, you might try to redo the study by making changes that would (a) reduce random error, such as using more reliable measures or (b) balance out random error’s effects, such as using more participants.

In short, just as confidence intervals of means provide more information than one-sample \( t \) tests, confidence intervals of differences between means provide more information than independent group \( t \) tests. However, independent group \( t \) tests are useful and popular.

**Doing a Median Split to Set Up the \( t \) Test**

To do an independent group \( t \) test, you need two groups. But what if you don’t have two groups? For example, what if you only have participants’ self-esteem scores and grade-point averages (GPA)? In that case, you could use participants’ self-esteem scores to create two groups: participants scoring in the top half on the self-esteem measure (“highs”) and participants scoring in the bottom half (“lows”). Then, you would compare the GPA of the highs to the GPA of the lows. Dividing participants into two groups depending on whether they scored above or below the median (the middle score) on a predictor variable is called a median split.

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\(^{13}\) To compute a \( t \), you would subtract your two group means and then divide by the standard error of the differences. To calculate the standard error of the differences by hand, you have three options: (1) use the formula: standard error of the differences = \(\sqrt{\frac{s_1^2}{N_1} + \frac{s_2^2}{N_2}}\), where \(s_1\) = standard deviation of group 1, \(s_2\) = standard deviation of group 2, \(N_1\) = number of participants in group 1, and \(N_2\) = number of participants in group 2; (2) follow the brief instructions at the end of footnote 12; or (3) follow the more detailed set of instructions in Appendix E.
Doing a median split and then conducting a t test is a common way of analyzing correlational data. You will frequently encounter such analyses in published articles (MacCallum, Zhang, Preacher, & Rucker, 2002).

The Case Against Doing a Median Split. Although the median split is popular, most statisticians argue that there are many reasons not to do it (MacCallum et al., 2002). The main reason is that using a t test based on median splits reduces your ability to find relationships (Cohen, 1990). This is because you have less information with which to work. Put another way, you have less power—ability to find differences—because you are recoding data in a way that hides differences. Instead of using participants’ specific scores, you are using the median split to lump together all the participants who scored above average. Thus, a participant who scores 1 point above average gets the same score—as far as the analysis is concerned—as a participant who scores 50 points above average. Similarly, you are lumping together everyone who scored below average, despite the differences in their scores. In a sense, you are deliberately throwing away information about participants’ scores.

Not surprisingly, some experts object to this waste. Cohen (1990), for example, argues that researchers should not lose power and information by “mutilating” variables. Instead of “throwing away” the information regarding a participant’s specific score by doing a median split, Cohen believes that researchers should do correlational analyses that use participants’ actual scores.

Graphing Scores
To begin using participants’ actual scores, graph your data. Start by labeling the x-axis (the line that goes straight across the page) with the name of your predictor variable. More specifically, go a few spaces below the bottom of the graph and then write the name of your predictor variable. Next, label the other axis, the y-axis (the vertical line on the left side of the graph), with the name of your criterion (outcome) measure. Then, plot each observation.

For example, suppose we were trying to see whether we could use self-esteem to predict grade-point average (GPA). Figure 7.4 shows the beginning

**Figure 7.4** The Beginning of a Scatterplot
of such a graph. As you can see, we have plotted the score of our first participant, a student who has a score of 4 on the self-esteem scale and a 2.0 GPA. As we plot more and more of our data, the points will be scattered throughout the graph. Not surprisingly, then, our graph will be called a scatterplot. There are four basic relationships that the scatterplot could reveal.

**A Positive Relationship**

The scatterplot in Figure 7.5 shows a pattern that indicates that the higher one’s self-esteem, the higher one’s grade-point average is likely to be. Put another way, the lower one’s self-esteem, the lower one’s grade-point average will be. This kind of relationship indicates a positive correlation between the variables. One common example of a positive correlation is the relationship between height and weight: The taller you are, the more you are likely to weigh. Intriguing psychological examples are that smoking is positively correlated with sex drive, coffee drinking, stress, risky behavior, external locus of control (feeling that outside events control your life), negative affect (being in a bad mood), having problems in school, and rebelliousness.

**A Negative Relationship**

The scatterplot in Figure 7.6 shows a second pattern: The higher one’s self-esteem, the lower one’s grade-point average tends to be. Put another way, the lower one’s self-esteem, the higher one’s grade-point average tends to be. This relationship indicates a negative correlation between the variables. Many variables are negatively (inversely) related. One common example of a negative correlation is the relationship between miles run and weight: The more miles you run, the less you tend to weigh. Smoking is negatively correlated with internal locus of control (feeling in control of your life), positive affect (being in a good mood), doing well in school, and conformity.
Note that whether we have a positive or a negative relationship may depend on how we label or measure our variables. For example, suppose we find that people with high self-esteem answer math questions more quickly than people with low self-esteem. In that case, the type of correlation (positive or negative) we obtain will depend on whether we measure quickness in terms of speed (number of questions answered in one minute) or in terms of time (average time it takes to answer one question). If we used speed, we would find a positive correlation between self-esteem and speed (higher self-esteem, higher speed; higher self-esteem, more questions answered in one minute). If, on the other hand, we used time, we would find a negative correlation between self-esteem and time (more self-esteem, less time to answer a question). Similarly, if high self-esteem individuals did better on math tests, we would find a positive correlation between self-esteem and questions correct (higher self-esteem, higher percentage correct) but a negative correlation between self-esteem and questions missed (higher self-esteem, fewer questions missed).

No Relationship
The scatterplot in Figure 7.7 shows a third pattern: no relationship between self-esteem and grade-point average. This pattern reflects a zero correlation between the two variables.

A Nonlinear Relationship
The scatterplot in Figure 7.8 shows a fourth pattern: a nonlinear relationship between self-esteem and grade-point average (GPA). As you can see, in a complex, nonlinear relationship, the relationship between self-esteem and GPA may vary, depending on the level of the variables. Thus, in the low ranges of self-esteem, self-esteem may be positively correlated with GPA, but in the high ranges, self-esteem may be negatively correlated with GPA. Such a pattern could emerge in any situation in which a low amount of a variable
could be too little, a medium amount of a variable could be just right, and a high level of the variable could be too much. For example, with too little motivation, performance may be poor; with a moderate amount of motivation, performance could be good; and with too much motivation, performance might be poor.

**Correlation Coefficients**

Although a graph gives a good picture of your data, you may want to summarize your data with a single number that expresses the “go-togetherness” of the two variables: a correlation coefficient. The kind of correlation...
The coefficient you use will depend on the nature of your data (see Table 7.4). Probably, you will use the most commonly calculated correlation coefficient—the Pearson $r$.

The Pearson $r$, like most correlation coefficients, ranges from $-1$ to $+1$. More importantly, like all correlation coefficients, the Pearson $r$ summarizes the relationship described in a scatterplot with a single number.

The Pearson $r$ will be consistent with the data in your scatterplot. When your scatterplot indicates a positive correlation between the two variables, your correlation coefficient will also be positive. When the scatterplot indicates that your variables are not related, your correlation coefficient will be close to zero. Finally, when your variables are negatively correlated (inversely related), the correlation coefficient will be negative.

### Table 7.4

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<th>Level of measurement required</th>
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<th>Significance test</th>
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<td>Height with weight</td>
<td>Actual scores</td>
<td>$t$ test$^a$</td>
</tr>
<tr>
<td>Point biserial ($r_{pb}$)</td>
<td>One variable is interval, the other nominal or dichotomous (having only two values)</td>
<td>Weight with gender</td>
<td>Actual scores for the interval variable, 0 or 1 for the nominal variable</td>
<td>$t$ test$^a$</td>
</tr>
<tr>
<td>Spearman’s rho ($r_s$)</td>
<td>Ordinal data</td>
<td>High school rank with military rank</td>
<td>Ranks</td>
<td>Chi-square test</td>
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<tr>
<td>Phi coefficient ($\Phi$)</td>
<td>Nominal data</td>
<td>Race with learning style</td>
<td>Zeros and ones: zero if the participant is not a member of a category; 1 if the participant is a member of that category</td>
<td>Chi-square test</td>
</tr>
</tbody>
</table>

$^a$To calculate $t$, you could use the following formula ($n$ refers to the number of participants). $t' = \frac{r \sqrt{n}}{\sqrt{1 - r^2}}(n - 2)$


**Pearson r and the Definition of Correlation**

If you want to compute a Pearson r, you can use a computer, a calculator (links for online calculators are on our website), or a formula. At this point, however, we do not want you to focus on how to compute the Pearson r. Instead, we want you to focus on understanding the logic behind the Pearson r either by relating the Pearson r to (a) the definition of correlation, or (b) graphs of correlational data.

As you know, the correlation coefficient is a number that describes the relationship between two variables. If the variables are positively correlated, when one variable is above average, the other is usually above average. In addition, when one variable is below average, the other tends to be below average. If the variables are negatively correlated, the reverse happens: When one is above average, the other is usually below average.

To see how the Pearson r mathematically matches that description, suppose that we have a pair of scores for each of 20 students: (a) one score telling us whether that student scored above or below average on a vocabulary test that was based on words that a teacher had just tried to teach, and (b) a second score telling us whether that student scored above or below average on a test of picking up on nonverbal cues. To see whether student learning is correlated with sensitivity to nonverbal cues, we go through a two-step process.

First, we add one point for each student whose pair of scores match and subtract a point for each student whose two scores do not match. Given that we have 20 participants, our total could range from –20 (mismatches between the pairs of scores for all 20 participants) to +20 (matches between the pairs of scores for all 20 participants).

Second, to give us a number that could range from –1 to +1, we divide our total by 20 (the number of participants). This number would be a crude index of correlation.

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14 For example, you could use the following formula

\[ r = \frac{N\Sigma XY - (\Sigma X)(\Sigma Y)}{\sqrt{(N\Sigma X^2 - (\Sigma X)^2)(N\Sigma Y^2 - (\Sigma Y)^2)}} \]

N refers to the number of pairs of scores, X refers to scores on the first variable, and Y refers to scores on the second variable. To use this formula, you need to know that \(\Sigma X^2\) means you square everyone’s score on the first variable and then add up all those squared terms, but \((\Sigma X)^2\) means you add up everyone’s scores on the first variable and then square that sum. Similarly, \(\Sigma Y^2\) means you square everyone’s score on the second variable and then add up all those squared terms, but \((\Sigma Y)^2\) means you add up everyone’s scores on the second variable and then square that sum. Finally, whereas \(\Sigma XY\) refers to multiplying each person’s score on the first variable by their score on the Y variable and then adding up all those results, \(\Sigma X\) (\(\Sigma Y\)) means to get the total of all the X scores and multiply that by the total of all the Y scores. If you are not comfortable with formulas and want step-by-step directions for computing Pearson r, see Appendix E.

15 For a published example of a Pearson r calculated on these two variables, see Bernieri (1990).

16 Mathematically, we could do this by first giving the students either a “+1” if they were above average on the test of definitions or a “–1” if they were below average. Then, we would give them either a “+1” if they were above average on the reading nonverbal cues test or a “–1” if they were below average. Finally, we would multiply each person’s scores together. If the person scored the same on both tests, the result would be +1 (because +1 \(\times\) +1 = 1 as does –1 \(\times\) –1). If the person scored differently on the two tests, the result would be –1 (because +1 \(\times\) –1 = –1).
If most students’ scores on the one test correspond with their scores on the other test, our correlation will be positive. If all students’ scores on one test correspond to their scores on the other test, as in the case below, our correlation would equal +1.

<table>
<thead>
<tr>
<th>Words learned</th>
<th>Sensitivity to nonverbal cues</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Below average</td>
</tr>
<tr>
<td>Below average</td>
<td>10</td>
</tr>
<tr>
<td>Above average</td>
<td>0</td>
</tr>
</tbody>
</table>

Conversely, if participants who are above average on one variable are usually below average on the other variable, we will end up with a negative correlation. Indeed, if everyone who is high on one variable is also low on the other, as is the case below, our correlation index would equal −1.

<table>
<thead>
<tr>
<th>Words learned</th>
<th>Sensitivity to nonverbal cues</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Below average</td>
</tr>
<tr>
<td>Below average</td>
<td>0</td>
</tr>
<tr>
<td>Above average</td>
<td>10</td>
</tr>
</tbody>
</table>

Finally, consider the case below in which there is no relationship between the variables. In that case, the mismatches (−1s) cancel out the matches (+1s), so the sum of the points is 0, and our coefficient will end up being 0.

<table>
<thead>
<tr>
<th>Words learned</th>
<th>Sensitivity to nonverbal cues</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Below average</td>
</tr>
<tr>
<td>Below average</td>
<td>5</td>
</tr>
<tr>
<td>Above average</td>
<td>5</td>
</tr>
</tbody>
</table>

Mathematically, the Pearson $r$ is a little more complicated than what we have described. However, if you understand our description, you understand the basic logic behind the Pearson $r$.

**Pearson $r$ and the Scatterplot**

We have discussed how the Pearson $r$ produces a number that is consistent with either a verbal description or a table of the data. Now, we will show how the Pearson $r$ produces a number that is consistent with a graph of the data.

Pearson $r$ could be estimated by drawing a straight line through the points in your scatterplot. If the line slopes upward, the correlation is positive. If the line slopes upward and every point in your scatterplot fits on that line, you have a perfect positive relationship, reflected by a $+1.00$ correlation. Usually, however, there are points that are not on the line (if the line represents the rule, “the higher an individual is on one variable, the higher that individual will be on the second variable,” the points not on the line represent
exceptions to the rule). For each point that is not on the line, the correlation coefficient is made closer to zero by subtracting a value from the coefficient. The farther the point is from the line, the larger the value that is subtracted. Once all the misfit points are accounted for, you end up with the correlation coefficient.

If, on the other hand, the line that fits the points slopes downward, the correlation is negative. If every point fits on that line, you have a perfect negative relationship, reflected by a \(-1.00\) correlation. However, perfect negative relationships are rare. Most of the time, many points will not be on that line. For each point that is not on the line, the correlation coefficient is made closer to zero by adding a value to the coefficient. The farther the point is from the line, the larger the value that is added. After all the misfit points are accounted for, you end up with the correlation coefficient.

As we have just discussed, the correlation coefficient describes how well the points on the scatterplot fit a straight line. That is, the correlation coefficient describes the nature of the linear relationship between your variables. But what if the relationship between your variables is not described by a straight line, but by a curved line? For example, suppose the relationship between your variables was nonlinear, like the nonlinear relationship depicted in Figure 7.8.

The fact that the correlation coefficient examines only the degree to which variables are linearly related is not as severe a drawback as you may think. Why? First, completely nonlinear relationships among variables are rare. Second, even if you encounter a nonlinear relationship, you would know that you had such a relationship by looking at your scatterplot. That is, you would notice that the points on your scatterplot fit a nonlinear pattern, such as a U-shaped curve.

If there is a linear relationship between your variables, the correlation coefficient can tell you how strong this relationship is—if you know what to look for and what to ignore. Ignore the sign of the coefficient. The sign tells you only the kind of relationship you have (the direction, either positive or negative). The sign does not tell you how strong the relationship is.

To get a general idea of how strong the relationship is, look at how far the correlation coefficient is from zero. The further the correlation coefficient is from zero (no relationship), the stronger the relationship. Thus, because \(-.4\) is further from 0 than \(+.2\), a \(-.4\) correlation indicates a stronger relationship than a \(+.2\) correlation.

**The Coefficient of Determination**

To get a better idea of the strength of relationship between two variables, square the correlation coefficient to get the coefficient of determination: an index of the degree to which knowing participants’ scores on one variable helps in predicting what their scores will be on the other variable. The coefficient of determination can range from 0 (knowing participants’ scores on one variable is no help in predicting what their scores will be on the other variable) to 100 (knowing participants’ scores on one variable allows you to know exactly what their scores will be on the other variable). To use more technical terminology, the coefficient of determination can range from 0 (the predictor accounts for 0% of the variation in the other variable) to 100 (the predictor explains 100% of the variance in the other variable).
When we square the correlation coefficients from our previous example, we find that the coefficient of determination for the relationship described by a \( r = -0.4 \) correlation (.16) is much bigger than the coefficient of determination for the relationship described by a \( r = 0.2 \) correlation (.04). In journal articles, researchers might describe the first relationship by saying that 16% \( (-0.4)^2 = 0.16 = 16\% \) of the variability in scores was explained (accounted) for by the relationship between the variables and might describe the second relationship by saying that the relationship explained only 4% \( (0.2)^2 = 0.04 = 4\% \) of the variance.

Note how small a coefficient of determination of .04 is. It is close to the lowest possible value: 0 (knowing participants’ scores on one variable is absolutely no help in predicting what their scores will be on the other variable). It is far away from the highest possible value: \( +1.00 \) (knowing participants’ scores on one variable allows you to know exactly what their scores will be on the other variable). Note that correlation coefficients between \( -0.2 \) and \( +0.2 \) will produce coefficients of determination of .04 or below. Thus, if the correlation between your predictor and outcome variables is between \( -0.2 \) and \( +0.2 \), basing your predictions on your predictor will be only slightly better than simply predicting that everyone will score at the mean.

**Determining Whether a Correlation Coefficient Is Statistically Significant**

On rare occasions, you may want to describe—but not generalize from—a particular sample. If you just want to describe the relationship between self-esteem and grade-point average in one particular class during one particular term, scatterplots, correlation coefficients, and coefficients of determination are all you need.

Most of the time, however, you are interested in generalizing the results obtained in a limited sample to a larger population. You know what happened in this sample, but you want to know what would happen in other samples.

To generalize your results to a larger population, you first need a random sample of that population. If you want to generalize results based on observing a few students in your class to all the students in your class, the participants you examine should be a random sample of class members. If you want to generalize the results based on measuring a few people to all Americans, you must have measured a random sample of Americans. If you want to generalize results based on observing two rats for an hour a day to all the times that the rats are awake, the times you observe the rats must be a random sample from the rats’ waking hours.\(^{17}\)

Random samples, however, are not perfect samples. Even with a random sample, you are going to have sampling error. For example, suppose you studied a random sample of sophomores at your school and found a

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\(^{17}\) Many researchers do not randomly sample from a population, but they still generalize their results. How? They argue that their sample could be considered a random sample of an unknown population. Then, they use statistics to determine whether the results are due to sampling error or whether the results hold in the larger population. If their results are statistically significant, they argue the results hold in this unspecified population. (The “unspecified population” might be “participants I would study at my institution.”)
correlation of $-0.30$ between grade-point average and self-esteem. Clearly, you found a negative correlation in your random sample. However, you can’t say that if you had studied all sophomores at your school, you would have obtained a negative correlation coefficient.

To convince yourself that what happens in a sample does not necessarily mirror what happens in the population, you could conduct the following study. Find three people. Have each person flip a coin one time. Record each person’s height and the number of “heads” (0 or 1) the person flipped. Do this for 10 different “samples” of three individuals. Then, graph each sample individually. Even though there is no reliable relationship between a person’s height and how many “heads” he or she will flip, some of your graphs will reveal a positive correlation, whereas others will reveal a negative correlation.

As you have seen, even if the two variables are not related, they will appear to be related in some samples. That is, a relationship that exists in a particular sample may not exist in the population. Consequently, if you observe a relationship in your sample, you will want to know if you have observed (a) a real pattern that is characteristic of the population or (b) a mirage caused by random sampling error alone.

Fortunately, there is a way to determine whether what is true of your sample is true of the population: Use inferential statistics. Inferential statistics will allow you to determine how likely it is that the relationship you saw in your sample could be due to random error. Specifically, inferential statistics allow you to ask the question: “If there is no relationship between these variables in the population, how likely is it that I would get a correlation coefficient this large in this particular random sample?”

If the answer to this question is “not very likely,” you can be relatively confident that the correlation coefficient in the population is not zero. Therefore, you would conclude that the variables are related. To use proper terminology, you would conclude that your correlation coefficient is significantly (reliably) different from zero (see Figure 7.9).

Precisely which test you use to determine if a correlation coefficient is statistically different from zero depends on which kind of correlation coefficient you have (see Table 7.4). However, regardless of which test you use, the test will determine how unlikely it is that your sample’s correlation coefficient came from a population in which the coefficient between those variables was zero. To determine whether your correlation coefficient comes from such a population, the test will take advantage of two facts about random samples from populations in which the correlation is zero.

First, if the population correlation coefficient is zero, the sample’s correlation coefficient will tend to be near zero. Consequently, the further the
sample’s correlation coefficient is from zero, the less likely the population coefficient is zero. Thus, a correlation coefficient of .8 is more likely to be significantly different from zero than a correlation coefficient of .2.

Second, if the population correlation coefficient is zero, the larger the sample, the more likely that the sample’s correlation coefficient will be near zero. Therefore, the larger the sample, the more likely that a nonzero correlation coefficient indicates that the variables are related in the population. Consequently, a correlation coefficient of .30 is more likely to be significantly different from zero if it comes from a sample of 100 observations than if it comes from a sample of 10 observations.

Interpreting Significant Correlation Coefficients

If a correlation coefficient is significantly different from zero, it should mean that there is a relationship between your variables. That is, the relationship between your variables, rather than being due to random error, is a reliable relationship (see Table 7.5). Note that we have not said that statistically significant results

- Have external validity
- Allow you to make cause–effect statements
- Always indicate a reliable relationship
- Are large

Significant Results May Not Have External Validity

A significant correlation indicates that the relationship you observed probably also exists in the population from which you randomly sampled. So, in your random sample of everyone in your country, if you find a significant correlation, you can generalize your results to your population—everyone in your country.

<table>
<thead>
<tr>
<th>Question asked about a statistically significant result</th>
<th>Answer if you conduct a correlational study</th>
<th>Answer if you conduct an experiment</th>
</tr>
</thead>
<tbody>
<tr>
<td>Are the variables related?</td>
<td>Yes</td>
<td>Yes</td>
</tr>
<tr>
<td>Do we know whether the predictor variable caused changes in the criterion variable?</td>
<td>No</td>
<td>Yes</td>
</tr>
<tr>
<td></td>
<td>1. The experimental design guaranteed that the treatment came before the change in the criterion (dependent) variable.</td>
<td></td>
</tr>
<tr>
<td></td>
<td>2. The experimental design also guaranteed that the treatment was the only systematic difference between treatment conditions. Thus, the relationships between the variables could not be due to some third factor.</td>
<td></td>
</tr>
</tbody>
</table>
country. If, however, your random sample is of students in your class—or if you didn’t use a random sample—significant results do not necessarily generalize to your entire country.

**Significant Results Do Not Allow You to Make Cause–Effect Statements**

Ideally, statistical significance allows you to say that two variables are really related: The relationship you observed is not merely the result of a coincidence. However, even if you know that two variables are related, you do not know that they are causally related. As we said earlier in this chapter, to establish a cause–effect relationship between two variables, you must do much more than establish that your variables are statistically related.

For example, to infer that self-esteem caused low grade-point averages, you would have to show not only that self-esteem and grade-point average are related, but also that:

1. The low self-esteem students had low self-esteem before they got low grades, and the high self-esteem students had high self-esteem before they got high grades.
2. No other differences between your high and low self-esteem individuals could account for this relationship (there were no differences between groups in terms of parental encouragement, IQ, ability to delay gratification, etc.).

**Significant Results May Be False Alarms**

As we’ve seen, significant results in correlational research do not mean that changes in one variable caused a change in the other. At best, significant results mean only that both variables are correlated. However, all too often, significant results don’t even prove that two variables are correlated.

To understand why they don’t, suppose that a researcher is trying to determine whether two variables are correlated. The researcher uses the conventional $p < .05$ significance level, suggesting that a significant result means that if there is no relationship between these variables in the population, the probability ($p$) of obtaining a correlation coefficient this large or larger in this particular random sample is less than 5 in 100. Suppose further that, in reality, the variables aren’t correlated. What are the chances that the researcher will obtain significant results?

You might be tempted to say “about 5%.” You would be correct—if the researcher had conducted only one statistical test. However, because correlational data are often easy to obtain, the researcher might correlate hundreds of variables with hundreds of other variables. If the researcher does hundreds of statistical tests, many of these tests will be significant by chance alone.\(^{18}\) Put another way, if the researcher uses a $p = .05$ level of significance and does 100 tests, the researcher should expect to obtain 5 significant results, even if none of the variables were related. Thus, if you aren’t careful, disciplined, and ethical, you will “find” relationships that are really statistical errors (see Figure 7.10). Therefore, we urge you to resist temptation to have

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\(^{18}\) The exception is if they use a sophisticated multivariate statistical test that controls for making multiple comparisons.
the computer calculate every possible correlation coefficient and then pick out
the ones that are significant. Instead, decide which correlation coefficients
relate to your hypotheses and test to see whether those correlation coefficients
differ from zero.

If you are doing more than one statistical test, there are at least two
things you can do to avoid mistaking a coincidence for a correlation. One
option is to make your significance level more conservative than the tradi-
tional $p < .05$ level. For example, use a $p < .01$ or even a $p < .001$ level. A
second option is to repeat your study with another random sample of partici-
pants to see whether the correlation coefficients that were significantly differ-
ent from zero in the first study are still significant in a second study.

### Significant Results May Be Tiny and Insignificant: Bigger Than Nothing
Isn’t Everything

Even if you establish that the relationship between the variables is reliably dif-
ferent from zero, you have not shown that the relationship is large or impor-
tant. If you had enough observations, a correlation as teeny as .02 could be
statistically significant.

In many cases, the issue is not whether there is a relationship, but
whether the relationship is large enough. Put another way, the question you
should be asking is often not “Are they completely unrelated?” but rather
“Are they strongly related?” For example, if you have two people rating the
same behavior, the question usually isn’t “Do the raters agree at all?” but
rather “To what extent do the raters agree?” Thus, experts would not be
reassured by a correlation between raters of .10 that was significantly different from zero. Instead, they would usually want a correlation of at least .85.

Similarly, if you correlate your measure of a construct with another measure of the same construct, the question isn’t whether the correlation is greater than zero but rather whether the correlation is strong enough to suggest that the two measures are measuring the same thing: You’re not trying to show that there is some overlap between what the two tests measure; you are trying to show that there is considerable overlap. A correlation of .20 between two measures does not suggest that the two measures are measuring the same thing; a correlation of .80 does.

Finally, if you find a significant correlation between responses on two questionnaires you handed out, few psychologists will be impressed. This is because if both your measures are affected to any degree by the same response bias, scores on the measures will correlate to some extent because of response bias. For example, if giving socially acceptable answers tends to increase scores on both your scales, people who are more likely to give such answers will tend to score higher than other people on both measures. Likewise, if an individual tends to agree with items, this may make their responses on one questionnaire similar to their responses on another. Thus, if you find a small correlation between two questionnaires, the correlation does not mean that there is a relationship between the two variables the two measures were designed to measure. Instead, it may mean that both measures are vulnerable to the same response bias.

In short, do not just look at whether a correlation is significantly different from zero. Instead, also look at the correlation’s size, especially its coefficient of determination. Also, consider testing whether your correlation coefficient is significantly (reliably) greater than a certain meaningful value (e.g., .60) rather than just whether it is significantly greater than zero.

**Interpreting Null (Nonsignificant) Correlation Coefficients**

If your results are not statistically significant, it means that you failed to show that any correlations you observed were due to anything other than random error. It does not mean your variables are unrelated—it means only that you have failed to establish that they were related. If there is a relationship, why would you fail to find it? There are four main reasons.

First, you may not have had enough observations. Just as you cannot determine whether a coin is biased by flipping it a few times, you cannot determine whether two variables are related by studying only a few participants. With few participants, even a strong relationship in your sample could be dismissed as being due to chance (just as getting 3 heads in 3 flips could be dismissed as a coincidence that is likely to happen). With more observations, on the other hand, you could argue that chance would be an unlikely explanation for your results (just as getting 100 heads in 100 flips would be unlikely).

Second, you may have failed to find a significant relationship because of restriction of range: You sampled from a population in which everyone is similar on one of the variables. Restriction of range is a problem because to say that both variables vary together, you need both variables to vary. If both variables don’t vary, you end up with correlations of zero. To take an absurd example, suppose you were looking at the relationship between IQ
and grade-point average (GPA), but everyone in your study had a 4.0 GPA. In that case, there would be no relationship in your study between IQ and GPA: No matter what participants’ scored on the IQ test, their GPA would be 4.0. To take a more typical example, suppose that everyone in your sample scored between 125 and 130 on the IQ test. In that case, the correlation between IQ and GPA would be near zero; consequently, the correlation might not be significant. If, on the other hand, your participants’ IQs had ranged from 75 to 175, you would probably have a sizable and statistically significant correlation between IQ and GPA.

Third, you may fail to find a significant relationship because you had insensitive measures. By preventing you from seeing how one variable varies, an insensitive measure also prevents you from seeing how that variable covaries with another variable.

Fourth, your variables may be related in a nonlinear way. This is a problem because most statistical tests are designed to detect straight-line (linear) relationships. Fortunately, you can easily tell whether you have a nonlinear relationship by looking at a scatterplot of your data. If you can draw a straight line through the points of your scatterplot, you don’t have a nonlinear relationship. If, on the other hand, a graph of your data revealed a nonlinear relationship, such as a definite U-shaped curve, you would know that a conventional correlation coefficient underestimates the strength of the relationship between your variables.

**Nonlinear Relationships Between Two Variables**

What if the scatterplot suggests that your variables are related in a nonlinear way? Or, suppose that you hypothesized that there was a nonlinear (curvilinear) relationship between two variables, such as temperature and aggression. That is, suppose you don’t believe that with each degree the temperature rises, aggression increases. Instead, you think there is some curvilinear relationship (see Figure 7.11). You might think that temperature only increases aggression after the temperature goes above 80 degrees Fahrenheit (21°C), or you might think that when the temperature goes over 90 degrees (32°C), aggression declines.

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**FIGURE 7.11** Two Potential Nonlinear Relationships Between Temperature and Aggression
Other cases in which you might look for—and be likely to find—a curvilinear relationship include:

- Accuracy of married couples in reading each other’s minds increases during the first few years of marriage and then decreases (Thomas, Fletcher, & Lange, 1997).
- Happiness increases rapidly as income increases until income is above the poverty level, above which point there is little to no relationship between income and happiness (Helliwell, 2003).
- As scores on happiness (measured on a 1–10 scale) increase from 1 to 7, income increases, but as happiness increases from 8 to 10, income actually decreases (Oishi, Diener, & Lucas, 2007).

To test these kinds of curvilinear hypotheses, experts will often use a type of correlational analysis that uses each person’s actual scores. However, you might test for these relationships by using a less sensitive test that looks for differences between group means. Specifically, you could use a more flexible version of the t test: analysis of variance (ANOVA). (To see the similarities between the t test, ANOVA, and determining whether a correlation is statistically significant, see Box 7.1.)

To set up your ANOVA, you would divide your participants into three or more groups based on their scores on your predictor. For example, if you were studying self-esteem’s relationship to GPA, you might divide participants into three groups: (1) a low self-esteem group, (2) a moderate self-esteem group, and (3) a high self-esteem group. Then, you would compare the means of the three groups. If there was a curvilinear relationship, you might find that the group with moderate self-esteem had higher GPAs than the groups with either low or high self-esteem (see Figure 7.12).

To find out whether the curvilinear pattern you observed was reliable, you would first do an ANOVA. Using a computer program or statistical calculator, you would enter each person’s group number (a “1” for the low self-esteem group, a “2” for the moderate self-esteem group, or a “3” for the high self-esteem group) as the predictor and each person’s GPA as the dependent measure. If your ANOVA was statistically significant, you would know that there was a relationship between self-esteem and GPA. Then, you could do a follow-up test to see whether the relationship was curvilinear by following the instructions in Table 4 in Appendix F.

**Relationships Involving More Than Two Variables**

You can also use ANOVA to look at hypotheses involving two or more predictors. For example, with ANOVA, you could look at how self-esteem and gender together predict grade-point average. Specifically, an ANOVA would allow you to compare the grade-point averages of (1) women with low

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19 The technique is called polynomial regression. Normal regression, called linear regression, enters values on the predictor and looks for the best straight line that can fit the outcome variable. By also adding in the square (the value to the second power) of each value on the predictor to the equation, a researcher can look at the best line with one bend in it that can fit the data. By also adding the cube of each value of the predictor (the value to the third power), a researcher can look at the best line with two bends in it that can fit the data. By taking predictors to even higher powers, researchers can see how well even more complex curves fit the data.
When you have only two groups, doing a $t$ test, an $F$ test, and an analysis of correlation is essentially the same. Thus, in the simple experiment, the three procedures are quite similar. In all three cases, you are seeing whether there is a relationship between the treatment and the dependent variable—that is, whether the treatment and the dependent variable covary.

The only difference is in how you measure the extent to which the treatment and dependent measure covary. In the $t$ test, you use the difference between means of the two groups as your measure of covariation; in the $F$ test, you use a variance between means of the two groups as the measure of covariation; and in testing the significance of a correlation, you use the correlation between the treatment and the dependent variable as the measure of covariation. Consequently, regardless of which technique you use to analyze the results of a simple experiment, significant results will allow you to make cause–effect statements. Furthermore, regardless of which technique you use to analyze the results of a correlational study, significant results will not allow you to make cause–effect statements.

To show you that the three analyses are the same, we have done these three analyses of the same data.

### $t$ Test Analysis

<table>
<thead>
<tr>
<th>Group</th>
<th>N</th>
<th>Mean</th>
<th>$df$</th>
<th>$t$</th>
<th>Probability$^a$</th>
</tr>
</thead>
<tbody>
<tr>
<td>Group 1</td>
<td>59</td>
<td>9.429</td>
<td>115</td>
<td>.87</td>
<td>.3859</td>
</tr>
<tr>
<td>Group 2</td>
<td>58</td>
<td>8.938</td>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

Standard error of the difference $= .565$

$$t = \frac{9.429 - 8.938}{.565} = \frac{.491}{.565} = .87$$

$^a$Probability (often abbreviated as $p$) refers to the chances of finding a relationship in your sample that is as large as the one you found if the two variables were really unrelated in the population. Thus, the smaller $p$ is, the less likely it is that the relationship observed in your sample is just a fluke — and the more likely it is that the variables really are related in the population.

---

**BOX 7.1 The Similarities Between a $t$ Test, an $F$ test, and a Test to Determine Whether a Correlation Coefficient Is Significantly Different From Zero**

<table>
<thead>
<tr>
<th>Analysis of Variance</th>
<th>Source</th>
<th>$df$</th>
<th>Sum of squares</th>
<th>$MS$</th>
<th>$F$ value</th>
<th>Probability</th>
</tr>
</thead>
<tbody>
<tr>
<td>Treatment</td>
<td>1</td>
<td>4.155</td>
<td>4.155</td>
<td>.758</td>
<td>.3859</td>
<td></td>
</tr>
<tr>
<td>Error</td>
<td>115</td>
<td>630.768</td>
<td></td>
<td>5.485</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

**Correlational Analysis**

<table>
<thead>
<tr>
<th>Count</th>
<th>$R$</th>
<th>Probability</th>
</tr>
</thead>
<tbody>
<tr>
<td>117</td>
<td>.081</td>
<td>.3859$^b$</td>
</tr>
</tbody>
</table>

$^b$Note that the probability ($p$) value is exactly the same, no matter what the analysis. That is, our $p$ is .3859 whether we do a $t$ test, an $F$ test, or a correlational analysis. The $t$ that led to this probability value is 0.87, just as it was when we calculated the $t$ between group means. However, because we were testing a correlation, we used a different formula. Applying that formula to our data led to the following computations:

$$t = \frac{.081 \times \sqrt{115}}{\sqrt{.93}} = .868 \times \frac{.996}{.996} = 0.87$$

---

self-esteem, (2) women with high self-esteem, (3) men with low self-esteem, and (4) men with high self-esteem. By doing this analysis, you might find that high self-esteem is related to high grade-point averages for women (e.g., for women, self-esteem and grades are positively correlated), but that high self-esteem is related to low grade-point averages for men (e.g., for men,
self-esteem and grades are negatively correlated). In such a case, gender would be a **moderator variable**: a variable that specifies when certain relationships between other variables will hold; a variable whose presence modifies (strengthens, weakens, reverses) the relationship between two other variables.

If you want to look for moderating variables, you do not have to use ANOVA. Instead, you can use multiple regression. In multiple regression, the computer uses a few predictors (in this case, gender, self-esteem, and a variable that represents the combined effects of both variables) to try to predict participants’ scores on the dependent measure. For more information on multiple regression, see Appendix E.

ANOVA and multiple regression are similar. Indeed, if you have a computer do an ANOVA for you, the devious computer will probably actually do a multiple regression and then just format the output to make it look like it did an ANOVA analysis. Because ANOVA is similar to multiple regression, many people do an ANOVA with correlational data. However, with most correlational data, multiple regression is a more powerful technique than ANOVA.

Multiple regression is more powerful than ANOVA for the same reason a test of the significance of a correlation coefficient is more powerful than a *t* test based on a median split: Multiple regression uses each individual’s actual score on the predictor rather than ANOVA’s trick of giving everyone in the group the same score. For example, in multiple regression, if someone scores 17 on the self-esteem test, that’s the score that is put in the analysis. In ANOVA, on the other hand, you artificially create groups (e.g., “a low self-esteem group” and a “high self-esteem group”) and give everyone in a group the same score on the predictor (e.g., all “lows” get a 1 on self-esteem, and all “highs” get a 2). The costs of lumping together participants into arbitrary groups is that you lose information about the extent to which participants differ on your predictors—and that loss of information, in turn, causes

![Figure 7.12 A Curvilinear Relationship Between Self-Esteem and GPA](image)
you to lose power (see Table 7.6 for a summary of the advantages and disadvantages of using ANOVA to analyze the results of correlational research).

### CONCLUDING REMARKS

In this chapter, you have learned how to conduct several types of descriptive research. You have seen that although descriptive research cannot answer “why” (cause–effect) questions, it can answer “what,” “when,” and “where” questions. Furthermore, you have seen that such questions can be grounded in theory and can involve more than simple relationships between two variables. Although you have learned a great deal about descriptive research, you have not learned about the most common method of doing descriptive research: asking questions. Therefore, the next chapter is devoted to showing you how to conduct surveys.
SUMMARY

1. Descriptive research allows you to describe behavior accurately. The key to descriptive research is to measure and record your variables accurately using a representative sample.

2. Although descriptive research cannot tell you whether one variable causes changes in another, it may suggest cause–effect (causal) hypotheses that you could test in an experiment.

3. Description is an important goal of science. Description also paves the way for prediction.

4. Ex post facto research uses data that you collected before you came up with your hypothesis.

5. Archival research uses data collected and sometimes coded by someone else.

6. With both ex post facto and archival research, data may not have been measured, collected, or coded in a way appropriate for testing your hypothesis.

7. Observational methods are used in both correlational and experimental research.

8. In both naturalistic observation and participant observation, the researcher must be careful that the observer does not affect the observed and that coding is objective.

9. Using preexisting, validated tests in your correlational research may increase the construct validity of your study. As with all research, the external validity of testing research depends on the representativeness of your sample.

10. Using a scatterplot to graph your correlational data will tell you the direction of the relationship (positive or negative) and give you an idea of the strength of the relationship.

11. Correlational coefficients give you one number that represents the direction of the relationship (positive or negative). These numbers range from $-1.00$ to $+1.00$.

12. A positive correlation between two variables indicates that if a participant scores high on one of the variables, the participant will probably also score high on the other.

13. A negative correlation between two variables indicates that if a participant scores high on one of the variables, the participant will probably score low on the other variable.

14. A zero correlation between two variables indicates there is no relationship between how a participant scores on one variable and how that participant will score on another variable. The further a correlation coefficient is away from zero, the stronger the relationship. Thus, a $-0.4$ correlation is stronger than a $+0.3$.

15. By squaring the correlation coefficient, you get the coefficient of determination, which tells you the strength of the relationship between two variables. The coefficient of determination can range from 0 (no relationship) to 1 (perfect relationship). Note that the coefficient of determination of both a $-1$ and a $+1$ correlation coefficient is 1.

16. If your results are based on a random sample, you may want to use inferential statistics to analyze your data.

17. Remember, statistical significance means only that your results can be generalized to the population from which you randomly sampled. Statistical significance does not mean that you have found a cause–effect relationship.

18. Beware of doing too many tests of significance. Remember, if you do 100 tests and use a .05 level of significance, 5 of those tests might be significant by chance alone.

19. You may obtain null (nonsignificant) results even though your variables are related. Common culprits are insufficient number of observations, nonlinear relationships, restriction of range, and insensitive measures.
KEY TERMS

illusory correlations (p. 210)
ex post facto research (p. 212)
archival data (p. 213)
content analysis (p. 215)
instrumentation bias (p. 217)
nonreactive measure (p. 219)
laboratory observation (p. 220)
naturalistic observation (p. 220)
participant observation (p. 220)
standard deviation (SD) (p. 224)
frequency distribution (p. 224)
mode (p. 226)
95% confidence interval (p. 227)
standard error of the mean (p. 227)
median split (p. 230)
scatterplot (p. 232)
positive correlation (p. 232)
negative correlation (p. 232)
zero correlation (p. 233)
correlation coefficient (p. 234)
coefficient of determination (p. 238)
restriction of range (p. 244)
moderator variable (p. 248)

EXERCISES

1. Steinberg and Dornbusch (1991) found that there is a positive correlation between class-cutting and hours per week that adolescents work. In addition, they find a negative correlation between grade-point average and number of hours worked.

   a. In your own words, describe what the relationship is between class-cutting and hours per week that adolescents work.
   b. In your own words, describe what the relationship is between grade-point average and hours per week that adolescents work.
   c. What conclusions can you draw about the effects of work? Why?
   d. If you had been analyzing their data, what analysis would you use? Why?

2. Steinberg and Dornbusch (1991) also reported that the correlation between hours of employment and interest in school was statistically significant. Specifically, they reported that $r(3,989) = -.06, p < .001$. [Note that the $r(3,989)$ means that they had 3,989 participants in their study.] Interpret this finding.

3. Brown (1991) found that a measure of aerobic fitness correlated $+.28$ with a self-report measure of how much people exercised. He also found that the measure of aerobic fitness correlated $-.41$ with resting heart rate. Is resting heart rate or self-report of exercise more closely related to the aerobic fitness measure?

4. In the same study, gender was coded as 1 = male, 2 = female. The correlation between gender and aerobic fitness was $-.58$, which was statistically significant at the $p < .01$ level.

   a. In this study, were men or women more fit?
   b. What would the correlation have been if gender had been coded as 1 = female and 2 = male?
   c. From the information here, can you conclude that one gender tends to be more aerobically fit than the other? Why or why not?

5. Suppose you wanted to see whether men differed from women in terms of the self-descriptions they put in personal ads. How would you get your sample of ads? How would you code your ads? That is, what would your content analysis scheme look like?

6. Suppose that a physician looked at 26 instances of crib death in a certain town and
found that some of these deaths were due to parents suffocating their children. As a result, the physician concluded that most crib deaths in this country are due not to problems in brain development, but to parental abuse and neglect. What problems do you have with the physician’s conclusions?

7. Researchers began by looking at how a sample of 5-year-olds were treated by their parents. Thirty-six years later, when the participants were 41-year-olds, the study examined the degree to which these individuals were socially accomplished. The investigators then looked at the relationship between childrearing practices when the child was 5 and how socially accomplished the person was at 41 (Franz, McClelland, & Weinberger, 1991). They concluded that having a warm and affectionate father or mother was significantly associated with “adult social accomplishment.”

a. What advantages does this prospective study have over a study that asks 41-year-olds to reflect back on their childhood?
b. How would you measure adult social accomplishment?
c. How would you measure parental warmth? Why?
d. Assume, for the moment, that the study clearly established a relationship between parenting practices and adult social accomplishment. Could we then conclude that parenting practices account for (cause) adult social accomplishment? Why or why not?
e. Imagine that the researchers had failed to find a significant relationship between the variables of adult social accomplishment and parental warmth. What might have caused their results to fail to reach significance?

WEB RESOURCES

1. Go to the Chapter 7 section of the book’s student website and
   1. Look over the concept map of the key terms.
   2. Test yourself on the key terms.
   3. Take the Chapter 7 Practice Quiz.

2. Get a better sense of what descriptive research is like by using the “Participate in a Descriptive Study” link.

3. Become more comfortable with correlation coefficients by:
   1. Going through the “Correlator” tutorial.
   2. Computing correlation coefficients using a statistical calculator, accessible from the “Statistical Calculator” link.

4. Get a better sense of the coefficient of determination by clicking on the “Coefficient of Determination” link.
Survey Research

Questions to Ask Before Doing Survey Research
What Is Your Hypothesis?
Can Self-Report Provide Accurate Answers?
To Whom Will Your Results Apply?
Conclusions About the Advantages and Disadvantages of Survey Research

The Advantages and Disadvantages of Different Survey Instruments
Written Instruments
Interviews

Planning a Survey
Deciding on a Research Question
Choosing the Format of Your Questions
Choosing the Format of Your Survey
Editing Questions: Nine Mistakes to Avoid
Sequencing Questions
Putting the Final Touches on Your Survey Instrument
Choosing a Sampling Strategy

Administering the Survey
Analyzing Survey Data
Summarizing Data
Using Inferential Statistics

Concluding Remarks
Summary
Key Terms
Exercises
Web Resources
A fool can ask more questions in an hour than a wise man can answer in seven years.
—English Proverb

A prudent question is one half of wisdom.
—Francis Bacon

CHAPTER OVERVIEW

If you want to know why people do what they do or think what they think, you should use an experimental design. If, on the other hand, you want to know what people are thinking, feeling, or doing, you should use a nonexperimental design, such as a survey.

To conduct a successful survey, you must meet three objectives. First, you must know what your research hypotheses are so that you know what you want to measure. Second, your questionnaire, test, or interview must accurately measure the thoughts, feelings, or behaviors that you want to measure. Third, you must be able to generalize your results to a certain, specific group. This group, called a population, could be anything from all U.S. citizens to all students in your research methods class.

Survey research that fails to meet these three objectives will be flawed. Thus, there are three ways survey research can go wrong.

First, survey research may be flawed because the researchers did not know what they wanted to find out. If you don’t know what you’re looking for, you probably won’t find it. Instead, you will probably be overwhelmed by irrelevant data.

Second, survey research may be flawed because the questionnaire, test, or interview measure has poor construct validity. This occurs when
1. The questions demand knowledge that your respondents don’t have.
2. The questions hint at the answers the researcher wants to hear, leading respondents to lie.
3. The respondents misinterpret the questions.
4. The researcher misinterprets or miscodes respondents’ answers.

Third, survey research may have little external validity because the people who were questioned do not represent the target population. For example, a telephone survey of U.S. citizens that obtained its sample from phone books might underrepresent college students and overrepresent adults over 65 (Blumberg & Luke, 2008).
As you can see, there is more to survey research than asking whatever questions you want to whomever you want. Instead, survey research, like all research, requires careful planning. You must determine whether the survey design is appropriate for your research problem. Then, you must decide what questions you are going to ask, why you are going to ask those questions, to whom you are going to ask those questions, how you are going to ask those questions, and how you are going to analyze the answers to those questions.

Unfortunately, few people engage in the careful planning necessary to conduct sound survey research. Consequently, even though the survey is by far the most commonly used research method, it is also the most commonly abused. By reading this chapter, you can become one of the few people who know how to conduct sound and ethical survey research.

QUESTIONS TO ASK BEFORE DOING SURVEY RESEARCH

The most obvious—but least asked—question in survey research is, “Should I use a survey?” To answer this question correctly, you must answer these five questions:

1. What is my hypothesis?
2. Will I know what to do with the data after I have collected them?
3. Am I interested in either describing or predicting behavior—or do I want to make cause–effect statements?
4. Can I trust respondents’ answers?
5. Do my results apply only to those people who responded to the survey, or do the results apply to a larger group?

What Is Your Hypothesis?

The first question to ask is, “What is my hypothesis?” Because good research begins with a good hypothesis, you might think that everyone would ask this question. Unfortunately, many inexperienced researchers try to write their survey questions without clear research questions. What they haven’t learned is that you can’t ask pertinent questions if you don’t know what you want to ask. Therefore, before you write your first survey question, make sure you have a clear hypothesis on which to base your questions.

Do Your Questions Relate to Your Hypothesis?

Having a hypothesis doesn’t do you much good unless you are disciplined enough to focus your questions on that hypothesis. If you don’t focus your questions on your hypothesis, you may end up with an overwhelming amount of data—and still not find out what you wanted to know. For example, the now-defunct United States Football League (USFL) spent millions of dollars
on surveys to find out whether it should be a spring or fall league. Despite the
fact that it took more than 20 books to summarize the survey results, the sur-
veys did not answer the research question ("Injury Quiets," 1984). So don’t
be seduced by how easy it is to ask a question. Instead, ask questions that
address the purpose of your research.

**TABLE 8.1**
Table to Determine Value of Including Questions From Box 8.1 in the Final Survey

<table>
<thead>
<tr>
<th>Question number</th>
<th>Purpose(s) of question</th>
<th>Predictions regarding question</th>
<th>Analyses to test prediction</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>Qualify. 2. See whether sample reflects the population.</td>
<td>Percent of instructors in sample will be the same as in the population.</td>
<td>Compare percentages of sample at each rank with school’s report of the total faculty at each rank.</td>
</tr>
<tr>
<td>2–3</td>
<td>Find out text messaging habits without asking a leading question.</td>
<td>1. Average number of text messages will be fewer than 25 per week. 2. Professors who text message will be more sympathetic to students than professors who don’t text message. 3. Female faculty members will text message more than male faculty members will. 4. Younger faculty members will text message more than older faculty members will.</td>
<td>1. Compute mean and confidence intervals. 2. Correlate Question 3 with the sum of Questions 6–11. (Graph data to see whether there is a curvilinear relationship.) 3. Correlate Question 3 with Question 16. 4. Correlate Question 3 with Question 15.</td>
</tr>
<tr>
<td>4–5</td>
<td>Engage respondent and help set up the next set of questions.</td>
<td></td>
<td></td>
</tr>
<tr>
<td>6–11</td>
<td>Scale to measure attitudes toward students.</td>
<td>1. Faculty members will have positive attitudes toward students. 2. See predictions made under Questions 2–3.</td>
<td>1. Compute average and confidence intervals for Question 11 and for sum of scale (sum of items 6–11). See whether the mean is significantly above the scale’s midpoint. 2. See analyses described under Questions 2–3.</td>
</tr>
<tr>
<td>12–16</td>
<td>See if sample reflects the population.</td>
<td>Sample will reflect the population.</td>
<td>Compare sample’s demographic characteristics against the demographic characteristics of the school’s faculty.</td>
</tr>
</tbody>
</table>

Asking useful questions involves two steps. First, determine what analyses you plan to do *before* you administer the questionnaire. You can do this by constructing a table like Table 8.1, the table we used to help develop the survey displayed in Box 8.1. If you don’t plan on doing any analyses involving responses to a specific question and the question serves no other purpose, get rid of that question.
BOX 8.1 Sample Telephone Survey

Hello, my name is ____. I am conducting a survey for my Research Design class at Bromo Tech. Your name was drawn as a part of a random sample of university faculty. I would greatly appreciate it if you would answer a few questions about your job and your use of text messaging. The survey should take only 5 minutes. You can skip any questions you wish and you can terminate the interview at any time. If you agree to participate, your answers will be kept confidential. Will you help me?

1. **What is your position at Bromo Tech?** (read as an open-ended question)
   - [ ] Instructor
   - [ ] Assistant Professor
   - [ ] Associate Professor
   - [ ] Full Professor
   - [ ] Other (If other, terminate interview)

2. **Do you text message?**
   - [ ] Yes
   - [ ] No (put “0” in slot for Question 3, and skip to 4)

3. **How many text messages do you send in a typical week?** (read as open-ended question)
   - [ ] (Write number, then put a check next to the appropriate box. If exact number is not given, read categories and check appropriate box.)
   - [ ] <10
   - [ ] 10–50
   - [ ] 51–100
   - [ ] 101–150
   - [ ] 151–200
   - [ ] >201

Please indicate how much you agree or disagree with the following statements. State whether you strongly agree (SA), agree (A), are undecided (U), disagree (D), or strongly disagree (SD).

4. **Text messaging has made the job of the average professor less stressful.**
   - [ ] SA
   - [ ] A
   - [ ] U
   - [ ] D
   - [ ] SD

5. **Text messaging has made the average student’s life less stressful.**
   - [ ] SA
   - [ ] A
   - [ ] U
   - [ ] D
   - [ ] SD

6. **College is stressful for students.**
   - [ ] SA
   - [ ] A
   - [ ] U
   - [ ] D
   - [ ] SD

7. **Colleges need to spend more time on students’ emotional development.**
   - [ ] SA
   - [ ] A
   - [ ] U
   - [ ] D
   - [ ] SD

8. **Colleges need to spend more time on students’ physical development.**
   - [ ] SA
   - [ ] A
   - [ ] U
   - [ ] D
   - [ ] SD

9. **College students should be allowed to postpone tests when they are sick.**
   - [ ] SA
   - [ ] A
   - [ ] U
   - [ ] D
   - [ ] SD

10. **College students work hard on their studies.**
    - [ ] SA
    - [ ] A
    - [ ] U
    - [ ] D
    - [ ] SD

11. **I like college students.**
    - [ ] SA
    - [ ] A
    - [ ] U
    - [ ] D
    - [ ] SD

Demographics
Finally, I have just a few more questions to ensure that we get opinions from a variety of people.

12. **How long have you been teaching at Bromo Tech?**
    - [ ] (Write years, then check the appropriate box. If exact years are not given, read categories and check appropriate box.)
    - [ ] 0–4 years
    - [ ] 5–9 years
    - [ ] 10–14 years
    - [ ] 15–19 years
    - [ ] 20 or more years

*Questions 12–15 can be read as open-ended questions.

(Continued)
Second, with the remaining questions, imagine participants responding in a variety of ways. For example, you may graph the results you predict and results that are completely opposite of what you would predict. If you find that no pattern of answers to a question would provide useful information, eliminate that question. Thus, when doing a survey to test hypotheses, eliminate a question if you determine that no matter how participants answer the question, it wouldn’t disprove any of your hypotheses. Similarly, when doing a survey to help an organization, eliminate a question if you determine that no matter how participants answer the question, it wouldn’t change how that organization runs its business.

**Do You Have a Cause–Effect Hypothesis?**

If your questions focus on the research hypothesis, your survey will be able to address that hypothesis—as long as you do not have a cause–effect hypothesis. To do survey research, you must have a **descriptive hypothesis**: a hypothesis about a group’s characteristics or about the correlations between variables. Usually, you will test one of the following four types of descriptive hypotheses.

First, you may do a survey to find out how many people have a certain characteristic or support a certain position. For example, a social worker may do a survey to find out what percentage of adolescents in the community have contemplated suicide. Similarly, a politician may do a survey to find out...
what percentage of the voters in her district support a certain position. Such surveys can reveal interesting information. For example, one survey of formerly obese individuals found that every individual surveyed “would rather have some disability than be obese again” (Kolata, 2007, p. 69).

Second, you may do a survey to develop a detailed profile of certain groups. You might use surveys to develop a list of differences between those who support gun control and those who don’t or between college students who are happy and those who aren’t. For example, Diener and Seligman (2002) found that very happy college students were more outgoing than other students.

Third, you may do a survey to examine the relationships between two or more variables. For example:

- Davis, Shaver, and Vernon (2004) used a survey to test the hypothesis that attachment styles (being securely attached, being anxiously attached, or being insecurely attached) are related to sex drive and to reasons for having sex.
- Haselton, Buss, Oubaid, and Angleitner (2005) used surveys to test the hypothesis that how upset people will be when their partner lies to them will be related both to the type of lie and to gender. Specifically, the researchers hypothesized that women would be more upset by men lying about their income, whereas men will be more upset about women lying about their past sexual history.
- Oishi, Diener, and Lucas (2007) used surveys to test the hypothesis that, beyond a certain level, happiness is not associated with financial and educational success.
- Lippa (2006) used surveys to test the hypothesis that, for most heterosexual men, increased sex drive is associated with increased sexual attraction to women, but that, for most heterosexual women, increased sex drive is associated with increased sexual attraction to both men and women.
- Swann and Rentfrow (2001) used surveys to test the hypothesis that flirtatiousness—the degree to which a person tends to quickly respond to others by saying whatever thoughts pop into the person’s head—is positively correlated with self-esteem and impulsivity but negatively correlated with shyness.

Fourth, you might want to describe people’s intentions so that you can predict their behavior. For example, news organizations do surveys to predict how people will vote in an election, and market researchers do surveys to find out what products people will buy.

As we have discussed, the survey is a useful tool for finding out what people plan to do. However, the survey is not a useful tool for finding out why people do what they do. Like all nonexperimental designs, the survey design does not allow you to establish causality. Therefore, if you have a cause–effect hypothesis, do not use a survey.

To illustrate why you cannot make causal inferences from a survey design, let’s imagine that you find that professors are more sympathetic toward students than college administrators are. In that case, you cannot say that being an administrator causes people to have less sympathy for students. It could be that professors who didn’t like students became administrators; or, it could be that some other factor (like being bossy) causes one to be an administrator and that factor is also associated with having less sympathy toward students (see Figure 8.1).

Even among students who realize that nonexperimental methods cannot establish causality, some try to use survey methods to establish causality.
They argue that all they have to do to establish causality is ask people why they behaved in a certain manner. However, those students are wrong: People do not necessarily know the causes of their behavior. For example, Nisbett and Wilson (1977) demonstrated that when participants are shown a row of identical television sets, participants will prefer the TV farthest to the right. Yet, when participants are asked why they preferred the TV on the right, nobody says, “I like it because it’s on the right.”

**Can Self-Report Provide Accurate Answers?**

Nisbett and Wilson’s research illustrates a general problem with questioning people: People’s answers may not reflect the truth. People’s self-reports may be inaccurate for four reasons:

1. Participants never knew, and never will know, the answer to your question.
2. Participants no longer remember the information needed to correctly answer your question.
3. Participants do not yet know the correct answer to your question.
4. Participants know the correct answer to your question, but they don’t want to give you the correct answer.

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**FIGURE 8.1 Correlation Does Not Establish Causality**

As you can see, finding that professors who became administrators are less sympathetic to students than other professors is not proof that becoming an administrator causes a loss of sympathy for students. There are at least two other possibilities.
Are You Asking People to Tell More Than They Know?

When you ask people why they did something or how they feel about something, they often don’t know. As research has shown, people are, in a sense, “strangers to themselves” (Haidt, 2006; Wilson, 2002). For example, people may not know why they like (or dislike) broccoli, why they call “heads” more often than “tails,” why they usually wake up right before their alarm goes off, or why they find some comedians funnier than others. In short, although asking people questions about why they behave the way they do is interesting, you can’t accept their answers at face value.

Are You Asking More Than Participants Can Accurately Remember?

As Nisbett and Wilson’s study showed, when people do not know the real cause, they make up a reason—and they believe that reason. Similarly, even though people have forgotten certain facts, they may still think they remember. For example, obese people tend to underreport what they have eaten, and students tend to overreport how much they study. Both groups are surprised when they actually record their own behavior (R. L. Williams & Long, 1983).

Because memory is error prone, you should be careful when interpreting responses that place heavy demands on participants’ memories. If you aren’t skeptical about the meaning of those responses, be assured that your critics will be. Indeed, one of the most commonly heard criticisms of research is that the results are questionable because they are based on retrospective self-reports: participants’ statements about their past behavior.

Are You Asking Participants to Look Into a Crystal Ball?

As bad as people are at remembering the past, they can be even worse about predicting the future. Thus, asking people “What would you do in _____ situation?” may make for interesting conversation, but the answers will often have little to do with what people would actually do if they were in that situation (S. J. Sherman, 1980). For instance, although people who are asked what they would do if they were in a conformity experiment typically report that they would not conform, 60–80% of actual participants do conform. For example, nearly two-thirds of Milgram’s participants went along with an experimenter’s orders to give high-intensity shocks to another person (Milgram, 1974)—and recent replications of the study suggest the same proportion would conform today (Burger, 2007).

As you might expect, people are particularly bad at predicting how they will react to a situation they haven’t experienced. For example, when a committee surveyed high school girls in Illinois to help it decide whether establishing high school volleyball teams in that state would be a waste of time, the surveys indicated that girls had virtually no interest in the sport. But when the committee went ahead and set up leagues, volleyball was the most popular girls’ high school sport in that state (Brennan, 2005).

If Participants Know, Will They Tell?

To this point, we have discussed cases in which participants aren’t giving you the right answer because they don’t know the right answer. However, even when participants know the right answer, they may not share that answer.
with you because they want to impress you, they want to please you, or they don’t want to think about the question.

Social Desirability Bias. If you ask participants questions, you need to be concerned about social desirability bias: participants understating, exaggerating, or lying to give an answer that will make them look good. For instance, if you went by U.S. adults’ survey responses, 40% of U.S. adults regularly attended religious services in the early 1990s. However, research looking at actual attendance suggests that actual attendance was about half that (Hadaway, Marler, & Chaves, 1993). Participants are most likely to commit the social desirability bias when the survey is not anonymous and the question is extremely personal (e.g., “Have you cheated on your spouse?”).

Obeying Demand Characteristics. Sometimes, participants will give you the answer they think you want to hear. Their behavior may be similar to yours when, after having a lousy meal, the server asks you, “Was everything okay?” In such a case, rather than telling the server everything was lousy and ruining his day, you say what you think he wants to hear—“Yes, everything was okay.” In technical terms, you are obeying the demand characteristics of the situation.

Following Response Sets. Rather than think about what answer you want, participants may hardly think about their answers—or your questions—at all. Instead, participants may follow a response set: a habit of responding in a certain, set way, regardless of what the question says. Participants who use the “agree” or “strongly agree” option in response to every rating scale question are following a “yea-saying” response set. Participants who respond “disagree” or “strongly disagree” to every statement are following a “nay-saying” response set. Participants who always choose the “neutral” or “neither agree nor disagree” option are following the central tendency response set.

To Whom Will Your Results Apply?

Even if you have a good set of questions that are all focused on your hypotheses, and you can get accurate answers to those questions, your work is probably not done. Usually, you want to generalize your results beyond the people who responded to your survey. For example, you might survey a couple of classes at your university, not because you want to know what the people in those particular classes believe, but because you hope those classes are a representative sample of your college as a whole. But are they? Unfortunately, they probably aren’t. For example, if you selected a first-year English course because “everybody has to take it,” your sample may exclude seniors. As you will see, obtaining an unbiased sample is difficult.

Even if you start out with an unbiased sample, by the end of the study, your sample may become biased because not everyone in your sample will fill out your questionnaire. In fact, if you do a mail or e-mail survey, don’t be surprised if only 5% of your sample returns the survey. Unfortunately, the 5% who responded are probably not typical of your population. Those 5% probably feel more strongly about the issue than the 95% who did not bother to respond. Because so many people refuse to take part in surveys
and because the few who do respond are different from those who do not respond, one of the most serious threats to the survey design’s external validity is nonresponse bias: members of the original sample refusing to participate in the study, resulting in a biased sample.

**Conclusions About the Advantages and Disadvantages of Survey Research**

A survey can be a relatively inexpensive way to get information about people’s attitudes, beliefs, and behaviors. With a survey, you can collect a lot of information on a large sample in a short time.

Although surveys can be valuable, recognize that if participants’ self-reports are inaccurate, the survey will have poor construct validity. If the sample is biased, the survey will have poor external validity. Finally, no matter what, the survey will have poor internal validity because it cannot reveal why something happened: If you want to know what causes a certain effect, don’t use a survey design.

**THE ADVANTAGES AND DISADVANTAGES OF DIFFERENT SURVEY INSTRUMENTS**

If you decide that a survey is the best approach for your research question, then you need to decide what type of survey instrument you are going to use. You can choose between two main types of survey instruments: (1) questionnaire surveys, in which participants read the questions and then write their responses, and (2) interview surveys, in which participants hear the questions and then speak their responses.

**Written Instruments**

If you are considering a questionnaire survey, you have three options: self-administered questionnaires, investigator-administered questionnaires, and psychological tests. In this section, we will discuss the advantages and disadvantages of these three written instruments.

**Self-Administered Questionnaires**

A self-administered questionnaire, as the name suggests, is filled out by participants in the absence of an investigator. Behavioral scientists, as well as manufacturers, special-interest groups, and magazine publishers, all use self-administered questionnaires. You probably have seen some of these questionnaires in your mail, on the Internet (see Table 8.2), at restaurant tables, and in magazines.

Self-administered questionnaires have two main advantages. First, self-administered questionnaires are easily distributed to a large number of people. Second, self-administered questionnaires often allow anonymity. Allowing respondents to be anonymous may be important if you want honest answers to highly personal questions.

Using a self-administered questionnaire can be a cheap and easy way to get honest answers from thousands of people. However, using a self-administered questionnaire has at least two major drawbacks.

First, surveys that rely on self-administered questionnaires usually have a low return rate. Because the few individuals who return the questionnaire
### Table 8.2

Advantages and Disadvantages of Web Surveys—and Strategies for Dealing With the Disadvantages

<table>
<thead>
<tr>
<th>Characteristic</th>
<th>Advantages</th>
<th>Disadvantages</th>
<th>Comments/solutions</th>
</tr>
</thead>
<tbody>
<tr>
<td>Participants can be anonymous.</td>
<td>- Less social desirability bias (Gosling, Vazire, Srivasta, &amp; John, 2004; Lin, 2004).</td>
<td>- Participants may be underage, may take the survey several times, or may even take it as a group (Nosek, Banaji, &amp; Greenwald, 2002).</td>
<td>- You can delete surveys that come from the same IP address—or ones that come from the same IP address and have similar characteristics (Gosling, Vazire, Srivasta, &amp; John, 2004).</td>
</tr>
<tr>
<td></td>
<td></td>
<td>- Because a passerby could see responses while the participant is taking the survey, responses may not be anonymous (Nosek, Banaji, &amp; Greenwald, 2002).</td>
<td>- You can ask participants whether they have taken the survey before (Gosling, Vazire, Srivasta, &amp; John, 2004).</td>
</tr>
<tr>
<td></td>
<td></td>
<td>- You can ask participants whether they are alone at the computer (Gosling, Vazire, Srivasta, &amp; John, 2002).</td>
<td>- Participants don’t have to be anonymous: You can require them to register for the study (Nosek, Banaji, &amp; Greenwald, 2002).</td>
</tr>
<tr>
<td></td>
<td></td>
<td>- Internet surveys seem to get the same pattern of results as paper-and-pencil surveys. You can compare your results to an off-line sample (Gosling, Vazire, Srivasta, &amp; John, 2004).</td>
<td>- Research finds that the reliability of a measure when administered over the Internet is equivalent to its reliability when administered via paper and pencil (Gosling, Vazire, Srivasta, &amp; John, 2004; Miller et al., 2002; Riva, Teruzzi, &amp; Anolli, 2003). Thus, Internet participants seem to be taking the survey questions as seriously as other participants.</td>
</tr>
<tr>
<td>Researcher exerts less control over participants</td>
<td>- Fewer ethical problems that are due to researcher influencing participant to continue the study (Nosek, Banaji, &amp; Greenwald, 2002).</td>
<td>- Participants might be distracted while filling out the survey and not pay attention to the questions.</td>
<td>- Keeping the survey short can decrease the dropout rate.</td>
</tr>
<tr>
<td></td>
<td></td>
<td>- Participants might not complete the survey.</td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td>- Participants might not get the reassurance or debriefing they need (Nosek, Banaji, &amp; Greenwald, 2002).</td>
<td></td>
</tr>
</tbody>
</table>
may not be typical of the people you tried to survey, you may have a biased sample. In other words, nonresponse bias is a serious problem with self-administered questionnaires.

Second, because the researcher and the respondent are not interacting, problems with the questionnaire can’t be corrected. Thus, if the survey contains an ambiguous question, the researcher can’t help the respondent understand the question. For example, suppose we ask people to rate the degree to which they agree with the statement, “College students work hard.” One respondent might think this question refers to a job a student might hold in addition to school. Another respondent might interpret this to mean, “Students work hard at their studies.” Because respondent and researcher are not interacting, the researcher will have no idea that these two respondents are, in a sense, answering two different questions.

**Investigator-Administered Questionnaires**

To avoid the self-administered questionnaire’s weaknesses, some researchers use the investigator-administered questionnaire. The investigator-administered questionnaire is filled out in the presence of a researcher.

Investigator-administered questionnaires share many of the advantages of the self-administered questionnaire. With both types of measures, many respondents can be surveyed at the same time. With both types of measures,
surveys can be conducted in a variety of locations, including the lab, the street, in class, over the phone, and at respondents’ homes.

A major advantage of having an investigator present is that the investigator can clarify questions for the respondent. In addition, the investigator’s presence encourages participants to respond. As a result, surveys that use investigator-administered questionnaires have a higher response rate than surveys using self-administered questionnaires.

Unfortunately, the investigator’s presence may do more than just increase response rates. The investigator-administered questionnaire may reduce perceived anonymity. Because such respondents feel their answers are less anonymous, respondents to investigator-administered surveys may be less open and honest than respondents to self-administered surveys (see Figure 8.2).

**Psychological Tests: Borrowing From the Best**

An extremely refined form of the investigator-administered questionnaire is the psychological test. Whereas questionnaires are often developed in a matter of days, psychological tests are painstakingly developed over months, years, and, in some cases, decades. Nevertheless, the distinction between questionnaires and tests is sometimes blurred.

One reason there is not always a clear-cut difference between questionnaires and tests is that questionnaires often incorporate questions from psychological tests. For example, in a study of people’s concern about body weight, Pliner, Chaiken, and Flett (1990) incorporated two psychological tests into their questionnaire: Garner and Garfinkel’s (1979) Eating Attitudes Test (EAT) and Janis and Field’s (1959) Feeling of Social Inadequacy Scale.

Even if you do not include a test as part of your questionnaire, try to incorporate the best aspects of psychological tests into your questionnaire. To make your questionnaire as valid as a test, try to follow these seven steps:

1. Pretest your questionnaire (as Schwarz and Oyserman [2001] point out, although it would be best to have volunteers fill out the questionnaire and then interview them about what they were thinking as they answered each question, you can, at the very least, answer your own questionnaire).
2. Standardize the way you administer the questionnaire.
3. Balance out the effects of response-set biases, such as “yea-saying” (always agreeing) and “nay-saying” (always disagreeing) by asking the same question in a variety of ways. For example, you might ask, “How much do you like the President?” as well as, “How much do you dislike the President?”

4. When possible, use “objective” questions (such as multiple-choice questions) that do not require the person scoring the test to interpret the participant’s responses.

5. Prevent scorer bias on those questions that do require the scorer to interpret responses by (a) developing a detailed scoring key for such responses and (b) not letting scorers know the identity of the respondent. If the hypothesis is that male respondents will be more aggressive, for example, do not let coders know whether the survey they are scoring is a man’s or a woman’s.

6. Make a case for your measure’s reliability. About a month after you surveyed your respondents, administer the survey to them again, and see whether they score similarly both times. Finding a strong positive correlation between the two times of measurement would suggest that scores reflect some stable characteristic rather than random error.

7. Make a case for your measure’s validity by correlating it with measures that do not depend on self-report. For example, Steinberg and Dornbusch (1991) justified using self-reported grade-point average (GPA) rather than actual grade-point average by establishing that previous research had shown that school-reported and self-reported GPA were highly correlated.

Written Instruments: A Summary

To review, an investigator-administered survey is generally better than a self-administered survey because administering the survey gives you higher response rates and more control over how the questionnaire is administered. If you follow our seven additional steps to make your questionnaire more like a test, your investigator-administered questionnaire may have almost as much construct validity as a psychological test has.

Interviews

At one level, there is very little difference between the questionnaire and the interview. In both cases, the investigator is interested in participants’ responses to questions. The only difference is that, in an interview, rather than having respondents provide written answers to written questions, the interviewer records respondents’ spoken answers to spoken questions. As subtle as this difference is, it still has important consequences.

One important consequence is that interviews are more time consuming than questionnaires. Whereas you can administer a written questionnaire to many people at once, you should not interview more than one person at a time. If you interviewed more than one participant at a time, what one participant said might depend on what other participants had already said. For example, participants might go along with the group rather than disclosing their true opinions.
Because interviews are more time consuming than questionnaires, they are also more expensive. However, some researchers think interviews are worth the extra expense.

**Advantages of Interviews**
The added expense of the interview buys you additional interaction with the participant. This additional interaction lets you clarify questions that the respondents don’t understand and lets you follow up on responses you do not understand or did not expect—a tremendous asset in exploratory studies in which you have not yet identified all the important variables. The additional personal interaction may also increase your response rate.

**Two Methodological Disadvantages of Interviews**
Unfortunately, the personal nature of the interview creates two major problems. First, there is the problem of interviewer bias: The interviewer may influence respondents’ responses by verbally or nonverbally signaling approval of “correct” answers.

Second, participants may try to impress the interviewer. As a result, rather than telling the truth, participants may give socially desirable responses that would make the interviewer like them or think well of them. Thus, answers may be tainted by the social desirability bias (de Leeuw, 1992).

**Advantages of Telephone Interviews**
Psychologists have found that the telephone interview is less affected by interviewer bias and social desirability bias than the personal interview. Furthermore, in some cases, the telephone interview may have fewer problems with sampling bias than other survey methods.

Because the telephone interviewer can’t see the respondents, the interviewer cannot bias respondents’ responses via subtle visual cues such as frowns, smiles, and eye contact. Furthermore, by monitoring and tape-recording the interviews, you can discourage interviewers from saying anything that might bias respondents’ answers. For example, you could prevent interviewers from changing the wording or order of questions or from giving more enthusiastic and positive verbal feedback (e.g., “Great!”) for answers that support your hypothesis and less enthusiastic feedback (e.g., “Okay”) for answers that do not support your hypothesis.

Because the telephone interviewer can’t see the participants, participants feel more anonymous, which, in turn, appears to reduce desirability bias (Groves & Kahn, 1979). Thus, thanks to the lack of nonverbal cues, the telephone survey may be less vulnerable to both interviewer bias and respondent biases than the personal interview.

The telephone survey also reduces sampling bias by making it easy to get a representative sample. If you have a list of your population’s phone numbers, you can randomly select numbers from that list. If you don’t have a list of the population’s phone numbers, you may still be able to get a random sample of your population by random digit dialing: taking the area code and the 3-digit prefixes that you are interested in and then adding random digits to the end to create 10-digit phone numbers. Note, however, that with random digit dialing, you call many fax numbers and disconnected or unused numbers. Furthermore, you will not contact people who either have no phone or whose only phone is a
cell phone (although it would be technologically possible to call people’s cell phones, the ethical problems—from participants having to pay for the cost of the call, to participants being minors, to participants feeling their privacy has been invaded, to participants divulging private information in a public place, to a participant potentially getting in a car accident while answering your call—are immense; Lavrakas, Shuttles, Steeh, & Fienberg, 2007).

Thus far, we have discussed two basic advantages of telephone interviews. First, partly because there are no visual, nonverbal cues, the telephone survey is superior to the personal interview for reducing both respondent biases and interviewer biases. Second, because it is easy to get a large random sample, the telephone survey may give you the best sample of any survey method. However, the main reason for the popularity of the telephone interview is practicality: The telephone survey is more convenient, less time consuming, and cheaper than the personal interview.

**Disadvantages of Telephone Interviews**

Although there are many advantages to using the telephone interview, you should be aware of its four most serious limitations. First, as with any survey method, there is the possibility of sampling bias. Even if you followed proper random sampling techniques, telephone interviews are limited to those households with landline phones. Although this limitation may not seem serious, realize that many households have cell phones instead of landline phones, and some people do not have any kind of phone (Blumberg & Luke, 2008). Furthermore, if you are drawing your random sample from listed phone numbers, realize that many people (more than 25% of U.S. households) have unlisted numbers (Dillman, 2000).

Second, as with any survey method, nonresponse bias can be a problem. Some people will, after screening their calls through an answering machine or through “caller ID,” choose not to respond to your survey. Indeed, one study reported that 25% of men between the ages of 25 and 34 screen all their calls (Honomichl, 1990). Even when a person does answer the phone, he or she may refuse to answer your questions. In fact, some people get angry when they receive a phone call regarding a telephone survey. We have been yelled at on more than one occasion by people who believe that telephone interviews are a violation of their privacy.

Third, telephone surveys limit you to asking simple and short questions. Rather than focusing on answering your questions, participants’ attention may be focused on the television show they are watching, the ice cream that is melting, or the baby who is crying.

Fourth, by using the telephone survey, you limit yourself to learning only what participants tell you. You can’t see anything for yourself. Thus, if you want to know what race the respondent is, you must ask. You can’t see the respondent or the respondent’s environment—and the respondent knows you can’t. Therefore, a 70-year-old bachelor living in a shack could tell you he’s a 35-year-old millionaire with a wife and five kids. He knows you have no easy way of verifying his fable.

**How to Conduct a Telephone Survey**

After weighing the pros and cons of the different surveys (see Table 8.3), you may decide to conduct a telephone survey. How should you go about it?
## Table 8.3
Comparing Different Ways of Administering Questionnaires

<table>
<thead>
<tr>
<th>Quality of Answers</th>
<th>Personal interview</th>
<th>Phone interview</th>
<th>Investigator administered (to a group)</th>
<th>Self-administered (includes mail surveys, e-mail surveys)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Interviewer bias</td>
<td>Facial expressions and tone of voice could affect responses. However, monitoring interview sessions (e.g., videotaping them or watching them through a one-way mirror) could prevent and detect interviewer bias.</td>
<td>Tone of voice could affect responses. However, having a supervisor monitor interview sessions or taping sessions could prevent and detect interviewer bias.</td>
<td>Minimal interaction with investigator, so little chance of interviewer bias.</td>
<td>No interviewer, no interviewer bias.</td>
</tr>
<tr>
<td>Social desirability bias</td>
<td>Participant may want to impress interviewer.</td>
<td>Participants often feel anonymous.</td>
<td>Participants often feel anonymous.</td>
<td>Participants are anonymous.</td>
</tr>
<tr>
<td>Problems due to participants misunderstanding questions</td>
<td>Interviewer can clarify questions.</td>
<td>Interviewer can clarify questions.</td>
<td>In a group setting, participants are unlikely to ask questions even when they don’t understand.</td>
<td>There may not even be an opportunity for participants to ask the meaning of a question.</td>
</tr>
</tbody>
</table>

### Sampling Issues

<table>
<thead>
<tr>
<th>Geographical difficult diversity</th>
<th>Can easily call difficult people.</th>
<th>Easy to distribute to a broad sample.</th>
</tr>
</thead>
<tbody>
<tr>
<td>Cheaply contacting not usually large representative sample</td>
<td>Long distance calls can easily administer to a large group are affordable.</td>
<td>Very cheap because there is no need to have someone administer the survey.</td>
</tr>
<tr>
<td>Getting a good response rate—Avoiding nonresponse bias</td>
<td>People respond to the personal approach.</td>
<td>May be unable to debrief participants.</td>
</tr>
<tr>
<td>If you precede your call with a letter and high response rate. Low response rate make multiple attempts, nonresponse rate can be reduced.</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

### Ethical Issues

- When administering a measure to a group, you should take steps to make participants feel that their responses cannot be seen by other participants. These steps may include providing a cover sheet, separating participants by at least one desk, allowing participants to put their completed questionnaire in an unmarked envelope, and having participants put their questionnaires into a box (rather than handing the questionnaire to another participant or to the researcher).
- If you use random digit dialing, you get a better sample than you would if you used most other methods; however, some groups will still be underrepresented (e.g., people who do not have phones and, because of the ethical problems involved in calling people’s cell phones, people whose only phone is a cell phone).
- The quality of your initial sample will depend on the method you use. If you use a mail survey, you will probably have a pretty good sample, although you will underrepresent people who have recently moved and the homeless. If you use a web survey, you will underrepresent the poor and people over 30.
Your first step is to determine what population (what particular group) you wish to sample from and figure out a way to get all of their phone numbers. Often, your population is conveniently represented in a telephone book, membership directory, or campus directory. Once you obtain the telephone numbers, you are ready to draw a random sample from your population. (Later in this chapter, you will learn how to draw a random sample.)

When you draw your sample, pull more names than you actually plan to survey. You won’t be able to reach everyone, so you’ll need some alternate names. Usually, we draw 25% more names than we actually plan on interviewing.

Next, do what any good survey researcher would do. That is, as you’ll see in the next section (“Planning a Survey”), (1) decide whether to ask your questions as essay questions, multiple-choice questions, or some other format; (2) edit your questions; and (3) put your questions in a logical order.

After editing your questions and putting them in the right order, further refine your survey. Start by having a friend read the survey to you. Often, you will find that some of your questions don’t “sound” right. Edit them so they sound better. Then, conduct some practice telephone interviews. For example, interview a friend on the phone. The practice interviews may show you that you need to refine your questions further to make them easier to understand. Much of this editing will involve shortening the questions.

Once you’ve made sure your questions are clear and concise, concentrate on keeping your voice clear and slow. Try not to let your tone of voice signal that you want participants to give certain answers. Tape yourself reading the questions, and play it back. Is your voice hinting at the answer you want participants to give? If not, you’re ready to begin calling participants—provided you have (a) taken proper steps to preserve the anonymity of respondents and the confidentiality of their responses, (b) weighed the benefits of the survey against the costs to participants, and (c) received approval from your professor and either your school’s Institutional Review Board (IRB) or your department’s ethics committee.

If you get a busy signal or a phone isn’t answered, try again later. Usually, you should phone a person six to eight times at different times of the day before replacing that person with an alternate name or number.

When you do reach a person, identify yourself and ask for the person on the list—or, if you don’t have a list, randomly select a member of the household who meets your criteria (e.g., “I would like to speak to the adult living in the house who most recently had a birthday.”). Note that if you survey whoever happens to answer the phone, you will bias your sample (because women and more outgoing people are more likely to answer the phone).

Once you are talking with the appropriate person, briefly introduce the study. Tell the person:

- the general purpose of the study (but do not bias the respondents’ answers by stating specific objectives or specific hypotheses)
- the topics that will be covered
- the sponsor of the survey
- the average amount of time it takes to complete the interview
- the steps that you are taking to safeguard the respondent’s confidentiality
- that the respondent is free to skip any question
- that the respondent can quit the interview at any time
After providing this introduction, ask the person whether she or he is willing to participate. If the person agrees, ask each question slowly and clearly. Be prepared to repeat and clarify questions.

Once the survey is completed, thank your respondent. Then, offer to answer any questions. Usually, you should give participants the option of being mailed a summary of the survey results.

PLANNING A SURVEY

Before conducting a telephone survey—or any other type of survey—you need to do some careful planning. In this section, we will take you through the necessary steps in developing and executing your survey.

Deciding on a Research Question

As with all psychological research, the first step in designing a survey is to have a clear research question. You need a hypothesis to guide you if you are to develop a cohesive and useful set of survey questions. Writing a survey without a hypothesis to unify it is like writing a story without a plot: In the end, all you have is a set of disjointed facts that tell you nothing.

Part of developing a clear research question is specifying your target population: all the members of the group that you want to generalize to. Knowing your population will help you word your questions, pretest your questions, and obtain a representative sample of your population.

Not only do you want a clear research question but you also want an important one. Therefore, before you write your first survey question, justify why your research question is important. You should be able to answer at least one of these questions:

1. What information will the survey provide?
2. What practical implications could the survey results have?

Choosing the Format of Your Questions

You’ve decided that you can use a survey to answer your research question. In addition, you’ve also decided what kind of survey instrument (questionnaire or interview) will give you the best answer to your question. Now, you are ready to decide what types of questions to use.

Fixed-Alternative Questions

You might decide to use fixed-alternative questions: questions in which respondents have to choose between two or more answers. Your survey might include several types of fixed-alternative questions: true–false, multiple-choice, and rating scale.

Nominal-Dichotomous Items. Sometimes, fixed-alternative questions ask respondents to tell the researcher whether they belong to a certain category. For example, participants may be asked to categorize themselves according to gender, race, or religion. Because these questions do not tell us about how much of a quality a participant has but instead only whether the person has a
Dichotomous questions—questions that allow only two responses (usually “yes” or “no”)—also give you nominal (qualitative) data because they ask whether a person has a given quality. Often, respondents are asked whether they are a member of a category (e.g., “Are you employed?” or “Are you married?”).

Sometimes, several dichotomous questions are asked at once. Take the question: “Are you African American, Hispanic, Asian, or Caucasian (non-Hispanic)?” Note that this question could be rephrased as several dichotomous questions: “Are you African American?” (“yes” or “no”), “Are you Hispanic?” (“yes” or “no”), and so on. The information is still dichotomous—participants either claim to belong to a category or they don’t. Consequently, the information you get from these questions is still categorical, qualitative information. If you code African American as a “1,” Hispanic as “2,” and so on, there is no logical order to your numbers. Higher numbers would not stand for having more of a quality. In other words, different numbers stand for different types (different qualities) rather than for different amounts (quantities).

The fact that nominal-dichotomous items present participants with only two—usually very different—options has at least two advantages. First, respondents often find it easier to decide between two choices (such as, “Are you for or against animal research?”), than between 13 (e.g., “Rate how favorably you feel toward animal research on a 13-point scale.”). Second, when there are only two very different options, respondents and investigators should have similar interpretations of the options. Therefore, a well-constructed dichotomous item can provide reliable and valid data.

Although there are advantages of offering only two choices, there are also disadvantages. One disadvantage of nominal-dichotomous items is that some respondents will think that their viewpoint is not represented by the two alternatives given. To illustrate this point, consider the following question:

“How would people who are ambivalent toward abortion respond? How would people who are fervently opposed to legalized abortion feel about not being allowed to express the depth of their feelings?

If you have artificially limited your respondents to two alternatives, your respondents may not be the only ones irritated by the fact that your alternatives prevent them from accurately expressing their opinions. You, too, should be annoyed—because by depriving yourself of information about subtle differences among respondents, you deprive yourself of power: the ability to find relationships among variables.

Likert-Type and Interval Items. One way to give yourself power is to use Likert-type items. Likert-type items typically ask participants to respond to a statement by choosing “strongly disagree” (scored a “1”), “disagree” (scored a “2”), “undecided” (“3”), “agree” (“4”), or “strongly agree” (“5”).

Traditionally, most psychologists have assumed that a participant who strongly agrees (a “5”) and a participant who merely agrees (a “4”) differ by
as much, in terms of how they feel, as a participant who is undecided (a “3”) differs from someone who disagrees (a “2”). That is, participants who differ by the same distance on the scale (e.g., 1 point), supposedly differ by the same amount psychologically. In other words, Likert-type scales are assumed to yield interval data (To learn more about interval data, see Chapter 6). Questions 4–11 in Box 8.1 are examples of Likert-type, interval scale items.

Likert-type items are extremely useful in questionnaire construction. Whereas dichotomous items allow respondents only to agree or disagree, Likert-type items give respondents the freedom to strongly agree, agree, be neutral, disagree, or strongly disagree. Thus, Likert-type items yield more information than nominal-dichotomous items. Furthermore, because Likert-type items yield interval data, responses to Likert-type items can be analyzed by more powerful statistical tests than nominal-dichotomous items.

The major disadvantage of Likert-type items is that some respondents may resist the fixed-alternative nature of the question. One approach to this problem is to have a “Don’t Know” option. That way, respondents won’t feel forced into an answer that doesn’t reflect their true position. In an interview, you can often get around the problem by reading a Likert question (e.g., “On a 1, strongly disagree, to 5, strongly agree, scale, do you think college is stressful for students?”) as if it were an open-ended question (e.g., “Do you think college is stressful for students?”) and then recording the participant’s answer under the appropriate alternative. As you can see, many of the questions in Box 8.1 could be read like open-ended items.

Using Likert-Type Items to Create Summated Scores. If you have several Likert-type items that are designed to measure the same variable (such as liking for students), you can sum (add up) each respondent’s answers to all those questions to get a total score for each respondent on that variable. For example, consider Questions 6–11 in Box 8.1. For each of those questions, a “5” indicates a high degree of liking for students, whereas a “1” indicates a low level of liking for students. Therefore, you might add (sum) the answers (scores) for each of those questions to produce a summated score for student liking. Suppose you obtained the following pattern of responses from one professor:

Question 6 = 1 (strongly disagree)
Question 7 = 2 (disagree)
Question 8 = 1 (strongly disagree)
Question 9 = 3 (undecided)
Question 10 = 1 (strongly disagree)
Question 11 = 2 (disagree)

Then, the summated score (total score for liking students) would be 10 (because $1 + 2 + 1 + 3 + 1 + 2 = 10$).

There are two statistical advantages to using summated scores. First, just as a 50-question multiple-choice test is more reliable (less influenced by random error) than a 1-question multiple-choice test, a score based on several questions is more reliable than a score based on a single question. Second, analyses are often simpler for summated scores. If we summed the responses
for Questions 6–11 in Box 8.1, we could compare professors who text message to those who don’t on “student liking” by doing one t test.¹

Without a summated score, you would have to perform six separate t tests, and then correct the t test for the effects of having done multiple analyses.²

Conclusions About Fixed-Alternative Items. You can use fixed-alternative questions for more than asking respondents whether they belong to a certain category, support a certain position, or do a certain behavior. You can use fixed-alternative questions to ask respondents how strongly respondents believe in a certain position. For example, a question might ask, “How much do you agree or disagree with the following statement?” (The fixed alternatives could be strongly agree, agree, disagree, strongly disagree.) Similarly, fixed-alternative questions can ask how much of a certain behavior the person did. For instance, “How many days a week do you study?” (The fixed alternatives could be: a. 0, b. 1, c. 2, d. 3, e. 4, f. 5, g. 6, h. 7.) If asked the right way, these “how many” and “how much” questions can yield interval data (as discussed in Chapter 6, interval data allow you to compare participants in terms of how much of a quality they have).

Unfortunately, many of these “how much” and “how many” questions are not asked the right way; thus, they do not yield interval data. For example, when asking respondents about their grade-point averages, some researchers make 1 = 0.00–0.99, 2 = 1.0–1.69, 3 = 1.7–2.29, 4 = 2.3–2.7, 5 = 2.8–4.0. Note that the response options do not cover equal intervals: The interval covered by option “4” is .4, whereas the range of grade-point averages (GPAs) covered by option “5” is 1.2. Because there aren’t equal intervals between response options, averaging participants’ responses is meaningless.

A better choice of options would be 1 = 0.00–0.99, 2 = 1.00–1.99, 3 = 2.00–2.99, and 4 = 3.00–4.00. Probably the best thing to do would be to abandon the fixed-response format and just ask participants the open-ended question, “What is your grade-point average?”

Open-Ended Questions

Before discussing other situations in which you might want to use open-ended questions, let’s distinguish open-ended questions from fixed-alternative questions. Whereas fixed-response items may resemble multiple-choice questions, open-ended questions may resemble fill-in-the-blank, short-answer, or essay questions. Whereas fixed-response questions force participants to choose among several researcher-determined response options, open-ended questions allow participants to respond in their own words. There are two major advantages of letting participants respond in their own words.

¹To compute a t, you would subtract your two group means and then divide by the standard error of the differences. To calculate the standard error of the differences by hand, you can use the formula: standard error of the mean = √s²/N₁ + s²/N₂. In that formula, s = standard deviation, N = number of participants, ₁ means the symbol refers to group 1, and ₂ means the symbol refers to group 2. Alternatively, you may follow the more detailed set of instructions in Appendix E.

²Alternatively, you could use a more complex statistical procedure, such as multivariate analysis of variance (MANOVA).
First, you avoid putting words in participants’ mouths. To illustrate how fixed alternatives may influence participants, consider the question “What is the most important thing for children to prepare them for life?” When the question was asked as a fixed-alternative question, almost two-thirds of respondents chose the alternative “To think for themselves.” However, when the question was asked as an open-ended question, fewer than 1 in 20 respondents gave any response resembling “To think for themselves” (Schwarz, 1999).

Second, open-ended questions may let you discover the beliefs behind the respondents’ answers to the fixed-alternative questions. In some cases, open-ended questions may reveal that there are no beliefs behind a participant’s answers to the fixed-alternative questions. That is, you might find that although the respondent is dutifully checking and circling responses, the respondent really doesn’t know anything about the topic.

In other cases, asking open-ended questions allows you to discover that respondents making the same ratings have different opinions. For example, consider two professors who respond to Question 11 in Box 8.1, “I like college students” with “undecided.” Open-ended questions may allow you to discover that one professor circles “undecided” because he is new to the college and doesn’t know, whereas the other professor circles “undecided” because she has mixed feelings about students. Without asking open-ended questions, you would not have known that these two respondents have different reasons for giving the same response.

Although there are two major advantages to letting respondents answer in their own words, there are also two major disadvantages. First, open-ended questions are hard for participants to answer. Because of the difficulty of generating their own responses, participants will often skip open-ended questions. Second, answers to open-ended questions are hard to score. Answers may be so varied that you won’t see an obvious way to code them. If you aren’t careful, the coding strategy you finally adopt will be arbitrary.

To help you come up with a logical and systematic method of coding open-ended questions, try to come up with a content analysis scheme (see Chapter 7) before you start collecting data. Once you have done a content analysis, you may convert the information from your open-ended questions into numbers. If you rated answers to a question on a 1 (not at all aggressive) to 5 (extremely aggressive) scale, you would analyze these quantitative ratings as interval data. If you coded responses in terms of whether ideas about loyalty were mentioned (not mentioned = 0, mentioned = 1), you would analyze these qualitative, categorical data as nominal data (to learn more about nominal data, see Chapter 6).

**Choosing the Format of Your Survey**

If you use an interview, in addition to deciding on the format of your questions, you also need to decide on the format of your interview. You have a choice between three interview formats: structured, semistructured, and unstructured.

**Structured Interview**

In psychological research, the most popular interview format is the **structured interview**: an interview in which all respondents are asked a standard list of
questions in a standard order. The structured interview is popular because the structure reduces the risk of interviewer bias and increases reliability. To build on the strengths of the structured interview, consider asking only fixed-alternative questions: By using a standard list of questions, you reduce the risk of interviewer bias—and, by using fixed-alternative questions, you obtain easily interpretable responses.

**Semistructured Interview**

In psychological research, a less popular interview format is the *semistructured interview*. Like the structured interview, the semistructured interview is constructed around a core of standard questions. Unlike the structured interview, however, the interviewer may expand on any question in order to explore a given response in greater depth.

Like the structured interview, the semistructured interview tells you how respondents answered the standard questions. In addition, the semistructured interview allows the investigator to ask additional questions to follow up on any interesting or unexpected answers to the standard questions.

Unfortunately, the advantage of being able to follow up on questions is usually outweighed by two major disadvantages. First, data from the follow-up questions are difficult to interpret because different participants are asked different questions. One can’t compare how Participant 1 and Participant 2 answered follow-up Question 6c if Participant 1 was the only person asked that follow-up question.

Second, even the answers from the standard questions are difficult to interpret because the standard questions were not asked in the same standard way to all participants. Participant 1 might have answered Question 2 right after Question 1, whereas Participant 2 answered Question 2 after answering Question 1 and 10 minutes of follow-up questions. Those follow-up questions might shape the answers to Question 2 (Schwarz, 1999). Thus, in giving the interviewer more freedom to follow up answers, you may be giving the interviewer more freedom to bias the results. In other words, by deciding which answers to probe and how to probe them, the interviewer may affect what participants say in response to the standard questions.

Given the disadvantages of the semistructured interview, when should it be used? Perhaps the best time to use it is when you are conducting a pilot (preliminary) study so that you can better formulate your research question. For instance, you may know a few questions you want to ask, but you also know that, for the most part, you “don’t really know enough to know what to ask.” The standard questions may give you some interpretable data, from which you may be able to get some tentative answers to the specific questions you do have. From the answers to the follow-up questions, you may get some ideas for other questions you could ask in your next survey.

In short, if you do not yet know enough about your respondents or a certain topic area to create a good structured interview, you may want to first conduct a semistructured interview. What you learn from the results of that interview may enable you to generate a good set of questions that you can then use in either a structured interview or a questionnaire.
Unstructured Interview
The unstructured interview is popular in the media, in the analyst’s office, and with inexperienced researchers. In the unstructured interview, interviewers have objectives that they believe can be best met without an imposed structure. Therefore, there isn’t a set of standard questions. The interviewer is free to ask what she wants, how she wants to, and the respondent is free to answer how he pleases. Without standardization, the information is extremely vulnerable to interviewer bias and is usually too disorganized for meaningful analysis.

Because of these problems, the unstructured interview is best used as an exploratory device. As a research tool for reaping meaningful and accurate information, the unstructured survey is limited. As a tool for a beginning researcher, the unstructured interview is virtually worthless.

Editing Questions: Nine Mistakes to Avoid
Now that you have probably decided that you will use either a structured interview or a questionnaire, it’s time to focus on your questions. Although asking questions is a part of everyday life, asking good survey questions is not. Therefore, in this section, you will learn how to avoid nine mistakes people often make when writing questions.

1. Avoid Leading Questions: Ask, Don’t Answer
Remember, your aim is to get accurate information, not to get agreement with your beliefs. Therefore, don’t ask leading questions: questions that clearly lead participants to the answer you want. For example, don’t ask the question, “You disapprove of the biased, horrible way that television news covers the abortion issue, don’t you?” Instead ask, “Do you approve or disapprove of the way television news shows cover the abortion issue?”

2. Avoid Questions That Are Loaded With Social Desirability
Don’t ask questions that have a socially correct answer, such as, “Do you donate money to worthwhile causes?” Generally, the answers to such questions cannot be trusted because participants will respond with the socially desirable answer. Such questions may also contaminate participants’ responses to subsequent questions because such questions may arouse respondents’ suspicions. For instance, the respondent may think, “They said there were no right or wrong answers. They said they just wanted my opinion. But obviously, there are right and wrong answers to this survey.” Or, the respondent may think, “They knew I would give that answer. Anyone would give that answer. This survey is starting to feel like one of those ‘surveys’ used by people who try to sell you something. What are they trying to sell?”

3. Avoid Double-Barreled Questions: “No ands or buts about it”
You wouldn’t think of asking a respondent more than one question at the same time. But that’s exactly what happens when you ask a double-barreled question: more than one question packed into a single question (e.g., “How much do you agree with the following statement: ‘Colleges need to spend more time on students’ emotional and physical development?’”). The responses to this question are uninterpretable because you don’t know whether participants were responding to the first statement, “Colleges need
to spend more time on students’ emotional development,” the second statement, “Colleges need to spend more time on students’ physical development,” or both statements.

As you can see, the conjunction and made the question double-barreled. Almost all double-barreled questions are joined by and or some other conjunction. So when looking over your questions, look suspiciously at all ands, ors, nors, and buts.

4. Avoid Long Questions: Short Is Good

Short questions are less likely to be double-barreled. Furthermore, short questions are easier to understand. A useful guideline is to keep most of your questions under 10 words and all your questions under 20 words.

5. Avoid Negations: No and Not Are Bad

The appearance of a negation, such as no or not, in a questionnaire item increases the possibility of misinterpretation. This is probably because it takes more time to process and interpret a negation than a positively stated item. To illustrate, compare the next two questions: “Do you not like it when students don’t study?” versus “Do you like it when students study?”

6. Avoid Irrelevant Questions

Make sure your questions seem relevant to your participants and that your questions are relevant to your research question. For example, “Do you eat fondue?” is irrelevant to the research question, “Are professors who use text messaging more sympathetic to students?”

Although there are many reasons not to ask irrelevant questions, the most important reason is that such questions annoy respondents. If you ask an irrelevant question, many respondents will conclude that you are either incompetent or disrespectful. Because they have lost respect for you, they will be less likely to give accurate answers to the rest of your questions. In fact, they may even refuse to continue with the survey.

7. Avoid Poorly Worded Response Options

From your experiences with multiple-choice tests, you are keenly aware that the response options are part of the question. The options you choose will affect the answers that participants give (Schwarz, 1999). Therefore, you should carefully consider how to word each option and how many options you will include.

As a general rule, the more options you provide, the greater your ability to detect subtle differences between participants’ answers. According to this rule, if you use a 1-to-7 scale, you may find differences that you would have failed to find had you used a 1-to-3 scale.

However, like most rules, this one has exceptions. If you give participants too many options, participants may be overwhelmed. Likewise, if the options are too similar, participants may be confused. The easiest way to determine how many options are appropriate is to pretest your questions.
8. **Avoid Big Words**

Your task is not to impress respondents with your large vocabulary. Instead, your task is to make sure respondents understand you; therefore, use simple words and avoid jargon.

9. **Avoid Words and Terms That May Be Misinterpreted**

To make sure that participants know exactly what you are talking about, take three steps. First, avoid abbreviations and slang terms. Abbreviations that are meaningful to you may be meaningless to some respondents. Similarly, slang terms often have different meanings to different groups. Thus, if you want to know people’s attitudes toward marijuana, use the word “marijuana” rather than a slang term like “dope.” Dope may be interpreted as meaning marijuana, heroin, or all drugs.

Second, be specific. If you want to know whether your respondents like college students, don’t ask, “How do you feel about students?” Instead, ask, “Do you like college students?”

Third, pretest the questions on members of your target population. Often, the only way to find out that a question or term will be misinterpreted is by asking members of your target group what they think the question means. For example, through extensive pretesting, you might find that a seemingly straightforward question such as, “Should Pittsburgh increase coke production?” may be interpreted in at least five different ways:

1. Should Pittsburgh increase cocaine production?
2. Should Pittsburgh increase coal production?
3. Should Pittsburgh increase steel production?
4. Should Pittsburgh increase soft drink production?
5. Should Pittsburgh increase Coca-Cola production?

Similarly, if you were asking about sex, your participants may or may not consider masturbation and oral sex as instances of sex. If pretesting shows that participants will not interpret the word the way you intend, you may need to use another word or you may need to define the term (e.g., “For the purpose of this survey, consider sex to include masturbation, oral sex, and sexual intercourse.”).

In conclusion, even if you carefully evaluate and edit each question, there are some problems that you can discover only by having people try to answer your questions. Therefore, **pretesting questions is one of the most important steps in developing questions.**

**Sequencing Questions**

Once you have edited and pretested your questions, you need to decide in what order to ask them. Ordering questions is important because the sequence of questions can influence results (Krosnick & Schuman, 1988; Schwarz & Oyserman, 2001). To appropriately sequence questions, follow these five rules:

1. Put innocuous questions first, personal questions last.
2. Qualify early.
4. Keep similar questions together.
5. Put demographic questions last.
1. Put Innocuous Questions First, Personal Questions Last
Participants are often tense or anxious at the beginning of a survey. They don’t know what to expect. They don’t know whether they should continue the survey. Indeed, they may be looking for an excuse to quit the survey. Thus, if the first question is extremely personal, participants may decide to withdraw from the survey. Even if participants don’t withdraw, starting them out with a personal question may put them on the defensive for the entire survey. If, on the other hand, your first questions are simple, interesting, innocuous, and nonthreatening, participants may relax and feel comfortable enough to respond frankly to personal questions.3

Putting the most sensitive questions at the end of your survey will not only give you more honest responses but also more responses. To illustrate, suppose that you have a 20-item survey in which all but one of the questions are relatively innocuous. If you put the sensitive item first, respondents may quit the survey immediately. Because this item was the first question you asked, you have gathered no information whatsoever. If, on the other hand, you put the sensitive item last, respondents may answer the question because they have a deeper involvement with both you and the survey than they did at the beginning. Furthermore, even if they quit, you still have their responses to 19 of the 20 questions.

2. Qualify Early
If people must meet certain qualifications to be asked certain questions, find out if your participant has those qualifications before asking her those questions. In other words, don’t ask people questions that don’t apply to them. There is no need to waste their time—and yours—by collecting useless information. Participants don’t like having to repeatedly answer questions by saying, “Doesn’t apply.”

The survey in Box 8.1 begins with a simple qualifying question: “What is your position at Bromo Tech?” This question establishes the presence of two qualifications for the survey: (1) that the person is a professor, and (2) the person teaches at Bromo Tech. If a respondent doesn’t meet these qualifications, the survey is terminated. By terminating the survey early in the interview, we save our time, the respondent’s time, and our client’s money.

3. Be Aware of Response Sets
If all your questions have the same response options, some participants may lock onto one of those options. For example, if each question has the alternatives, “Strongly Agree, Agree, Neutral, Disagree, Strongly Disagree,” some respondents may circle the option “Neutral” for every question. By always checking the neutral option, they can get the questionnaire over with as soon as possible.

3 Not everyone agrees with this rule. For example, Dillman (1978) suggests that surveys should start with questions that hook the respondents’ interest. If you are having trouble getting people to participate in your survey, you might consider Dillman’s advice. However, when we have carefully explained the purpose of the survey before administering it (in accordance with the principle of informed consent), participants who start the survey usually finish it.
To avoid the neutral response set, you may want to eliminate the neutral option. However, you will still be vulnerable to response sets because the neutral response set isn’t the only response bias. As we mentioned earlier, there are a variety of response sets, including the “yea-saying” (always agreeing) and the “nay-saying” (always disagreeing) biases.

One of the most common ways of dealing with response sets is to alternate the way you phrase the questions. You might ask respondents to strongly agree, agree, disagree, or strongly disagree to the statement, “Most students work hard on their studies.” Then, later in the questionnaire, you could ask them to strongly agree, agree, disagree, or strongly disagree with the statement, “Most students are lazy when it comes to their studies.”

4. Keep Similar Questions Together

There are three reasons why you get more accurate responses when you keep related questions together.

First, your participants will perceive the survey to be organized and professional. Therefore, they will take the survey seriously.

Second, participants will be less likely to misunderstand your questions. You minimize the problem of participants thinking that you are asking about one thing when you are really asking about another topic.

Third, because you ask all the related questions together, participants are already thinking about the topic before you ask the question. Because they are already thinking about the topic, they can respond quickly and accurately. If respondents aren’t thinking about the topic before you ask the question, it may take some respondents a while to think of the answer to the question. At best, this makes for some long pauses. At worst, respondents will avoid long pauses by saying they don’t know or by making up an answer.

5. Put Demographic Questions Last

In addition to writing items that directly address your research question, you should ask some questions that will reveal your sample’s demographics: statistics relating to the age, sex, education level, and other characteristics of the group or its members. In our survey of college professors (see Box 8.1), we asked four demographic questions (Questions 12–15).

By comparing our sample’s responses to these demographic questions with our population’s demographics, we may be able to detect problems with our sample. For example, we can look in the college catalog or go to the personnel office to find out what percentage of the population we are interested in (all teachers at Bromo Tech) are men. Then, we can compare our sample demographics to these population demographics. If we found that 75% of the faculty are men, but that only 25% of our sample were men, we would know that our sample wasn’t representative of the faculty.

Note that we, like most researchers, put the demographic questions last (Questions 12–15). We put them last for two reasons. First, respondents are initially suspicious of questions that do not clearly relate to the purpose of the survey. Second, people seem increasingly reluctant to provide demographic data. To reduce suspiciousness and increase openness, we try to put our respondents at ease before we ask demographic questions.
Putting the Final Touches on Your Survey Instrument

You’ve written your questions, carefully sequenced them, and pretested them. Now, you should carefully proofread and pretest your questionnaire to make sure that it is accurate, easy to read, and easy to score.

Obviously, participants are more likely to take your research seriously if your questionnaire looks professional. Therefore, your final copy of the questionnaire should be free of smudges and spelling errors. The spaces between questions should be uniform.

Even though the questionnaire is neatly typed, certain key words may have been scrambled and omitted. At best, these scrambled or missing words could cause embarrassment. At worst, they would cause you to lose data. Therefore, not only should you proofread the questionnaire to ensure that the form of the questionnaire looks professional, but you should also pretest the questionnaire to ensure that the content is professional.

Once you have thoroughly checked and rechecked both the form and the content of the questionnaire, you should fill out the questionnaire and then code your own responses. Then, you should consider three strategies for making coding easier.

1. Put the answer blocks in the left margin. This will allow you to score each page quickly because you can go straight down the page without shifting your gaze from left to right and without having to filter out extraneous information (see Box 8.1).
2. Have respondents put their answers on a separate answer sheet. With an answer sheet, you don’t have to look through and around questions to find the answers. The answer sheet is an especially good idea when your questionnaire is longer than one page because the answer sheet saves you the trouble of turning pages.
3. Have participants put their responses on a coding sheet that can be scored by computer. Computer scoring is less time consuming, less tedious, and more accurate than hand scoring.

Choosing a Sampling Strategy

You have decided what questions you will ask and how you will ask them. You know why you are asking the questions: Your questions will answer a question you have about your population. Your next step is to decide who, of all the people in your population, will be in your sample (as the Ghostbusters put it, “Who you gonna call?”). If your population is extremely small (all art history teachers at your school), you may decide to survey every member of your population. Usually, however, your population is so large that you can’t easily survey everyone. Therefore, instead of surveying the entire population, you will survey a sample of people from that population. Whether you acquire your sample by a probability sampling method such as pure random sampling or proportionate stratified random sampling, or whether you use a nonprobability sampling method such as convenience sampling or quota sampling, your goal is to get a sample that is representative of your population.
Random Sampling

In random sampling, each member of the population has an equal chance of being selected. Furthermore, the selection of respondents is independent: the selection of a given person has no influence on the selection or exclusion of other members of the population from the sample. For example, having selected Sam doesn’t have any effect on whether you will select Mary.

Obtaining a Random Sample. To select a random sample for a survey, you would first identify every member of your population. Next, you would go to a random numbers table and use that table to assign each member of the population a random number. Then, you would rank each member from lowest to highest based on the size of his or her random number. Thus, if a person were assigned the random number 00000, that person would be the first person on the list, whereas a person assigned the number 99999 would be the last person on the list. You would select your sample by selecting names from the beginning of this list until you got the sample size you needed. If you needed 100 respondents, you would select the first 100 names on the list.

As you can imagine, random sampling can be time consuming. First, you have to identify every member of the population—and have a way of contacting them. Identifying every member of the population can be a chore, depending on your population. Obtaining their contact information can be a real nightmare—especially if you are trying to get their e-mail addresses. If you are interested in a student sample, then a trip to the registrar’s office might yield a list of all currently enrolled students and their phone numbers. In fact, most schools can generate a computerized random sample of students for you. If your population is your local community, the local telephone book may help you assess much of that population. However, realize that the phone book will leave out people who can’t afford or choose not to have phones, people who use only their cell phones, people who have recently moved, and people with unlisted numbers. If you have the money, you can avoid many of these problems by purchasing phone lists from marketing research firms.

After you’ve identified the population and obtained the best list of that population you can get, you have to assign random numbers to your potential respondents. Just the first step—assigning random numbers to all members of a population—can be cumbersome and time consuming. Imagine assigning 1 million random numbers to names! But after that’s done, you still have to order the names based on these random numbers to determine whom you will sample. Fortunately, computers can eliminate many of the headaches of random sampling—especially if you can find a computer file or database that already has all the names of everybody in your population.

Despite the hassles involved with random sampling, researchers willingly use it because random sampling allows them to generalize the results of one study to a larger population. To be more specific, you can use inferential statistics to infer the characteristics of a population from a random sample of that population.

Determining an Appropriate Sample Size. As you know, your random sample may differ from the population by chance. For example, although 51% of the people in your population are women, perhaps only 49% of the people
in your random sample will be women. You also know that you can reduce random sampling error by increasing your sample size. In other words, a random sample of 10,000 will tend to reflect the population more accurately than a random sample of 10. However, surveying 10,000 people may cost more time and energy than the added accuracy it buys. To determine how many people you will need to randomly sample, consult Table 8.4.

**TABLE 8.4**

<table>
<thead>
<tr>
<th>Sampling Error</th>
<th>5%</th>
<th>3%</th>
<th>1%</th>
</tr>
</thead>
<tbody>
<tr>
<td>Size of the Population</td>
<td>Minimum sample size required</td>
<td></td>
<td></td>
</tr>
<tr>
<td>50</td>
<td>44</td>
<td>48</td>
<td>50</td>
</tr>
<tr>
<td>100</td>
<td>79</td>
<td>92</td>
<td>99</td>
</tr>
<tr>
<td>200</td>
<td>132</td>
<td>169</td>
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</tr>
<tr>
<td>500</td>
<td>217</td>
<td>343</td>
<td>476</td>
</tr>
<tr>
<td>1,000</td>
<td>278</td>
<td>521</td>
<td>907</td>
</tr>
<tr>
<td>2,000</td>
<td>322</td>
<td>705</td>
<td>1,661</td>
</tr>
<tr>
<td>5,000</td>
<td>357</td>
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<td>10,000</td>
<td>370</td>
<td>982</td>
<td>4,950</td>
</tr>
<tr>
<td>20,000</td>
<td>377</td>
<td>1,033</td>
<td>6,578</td>
</tr>
<tr>
<td>50,000</td>
<td>381</td>
<td>1,066</td>
<td>8,195</td>
</tr>
<tr>
<td>100,000</td>
<td>383</td>
<td>1,077</td>
<td>8,926</td>
</tr>
<tr>
<td>1,000,000</td>
<td>384</td>
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<tr>
<td>100,000,000</td>
<td>384</td>
<td>1,089</td>
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</tr>
</tbody>
</table>

**Example of how this table works:** If you are sampling from a population that consists of 50 people and you want to be 95% confident that your results will be within 5% of the true percentage in the population, you need to randomly sample at least 44 people.

Note: Table provided by David Van Amburg of MarketSource, Inc.

**Proportionate Stratified Random Sampling**

What if you can’t afford to survey as many people as Table 8.4 says you need? Then, if you use pure random sampling, random sampling error may cause your sample to be less representative than you would like. With pure random sampling, the only defense you have against random sampling error is a large sample size.

With proportionate stratified random sampling, on the other hand, you don’t leave the representativeness of your sample entirely to chance. Instead, you make sure that the sample is similar to the population in certain respects. For example, if you know that the population is 75% male and 25% female,
you make sure your sample is 75% male and 25% female. You would accomplish this goal by dividing your population (stratum) into two subpopulations, or substrata. One substratum would consist of the population’s men, the other substratum would consist of the population’s women. Next, you would decide on how many respondents you would sample from each substratum (e.g., you might sample 75 from the male stratum and 25 from the female stratum). Finally, you would draw random samples from each substratum. In this last step, the only difference between proportionate stratified random sampling and basic random sampling is that you are collecting two random samples from two substrata (e.g., male professors and female professors), rather than one sample from the main population (e.g., professors).

By using proportionate stratified random sampling, you have all the advantages of random sampling, but you don’t need to sample nearly as many people. Thus, thanks to proportionate stratified sampling, the Gallup Poll can predict the outcome of U.S. presidential elections based on samples of only 300 people. Furthermore, a proportionate stratified random sample ensures that your sample matches the population on certain key variables.

**Convenience Sampling**

In *convenience sampling* (also called accidental sampling, haphazard sampling, and nonprobability sampling), you simply sample people who are easy to survey. Convenience surveys are very common. Newspapers ask people to e-mail their responses to a survey question, and radio stations ask people to call in their reactions to a question. Even television stations sometimes ask viewers to express their views by text messaging or by filling out a survey on the station’s website.

To see how you would get a convenience sample, suppose that you were given 1 week to get 1,000 responses to a questionnaire. What would you do?

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4If you are going to do stratified random sampling, typically you will do proportionate random sampling. That is, if the first stratum comprises ¾ of the population and the second was ¼ of the population, ¾ of your total sample would be from the first population and ¼ would be from the second population. In other words, the size of your sample from the first stratum would be 3 times as big as your sample from the second stratum. However, there are cases in which you would not do proportionate random sampling. For example, suppose that you wanted a sample of at least 100 persons from a certain subgroup (stratum) so that you could make relatively precise statements about that subgroup, but that subgroup (stratum) made up a tiny percentage of the population (e.g., 1%). If you used proportionate sampling, to get 100 people from a subgroup that made up only 1% of the population, you would need a total sample of 10,000 (10,000 × .01 = 100) people (9,900 of which would be from the majority group). In such a case, you would probably use disproportionate random sampling. For example, you might sample 100 from your 1% group and 100 from your 99% group. To make estimates of the total population’s behavior, you have to correct for oversampling from the 1% group. For example, if the average rating on a −50 (extremely dissatisfied) to +50 (extremely satisfied) scale was −20 for your 1% group and +20 for your 99% group, you should not estimate the population satisfaction at 0. Instead, you should give each response from a member of your 99% stratum 99 times more weight than you would give a response from the 1% group. Consequently, you would multiply the average of the 99% group by 99, multiply the average of the 1% group by 1, add those two results, and then divide by 100 to get your estimate of the population’s satisfaction: +19.6 ([(99 × 20) + (1 × −20)]/100).

5As of this writing, the Gallup poll has successfully predicted the winner in the last eight presidential elections and has usually been accurate within a percentage point in predicting the actual percentage the losing candidate will get.
Provided you had approval from your school’s institutional review board (IRB), you might (a) go to areas where you would expect to find lots of people, such as a shopping mall; (b) ask your professors if you could do a survey in their classes; (c) put an ad in the newspaper, offering people money if they would respond to a questionnaire; or (d) put your survey on the Internet.

Although you can use convenience sampling techniques to get a relatively large sample quickly, you do not know whether the sample represents your population. Your best bet is that it does not (see Figure 8.3). In fact, if your respondents are actively volunteering to be in your survey, you can bet that your sample is biased. People who call in to radio shows, write letters in response to questions in the newspaper, or respond to ads asking for people to be in a survey do not represent a significant portion of the population: people without the time or desire to respond to such surveys.

**Quota Sampling**

Quota sampling is designed to make your convenience sample more representative of the population. Like proportionate stratified random sampling, quota sampling is designed to guarantee that your sample matched the population on certain characteristics. For instance, you might make sure that 25% of your sample was female, or that 20% of your sample was Hispanic.
Unlike proportionate stratified random sampling, however, quota sampling doesn’t involve random sampling. So, even though you met your quotas, your sample may not reflect the population at all. For example, you may meet your 20% quota of Hispanics by hanging around a hotel where there is a convention of high school Spanish teachers; obviously, the Hispanics in your survey would not be representative of the Hispanics in your community.

**Conclusions About Sampling Techniques**

If we were to rank sampling techniques in terms of their ability to produce representative samples, the rankings would be:

1. Proportionate stratified random sampling
2. Random sampling
3. Quota sampling
4. Convenience sampling

To get samples that represent your population, we recommend that you use either simple random sampling or proportionate stratified random sampling. A sample of 400 people using either of these random sampling techniques will get you a more representative sample of a large population than a sample of a million people using nonrandom sampling. Unfortunately, Kinsey, a biologist turned sex researcher, did not appreciate this fact. Because he stubbornly used nonrandom sampling, Kinsey collected much more data than he needed to and was able to draw far fewer legitimate conclusions than he should have.

Note, however, that random sampling will not be accurate unless you have an accurate list of your population—and you may not be able to get such a list. For example, if you wanted to randomly sample people who will vote in the next election, the list of such voters does not exist. You can get a list of registered voters, you can get a list of voters who have voted in the last few elections, but you cannot get a list of only those people who will vote in the next election.

Although most polling organizations do a decent job of maintaining a good list of the population, some use poor lists. One of the most infamous cases of working from a poor list was the poll that led to the headline you may have seen in a history book: “Dewey beats Truman.” The problem was that the list the polling company worked from was compiled from telephone books and automobile registrations. Back in 1936, the wealthy were much more likely to have phones, to have cars, and to be Republicans. Thus, the poll of Republicans yielded a strong preference for the Republican candidate (Dewey) rather than the actual winner (Truman).

However, even if you have a perfect list and draw a perfect sample from that list, you may not end up with a perfect sample because of nonresponse bias (see Figure 8.4). In other words, your sample will not represent members of the population who choose not to respond. Nonresponse bias is so powerful that it can even cause exit polls of voters to be inaccurate. For example, in the 2004 election, it appeared that Bush voters were less likely to participate in exit polls than Kerry voters, thus making it appear that Kerry had defeated Bush.
There are two things you can do about the bias caused by nonresponse. First, you can get your response rate so high that nonresponse is not a big problem. For instance, by mailing out information to participants in advance, by keeping the survey short, and by calling people back repeatedly, some telephone interviewers have obtained response rates of 97% or better.

Second, keep detailed records on the people who refused. If possible, unobtrusively record their sex, race, and estimated age. By knowing who is dropping out of your sample, you may know to whom your results don’t apply.

**ADMINISTERING THE SURVEY**

You have your survey questions. You’ve carefully sequenced your questions, and you’ve determined your sampling technique. You have weighed the benefits and the risks of doing your survey, and you have taken steps to maintain your participants’ confidentiality. You have had your study approved by your professor and either your department’s ethics committee or your school’s Institutional Review Board (IRB). Now it’s time for you to actually administer your survey.

As with any research, you must follow APA’s ethical guidelines (APA, 2002) and conduct yourself professionally (see Appendix D: “Practical Tips for Conducting an Ethical and Valid Study”). For example, participants should always be greeted. If participants can’t be greeted in person (e.g., you have a mail questionnaire), the questionnaire should be accompanied by a
written greeting: a cover letter. In this written greeting, you should introduce yourself, explain the nature of your study, and request the participant’s help—just as you would if you were greeting the participant in person. In your greeting, inform participants about (a) anything that would affect their decision to participate, such as how long the survey will take, whether the questions deal with any sensitive issues, and whether participants will be compensated for their participation; (b) their right to skip questions they don’t want to answer; (c) their right to quit the study at any point; and (d) steps you will take to keep their responses confidential.

As with any other study, your instructions should be as clear as possible. Thus, if you are administering the questionnaire, you should probably repeat or restate the questionnaire’s written instructions.

After participants complete the survey, they should be thanked and debriefed about the survey’s purpose. At the end of a mail questionnaire, you should thank your participants, give them any additional instructions, and give them the opportunity to be debriefed. For example, you might write, “Please mail your questionnaire in the enclosed envelope. To find out more about the survey, put a check mark in the upper left-hand corner of the questionnaire and we will send you a summary of the results once the data have been analyzed. If you wish to talk to me about the study, please call me at 1-800-555-5555. Thank you for your participation.”

Finally, as in all studies, you should be careful to ensure your participants’ confidentiality. Before the survey begins, you and any other people working on the survey should sign a statement that they will not discuss participants’ responses. As the data are collected, you must ensure that their responses are kept private. If you are interviewing participants, for instance, you must interview them in a private place where their responses will not be overheard. If you are having them fill out a questionnaire in a group setting, you should use a cover page and spread out participants so that they do not see one another’s responses. If possible, you should not have participants put their names on the survey.

After participants respond to your survey, you must store and dispose of data in a way that keeps their data private. For example, you must store the information in a secure place (e.g., a locked file cabinet). If participants’ names or other identifying information are on the cover sheet, you should probably either destroy the cover sheet as soon as possible or store the cover sheet in one place and the rest of the survey data in another place.

**ANALYZING SURVEY DATA**

Once you have collected your survey data, you need to analyze them. In this section, we will show you how to summarize and make inferences from your data.

**Summarizing Data**

The first step in analyzing survey data is to determine what data are relevant to your hypotheses. Once you know what data you want, you need to summarize those data. How you summarize your data will depend on what kind of data (e.g., nominal, ordinal, interval, or ratio) you have.
The type of data you have will depend on the type of questions you ask. When you ask rating scale questions or when you ask people to quantify their behavior (“How many text messages do you send in a typical week?”), you probably can assume that your data are interval scale data.

If, on the other hand, you ask questions that people have to answer either “yes” or “no” (“Do you text message? “Do you like students?”), or questions that call on people to put themselves into qualitatively different categories (“Are you male or female?”), you have nominal data.

**Summarizing Interval Data**

If all you need to know is the typical response to an interval scale question (e.g., the average of respondents’ answers to the question, “How many text messages do you send in a typical week?”), all you need to calculate is the mean and standard deviation for that question.6

**Summarizing Relationships Between Pairs of Variables.** Rather than being interested only in the average response to a question, you will probably also want to know about the relationship between the answer to one question and the answers to other questions—in other words, the relationship between two or more variables. To begin to explore such a relationship, you will usually want to construct tables of means. For example, because we expected that there would be a relationship between text messaging and sympathy for students, we compared the average sympathy for students of professors who text messaged to the average sympathy for students of professors who did not text message (see the top of Table 8.5). To supplement your tables of means, you may want to compute a correlation coefficient7 to get an idea of the strength of the relationship between your two variables.8

**Describing Complex Relationships Among Three or More Variables.** Once you have looked at relationships between pairs of variables (e.g., text messaging and sympathy, gender and sympathy, gender and text messaging), you may want to see how three or more variables are related. The easiest way to compare three or more variables is to construct a table of means, as we have done

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6 If you need help computing these statistics, you can (a) use a web calculator to do so, (b) use the formula for the mean (total divided by number of scores) and the formula for the standard deviation (for each score, subtract it from the mean, square the result, add up all those squared terms, and then divide that total by one less than the number of scores), or (c) follow the more detailed instructions in Appendix E.

7 Technically, the name of the correlation you would compute would be called the point biserial correlation. There is a special formula you can use specifically for calculating the point biserial r. However, if you use the formula for the Pearson r or if you have a computer calculate the Pearson r, you will obtain the correct value for the correlation coefficient (Cohen & Cohen, 1983).

8 To compute Pearson r by hand, you can use the formula

\[ r = \frac{N \times \sum(XY) - (\sum X) \times (\sum Y)}{\sqrt{((N \times (\sum X^2) - (\sum X)^2) \times (N \times (\sum Y^2) - (\sum Y)^2)}} \]

or, if you want more detailed instructions, you can follow the steps described in Appendix E. For more information about correlation coefficients, see Chapter 7.
at the bottom of Table 8.5. As you can see, this $2 \times 2$ table of means allows us to look at how both text messaging and gender are related to sympathy.

**Summarying Ordinal and Nominal Data**

If your data are not interval scale data, don’t summarize your data by computing means. For example, if you code $1 = \text{man}$, $2 = \text{woman}$, do not say that “the mean gender in my study was 1.41.”

Similarly, if you are having participants rank several choices, do not say that the mean rank for Option B was 2.2. To understand why not, imagine that five people were ranking three options (Semon, 1990). Option A was ranked as second best by all five people (the rankings were “2-2-2-2-2”). Option B, on the other hand, was ranked best by two people and ranked third best by three people (the rankings were “1-1-3-3-3”). The mean rank for Option A is 2.0; the mean rank for Option B is 2.2 (Semon, 1990). Thus, according to the mean, A is assumed to be better liked (because it is closest to the average rank of 1.0, which would mean first choice).

In this case, however, the mean is misleading (Semon, 1990). The mean gives the edge to A because the mean assumes that the difference between being a second choice and being a third choice is the same as the difference between being a first choice and being a second choice. As you know, this is

| Table 8.5: Table of Means and Interactions |

Table of Means on Question 11: “I Like College Students” Broken Down by Text Messaging Status

<table>
<thead>
<tr>
<th>Text messaging status</th>
<th>Yes</th>
<th>No</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>4.0</td>
<td>3.0</td>
</tr>
</tbody>
</table>

Average score on a 1 (*strongly disagree*) to 5 (*strongly agree*) scale.

Table of Means on Question 11: “I Like College Students” Broken Down by Gender

<table>
<thead>
<tr>
<th>Gender</th>
<th>Men</th>
<th>Women</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>3.25</td>
<td>3.75</td>
</tr>
</tbody>
</table>

Average score on a 1 (*strongly disagree*) to 5 (*strongly agree*) scale.

Table of Means on Question 11: “I Like College Students” Broken Down by Gender and Text Messaging Status

<table>
<thead>
<tr>
<th>Text messaging status</th>
<th>Gender</th>
<th>Yes</th>
<th>No</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Men</td>
<td>3.5</td>
<td>3.0</td>
</tr>
<tr>
<td></td>
<td>Women</td>
<td>4.5</td>
<td>3.0</td>
</tr>
</tbody>
</table>

Average score on a 1 (*strongly disagree*) to 5 (*strongly agree*) scale.
not the case. There is usually a considerable drop-off between one’s first (favorite, best) choice and the one’s second choice (runner-up, second best), but not such a great difference between one’s second and third choices (Semon, 1990). For example, you may find an enormous drop-off between your liking of your best friend and your second best friend or between your favorite football team and your second favorite football team.

To go back to our example of Options A and B, recall that A’s average rank was better than B’s. However, because two people ranked B best and nobody ranked A first, we could argue that Option B was better liked (Semon, 1990). The moral of this example is that if you do not have interval data, do not use means to summarize your data. Instead, use frequencies or percentages.

**Summarizing Relationships Between Pairs of Variables.** To look at relationships among nominal variables, use a table to compare the different groups’ responses. You could use a table of percentages to display the percentage of people belonging to one category (e.g., those belonging to the category “women professors”) who also belong to a second category (e.g., “text messengers”). Alternatively, you could use a frequency table to display the number of people belonging to one category who also belong to a second category. As you can see from Table 8.6, a frequency table can help you visualize similarities and differences between groups.

If you want to compute a measure to quantify how closely two nominal variables are related, you can calculate a correlational coefficient called the phi coefficient. Like most correlation coefficients, phi ranges from $-1$ (perfect negative correlation) to $+1$ (perfect positive correlation).

**Describing Complex Relationships Among Three or More Variables.** If you want to look at how three or more variables are related, do not use the phi coefficient. Instead, construct tables of frequencies, as we have done in Table 8.6. These two $2 \times 2$ tables of frequencies do for our ordinal data what the $2 \times 2$ table of means did for our interval data—allow us to look at three variables at once.

**Using Inferential Statistics**

In addition to using descriptive statistics to describe the characteristics of your sample, you may wish to use inferential statistics. Inferential statistics may allow you to generalize the results of your sample to the population it represents. There are two main reasons why you might want to use inferential statistics.

First, you might want to use inferential statistics to estimate certain parameters (characteristics of the population) such as the population mean for how many text messages professors send. For example, if you wanted to use the average number of text messages professors in your sample said they

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9 If you code data as “0” does not belong to the category and “1” belongs to the category, you can calculate the phi coefficient using the Pearson $r$ formula:

$$N \times \Sigma(X \times Y) - (\Sigma X) \times (\Sigma Y) \sqrt{[N \times (\Sigma X^2) - (\Sigma X)^2] \times [N \times (\Sigma Y^2) - (\Sigma Y)^2]}$$

For step-by-step instructions on how to compute phi, see Appendix E.
sent each week to estimate the average number of text messages all Bromo Tech professors sent each week, you would be using parameter estimation.

Second, you might want to determine whether the relationship you found between two or more variables would hold in the population. For instance, you might want to determine whether text messaging and student sympathy are related in the population. Because you are deciding whether to reject the null hypothesis (that the variables are not related in the population), this use of inferential statistics is called hypothesis testing.

In hypothesis testing, the researcher determines how likely it is that the obtained results would occur if the null hypothesis is true. If the results are extremely unlikely given that the null hypothesis is true, the null hypothesis is rejected. Typically, “extremely unlikely” means that the probability of finding such a result given that the null hypothesis is true is less than 5 in 100 ($p < .05$). If the null hypothesis is rejected, the relationship between variables is declared statistically significant: probably not due to chance alone; reliable.

**Parameter Estimation With Interval Data**

As we just mentioned, one reason for using inferential statistics would be to estimate population parameters. From our survey of text messaging and student sympathy, we might want to estimate one parameter: the amount of sympathy the average professor at our school has for students.

Our best guess of the amount of sympathy the average professor at our school has for students is the average amount of sympathy the average

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**TABLE 8.6**

Tables of Nominal Data

<table>
<thead>
<tr>
<th>Text Messaging by Gender</th>
<th>Gender</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Men</td>
</tr>
<tr>
<td>Yes</td>
<td>(A)</td>
</tr>
<tr>
<td></td>
<td>20</td>
</tr>
<tr>
<td>No</td>
<td>(C)</td>
</tr>
<tr>
<td></td>
<td>55</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Text Messaging by Gender and Academic Department</th>
</tr>
</thead>
<tbody>
<tr>
<td>Text messaging by gender</td>
</tr>
<tr>
<td>--------------------------</td>
</tr>
<tr>
<td>Gender</td>
</tr>
<tr>
<td>Text Messaging</td>
</tr>
<tr>
<td></td>
</tr>
<tr>
<td></td>
</tr>
</tbody>
</table>

Physical science professors | Social science professors
A professor in our sample has for students. This guess may be inaccurate because the average for our sample may differ from the average in the population. Therefore, it is often useful to establish a range in which the population mean is likely to fall. For example, you may want to establish a 95% confidence interval: a range in which you can be 95% sure that the population mean falls.

You can establish 95% confidence intervals for any population mean from the sample mean, if you know the standard error of the mean. You establish the lower limit of your confidence interval by subtracting approximately two standard errors from the sample mean. Then, you establish the upper limit of your confidence interval by adding approximately two standard errors to the sample mean. Thus, if the average sympathy rating for all the professors in our sample was 3.0 and the standard error was .5, we could be 95% confident that the true population mean was somewhere between 2.0 and 4.0.

Hypothesis Testing With Interval Data

You can also use statistics to see if there are significant differences between groups. That is, we might want to know if the differences between groups that we observe in our sample also apply to the population at large.

Testing Relationships Between Two Variables. By using a t test, we could test whether the differences in sympathy we observed between professors who text message and professors who don’t text message were too large to be due to sampling error alone and thus probably represented a true difference.

The t test between means is not the only way to determine whether there is a relationship between text messaging and student sympathy. We could

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10 The standard error of the mean equals the standard deviation divided by the square root of the number of participants. Thus, if the sd is 8 and the sample size is 100, the standard error of the mean would be 8/√100 = 8/10.0. For more on the standard error, see either Chapter 7 or Appendix E.

11 To determine precisely what you should multiply the standard error by, look at the .05 significance column of Table F-1 (in Appendix F) in the row corresponding to one less than your sample size. If your sample size is less than 61, you will have to multiply the standard error by a number larger than two. If your sample size is greater than 61, multiplying by two will give you a larger confidence interval than you need: You would be more than 95% confident that the true population mean is within that interval. Usually, the number of standard errors will vary from 1.96 to 2.776. To be more precise, the exact number will depend on your degrees of freedom (df)—and your df will be 1 less than your number of participants. (e.g., if you have a mean based on 11 participants’ scores, your df will be 10.) Once you have calculated your df, go to the t table (Table F-1) in Appendix F. In that table, you will look under the .05 column (it starts with 12.706) and find the entry corresponding to your df. Thus, if you have a df of 10, you would multiply your standard error by 2.228; if you had a df of 120, you would multiply your standard error by 1.98.

12 If we had 61 participants (see the previous footnote).

13 To compute a t, you would subtract your two group means and then divide by the standard error of the differences. To calculate the standard error of the differences by hand, you can (a) use the formula: standard error of the mean = √(s₁²/N₁ + s₂²/N₂), where s = standard deviation and N = number of participants, and where 1 refers to group 1 and 2 refers to group 2; or (b) follow the more detailed set of instructions in Appendix E. To learn more about t, see either Chapter 10 or Appendix E.
also see whether a relationship exists by determining whether the correlation coefficient between those two variables was significant.\(^\text{14}\)

If you were comparing more than one pair of variables, you could do several \(t\) tests or test the significance of several correlations (for more about these analyses, see Chapter 7 or our website). In either case, you should correct for doing more than a single statistical test. One way to correct for doing more than one test is to use a more stringent significance level than the conventional .05 level, such as a .01 significance level. Note that the more tests you do, the more stringent your significance level should be. For example, if you looked at 5 comparisons, you might use the .01 level; if you looked at 50 comparisons, you might use the .001 level.

To understand why you should correct for doing multiple tests, imagine that you are betting on coin flips. You win if you get a heads. If you flip a coin once, it’s fair to say that there’s a 50% chance of getting a heads. However, if you flip a coin three times and declare victory if any of those flips come up heads, it’s not fair to claim that you only had a 50% chance of winning. Similarly, a .05 significance level implies that you only have a 5% chance of getting those results by chance alone. This false alarm rate (Type 1 error rate) of .05 applies only if you are doing only one test: If you are doing 100 tests and none of your variables are related, it would not be unusual for you to get 5 false alarms (because .05 \(\times\) 100 = 5).

**Testing Relationships Among More Than Two Variables.** Suppose you wanted to look at more than two variables at once. For example, suppose you wanted to explore the relationship between text messaging, gender, and sympathy summarized in Table 8.5. You might especially be interested to see whether gender was a moderator variable—whether it qualified, modified, or changed the relationship between text messaging and sympathy. For example, you might ask, “Is text messaging a better predictor of student sympathy for women or for men?” To answer questions involving moderator variables, you might analyze your data using analysis of variance (ANOVA).\(^\text{15}\)

If you are dealing with multiple predictors, ANOVA is probably the simplest analysis you can do. To learn about more sophisticated analyses that you might use or that you may encounter as you read research articles, see Box 8.2.

**Using Inferential Statistics With Nominal Data**

Just as inferential statistics can be applied to interval data, inferential statistics can be applied to nominal data. Indeed, if you do research as part of your job, you may be more likely to do parameter estimation and hypothesis testing with nominal data than with interval data.

**Parameter Estimation With Nominal Data.** You might start by doing some basic parameter estimation, such as estimating the percentage of people who

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\(^{14}\)The formula for this test is

\[
\frac{t = r \times \sqrt(N - 2)}{\sqrt(1 - [r \times r])}
\]

To find out more about the test, see Appendix E.

\(^{15}\)To learn more about ANOVA, see Chapter 11 or Appendix E.
If your data include multiple measures or multiple predictors, you should consider using analyses designed to deal with multiple variables. For example, suppose that, rather than trying to determine whether a single predictor (text messaging) predicted the answers to a single variable (sympathy), you were trying to determine whether two predictors (text messaging and gender) predicted the answers to two dependent measures: (1) responses to Question 4 and (2) responses to Question 10.

**Multiple ANOVAs and Multivariate Analysis of Variance**

One approach to determining whether text messaging and gender predict the answers to these two questions would be to use those variables as predictors in two ANOVAs (one on Question 4 and one on Question 10). If you perform multiple ANOVAs, you should correct your significance level for the number of ANOVAs you computed, just as you would if you computed multiple *t* tests (see this chapter’s section “Testing Relationships Between Two Variables”)\(^1\)

**Factor Analysis**

In an earlier example, we avoided the problem of doing analyses on multiple measures (e.g., separate analyses for Questions 6, 7, 8, 9, and 10) by deciding that the sum of answers to Questions 6 through 10 would be our student sympathy measure. Although combining the answers to those five questions into one measure simplified our analyses, a critic might question whether those five questions actually measured the same underlying variable. In published research, most investigators would do a factor analysis to make the case that those five items were indeed measuring the same underlying factor (to learn more about factor analysis, see Appendix E).

**Multiple Regression**

Even if a survey researcher’s sole goal is to predict responses to a single question (e.g., Question 11), analyzing the results may be complicated—if respondents’ answers to several other questions might predict their answers to that particular question. To go back to our sample survey, suppose your sole goal was to predict respondents’ answers to Question 11: “I like students.” Although you are trying to predict responses to only one question, you have many potential predictors (e.g., professor rank, professor experience, text messaging, gender, answers to Questions 4–10, and answers to Questions 12–15). If you want to know (a) how best to use these predictors to come up with an accurate prediction of how people will respond to Question 11, (b) how accurate that prediction will be, or (c) how important each of these predictors are, you should probably use multiple regression to analyze your data (to learn more about multiple regression, see Appendix E).

**Structural Equation Modeling**

Structural equation modeling (SEM) often has two elements: (1) a measurement model that, like factor analysis, specifies how an observed measure (e.g., answers to some test questions) correlates with a hypothetical, unobserved factor (e.g., shyness), and (2) a cause–effect model that specifies which variables are causes and which are effects (Kline, 1998). However, not all SEMs involve both aspects.

Factor analysis, for example, is an SEM technique that does not look for cause–effect relationships between variables. Instead, it focuses exclusively on establishing a measurement model: a model that specifies how scores on a measure—called indicators, observed variables, or manifest

\(^1\) Some believe the way to make sure that your actual significance level (your chance of making a Type 1 error: the error of declaring that a relationship between variables is statistically significant when, in reality, there is no relationship between the variables) is equal to your stated significance level when doing multiple ANOVAs is to do a multivariate analysis of variance (MANOVA) on your data first. If the overall MANOVA is significant, many believe you can then do your specific ANOVAs. However, as Huberty and Morris (1989) point out, such a strategy may not be an effective way to reduce Type 1 errors. In our example, there would be benefits to using MANOVA to look at the effect of text messaging on answers to Question 4 and 10. A significant main effect for text messaging would suggest that the text messaging predicts the answers to at least one of those two survey questions. A significant interaction between text messaging and question would suggest that the correlation between text messaging and Question 4 is different from the correlation between text messaging and Question 10.
variables—are related to some invisible (latent), underlying factor. Therefore, in factor analysis, researchers collect scores on several indicators of each hypothetical variable and then create a measurement model that specifies how these observed measures (e.g., test items or test scores) are associated with an unobservable, hypothetical latent factor (e.g., creativity) that is not directly observed.

Thus, if we thought our survey was measuring two different things (e.g., creativity and assertiveness), we would hope that our factor analysis would support the idea that our questions were measuring two factors (in technical lingo, we would hope that “those two factors accounted for over 60% of the variability in scores”). We would also hope that our creativity questions all correlated with each other, so that we could infer that the creativity questions all correlated with (loaded on) the same factor (construct), and that our assertiveness questions correlated with each other and that they loaded on a different construct. Thus, Figure 8.5 would support the idea that we had two factors (the two circles), one measured by Questions 1–3, another measured by Questions 4–6.

Path analysis, on the other hand, does not have a measurement model. It does not try to make connections between observed scores and some invisible construct. Instead, path analysis focuses exclusively on trying to establish cause–effect paths between the observed, measured variables. One use of path analysis is to test a hypothesis that one variable mediates the effect of another.

For example, suppose we measure A, an attitude (e.g., liking research methods), B, a behavior (e.g., studying research methods), and C, a consequence (e.g., grade in research methods). One possibility is that A (liking research methods) has a direct effect on...
have some characteristic. If you used random sampling and chose your sample size according to the first column of Table 8.4, you can be 95% confident that your sample percentages are within 5% of the population’s percentages. In that case, if you found that 35% of your participants were women, you could be 95% confident that 30–40% of your population were women.

**Hypothesis Testing With Nominal Data.** After estimating the percentages of the population that had certain characteristics, you might go on to look for differences between groups. In that case, you would use significance tests to determine whether differences between sample percentages reflect differences in population percentages. For example, in your sample, you may find that more men than women text message. Is that a relationship that holds in your population—or is that pattern due to random sampling error? To rule out the possibility that the pattern is an artifact of random sampling error, use a statistical test. But instead of using a *t* test, as you would with interval data, you would use a test that doesn’t require you to have interval data: the chi-square ($\chi^2$) test.\(^{16}\)

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\(^{16}\)To compute a chi square, you first calculate the expected number of observations that should be in each cell by taking the row total for that cell, multiplying it by the column total, and then dividing by the total number of observations. Then, for each cell, you take the actual total for the cell, subtract the expected score for that cell, square the difference, and then divide the difference by the expected score. Now that you have a result for each cell, add up all those results to get your chi square. To see whether your chi square is significant, go to Table F-2 in Appendix F. For more detailed instructions and an example of how to do a chi-square test, see Appendix E.
Be ethical

Have hypothesis(es)

Focus questions on hypothesis

Improve questions by editing to avoid leading, loaded, double-barreled, and confusing questions

Maximize accuracy of individual participants’ answers to questions by

Maximize scoring accuracy by

Maximize ability to generalize to the population by

Maximize validity of statistical analysis by

Study should provide potentially useful results

Participants should give informed consent and their privacy should be protected

But *not* a cause–effect hypothesis

Improving questions by

Maximize ability to generalize to the population by

Maximize validity of statistical analysis by

Focus questions on hypothesis

Maximize scoring accuracy by

Maximize ability to generalize to the population by

Maximize validity of statistical analysis by

Study should provide potentially useful results

Participants should give informed consent and their privacy should be protected

But *not* a cause–effect hypothesis

FIGURE 8.6 Guidelines for Survey Research
If you are performing more than one chi-square test, you should correct for the number of analyses performed by raising your significance level to compensate for doing multiple analyses. For example, if you are comparing five chi-squares, you should use a .01 significance level rather than a .05 significance level.

**CONCLUDING REMARKS**

In this chapter, you learned the essence of good survey research. Early in the chapter, you were introduced to the applications and limitations of survey research. You saw the advantages and disadvantages of different survey formats, as well as the strengths and weaknesses of different kinds of questions. After learning how to write a survey, you learned how to administer, score, and analyze survey data. If you apply what you have learned in this chapter (see Figure 8.6), you will be a skilled survey researcher.

**SUMMARY**

1. Surveys can help you describe what people are thinking, feeling, or doing.
2. Surveys allow you to gather information from a large sample with less effort and expense than most other data-gathering techniques.
3. In a survey, it is important to ask only relevant questions.
4. Don’t accept respondents’ answers as truth. People don’t always tell the truth or even know what the “truth” is.
5. Surveys yield only correlational data. You cannot draw cause-effect conclusions from correlational data.
6. There are two main drawbacks to self-administered questionnaires: (1) They have a low return rate, and (2) respondents may misinterpret questions.
7. Investigator-administered questionnaires have a higher response rate than self-administered questionnaires.
8. Interviews are especially useful for exploratory studies. However, interviews are expensive, and the interviewer may bias participants’ responses.
9. Telephone surveys have higher response rates, are easier to administer, and offer greater anonymity than personal interviews.
10. Your first step in survey research is to have a hypothesis.
11. There are three basic question formats: nominal-dichotomous, Likert-type, and open-ended.
12. Structured surveys are more useful than unstructured.
13. In survey research, you want to ask the right people the right questions.
14. To ask the “right people,” you need a representative sample. To get a representative sample, you must first know what your population (the group that you want to generalize to) is. Once you know your population, you can try to get a representative sample by using either random or proportionate stratified random sampling. Unfortunately, getting your random sample may be hampered by nonresponse bias.
15. To ask good questions, (1) make sure they relate to your hypotheses; (2) edit them so they are short, clear, and unbiased; and (3) pretest them.
16. Careful attention should be placed on sequencing questions. Keep similar questions together and put personal questions last.
17. Be aware of response biases, such as a tendency of participants to agree with statements or the tendency to answer questions in a way that puts the participant in a positive light.
18. Spending a little time deciding how to code your questionnaire before you administer it can save a great deal of time later on.
19. Both random and proportionate stratified random sampling allow you to make statistical inferences from your data.
20. Participants in survey research should be treated with the same respect as human participants in any other kind of study.
KEY TERMS
survey (p. 254)  population (p. 254)
demographics (p. 257)  descriptive hypothesis (p. 258)
retrospective self-report (p. 261)  social desirability bias (p. 262)
demand characteristics (p. 262)  response set (p. 262)
nonresponse bias (p. 263)  questionnaire (p. 263)
interview (p. 263)  self-administered questionnaires (p. 263)
interviewer bias (p. 268)  random digit dialing (p. 268)
fixed-alternative questions (p. 272)  dichotomous questions (p. 273)
nominal-dichotomous items (p. 273)  power (p. 273)
Likert-type items (p. 273)  summed score (p. 274)
open-ended questions (p. 275)  structured interview (p. 276)
semistructured interview (p. 277)  unstructured interview (p. 278)
leading questions (p. 278)  double-barreled question (p. 278)
random sampling (p. 284)  proportionate stratified random sampling (p. 285)
convenience sampling (p. 286)  quota sampling (p. 287)
parameters (p. 293)  parameter estimation (p. 294)
null hypothesis (p. 294)  hypothesis testing (p. 294)
statistically significant (p. 294)  95% confidence interval (p. 295)
standard error of the mean (p. 295)  factor analysis (p. 297)
chi-square ($\chi^2$) test (p. 299)

EXERCISES

1. You probably have participated in many surveys. For one of those surveys, answer the following questions:
   a. What was the topic of the survey?
   b. What do you think the hypothesis was?
   c. Did they use an oral interview or a written questionnaire? Do you think they made the right choice? Why or why not?

2. State a hypothesis that can be tested by administering a survey. Why is a survey a good way to test your hypothesis? (If you are having trouble generating a hypothesis, Omarzu [2004] suggests thinking of doing a survey that would provide useful information to your school or to the psychology department.)

3. Is an interview or a questionnaire the best way to test your hypothesis? Why?

4. For the three basic question formats, list their advantages and disadvantages in the grid below.

<table>
<thead>
<tr>
<th>Question Format</th>
<th>Nominal-Dichotomous</th>
<th>Likert-Type</th>
<th>Open-Ended</th>
</tr>
</thead>
<tbody>
<tr>
<td>Advantages</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Disadvantages</td>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

5. Write three nominal-dichotomous questions that might help you test your hypothesis.
6. Write three Likert-type questions that might help you test your hypothesis.
7. A Gallup/CNN poll asked, “How likely do you think it is that Democrats in the Senate would attempt to block Bush’s nominee for inappropriate political reasons.” Which two of this chapter’s nine tips for writing questions did this question violate? Rewrite the question to improve its validity.
8. A former president of the Association for Psychological Science wrote, “sampling ain’t simple” (Gernsbacher, 2007, p. 13). Explain why that is a true statement. What questions would you ask of a sample to determine how much to trust that sample?
9. Why can you make statistical inferences from data obtained from a random sample?
10. Why might having participants sign informed consent statements (a statement
that they had been informed of the nature of the study, the risks and benefits of the study, the participants’ right to refuse to be in the study, the participants’ right to quit the survey at any point, and the participants’ right to confidentiality) make a survey research study less ethical? 

(Hints: Under what circumstances does the APA ethical code not require informed consent for surveys [see Appendix D]? Under what circumstances would requiring informed consent reduce the value of the survey without providing any benefits to participants?)

**WEB RESOURCES**

1. Go to the Chapter 8 section of the book’s student website and
   a. Look over the concept map of the key terms.
   b. Test yourself on the key terms.
   c. Take the Chapter 8 Practice Quiz.

2. If you are ready to draft a method section, click on the “Method Section Tips” link.

3. If you want to have a better understanding of correlation coefficients, click on the “Correlator” link.

4. Use the sample data and the statistical calculators available from the “Evaluate a Questionnaire” link to evaluate the reliability and construct validity of a questionnaire.

5. Use the sample data and the statistical calculators available from the “Analyzing Results” link to practice analyzing and interpreting data from a survey. If you wish, you can also use that link to find out how to use multiple regression to analyze survey responses.
Internal Validity

Problems With Two-Group Designs
Why We Never Have Identical Groups
Conclusions About Two-Group Designs

Problems With the Pretest–Posttest Design
Three Reasons Participants May Change Between Pretest and Posttest
Three Measurement Changes That May Cause Scores to Change Between Pretest and Posttest

Conclusions About Trying to Keep Everything Except the Treatment Constant

Ruling Out Extraneous Variables
Accounting for Extraneous Variables
Identifying Extraneous Variables

The Relationship Between Internal and External Validity

Concluding Remarks
Summary
Key Terms
Exercises
Web Resources
Any person armed with an understanding of causation has the power to change, alter, repair, and control.
—Neal Roese

True wisdom consists in tracing effects to their causes.
—Oliver Goldsmith

CHAPTER OVERVIEW

This chapter is about **internal validity**: establishing that a factor causes an effect. Lawrence Peter explains why internal validity is important: “All science is concerned with the relationship of cause and effect. Each scientific discovery increases our ability to predict the consequences of our actions and thus our ability to control future events.” So, if you need to determine whether a treatment, action, intervention, training program, lecture, or therapy works, you need to conduct a study that has internal validity. For example, you would need a study with internal validity to determine whether

- piano lessons increase IQ scores
- listeners will be more persuaded by hearing a weak argument when listeners are sitting down than by hearing the same argument when they are standing up
- students will do better on an exam if it is printed on blue rather than white paper
- a restaurant server’s manner (e.g., squatting down next to a customer as opposed to standing up, smiling an open-mouthed smile as opposed to a closed-mouth smile) increases the amount of money the server gets in tips
- music will cause shoppers to go through the store faster
- sugar will make young children more active
- students will have higher test scores when taught in classrooms that have windows
- keeping a log of what one should be grateful for will make people score higher on a happiness test
- full-spectrum lighting will increase people’s scores on a mood scale

Establishing internal validity involves meeting three challenges. Each challenge builds on, and is more difficult than, the one before it.

First, because changes in the cause must be accompanied by changes in the outcome variable, you must establish that variations in the alleged
cause are related to variations in the outcome variable. For example, if you are going to show that sugar causes children to be more active, you first need to show that when children have more sugar, they are more active. Similarly, if you are going to show that writing about things one is thankful for increases happiness, you need to establish that people who write about things for which they are thankful are happier than people who do not write about things for which they are thankful. You should be able to determine whether differences in one factor are accompanied by differences in the outcome variable by measuring both variables and using the appropriate statistics. For example, you might be able to establish that the average happiness score of the group asked to write about what they are grateful for is significantly (reliably) different from the average happiness score of the group not assigned that task.

Second, because the cause must come before its effect, you must establish that changes in the treatment came before changes in the outcome variable. By manipulating the treatment, you will usually be able to establish that changes in the treatment came before—and are followed by—changes in the outcome variable. For example, if you have the treatment group participants write about things they are thankful for and then measure mood, you will usually be able to make the case that participants wrote about what they were grateful for before—not after—their happiness increased. Note that if you did not manipulate a treatment—for example, if you just counted how many grateful entries people had in their diaries—it could be that happiness caused gratitude rather than gratitude causing happiness. In other words, if you don’t manipulate the treatment, what you think is a cause may actually be an effect.

Third, because many nontreatment factors may have caused the changes in your outcome variable, you must establish that the treatment (writing about what they should be grateful for) is the only factor responsible for the effect (higher scores on the happiness measure). Put another way, your final challenge is to show that the difference in the outcome measure (higher happiness scores) is not due to extraneous factors: anything other than the treatment. Because meeting this last challenge is so tricky, ruling out extraneous factors is the focus of this chapter.
The most direct way to rule out extraneous factors is to eliminate them from your study, thus ensuring that they can’t be responsible for your results. In the abstract, there are two ways you could get rid of extraneous factors:

1. The idealized two-group design: Create two identical groups; treat them the same, except give only one of the groups the treatment; then compare the treatment group to the no-treatment group.

2. The idealized pretest–posttest design: Find some participants; give them the outcome measure; make sure that nothing in their life changes, except that they get the treatment; then give them the outcome measure again.

In practice, however, neither of these approaches succeeds in eliminating extraneous variables. Therefore, neither can prove that a treatment caused an effect (despite what many infomercials imply).

In this chapter, you will learn why these two approaches fail to establish internal validity. Along the way, you will learn about Campbell and Stanley’s (1963) eight threats to internal validity:

1. Selection: Treatment and no-treatment groups were different before the treatment was administered.

2. Selection by maturation interaction: Treatment and no-treatment groups were predisposed to grow apart.

3. Regression effects: If participants are chosen because their pretest scores were extreme, those extreme scores may be extremely affected by random measurement error. Their posttest scores will probably be affected by random error to a more normal—lesser—extent and thus will tend to be more normal.

4. Mortality: Differences in conditions are due to participants dropping out of the study (e.g., in a two-group study, more participants may drop out of the treatment group than the no-treatment group; in a pretest–posttest study, the individuals who lasted until the posttest may be a subgroup of the individuals who took the pretest).

5. Maturation: Apparent treatment effects are really due to natural, physiological changes, such as growth and development.

6. History: Things other than the treatment have changed in the participants’ environments.
7. **Testing:** The practice and experience of taking the pretest changed the participants.

8. **Instrumentation:** The way the researcher measured participants changed from pretest to posttest.

Specifically, you will know enough about those eight threats to

1. detect their presence in research that erroneously claims to prove that a certain factor has an effect
2. avoid using a design that is vulnerable to these threats
3. take steps to prevent these threats from corrupting the internal validity of your research

### PROBLEMS WITH TWO-GROUP DESIGNS

To begin our exploration of Campbell and Stanley’s eight threats to validity, let’s examine the first approach for ruling out extraneous variables: obtaining two identical groups. Specifically, suppose you obtain two groups of participants and treat them identically, except that only one of the groups receives the treatment (e.g., writing about events for which they should be grateful). Then, you give both groups a happiness scale and note that they have different levels of happiness.

### Why We Never Have Identical Groups

What do you conclude? If the groups were identical before you introduced the treatment, you would correctly conclude that the treatment caused the groups to differ. However, you cannot assume that the groups were identical before you introduced the treatment. Therefore, the difference in scores could be due to **selection** (also called **selection bias**): having groups that were different from one another before the study began.

### Self-Assignment to Group Produces Selection Bias

How can you avoid selection bias? A first step toward avoiding selection error is to prevent **self-selection:** participants choosing what condition they want to be in. You want to avoid self-selection because it leaves you with groups that you know differ in at least one way—One group chose the treatment, whereas the other chose to avoid the treatment and that probably also differ in ways that you do not know about.

Sometimes the effects of self-selection are obvious. For example, suppose you compare two groups—one group offers to stay after work to attend a seminar on “Helping Your Company”; the other does not. If you later find that the group who attended the seminar is more loyal to the company than the group who did not, you can’t conclude that the effect is due to the seminar: After all, the groups probably differed in loyalty before the study began.

Sometimes the effects of self-selection are not as obvious. For instance, what if you let participants choose whether they get to be in the gratitude
condition or in the no-gratitude condition? If you find that the gratitude group is happier than the no-gratitude group, you still can’t conclude that the effect was due to the gratitude manipulation. People who prefer to write about what they are thankful for may be happier than people who prefer not to write about what they are thankful for. You may not know exactly how participants who choose one condition differ from those who choose another condition. But you do know that they differ at the beginning of the study—and that those differences may cause the groups to differ at the end of the study.

**Researcher Assignment to Group Produces Selection Bias**

We’ve seen that letting participants assign themselves to a group creates unequal, nonequivalent groups. However, if you assign participants to groups, you might unintentionally bias your study. For example, you might put all the smiling participants in the gratitude condition and all the frowning participants in the no-treatment condition.

**Arbitrary Assignment to Group Produces Selection Bias: Choosing Groups Based on Their Differences Results in Having Groups That Are Different**

To avoid the bias of “stacking the deck,” you might assign participants to groups on the basis of some arbitrary rule. For example, why not assign students on the right-hand side of the room to the no-treatment group and assign students on the left side of the room to the treatment group? The answer is simple: “Because the groups are not equal.” At the very least, the groups differ in that one group prefers the right side, whereas the other group prefers the left side. The groups probably also differ in many other ways. For instance, if the left side of the room is near the windows and the right side is near the door, we can list at least four additional potential differences between “left-siders” and “right-siders”:

1. People sitting on the left side of the room may be more energetic (they chose to walk the width of the room to find a seat).
2. People sitting on the left side of the room may be early-arrivers (students who came in late would tend to sit on the right side so they would not disrupt class by crossing the width of the room).
3. People sitting on the left side may be more interested in the outdoors (they chose to have access to the window).
4. People sitting on the left side may have chosen those seats to get a better view of the professor’s performance (if the professor shows the typical right-hander’s tendency of turning to the right, which would be the students’ left).

You can probably come up with many other differences between left-siders and right-siders in a particular class. But the point is that the groups definitely differ in at least one respect (choice of side of room), and they almost certainly differ in numerous other respects (see Figure 9.1).

What’s true for the arbitrary rule of assigning participants to groups on the basis of where they sit is true for any other arbitrary rule. Thus, any researchers who assign participants on the basis of an arbitrary rule (the first-arriving participants assigned to the treatment group, people whose last
a. The rule of choosing “every other person” to get the treatment is not random. The problem with this rule is most obvious when applied to situations in which people are encouraged to line up “boy/girl.”

b. The arbitrary rule of assigning the front of the class to one treatment and the back of the class to no treatment does not work. Ask any teacher! The two groups are definitely different.
names begin with a letter between A and L in the treatment group, etc.) make their research vulnerable to selection bias.

One infamous example of how arbitrary assignment can produce misleading research was Brady’s (1958) “executive monkey” study. In that study, Brady tested monkeys in pairs. Each pair consisted of an “executive monkey” and a “worker monkey.” The executive monkey controlled a switch that, if pressed at the right time, would prevent both monkeys from getting a shock. Brady found that the executive monkeys were more likely to get ulcers than the worker monkeys.

Although the study seemed to suggest that human executives deserve their high salaries because their responsibilities give them stress and ulcers, later research showed that individuals who do not have control (like the worker monkeys) were more likely to be stressed and get ulcers than individuals who have control (Seligman, 1975). The problem with Brady’s research was selection bias—he assigned the monkeys who learned how to use the switch the fastest to be the executive monkeys. This arbitrary assignment was a big mistake, probably because the monkeys who learned to use the switch the fastest were those who were most upset by the shocks.

Arbitrarily assigning participants to groups does not work because you are assigning participants to groups based on their differences. Your groups
can’t be equal when you are deliberately ensuring that they are different on some variable—even if that variable (e.g., how fast one learns to use a switch, preference for side of the room, etc.) doesn’t seem important.

Problems With Matching on Multiple Variables

If you can assign participants in a way that guarantees they are different, why can’t you assign participants in a way that guarantees they are identical? In other words, why not use matching: trying to choose groups in such a way that the groups are identical on key variables?

The Impossibility of Perfectly Matching Individual Participants: Identical Participants Do Not Exist.

In the abstract, matching seems like an easy, foolproof way of making sure that your two groups are equal. In practice, however, matching is neither easy nor foolproof. Imagine the difficulty of finding two people who match on every characteristic and then assigning one to the no-treatment condition and the other to the treatment condition. It would be impossible. Even identical twins would not be exactly alike—they have different first names and different experiences.

The Difficulty of Matching Groups on Every Variable: There Are Too Many Variables.

Obviously, you can’t create the situation in which each member of the treatment group has an identical clone in the no-treatment group. Nor can you get two groups that, on the average, match on every variable. Try as you might, there would always be some variable on which you had not matched—and that variable might be important. Even if you created two groups that had the same average age, same average intelligence, same average height, and same average weight, there would still be thousands of variables on which the groups might differ. The groups might differ in how they felt on the day of the study, how they were getting along with their parents, how many books they had read, their overall health, and so forth.

Two Difficulties With Matching Groups on Every Relevant Variable.

You know you can’t match your no-treatment and treatment groups on every single characteristic, but do you need to make the groups identical in every respect? No, you need them to be identical only in respect to the variable you want to measure. For example, suppose you were studying happiness. Then, all you would need to do is match your groups on every characteristic that will influence their scores on your happiness measure.

Unfortunately, there are two problems with this “solution.” First, matching only on those factors that influence the key variable may be impossible because there may be thousands of factors that influence happiness. Second, you probably do not know every single characteristic that influences happiness. After all, if you knew everything about happiness, you would not be doing a study to find out about happiness.

Problems With Matching on Pretest Scores

Instead of matching participants on every characteristic that affects the variable you want to measure, why not match participants on the variable you
want to measure? In your case, why not match participants on the happiness scores? Before you assign participants to groups, test people on the happiness scale (what researchers call a pretest). Next, match your groups so that the treatment group and no-treatment group have the same average pretest score. Finally, at the end of the study, test the participants again, giving participants what researchers call a posttest. If you find a difference between your groups on the posttest, then you should be positive that the treatment worked, right? Wrong!

Even if the treatment had no effect whatsoever, two groups that scored the same on the pretest could differ on the posttest. As you will see in the next two sections, there are two reasons matching on pretest scores may not make your groups equivalent: (1) selection by maturation interactions and (2) regression.

**Selection by Maturation Interactions: Participants Growing in Different Ways.** The first reason matching on pretest scores doesn’t work is that their might be a selection by maturation interaction: The groups started out the same on the pretest but afterward developed at different rates or in different directions. Selection by maturation interactions occur when participants who are similar in one respect grow apart because they differ in other respects.

To visualize the strong impact that selection by maturation interaction can have, imagine you studied some 4th-grade boys and girls. You put all the boys in one group. Then, you had them lift weights. You saw that the average weight they could lift was 40 lbs (18.14 kg). You then picked a group of 4th-grade girls who could also lift 40 lbs. Thus, your groups are equivalent on the pretest. Then, you introduced the treatment: strength pills. You gave the boys strength pills for 8 years. When both groups were in the 12th grade, you measured their strength. You found that the boys were much stronger than the girls. Although this difference might be due to the strength pills, the difference might be due to the boys naturally developing greater strength than the girls. In other words, the difference may be due to failing to match on a variable (gender) that influences muscular maturation.

In addition to growing apart because of different rates of physical maturation, groups may also grow apart because of different rates of social, emotional, or intellectual maturation. To illustrate this point, let’s examine a situation in which the two groups are probably changing in different ways on virtually every aspect of development.

Suppose a researcher matched a group of 19-year-old employees with a group of 66-year-old employees on job performance. The researcher then enrolled the 19-year-olds in a training program. When the researcher compared the groups 2 years later, the researcher found that the 19-year-olds were performing better than the 66-year-olds. Why?

Although the difference could have been due to training, it may have had nothing to do with the training. Instead, the difference may have been due to (1) the 19-year-olds’ productivity increasing because they are just learning their jobs and (2) the 66-year-olds’ productivity naturally declining as this group anticipates retirement. Therefore, the apparent treatment effect may really be a selection by maturation interaction.

You may be saying to yourself that you would never make the mistake of matching 19-year-olds and 66-year-olds on pretest scores. If so, we’re glad.
You intuitively know that you can’t make groups equivalent by merely matching on pretest scores. We would caution you, however, to realize that age is not the only—or even the most important—variable that affects maturation. Many factors, such as intelligence, motivation, and health, affect maturation. Thus, if you are going to match on pretest scores, you must also match on all of the variables that might affect maturation. Otherwise, you run the risk of a selection by maturation interaction.

To repeat, matching on pretest scores is incomplete. Pretest scores are good predictors of posttest scores but not perfect predictors. Many factors affect how a participant does on the posttest. If the groups are not matched on these other relevant variables, two groups that started out the same on the pretest may naturally grow apart. Thus, what looks like a treatment effect may really be a selection by maturation interaction.

If you were somehow able to match on pretest scores and all other relevant variables, you would be able to rule out selection by maturation. However, you would still have the problem that your matched groups might not be equal on the pretest variable.

The Regression Effect: Participants With Extreme Scores Tend to Have Less Extreme Scores on Retests. How could your groups not be equal if you measured them and made sure that they were equal? The problem is that because measurement is not perfect, measuring groups as equal does not mean they are equal.

Even though we tend to assume that measurement is perfect, it is not. For example, if a police officer stops you for speeding, the officer might say, “You were going 75.” Or the officer might say, “I clocked you at 75.” The officer’s two statements are very different. You may have been going 40 and the radar mis-timed you (radars have clocked trees at over 100 mph), or you may have been going 95. In any event, you probably were not going at exactly the speed that the officer recorded. Even in this age of advanced technology, something as simple as measuring someone’s height is not immune to measurement error. In fact, one of the authors fluctuates between 5 ft 5 in (165 cm) and 5 ft 8 in (172.7 cm), depending on which physician’s office she is measured at. If measurements of variables as easy to measure as height are contaminated with random error, measurements of psychological variables—variables that are harder to measure than height—will also be victimized by random measurement error.

Because of random measurement error, a measure of an individual’s height, weight, mood, free-throw shooting ability, or almost anything else might be inaccurate. Thus, two individuals having the same score on a measure might actually differ on the variable being measured. For example, if you tested free-throw shooting ability by having people shoot two free throws, both a good and a poor free throw shooter could score 50% on your measure.

1 Note that, contrary to ageist stereotypes, we might find that the older workers improved more than the younger workers. That is, older workers are much more productive and involved than many people assume. Indeed, this ageism is probably why our poor researcher was forced to do such a flawed study. The researcher was able to get management to invest in training for the younger workers but not for the older workers. In essence, the researcher used the older workers as a comparison group because management gave her no choice.
Although random error might cause two *individuals* who differ to have the same scores, could random error cause two *groups* that differ to have the same average score? At first you might think the answer would be “no.” You might reason that because random error is, by definition, unsystematic and unbiased, it should affect each group to about the same extent. Because random error tends to balance out, it would seem unlikely, for example, that random measurement error would inflate the free-throw shooting percentage of individuals in the treatment group but deflate the free-throw percentage of the individuals in the no-treatment group. Yet, even though your first reaction is reasonable, it is mistaken: Random error may have one effect on the treatment group and another on the no-treatment group.

Given that random error tends to balance out, how could random error have one effect on the treatment group and another effect on the no-treatment group? To answer this question, imagine a group of extremely high scorers and a group of extremely low scorers. For the purpose of this example, let’s imagine having hundreds of people each shoot five free throws. From those hundreds, we will select two groups of foul shooters: (1) a group in which all members hit all five free throws, and (2) a group in which all members missed all five free throws.

Why is the extremely high-scoring group doing so well? It’s unlikely that these scores reflect each individual’s true score. Indeed, probably none of the people who hit all five foul shots really are 100% foul shooters. It’s more likely that most of these foul shooters are good, but they are also benefitting from some good fortune. A few may be average or even poor foul shooters whose scores are being pushed up by random error (even Shaq has hit five free throws in a row). One thing we know for sure—nobody in this group had random error push down their free-throw percentage. In short, the average score of this group has been pushed up by random error.

Now, let’s look at the group of extremely low scorers. Why are they scoring so low? Perhaps all of them are 0% foul shooters. It is more likely, however, that many are poor to average foul shooters experiencing a run of bad luck. One thing we know for sure—nobody in this group had random error inflate his or her free-throw percentage. In short, the average score of this group has probably been pushed down by random error.

What will happen if we retest both groups? The first group will tend to do a bit worse than before: Their average will not be 100%. On the pretest, random error pushed their scores in only one direction—up. That probably won’t happen on the retest. Instead, random error will probably push some of their scores up and some of their scores down. As a result, their scores will revert to more normal levels on the retest. Similarly, the second group will tend to score at more normal levels on the retest: Their average will probably not be 0%. On the pretest, random error pushed their scores in only one direction—down. That probably won’t happen two times in a row.

As we have seen, the 0% group will do better on the retest, but the 100% group will do worse. Put another way, both groups’ average scores become less extreme on the retest.

Why does each group’s average score become less extreme on the retest? In other words, why do their scores revert back to more normal levels? The short answer is that on the retest, each group’s average score is less influenced by random error. The long answer is that (1) the groups were initially selected because of their extreme pretest scores; (2) their extreme pretest
scores were due, in part, to random measurement error pushing their scores in one direction; and (3) random error, which by its very nature is inconsistent, probably won’t push all the groups’ scores in that same direction on the retest.

Thus far, we have considered the case in which two groups who score much differently on the pretest (0% versus 100% on a foul-shot test) might appear to grow more similar on a retest. But how could two groups (1) seem to be similar on a pretest and then (2) seem to grow apart on the retest? For example, how could two groups that hit 60% of their free throws on the pretest end up scoring very differently on the retest? The key to seeing how this illusion would work is to realize that extreme scores are only extreme relative to their group’s average.

To illustrate, suppose we have a large group of 90% career free-throw shooters and a large group of 30% career free-throw shooters. We then have people from each group shoot 10 free throws. We find that several from each group shoot 60% (6 out of 10) on our pretest. For the career 30% free-throw shooters, 60% is extremely good. For the career 90% free-throw shooters, 60% is extremely bad.

We now have two groups that each shot 60% on our pretest. The first group was taken from extreme low scorers from the 90% group, whereas the second group was taken from extreme high scorers from the 30% group. The two groups match on the pretest, but this matching is just a mirage due to random measurement error. On the posttest, this mirage will disappear because participants’ scores will be affected by chance to a more usual (and lesser) degree. The first group will score closer to its average score of 90% and the second group will score closer to its average score of 30%. In technical terminology, both groups will exhibit what we call regression toward the mean (also called regression effect, regression artifact, statistical regression, reverting to average, and regression): the tendency for scores that are extremely unusual to revert back to more normal levels on the retest.

As you might imagine, regression toward the mean could mimic a treatment effect. If, in our free-throw shooting example, you administered a treatment between the pretest and the posttest, people might mistakenly believe that the treatment was responsible for the groups scoring differently on the posttest. For example, if you yelled at the first group after their poor (for them) pretest performance, people might think that your yelling is what caused them to do better on the posttest.

Regression toward the mean also explains why many parents believe that punishment is more effective than it is. After children have behaved unusually badly, their behavior will tend to revert to more normal (better) levels (regression to the mean). But those parents who have punished their children usually do not say, “Well, the behavior would have improved anyway because of regression toward the mean.” Instead, they tend to say, “Punishing her made her behave better.”

Regression toward the mean also tricks some parents, teachers, and bosses into believing that praise actually harms performance. After they reward a person for great performance, that person’s later performances are not as good. Consequently, they decide that the praise worsened the person’s performance by making the person overconfident. They have failed to realize that, as Rosenzweig (2007) puts it, “Nothing recedes like success” (p. 105). In other words, they have been tricked by regression toward the mean.
Although regression toward the mean is tricky enough by itself to fool most of the people most of the time, sometimes it has help. A deceiving swindler might intentionally use regression toward the mean to make it look like a worthless treatment had a positive effect. The key would be to intentionally take advantage of random measurement error to make it look like two dissimilar groups were really similar on the pretest (e.g., the “new diet” group would be made up of people who had been underweight until recently, whereas the comparison group would be made up of people who had been overweight all their lives).

Unfortunately, a researcher might unintentionally rely on measurement error to match two groups on a factor on which they actually differ. For instance, suppose a researcher who works for a continuing care retirement community (CCRC) wants to test a memory improvement program. The researcher decides she wants to provide an intervention for those residents who score between the 40th and 45th percentiles for older adults on the Wechsler Memory Scale because she believes this group will benefit most from her treatment. The researcher needs to find two groups whose scores fall within this range, give one group the memory training, and see whether the training group scores better on the posttest than the no-training group.

In this CCRC, there are three levels of care: independent living, assisted living, and nursing care. The researcher decides to focus on the assisted living residents because she believes that those residents will be most likely to contain individuals who are healthy and who score somewhat below average (50th percentile by definition is average) on the memory scale.

She administers the pretest, but finds only 8 assisted living residents who score between the 40th and 45th percentiles. She knows that she needs more participants. She decides to use these 8 residents as her treatment group and looks elsewhere for her no-treatment group. She rules out the nursing care residents because she wants the groups to be equivalent in terms of health and activity level. Instead, she tests independent living residents and finds 8 who score within the range.

At the end of the study, the researcher gives both groups the memory test again (the posttest). When she looks at the results, she is horrified: the no-treatment group (the 8 independent living residents) scores much higher on the posttest than the treatment group (the 8 assisted living residents). On closer examination, she finds that the scores of the independent living residents increased from pretest to posttest, whereas the scores of the assisted living residents decreased from pretest to posttest.

What happened? Did the true level of memory functioning improve for the independent living residents even though they received no memory training? No. Did the training program actually decrease the memory functioning of those residents in assisted living? No.

What happened was that the investigator selected scores that were likely to be heavily contaminated with random measurement error. To understand how this occurred, think about what would cause healthy older adults who are capable of independent living—a group that would average well above the 50th percentile—to score in the 40th–45th percentile on a memory test. These scores, which would be uncharacteristically low for them, might be due to some unusual event, such as the flu or to jet lag following a vacation abroad. If they scored in the 45th percentile on the pretest because of illness or jet lag, would it be likely that they would score this low again? No,
chances are their posttest score will be higher because it will be a more accurate reflection of their true memory ability.

Not only did the researcher select independent living participants whose scores were likely to be loaded with random measurement error but the researcher also selected assisted living participants whose scores were likely to be loaded with random measurement error. People requiring assisted living are much more likely to suffer from health problems that will directly (cardiovascular disease, mild dementia) or indirectly (medication side effects) decrease their memory ability to below the 40th percentile.

Consider how a person in assisted living could score in the 45th percentile. What would cause them to score above their true score? Probably some form of luck would be involved. Just as you may occasionally get lucky guessing on a multiple-choice test, perhaps a few people in assisted living might get lucky on a memory test. That is, if you tested 200 people in assisted living, 8 might score near average on memory function just by chance. But would these same 8 be lucky a second time? It is a good bet that they would not. Instead, their second score should be a more accurate reflection of their true score. Consequently, when retested, they would get lower scores than they did the first time.

Conclusions About Matching on Pretest Scores. There are two reasons why matching on pretest scores does not make your groups equal. First, matching on pretest scores is incomplete because the pretest performance is not a perfect indicator of posttest performance. Many factors determine how participants will change from pretest to posttest. Therefore, to predict a participant’s posttest score, you need to match not only on the pretest score but also on every other variable that might affect how participants will change. If you do not, you may have two groups that started out the same, but naturally grew apart—no thanks to the treatment. In other words, you may have what appears to be a treatment effect, but is really a selection by maturation effect.

Second, you match on scores, which are flawed indicators of characteristics, rather than on the characteristics themselves. Because of measurement error, it’s possible to get two groups that match on pretest scores but that are very different on the variable the pretest was supposed to measure. In short, random error may create the illusion that two dissimilar groups are similar.

As convincing as the illusion of similarity may be, it is only a temporary mirage. The mirage is temporary because it is based on choosing those participants whose scores had been blown in a certain direction by random error. However, random error is inconsistent and directionless. Therefore, on retesting, the winds of chance will probably not again blow the dissimilar participants’ scores towards each other.

Put another way, the illusion of similarity was built by choosing those participants whose scores were extremely influenced by random error. On retesting, random error will probably exert a less extreme influence on those participants’ scores (just as lightning is unlikely to strike the same person twice). Consequently, the extremely deviant scores will revert back to more typical levels (regression toward the mean). As a result, the mirage that made
the groups look similar on the pretest probably won’t last through the posttest.

If the two groups that only appeared to be similar on the pretest reveal their true differences during the posttest, a naïve observer may believe that the groups “became different” because of the treatment. However, you should realize two facts:

1. The groups did not become different. They were different all along—they only seemed similar at the beginning because of an illusion created by random measurement error.
2. Given that the groups did not become different, there is no reason to say that the treatment made them become different.

**Mortality.** Even if our groups were identical to start with, they might not stay that way because of participant mortality (attrition): participants dropping out of the study. Like selection, mortality can make the participants in one group systematically different from participants in the other. But whereas selection makes groups differ by affecting who enters each group, mortality makes groups differ by affecting who exits each group.

To understand the threat posed by mortality, suppose we have designed a program for high-risk youths. To test the program’s effectiveness, we put 40 at-risk youths into our intense training program and compare them to a no-treatment group consisting of 40 other at-risk youths. We find that youths who complete our training program are much more likely to get a good job than the youths in the no-training group. However, 75% of the treatment group youths drop out of our rigorous program. Thus, we are comparing the 10 elite survivors of the treatment group against everyone in the no-treatment group. Consequently, our training program’s apparent “success” may simply be due to comparing the best of one group against everyone in the other group.

**Conclusions About Two-Group Designs**

In the previous example, mortality seriously threatened the validity of our study. Even if the groups had been the same to start with, they were not the same at the end of the study. However, with two-group designs, we usually have a big problem even before mortality has a chance to be a problem: Our two groups are not identical at the start of the study (see Table 9.1). If we don’t match, our groups are different. If we do match, our groups may still be different (see Figure 9.2). So, differences between our groups at the end of the study may be due to our groups being different to start with, rather than due to the treatment.

**PROBLEMS WITH THE PRETEST–POSTTEST DESIGN**

The only way we could have two identical groups of participants would be to have the same participants in both groups. Each participant could be in both the no-treatment group and in the treatment group. For instance, we might use a pretest–posttest design: a design in which we give each participant the pretest, administer the treatment, and then give each participant the posttest. By making sure that the participants in the treatment group are the same
Assume the two groups are identical.

Try to make two groups identical.

They're not. You lose to selection.

Groups are alike but they naturally grow apart. You lose to a selection-maturation interaction.

You can't. You lose to selection.

You fail to get equal groups because you matched on scores that were heavily contaminated with random error. You lose to regression.

**FIGURE 9.2** Making Two Groups Identical: A Game You Can’t Win

**TABLE 9.1** Why the Selection Problem Is Difficult to Eliminate

<p>| | |</p>
<table>
<thead>
<tr>
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<tbody>
<tr>
<td>2.</td>
<td>Researcher assignment can cause selection bias.</td>
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<tr>
<td>3.</td>
<td>Arbitrary assignment to a group causes selection bias by making the groups differ in at least one respect.</td>
</tr>
<tr>
<td>4.</td>
<td>We can’t match participants on every variable.</td>
</tr>
<tr>
<td>5.</td>
<td>We can’t even match participants on all relevant variables. Therefore, “matched” groups may differ from each other in terms of “unmatched” variables. These unmatched variables may cause the groups to behave differently on the posttest.</td>
</tr>
<tr>
<td>6.</td>
<td>We have to worry about the effects of unmatched variables even when we match on pretest scores. As cases of selection by maturation interactions demonstrate, just because participants scored the same at pretest, it does not mean they will score the same at posttest.</td>
</tr>
<tr>
<td>7.</td>
<td>Even if there were no selection by maturation interactions, matching on pretest scores is imperfect because pretest scores may be heavily influenced by random error. The groups may appear to be similar only because one or both groups’ pretest scores are heavily influenced by random error.</td>
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</tbody>
</table>
participants who were in the no-treatment group, we eliminate the threat of selection.

At first glance, the pretest–posttest design seems to be a perfect way to establish internal validity. However, the pretest–posttest design can have internal validity only if the treatment is the sole reason that posttest scores differ from pretest scores. Unfortunately, the treatment is not the only reason that participants’ scores may change from pretest to posttest.

**Three Reasons Participants May Change Between Pretest and Posttest**

Even without the treatment, participants may change over time. Specifically, participants may change from pretest to posttest because of three factors having nothing to do with the treatment: (1) maturation, (2) history, and (3) testing.

1. **Maturation: Participants Change on Their Own**

A participant may change between the time of the pretest and the time of the posttest as a result of maturation: the natural biological or developmental changes that occur inside the participant (see Figure 9.3). People are constantly changing. From one moment to the next, they may become more bored, more hungry, or more tired. From one month to the next, they will grow older, and they may mature.

To see how maturation might masquerade as a treatment effect, suppose you institute a safe driving program for young adults. You start your study with a group of 20-year-olds, show them videos about the dangers of risky driving, and measure them again when they are 25. You find that when they are 25 they take fewer risks than when they were 20. Your problem is that you do not know whether the safe driving program or natural development is responsible for the change. Similarly, if you give a baby 10 years of memory training, you will find that her memory improves. However, this difference is probably due to maturation rather than to the training. Note that, even without treatment, many physical and psychological conditions improve over time. However, if a treatment is administered, “treatment, not time, may get the credit” (Painter, 2008, p. 8D). When listening to stories about how someone allegedly recovered due to some miracle treatment, remember the
If you have a cold and go to the doctor, it will take you seven days to get well; if you don’t go to the doctor, it will take you a whole week.

2. History: Environment Changes Participants

In addition to changing because of events that occur inside the participant, the participant may change because of events—other than the treatment—that occur in the outside world. Thus, even if the treatment has no effect, a participant may change between pretest and posttest because of history: any change in the participant’s environment that has nothing to do with the treatment but has a systematic effect on a condition’s average score (see Figure 9.4). History can involve events as important and far-reaching as a world war or as unimportant and limited as a campus rumor.

To understand the kinds of events that can be labeled “history” and how history can bias a study, suppose two social psychologists have a treatment (an ad) they think will change how Americans feel about space exploration. However, between pretest and posttest, a spacecraft explodes. The change in attitudes may be due to the explosion (history) rather than to their ad. Or,
suppose an investigator was examining the effect of diet on maze-running speed. However, between pretest and posttest, the heat went off in the rat room, and the rats nearly froze to death. As you can see from these examples, events that happen in a participant’s life (history) between the pretest and the posttest can cause changes that could be mistaken for treatment effects.

3. Testing: Measuring Participants Changes Participants

One event that always occurs between the start of the pretest and the start of the posttest is the pretest itself. If the pretest changes participants (e.g., it motivates them to learn what is on the test, or it makes them better at taking the test by giving them practice on the test), you have a testing effect. For example, if your instructor gave you the same test twice, you would score better the second time around. Your improvement would be due to finding out and remembering the answers to questions you missed. Because of the testing effect, people who have taken many intelligence tests (for example, children of clinical psychologists) may score very high on IQ tests regardless of their true intelligence. (Because of the testing effect, you should take the sample quizzes on this text’s website—as Roediger and Karpicke [2006] point out, “Testing is a powerful means of improving learning, not just assessing it” [p. 249].)

The testing effect is not limited to knowledge tests. Rather, it can occur with any measure. To illustrate, let’s look at a pretest that has nothing to do with knowledge. Suppose we were to ask people their opinions about Greenland entering the World Bank. Would we get a different answer the second time we asked this question? Yes, because the very action of asking for their opinion may cause them to think about the issue more and to develop or change their opinion. In short, whether you are measuring a person’s attitudes, cholesterol, exercise habits, or almost anything else, your measurements may stimulate the person to change.

Three Measurement Changes That May Cause Scores to Change Between Pretest and Posttest

Obviously, participants’ scores may change because participants have changed. What is less obvious is that participants’ scores may change because how participants are measured has changed. As you will soon see, even when the participants themselves have not changed, the way their scores are measured may change due to (1) instrumentation, (2) regression, and (3) mortality.

1. Instrumentation: Changes in How Participants Are Measured

One reason a participant’s score may change from pretest to posttest is instrumentation: changes in the measuring instrument causing changes in scores. But why would the measuring instrument used for the posttest be different from the one used during the pretest?

Sometimes, changes in the measuring instrument are unintentional. Suppose you are measuring aggression using the most changeable measuring instrument possible: the human rater. As the study progresses, raters may broaden their definition of aggression. Consequently, raters may give participants higher posttest scores on aggression, even though participants’ behavior has not changed.
Unfortunately, there are many ways that raters could change between pretesting and posttesting. Raters could become more conscientious, less conscientious, more lenient, less lenient, and so forth. Any of these changes could cause an instrumentation effect.

Sometimes, changes in the instrument occur because the researcher is trying to make the posttest better than the pretest. For example, the researcher may retype the original questionnaire to make the scales look nicer, to fix typographical errors, or to eliminate bad questions. Unfortunately, these changes, no matter how minor they may seem and no matter how logical they may be, can cause instrumentation effects. Thus, the time to refine your measure is before—not while—you conduct your study.

2. Regression Revisited: Changes in How Random Error Affects Measurements

Even if the measuring instrument is the same for both the pretest and posttest, the degree to which random measurement error affects scores may differ from pretest to posttest. You do not escape regression toward the mean by using a pretest–posttest design rather than a two-group design.

To show that you do not get away from regression toward the mean by using the pretest–posttest design, think back to the researcher who was investigating the effects of a memory training program in older adults. Suppose that she had decided not to compare the 8 highest-scoring assisted-living residents with a group of independent-living residents. Instead, after having the 8 assisted-living residents who scored highest on the pretest complete the training program, she had re-administered the memory test as her posttest. What would she have observed?

As before, she would have observed that the assisted living residents’ memory scores dropped from pretest to posttest. This drop is not due to the training program robbing patients of memories. Rather, the posttest scores more accurately reflect the patients’ poor memories. The posttest scores are lower than the pretest scores only because the pretest scores were inflated with random measurement error.

The pretest scores were destined to be inflated with measurement error because the investigators selected only those residents whose scores were extreme (for their group). Extreme scores tend to have extreme amounts of measurement error.

To understand why extreme scores tend to have extreme amounts of measurement error, realize that a participant’s score is a function of two things: the participant’s true characteristics and measurement error. Thus, an extreme score may be extreme because measurement error is making the score extreme. To take a concrete example, let’s consider the three possibilities for a student getting a perfect score on an exam:

1. The student is a perfect student.
2. The student is a very good student and had some good luck.
3. The student is an average or below-average student but got incredibly lucky.

As you can see, if you study a group of people who got perfect scores on the last exam, you are probably studying a group of people whose scores were inflated by measurement error. If participants were measured again,
random error would probably be less generous. (After all, random error could not be more generous. There's only one place to go from a perfect score—down.) Therefore, if you were to give those participants a treatment (memory training) and then look at their scores on the next exam, you would be disappointed. The group that averaged 100% on the first test might average “only” 96% on the second test.

In the case we just described, regression's presence is relatively obvious because people recognize that test scores are influenced by random error. Note, however, that almost any measure is influenced by random error—and any measure that is influenced by random error is potentially vulnerable to regression toward the mean. For example, suppose you are trying to make inferences about a participant’s typical behavior from a sample of that participant’s behavior. If the behavior you observe is not typical of the participant’s behavior, you have measurement error. Even if you measured the behavior you observed perfectly, you have measurement error because you have not measured the participant’s typical behavior perfectly.

To see how a sample of behavior may not be typical of normal behavior, let's look at a coin's behavior. Suppose you find a coin that comes up heads 6 times in a row. Although you have accurately recorded that the coin came up heads 6 times in a row, you might be making a mistake if you concluded that the coin was biased toward heads. In fact, if you were to flip the coin 10 more times, you probably would not get 10 more heads. Instead, you would probably get something close to 5 heads and 5 tails.

Coins are not the only things to exhibit erratic behavior. Every behavior is inconsistent and therefore prone to atypical streaks. For example, suppose you watch someone shoot baskets. You accurately observe that she made five out of five shots. Based on these observations, you may conclude that she is a great shooter. However, you may be wrong. Perhaps if you had observed her shooting on a different day, you would have seen her make only one of five shots.

To illustrate how this subtle form of measurement error can lead to regression toward the mean, suppose a person who had been happy most of her life feels depressed. This depression is so unlike her that she seeks therapy. Before starting the therapy, the psychologist gives her a personality test. The test verifies that she is depressed. After a couple of sessions, she is feeling better. In fact, according to the personality test, she is no longer depressed. Who could blame the psychologist for feeling proud?

But has the psychologist changed the client's personality? No, the client is just behaving in a way consistent with her normal personality. The previous measurements were contaminated by events that had nothing to do with her personality. Perhaps her depressed manner reflected a string of bad fortune: getting food poisoning, her cat running away, and being audited by the IRS. As this string of bad luck ended and her luck returned to normal, her mood returned to normal.

Regression toward the mean is such a clever impersonator of a treatment effect that regression fools most of the people most of the time. Many people swear that something really helped them when they had “hit bottom.” The baseball player who recovers from a terrible slump believes that hypnosis was the cure; the owner whose business was at an all-time low believes that a new manager turned the business around; and a man who was at an all-time emotional low feels that his new girlfriend turned him around. What
these people fail to take into account is that things are simply reverting back to normal (regressing toward the mean). So, the next time you hear of a person who has been miraculously returned to his or her typical state, remember comedian Woody Allen’s line: “I always get well, even without the leeches.”


The last reason that you could find differences between pretest and posttest scores would be that you were measuring fewer participants at posttest than you were at pretest. In other words, like a two-group study, a pretest–posttest study can fall victim to mortality.

To illustrate how much of an impact mortality can have on a pretest–posttest study, imagine that you are studying the effect of diet on memory in older adults. You pretest your participants, give them your new diet, and test them again. You find that the average posttest score is higher than the average pretest score. However, if the pretest average is based on 100 participants and the posttest average is based on 70 participants, your results may well be due to mortality. Specifically, the reason posttest scores are higher than pretest scores may be that the people who scored poorly on the pretest are no longer around for the posttest.

Although death is the most dramatic way to lose participants, it is not the most common way. Usually, attrition results from participants quitting the study, failing to follow directions, or moving away.

Note that not all attrition is equal. For example, if you are losing participants due to their moving away, it is possible that you are losing just as many low scorers as high scorers and that this attrition has little systematic effect on posttest scores. If, on the other hand, you are losing participants who can’t or won’t stay on your treatment program, you are probably losing the low-scoring participants and this loss will have a large effect on posttest scores.

CONCLUSIONS ABOUT TRYING TO KEEP EVERYTHING EXCEPT THE TREATMENT CONSTANT

We tried to create a situation in which we manipulated the treatment while keeping everything else constant. However, nothing we tried worked.

When we tried to compare a treatment group with a no-treatment group, we had to worry that our groups were not identical before the study started. Even when we matched our groups, we realized that the groups might not be identical because

1. we could not match groups on every characteristic
2. we could not match groups based on participants’ actual characteristics, so we had to match them based on imperfect measures of those characteristics

Because we could not get equivalent groups at the start of the study, we did not dwell on the additional problems of keeping groups equivalent. That is, we did not stress the mortality problem that would result if, for example, more participants dropped out of the treatment group than out of the no-treatment group.
Because of the problems with comparing a treatment group against a no-treatment group (see Table 9.2), we tried to measure the same group before and after giving them the treatment. Although this pretest–posttest tactic got rid of some threats to validity, it introduced others (see Figure 9.5). As Table 9.3 shows, participants may change from pretest to posttest for a variety of reasons that have nothing to do with the treatment. Participants may change as a result of

1. natural development (maturation)
2. other things in their lives changing (history)
3. learning from the pretest (testing)

Furthermore, participants may appear to change from pretest to posttest because

1. the posttest measure was a different instrument than the pretest measure (instrumentation)
2. their pretest scores were unduly influenced by chance (setting up regression toward the mean)
3. participants dropped out of the study, so that the posttest group is not the same group of individuals as the pretest group (mortality)

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<thead>
<tr>
<th>TABLE 9.2</th>
<th>Questions to Ask When Examining a Two-Group (Treatment Versus No-Treatment) Study</th>
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<tbody>
<tr>
<td>Selection</td>
<td>Were groups equal before the study began?</td>
</tr>
<tr>
<td>Selection by maturation interaction</td>
<td>Would the groups have naturally grown apart, even without the treatment?</td>
</tr>
<tr>
<td>Regression effects</td>
<td>Even if the groups appeared equivalent before the study began, was this apparent equivalence merely a temporary illusion created by random measurement error?</td>
</tr>
<tr>
<td>Mortality</td>
<td>Did more participants drop out of one group than dropped out of the other group?</td>
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<thead>
<tr>
<th>TABLE 9.3</th>
<th>Questions to Ask When Examining a Pretest–Posttest (Before–After) Study</th>
</tr>
</thead>
<tbody>
<tr>
<td>Maturation</td>
<td>Could the before–after (pretest–posttest) differences have been due to natural changes resulting from participants becoming older?</td>
</tr>
<tr>
<td>History</td>
<td>Could other events in the participants’ lives have caused the pretest–posttest differences?</td>
</tr>
<tr>
<td>Testing</td>
<td>Could participants have scored differently on the posttest because of the practice and experience they got on the pretest?</td>
</tr>
<tr>
<td>Instrumentation</td>
<td>Were participants measured with the same instrument, in the same way, both times?</td>
</tr>
<tr>
<td>Regression</td>
<td>Were participants selected for their extreme pretest scores? Participants who get extreme scores will often get less extreme scores the second time around.</td>
</tr>
<tr>
<td>Mortality</td>
<td>Did everyone who took the pretest stick around for the posttest—or is the posttest group a more select group than the pretest group?</td>
</tr>
</tbody>
</table>
RULING OUT EXTRANEOUS VARIABLES

Why couldn’t we eliminate extraneous variables? Was it because we used improper research techniques? No—as you will see in later chapters, matching participants and testing participants before and after treatment are useful research techniques.

We couldn’t eliminate extraneous variables because it can’t be done. Keeping everything the same is impossible. Imagine, in our ever-changing world, trying to make sure that only one thing in a participant’s life changed!

Accounting for Extraneous Variables

Fortunately, you do not have to eliminate extraneous variables to rule out their effects. As you will learn in Chapter 10, you can combine random assignment and statistics to rule out the effects of extraneous variables. (Random assignment involves using a random process, such as a coin flip, to
determine which treatment a participant receives. In the simplest case, random assignment results in half the participants receiving the treatment and half receiving no treatment.)

Even without using random assignment (a technique discussed in the next chapter), you can still try to rule out the effects of extraneous variables. In a sense, tracking down a treatment’s effect without using random assignment is much like a detective tracking down a murderer. Just as the detective is confronted with more than one suspect for a murder, you are confronted with more than one suspect for an effect. Just as the detective can’t make the suspects disappear, you can’t eliminate extraneous factors. However, like the detective, you can use logic to rule out some suspects.

Before you can begin to account for the actions of every suspicious extraneous variable, you have to know “who” each of these variables is. At first glance, identifying all of the thousands of variables that might account for the relationship between the treatment and the effect seems as impossible as eliminating all those variables.

Identifying Extraneous Variables
Fortunately, identifying the extraneous variables is not as difficult as it first appears because every one of these thousands of factors falls into eight categories: Campbell and Stanley’s (1963) eight threats to validity. Thus, you really have only eight suspects: selection, history, maturation, testing, regression, mortality, instrumentation, and selection by maturation. If you can show that none of these eight threats were responsible for the effect, you can conclude that the treatment was responsible.

THE RELATIONSHIP BETWEEN INTERNAL AND EXTERNAL VALIDITY

If you rule out all eight threats, you have established internal validity—you have demonstrated that a factor causes an effect in a particular study. But you have not demonstrated that you can generalize your results outside your particular study. Internal validity alone does not guarantee that an investigator repeating the study using different participants (patients hospitalized with depression instead of college students) or using a different setting (a library instead of a lab) would obtain the same results. If you want to generalize your results, you need external validity.

If internal validity does not guarantee external validity, why bother with establishing internal validity? One answer is that you may not care about external validity. Instead of wanting to generalize your results, you may only want to show that a certain treatment causes an effect in a certain group in a certain setting. To understand why you might be so focused on internal validity, let’s look at two types of researchers who have that focus.

First, investigators trying to isolate a process that would help us understand how something (the brain, vision, memory, or reading) works may not care about external validity. Indeed, to isolate and understand a particular process, they might deliberately use an artificial environment (e.g., a brain imaging chamber, a Skinner box). Note that precisely because the process does not operate in isolation in real life, the investigator would not expect the study’s results to replicate in a real-life setting—any more than a physicist
would expect a study done in a vacuum to work in real life (Stanovich, 2007).

Second, some therapists may want to show that with their patients, in their hospital, giving the patients an exercise program reduces patients’ alcohol consumption. The therapists may not care whether the treatment would work with other kinds of patients at other hospitals (external validity). They only care that they have a method that works for them. However, few people are so single-minded that they are totally unconcerned with external validity.

Given that most researchers are concerned about external validity, you might think that most researchers would take many steps to maximize their study’s external validity. However, for at least three reasons, researchers often take relatively few steps targeted specifically at boosting their study’s external validity.

First, results from internally valid experiments tend to generalize (Anderson & Bushman, 1997; Anderson, Lindsay, & Bushman, 1999). That is, if an experiment showing that a factor has an effect is replicated (repeated) with a different group of participants or in a different setting, the replication will usually also find that the factor has an effect. As Anderson et al. wrote, “The psychological laboratory has generally produced psychological truths rather than trivialities” (p. 3).

Second, if other researchers using other types of participants and other settings all replicate the findings of the original study, these replications make a strong case for the finding’s external validity. Indeed, replications by other researchers usually produce stronger evidence that a finding has external validity than anything the original researcher can do.

Third, the things that the original researcher would do to improve a study’s external validity may reduce its internal validity (see Table 9.4). Or, to look at it another way, the steps a researcher might take to improve internal validity may end up reducing the study’s external validity. For instance, to reduce the problem of selection bias, you might use twins as your participants. Although using twins as participants could increase internal validity by reducing differences between your treatment and no-treatment groups, it might hurt the generalizability of your study: Your results might apply only to twins.

**Table 9.4**

<table>
<thead>
<tr>
<th>TACTIC USED TO HELP ESTABLISH INTERNAL VALIDITY</th>
<th>TACTIC’S IMPACT ON EXTERNAL VALIDITY</th>
</tr>
</thead>
<tbody>
<tr>
<td>Use participants who are very similar to each other to reduce the effects of selection. For example, study only twins or study only rats.</td>
<td>Studying such a narrowly defined group raises questions about the degree to which the results can be generalized to different participant populations. Do the results hold for people who are not twins? Animals that are not rats?</td>
</tr>
<tr>
<td>Study participants in a highly controlled laboratory setting to reduce the effects of extraneous factors such as history.</td>
<td>Studying participants in an isolated, controlled environment, such as a lab, raises questions about the extent to which the results might generalize to more complex, real-life settings.</td>
</tr>
</tbody>
</table>
Similarly, you might reduce the threat of history by testing your participants in a situation such as a lab where they are isolated from nontreatment factors. This highly controlled situation may increase internal validity because the treatment was one of the only things to change during the study. However, you would have to wonder whether the treatment would have the same effect outside this artificial situation. For example, would the results generalize to real life, where the factors from which you isolated your participants would come into play?

**CONCLUDING REMARKS**

As you have seen, internal validity and external validity are sometimes in conflict. The same procedures that increase internal validity may decrease external validity. Fortunately, however, internal validity and external validity are not necessarily incompatible. As you will see in future chapters, you can do studies that have both.

If you want to establish both internal and external validity, many would argue that you should first establish internal validity. After all, before you can establish that a factor causes an effect in most situations, you must show that the factor causes an effect in at least one situation.

But how can you establish internal validity? In this chapter, we tried two basic approaches (the no-treatment/treatment group design and the pretest–posttest design), and both failed. In the next chapter, you will learn the easiest and most automatic way to establish internal validity: the simple experiment.

**SUMMARY**

1. If you observe an effect in a study that has internal validity, you know what caused that effect.
2. Campbell and Stanley (1963) described eight major threats to internal validity: selection, selection by maturation interaction, regression, maturation, history, testing, mortality, and instrumentation.
3. When you compare a treatment group to a no-treatment group, beware of two non-treatment reasons your groups could differ: (1) the groups being different even before you start the study (selection) and (2) the groups becoming different because of mortality: individuals dropping out of the study.
4. To reduce selection bias, participants should never get to choose what amount of treatment they get. In addition, participants’ characteristics, attitudes, or behaviors should have nothing to do with whether they are put in the treatment rather than in the no-treatment group.
5. It is impossible to match two groups of participants so that they are identical in every respect: Participants simply differ in too many ways.
6. Even matching participants on pretest scores is not perfect because of the problems of selection by maturation interactions and regression.
7. Selection by maturation occurs when your two groups mature (naturally change) at different rates or in different directions.
8. The fact that extreme scores tend to be a little less extreme the second time around is called regression toward the mean. It can cause two groups that appear to be matched on a pretest to score differently on the posttest.
9. In the pretest–posttest design, you measure a group, administer the treatment, and measure the group again.
10. Using the pretest–posttest method is not as perfect as it first appears. It is vulnerable to
testing, history, regression, maturation, mortality, and instrumentation effects.

11. Regression can occur in the pretest–posttest design because the participant may have gotten the treatment when he or she had “hit bottom.” Consequently, there was no place to go but up.

12. Maturation refers to inner, biological changes that occur in people merely as a result of time. In some cases, becoming more mature—not the treatment—accounts for people changing from pretest to posttest.

13. History refers to outside events—other than the treatment—that may influence participants’ scores. Events that occur in the participants’ world between pretest and posttest can cause participants to change from pretest to posttest.

14. Testing effect refers to the fact that taking a pretest may affect performance on a posttest.

15. Instrumentation occurs when the measuring instrument used in the posttest is different from the one used in the pretest.

16. External validity is the degree to which the results from a study can be generalized to other types of participants and settings.

17. Internal and external validity are not necessarily incompatible.

**KEY TERMS**

- internal validity (p. 305)
- extraneous factors (p. 306)
- selection (or selection bias) (p. 308)
- matching (p. 312)
- selection by maturation interaction (p. 313)
- regression (toward the mean) (p. 316)
- mortality (attrition) (p. 319)
- pretest–posttest design (p. 319)
- maturation (p. 321)
- history (p. 322)
- testing effect (p. 323)
- instrumentation (bias) (p. 323)

**EXERCISES**

1. What questions would you ask a researcher who said that the no-treatment and treatment groups were identical before the start of the study?

2. In all of the following cases, the researcher wants to make cause–effect statements. What threats to internal validity is the researcher apparently overlooking?
   a. Employees are interviewed on job satisfaction. Bosses undergo a 3-week training program. When employees are reinterviewed, dissatisfaction seems to be even higher. Therefore, the researcher concludes that the training program caused further employee dissatisfaction.
   b. After completing a voluntary workshop on improving the company’s image, workers are surveyed. Those who attended the workshop are now more committed than those in the no-treatment group who did not make the workshop. Therefore, the researcher concludes that the workshop made workers more committed.
   c. After a 6-month training program, employee productivity improves. Therefore, the researcher concludes that the training program caused increased productivity.
   d. Morale is at an all-time low. As a result, the company hires a “humor consultant.” A month later, workers are surveyed and morale has improved. Therefore, the researcher concludes that the consultant improved morale.
   e. Two groups of workers are matched on commitment to the company. One group is asked to attend a 2-week workshop on improving the company’s image; the other is the no-treatment group. Workers
who complete the workshop are more committed than those in the no-treatment group. Therefore, the researcher concludes that the workshop made workers more committed.

3. A hypnotist claims that hypnosis can cause increases in strength. To “prove” this claim, the hypnotist has participants see how many times they can squeeze a hand-grip in 2 minutes. Then, he hypnotizes them and has them practice for 2 weeks. At the end of 2 weeks, they can squeeze the hand-grips together many more times than they could at the beginning. Other than hypnosis, what could have caused this effect?

4. How could a quack psychologist or “healthcare expert” take advantage of regression toward the mean to make it appear that certain phony treatments actually worked? Why should a baseball team’s general manager consider regression toward the mean when considering a trade for a player who made the All-Star team last season?

5. How could a participant’s score on an ability test change even though the person’s actual ability had not?

6. Suppose a memory researcher administers a memory test to a group of residents at a nursing home. He finds grade-school students who score the same as the older patients on the memory pretest. He then administers an experimental memory drug to the older patients. A year later, he gives both groups a posttest.
   a. If the researcher finds that the older patients now have a worse memory than the grade-school students, what can the researcher conclude? Why?
   b. If the researcher finds that the older patients now have a better memory than the grade-school students, what can the researcher conclude? Why?

7. Suppose there is a correlation between the use of night-lights in an infant’s room and an increased incidence of nearsightedness later. What might account for this relationship?

8. What is the difference between
   a. testing and instrumentation?
   b. history and maturation?

9. Suppose a researcher reports that a certain argument strategy has an effect, but only on those participants who hold extreme attitudes. Why might the researcher be mistaken about the effects of the persuasive strategy?

10. What is the difference between internal and external validity?

WEB RESOURCES

1. Go to the Chapter 9 section of the book’s student website and
   a. Look over the concept map of the key terms.
   b. Test yourself on the key terms.
   c. Take the Chapter 9 Practice Quiz.
   d. Download the Chapter 9 tutorial.
The Simple Experiment

Logic and Terminology
Experimental Hypothesis: The Treatment Has an Effect
Null Hypothesis: The Treatment Does Not Have an Effect
Conclusions About Experimental and Null Hypotheses
Manipulating the Independent Variable
Experimental and Control Groups: Similar, but Treated Differently
The Value of Independence: Why Control and Experimental Groups Shouldn’t Be Called “Groups”
The Value of Assignment (Manipulating the Treatment)
Collecting the Dependent Variable
The Statistical Significance Decision: Deciding Whether to Declare That a Difference Is Not a Coincidence
Statistically Significant Results: Declaring That the Treatment Has an Effect
Null Results: Why We Can’t Draw Conclusions From Nonsignificant Results
Summary of the “Ideal” Simple Experiment

Errors in Determining Whether Results are Statistically Significant
Type 1 Errors: “Crying Wolf”
Type 2 Errors: “Failing to Announce the Wolf”
The Need to Prevent Type 2 Errors: Why You Want the Power to Find Significant Differences

Statistics and the Design of the Simple Experiment
Power and the Design of the Simple Experiment
Conclusions About How Statistical Considerations Impact Design Decisions

Nonstatistical Considerations and the Design of the Simple Experiment
External Validity Versus Power
Construct Validity Versus Power
Ethics Versus Power

Analyzing Data from the Simple Experiment: Basic Logic
Estimating What You Want to Know: Your Means Are Sample Means
Why We Must Do More Than Subtract the Means From Each Other
How Random Error Affects Data From the Simple Experiment
When Is a Difference Too Big to Be Due to Random Error?

Analyzing the Results of the Simple Experiment: The t Test
Making Sense of the Results of a t Test
Assumptions of the t Test

Questions Raised by Results
Questions Raised by Nonsignificant Results
Questions Raised by Significant Results

Concluding Remarks
Summary
Key Terms
Exercises
Web Resources
What you have is an experience, not an experiment.
—R. A. Fisher

Happy is the person who gets to know the reasons for things.
—Virgil

CHAPTER OVERVIEW

Why do people behave the way they do? How can we help people change? To answer these questions, we must be able to isolate the underlying causes of behavior, and to do that, we must design a study that has internal validity: the ability to determine whether a factor causes an effect.

This chapter introduces you to one of the easiest ways to establish that a factor causes an effect: the simple experiment. You will start by learning the basic logic behind the simple experiment. Then, you will learn how to weigh statistical, ethical, and validity issues in order to design a useful simple experiment. Finally, you will learn how to interpret the results of such an experiment.

LOGIC AND TERMINOLOGY

The simple experiment involves two groups of participants. At the start of the experiment, the two groups should not differ from each other in any systematic way, but during the experiment, the experimenter will treat one group differently from the other. For example, the experimenter may

- Assign the groups different types of activities (e.g., playing violent versus nonviolent video games)
- Assign the groups different amounts of an activity (e.g., one group might meditate for 30 minutes whereas the other group meditates for 10 minutes)
- Appear one way (e.g., well dressed) to one group and another way (e.g., casually dressed) to the other group
- Have confederates (people who pretend to be participants but who are actually the researcher’s assistants) behave one way (e.g., agreeing with the participant) when interacting with members of one group and another way (e.g., disagreeing with the participant) when interacting with the other group
- Have a certain object (e.g., a mirror or a gun) in the testing room when members of one group are tested but not when members of the other group are tested
- Make the testing room’s environment more intense on a certain dimension (e.g., how hot it is, how loud it is, how it is lit, how it smells, or the concentration of negative ions in it) when members of one group are tested and less intense on that dimension when the other group is tested
• Give the groups different instructions (“memorize these words by repeating them over and over” versus “make a sentence out of these words,” or “keep a log of what you have to be grateful for” versus “keep a log of hassles you encounter”)

• Give the groups different printed stimuli (whether or not the sentences participants are asked to unscramble make participants think about older people, whether the words participants are to memorize are concrete and easy to visualize [e.g., “bell”] or abstract and hard to visualize [e.g., “liberty”], whether the exam is printed on blue or white paper, whether the people in the photograph are attractive or unattractive)

• Give the groups different contexts for interpreting stimuli (the researcher may vary the gender, age, attractiveness, or background of the person whose job application, school record, essay, or character is being judged)

• Give the groups different scenarios (the situations may be the same but worded differently [e.g., “Valerie and I are best friends” versus “We are best friends”] or “You can have $5.00 now or $6.20 in a month” versus “You can have $5.00 now and $0 in a month or $0 now and $6.20 in a month”] or the scenarios may differ in one respect (e.g., gender, race, or job experience of characters; the possible or likely causes of an event [e.g., the person was—or was not—drunk, the disease could—or could not—be transmitted through sexual contact])

• Give the groups different feedback (“the test suggests you are outgoing” versus “the test suggests you are shy,” “the test suggests you will spend much of your future alone” versus, “the test suggests you will spend much of your future with friends and loved ones” or “you did well on the task” versus “your performance on the task was average)

• Give the groups different chemicals (sugar-sweetened lemonade versus artificially sweetened lemonade, caffeinated versus decaffeinated colas)

Often, half the participants (the treatment group) receive a treatment, whereas the other half (the no-treatment group) receive no treatment. If, at the end of the experiment, the two groups differ significantly, we can conclude that the treatment—the only systematic difference between the groups—caused that significant difference.

But how do we set up a situation in which the only systematic difference between the no-treatment and the treatment groups is the treatment? The answer is independent random assignment. In random assignment, a process similar to determining what treatment the participant will receive based on a coin flip, every participant—regardless of that participant’s characteristics—has an equal chance of being assigned to either the treatment or no-treatment group. If we provide each participant an equal chance of being assigned to either group, there will still be unsystematic, chance differences between our groups before we introduce the treatment, but there should not be any systematic differences between them.

To review, random assignment, the key to the simple experiment, involves two processes. First, we randomly divide our participants into two similar halves. Second, we assign one of those halves to get a treatment different from the other. For example, half may be allowed to choose the deadlines for their term papers, whereas the other half are not; or half the participants would be given a violent video game to play, whereas the other half would be given a neutral video game.
We have given you a general idea of what random assignment is, but how would you actually randomly assign participants to either a no-treatment or a treatment group? You might think that you could flip a coin for each participant: If the coin comes up heads, the participant gets the treatment; if the coin comes up tails, the participant does not get the treatment. However, coin-flipping does not work because “a tossed coin is slightly more likely to land on the face it started out on than on the opposite face” (Klarreich, 2004, p. 363). Even computers have trouble producing random sequences (Klarreich, 2004). So what should you do? (The “eenie meenie minie moe” method is not an option because it isn’t random.) The solution is to use a random numbers table to assign participants to condition (Wilkinson & the Task Force on Statistical Inference, 1999). To learn how to use a random numbers table, see Box 10.1.

**Experimental Hypothesis: The Treatment Has an Effect**

If you do not randomly assign your participants to two groups, you do not have a simple experiment. However, before you randomly assign participants, you must have an experimental hypothesis: a prediction that the treatment will cause an effect. To generate an experimental hypothesis, you must predict that the treatment and no-treatment groups will differ because of the treatment’s effect. For example, you might hypothesize that participants getting 3 hours of full-spectrum light will be happier than those getting no full-spectrum light because full-spectrum light causes increases in happiness.

Although you can make a wide variety of experimental hypotheses (e.g., you could hypothesize that participants forced to trade their lottery tickets would be unhappier than those who were not forced to trade their lottery tickets or that participants forced to describe their relationship with their friend with “My friend and I _____” sentences would be less happy with the relationship than people forced to describe their relationship with “We_____” sentences), realize that not all hypotheses are cause–effect hypotheses. Sometimes, hypotheses involve describing what happens rather than finding out what makes things happen. If you generate a hypothesis that is *not* a cause–effect statement, it is *not* an experimental hypothesis. Thus, if you hypothesize that men are more romantic than women, you do not have an experimental hypothesis. Similarly, if you predict that athletes will be more assertive than nonathletes, you do not have an experimental hypothesis. In short, to have an experimental hypothesis, you must predict that some treatment that you manipulate will *cause* an effect.

**Null Hypothesis: The Treatment Does Not Have an Effect**

Once you have an experimental (cause–effect) hypothesis, pit it against the null hypothesis: the hypothesis that the treatment has no effect. The null hypothesis essentially states that any difference you observe between the treatment and no-treatment group scores could be due to chance. Therefore, if our experimental hypothesis was that getting 3 hours of full-spectrum lighting...
Randomly Assigning Participants to Two Groups

There are many ways to randomly assign participants to groups. Your professor may prefer another method. However, following these steps guarantees random assignment and an equal number of participants in each group.

**Step 1:** On the top of a sheet of paper, make two columns. Title the first “Control Group.” Title the second “Experimental Group.” Under the group names, draw a line for each participant you will need. Thus, if you were planning to use eight participants (four in each group), you would draw four lines under each group name.

<table>
<thead>
<tr>
<th>CONTROL GROUP</th>
<th>EXPERIMENTAL GROUP</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
</tr>
</tbody>
</table>

**Step 2:** Turn to a random numbers table, like the one at the end of this box (or the one in Appendix F). Roll a die to determine which column in the table you will use. Make a note in that column so that others could check your methods (Wilkinson & the Task Force on Statistical Inference, 1999).

**Step 3:** Assign the first number in the column to the first space under Control Group, the second number to the second space, and so on. When you have filled all the spaces for the control group, place the next number under the first space under Experimental Group and continue until you have filled all the spaces. Thus, if you used the random numbers table at the end of this box and you rolled a “5,” you would start at the top of the fifth column of that table (the column starting with the number 81647), and your sheet of paper would look like this:

<table>
<thead>
<tr>
<th>CONTROL GROUP</th>
<th>EXPERIMENTAL GROUP</th>
</tr>
</thead>
<tbody>
<tr>
<td>81647</td>
<td>06121</td>
</tr>
<tr>
<td>30995</td>
<td>27756</td>
</tr>
<tr>
<td>76393</td>
<td>98872</td>
</tr>
<tr>
<td>07856</td>
<td>18876</td>
</tr>
</tbody>
</table>

**Step 4:** At the end of each control group score, write down a “C.” At the end of each experimental group score, write down an “E.” In this example, our sheet would now look like this:

<table>
<thead>
<tr>
<th>CONTROL GROUP</th>
<th>EXPERIMENTAL GROUP</th>
</tr>
</thead>
<tbody>
<tr>
<td>81647C</td>
<td>06121E</td>
</tr>
<tr>
<td>30995C</td>
<td>27756E</td>
</tr>
<tr>
<td>76393C</td>
<td>98872E</td>
</tr>
<tr>
<td>07856C</td>
<td>18876E</td>
</tr>
</tbody>
</table>

**Step 5:** Rank these numbers from lowest to highest. Then, on a second piece of paper, put the lowest number on the top line, the second lowest number on the next line, and so on. In this example, your page would look like this:

<table>
<thead>
<tr>
<th>CONTROL GROUP</th>
<th>EXPERIMENTAL GROUP</th>
</tr>
</thead>
<tbody>
<tr>
<td>06121E</td>
<td></td>
</tr>
<tr>
<td>07856E</td>
<td></td>
</tr>
<tr>
<td>18876E</td>
<td></td>
</tr>
<tr>
<td>27756E</td>
<td></td>
</tr>
<tr>
<td>30995C</td>
<td></td>
</tr>
<tr>
<td>76393C</td>
<td></td>
</tr>
<tr>
<td>81647C</td>
<td></td>
</tr>
<tr>
<td>98872E</td>
<td></td>
</tr>
</tbody>
</table>

**Step 6:** Label the top line “Participant 1,” the second line “Participant 2,” and so forth. The first participant who shows up will be in the condition specified on the top line, the second participant who shows up will be in the condition specified by the second line, and so forth. In this example, the first participant will be in the experimental group, the second in the control group, the third and fourth in the experimental group, the fifth, sixth, and seventh in the control group, and the eighth in the experimental group. Thus, our sheet of paper would look like this:

| Participant Number 1 = 06121E |
| Participant Number 2 = 07856C |
| Participant Number 3 = 18876E |
| Participant Number 4 = 27756E |
| Participant Number 5 = 30995C |
| Participant Number 6 = 76393C |
| Participant Number 7 = 81647C |
| Participant Number 8 = 98872E |

(Continued)
Step 7: To avoid confusion, recopy your list, but make two changes. First, delete the random numbers. Second, write out “Experimental” and “Control.” In this example, your recopied list would look like the following:

Participant Number 1 = Experimental
Participant Number 2 = Control
Participant Number 3 = Experimental
Participant Number 4 = Experimental
Participant Number 5 = Control
Participant Number 6 = Control
Participant Number 7 = Control
Participant Number 8 = Experimental

Random Numbers Table

<table>
<thead>
<tr>
<th>Row</th>
<th>Column 1</th>
<th>Column 2</th>
<th>Column 3</th>
<th>Column 4</th>
<th>Column 5</th>
<th>Column 6</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>10480</td>
<td>15011</td>
<td>01536</td>
<td>02011</td>
<td>81647</td>
<td>69179</td>
</tr>
<tr>
<td>2</td>
<td>22368</td>
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<td>25595</td>
<td>85393</td>
<td>30995</td>
<td>89198</td>
</tr>
<tr>
<td>3</td>
<td>24130</td>
<td>48360</td>
<td>22527</td>
<td>97265</td>
<td>76393</td>
<td>64809</td>
</tr>
<tr>
<td>4</td>
<td>42167</td>
<td>93093</td>
<td>06243</td>
<td>61680</td>
<td>07856</td>
<td>16376</td>
</tr>
<tr>
<td>5</td>
<td>37570</td>
<td>39975</td>
<td>81837</td>
<td>76656</td>
<td>06121</td>
<td>91782</td>
</tr>
<tr>
<td>6</td>
<td>77921</td>
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<td>31016</td>
</tr>
<tr>
<td>8</td>
<td>96301</td>
<td>91977</td>
<td>05463</td>
<td>07972</td>
<td>18876</td>
<td>20922</td>
</tr>
</tbody>
</table>

Those of you who are intimately familiar with confidence intervals may realize that null results do not necessarily send the researcher back to square one. Admittedly, we do not know whether the effect is greater than zero, but we could use confidence intervals to estimate a range in which the effect size probably lies. That is, before the study, we may have no idea of the potential size of the effect. We might think the effect would be anywhere between −100 units and +100 units. However, based on the data collected in the study, we could estimate, with 95% confidence, that the effect is between a certain range. For example, we might find, at the 95% level of confidence, that the effect is somewhere in the range between −1 units and +3 units.

2 Those of you who are intimately familiar with confidence intervals may realize that null results do not necessarily send the researcher back to square one. Admittedly, we do not know whether the effect is greater than zero, but we could use confidence intervals to estimate a range in which the effect size probably lies. That is, before the study, we may have no idea of the potential size of the effect. We might think the effect would be anywhere between −100 units and +100 units. However, based on the data collected in the study, we could estimate, with 95% confidence, that the effect is between a certain range. For example, we might find, at the 95% level of confidence, that the effect is somewhere in the range between −1 units and +3 units.
chance,” what would you have you proved? Certainly, you would not have proved that the difference is due to chance.

**Conclusions About Experimental and Null Hypotheses**

In summary, you have learned four important points about experimental and null hypotheses:

1. The experimental hypothesis is that the treatment has an effect.
2. The null hypothesis is that the treatment has no effect.
3. If you reject the null hypothesis, you can tentatively accept the hypothesis that the treatment has an effect.
4. If you fail to reject the null hypothesis, you can’t draw any conclusions.

To remember these four key points, think about these hypotheses in the context of a criminal trial. In a trial, the experimental hypothesis is that the defendant did cause the crime; the null hypothesis is that the defendant did not commit the crime. The prosecutor tries to disprove the null hypothesis so that the jury will accept the experimental hypothesis. In other words, the prosecutor tries to disprove, beyond a reasonable doubt, the hypothesis that the defendant is “not guilty.” If the jury decides that the null hypothesis is highly unlikely, they reject it and find the defendant guilty. If, on the other hand, they still have reasonable doubt, they fail to reject the null hypothesis and vote “not guilty.” Note that their “not guilty” verdict is not an “innocent” verdict. Instead, it is a verdict reflecting that they are not sure, beyond a reasonable doubt, that the null hypothesis is false.

**Manipulating the Independent Variable**

Once you have your hypotheses, your next step is to manipulate the treatment. In any experiment, “participants are presented with the same general scenario (e.g., rating photographs of potential dating partners), but at least one aspect of this general scenario is manipulated” (Ickes, 2003, p. 22). In the simplest case of manipulating the treatment, you administer (assign) the treatment to some participants and withhold it from others. To isolate the treatment’s effect, the conditions must be the same except for the treatment manipulation, as in the following classic experiments:

- In the first study showing that leading questions could bias eyewitness testimony, Loftus (1975) had students watch a film of a car accident and then gave students a questionnaire. The manipulation was whether the first question on the questionnaire was “How fast was Car A going when it ran the stop sign?”—a misleading question because Car A did not run the stop sign—or “How fast was Car A going when it turned right?”—a question that was not misleading.
- In the first study showing that people’s entire impressions of another person could be greatly influenced by a single trait, Asch (1946) had participants think about a person who was described as either (a) “intelligent, skillful, industrious, warm, determined, practical, cautious” or (b) “intelligent, skillful, industrious, cold, determined, practical, cautious.”
- In the first study showing that sex role stereotypes affect how people perceive infants, Condry and Condry (1976) had all participants use a form to rate the same baby. The only difference between how participants were
treated was whether the infant rating form listed the infant’s name (a) as “David” and sex as “male” or (b) as “Dana” and sex as “female.”

- In the first study showing that the pronouns people use when they describe their closest relationships affect how people see those relationships, Fitzsimons and Kay (2004) had all participants rate their relationship with their closest same-sex friend after writing five sentences about that friend. The only difference between groups was that one group was told to begin each sentence with “We,” and was given the example, “We have known each other for 2 years,” whereas the other group was told to begin each sentence with “(Insert friend’s name) and I,” and given the example, “John and I have known each other for 2 years.”

To understand how you would manipulate a treatment, let’s go back to trying to test the hypothesis about the effect of full-spectrum lighting on mood. To do this, you must vary the amount of light people get—and the amount should be independent of (should not depend on or be affected by) the individual’s personal characteristics. To be specific, the amount of full-spectrum light participants receive should be determined by independent random assignment. Because the amount varies between the treatment group and the no-treatment group, because it varies independently of each participant’s characteristics, and because it is determined by independent random assignment, full-spectrum lighting (the experimental intervention) is the independent variable.

In simple experiments, there are two values, or levels of an independent variable. The two levels can be types of treatment (e.g., lighting versus psychotherapy) or amounts (e.g., 1 hour of lighting versus 2 hours of lighting). In our lighting experiment, participants are randomly assigned to one of the following two levels of the independent variable: (1) 3 hours of full-spectrum lighting and (2) no full-spectrum lighting.

**Experimental and Control Groups: Similar, but Treated Differently**

The participants who are randomly assigned to get the higher level of the treatment (3 hours of full-spectrum light) are usually called the experimental group. The participants who are randomly assigned to get a lower level of the treatment (in this case, no treatment) are usually called the control group. Thus, in our example, the experimental group is the treatment group and the control group is the no-treatment group.

*The control group is a comparison group.* We compare the experimental (treatment) group to the control (no-treatment) group to see whether the treatment had an effect. If the treatment group scores the same as the comparison group, we would suspect that the treatment group would have scored that way even without the treatment. If, on the other hand, the treatment group scores differently than the control group, we would suspect that the treatment had an effect. For example, Ariely (2007) gave experimental group participants a chance to cheat. After taking a 50-item test, all participants transferred their answers from their tests to an answer sheet. For participants in the experimental group, the answer sheets already had the correct answers marked. Experimental group participants then shredded their tests and handed in their answer sheets. In this condition, students averaged about
36 questions correct. Did they cheat—and, if they did, how could Ariely possibly know? The only way to find out whether the experimental group cheated was to compare their scores to control group participants who were not allowed to cheat. Those control participants answered only about 33 questions correctly. By comparing the experimental group to the control group, Ariely found out that the experimental group cheated. Note that his conclusion—like that of any experimenter who uses a control group—only makes sense if the groups were equivalent at the start of the experiment. Thus, experimenters need to make sure that there are no systematic differences between the groups before the experimenter gives the groups different levels of the independent variable.

As the terms experimental group and control group imply, you should have several participants (preferably more than 30) in each of your conditions. The more participants you have, the more likely it is that your two groups will be similar at the start of the experiment. Conversely, the fewer participants you have, the less likely it is that your groups will be similar before you administer the treatment. For example, if you are doing an experiment to evaluate the effect of a strength pill and have only two participants (a 6 ft 4 in., 280-lb [1.9 m, 127 kg] offensive tackle and a 5 ft 1 in., 88-lb [1.5 m, 40 kg] person recovering from a long illness), random assignment will not have the opportunity to make your “groups” equivalent. Consequently, your control group would not be a fair comparison group.

The Value of Independence: Why Control and Experimental Groups Shouldn’t Be Called “Groups”

Although we have noted that the experimental and control groups are groups in the sense that there should be several participants in each “group,” that is the only sense in which these “groups” are groups. To conduct an experiment, you do not find two groups of participants and then randomly assign one group to be the experimental group and the other to be the control group.

Why You Should Not Choose Two Preexisting Groups

To see why not, suppose you were doing a study involving 10,000 janitors at a Los Angeles company and 10,000 managers at a New York company. You have 20,000 people in your experiment: one of the largest experiments in history. Then, you flip a coin and—on the basis of that single coin flip—assign the LA janitors to no treatment and the New York managers to treatment. Even though you have 10,000 participants in each group, your treatment and no-treatment groups differ in at least two systematic ways (where they live and what they do) before the study begins. Your random assignment is no more successful in making your groups similar than it was when you had only two participants. Consequently, to get random assignment to equalize your groups, you need to assign each participant independently: individually, without regard to how previous participants were assigned.

Why You Should Not Let Your Groups Become “Groups”

Your concern with independence does not stop at assignment. After you have independently assigned participants to condition, you want each of your participants to remain independent. To maintain independence, do not test the
control participants in one group session and the experimental participants in a separate group session. Having one testing session for the control group and a second session for the experimental group hurts independence in two ways.

First, when participants are tested in groups, they may become group members who influence each other’s responses rather than independent individuals. For example, instead of giving their own individual, independent responses, participants might respond as a conforming mob.

As a concrete example of the perils of letting participants interact, imagine that you are doing an ESP experiment. In the control group, only 30 of the 60 participants correctly guessed that the coin would turn up heads. In the experimental group, on the other hand, all 60 participants correctly guessed that the coin would turn up heads. Had each experimental group participant made his or her decision independently, such results would rarely happen by chance. Thus, we would conclude that the treatment had an effect. However, if all the experimental group members talked to one another and made a group decision, they were not acting as 60 individual participants but as one group. In that case, the results would not be so impressive: Because all 60 experimental participants acted as one, the chances of all of them correctly guessing the coin flip were the same as the chances of one person correctly guessing a coin flip: 1 in 2 (50%).

Although this example shows what can happen when participants are tested in groups and allowed to interact freely, interaction can disturb independence even when group discussion is prohibited. Participants may influence one another through inadvertent outcries (laughs, exclamations like, “Oh no!”) or through subtle nonverbal cues. In our lighting–happiness experiment, if we tested all the participants in a single group session, one participant who is crying uncontrollably might cause the entire experimental group to be unhappy, thereby leading us to falsely conclude that the lighting caused unhappiness. If, on the other hand, we tested each participant individually, the unhappy participant’s behavior would not affect anyone else’s responses.

The second reason for not testing all the experimental participants in one session and all the control participants in another is that such group testing turns the inevitable, random differences between testing sessions into systematic effects. For instance, suppose that when the experimental group was tested, there was a distraction in the hall, but there was no such distraction while the control group was tested. Like the treatment, this distraction was presented to all the experimental group participants, but to none of the control group participants. Thus, if the distraction did have an effect, its effect might be mistaken for a treatment effect. If, on the other hand, participants were tested individually, it is unlikely that only the experimental participants would be exposed to distractions. Instead, distractions would have a chance to even out so that participants in both groups would be almost equally affected by distractions.

But what if you are sure you won’t have distractions? Even then, the sessions will differ in ways unrelated to the treatment. If you manage to test the participants at the same time, you’ll have to use different experimenters and

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3To be more precise, it should happen with a probability of \((1/2)^{60}\), which is less than 0.0000000000000009% of the time.
different testing rooms. If you manage to use the same experimenter and testing room, you’ll have to test the groups at different times. Consequently, if you find a significant difference between your groups, you will have trouble interpreting those results. Specifically, you have to ask, “Is the significant difference due to the groups getting different levels of the treatment or to the groups being tested under different conditions (e.g., having different experimenters or being tested at different times of day)?”

To avoid these problems in interpreting your results, make sure that the treatment is the only factor that systematically varies. In other words, use independent random assignment and then test your participants individually (or in small groups) so that random differences between testing sessions have a chance to even out. If you must run participants in large groups, do not run groups made up exclusively of either experimental or control participants. Instead, run groups made up of both control and experimental participants.

**The Value of Assignment (Manipulating the Treatment)**

We have focused on the importance of independence to independent random assignment. Independence helps us start the experiment with two “groups” of participants that do not differ in any systematic way. But assignment is also a very important aspect of independent random assignment.

**Random Assignment Makes the Treatment the Only Systematic Difference Between Groups**

Random assignment to treatment group helps ensure that the only systematic difference between the groups is the treatment. With random assignment, our groups will be equivalent on the nontreatment variables we know about as well as on the (many) nontreatment variables we don’t know about.

In our experiment, random assignment makes it so that one random sample of participants (the experimental group) is assigned to receive a high level of the independent variable whereas the other random sample of participants (the control group) is assigned to receive a low level of the independent variable. If, at the end of the study, the groups differed by more than would be expected by chance, we could say that the difference was due to the only nonchance difference between them: the treatment.

**Without Random Assignment You Do Not Have a Simple Experiment**

If you cannot randomly assign participants to your different groups, you cannot do a simple experiment. Because you cannot randomly assign participants to have certain personal characteristics, simple experiments cannot be used to study the effects of participant characteristics such as gender, race, personality, and intelligence. For example, it makes no sense to assign a man to be a woman, a 7 ft 2 in. (218 cm) person to be short, or a shy person to be outgoing.

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4 You can, however, use experiments to investigate how participants react to people who vary in terms of these characteristics. For example, you can have an experiment in which participants read the same story except that one group is told that the story was written by a man, whereas the other group is told that the story was written by a woman. Similarly, you can randomly determine, for each participant, whether the participant interacts with a male or female experimenter.
To see why we need to be able to assign participants, let’s imagine that you try to look at the effects of lighting on mood without using random assignment. Suppose you get a group of people who use light therapy and compare them to a group of people who do not use light therapy. What would be wrong with that?

The problem is that you are selecting two groups of people who you know are different in at least one way, and then you are assuming that they don’t differ in any other respect. The assumption that the groups are identical in every other respect is probably wrong. The light therapy group probably feels more depressed, lives in colder climates, is more receptive to new ideas, and is richer than the other group.

Because the groups differ in many ways other than in terms of the “treatment,” it would be foolish to say that the treatment—rather than one of these many other differences between the groups—is what caused the groups to score differently on the happiness measure. For example, if the group of light users is more depressed than our sample of nonusers, we could not conclude that the lighting caused their depression. After all, the lighting might be a partial cure for—rather than a cause of—their depression.

But what if the group of lighting users is less depressed? Even then, we could not conclude that the lighting is causing an effect. Lighting users may be less depressed because they are richer, have more spare time, or differ in some other way from those who don’t use lights. In short, if you do not randomly assign participants to groups, you cannot conclude anything about the effects of a treatment.

If, on the other hand, you start with one group of participants and then randomly assign half to full-spectrum lighting and half to normal lighting, interpreting differences between the groups would be much simpler. Because the groups probably were similar before the treatment was introduced, large group differences in happiness are probably due to the only systematic difference between them—the lighting.

**Collecting the Dependent Variable**

Before you can determine whether the lighting caused the experimental group to be happier than the control group, you must measure each participant’s happiness. You know that each person’s happiness will be somewhat dependent on the individual’s personality and you predict that his or her score on the happiness variable will also be dependent on the lighting. Therefore, scores on the happiness measure are your dependent variable. Because the dependent variable is what the participant does that you measure, the dependent variable is also called the dependent measure.

**The Statistical Significance Decision: Deciding Whether to Declare That a Difference Is Not a Coincidence**

After measuring the dependent variable, you will want to compare the experimental group’s happiness scores to the control group’s. One way to make this comparison is to subtract the average of the happiness scores for the control (comparison) group from the average of the experimental group’s happiness scores.

Unfortunately, knowing how much the groups differ doesn’t tell you how much of an effect the treatment had. After all, even if the treatment had no
effect, nontreatment factors would probably still make the groups differ. In other words, even if the treatment had no effect, the groups may differ due to random error.

How can you determine that the difference between groups is due to something more than random error? To determine the probability that the difference is not exclusively due to chance, you need to use inferential statistics: the science of chance.

### Statistically Significant Results: Declaring That the Treatment Has an Effect

If, after using statistics, you find that the difference between your groups is greater than could be expected if only chance were at work, your results are statistically significant. The term statistical significance means that you are sure, beyond a reasonable doubt, that the difference you observed is not a fluke.

What is a reasonable doubt? Usually, before researchers commit themselves to saying that the treatment has an effect, they want a 5% probability ($p = .05$) or less ($p < .05$) that they would get such a pattern of results when there really was no effect. Consequently, you may hear researchers say that their results were “significant at the point-o-five level” and, in journal articles, you will often see statements like, “the results were statistically significant ($p < .05$).”

To review, if you do a simple experiment, you will probably find that the treatment group mean is different from the control group mean. Such a difference is not, by itself, evidence of the treatment’s effect. Indeed, because random assignment does not create identical groups, you would expect the two group means to differ to some extent. Therefore, the question is not “Is there a difference between the group means?” but rather “Is the difference between the group means a reliable one—one bigger than would be expected if only random factors were at work?” To answer that question, you need to use statistics.

By using statistics, you might find that if only chance factors were at work (i.e., if the independent variable had no effect), you would get a difference as large as that less than 5% of the time. If differences as big or bigger than what you found occur less than 5% of the time by chance alone ($p < .05$) when the null hypothesis is true, you would probably conclude that the null hypothesis is not true. To state your conclusion more formally, you might say that “the results are statistically significant at the .05 level.” By “statistically significant,” you mean that because it’s unlikely that the difference between your groups is due to chance alone, you conclude that some of the difference was due to the treatment. With statistically significant results, you would be relatively confident that if you repeated the study, you would get the same pattern of results—the independent variable would again cause a similar type of change in the scores on the dependent variable. In short, statistical significance suggests that the results are reliable and replicable.

### Statistically Significant Effects May Be Small

Statistical significance, however, does not mean that the results are significant in the sense of being large. Just because a difference is statistically significant—reliably different from zero—doesn’t mean the difference is large. Even a tiny difference can be statistically reliable. For example, if you flipped a coin 5,000
times and it came up heads 51% of the time, this 1% difference from what would be expected by chance (50% heads) would be statistically significant.

**Statistically Significant Results May Be Insignificant (Trivial)**

Nor does statistical significance mean that the results are significant in the sense of being important. If you have a meaningless hypothesis, you may have results that are statistically significant but scientifically meaningless.

**Statistically Significant Results May Refute Your Experimental Hypothesis**

Finally, statistically significant results do not necessarily support your hypothesis. For example, suppose your hypothesis is that the treatment improves behavior. A statistically significant effect for the treatment would mean that the treatment had an effect. But did the treatment improve behavior or make it worse? To find out, you have to look at the means to see whether the treatment group or no-treatment group is behaving better.

**Summary of the Limitations of Statistically Significant Results**

In short, statistically significant results tell you nothing about the direction, size, or importance of the treatment effect (see Table 10.1). Because of the limitations of statistical significance, the American Psychological Association appointed a task force to determine whether significance testing should be eliminated. The task force did “not support any action that could be interpreted as banning the use of null significance testing or \( p \) values in psychological research and publication” (American Psychological Association, 1996b). However, the task force did recommend that, in addition to reporting whether the results were statistically significant, authors should provide information about the direction and size of effects.

**Null Results: Why We Can’t Draw Conclusions From Nonsignificant Results**

You now know how to interpret statistically significant results. But what if your results are not statistically significant? That is, what if you can’t reject the null hypothesis that the difference between your groups could be due to chance? Then, you have failed to reject the null hypothesis; therefore, your results would be described as “not significant.”

As the phrase “not significant” suggests, you can’t draw any conclusions from such findings. With nonsignificant results (also called null results), you

<table>
<thead>
<tr>
<th>TABLE 10.1</th>
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<tbody>
<tr>
<td><strong>Limits of Statistical Significance</strong></td>
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<tr>
<td>Statistically significant differences are</td>
</tr>
<tr>
<td>1. probably not due to chance alone</td>
</tr>
<tr>
<td>2. not necessarily large</td>
</tr>
<tr>
<td>3. not necessarily in the direction you predicted</td>
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<tr>
<td>4. not necessarily important</td>
</tr>
</tbody>
</table>
Before doing a statistical analysis, we know that the difference between groups could be due to either: 

\[ \text{Treatment or chance} \]

After doing a statistical analysis that reveals a significant difference, we know that the difference between the groups is probably due to:

\[ \text{Treatment or chance} \]

If the statistical test fails to reach significance, then the difference could be due to either:

\[ \text{Treatment or chance} \]

**FIGURE 10.1 The Meaning of Statistical Significance**

If the results are statistically significant, we can conclude that the difference between the groups is not due entirely to chance and therefore some of the difference must be due to the treatment. However, if the results are not statistically significant, the results could be due to chance or treatment. Put another way, we don’t know any more than we did before we subjected the results to statistical analysis.

**TABLE 10.2**

Common Errors in Discussing Null Results

<table>
<thead>
<tr>
<th>STATEMENT</th>
<th>FLAW</th>
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<tbody>
<tr>
<td>“The results were not significant. Therefore, the independent variable had no effect.”</td>
<td>“Not that I know of” is not the same as proving “there isn’t any.”</td>
</tr>
<tr>
<td>“The treatment had an effect, even though the results are not significant.”</td>
<td>“Not significant” means that you failed to find an effect. Therefore, the statement could be translated as, “I didn’t find an effect for the treatment, but I really did.”</td>
</tr>
</tbody>
</table>

do not know whether the treatment has an effect that you failed to find or whether the treatment really has no effect (see Figure 10.1).

Nonsignificant results are analogous to a “not guilty” verdict: Is the defendant innocent, or did the prosecutor present a poor case? Often, defendants get off, not because of overwhelming proof of their innocence, but because of lack of conclusive proof of their guilt.

You have seen that nonsignificant results neither confirm nor deny that the treatment had an effect. Unfortunately, you will find some incompetents treating null results as proof that the treatment has an effect—whereas other bad researchers will treat null results as proof that the treatment has no effect (see Table 10.2).

**Nonsignificant Results Are Not Significant**

All too often, people act like nonsignificant results are really significant. They may say, “The difference between my groups shows that the treatment had an
effect, even though the difference is not significant.” Reread the previous quote because you’re sure to see it again: It’s one of the most common contradictory statements that researchers make. People making this statement are really saying, “The difference is due to the treatment, even though I’ve found no evidence that the difference isn’t simply due to chance.”

**Null Results Do Not Prove the Null Hypothesis: “I Didn’t Find It” Doesn’t Mean It Doesn’t Exist**

As we have just discussed, some people act like null results secretly prove the experimental hypothesis. On the other hand, some people make the opposite mistake: They incorrectly assume that null results prove the null hypothesis. That is, they falsely conclude that null results prove that the treatment had no effect. Some individuals make this mistake because they think the term “null results” implies that the results prove the null hypothesis. Those people would be better off thinking of null results as “no results” than to think that null results support the null hypothesis.

Thinking that nonsignificant results support the null hypothesis is a mistake because it overlooks the difficulty of conclusively proving that a treatment has an effect. People should realize that not finding something is not the same as proving that the thing does not exist. After all, people often fail to find things that clearly exist, such as books that are in the library, items that are in the grocery store, and keys that are on the table in front of them.

Even in highly systematic investigations, failing to find something doesn’t mean the thing does not exist. For example, in 70% of all murder investigations, investigators do not find a single identifiable print at the murder scene—not even the victim’s. Thus, the failure to find the suspect’s fingerprints at the scene is hardly proof that the suspect is innocent. For essentially the same reasons, the failure to find an effect is not proof that there is no effect.

**Summary of the “Ideal” Simple Experiment**

Thus far, we have said that the simple experiment gives you an easy way to determine whether a factor causes an effect. If you can randomly assign participants to either a treatment or no-treatment group, all you have to do is find out whether your results are statistically significant. If your results are statistically significant, your treatment probably had an effect. No method allows you to account for the effects of nontreatment variables with as little effort as random assignment.

**ERRORS IN DETERMINING WHETHER RESULTS ARE STATISTICALLY SIGNIFICANT**

There is one drawback to random assignment: Differences between groups may be due to chance rather than to the treatment. Admittedly, statistical tests—by allowing you to predict the extent to which chance may cause the groups to differ—minimize this drawback. Statistical tests, however, do not allow you to perfectly predict chance all of the time. Therefore, you may err by either underestimating or overestimating the extent to which chance is causing your groups to differ (see Table 10.3).
Type 1 Errors: “Crying Wolf”
If you underestimate the role of chance, you may make a Type 1 error: mistaking a chance difference for a real difference. In the simple experiment, you would make a Type 1 error if you mistook a chance difference between your experimental and control groups for a treatment effect. More specifically, you would make a Type 1 error if you declared that a difference between your groups was statistically significant, when the treatment really didn’t have an effect. In nonresearch settings, examples of Type 1 errors include:

- a jury convicting an innocent person because they mistake a series of coincidences as evidence of guilt
- a person responding to a false alarm, such as thinking that the phone is ringing when it’s not or thinking that an alarm is going off when it’s not
- a physician making a “false positive” medical diagnosis, such as telling a woman she is pregnant when she isn’t

Reducing the Risk of a Type 1 Error
What can you do about Type 1 errors? There is only one thing you can do: You can decide what risk of a Type 1 error you are willing to take. Usually, experimenters decide that they are going to take less than a 5% risk of making a Type 1 error. In other words, they say their results must be significant at the .05 level ($p < .05$) before they declare that their results are significant. They are comfortable with the odds of their making a Type 1 error being less than 5 in 100. But why take even that risk? Why not take less than a 1% risk?

Accepting the Risk of a Type 1 Error
To understand why not, imagine you are betting with someone who is flipping a coin. For all 10 flips, she calls “heads.” She wins most of the 10 flips.

Let’s suppose that you will refuse to pay up if you have statistical proof that she is cheating. However, you do not want to make the Type 1 error of attributing her results to cheating (using a biased coin) when the results are due only to luck. How many of the 10 flips does she have to win before you “prove” that she is cheating?
To help you answer this question, we looked up the odds of getting 8, 9, or 10 heads in 10 flips of a fair coin. Those odds are as follows:

<table>
<thead>
<tr>
<th>EVENT</th>
<th>PROBABILITY EXPRESSED IN PERCENTAGES</th>
<th>PROBABILITY EXPRESSED IN DECIMAL FORM</th>
</tr>
</thead>
<tbody>
<tr>
<td>Chances of 8 or more heads</td>
<td>5.47%</td>
<td>.0547</td>
</tr>
<tr>
<td>Chances of 9 or more heads</td>
<td>1.08%</td>
<td>.0108</td>
</tr>
<tr>
<td>Chances of 10 heads</td>
<td>0.1%</td>
<td>.001</td>
</tr>
</tbody>
</table>

From these odds, you can see that you can’t have complete, absolute proof that she is cheating. Thus, if you insist on taking 0% risk of falsely accusing her (you want to be absolutely 100% sure), you would not call her a cheat—even if she got 10 heads in a row. As you can see from the odds we listed, it is very unlikely (.1% chance), but still possible, that she could get 10 heads in a row, purely by chance alone. Consequently, if you are going to accuse her of cheating, you are going to have to take some risk of making a false accusation.

If you were willing to take more than a 0% risk but were unwilling to take even a 1% risk of falsely accusing her (you wanted to be more than 99% sure), you would call her a cheat if all 10 flips turned up heads—but not if 9 of the flips were heads. If you were willing to take a 2% risk of falsely accusing her (you wanted to be 98% sure), you would call her a cheat if either 9 or 10 of the flips turned up heads. Finally, if you were willing to take a 6% risk of falsely accusing her (you would settle for being 94% sure), you could refuse to pay up if she got 8 or more heads.

This betting example gives you a clue about what happens when you set your risk of making a Type 1 error. When you determine your risk of making a Type 1 error, you are indirectly determining how much the groups must differ before you will declare that difference statistically significant. If you are willing to take a relatively large risk of mistaking a difference that is due only to chance for a treatment effect, you may declare a relatively small difference statistically significant. If, on the other hand, you are willing to take only a tiny risk of mistakenly declaring a chance difference statistically significant, you must require that the difference between groups be relatively large before you are willing to call it statistically significant. In other words, all other things being equal, the larger the difference must be before you declare it significant, the less likely it is that you will make a Type 1 error. To take an extreme example of this principle, if you would not declare even the biggest possible difference between your groups statistically significant, you would never make a Type 1 error.

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5 You do not need to know how to calculate these percentages.
Type 2 Errors: “Failing to Announce the Wolf”

The problem with not taking any risk of making a Type 1 error is that, if the treatment did have an effect, you would be unable to detect it. In trying to be very sure that a difference is due to treatment and not to chance, you may make a Type 2 error: overlooking a genuine treatment effect because you think the differences between conditions might be due to chance. Examples of Type 2 errors in nonresearch situations include:

- a jury letting a criminal go free because they wanted to be sure beyond any doubt and they realized that it was possible that the evidence against the defendant was due to numerous, unlikely coincidences
- a person failing to hear the phone ring
- a radar detector failing to detect a speed trap
- a physician making a “false negative” medical diagnosis, such as failing to detect that a woman was pregnant

In short, whereas Type 1 errors are errors of commission (yelling “fire” when there is no fire), Type 2 errors are errors of omission (failing to yell “fire” when there is a fire). In trying to avoid Type 1 errors, you may increase your risk of making Type 2 errors. In the extreme case, if you were never willing to risk making a Type 1 error, you would never detect real treatment effects. But because you want to detect real treatment effects, you will take a risk of making a Type 1 error—and you will take steps to improve your study’s power: the ability to find real differences and declare those differences statistically significant; or, put another way, the ability to avoid making Type 2 errors.6

The Need to Prevent Type 2 Errors: Why You Want the Power to Find Significant Differences

You can have power without increasing your risk of making a Type 1 error. Unfortunately, many people don’t do what it takes to have power.

If you don’t do what it takes to have power, your study may be doomed: Even if your treatment has an effect, you will fail to find that effect statistically significant. In a way, looking for a significant difference between your groups with an underpowered experiment is like looking for differences between cells with an underpowered microscope.

As you might imagine, conducting a low-powered experiment often leads to frustration over not finding anything. Beginning researchers frequently frustrate themselves by conducting such low-powered experiments. (We

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6 In a sense, power (defined as $1.00 - \text{the probability of making a Type 2 error}$) and Type 2 errors are opposites. Power refers to the chances (given that the treatment really does have a certain effect) of finding a significant treatment effect, whereas the probability of a Type 2 error refers to the chances (given that the treatment really does have a certain effect) of failing to find a significant treatment effect. If you plug numbers into the formula “$1.00 - \text{power} = \text{chances of making a Type 2 error}$,” you can see that power and Type 2 errors are inversely related. For example, if power is 1, you have a 0% chance of making a Type 2 error (because $1.00 - 1.00 = 0\%$). Conversely, if the treatment has an effect and power is 0, you have a 100% chance of making a Type 2 error (because $1.00 - 0 = 100\%$). Often, power is around .40, meaning that, if the treatment has an effect, the researcher has a 40% (.40) chance of finding that effect and a 60% chance of not finding that effect (because $1.00 - .40 = 60\%$).
know we did.) Why do beginning researchers often fail to design sufficiently powerful experiments?

**STATISTICS AND THE DESIGN OF THE SIMPLE EXPERIMENT**

One reason inexperienced researchers fail to design powerful experiments is they simply do not think about power—a “sin” that many professional researchers also commit (Cohen, 1990). But even when novice researchers do think about power, they often think that it is a statistical concept and therefore has nothing to do with design of experiments. Admittedly, power is a statistical concept. However, *statistical concepts should influence the design of research*. Just as a bridge builder should consider engineering principles when designing a bridge, a researcher should consider statistical principles when designing a study. If you consider statistical power when designing your study, your study should have enough power to find the differences that you are looking for—if those differences really exist.

**Power and the Design of the Simple Experiment**

To have enough power, you must reduce the risk of chance differences hiding the treatment effect. As you can see from Figure 10.2, two ways to stop random error from overwhelming your treatment effect are (1) reduce the effects of random error and (2) increase the size of the treatment effect.

**Reduce the Effect of Random Error**

One of the most obvious ways to reduce the effects of random error is to reduce the potential sources of random error. The major sources of random error are random differences between testing situations, random measurement error, random differences between participants, and sloppy coding of data.

**FIGURE 10.2** Cutting Down on Random Error and Building Up the Treatment Effect: Two Ways to Avoid Losing Your Treatment Effect in a “Jungle” of Random Error
Standardize Procedures and Use Reliable Measures. Because a major source of random error is random variation in the testing situation, you can reduce random error by standardizing your experiment. Standardization consists of keeping the testing environment and the experimental procedures as constant as possible. Thus, to improve power, you might want the noise level, illumination level, temperature, and other conditions of testing to be the same for each participant. Furthermore, you would want to treat all your experimental group participants identically and treat all your control group participants identically. In addition to reducing random error by standardizing procedures, you should also reduce random error by using a reliable dependent measure (for more about how reliable measures boost power, see Chapter 6).

The desire for both reliable measures and strict standardization makes some psychologists love both instruments and the laboratory. Under the lab’s carefully regulated conditions, experimenters can create powerful and sensitive experiments.

Other experimenters, however, reject the laboratory setting in favor of real-world settings. By using real-world settings, they can more easily make a case for their study’s external validity. The price they pay for leaving the laboratory is that they are no longer able to keep many nontreatment variables (temperature, distractions, noise level, etc.) constant. These variables, free to vary wildly, create a jungle of random error that may hide the treatment’s effect.

Because of the large variability in real-world settings and the difficulties of using sensitive measures in the field, even die-hard field experimenters may first look for a treatment’s effect in the lab. Only after they have found that the treatment has an effect in the lab will they try to detect the treatment’s effect in the field.

Use a Homogeneous Group of Participants. Like differences between testing sessions, differences between participants can hide treatment effects. Even if the treatment effect causes a large difference between your groups, you may overlook that effect, mistakenly believing that the difference between your groups is due to your participants being years apart in age and worlds apart in terms of their experiences.

To decrease the chances that between-subject differences will mask the treatment’s effect, choose participants who are similar to one another. For instance, select participants who are the same gender, same age, and have the same IQ—or, study rats instead of humans. With rats, you can select participants that have grown up in the same environment, have similar genes, and even have the same birthday. By studying homogeneous participants under standardized situations, rat researchers can detect very subtle treatment effects.

Code Data Carefully. Obviously, sloppy coding of the data can sabotage the most sensitively designed study. So, why do we mention this obvious fact? We mention it because careful coding is a cheap way to increase power. If you increase power by using nonhuman animals as participants, you may lose the ability to generalize to humans. If you increase power by using a lab experiment rather than a field experiment, you may lose some of your ability
to generalize to real-world settings. But careful coding costs you nothing—except for a little time spent rechecking the coding of your data.

**Let Random Error Balance Out.** Thus far, we have talked about reducing the effects of random error by reducing the amount of random error. But you can reduce the effects of random error on your data without reducing the amount of random error in your data.

The key is to give random error more chances to balance out. To remind yourself that chance does balance out in the long run, imagine flipping a fair coin. If you flipped it six times, you might get five tails and one head—five times as many tails as heads. However, if you flipped it 1,000 times, you would end up with almost as many heads as tails.

Similarly, if you use five participants in each group, your groups probably won’t be equivalent before the experiment begins. Thus, even if you found large differences between the groups at the end of the study, you might have to say that the differences could be due to chance alone. However, if you use 60 participants in each group, your groups should be equivalent before the study begins. Consequently, a treatment effect that would be undetected if you used 5 participants per group might be statistically significant if you used 60 participants per group. In short, to take advantage of the fact that random error balances out, boost your study’s power by studying more participants.

**Create Larger Effects: Bigger Effects Are Easier to See**

Until now, we have talked about increasing power by making our experiment more sensitive to small differences. Specifically, we have talked about two ways of preventing the “noise” caused by random error from making us unable to “hear” the treatment effect: (1) reducing the amount of random error and (2) giving random error a chance to balance out. However, we have left out one obvious way to increase our experiment’s ability to detect the effect: making the effect louder (bigger) and thus easier to hear.

As you might imagine, bigger effects are easier to find. But how do we create bigger effects? Your best bet for increasing the size of the effect is to give the control group participants a very low level of the independent variable while giving the experimental group a very high level of the independent variable. Hence, to have adequate power in the lighting experiment, rather than giving the control group 1 hour of full-spectrum light and the experimental group 2 hours, you might give the control group no full-spectrum light and the experimental group 4 hours of full-spectrum light.

To see how researchers can maximize the chances of finding an effect by giving the experimental and control groups widely different levels of treatment, let’s consider an experiment by T. D. Wilson and Schooler (1991). Wilson and Schooler wanted to determine whether thinking about the advantages and disadvantages of a choice could hurt one’s ability to make the right choice. In one experiment, they had participants rate their preference for the taste of several fruit-flavored jams. Half the participants rated their preferences after completing a “filler” questionnaire asking them to list reasons why they chose their major. The other half rated their preferences after completing a questionnaire asking them to “analyze why you feel the way you do about each jam in order to prepare yourself for your evaluations.” As Wilson and Schooler predicted, the participants who thought about why they liked
the jam made less accurate ratings (ratings that differed more from experts’ ratings) than those who did not think about why they liked the jam.

Although the finding that one can think too much about a choice is intriguing, we want to emphasize another aspect of Wilson and Schooler’s study: the difference between the amount of time experimental participants reflected on jams versus the amount of time that control participants reflected on jams. Note that the researchers did not ask the control group to do any reflection whatsoever about the jams. To reiterate, Wilson and Schooler did not have the control group do a moderate amount of reflection and the experimental group do slightly more reflection. If they had, Wilson and Schooler might have failed to find a statistically significant effect.

**Conclusions About How Statistical Considerations Impact Design Decisions**

By now, you can probably appreciate why R. A. Fisher said, “To consult a statistician after an experiment is finished is often merely to ask him to conduct a post mortem examination. He can perhaps say what the experiment died of.” The reason you should think about statistics before you do an experiment is that statistical considerations influence virtually every aspect of the design process (see Table 10.4). For example, statistical considerations even dictate what kind of hypothesis you can test. Because you cannot accept the null hypothesis, the only hypotheses that you can hope to support are hypotheses that the groups will differ. Therefore, you cannot do a simple experiment to prove that two treatments have the same effect or that a certain treatment will be just as ineffective as no treatment.

Not only do statistical considerations dictate what types of hypotheses you can have, but they also mandate how you should assign your participants.

**TABLE 10.4**

Implications of Statistics for the Simple Experiment

<table>
<thead>
<tr>
<th>STATISTICAL CONCERN/REQUIREMENT</th>
<th>IMPLICATIONS FOR DESIGNING THE SIMPLE EXPERIMENT</th>
</tr>
</thead>
<tbody>
<tr>
<td>Observations must be independent.</td>
<td>You must use independent random assignment and, ideally, you will test participants individually.</td>
</tr>
<tr>
<td>Groups must differ for only two reasons—random differences and the independent variable.</td>
<td>You must randomly assign participants to groups.</td>
</tr>
<tr>
<td>It is impossible to accept the null hypothesis.</td>
<td>You cannot use the experiment to prove that a treatment has no effect or to prove that two treatments have identical effects.</td>
</tr>
<tr>
<td>You need enough power to find a significant effect.</td>
<td>You should</td>
</tr>
<tr>
<td></td>
<td>1. Standardize procedures.</td>
</tr>
<tr>
<td></td>
<td>2. Use sensitive, reliable dependent variables.</td>
</tr>
<tr>
<td></td>
<td>3. Code data carefully.</td>
</tr>
<tr>
<td></td>
<td>4. Use homogeneous participants.</td>
</tr>
<tr>
<td></td>
<td>5. Use many participants.</td>
</tr>
<tr>
<td></td>
<td>6. Use extreme levels of the independent variable.</td>
</tr>
</tbody>
</table>
Specifically, if you do not assign your participants to groups using independent random assignment, you do not have a valid experiment.

Statistical considerations also dictate how you should treat your participants. You will not have a valid experiment if you let participants influence one another’s responses or if you do anything else that would violate the statistical requirement that individual participants’ responses must be independent.

Even when statistics are not dictating what you must do, they are suggesting what you should do. To avoid making Type 2 errors, you should do the following:

1. Standardize your procedures.
2. Use sensitive and reliable dependent measures.
3. Carefully code your data.
4. Use homogeneous participants.
5. Use many participants.
6. Use extreme levels of the independent variable.

**NONSTATISTICAL CONSIDERATIONS AND THE DESIGN OF THE SIMPLE EXPERIMENT**

Statistical issues are not the only issues that you should consider when designing a simple experiment. If you considered only statistical power, you could harm your participants, as well as your experiment’s external and construct validity. Therefore, in addition to statistical issues such as power, you must also consider external validity, construct validity, and ethical issues.

**External Validity Versus Power**

Many of the things you can do to improve your study’s power may hurt your study’s external validity. For example, using a laboratory setting, homogeneous participants, and extreme levels of the independent variable all improve power, but all may reduce external validity.

By using a lab experiment to stop unwanted variables from varying, you may have more power to find an effect. However, by preventing unwanted variables from varying, you may hurt your ability to generalize your results to real life—where these unwanted variables do vary.

By using a homogeneous set of participants (18-year-old, White males with IQs between 120 and 125), you reduce between-subject differences, thereby enhancing your ability to find treatment effects. However, because you used such a restricted sample, you would not be as able to generalize your results to the average American as a researcher whose participants were a random sample of Americans.

Finally, by using extreme levels of the independent variable, you may be able to find a significant effect for your independent variable. If you use extreme levels, though, you may be like the person who used a sledgehammer to determine the effects of hammers—you don’t know the effect of realistic, naturally occurring levels of the treatment variable.
**Construct Validity Versus Power**

Your efforts to improve power may hurt not only your experiment’s external validity but also its construct validity. For example, suppose you had two choices for your measure. The first is a 100-point rating scale that is sensitive and reliable. However, the measure is vulnerable to subject bias: If participants guess your hypothesis, they can easily circle the rating they think you want them to. The second is a measure that is not very reliable or sensitive, but it is a measure that participants couldn’t easily fake. If power was your only concern, you would pick the first measure despite its vulnerability to subject bias. With it, you are more likely to find a statistically significant effect. However, because construct validity should be an important concern, many researchers would suggest that you pick the second measure.

If you sought only statistical power, you might also compromise the construct validity of your independent variable manipulation. For instance, to maximize your chances of getting a significant effect for full-spectrum lighting, you would give the experimental group full-spectrum lighting and make the control group an empty control group: a group that gets no kind of treatment. Compared to the empty control group, the treatment group

1. receives a gift (the lights) from the experimenter
2. gets more interaction with, and attention from, the experimenter (as the experimenter checks participants to make sure they are using the lights)
3. adopts more of a routine than the controls (using the lights every morning from 6:00 a.m. to 8:00 a.m.)
4. has higher expectations of getting better (because they have more of a sense of being helped) than the controls

As a result of all these differences, you would have a good chance of finding a significant difference between the two groups. Unfortunately, if you find a significant effect, it’s hard to say that the effect is due to the full-spectrum lighting and not due to any of these other side effects of your manipulation.7

To minimize these side effects of the treatment manipulation, you might give your control group a placebo treatment: a substance or treatment that has no effect. Thus, rather than using a no-light condition, you might expose the control group to light from an ordinary 75-watt incandescent light bulb. You would further reduce the chances of bias if you made both the experimenters and participants blind (masked): unaware of which kind of treatment the participant was getting. If you make the researcher who interacts with the participants blind, that researcher will not bias the results in favor of the experimental hypothesis. Similarly, by making participants blind, you make it less likely that participants will bias the results in favor of the hypothesis.

In short, the use of placebos, the use of single blinds (in which either the participant or the experimenter is blind), and the use of double blinds (in which both the participant and the experimenter are blind) all may reduce the chances that you will obtain a significant effect. However, if you use

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7 The problem of using an empty control group is even more apparent in research on the effect of surgery. For example, if a researcher finds that rats receiving brain surgery run a maze slower than a group of rats not receiving an operation, the researcher should not conclude that the surgery’s effect was due to removing a part of the brain that plays a role in maze-running.
these procedures and still find a significant effect, you can be relatively confident that the treatment itself—rather than some side effect of the treatment manipulation—is causing the effect.

You have seen that what is good for power may harm construct validity, and vice versa. But what trade-offs should you make? To make that decision, you might find it helpful to see what trade-offs professional experimenters make between power and construct validity. Do experienced experimenters use empty control groups to get significant effects? Or, do they avoid empty control groups to improve their construct validity? Do they avoid blind procedures to improve power? Or, do they use blind procedures to improve construct validity?

Often, experimenters decide to sacrifice power for construct validity. For example, in their jam experiment, Wilson and Schooler did not have an empty control group. In other words, their control group did not simply sit around doing nothing while the experimental group filled out the questionnaire analyzing reasons for liking a jam. Instead, the control group also completed a questionnaire. The questionnaire was a “filler questionnaire” about their reasons for choosing a major. If Wilson and Schooler had used an empty control group, critics could have argued that it was the act of filling out a questionnaire—not the act of reflection—that caused the treatment group to make less accurate ratings than the controls. For example, critics could have argued that the controls’ memory for the jams was fresher because they were not distracted by the task of filling out a questionnaire.

To prevent critics from arguing that the experimenters influenced participants’ ratings, Wilson and Schooler made the experimenters blind. To implement the blind technique, Wilson and Schooler employed two experimenters. The first experimenter had participants (a) taste the jams and (b) fill out either the control group (filler) questionnaire or the experimental group (reasons) questionnaire. After introducing the participants to Experimenter 2, Experimenter 1 left the room. Then, Experimenter 2—who was unaware of (blind to) whether the participants had filled out the reasons or the filler questionnaire—had participants rate the quality of the jams.

**Ethics Versus Power**

As you have seen, increasing a study’s power may conflict with both external and construct validity. In addition, increasing power may conflict with ethical considerations. For example, suppose you want to use extreme levels of the independent variable (food deprivation) to ensure large differences in the motivation of your animals. In that case, you need to weigh the benefits of having a powerful manipulation against ethical concerns, such as the comfort and health of your subjects (for more about ethical concerns, see Chapter 2 and Appendix D).

Ethical concerns determine not only how you treat the experimental group but also how you treat the control group. Just as it might be unethical to administer a potentially harmful stimulus to your experimental participants, it also might be unethical to withhold a potentially helpful treatment from your control participants. For instance, it might be ethically questionable to withhold a possible cure for depression from your controls. Therefore, rather than maximizing power by completely depriving the control group of a treatment, ethical concerns may dictate that you give the control group a
moderate dose of the treatment. (For a summary of the conflicts between power and other goals, see Table 10.5.)

**ANALYZING DATA FROM THE SIMPLE EXPERIMENT: BASIC LOGIC**

After carefully weighing both statistical and nonstatistical considerations, you should be able to design a simple experiment that would test your experimental hypothesis in an ethical and internally valid manner. If, after consulting with your professor, you conduct that experiment, you will have data to analyze.

To understand how you are going to analyze your data, remember why you did the simple experiment. You did it to find out whether the treatment would have an effect on a unique population—all the participants who took part in your experiment. More specifically, you wanted to know the answer to the hypothetical question: “If I had put all my participants in the experimental condition, would they have scored differently than if I had put all of them in the control condition?” To answer this question, you need to know the averages of two populations:

Average of Population #1—what the average score on the dependent measure would have been if all your participants had been in the control group.
Average of Population #2—what the average score on the dependent measure would have been if all your participants had been in the experimental group.

Unfortunately, you cannot measure both of these populations. If you put all your participants in the control condition, you won’t know how they would have scored in the experimental condition. If, on the other hand, you put all your participants in the experimental condition, you won’t know how they would have scored in the control condition.

**Estimating What You Want to Know: Your Means Are Sample Means**

You can’t directly get the population averages you want, so you do the next best thing—you estimate them. You can estimate them because, thanks to independent random assignment, you split all your participants (your population of participants) into two random samples. That is, you started the experiment with two random samples from your original population of participants. These two “chips off the same block” were the control group and the experimental group (see Figure 10.3).

The average score of the random sample of your participants who received the treatment (the experimental group) is an estimate of what the average score would have been if all your participants received the treatment. The average score of the random sample of participants who received no treatment (the control group) is an estimate of what the average score would have been if all of your participants had been in the control condition.

**Figure 10.3** The Control Group and the Experimental Group Are Two Samples Drawn From the Same Population

**Problem:** If the average score for the experimental group is different from the average score for the control group, is this difference due to the two groups receiving different treatments? To random error related to sampling? (Two random samples from the same population may differ.)
Calculating Sample Means: Getting Your Estimates

Even though only half your participants were in the experimental group, you will assume that the experimental group is a fair sample of your entire population of participants. Thus, the experimental group’s average score should be a good estimate of what the average score would have been if all your participants had been in the experimental group. Similarly, you will assume that the control group’s average score is a good estimate of what the average score would have been if all your participants had been in the control group. Therefore, the first step in analyzing your data will be to calculate the average score for each group. Usually, the average you will calculate is the mean: the result of adding up all the scores and then dividing by the number of scores (e.g., the mean of 3 and 5 is 4 because \( \frac{3 + 5}{2} = 4 \)).

Comparing Sample Means: How to Compare Two Imperfect Estimates

Once you have your two sample means, you can compare them. Before talking about how to compare them, let’s understand why we are comparing the means. We are comparing the sample means because we know that, before we administered the treatment, both groups represented a random sample of the population consisting of every participant who took part in the study. Thus, at the end of the experiment, if the treatment had no effect, the control and experimental groups would both still be random samples from that population.

As you know, two random samples from the same population will probably be similar to each other. For instance, two random samples of the entire population of New York City should be similar to each other, two random samples from the entire population of students at your school should be similar to each other, and two random samples from the entire group of participants who took part in your study should be similar to each other. Consequently, if the treatment has no effect, at the end of the experiment, the experimental and control groups should be similar to each other.

Why We Must Do More Than Subtract the Means From Each Other

Because two random samples from the same population should be similar to each other, you might think all we need to do is subtract the control group mean from the experimental group mean to find the effect. But such is not the case: Even if the treatment has no effect, the means for the control group and experimental group will rarely be identical. To illustrate, suppose that Dr. N. Ept made a serious mistake while trying to do a double-blind study. Specifically, Dr. N. Ept succeeded in not letting his assistants know whether the participants were getting the real treatment or a placebo, but failed in that all the participants got the placebo. In other words, both groups ended up being random samples of the same population—participants who did not get the treatment. Even in such a case, the two groups will probably have different means.

How Random Error Affects Data From the Simple Experiment

Dr. N. Ept’s study illustrates an important point: Even if groups are random samples of the same population, they may still differ because of random error. You are probably aware of random error from reading about public opinion polls that admit to a certain degree of sampling error.
To help you see how random error could affect the results of a simple experiment, let’s simulate conducting a small-scale experiment. Be warned that this simulation won’t show us what would typically happen in an experiment. Instead, this simulation is rigged to demonstrate the worst random error can do. Nevertheless, the simulation does demonstrate a fundamental truth: Random error alone can create groups that differ substantially from each other.

To conduct this simulation, assume that you have the following four participants, who would tend to score as follows:

<table>
<thead>
<tr>
<th>Participant</th>
<th>Score</th>
</tr>
</thead>
<tbody>
<tr>
<td>Abby</td>
<td>10</td>
</tr>
<tr>
<td>John</td>
<td>20</td>
</tr>
<tr>
<td>Mary</td>
<td>70</td>
</tr>
<tr>
<td>Paul</td>
<td>40</td>
</tr>
</tbody>
</table>

Now use Box 10.1 to randomly assign each participant to either the experimental or control group. Then, get an average for each group. Repeat this process several times. If you do this, you will simulate what happens when you do an experiment and the treatment has no effect.

As doing this simulation will reveal, which participants end up in which group varies greatly depending on where on the random numbers table you happen to start—and there are many different places you could start. Not all of these possible ways of splitting participants into control and experimental groups are going to produce identical groups. Indeed, you may even find that random assignment sometimes results in having all men in the experimental group and all women in the control group.

In summary, the control and experimental groups start off as random samples of your participants. At the start of the study, these groups are not identical. Instead, they will probably merely be similar. Occasionally, however, they may start off being fairly different. If they start off as different, then they may score differently on the dependent measure task at the end of the experiment—even when the treatment has no effect. Thus, even if the treatment had no effect, random error might make the experimental group score differently (either higher or lower) than the control group.

Because random error can affect the results of a study, you need to understand random error to understand the results of a study. More specifically, to interpret the results of a simple experiment, you need to understand two important statistical principles:

1. Random error affects individual scores.
2. Random error may also cause group means to differ.

Fortunately, as you will soon see, you already intuitively understand both of these principles.

**Random Error Makes Scores Within a Group Differ**

To see that you intuitively grasp the first principle (random error affects individual scores), consider the following scores:
Is there something strange about these data? Most students we show these data to realize that these data are faked. Students are suspicious of these data because scores within each group do not vary: There are no within-groups differences in this experiment. These data make it look like the only thing that affects scores is the treatment. With real data, however, scores would be affected by nontreatment factors. Consequently, the scores within each group would vary. That is, there would be what statisticians call within-groups variability.

When asked to be more specific about why they think the data are faked, students point out that there are at least two reasons why scores within each group should differ. First, participants within each group differ from each other, so their scores would reflect those differences. That is, because participants in the control group aren’t all clones of each other, their scores won’t all be the same. Likewise, because participants in the experimental group aren’t all identical, their scores shouldn’t all be identical.

Second, even if a group’s participants were all identical, random measurement errors alone would prevent participants from getting identical scores. For instance, even if the control group participants were clones, participants’ scores would probably vary due to the measure’s less-than-perfect reliability. Similarly, even if all the experimental group participants were identical, their scores would not be: Many random factors—from random variations in how the experimenter treated each participant to random errors in coding of the data—would inevitably cause scores within the experimental group to differ.

In summary, most students have an intuitive understanding that there will be differences within each group (within-groups variability), and these differences are due to factors completely unrelated to the treatment. To be more specific, these differences are due to random error caused by such factors as individual differences, random measurement error, and imperfect standardization.

**Random Error Can Make Group Means Differ**

To see whether you intuitively grasp the second principle (random error may cause group means to differ from each other), consider the following data:

<table>
<thead>
<tr>
<th>CONTROL</th>
<th>EXPERIMENTAL</th>
</tr>
</thead>
<tbody>
<tr>
<td>70</td>
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<tr>
<td>80</td>
<td>80</td>
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<tr>
<td>70</td>
<td>100</td>
</tr>
</tbody>
</table>
Do you think the experimental group is scoring significantly higher than the control group? Most students wisely say “no.” They realize that if the participant who scored “100” had been randomly assigned to the control group rather than the experimental group, the results may have been completely different. Thus, even though the group means differ, the difference may not be due to the treatment. Instead, the difference between these two group means could be entirely due to random error.

As you have just seen, even if the treatment has no effect, random error may cause the experimental group mean to differ from the control group mean. Therefore, we cannot say that there is a treatment effect just because there is a difference between the experimental group’s average score and the control group’s. Instead, if we are going to find evidence for a treatment effect, we need a difference between our groups that is “too big” to be due to random error alone.

**When Is a Difference Too Big to Be Due to Random Error?**

What will help us determine whether the difference between group means is too big to be due to random error alone? In other words, what will help us determine that the treatment had a statistically significant (reliable) effect?

To answer the question of how we determine whether the treatment had a statistically significant effect, we’ll look at three sets of experiments. Let’s begin with the two experiments tabled below. Which of the following two experiments do you think is more likely to reveal a significant treatment effect?

<table>
<thead>
<tr>
<th>EXPERIMENT A</th>
<th>EXPERIMENT B</th>
</tr>
</thead>
<tbody>
<tr>
<td>Control</td>
<td>Experimental</td>
</tr>
<tr>
<td>70</td>
<td>70</td>
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<tr>
<td>71</td>
<td>73</td>
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<tr>
<td>72</td>
<td>72</td>
</tr>
</tbody>
</table>

**Bigger Differences Are Less Likely to Be Due to Chance Alone**

If you picked Experiment B, you’re right! All other things being equal, bigger differences are more likely to be “too big to be due to chance alone” than smaller differences. Therefore, bigger differences are more likely to reflect a treatment effect. Smaller differences, on the other hand, provide less evidence of a treatment effect.

To appreciate the fact that small differences provide less evidence of a treatment effect, let’s consider an extreme case. Specifically, let’s think about the case where the difference between groups is as small as possible: zero. In that case, the control and experimental groups would have identical means. If the treatment group’s mean is the same as the no-treatment group’s mean, there’s no evidence of a treatment effect.
Too Big to Be Due to Chance Partly Depends on How Big “Chance” Is

You have seen that the difference between means is one factor that affects whether a result is statistically significant. All other things being equal, bigger differences are more likely to be significant.

The size of the difference isn’t the only factor that determines whether a result is too big to be due to chance. To illustrate this fact, compare the two experiments below. Then, ask yourself, is Experiment A or Experiment B more likely to reveal a significant treatment effect? That is, in which experiment is the difference more likely to be too big to be due to chance?

Differences Within Groups Tell You How Big Chance Is

In both experiments, the difference between the experimental and control group mean is 10. Therefore, you can’t tell which difference is more likely to be too big to be due to chance just by seeing which experiment has a bigger difference between group means. Instead, to make the right choice, you have to figure out the answer to this question: “In which experiment is chance alone a less likely explanation for the 10-point difference?”

To help you answer this question, we’ll give you a hint. The key to answering this question correctly is to look at the extent to which scores vary within each group. The more variability within a group, the more random error is influencing scores. All other things being equal, the more random error makes individual scores within a group differ from one another (i.e., the bigger the within-groups variability), the more random error will tend to make group means differ from each other.

Now that you’ve had a hint, which experiment did you pick as being more likely to be significant? If you picked Experiment A, you’re correct!

If you were asked why you picked A instead of B, you might say something like the following: “In Experiment B, the experimental group may be scoring higher than the control group merely because the participant who scored a 90 randomly ended up in the experimental group rather than in the control group. Consequently, in Experiment B, the difference between the groups could easily be due to random error.”

Such an explanation is accurate, but too modest. Let’s list the four steps of your reasoning:

1. You realized that there was more variability within each group in Experiment B than in Experiment A. That is, in Experiment B relative to Experiment A, (1) control group scores were further from the control group mean, and (2) experimental group scores were further from the experimental group mean.
2. You recognized that within-groups variability could not be due to the treatment. You realized that the differences among participants’ scores within the control group could not be due to the treatment because none of those participants received the treatment. You also realized that the differences among scores within the experimental group could not be due to the treatment because every participant in the experimental group received the same treatment. Therefore, when scores within a group vary, these differences must be due to nontreatment factors such as individual differences.

3. You realized that random assignment turned the variability due to nontreatment factors (such as individual differences) into random error. Thus, you realized that the greater within-groups variability in Experiment B meant there was more random error in Experiment B than in Experiment A.

4. You realized that the same random error that caused differences within groups could cause differences between groups. That is, the more random error is spreading apart scores within each group, the more random error could be spreading the groups apart.

As you have seen, all other things being equal, the larger the differences between your group means, the more likely the results are to be statistically significant. As you have also seen, the smaller the differences among scores within each of your groups (i.e., the less your individual scores are influenced by random error), the more likely your results are to be statistically significant. Thus, you have learned two of the three factors that determine whether a difference is significant. To find out what the third factor is, compare Experiments A and B below. Which is more likely to produce a significant result?

<table>
<thead>
<tr>
<th>EXPERIMENT A</th>
<th>EXPERIMENT B</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Control</strong></td>
<td><strong>Experimental</strong></td>
</tr>
<tr>
<td>68</td>
<td>70</td>
</tr>
<tr>
<td>70</td>
<td>72</td>
</tr>
<tr>
<td>72</td>
<td>74</td>
</tr>
<tr>
<td><strong>Control</strong></td>
<td><strong>Experimental</strong></td>
</tr>
<tr>
<td>68</td>
<td>70</td>
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<td>70</td>
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</tr>
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<td>72</td>
<td>74</td>
</tr>
<tr>
<td><strong>Control</strong></td>
<td><strong>Experimental</strong></td>
</tr>
<tr>
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<td>70</td>
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<td>70</td>
<td>72</td>
</tr>
<tr>
<td>72</td>
<td>74</td>
</tr>
<tr>
<td><strong>Control</strong></td>
<td><strong>Experimental</strong></td>
</tr>
<tr>
<td>68</td>
<td>70</td>
</tr>
<tr>
<td>70</td>
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<td>70</td>
<td>72</td>
</tr>
<tr>
<td>72</td>
<td>74</td>
</tr>
</tbody>
</table>
In both experiments, the group means are equally far apart, so you can’t look at group differences to figure out which experiment is more likely to be significant. In both experiments, the random variability within each group is the same; therefore, looking at within-groups variability will not help you figure out which experiment is more likely to be significant. Which one do you choose?

**With Larger Samples, Random Error Tends to Balance Out**

If you chose Experiment B, you’re correct! Experiment B is the right choice because it had more participants. In Experiment B, it’s less likely that random error alone would cause the groups to differ by much because with large enough samples, random error tends to balance out to zero. If you flip a coin 4 times, you are likely to get either 75% heads or 75% tails. That is, random error alone will probably cause a deviation of 25% or more from the true value of 50% heads. If, on the other hand, you flip a coin 4,000 times, you will almost never get more than 51% heads or fewer than 49% heads. Because 4,000 flips gives random error an opportunity to balance out, random error will almost never cause a deviation of even 1% from the true value.

Just as having more coin flips allows more opportunities for the effects of random error to balance out, having more participants allows more opportunities for random error to balance out. Thus, Experiment B, by having more participants, does a better job than Experiment A at allowing the effects of random error to balance out. Consequently, it’s less likely that random error alone would cause Experiment B’s groups to differ by a large amount. Therefore, a difference between the control group mean and the treatment group mean that would be big enough to be statistically significant (reliable) in Experiment B might not be significant in Experiment A.

**ANALYZING THE RESULTS OF THE SIMPLE EXPERIMENT: THE t TEST**

To determine whether a difference between two group means is significant, researchers often use either ANOVA (analysis of variance, a technique we will discuss in the next chapter) or the *t* test (to see how to do a *t* test, you can use the formula in Table 10.6 or consult Appendix E). Although we have not yet talked about the *t* test, you already understand the basic logic behind it. The basic idea behind the *t* test is to see whether the difference between two groups is larger than would be expected by random error alone. Thus, you should not be surprised to find that the *t* ratio takes the

---

8 The logic of ANOVA is similar to that of the *t* test. Indeed, for a simple experiment, the *p* value for the ANOVA test will be exactly the same as the *p* value from the *t* test. Thus, if the *t* test is statistically significant (*p* is less than .05), the ANOVA test will also be statistically significant (*p* will be less than .05). In addition, for the simple experiment, you can get the value of the ANOVA test statistic (called “*F*”) by squaring your *t* value. Thus, if *t* is 2, *F* will be 4. To learn more about ANOVA, see the next chapter or see Appendix E.

9 Although *t* test and ANOVA analyses are commonly used, they are criticized. The problem is that both *t* tests and ANOVA tell us only whether a result is statistically significant—and, as we discussed earlier, nonsignificant results don’t tell you anything and significant results don’t tell you anything about the size of your effect. Therefore, many argue that, rather than using significance tests, researchers should use confidence intervals. For more on the statistical significance controversy, see Box 1 in Appendix E. For more about confidence intervals, see Appendix E.
difference between the group means and divides that difference by an index of the extent to which random error might cause the groups to differ. To be more precise, $t$ equals the difference between means divided by the standard error of the difference between means (see Table 10.6).

### Making Sense of the Results of a $t$ Test

Once you have obtained your $t$ value, you should calculate the degrees of freedom for that $t$. To calculate degrees of freedom, subtract 2 from the number of participants. Thus, if you had 32 participants, you should have 30 degrees of freedom.

If you calculate $t$ by hand, you need to compare your calculated $t$ to a value in a $t$ table (you could use Table 1 in Appendix F) to determine whether your $t$ ratio is significant. To use the $t$ table in Appendix F, you need to know how many degrees of freedom ($df$) you have. For example, if you had data from 32 participants, you would look at the $t$ table in Appendix F under the row labeled “30 $df$.” When comparing the $t$ ratio you calculated to the value in the table, act like your $t$ ratio is positive even if your

### Table 10.6

<table>
<thead>
<tr>
<th>General Idea</th>
<th>Formula</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Top of $t$ ratio:</strong> Obtain observed difference (between two group means)</td>
<td>$t = \frac{\text{Group 1 Mean} - \text{Group 2 Mean}}{\sqrt{\frac{S_1^2}{N_1} + \frac{S_2^2}{N_2}}}$</td>
</tr>
<tr>
<td><strong>Bottom of $t$ ratio:</strong> Estimate difference expected by chance (using the standard error of the difference between means)</td>
<td>where $S_1$ = standard deviation of Group 1, $S_2$ = standard deviation of Group 2, $N_1$ = number of participants in Group 1, and $N_2$ = number of participants in Group 2. The standard deviation can be calculated by the formula $S = \sqrt{\frac{\sum X - M)^2}{N - 1}}$ where $X$ stands for the individual scores, $M$ is the sample mean, and $N$ is the number of scores.</td>
</tr>
</tbody>
</table>

Notes:

1. A large $t$ value is likely to be statistically significant. That is, a large $t$ (above 2.6) is likely to result in a $p$ value smaller than .05.
2. $t$ will tend to be large when
   a. The difference between experimental group mean and the control group mean is large.
   b. The standard error of the difference is small. The standard error of the difference will tend to be small when
      i. The standard deviations of the groups are small (scores in the control group tended to stay close to the control group mean, scores in the experimental group tended to stay close to the experimental group mean).
      ii. The groups are large.
The value is actually negative (e.g., treat −3 as if it were +3). In other words, take the absolute value of your \( t \) ratio.

If the absolute value of your \( t \) ratio is not bigger than the number in the table, your results are not statistically significant at the \( p < .05 \) level. If, on the other hand, the absolute value of your \( t \) ratio is bigger than the number in the table, your results are statistically significant at the \( p < .05 \) level.

If you had a computer calculate \( t \) for you, make sure that the degrees of freedom (\( df \)) for \( t \) are two fewer than the number of participants. For example, if you thought you entered scores for 32 participants but your \( df = 18 \), you know there is a problem because the computer is acting as though you entered only 20 scores.

If you had a computer calculate \( t \) for you, it might provide you with only the \( t \), the degrees of freedom, and the \( p \) value, as in the following case:

\[
\begin{align*}
df &= 8, \quad t = 4, \quad \text{and} \quad p < .0039
\end{align*}
\]

From the \( df \) of 8, you know that the \( t \) test was calculated based on scores from 10 participants \((10 - 2 = 8)\). From the \( p \) value of less than .05, you know the results are statistically significant at the .05 level. That is, you know that if the null hypothesis were true, the chances of your obtaining differences between groups that were as big as or bigger than what you observed were less than 5 in 100.

Many computer programs will provide you with more information than the \( df \), \( t \), and \( p \) values. Some will provide you with what might seem like an overwhelming amount of information, such as the following:

1. \( df = 8, \ t = 4, \ \text{and} \ \text{Sig. (2-tailed)} = .0039 \)
2. Mean difference = 4.00
3. 95% CI of this difference: 1.69 to 6.31
4. Group 1 mean = 11.00; Group 1 \( SD = 1.58; \ SEM = 0.71 \)
5. Group 2 mean = 7.00; Group 2 \( SD = 1.58; \ SEM = 0.71 \)

The first line tells you that the \( t \) test was calculated based on scores from 10 participants \((10 - 2 = 8)\) and that the results were statistically significant. The second line tells you that the Group 1 mean was 4 units bigger than the Group 2 mean. The third line tells you that you can be 95% confident that the true difference between the means is between 1.69 units and 6.31 units. (To learn more about how the confidence interval [CI] was calculated, see Box 10.2.)

The fourth line describes Group 1’s data, and the fifth line describes Group 2’s data. Both of those lines start by providing the group’s average score (the mean) followed by a measure of how spread out the group’s scores are: the standard deviation (\( SD \)). Be concerned if the \( SD \) of either group is extremely high—a high \( SD \) may mean that you have entered a wrong value (e.g., when entering responses from a 1-to-5 scale, you once typed a “55” instead of a “5”). Both lines end with their group’s standard error of the mean (\( SEM \)): an indicator of how far off the group’s sample mean is likely to be from the actual population mean. If either group’s \( SEM \) is large, your experiment has little power, and you probably failed to find a significant effect.

Suppose that your experiment was powerful enough to find an effect that is statistically significant at the \( p < .05 \) level. In that case, because there’s less than a 5% chance that the difference between your groups is solely due to
Your study’s $t$ value gives you almost everything you need to know to determine whether your results are statistically significant. However, you may also want to know whether your results are practically significant. To know that, you may need to know how large your effect is.

**Using $t$ to Estimate the Treatment’s Average Effect: Confidence Intervals**

One way to estimate effect size is to take advantage of information you used when you computed your $t$. Let’s start by looking at the top of the $t$ ratio: the difference between the mean of the no-treatment group and the mean of the treatment group. The top of the $t$ ratio is an estimate of the treatment effect. Thus, if the treatment group scores 2 points higher than the no-treatment group, our best estimate is that the treatment improved scores by 2 points.

Unfortunately, our best estimate is almost certainly wrong: We have almost no confidence that the treatment effect is exactly 2.000. We would be more confident of being right if we said that the treatment effect was somewhere between 1 and 3 points. We would be even more confident of being right if we said that the real effect was somewhere between 0 and 4 points. What we would like to do is be more specific. We would like to say how confident we are that the real effect is within a certain range. For example, we would like to be able to say that we are “95% confident that the effect of the treatment is between 1 and 3 points.”

Fortunately, we can specify that we are 95% confident that the real effect is between two values by using the information we used to execute the $t$ test: the mean difference (the top of our $t$ ratio), the standard error of the difference (the bottom of our $t$ ratio), and the critical value of $t$ at the .05 level. You can find the critical value by looking in the $t$ table (Table 1 of Appendix F) at the intersection of the “.05” column and the row corresponding to your experiment’s degrees of freedom. For example, if you had data from 42 participants, the value would be 2.021.

The middle of our confidence interval will be the difference between the means of the treatment group and the no-treatment group. That is, it will be the top of the $t$ ratio. In this example, that difference is 2. To get our confidence interval’s upper value, we start with the difference between our means (2). Then, we add the number we get by multiplying the standard error of the difference (the bottom of our $t$ value) by the critical value of $t$. To illustrate, suppose that the difference between our means was 2, the standard error of the difference was 1, and the critical value of $t$ was 2.021. To 2, we would add 2.021 (the standard error of the difference $[1] \times$ the critical value of $t$) $[2.021] = 2.021$. Thus, the upper value of our confidence interval would be 4.021 ($2 + 2.021$).

To get the lower value, we reverse the process. We will again start with 2 (the difference between our means). This time, however, we will subtract, rather than add, 2.021 (the product of multiplying the standard error by the critical $t$ value) from 2. Therefore, the lower value of our interval would be $−0.021$ ($2 − (1 \times 2.021) = 2 − 2.021 = −0.021$).

As the result of our calculations, we could say that we were 95% confident that the true effect was in the interval ranging from $−0.021$ to 4.021. By examining this interval, we can form two conclusions. First, we cannot confidently say that the treatment effect has any effect because 0 (zero effect, no effect) was within our interval. Second, we see that our confidence interval is large and so our study lacks power and precision. Therefore, we may want to repeat the study in a way that shrinks the confidence interval (e.g., using more participants, using more reliable measures, using more homogeneous participants, using more standardized procedures) so that we can more precisely estimate the treatment’s effect.

For example, in the original study, we studied 42 participants. If we repeated the study using 62 participants and again found a difference between our groups of 2, we would be 95% confident that the true effect was between .35 and 3.6.¹ Not only is this interval narrower than the original interval

¹When we calculated this confidence interval, we assumed that the standard deviations (an index of the extent to which participants’ scores differ from the mean; a 0 would mean that nobody’s score differed from the mean) within each of your groups would be the same as they were in the original study. If your procedures were more standardized when you repeated the study, the standard deviations might be smaller and so your intervals might be even smaller than what we projected.
(which went from −0.021 to +4.021), but it also does not include zero. Therefore, we could confidently say that the treatment did have some effect. Note another lesson from this example: Even though the first study’s results were not statistically significant (because we could not say that the treatment effect was significantly different from zero) and the second study’s results were significant (because we could say that the treatment effect was significantly different from zero), the two studies do not contradict each other. The difference in the results is that the second study, by virtue of its greater power and precision, allows you to make a better case that the treatment effect is greater than zero.

**Using t to Compute Other Measures of Effect Size: Cohen’s d and r²**

In the previous section, you learned how to provide a range that you were 95% confident contained the average effect of the treatment. However, even if you knew precisely what the average effect of the treatment was, you would not know all you should know about the treatment’s effect size. For example, suppose you know that the average effect was 2. Is 2 a small effect? If your participants’ scores range from 0 to 100, a difference between your control group and experimental group of 2 units might be a relatively small effect. If, on the other hand, scores in your control group vary from 0 to 1, and scores in your treatment group vary from 2 to 3, a treatment effect of 2 units would be a relatively large effect. Therefore, to know the relative size of an effect, you need an effect size measure that takes into account the variability of the scores.

One popular effect size measure is **Cohen’s d**. If you had the same number of participants in each group, you can calculate Cohen’s d from your t value by using the following formula: Cohen’s $d = 2t/\sqrt{df}$. Thus, if $t$ is 3 and $df$ is 9, Cohen’s $d$ will be $(2 \times 3)/\sqrt{9} = 6/3 = 2$. Usually, social scientists view a $d$ of 0.2 as indicating a small effect, a $d$ of 0.5 as indicating a medium effect, and a $d$ of 0.8 as indicating a large effect.

Another way of measuring the relationship between the treatment and your dependent variable is to square the correlation (r) between the treatment and the dependent variable. The result will be a measure, called the **coefficient of determination**, that can range from 0 (no relationship) to 1.00 (perfect relationship). Usually, social scientists view a coefficient of determination of .01 as small, of .09 as moderate, and of .25 as large (for more about the coefficient of determination, see Chapter 7). If you have computed $d$, you can compute the coefficient of determination ($r^2$) by using the following formula: $r^2 = d^2/(d^2 + 4)$. To see the relationships among these effect size measures, see Table 10.7.

chance, you can be reasonably sure that some of the difference is due to your treatment.

To learn about the size of your treatment’s effect, you might want to use Box 10.2 to compute an index of effect size such as Cohen’s $d$. For example, suppose your computer analysis presented the following results:

1. $df = 30$, $t = 3.10$, and $p < .05$
2. Mean difference = 3.46
3. 95% CI of this difference: 1.57 to 5.35; $SED = 1.12$
4. Group 1 mean = 8.12; Group 1 $SD = 3.0$; $SEM = 0.75$
5. Group 2 mean = 4.66; Group 2 $SD = 3.32$; $SEM = 0.83$
Using that data and Box 10.2, you would be able to determine that Cohen’s $d$ was 1.13.

Then, you could write up your results as follows: “As predicted, the experimental group recalled significantly more words ($M = 8.12, SD = 3.0$) than the control group ($M = 4.66, SD = 3.32$), $t(30) = 3.10, p < .05$, $d = 1.13$.”

You could include even more information: APA strongly encourages researchers to supplement significance tests with means, standard deviations, and both confidence intervals and effect size measures. However, at the very least, you should say something like this: “As predicted, the experimental group recalled significantly more words ($M = 8.12$) than the control group ($M = 4.66$), $t(30) = 3.10, p < .05$.”

You must do more than report that your results are statistically significant. Indeed, largely because some researchers have focused only on whether their results are statistically significant, a few researchers have suggested that statistical significance testing be banned (for more on the statistical significance controversy, see Box 1 in Appendix E). Although not everyone agrees that statistical significance testing should be banned, almost everyone agrees that researchers need to do more than report $p$ values.

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**TABLE 10.7**

**Relationship Among Different Effect Size Measures**

<table>
<thead>
<tr>
<th>$t$</th>
<th>Degrees of Freedom</th>
<th>Mean Difference (example with low variability in scores)</th>
<th>Mean Difference (example with moderate variability in scores)</th>
<th>$d$</th>
<th>$r^2$ (also called $h^2$)</th>
</tr>
</thead>
<tbody>
<tr>
<td>2</td>
<td>9</td>
<td>2</td>
<td>4.7</td>
<td>1.33</td>
<td>.31</td>
</tr>
<tr>
<td>2</td>
<td>16</td>
<td>1.4</td>
<td>3.7</td>
<td>1.0</td>
<td>.20</td>
</tr>
<tr>
<td>2</td>
<td>25</td>
<td>1.2</td>
<td>3.0</td>
<td>0.8</td>
<td>.14</td>
</tr>
<tr>
<td>2</td>
<td>36</td>
<td>1.0</td>
<td>2.5</td>
<td>0.67</td>
<td>.10</td>
</tr>
<tr>
<td>2</td>
<td>49</td>
<td>0.8</td>
<td>2.2</td>
<td>0.57</td>
<td>.08</td>
</tr>
<tr>
<td>2</td>
<td>64</td>
<td>0.7</td>
<td>1.9</td>
<td>0.50</td>
<td>.06</td>
</tr>
<tr>
<td>2</td>
<td>81</td>
<td>0.7</td>
<td>1.7</td>
<td>0.44</td>
<td>.05</td>
</tr>
<tr>
<td>2</td>
<td>100</td>
<td>0.6</td>
<td>1.5</td>
<td>0.40</td>
<td>.04</td>
</tr>
</tbody>
</table>

$M$ stands for mean, $SD$ stands for standard deviation (a measure of the variability of the scores; the bigger the SD, the more spread out the scores are and the less the scores cluster around the mean), and $d$ stands for Cohen’s $d$ (a measure of effect size). $SD$ will usually be calculated as part of computing $t$ (for more about $SD$, see Appendix E). To learn how to compute $d$, see Box 10.2.
Assumptions of the \( t \) Test

The validity of any \( p \) values you obtain from any significance test will depend on how well you meet the assumptions of that statistical test. For the \( t \) test, two of these assumptions are especially important: (1) having at least interval scale data and (2) having independent observations.

**Two Critical Assumptions**

When the \( t \) test determines whether one group’s mean score is significantly larger than the other’s, it assumes that groups with higher means have more of the quality you are measuring than groups with lower means. Because only interval and ratio scale data allow you to compute such “meaningful means,” you must be able to assume that you have either interval scale or ratio scale data (for a review of interval and ratio scale data, see Chapter 6).

Because you cannot compute meaningful means on either qualitative data or ranked data, you cannot do a \( t \) test on those data. You cannot compute meaningful means on qualitative (nominal, categorical) data because scores relate to categories rather than amounts. With qualitative (nominal) data, 1 might equal “nodded head,” 2 might equal “gazed intently,” and 3 might equal “blinked eyes.” With such nominal data, computing a mean (e.g., the mean response was 1.8) would be meaningless.

With ranked and other ordinal data, the numbers have an order, but they still don’t refer to specific amounts and so means can be meaningless and misleading. For example, although averaging the ranks of second- and third-place finishers in a race would result in the same mean rank (2.5) as averaging the ranks of the first- and fourth-place finishers, the mean times of the two groups might be very different. Despite having the same average rank, the average times of the first- and fourth-place finishers could be much faster or much slower than the average of the times of the second- and third-place finishers.

Although having either nominal or ordinal data prevents you from comparing group means with a \( t \) test, you can still compare two groups using tests, such as the Mann-Whitney U test (for ordinal data) and the chi-square test (for either nominal or ordinal data), that do not involve comparing means. (For more on these tests, see Appendix E.)

The second assumption you must meet to perform a legitimate \( t \) test is that your observations must be independent. Specifically, (a) participants must be assigned independently (e.g., individually, so that the assignment of Mary to the experimental group has no effect on whether John is assigned to the experimental group); (b) participants must respond independently (e.g., no participant’s response influences any other participant’s response); and (c) participants must be tested independently so that, other than the treatment, there is no systematic difference between how experimental and control group participants are treated.

If you followed our advice and independently and randomly assigned each participant to either the experimental or the control conditions, and then ran participants individually (or in small groups or in larger groups that mixed experimental and control participants), your observations are independent. If, however, your observations are not independent, you cannot legitimately do a conventional independent groups \( t \) test. Indeed, violating
independence often means that the data from your study are unanalyzable and thus worthless.

To reiterate, to do a meaningful independent t test in a simple experiment, your data must meet two key assumptions: You must have at least interval scale data, and you must have used independently assigned participants to groups. In addition to these two pivotal assumptions, the t test makes two less vital assumptions (see Table 10.8).

### Two Less Critical Assumptions

First, the t test assumes that the individual scores in the population from which your sample means were drawn are normally distributed: half the scores are below the average score; half are above; the average score is the most common score; about 2/3 of the scores are within one standard deviation of the mean; about 19/20 of the scores are within two standard deviations of the mean; and if you were to plot how often each score occurred, your plot would resemble a bell-shaped curve. The reason for this assumption is that if the individual scores in the population are normally distributed, the distribution of sample means based on those scores will also tend to be normally distributed.11 The assumption that individual scores are normally distributed often means that the data from your study are unanalyzable and thus worthless.

To reiterate, to do a meaningful independent t test in a simple experiment, your data must meet two key assumptions: You must have at least interval scale data, and you must have used independently assigned participants to groups. In addition to these two pivotal assumptions, the t test makes two less vital assumptions (see Table 10.8).

### Effects of Violating the t Test’s Assumptions

<table>
<thead>
<tr>
<th>Assumption</th>
<th>Consequences of Violating Assumption</th>
</tr>
</thead>
<tbody>
<tr>
<td>Observations are independent (participants are independently assigned and participants do not influence one another’s responses).</td>
<td>Serious violation; probably nothing can be done to salvage your study.</td>
</tr>
<tr>
<td>Data are interval or ratio scale (e.g., numbers must not represent qualitative categories, nor may they represent ranks [first, second, third, etc.]).</td>
<td>Do not use a t test. However, you may be able to use another statistical test (e.g., Mann-Whitney U, Chi-square).</td>
</tr>
<tr>
<td>The population from which your sample means were drawn is normally distributed.</td>
<td>If the study used more than 30 participants per group, this is not a serious problem. If, however, fewer participants were used, you may decide to use a different statistical test.</td>
</tr>
<tr>
<td>Scores in both conditions have the same variance.</td>
<td>Usually not a serious problem.</td>
</tr>
</tbody>
</table>

---

11 Why do we have to assume that the distribution of sample means is normally distributed? We need to know precisely how the sample means are distributed to establish how likely it is that the two sample means could differ by as much as they did by chance alone. In other words, if we are wrong about how the sample means are distributed, our p value—our estimate of the probability of the sample means differing by as much as they did if their population means were the same—would be wrong.
distributed is usually nothing to worry about because most distributions are normally distributed.

But what if the individual scores aren’t normally distributed? Even then, your sample means probably will be normally distributed—provided you have more than 30 participants per group. That is, as the central limit theorem states, with large enough samples (and 30 per group is usually large enough), the distribution of sample means will be normally distributed, regardless of how individual scores are distributed.

To understand why the central limit theorem works, realize that if you take numerous large samples from the same population, your sample means will differ from one another for only one reason: random error. Because random error is normally distributed, the distributions of sample means will be normally distributed—regardless of the shape of the underlying population.

The t test’s second less critical assumption is that the variability of scores within your experimental group will be about the same as the variability of scores within your control group. To be more precise, the assumption is that scores in both conditions will have the same variance. Usually, the penalty for violating the assumption of equal variances is not severe. Specifically, if you have unequal variances, it won’t seriously affect the results of your t test, as long as one variance isn’t more than 2½ times larger than the other.

QUESTIONS RAISED BY RESULTS

Obviously, if you violate key assumptions of the t test, people should question your results. But even if you don’t violate any of the t test’s assumptions, your results will raise questions—and this is true whether or not your results are statistically significant.

Questions Raised by Nonsignificant Results

Nonsignificant results raise questions because the null hypothesis cannot be proven. Therefore, null results inspire questions about the experiment’s power such as the following:

1. Did you have enough participants?
2. Were the participants homogeneous enough?
3. Was the experiment sufficiently standardized?
4. Were the data coded carefully?
5. Was the dependent variable sensitive and reliable enough?
6. Would you have found an effect if you had chosen two different levels of the independent variable?

---

12To get the variance for a group, square that group’s standard deviation (SD). If you used a computer to get your t, the computer program probably displayed each group’s SD. If you calculated the t by hand, you probably calculated each group’s SD as part of those calculations. Some computer programs will do a statistical test such as Levene’s Test for Equality of Variance to tell you how reasonable it is to assume that the groups have the same variance. If the p value for the Levene’s Test for Equality of Variance is statistically significant, it means that the variances are probably different: It does not mean that the treatment has an effect. If the variances are significantly different, instead of a conventional t test, you may want to do Welch’s test instead. Some programs will also calculate two t values for you: one assuming equal variances, one not making that assumption.
Questions Raised by Significant Results

If your results are statistically significant, it means you found an effect for your treatment. So, there’s no need to question your study’s power. However, a significant effect raises other questions. Sometimes, questions are raised because statistical significance doesn’t tell us how big the effect is (see Box 10.2).

Sometimes, questions are raised because the experimenter sacrificed construct or external validity to obtain adequate power. For example, if you used an empty control group, you have questionable construct validity. Consequently, one question would be: “Does your significant treatment effect represent an effect for the construct you tried to manipulate or would a placebo treatment have had the same effect?” Or, if you used an extremely homogeneous group of participants, the external validity of your study might be questioned. For instance, skeptics might ask: “Do your results apply to other kinds of participants?” Thus, skeptics might want you to increase the external validity of your study by repeating it with a more representative sample. Specifically, they might want you to first use random sampling to obtain a representative group of participants and then randomly assign those participants to either the control or experimental group.

At other times, questions are raised because of a serious limitation of the simple experiment: It can study only two levels of a single independent variable. Because of this, there are two important questions you can ask of any simple experiment:

1. To what extent do the results apply to levels of the independent variable that were not tested?
2. To what extent could the presence of other variables modify (strengthen, weaken, or reverse) the treatment’s effect?

CONCLUDING REMARKS

As you have seen, the results of a simple experiment always raise questions. Although results from any research study raise questions, some questions raised by the results of the simple experiment occur because the simple experiment is limited to studying only two levels of a single variable. If the logic of the simple experiment could be used to create designs that would study several levels of several independent variables, such designs could answer several questions at once. Fortunately, as you will see in Chapters 11 and 12, the logic of the simple experiment can be extended to produce experimental designs that will allow you to answer several research questions with a single experiment.

SUMMARY

1. Psychologists want to know the causes of behavior so that they can understand people and help people change. Only experimental methods allow us to isolate the causes of an effect.
2. Studies that don’t manipulate a treatment are not experiments.
3. Many variables, such as participant’s age, participant’s gender, and participant’s personality, can’t be manipulated. Therefore,
many variables can’t be studied using an experiment.

4. The simple experiment is the easiest way to establish that a treatment causes an effect.

5. The experimental hypothesis states that the treatment will cause an effect.

6. The null hypothesis, on the other hand, states that the treatment will not cause an observable effect.

7. With the null hypothesis, you only have two options: You can reject it, or you can fail to reject it. You can never accept the null hypothesis.

8. Typically, in the simple experiment, you administer a low level of the independent (treatment) variable to some of your participants (the comparison or control group) and a higher level of the independent variable to the rest of your participants (the experimental group). Near the end of the experimental session, you observe how each participant scores on the dependent variable: a measure of the participant’s behavior.

9. To establish causality with a simple experiment, participants’ responses must be independent. Because of the need for independence, your experimental and control groups are not really groups. Instead, these “groups” are sets of individuals.

10. Independent random assignment is the cornerstone of the simple experiment: Without it, you do not have a simple experiment.

11. Independent random assignment is necessary because it is the only way to make sure that the only differences between your groups are either due to chance or to the treatment.

12. Independent random assignment makes it likely that your control group is a fair comparison group. Therefore, if you use random assignment, the control and experimental groups should be equivalent before you introduce the treatment.

13. Random assignment can be used only if you are manipulating (assigning) a treatment. It involves assigning one level of a treatment to some participants and a different level of that treatment to other participants. Random assignment helps a study’s internal validity.

14. Your goal in using independent random assignment is to create two samples that accurately represent your entire population of participants. You use the mean of the control group as an estimate of what would have happened if all your participants had been in the control group. You use the experimental group mean as an estimate of what the mean would have been if all your participants had been in the experimental group.

15. The \( t \) test tries to answer the question, “Does the treatment have an effect?” In other words, would participants have scored differently had they all been in the experimental group than if they had all been in the control group?

16. If the results of the \( t \) test are statistically significant, the difference between your groups is greater than would be expected by chance (random error) alone. Therefore, you reject the null hypothesis and conclude that your treatment has an effect. Note, however, that statistical significance does not tell you that your results are big, important, or of any practical significance.

17. There are two kinds of errors you might make when attempting to decide whether a result is statistically significant. Type 1 errors occur when you mistake a chance difference for a treatment effect. Before the study starts, you choose your “false alarm” risk (risk of making a Type 1 error). Most researchers decide to take a 5% risk. Type 2 errors occur when you fail to realize that the difference between your groups is not solely due to chance. In a sense, Type 2 errors involve overlooking a genuine treatment effect.

18. By reducing your risk of making a Type 1 error, you increase your risk of making a Type 2 error. That is, by reducing your chances of falsely “crying wolf” when there is no treatment effect, you increase your chances of failing to yell “wolf” when there really is a treatment effect.

19. Because Type 2 errors can easily occur, non-significant results are inconclusive results.
20. To prevent Type 2 errors, (a) reduce random error, (b) use many participants to balance out the effects of random error, and (c) try to increase the size of your treatment effect.

21. You can easily determine your risks of a Type 1 error, but there’s no way you can design your experiment to reduce them. In contrast, it is hard to determine your risk of making a Type 2 error, but there are many ways you can design your study to reduce your risk of making such errors.

22. If your experiment minimizes the risk of making Type 2 errors, your experiment has power. In the simple experiment, power refers to the ability to obtain statistically significant results when your independent variable really does have an effect.

23. Sometimes, efforts to improve power may hurt the study’s external validity. For example, to get power, researchers may use a highly controlled lab setting rather than a real-life setting. Likewise, power-hungry researchers may study participants who are very similar to each other rather than a wide range of participants.

24. Occasionally, efforts to improve power may hurt the study’s construct validity.

25. Using placebo treatments, single blinds, and double blinds can improve your study’s construct validity.

26. Ethical concerns may temper your search for power—or even cause you to decide not to conduct your experiment.

27. Because of random error, you cannot determine whether your treatment had an effect simply by subtracting your experimental group mean from your control group mean. Instead, you must determine whether the difference between your group means could be due to random error.

28. The $t$ test involves dividing the difference between means by an estimate of the degree to which the groups would differ when the treatment had no effect. More specifically, the formula for the $t$ test is: $\frac{(\text{Mean 1} - \text{Mean 2})}{\text{standard error of the difference}}$.

29. The degrees of freedom for a two-group between-subjects $t$ test are 2 less than the total number of participants.

30. The $t$ test is a common way to analyze data from a simple experiment.

31. If your data do not meet the assumptions of the $t$ test, your statistical analysis may give you misleading results.

**KEY TERMS**

- internal validity (p. 335)
- simple experiment (p. 335)
- independent random assignment (p. 336)
- experimental hypothesis (p. 337)
- null hypothesis (p. 337)
- independent variable (p. 341)
- levels of an independent variable (p. 341)
- experimental group (p. 341)
- control group (p. 341)
- placebo treatment (p. 358)
- dependent variable (dependent measure) (p. 345)
- inferential statistics (p. 346)
- statistical significance (p. 346)
- null results (nonsignificant results) (p. 347)
- Type 1 error (p. 350)
- Type 2 error (p. 352)
- power (p. 352)
- empty control group (p. 358)
- blind (masked) (p. 358)
- single blinds (p. 358)
- double blinds (p. 358)
- populations (p. 358)
- mean (p. 362)
- $t$ test (p. 368)
- $p < .05$ level (p. 370)
- Cohen’s $d$ (p. 372)
- coefficient of determination (p. 372)
- normally distributed, normal distribution (p. 375)
- central limit theorem (p. 376)
EXERCISES

1. A professor has a class of 40 students. Half of the students chose to take a test after every chapter (chapter test condition) outside of class. The other half of the students chose to take in-class “unit tests.” Unit tests covered four chapters. The professor finds no statistically significant differences between the groups on their scores on a comprehensive final exam. The professor then concludes that type of testing does not affect performance.
   a. Is this an experiment?
   b. Is the professor’s conclusion reasonable? Why or why not?

2. Participants are randomly assigned to meditation or no-meditation condition. The meditation group meditates three times a week. The meditation group reports being significantly more energetic than the no-meditation group.
   a. Why might the results of this experiment be less clear-cut than they appear?
   b. How would you improve this experiment?

3. Theresa fails to find a significant difference between her control group and her experimental group \( t(10) = 2.11 \), not significant.
   a. Given that her results are not significant, what—if anything—would you advise her to conclude?
   b. What would you advise her to do? (Hint: You know that her \( t \) test, based on 10 degrees of freedom, was not significant. What does the fact that she has 10 degrees of freedom tell you about her study’s sample size, and what does it suggest about her study’s power?)

4. A training program significantly improves worker performance. What should you know before advising a company to invest in such a training program?

5. Jerry’s control group is the football team, his experimental group is the baseball team. He assigned the groups to condition using random assignment. Is there a problem with Jerry’s experiment? If so, what is it? Why is it a problem?

6. Students were randomly assigned to two different strategies of studying for an exam. One group used visual imagery, the other group was told to study the normal way. The visual imagery group scores 88% on the test as compared to 76% for the control group. This difference was not significant.
   a. What, if anything, can the experimenter conclude?
   b. If the difference had been significant, what would you have concluded?
   c. “To be sure that they are studying the way they should, why don’t you have the imagery people form one study group and have the control group form another study group?” Is this good advice? Why or why not?
   d. “Just get a sample of students who typically use imagery and compare them to a sample of students who don’t use imagery. That will do the same thing as random assignment.” Is this good advice? Why or why not?

7. Bob and Judy are doing the same study, except that Bob has decided to put his risk of a Type 1 error at .05 whereas Judy has put her risk of a Type 1 error at .01. (Note that consulting Table 1 in Appendix F will help you answer parts a and b.)
   a. If Judy has 22 participants in her study, what \( t \) value would she need to get significant results?
   b. If Bob has 22 participants in his study, what \( t \) value would he need to get significant results?
   c. Who is more likely to make a Type 1 error? Why?
   d. Who is more likely to make a Type 2 error? Why?

8. Gerald’s dependent measure is the order in which people turned in their exam (first, second, third, etc.). Can Gerald use a \( t \) test on his data? Why or why not? What would you advise Gerald to do in future studies?

9. Are the results of Experiment A or Experiment B more likely to be significant? Why?
10. Are the results of Experiment A or Experiment B more likely to be significant? Why?

<table>
<thead>
<tr>
<th>EXPERIMENT A</th>
<th>EXPERIMENT B</th>
</tr>
</thead>
<tbody>
<tr>
<td>Control group</td>
<td>Experimental group</td>
</tr>
<tr>
<td>3</td>
<td>4</td>
</tr>
<tr>
<td>4</td>
<td>5</td>
</tr>
<tr>
<td>5</td>
<td>6</td>
</tr>
</tbody>
</table>

**WEB RESOURCES**

1. Go to the Chapter 10 section of the book’s student website and
   a. Look over the concept map of the key terms.
   b. Test yourself on the key terms.
   c. Take the Chapter 10 Practice Quiz.
   d. Do the interactive end-of-chapter exercises.

2. Do a t test using a statistical calculator by going to the “Statistical Calculator” link.

3. Find out how to conduct a field experiment by reading “Web Appendix: Field Experiments.”

4. If you want to write your method section, use the “Tips on Writing a Method Section” link.

5. If you want to write up the results of a simple experiment, click on the “Tips for Writing Results” link.
Expanding the Simple Experiment
The Multiple-Group Experiment

The Advantages of Using More Than Two Values of an Independent Variable
Comparing More Than Two Kinds of Treatments
Comparing Two Kinds of Treatments With No Treatment
Comparing More Than Two Amounts of an Independent Variable to Increase External Validity
Using Multiple Groups to Improve Construct Validity

Analyzing Data from Multiple-Group Experiments
Analyzing Results From the Multiple-Group Experiment: An Intuitive Overview
Analyzing Results From the Multiple-Group Experiment: A Closer Look

Concluding Remarks
Summary
Key Terms
Exercises
Web Resources


*Perhaps too much of everything is as bad as too little.*
—Edna Ferber

*Scientific principles and laws do not lie on the surface of nature. They are hidden, and must be wrested from nature by an active and elaborate technique of inquiry.*
—John Dewey

**CHAPTER OVERVIEW**

We devoted Chapter 10 to the simple experiment: the design that involves randomly assigning participants to two groups. The simple experiment is internally valid and easy to conduct. However, it is limited in that you can study only two values of a single independent variable.

In this chapter, you will see why you might want to go beyond studying two values of a single variable. Then, you will see how the principle that gives the simple experiment internal validity (random assignment of participants to two groups) can be extended to experiments that study the effects of three or more values of a single independent variable. Finally, you will learn how to analyze data from such multiple-group experiments.

**THE ADVANTAGES OF USING MORE THAN TWO VALUES OF AN INDEPENDENT VARIABLE**

The simple experiment is ideal if an investigator wants to compare a single treatment group to a single no-treatment control group. However, as you will see, investigators often want to do more than compare two groups.

**Comparing More Than Two Kinds of Treatments**

We do not live in a world where there are only two flavors of ice cream, only two types of music, and only two opinions on how to solve any particular problem. Because people often choose between more than two options, investigators often compare more than two different kinds of treatments.

For instance, to decide how police should respond to a domestic dispute, investigators compared three different strategies: (1) arrest a member of the couple, (2) send one member away for a cooling off period, and (3) give advice and mediate the dispute (Sherman & Berk, 1984). Clearly, investigators could not compare three different treatments in one simple, two-group experiment. Therefore, instead of randomly assigning participants to two different groups, they randomly assigned participants to three different groups. (To learn how to randomly assign participants to more than two groups, see Box 11.1.)

In another case of attacking an applied problem, Cialdini (2005) saw a problem we all see—a well-intentioned, written request to do something
good—and he wondered what most of us have wondered: Would wording the request differently make it more effective? Specifically, he questioned the effectiveness of hotel room signs that urge guests to conserve water by reusing towels because doing so will (1) preserve the environment and (2) help the hotel donate money to an environmental cause. Cialdini believed that approaches that used psychological principles would be more effective than the hotels’ usual approach, and he could think of at least two principles that he could apply.

First, he could apply the principle that people tend to do what they believe others do. Thus, he created a sign stating that 75% of guests reuse their towels.

Second, he could apply the principle that people tend to repay a favor. Thus, he created a sign stating that the hotel had already donated money to protect the environment on behalf of the hotel guests and wanted to recover that expense.

To test his two solutions against conventional practice, Cialdini needed at least three groups: (1) a group that got the conventional treatment—a “preserve the environment plus hotel donation” group, (2) a “most other people are doing it” group, and (3) a “repay a favor” group. As Cialdini suspected, both the “repay a favor” and the “most other people are doing it” reused their towels much more than the group that saw the sign hotels typically used.
Clearly, Cialdini could not compare three groups in a single, two-group experiment. Thus, he used a multiple-group experiment. Similarly, Nairne, Thompson, and Pandeirada (2007) hypothesized that people are best able to remember information when they rate its relevance to their survival. To see whether the survival rating task was the best rating task for helping participants recall information, Nairne et al. used a multiple-group experiment to compare their rating task to other rating tasks that help memory (e.g., rating how pleasurable the word is, rating how personally relevant the word is). In short, if, like Cialdini or Nairne and his colleagues, you want to compare more than two treatments, you should use a multiple-group experiment.

**Comparing Two Kinds of Treatments With No Treatment**

Even when you are interested in comparing only two types of treatments, you may be better off using a multiple-group experiment. To understand why, let’s consider the following research finding: For certain kinds of back problems, people going to a chiropractor end up better off than those going for back surgery. Although an interesting finding, it leaves many questions unanswered. For example, is either treatment better than nothing? We don’t know because the researchers didn’t compare either treatment to a no-treatment control condition. It could be that both treatments are worse than nothing and chiropractic treatment is merely the lesser of two evils. On the other hand, both treatments could be substantially better than no treatment and chiropractic could be the greater of two goods.

Similarly, if we compared two untested psychological treatments in a simple experiment, we would know only which is better than the other: We would not know whether the better one was the less harmful of two “bad” treatments or the more effective of two “good” treatments. Thus, we would not know whether the lesser of the two treatments was (1) moderately harmful, (2) neither harmful nor helpful, or (3) mildly helpful. However, by using a three-group experiment that has a no-treatment control group, we would be able to judge not only how effective the two treatments were relative to each other but also their overall, general effectiveness. Consider the following examples of how adding a no-treatment control group helps us know what effect the treatments had.

- In a classic experiment, Loftus (1975) found that leading questions distorted participants’ memories of a filmed car accident. All participants watched a film of a car accident, completed a test booklet that contained questions about the film, and a week later, answered some more questions about the film. But participants were not treated identically because not all participants got the same test booklet. Instead, each participant was randomly assigned to receive one of the following three test booklets:

  1. The “presume” booklet contained 40 questions asked of all participants, plus 5 additional questions that asked whether certain objects—objects that were not seen in the film—were in the film. These 5 additional questions were leading questions: questions suggesting that the object was shown in the film (e.g., “Did you see the school bus in the film?”).
  2. The “mention but don’t presume” booklet contained 40 questions asked of all participants, plus 5 additional questions that asked
whether certain objects—objects that were not seen in the film—were in the film. This booklet was the same as the “presume” booklet except that the 5 additional questions did not suggest that the item was shown in the film (e.g., “Did you see a school bus in the film?”).

3. A control booklet that contained 40 questions asked of all participants.

Note that without a control group, Loftus would not have known whether the difference between the nonleading question and leading question group was due to (a) the nonleading question condition sharpening memory or (b) the leading question condition distorting memory.

- Crusco and Wetzel (1984) looked at the effects of having servers touch restaurant customers on the tips that servers received. Had they only compared hand-touching with shoulder-touching, they would not have known whether touching had an effect. Thanks to the no-touch control group, they learned that both kinds of touching increase tipping.

- Anderson, Carnagey, and Eubanks (2003) looked at the effects of violent lyrics on aggressive thoughts. Had they used only nonviolent and violent songs, they would not have known whether nonviolent songs reduced aggressive thoughts or whether violent songs increased aggressive thoughts. Thanks to the no-song control condition, they learned that violent lyrics increased aggressive thoughts.

- Strayer and Drews (2008) looked at the effects of cell phones on driving. Had they only compared the driving performance of drivers who use hand-held cell phones to drivers who use hands-free cell phones, they would not have found an effect for cell phones. However, thanks to a no cell phone control group, they learned that cell phone use impairs driving.

Comparing More Than Two Amounts of an Independent Variable to Increase External Validity

In the simple experiment, you are limited to two amounts of your independent variable. However, we do not live in a world where variables come in only two amounts. If we did, other people would be either friendly or unfriendly, attractive or unattractive, like us or unlike us, and we would be either rewarded or punished, included or excluded, and in complete control or have no control. Instead, we live in a world where situations vary not so much in terms of whether a quality (e.g., noise) is present but rather the degree to which that quality is present.

Not only that, but we live in a world where more is not always better. Sometimes, too little of some factor can be bad, too much can be bad, but (to paraphrase the littlest of the three bears) a medium amount is just right. In such cases, a simple, two-valued experiment can lead us astray.

To see how simple experiments can be misleading, suppose that a low amount of exercise leads to a poor mood, a moderate amount of exercise leads to a good mood, and a high amount of exercise leads to a poor mood. Such an upside-down “U”-shaped relationship is plotted in Figure 11.1a. As you can see, if we did a multiple-group experiment, we would uncover the true relationship between exercise and mood. However, if we did a simple
experiment, our findings might be misleading. For example, if we did the simple experiment depicted in

- Figure 11.1b, we might conclude that exercise *increases* mood
- Figure 11.1c, we might conclude that exercise *decreases* mood
- Figure 11.1d, we might conclude that exercise does not affect mood

As you have just seen, if a researcher is to make accurate statements about the effects of an independent variable, the researcher must know the independent and dependent variables’ functional relationship: the shape of the relationship.

If you are going to map the shape of a functional relationship accurately, you need more than the two data points that a simple experiment provides.

![Graphs showing multiple-group experiments and simple experiments](image-url)

**FIGURE 11.1** How a Multiple-Group Experiment Can Give You a More Accurate Picture of a Relationship Than a Simple Experiment
Simple experiments do not enable you to uncover the nature of a functional relationship because many different shaped lines can be drawn between two points. To appreciate this, consider Figure 11.2. From the two known data points (the empty circles), can you say what the relationship between the variables is?

No, you can’t. Perhaps the relationship is a linear relationship: one that is represented by a straight line. A straight line does fit your two points. However, maybe your relationship is not linear: As you can see from Figure 11.3, many other curved lines also fit your two points.

Because lines of many different shapes can be drawn between the two points representing a simple experiment’s two group means, the simple experiment does not help you discover the functional relationship between the variables. Thus, if your simple experiment indicated that 100 minutes of exercise produced a better mood than 0 minutes of exercise, you would still be clueless about the functional relationship between exercise and mood. Therefore, if we asked you about the effects of 70 minutes of exercise on mood, you could do little more than guess. If you assumed that the exercise-mood relationship is linear, you would guess that exercising 70 minutes a day would be (a) better than no exercise and (b) worse than exercising 100 minutes a day. But if your assumption of a linear relationship is wrong (and it well could be), your guess would be wrong.

To get a line on the functional relationship between variables, you need to know more than two points. Therefore, suppose you expanded the simple experiment into a multilevel experiment by adding a group that gets 50 minutes of exercise a day. Then, you would have a much clearer idea of the functional relationship between exercise and happiness. As you can see in Figure 11.4 on page 390, using three levels can help you identify the functional relationship among variables. If the relationship is linear, you should be able to draw a straight line through your three points. If the relationship is U-shaped, you’ll be able to draw a “U” through your three points.

Because you can get a good picture of the functional relationship when you use three levels of the independent variable, you can make accurate
predictions about unexplored levels of the independent variable. For example, if the functional relationship between exercise and happiness were linear, you might obtain the following pattern of results:

<table>
<thead>
<tr>
<th>Group 1</th>
<th>0 minutes of exercise per day</th>
<th>0.0 self-rating of happiness</th>
</tr>
</thead>
<tbody>
<tr>
<td>Group 2</td>
<td>50 minutes of exercise per day</td>
<td>5.0 self-rating of happiness</td>
</tr>
<tr>
<td>Group 3</td>
<td>100 minutes of exercise per day</td>
<td>10.0 self-rating of happiness</td>
</tr>
</tbody>
</table>

FIGURE 11.3 Some Possible Nonlinear Relationships

Note: The circles represent the known data points. The boxes between the circles are what might happen at a given level of the independent variable, depending on whether the relationship between the variables is characterized by (a) an S-shaped (negatively accelerated) trend, (b) a J-shaped (positively accelerated) trend, (c) a U-shaped (quadratic) trend, or (d) a double U-shaped (cubic) trend.
In that case, you could confidently predict that 70 minutes of exercise would be less beneficial for increasing happiness than 100 minutes of exercise.

If, on the other hand, the relationship was S-shaped (as in Figure 11.3), you might get the following pattern of results:

- **Group 1** 0 minutes of exercise per day 0.0 self-rating of happiness
- **Group 2** 50 minutes of exercise per day 10.0 self-rating of happiness
- **Group 3** 100 minutes of exercise per day 10.0 self-rating of happiness

In that case, you would predict that a person who exercised 70 minutes would do as well as someone exercising 100 minutes a day.

The more groups you use, the more accurately you can pin down the shape of the functional relationship. Yet, despite this fact, you do not need to use numerous levels of the independent variable. Why? Because nature prefers simple patterns. That is, most functional relationships are linear (straight lines), and few are more complex than U-shaped functions. Consequently, you will rarely need more than four levels of the independent variable to pin down a functional relationship. In fact, you will usually need no more than three carefully chosen levels.
Conclusions: Multilevel Experiments and External Validity

In summary, knowing the functional relationship between two variables is almost as important as knowing that a relationship exists. If you want to give practical advice, you should be able to say more than: “If you exercise 100 minutes a day, you will be happier than someone who exercises 0 minutes a day.” Who exercises exactly 100 minutes a day? You want to be able to generalize your results so that you can tell people the effects of exercising 50 minutes, 56 minutes, 75 minutes, and so forth. Yet, you have no intention of testing the effects of every possible amount of exercise a person might do. Instead, you want to test only a handful of exercise levels. If you choose these levels carefully, you will be able to map the functional relationship between the variables. Mapping the functional relationship, in turn, will allow you to make educated predictions about the effects of treatment levels that you have not directly tested.

When applying psychology, you need to know the functional relationship so you can know how much of a therapy or other treatment to administer. How much is too little? At what point is additional treatment not worth it? How much is too much? If you know the answers to these questions, not only do you avoid wasting your time and your client’s time on unnecessary treatments, but you also free up time and resources to help a client who needs it (Tashiro & Mortensen, 2006).

When mapping functional relationships, psychologists often manipulate independent variables that have names starting with “number of,” such as number of others, number of milligrams of a drug, or number of seconds of exposure to a stimulus. You may be inspired by studies like the following classics.

- In Asch’s (1955) line-judging experiments, he led participants to believe that they were part of a group that was participating in a visual perception study. The participant’s job was to pick the line on the right that matched the line on the left. In reality, the experiment was a social influence experiment, and the other members of the group were really confederates (assistants) of the experimenter. Asch wanted to know whether the size of group would affect people’s conformity to the group. He found that as group size went from two to five, participants were more likely to conform. However, he found that increasing the group size beyond seven actually decreased the chances that participants would go along with the group.

- In Latané, Williams, and Harkins’s (1979) social loafing experiments, investigators wanted to know how loafing would change as a function of group size. They found that adding two members to a group increased loafing, but that adding two members increased loafing more in smaller groups than in larger groups.

- In Milgram, Bickman, and Berkowitz’s (1969) conformity experiment, confederates looked up at the sixth floor window of an office building. Because the researchers were interested in the effects of group size on conformity, the researchers had 1, 2, 3, 5, 10, or 15 confederates look up at the office building. Then, they counted the number of people passing by who also looked up. They found that the bigger their initial group, the stronger the group’s influence.
• In Darley and Latané’s (1968) study of helping behavior, participants thought they were talking via intercom to either one, two, or five other participants (actually, the participant was alone—the voices came from a tape-recording) when one of them had a seizure. They found that the more people participants thought were in the group, the less likely participants were to help.

• In Middlemist, Knowles, and Matter’s (1976) urinal study, researchers found that the closer a confederate was standing to a participant, the longer it took for the participant to begin urinating.

• In Ambady and Rosenthal’s (1993) “thin slices” experiments, participants watched—with the sound off—three video clips of a professor. The clips varied in length: One group saw 2-second clips, a second group saw 5-second clips, and a third group saw 10-second clips. The researchers found that participants in all three groups gave the professor the same ratings as students who sat in the professor’s class all term gave that professor.

• In Basson, McInnes, Smith, Hodgson, and Koppiker’s (2002) study of the effect of Viagra on women, neither the 10-mg, 50-mg, or 100-mg doses of Viagra were more effective in increasing sexual response than a placebo.

Although it is easy to map functional relationships when the name of your independent variable starts with “number of,” realize that you can map functional relationships between most variables because—with a little work—most variables can be quantified. If you can manipulate a variable between two extreme levels (e.g., low and high), you can probably also manipulate it in between those extremes (e.g., medium). To illustrate, consider a variable that is not obviously quantitative: similarity. Byrne (1961) manipulated similarity from 0% to 100% by (a) making participants believe they were seeing another student’s responses to an attitude survey and then (b) varying the proportion of responses that matched the participant’s attitudes from 0% to 100%.

If your independent variable involves exposing participants to a stimulus, you can usually quantify your manipulation by doing some work before you start your study. Specifically, you could (a) produce several variations of the stimulus, (b) have volunteers rate each of those variations, and then (c) use the variations that have the values you want in your experiment. For example, suppose you wanted to manipulate physical attractiveness by showing participants photos of people who varied in attractiveness. You could take a photo of an attractive person, then (a) get some less attractive photos of the person by messing with the person’s makeup or by messing with their picture using a computerized photo editing program, (b) have some volunteers rate the attractiveness of each photo on a 0-to-10 scale, and (c) use, as your three stimuli, the photos that were consistently rated 4, 6, and 8, respectively. Realize that this scaling strategy is not just for pictures: If your manipulation was “severity of a crime” or “legitimacy of an excuse” or almost anything else, you could still use this scaling strategy.

Even without scaling your independent variable, you may still be able to order the levels of your manipulation from least to most and then see whether more of the manipulation creates more of an effect. For example, in one study
(Risen & Gilovich, 2007) all participants were to imagine the following scenario:

You bought a lottery ticket from a student who was organizing a lottery. However, on the day of the drawing, you left your money at home and so had no money to buy lunch. To buy lunch, you sold your ticket back to the student who sold it to you.

Then, 1/3 of the participants were told to imagine that the lottery ticket was eventually purchased by their best friend, 1/3 were told to imagine that the ticket was purchased by a stranger, and 1/3 were told to imagine that the ticket was purchased by their “ex-friend and least favorite person at school” (p. 16). As Risen and Gilovich predicted, the less the participants liked the person who would eventually own their original ticket, the more likely participants thought that ticket would be the winning ticket. Conversely, Young, Nussbaum, and Monin (2007) showed that if a disease could be spread by sexual contact, people were reluctant to have themselves tested for it, and this reluctance was unaffected by whether sexual contagion was an unlikely (e.g., only 5% of the cases were due to sexual contact) or likely (e.g., 90% of the cases were due to sexual contact) cause of the disease.

**Using Multiple Groups to Improve Construct Validity**

You have seen that multilevel experiments—because their results can generalize to a wider range of treatment levels—can have more external validity than simple experiments. In this section, you will learn that multilevel experiments can also have more construct validity than simple experiments.

**Confounding Variables in the Simple Experiment**

In Chapter 10, you saw that thanks to random assignment, simple experiments are able to rule out the effects of variables unrelated to the treatment manipulation. For example, because of random assignment, the effects of participant variables such as gender, race, and personality usually will not be confused for a treatment effect. In other words, a statistically significant difference between the control group and the experimental group at the end of the experiment will probably not be due to the groups being different before the treatment was introduced.

So, simple experiments effectively control for the effects of variables that have nothing to do with the treatment manipulation. But what if the treatment is manipulating more than the one variable it’s supposed to be manipulating? For instance, what if an “exercise” manipulation is also manipulating social support? Simple experiments are often unable to rule out the effects of variables that are manipulated along with the treatment.

In an ideal world, this limitation of the simple experiment would not be a problem. Your treatment would be a pure manipulation that creates one—and only one—systematic difference between the experimental group and the control group. Unfortunately, it is rare to have a perfect manipulation. Instead, the treatment manipulation usually produces several differences between how the experimental and control groups are treated.

For example, suppose that a simple experiment apparently found that the “attractive” defendant was more likely to get a light sentence than the “unattractive” defendant. We would know that the “attractiveness” manipulation
had an effect. However, it could be that in addition to manipulating attractiveness, the researchers also manipulated perceived wealth. Thus, wealth, rather than attractiveness, might account for the manipulation’s effect. Specifically, people may be less likely to give wealthy defendants long sentences.

Because of impurities in manipulations, you often end up knowing that the treatment manipulation had an effect, but not knowing whether the treatment had an effect because it manipulated (a) the variable you wanted to manipulate or (b) some other variable that you did not want to manipulate (the impurity). In short, simple experiments may lack construct validity because the independent variable manipulation is contaminated by variables that are unintentionally manipulated along with the treatment. In technical terminology, the manipulation’s construct validity is weakened by confounding variables: variables, other than the independent variable, that may be responsible for the differences between your conditions.

The following example\(^1\) illustrates the general problem of confounded manipulations. Imagine being in a classroom that has five light switches, and you want to know what the middle light switch does. Assume that in the “control” condition, all the light switches are off. In the “experimental” condition, you want to flick the middle switch. However, because it is dark, you accidentally flick on the middle three switches. As the lights come on, the janitor bursts into the room, and your “experiment” is finished. What can you conclude?

You can conclude that your manipulation of the light switches had an effect. That is, your study has internal validity. But, because you manipulated more than just the middle light switch, you can’t say that you know what the middle light switch did. Put another way, if you were to call your manipulation a “manipulation of the middle switch,” your manipulation would lack construct validity.

Because of confounding variables, it is often hard to know what it is about the treatment that caused the effect. In real life, variables are often confounded. For example, your friend may know she got a hangover from drinking too much wine, but not know whether it was the alcohol in the wine, the preservatives in the wine, or something else about the wine that produced the awful sensations. A few years ago, a couple of our students joked that they could easily test the hypothesis that alcohol was responsible. All they needed us to do was donate enough money to buy mass quantities of a pure manipulation of alcohol—180 proof, totally devoid of impurities. These students understood how confounding variables can contaminate real-life manipulations—and how confounding variables can make it hard to know what it was about the manipulation that caused the effect.

Having a multiple-group experiment can allow you to know what it is about the source that causes a treatment’s effect. For example, if you wanted to look at the effects of cell phones on driving behavior, you could have a no cell phone group, a cell phone group, and a cell phone with headset group. By comparing the regular cell phone group to the headset group, you might be able to see whether reaching for the phone was a source of the cell phone users’ driving problems (Strayer & Drews, 2008). To see how having more

\(^1\) We are indebted to an anonymous reviewer for this example and other advice about confounding variables.
than two groups has helped researchers track down the source of a treatment’s effect, consider the following examples.

- Gesn and Ickes (1999) found that participants who saw a video of another person did a passable job at knowing what that person was thinking. But why? Was it the person’s words—or was it their nonverbal signals? To find out, Gesn and Ickes compared one group that heard only the words (audio only) to another group that got only the nonverbal signals. (The nonverbal group saw video of the person accompanied by a filtered sound track that allowed participants to hear the pitch, loudness, and rhythm of the person’s speech, but not the actual words.) Gesn and Ickes found that the words, rather than nonverbal signals, were what helped participants figure out what the person was thinking. Specifically, whereas the audio-only group did nearly as well as the normal video group, the video with filtered audio group did very poorly.

- Langer, Blank, and Chanowitz (1978) had their assistant get into lines to use the copier and then ask one of three questions:
  1. Can I cut in front of you?
  2. Can I cut in front of you because I’m in a rush?
  3. Can I cut in front of you because I want to make a copy?

The researchers found that 60% of participants in the no-excuse condition let the assistants cut in front, 94% of the participants in the good-excuse condition let the assistants cut in, and 93% of the participants in the poor-excuse condition let the assistants cut in front of them. By having both a no-excuse control group and a good-excuse control group, the researchers were able to establish that it was (a) important to have an excuse but (b) the quality of the excuse was unimportant.

- In the false memory study we discussed earlier, Loftus (1975) included a control group who, like the experimental group, was asked questions about objects that weren’t in the film, but who, unlike the experimental group, were not asked questions that implied that those objects were in the film (e.g., the control group might be asked “Did you see a red stop sign?” whereas the experimental group would be asked, “Did you see the red stop sign?”). The fact that this control group did not have false memories allowed Loftus to discover that the false memories in the leading question condition were caused by suggesting that the object was present—and not by the mere mention of the false object.

- Lee, Frederick, and Ariely (2006) found that people told that they were about to drink some beer that had vinegar added to it rated the beer more negatively than participants not told about the vinegar. One possibility for this finding is that participants merely obeyed demand characteristics: Participants might expect that the experimenter wanted them to give low ratings to vinegar-tainted beer. Fortunately, Lee et al. were able to rule out this possibility because they had a control group that was told about the vinegar after tasting the beer—and that “after” group rated the beer as positively as the group that didn’t know about the vinegar. Consequently, the researchers were able to conclude that knowing about the vinegar beforehand changed how the beer tasted to participants.
Baumeister, DeWall, Ciarocco, and Twenge (2005) found that participants believing they would spend the future alone exhibited less self-control than participants believing they would spend the future with friends. However, this finding could mean either that social rejection leads to less self-control or that expecting unpleasant outcomes leads to less self-control. Therefore, Baumeister et al. added a control group of participants who were led to expect an unpleasant, injury-riddled future. That “misfortune” group did not experience a loss of self-control, suggesting that it was rejection, not negative events, that caused the lowered self-control.

To understand how confounding variables can contaminate a simple experiment, let’s go back to the simple experiment on the effects of exercise that we proposed earlier in this chapter. You will recall that the experimental group got 100 minutes of exercise class per day, whereas the control group got nothing. Clearly, the experimental group participants were treated differently from the control group participants. The groups didn’t differ merely in terms of the independent variable (exercise). They also differed in terms of several other (confounding) variables: The exercise group received more attention and had more structured social activities than the control group.

**Hypothesis-Guessing in Simple Experiments.** Furthermore, participants in the experimental group knew they were getting a treatment, whereas participants in the control group knew they were not receiving any special treatment. If experimental group participants suspected that the exercise program should have an effect, the exercise program may appear to have an effect—even if exercise does not really improve mood. In other words, the construct validity of the study might be ruined because the experimental group participants guessed the hypothesis (**hypothesis-guessing**).

Because of the impurities (confounding variables) of this exercise manipulation, you cannot say that the difference between groups is due to exercise by itself. Although all manipulations have impurities, this study’s most obvious—and avoidable—impurities stem from having an empty control group: a group that gets no treatment, not even a placebo (a placebo is a treatment that doesn’t have an effect, other than possibly by changing a participants’ expectations). Thus, if you chose to use a placebo control group instead of the empty control group, you could reduce the impact of confounding variables.

**Increasing Validity Through Multiple Control Groups**

Choosing the placebo control group over the empty control group does, however, often come at a cost. Often, it would be better to have both control groups.

To see how hard it can be to choose between an empty control group and a placebo group, consider the studies comparing the effect of antidepressant drugs to the effect of a placebo. If those simple experiments had compared groups getting antidepressants to empty control groups, those studies would have grossly overestimated the effectiveness of antidepressant drugs (Kirsch, Moore, Scoboria, & Nicholls, 2002). However, because those studies did not use empty control groups, they don’t tell us the difference between getting the...
drug and receiving no treatment. Given that patients will be choosing between drug treatment and no drugs (Moerman, 2002), the lack of an empty control group is a problem. It would have been nice to have compared the antidepressant group to both an empty control group as well as to a placebo group.

The Value of a Placebo Group. To take another example of the difficulty of choosing between a placebo group and an empty control group, let’s go back to the problem of examining the effects of exercise on mood. If you use an empty control group that has nothing done to its participants, interpreting your results may be difficult. More specifically, if the exercise group does better than this “left alone” group, the results could be due to hypothesis-guessing (e.g., participants in the exercise condition figuring out that exercise should boost their mood) or to any number of confounding variables (such as socializing with other students in the class, being put into a structured routine, etc.).

If, on the other hand, you use a placebo-treatment group (for example, meditation classes), you would control for some confounding variables. For example, both your treatment and placebo groups would be assigned to a structured routine. Now, however, your problem is that you only know how the treatment compares to the placebo: You do not know how it compares to no treatment. Consequently, you won’t know what the treatment’s effect is.

The Value of an Empty Control Group: “Placebos” May Not Be Placebos. You won’t know what the effect of your treatment is because you do not know what the effect of your placebo treatment is. Ideally, you would like to believe that your placebo treatment has no effect. In that case, if the treatment group does worse than the placebo group, the treatment is harmful; if the treatment group does better, the treatment is helpful.

If, however, what you hope is a purely placebo treatment turns out to be a treatment that really does have an effect, you are going to have trouble evaluating the effect of your treatment. For example, suppose you find that the exercise group is more depressed than the meditation group. Could you conclude that exercise increases depression? No, because it might be that although exercise reduces depression, meditation reduces it more. Conversely, if you found that the exercise group is less depressed than the meditation group, you could not automatically conclude that exercise decreases depression. It may be that meditation increases depression greatly, and exercise increases depression only moderately: Exercise may merely be the lesser of two evils.

To find out whether exercise increases or decreases depression, you need to compare the exercise group to a no-treatment group. Thus, if you were interested in the effects of exercise on depression, you have two options: (1) Use a simple experiment and make the hard choice between an empty control group and a placebo group, or (2) use a multiple-group experiment so that you can include both an empty and a placebo control group.

Using Multiple Imperfect Control Groups to Compensate for Not Having the Perfect Control Group. Even if you are sure you do not want to use an empty control group, you may still need more than one control group because you
will probably not have the perfect control group. Instead, you may have several groups, each of which controls for some confounding variables but not for others. If you were to do a simple experiment, you may have to decide which of several control groups to use. Choosing one control group—when you realize you need more than one—is frustrating. It would be better to be able to use as many as you need.

But how often do you need more than one control group? More often than you might think. In fact, even professional psychologists sometimes underestimate the need for control groups. Indeed, many professional researchers get their research articles rejected because a reviewer concluded that they failed to include enough good control groups (Fiske & Fogg, 1990).

You often need more than one control group so that your study will have adequate construct validity. Even with a poor control group, your study has internal validity: You know that the treatment group scored differently than the control group. But what is it about the treatment that is causing the effect? Without good control group(s), you may think that one aspect of your treatment (the exercise) is causing the effect, when the difference is really due to some other aspect of your treatment (the socializing that occurs during exercise).

To illustrate how even a good control group may still differ from the experimental group in several ways having nothing to do with the independent variable, consider the meditation control group. The meditation control group has several advantages over the empty control group. For example, if the exercise group was less depressed than a meditation control group, we could be confident that this difference was not due to hypothesis-guessing, engaging in structured activities, or being distracted from worrisome thoughts for awhile. Both groups received a “treatment,” both engaged in structured activities, and both were distracted for the same length of time.

The groups, however, may differ in that the exercise group did a more social type of activity, listened to louder and more upbeat music, and interacted with a more energetic and enthusiastic instructor. Therefore, the exercise group may be in a better mood for at least three reasons having nothing to do with exercise: (1) the social interaction with their exercise partners, (2) the upbeat music, and (3) the upbeat instructor.

To rule out all these possibilities, you might use several control groups. For instance, to control for the “social activity” and the “energetic model” explanations, you might add a group that went to a no-credit acting class taught by an enthusiastic professor. To control for the music explanation, you might add a control group that listened to music or perhaps even watched aerobic dance videos. By using all of these control groups, you may be able to rule out the effects of confounding variables.

ANALYZING DATA FROM MULTIPLE-GROUP EXPERIMENTS

You have just learned that multiple control groups may give you more construct validity than one control group. Earlier, you learned that multiple treatment groups allow you to more accurately map the functional relationship between the independent variable and the dependent variable than a two-group experiment. Before that, you learned that the multiple-group
experiment allows you to compare more treatments at one time than a two-group experiment. In short, you have learned that there are at least three good reasons to conduct a multiple-group experiment instead of a simple experiment:

1. to improve construct validity
2. to map functional relationships
3. to compare several treatments at once

However, before you conduct a multiple-group experiment, you should understand how it will be analyzed because the way that it will be analyzed has implications for (a) what treatment groups you should use, (b) how many participants you should have, and even (c) what your hypothesis should be.

Even if you never conduct a multiple-group experiment, you will read articles that report results of such experiments. To understand those articles, you must understand the logic and vocabulary used in analyzing them.

**Analyzing Results From the Multiple-Group Experiment: An Intuitive Overview**

As a first step to understanding how to analyze the results of multiple-group experiments, let’s look at data from three experiments that compared the effects of no-treatment, meditation, and aerobic exercise on happiness. All of these experiments had 12 participants rate their feelings of happiness on a 0-to-100 (not at all happy to very happy) scale. Here are the results of Experiment A:

<table>
<thead>
<tr>
<th>NO-TREATMENT</th>
<th>MEDITATION</th>
<th>EXERCISE</th>
</tr>
</thead>
<tbody>
<tr>
<td>50</td>
<td>51</td>
<td>53</td>
</tr>
<tr>
<td>51</td>
<td>53</td>
<td>53</td>
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<td>52</td>
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<td>54</td>
</tr>
<tr>
<td>51</td>
<td>52</td>
<td>52</td>
</tr>
</tbody>
</table>

Group Means: 51 52 53

Compare these results to the results of Experiment B:

<table>
<thead>
<tr>
<th>NO-TREATMENT</th>
<th>MEDITATION</th>
<th>EXERCISE</th>
</tr>
</thead>
<tbody>
<tr>
<td>40</td>
<td>60</td>
<td>78</td>
</tr>
<tr>
<td>42</td>
<td>60</td>
<td>82</td>
</tr>
<tr>
<td>38</td>
<td>58</td>
<td>80</td>
</tr>
<tr>
<td>40</td>
<td>62</td>
<td>80</td>
</tr>
</tbody>
</table>

Group Means: 40 60 80
Are you more confident that Experiment A or Experiment B found a significant effect for the treatment variable? If you say B, why do you give B as your answer? You answer B because there is a bigger difference between the groups in Experiment B than in Experiment A. That is, the group means for Experiment B are further apart than the group means for Experiment A. Group B’s means being further apart—what statisticians call greater variability between group means—lead you to think that Experiment B is more likely to be the study that obtained significant results for two reasons.

First, you intuitively realize that to find a treatment effect, you need between-group variability. After all, if the between-group variability was zero (indicating that the means of the exercise group, the no-treatment group, and the meditation group were all the same), you couldn’t argue that the treatment had an effect.

Second, you intuitively realize a small difference between group means might easily be due to chance (rather than to the treatment), but a larger difference is less likely to be due to chance. Thus, you realize that the more variability there is between group means, the more likely it is that at least some of that variability is due to treatment.

Now, compare Experiment B with Experiment C. Here are the results of Experiment C:

<table>
<thead>
<tr>
<th>EXERCISE</th>
<th>NO-TREATMENT</th>
<th>MEDITATION</th>
</tr>
</thead>
<tbody>
<tr>
<td>10</td>
<td>10</td>
<td>100</td>
</tr>
<tr>
<td>80</td>
<td>90</td>
<td>80</td>
</tr>
<tr>
<td>60</td>
<td>60</td>
<td>60</td>
</tr>
<tr>
<td>10</td>
<td>80</td>
<td>80</td>
</tr>
</tbody>
</table>

Group Means 40 60 80

Which experiment do you think provides stronger evidence of a treatment effect—Experiment B or Experiment C? Both experiments have the same amount of variability between group means. Therefore, unlike in our first example, you cannot use the rule of choosing the experiment with the means that differ the most to choose Experiment B. Yet, once again, you will pick Experiment B. Why?

You will pick Experiment B because you are concerned about one aspect of Experiment C: the extreme amount of variability within each group. You realize the only reason scores within a group vary is random error. (If participants in the same treatment group get different scores, those different scores can’t be due to the treatment. Instead, the differences in scores must be due to nontreatment variables, such as individual differences. In a randomized experiment, such nontreatment variables become random error.) Thus, you see that Experiment C is more affected by random error than Experiment B.

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2 Similarly, if your favorite team lost by one point, you might blame luck. However, if your team lost by 30 points, you would be less likely to say that bad luck alone was responsible for the defeat.
The large amount of random error in Experiment C (as revealed by the within-groups variability) bothers you because you realize that this random error—rather than the treatment—might be the reason the groups differ from one another. That is, the same random variability that makes individual scores within a group differ from each other might also make the group means differ from each other. In Experiment B, on the other hand, the small amount of within-group variability indicates that there is virtually no random variability in the data. Therefore, in Experiment B, you feel fairly confident that random error is not causing the group means to differ from one another. Instead, you believe that the means differ from one another because of the treatment.

Intuitively then, you understand the three most important principles behind analyzing the results of a multiple-group experiment. Specifically, you realize the following:

1. Within-groups variability is not due to the treatment, but instead is due to random error. That is, differences within a treatment group can't be due to the treatment because everyone in the group is getting the same treatment. Instead, differences among group members must be due to random factors such as individual differences and random measurement error.

2. Between-groups variability is not a pure measure of treatment effects. Admittedly, if the treatment has an effect, the means of groups getting different levels of treatment should differ from one another. However, even if the treatment has no effect, the group means will probably still differ from one another because of random error. Thus, between-group variability is affected by both random error and treatment effects.

3. If you compare between-group variability (the effects of random error plus any treatment effects) to within-group variability (the effects of random error alone), you may be able to determine whether the treatment had an effect.

Analyzing Results From the Multiple-Group Experiment: A Closer Look

You now have a general idea of how to analyze data from a multiple-group study. To better understand the logic and vocabulary used in these analyses—a must if you are to understand an author's or a computer's report of such an analysis—read the next few sections.

Within-Groups Variability: A Pure Measure of Error

As you already know, within-groups variability does not reflect the effects of treatment. Instead, it reflects the effects of random error. For example, because all the participants in the meditation group are getting the same

---

3 To get a sense of how random sampling error might cause the group means to differ, randomly sample two scores from the no-treatment group (scores are in the table on page 400). Compute the mean of this group. If you do this several times, you will get different means. These different means can't be due to a treatment effect because none of the participants in any of your samples are receiving the treatment. The reason you are getting different means even though you are sampling the same group is random sampling error. Fortunately, statistics can help us determine how likely it is that the differences among group means are entirely due to random error.
treatment (meditation), any differences among those participants’ scores can’t be due to the treatment. Instead, the differences among scores of meditation group participants are due to such random factors as individual differences, unreliability of the measure, and lack of standardization. Similarly, differences among the scores of participants in the no-treatment group are due not to treatment, but to irrelevant random factors. The same is true for differences within the exercise group. Thus, calculating within-groups variability will tell us the extent to which chance causes individual scores to differ from each other.

To measure this within-groups variability, we first look at the variability of the scores within each group. To be more specific, we calculate an index of variability called the variance. If we have three groups, we could calculate the variance within each group. Each of these three within-group variances would be an estimate of the extent to which the groups could differ due to random error alone. However, we do not need three different estimates of random error—we just need one good one. To end up with one estimate of variability due to random error, we average all three within-group variances to come up with the best estimate of random variability—the within-groups variance.

Fortunately, we can use this estimate of how much random error causes individual scores to differ from each other to estimate the extent to which random error is likely to cause group means to differ from each other. Partly because this within-groups variance gives us an index of the degree to which random error alone may cause your group means to differ, within-groups variance is often referred to as error variance.

**Between-Groups Variability: Error Plus (Possibly) Treatment**

Once you have an index of the degree to which your groups could vary from each other due to chance alone (the within-groups variance), the next step is to get an index of the degree to which your groups actually vary from one another. It is at this step where it becomes clear that you cannot use a t test to analyze data from a multiple-group experiment. When using a t test, you determine the degree to which the groups differ from one another in a straightforward manner: You subtract the average score of Group 1 from the average score of Group 2. Subtraction works well when you want to compare two groups, but it does not work well when you have more than two groups because you can subtract only two scores at a time. So, if you have three groups, which two groups do you compare? Group 1 with Group 2? Or, Group 2 with Group 3? Or, Group 1 with Group 3?

You might answer this question by saying “all of the above.” You are saying that, with three groups, you would do three t tests: one comparing Group 1 against Group 2, a second comparing Group 1 against Group 3, and a third comparing Group 2 against Group 3. However, that’s not allowed!

An analogy will help you understand why you cannot use multiple t tests. Suppose a stranger comes up to you with a proposition: “Let’s bet on coin flips. If I get a ‘head,’ you give me a dollar. If I don’t, I give you a dollar.” You agree. He then proceeds to flip three coins at once and then makes you pay up if even one of the coins comes up heads. Why is this unfair? This is unfair because he misled you: You thought he was going to flip only one
coin at a time, so you thought he had only a 50% chance of winning. But because he’s flipping three coins at a time, his chances of getting at least one head are much better than 50%.4

When you do multiple t tests, you are doing basically the same thing as the coin hustler. You start by telling people the odds that a single t test will be significant due to chance alone. For example, if you use conventional significance levels, you would tell people that if the treatment has no effect, the odds of getting a statistically significant result for a particular t test are less than 5 in 100. In other words, you are claiming that your chance of making a Type 1 error is no more than 5%.

Then, just as the hustler gave himself more than a 50% chance of winning by flipping more than one coin, you give yourself a more than 5% chance of getting a statistically significant result by doing more than one t test. The 5% odds you quoted would hold only if you had done a single t test. If you are using t tests to compare three groups, you will do three t tests, which means the odds of at least one turning out significant by chance alone are much more than 5%.5

So far, we’ve talked about the problems of using a t test when you have a three-group experiment. What happens if your experiment has more than three groups? Then, the t test becomes even more deceptive (just as the coin hustler would be cheating even more if he flipped more than three coins at a time). The more groups you use in your experiment, the greater the difference between the significance level you report and the actual odds of at least one t test being significant by chance (Hays, 1981).

To give you an idea of how great the difference between your stated significance level and the actual odds can be, suppose you had six levels of the independent variable. To compare all six groups with one another, you would need to do 15 t tests. If you did that and used a .05 significance level, the probability of getting at least one significant effect by chance alone would be more than 50%: Your risk of making a Type 1 error would be 10 times greater than you were claiming it was!

As you have seen, the t test is not useful for analyzing data from the multiple-group experiment because it measures the degree to which groups differ (vary) by using subtraction—and you can only subtract two group averages at a time. To calculate the degree to which more than two group means vary, you need to calculate a variance between those means.

The between-groups variance indicates the extent to which the group means vary (differ). Thus, if all your groups have the same mean, between-groups variance would be zero because there would be no (zero) differences between your group means. If, on the other hand, there are large differences between the group means, between-group variance will be large.

So, the size of the between-groups variance depends on the extent to which the group means differ. But what affects the extent to which the group means differ? As you saw earlier, there are two factors.

One factor is random error. Even if the treatment has no effect, random error alone will almost always cause differences between the group means.

---

4 To be more precise, his chances of getting at least one head are 87.5%.
5 To be more precise, your chances are 14.26%.
If the experiment uses an unreliable measure, few participants, and poorly standardized procedures, random error alone may cause large differences between the group means. If the experiment uses a reliable measure, many participants, and highly standardized procedures, random error alone would tend to cause smaller differences between the group means. In short, when there is no treatment effect, the groups will still differ from each other due to random error. To be more specific, when there is no treatment effect, between-groups variance should be roughly equivalent to a more direct measure of random error: within-groups variance.

The other factor that may affect the extent to which the groups differ from each other is the treatment effect. If the treatment has an effect, the differences between the group means should be greater than when the treatment doesn’t have an effect. Because of the treatment effect’s influence on the size of the between-groups variance, the between-groups variance is often called treatment variance.

To recap, when there is a treatment effect, the between-group variance is the sum of two quantities: an estimate of random error plus an estimate of treatment effects. Therefore, if the treatment has an effect, between-groups variance (which is affected by the treatment plus random error) will be larger than the within-groups variance (which is affected only by random error).

**Comparing Between-Groups Variance to Within-Groups Variance: Are the Differences Between Groups Due to More Than Random Error?**

Once you have the between-groups variance (an estimate of random error plus any treatment effects) and the within-groups variance (an estimate of random error), the next step is to compare the two variances. If the between-groups variance is larger than the within-groups variance, some of the between-groups variance may be due to a treatment effect. The statistical analysis that allows you to compare the between-groups variance to the within-groups variance and thereby determine whether the treatment had an effect is called analysis of variance (ANOVA).

When doing an ANOVA, you compare two variances by dividing the between-groups variance by the within-groups variance. That is, you set up the following ratio:

\[
\frac{\text{Between-Groups Variance}}{\text{Within-Groups Variance}}
\]

Instead of using the term variance, you are more likely to see the term mean square. Thus, you are more likely to read about authors setting up the following ratio:

\[
\frac{\text{Mean Square Between Groups}}{\text{Mean Square Within Groups}}
\]

Note that authors tend to leave off the word groups. As a result, you are likely to see the ratio described as

\[
\frac{\text{Mean Square Between}}{\text{Mean Square Within}}
\]
To shorten the expression even further, authors tend to abbreviate Mean Square as MS, Mean Square Between as MSB, and Mean Square Within as MSW. Therefore, you are likely to see the ratio of the variances described as

\[
\frac{MSB}{MSW}
\]

To complicate things further, authors may not use the terms between or within. Rather than use a name that refers to how these variances were calculated (looking at differences between group means for MS between and looking at differences within groups for MS within), authors may instead use a name that refers to what these variances estimate. Thus, because between-groups variance is, in part, an estimate of treatment effects, authors may refer to mean square between as mean square treatment (abbreviated MST). Similarly, because within-groups variance is an estimate of the degree to which random error is affecting estimates of the treatment group means, authors may refer to mean square within as mean square error (abbreviated MSE).

Regardless of what names or abbreviations authors give the two variances, the ratio of the between-groups variance to the within-groups variance is called the F ratio. Consequently, the following three ratios are all F ratios:

\[
\frac{MSB}{MSW} = \frac{MS_{\text{Treatment}}}{MS_{\text{Error}}} = \frac{MST}{MSE}
\]

In ANOVA summary tables, terms are shortened even more. Thus, when scanning computer printouts or when reading articles, you may see tables resembling the one below:

<table>
<thead>
<tr>
<th>SOURCE</th>
<th>MEAN SQUARE</th>
<th>F</th>
</tr>
</thead>
<tbody>
<tr>
<td>Treatment</td>
<td>10</td>
<td>2</td>
</tr>
<tr>
<td>Error</td>
<td>5</td>
<td></td>
</tr>
</tbody>
</table>

**Why an F of 1 Does Not Show That the Treatment Had an Effect.** Conceptually, the F ratio can be portrayed as follows:

\[
F = \frac{\text{Random Error} + \text{Possible Treatment Effect}}{\text{Random Error}}
\]

By examining this conceptual formula, you can see that the F ratio will rarely be much less than 1. To illustrate, imagine that the null hypothesis is true: There is no (zero) treatment effect. In that case, the formula is (random error + 0)/random error, which reduces to random error/random error. As you know, if you divide a number by itself (e.g., 5/5, 8/8), you get 1.\(^6\)

\(^6\)The only exception is that 0/0 = 0.
You now know that if the null hypothesis were true, the $F$ ratio would be approximately 1.00. That is,

$$F = \frac{\text{Random Error} + 0}{\text{Random Error}} = \frac{\text{Random Error}}{\text{Random Error}} = 1.00$$

But what would happen to the $F$ ratio if the treatment had an effect? To answer this question, let’s look at what a treatment effect would do to the top and the bottom half of the $F$ ratio.

If the treatment has an effect, the top of the $F$ ratio—the between-groups variance—should get bigger. Not only is the between-groups variance affected by random error (as it was when the treatment did not have an effect), but now that the treatment is also making the group means differ, between-groups variance is also influenced by the treatment.

We just explained that a treatment effect increases the top of the $F$ ratio, but what does a treatment effect do to the bottom of the $F$ ratio? Nothing. Regardless of whether there is a treatment effect, the bottom of the $F$ ratio, the within-groups variance, always represents only random error: With or without a treatment effect, a group’s scores differ from one another solely because of random error.

Let’s now use our knowledge of how treatment effects influence the top and bottom parts of the $F$ ratio to understand how treatment effects influence the entire $F$ ratio. When there is a treatment effect, the differences between group means are due not only to random error (the only thing that affects within-groups variance) but also to the treatment’s effect. Consequently, when there is a treatment effect, the between-groups variance (an index of random error plus treatment effect) should be larger than the within-groups variance (an index of random error alone). Put more mathematically, when there is a treatment effect, you would expect the ratio of between-groups variance to within-groups variance to be greater than 1. Specifically,

$$F = \frac{\text{Between-Groups Variance (Treatment + Random Error)}}{\text{Within-Groups Variance (Random Error)}} > 1,$$

when the treatment has an effect.

**Using an $F$ Table.** Not all $F$s above 1.00 are statistically significant, however. To determine whether an $F$ ratio is enough above 1.00 to indicate that there is a significant difference between your groups, you need to consult an $F$ table, like the one in Appendix F.

**Calculating Degrees of Freedom.** To use the $F$ table, you need to know two degrees of freedom: one for the top of the $F$ ratio (between-groups variance,
Calculating the degrees of freedom for the top of the \(F\) ratio (between-groups variance) is simple. It’s just one less than the number of values of the independent variable. So, if you have three values of the independent variable (no-treatment, meditation, and exercise), you have 2 (3–1) degrees of freedom. If you had four values of the independent variable (e.g., no-treatment, meditation, archery, aerobic exercise), you would have 3 (4–1) degrees of freedom. Thus, for the experiments we have discussed in this chapter, the degrees of freedom for the between-groups variance equals the number of groups – 1.

Computing the degrees of freedom for the bottom of the \(F\) ratio (within-groups variance) is also easy. The formula is \(N\) (number of participants) – \(G\) (groups). Thus, if there are 20 participants and 2 groups, the degrees of freedom = 18 (20 – 2 = 18).\(^8\)

Let’s now apply this formula to some multiple-group experiments. If we have 33 participants and 3 groups, the \(df\) for the error term = 30 (because 33 – 3 = 30). If we had 30 participants and 5 groups, the \(df\) error would = 25 (because 30 – 5 = 25). To repeat, the simplest way of computing the error \(df\) for the experiments we discussed in this chapter is to use the formula \(N\) – \(G\), where \(N\) = total number of participants and \(G\) = total number of groups (see Table 11.1).

Once you know the degrees of freedom, find the column in the \(p < .05\) \(F\) table (Table 3 of Appendix F) that corresponds to those degrees of freedom. If your \(F\) ratio is larger than the value listed, the results are statistically significant at the \(p < .05\) level.

**Making Sense of an ANOVA Summary Table or Computer Printout.** Usually, you will not have to look up \(F\) values in an \(F\) table. Instead, you will have a computer calculate \(F\) and look it up in a table for you. However, if you had a computer calculate \(F\) for you, you should make sure that the degrees of freedom on the printout are correct. If not, the computer has misunderstood your design or you have miscoded some data. If you had a computer calculate \(F\)

<table>
<thead>
<tr>
<th>TABLE 11.1 Calculating Degrees Of Freedom</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>SOURCE OF VARIANCE (SV)</strong></td>
</tr>
<tr>
<td>Treatment (between groups)</td>
</tr>
<tr>
<td>Within subjects (error variance)</td>
</tr>
<tr>
<td>Total</td>
</tr>
</tbody>
</table>

\(^8\)As you may recall, you could have used this \(N – G\) formula to get the degrees of freedom for the \(t\) test described in Chapter 10. However, because the \(t\) test always compares 2 groups, people often memorize the formula \(N – 2\) for the \(t\) test instead of the more general formula \(N – G\).
for you, the computer might provide you with an analysis of variance (ANOVA) summary table like this one:

<table>
<thead>
<tr>
<th>SOURCE OF VARIANCE</th>
<th>SUM OF SQUARES (SS)</th>
<th>df</th>
<th>MS</th>
<th>F</th>
<th>p</th>
</tr>
</thead>
<tbody>
<tr>
<td>Treatment (between)</td>
<td>88</td>
<td>2</td>
<td>44</td>
<td>44</td>
<td>&lt;.05</td>
</tr>
<tr>
<td>Error (within)</td>
<td>12</td>
<td>12</td>
<td>1</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Total</td>
<td>100</td>
<td>14</td>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

The first column, the source of variance column, may sometimes have only the heading “Source.” The two main sources of variance will be your treatment (which may be labeled as “Treatment,” “Between groups,” “BG,” “Groups,” “Between,” “Model,” or the actual name of your independent variable) and random error (which may be labeled as “Error,” “Within groups,” “WG,” or “Within”).

The second column, the sum of squares column, may be labeled “Sum of Squares,” “SS,” or “Type III Sum of Squares.” Note that if you add the sum of squares treatment to the sum of squares error, you will get the sum of squares total.

The third column, the degrees of freedom column, is often abbreviated df. As we mentioned earlier, you should check the df column to make sure that the analysis is based on the right number of treatment groups and the right number of participants. From the df column in our ANOVA table, we know two things. First, because the formula for the df treatment is G–1 and because the treatment df is 2, we know that a three-group ANOVA has been calculated (because 3 [groups]–1 = 2 [df]). Second, because the formula for total df is N–1 (number of participants–1) and because the total df is 14, we know that the ANOVA is based on data from 15 participants (because 15 [participants]–1 = 14 [df]).

The fourth column, the Mean Square column, is often abbreviated MS. The MS Treatment will be the SS Treatment divided by the df Treatment. Note that if the MS Treatment is not bigger than MS Error, the results will not be statistically significant.

The fifth column contains the F ratio. The F ratio is the MS Treatment divided by MS Error. In the table above F is 44 because 44 (MST) divided by 1 (MSE) = 44.

The sixth column, the p value column, tells you how likely it would be to get differences between the groups this large or larger if the null hypothesis (the null hypothesis is that the treatment has no effect) were true. In this case, p is less than .05, suggesting that it is unlikely that you would obtain these results if the null hypothesis were true. Traditionally, such results would be called “statistically significant.” An author might start to summarize the results of such an ANOVA by writing, “Consistent with the hypothesis, the treatment had an effect, F(2, 12) = 44, p < .05.”

**The Meaning of Statistical Significance in ANOVA**

If your results are statistically significant, what does that mean? Statistical significance means that you can reject the null hypothesis. In the multiple-group
experiment, the null hypothesis is that the differences among all your group means are due to chance. That is, all your groups are essentially the same. Rejecting this hypothesis means that, because of treatment effects, all your groups are not the same. In other words, you can conclude that at least two of your groups differ. However, such significant results raise two questions.

The first question is, “How large is the effect?” One way to get an estimate of the effect size is simply to look at the differences between the means. For example, looking at such differences suggests that the effect of antidepressants on relieving depression is only to increase scores by 2 points on a 50-point scale (Kirsch, Moore, Scoboria, & Nicholls, 2002). Another strategy is to compute eta squared ($\eta^2$): an estimate of effect size that ranges from 0 to 1 and is comparable to $r$ squared.9

Computing eta squared from an ANOVA summary table is simple: Just divide the Sum of Squares Treatment by the Sum of Squares total. For example, in our ANOVA table, $SS$ treatment was 88 and $SS$ total was 100; therefore, eta squared was .88 (because 88/100 = .88)—indicating an extremely large effect. Thus, an author might start to describe such results by writing, “Consistent with the hypothesis, the treatment had an effect, $F(2, 12) = 44, p < .05, \eta^2 = 0.88.$” Note that you would normally not get such a large eta squared. Indeed, social scientists tend to view any eta squared (or $r$ squared) of .25 or above to be large (.09 to .25 is considered moderate; less than .09 is considered small).

The second question is, “Which groups differ from each other?” Even in a three-group experiment, there are several possibilities: Group 1 might differ from Group 2, and/or Group 2 might differ from Group 3, and/or Group 1 might differ from Group 3. As we just said, a significant $F$ does not tell you which groups differ. Therefore, once you have performed an $F$ test to determine that at least some of your groups differ, you need to do additional tests to determine which of your groups differ from one another.

**Beyond ANOVA: Pinpointing a Significant Effect**

You might think that all you would have to do to determine which groups differ is compare group means. Some group means, however, may differ from others solely due to chance. To determine which group differences are due to treatment effects, you need to do additional tests. These additional, more specific tests are called post hoc $t$ tests.

**Post Hoc $t$ Tests Among Group Means: Which Groups Differ?** At this point, you may be saying that you wanted to do $t$ tests all along. Before you complain to us, please hear our two-pronged defense.

First, you can go in and do post hoc tests only after you get a significant $F$. That is, you can’t legitimately use follow-up tests to ask “which of the groups differ” until you first establish that at least some of the groups do indeed differ. To do post hoc tests without finding a significant $F$ is considered statistical malpractice. Such behavior would be like a physician doing a

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9 To learn about $r$ squared, review our section titled “Coefficient of Determination” in Chapter 7, Box 10.2 in Chapter 10, or look at Appendix E.
specific test to find out which strain of hepatitis you had after doing a general
test that was negative for hepatitis. At best, the test will not turn up anything,
and your only problem will be the expense and pain of an unnecessary test.
At worst, the test results will be misleading because the test is being used under
the wrong circumstances. Consequently, you may end up being treated for a hep-
atitis you do not have. Analogously, a good researcher does not ask which
groups differ from one another unless the more general, overall analysis of
variance test has first established that at least some of the groups do indeed
differ.10

Second, post hoc tests are not the same as conventional \( t \) tests. Unlike
conventional \( t \) tests, post hoc \( t \) tests are designed to correct for the fact that
you are doing more than two comparisons. As we mentioned earlier, doing
more than one \( t \) test at the \( p = .05 \) level and claiming that you have only a
5% risk of making a Type 1 error is like flipping more than one coin at a
time and claiming that the odds of getting a “heads” are only 50%. In both
cases, the odds of getting the result you hope for are much greater than the
odds you are stating. Thus, we cannot simply do an ordinary \( t \) test. Instead,
we must correct for the number of comparisons we are making. Post hoc \( t \)
tests take into consideration how many tests are being done and make the
necessary corrections.

At this point, we will not require you to know how to do post hoc tests.
(If you want to know how to conduct a post hoc test, see Appendix F.) You
should, however, be aware that if you choose to do a multiple-group experi-
iment, you should be prepared to do post hoc analyses.

You should also be aware that if you read a journal article describing the
results of a multiple-group experiment, you may read the results of post hoc
tests. For example, you may read about a Bonferroni \( t \) test, Tukey test,
Scheffe test, Dunnett test, Newman-Keuls test, Duncan, or an LSD test. When
reading about the results of such tests, do not panic: The author is
merely reporting the results of a post hoc test to determine which means dif-
fer from one another.

**Post Hoc Trend Analysis: What Is the Shape of the Relationship?** Rather than
wanting to know which particular groups differ from one another, you may
want to know the shape of the functional relationship between the indepen-
dent and dependent variables so that you could either (a) better generalize to
levels of the treatment that were not tested or (b) test a theory that predicts a
certain functional relationship. If you want to know the shape of the func-
tional relationship, instead of following up a significant main effect with post

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10 Although everyone agrees that you need to do an ANOVA before doing a post hoc \( t \) test, not
everyone agrees that you need to do an ANOVA before doing other tests. Indeed, Robert
Rosenthal (1992) argued that researchers should almost never do the general, overall \( F \) test.
Instead, he argued that if you have specific predictions about which groups differ, you should do
normal \( t \) tests to compare those group means. Those \( t \) tests are often called “planned compari-
sions” because the researcher planned to make those comparisons before collecting data. Planned
comparisons involving \( t \) tests are sometimes also called “a priori \( t \) tests” (“a priori” means in
advance) to emphasize that the \( t \) tests were done before peeking at the data. Sometimes, planned
comparisons will be called “planned contrasts.” One planned contrast that you will see when the
researcher is trying to determine whether the two experimental groups differ from the control
group or whether the two control groups differ from the experimental group is the “two vs.
one” contrast.
hoc tests between group means, follow up the significant effect with a post hoc trend analysis.

But why should you do a trend analysis to determine the shape of the functional relationship between your independent and dependent variables? Can’t you see this relationship by simply graphing the group means? Yes and no. Yes, graphing your sample’s means allows you to see the pattern in the data produced by your experiment. No, graphing does not tell you that the pattern you observe represents the true relationship between the variables because your pattern could be due to random error (e.g., if even one mean is thrown off by random error, that one misplaced mean could make a linear relationship look nonlinear). Just as you needed statistics to tell you if the difference between two groups was significant (even though you could easily see whether one mean was higher than the other), you need statistics to know if the pattern you observe in your data (a straight line, a curved line, a combination of a curve and a straight line, etc.) would occur if you repeated the experiment. The statistical test you need to determine whether the pattern in your data reflects a reliable functional relationship is a post hoc trend analysis.

Computing a post hoc trend analysis is easy. You can either follow the simple directions in Appendix F or use a computer program that does the analysis for you. Although you might be tempted to forget about post hoc trend analysis until it comes time to analyze your data, don’t make that mistake.

If you do not think about post hoc trend analysis when designing your experiment, you will probably be unable to do a valid post hoc trend analysis on your data. Therefore, if you think that you might want to know about the functional relationship between the variables in your experiment, you should keep three facts in mind before conducting that experiment (see Box 11.2).

First, to do a post hoc trend analysis, you should have selected levels of your independent variable that increase proportionally. For example, if you were using three levels of a drug, you would not use 5 mg, 6 mg, and 200 mg. Instead, you might use 10 mg, 20 mg, and 30 mg, or 10 mg, 100 mg, and 1000 mg.

Second, you must have at least an interval scale measure of your dependent variable. Your map of the functional relationship can’t be accurate unless your measure of the dependent variable is to scale. If you tried to find the relationship between the loudness of the music playing on participants’

**BOX 11.2 Requirements for Conducting a Valid Post Hoc Trend Analysis**

1. Your independent variable must have a statistically significant effect.
2. Your independent variable must be quantitative, and the levels used in the experiment should vary from one another by some constant proportion.
3. Your dependent variable must yield interval or ratio-scale data so that your map of the functional relationship will be to scale.
4. The number of trends you can look for is one less than the number of levels of your independent variable.
personal stereos and distance walked, you would have to measure distance by number of meters walked rather than by blocks walked (unless all your blocks are the same length). In short, you can’t do a trend analysis if you have ordinal or nominal data.

Third, the more levels of the independent variable you have, the more trends you can look for. Specifically, the number of trends you can examine is one less than the number of levels you have. If you had only two levels, you can test only for straight lines (linear component). If you have three groups, you can test for straight lines (linear component), and for a U-shaped curve (quadratic component). With four levels, you can test for straight lines, U-shaped curves, and double U-shaped lines (cubic component). Thus, if you are expecting a double U-shaped curve, you must use at least four levels of the independent variable.

CONCLUDING REMARKS

By using a multiple-group experiment rather than a simple experiment, you can ask more refined questions. For example, you can go beyond asking, “Is there an effect?” to asking “What is the nature of the functional relationship?”

By using a multiple-group experiment rather than a simple experiment, you can get more valid answers to your questions. For example, by using appropriate control groups, you can learn not only that the treatment manipulation worked but also why it worked.

Although adding more levels of the treatment is a powerful way to expand the simple experiment, an even more powerful way to expand the simple experiment is to add independent variables. As you will see in the next chapter, adding independent variables not only increases construct and external validity but also opens up a whole new arena of research questions.

SUMMARY

1. The multiple-group experiment is more sensitive to nonlinear relationships than the simple experiment. Consequently, it is more likely to obtain significant treatment effects and to accurately map the functional relationship between your independent and dependent variables.

2. Knowing the functional relationship allows more accurate predictions about the effects of unexplored levels of the independent variable.

3. To use the multiple-group experiment to discover the functional relationship, you should select your levels of the independent variable carefully, and your dependent measure must provide at least interval scale data.

4. Multiple-group experiments may have more construct validity than a simple experiment because they can have multiple control groups and multiple treatment groups.

5. To analyze a multiple-group experiment, you first have to conduct an analysis of variance (ANOVA). An ANOVA will produce an $F$ ratio.

6. An $F$ ratio is a ratio of between-groups variance to within-groups variance.

7. Random error will make different treatment groups differ from each other. If the treatment has an effect, the treatment will also cause the groups to differ from each other. In other words, between-groups variance is due to random error and may also be due to treatment effects. Because it may be affected by treatment effects, between-groups variance is often called treatment variance.
8. Scores within a treatment group differ from each other for only one reason: random error. That is, the treatment cannot be responsible for variability within each treatment group. Therefore, within-groups variance is an estimate of the degree to which random error affects the data. Consequently, another term for within-groups variance is error variance.

9. The F test is designed to see whether the difference between the group means is greater than would be expected by chance. It involves dividing the between-groups variance (an estimate of random error plus possible treatment effects) by the within-groups variance (an estimate of random error). If the F is 1 or less, there is no evidence that the treatment has had an effect. If the F is larger than 1, you need to look in an F table (under the right degrees of freedom) to see whether the F is significant.

10. The first degrees of freedom (between groups/treatment) equals the number of groups minus one, abbreviated \( G - 1 \). The second degrees of freedom (within groups/error) equals the number of participants minus the number of groups, abbreviated \( N - G \). Thus, if you had 5 groups and 40 participants, you would look at the F table under 4 (5–1) and 35 (40–5) degrees of freedom.

11. You are most likely to get a significant \( F \) if between-group variability is large (your groups differ from each other) and within-groups variability is small.

12. If you get a significant \( F \), you know that the groups are not all the same. If you have more than two groups, you have to find out which groups differ. To find out which groups are different, do not just look at the means to see which differences are biggest. Instead, do post hoc tests to find out which groups are reliably different.

13. The following table summarizes the mathematics of an ANOVA table.

<table>
<thead>
<tr>
<th>SOURCE OF VARIANCE (SV)</th>
<th>SUM OF SQUARES (SS)</th>
<th>DEGREES OF FREEDOM (DF)</th>
<th>MEAN SQUARE (MS)</th>
<th>( F )</th>
</tr>
</thead>
<tbody>
<tr>
<td>Treatment ( (T) )</td>
<td>SST</td>
<td>Levels of ( T - 1 )</td>
<td>( SST/df T )</td>
<td>MST/MSE</td>
</tr>
<tr>
<td>Error ( (E) )</td>
<td>SSE</td>
<td>Participants–Groups</td>
<td>( SSE/df E )</td>
<td></td>
</tr>
<tr>
<td>Total</td>
<td>SST + SSE</td>
<td>Participants–1</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

KEY TERMS

- functional relationship \( \text{p. } 387 \)
- linear relationship \( \text{p. } 388 \)
- confounding variables \( \text{p. } 394 \)
- hypothesis-guessing \( \text{p. } 396 \)
- empty control group \( \text{p. } 396 \)
- variability between group means \( \text{p. } 400 \)
- within-groups variance \( \text{p. } 402 \)
- error variance \( \text{p. } 402 \)
- treatment variance \( \text{p. } 404 \)
- analysis of variance (ANOVA) \( \text{p. } 404 \)
- F ratio \( \text{p. } 405 \)
- eta squared \( (\eta^2) \) \( \text{p. } 409 \)
- post hoc tests \( \text{p. } 409 \)
- post hoc trend analysis \( \text{p. } 411 \)

EXERCISES

1. A researcher randomly assigns each member of a statistics class to one of two groups. In one group, each student is assigned a tutor who is available to meet with the student 20 minutes before each class. The other group is a control group not assigned a tutor.
3. Suppose you want to test the effectiveness of a new kind of therapy. This therapy involves screaming and hugging people in group sessions followed by individual meetings with a therapist. What control group(s) would you use? Why?

4. Assume a researcher is looking at the relationship between caffeine consumption and sense of humor.
   a. How many levels of caffeine should the researcher use? Why?
   b. What levels would you choose? Why?
   c. If a graph of the data suggests a curvilinear relationship, can the researcher assume that the functional relationship between the independent and dependent variables is curvilinear? Why or why not?
   d. Suppose the researcher used the following four levels of caffeine: 0 mg, 20 mg, 25 mg, 26 mg. Can the researcher easily do a trend analysis? Why or why not?
   e. Suppose the researcher ranked participants based on their sense of humor. That is, the person who laughed least got a score of 1, the person who laughed second-least scored a 2, and so on. Can the researcher use these data to do a trend analysis? Why or why not?
   f. If a researcher used four levels of caffeine, how many trends can the researcher look for? What are the treatment's degrees of freedom?
   g. If the researcher used three levels of caffeine and 30 participants, what are the degrees of freedom for the treatment? What are the degrees of freedom for the error term?
   h. Suppose the F is 3.34. Referring to the degrees of freedom you obtained in your answer to “g” (above) and to Table 3 (Appendix F), are the results statistically significant? Can the researcher look for linear and quadratic trends?

---

11 A modification of this study was actually done. The study included appropriate control groups.
5. A computer analysis reports that $F(6, 23) = 2.54$. The analysis is telling you that the $F$ ratio was 2.54, and the degrees of freedom for the top part of the $F$ ratio = 6 and the degrees of freedom for the bottom part = 23.
   a. How many groups did the researcher use?
   b. How many participants were in the experiment?
   c. Is this result statistically significant at the .05 level? (Refer to Table 3 of Appendix F.)

6. A friend gives you the following Fs and significance levels. On what basis would you want these Fs (or significance levels) rechecked?
   a. $F(2, 63) = .10$, not significant
   b. $F(3, 85) = -1.70$, not significant
   c. $F(1, 120) = 52.8$, not significant
   d. $F(5, 70) = 1.00$, significant

7. Complete the following table.

<table>
<thead>
<tr>
<th>SOURCE OF VARIANCE (sv)</th>
<th>SUM OF SQUARES (ss)</th>
<th>DEGREES OF FREEDOM (df)</th>
<th>MEAN SQUARE (MS)</th>
<th>F</th>
</tr>
</thead>
<tbody>
<tr>
<td>Treatment (T) 3 levels of treatment</td>
<td>180</td>
<td>—</td>
<td>—</td>
<td>—</td>
</tr>
<tr>
<td>Error (E), also known as within-groups variance</td>
<td>80</td>
<td>8</td>
<td>—</td>
<td>—</td>
</tr>
</tbody>
</table>

8. Complete the following table.

<table>
<thead>
<tr>
<th>SOURCE OF VARIANCE (sv)</th>
<th>SUM OF SQUARES (ss)</th>
<th>DEGREES OF FREEDOM (df)</th>
<th>MEAN SQUARE (MS)</th>
<th>F</th>
</tr>
</thead>
<tbody>
<tr>
<td>Treatment (T) (between groups variance)</td>
<td>50</td>
<td>5</td>
<td>—</td>
<td>—</td>
</tr>
<tr>
<td>Error (E), (within-groups variance)</td>
<td>100</td>
<td>—</td>
<td>—</td>
<td>—</td>
</tr>
<tr>
<td>Total</td>
<td>—</td>
<td>30</td>
<td>—</td>
<td>—</td>
</tr>
</tbody>
</table>

9. A study compares the effect of having a snack, taking a 10-minute walk, or getting no treatment on energy levels. Sixty participants are randomly assigned to a condition and then asked to rate their energy level on a 0 (not at all energetic) to 10 (very energetic) scale. The mean for the “do nothing” group is 6.0, for having a snack 7.0, and for walking 7.8. The $F$ ratio is 6.27.
   a. Graph the means.
   b. Are the results statistically significant?
   c. If so, what conclusions can you draw? Why?
   d. What additional analyses would you do? Why?
   e. How would you extend this study?

WEB RESOURCES

1. Go to the Chapter 11 section of the book’s student website and
   a. Look over the concept map of the key terms.
   b. Test yourself on the key terms.
   c. Take the Chapter 11 Practice Quiz.
   d. Download the Chapter 11 tutorial.

2. Do an analysis of variance using a statistical calculator by going to the “Statistical Calculator” link.
3. If you want to write your method section, use the “Tips on Writing a Method Section” link.
4. If you want to write up the results of a one-factor, between-participants experiment, click on the “Tips for Writing Results” link.
Expanding the Experiment
Factorial Designs

The 2 × 2 Factorial Experiment
Each Column and Each Row of the 2 × 2 Factorial Is Like a Simple Experiment
How One Experiment Can Do More Than Two
Why You Want to Look for Interactions: The Importance of Moderating Variables
Examples of Questions You Can Answer Using the 2 × 2 Factorial Experiment

Potential Results of a 2 × 2 Factorial Experiment
One Main Effect and No Interaction
Two Main Effects and No Interaction
Two Main Effects and an Interaction
An Interaction and No Main Effects
An Interaction and One Main Effect
No Main Effects and No Interaction

Analyzing Results from a Factorial Experiment
What Degrees of Freedom Tell You
What F and p Values Tell You
What Main Effects Tell You: On the Average, the Factor Had an Effect
What Interactions Usually Tell You: Combining Factors Leads to Effects That Differ From the Sum of the Individual Main Effects

Putting the 2 × 2 Factorial Experiment to Work
Looking at the Combined Effects of Variables That Are Combined in Real Life
Ruling out Demand Characteristics
Adding a Replication Factor to Increase Generalizability
Using an Interaction to Find an Exception to the Rule: Looking at a Potential Moderating Factor
Using Interactions to Create New Rules
Conclusions About Putting the 2 × 2 Factorial Experiment to Work

Hybrid Designs: Factorial Designs That Allow You to Study Nonexperimental Variables
Hybrid Designs’ Key Limitation: They Do Not Allow Cause–Effect Statements Regarding the Nonexperimental Factor
Reasons to Use Hybrid Designs

Concluding Remarks
Summary
Key Terms
Exercises
Web Resources
I'm an earth sign, she was a water sign—together we made mud.
—Woody Allen

The pure and simple truth is rarely pure and never simple.
—Oscar Wilde

CHAPTER OVERVIEW

To understand the relationship between the design we will discuss in this chapter and the experimental designs we discussed in previous chapters, let’s look at three ways you might partially replicate Langer, Blank, and Chanowitz’s (1978) classic experiment. In that experiment, research assistants tried to cut in front of participants who were in line to use a copier. Participants were randomly assigned to receive one of several requests. If you were to replicate that study as a simple experiment, participants would be randomly assigned to one of two requests. For example, if you chose to vary quality of excuse, half your participants might be asked, “Can I cut in front of you?” (no excuse condition), whereas the other half might be asked, “Can I cut in front of you because I want to make a copy?” (nonsensical excuse condition). In the following table, we have diagrammed the design and results of such a simple experiment.

<table>
<thead>
<tr>
<th>TYPE OF EXCUSE</th>
<th>Group 1</th>
<th>Group 2</th>
</tr>
</thead>
<tbody>
<tr>
<td>No excuse</td>
<td>.60</td>
<td>.93</td>
</tr>
<tr>
<td>Senseless excuse (“I need to make copies”)</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

In Chapter 10, we showed how the simple experiment’s logic makes it internally valid. However, we also pointed out that the simple experiment is limited because it can study only two levels of a single independent variable. For example, with a single simple experiment, you cannot compare three different excuse conditions (e.g., no excuse, senseless excuse, and reasonable excuse), three levels of temperature (e.g., cold, medium, hot), or three types of music (e.g., classical, rock, and rap).

In Chapter 11, we showed how to extend the simple experiment’s logic to experiments that study three or more levels of a single independent variable. By randomly assigning participants to three or more levels of the
treatment, you can look at the effects of varying three levels of excuses, temperature, music, or any other variable. For example, by adding a level to the excuse experiment diagrammed earlier, you can expand it into the three-group experiment diagrammed here:

Proportion of Participants Who Agreed to Let the Researcher Cut in Front of Them to Use the Copier as Function of Researcher’s Excuse

<table>
<thead>
<tr>
<th>TYPE OF EXCUSE</th>
<th>Group 1</th>
<th>Group 2</th>
<th>Group 3</th>
</tr>
</thead>
<tbody>
<tr>
<td>No excuse</td>
<td>.60</td>
<td>.93</td>
<td>.94</td>
</tr>
<tr>
<td>Senseless excuse (“I need to make copies”)</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Reasonable excuse (“because I’m in a rush”)</td>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

As we discussed in Chapter 11, experiments that manipulate three or more levels of a factor can have impressive internal, external, and construct validity.

In this chapter, as in Chapter 11, we show how to extend the basic logic of the simple experiment. However, instead of showing you how to stretch the simple experiment by adding more levels of a factor, we show you how to expand the simple experiment by adding more factors. For example, rather than learning how to expand a simple experiment on excuses to include more than two types of excuses, you will learn how to add another factor, such as size of request, so you can study the effects of both excuses and request size in the same experiment (see the following diagram).

Proportion of Participants Who Agreed to Let Researcher Cut in Front of Them to Use the Copier as Function of Excuse.

<table>
<thead>
<tr>
<th>TYPE OF EXCUSE</th>
<th>No Excuse</th>
<th>Senseless Excuse (“I need to make copies”)</th>
<th>Reasonable Excuse (“because I’m in a rush”)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Size of Request</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Small (“I have 5 pages”)</td>
<td>.60</td>
<td>.93</td>
<td>.94</td>
</tr>
<tr>
<td>Large (“I have 20 pages”)</td>
<td>.24</td>
<td>.24</td>
<td>.42</td>
</tr>
</tbody>
</table>

Note: Data are from Langer, Blank, and Chanowitz (1978).

In technical terms, you will learn about **factorial experiments**: experiments that study the effects of two or more independent variables (factors) in a single experiment. Specifically, you will learn (a) why you should want to study the effects of two independent variables in a single experiment, (b) how to design such experiments, and (c) how to analyze the results of such experiments.
THE 2 × 2 FACTORIAL EXPERIMENT

To understand why and how to design factorial experiments, we will focus on the simplest factorial experiment: the $2 \times 2$ (“2 by 2”) between-subjects factorial experiment. Before discussing why you would want to do a $2 \times 2$ factorial experiment, let’s be clear about how the $2 \times 2$ is similar to and different from other factorial experiments.

Although all factorial experiments must include at least two levels of two factors, factorial experiments can differ in (a) how many levels of each factor they have and (b) how many factors they have. To let people know how many levels each factor has, researchers use terminology similar to what builders use. When a builder refers to a “2 by 4,” the builder means a board for which the first dimension (thickness) is 2 inches and the second dimension (width) is 4 inches. Similarly, when a researcher refers to a “2 by 4,” the researcher means that the first experimental factor has 2 levels and the second experimental factor has 4 levels. Thus, the Langer, Blank, and Chanowitz (1978) we described earlier was a $3 \times 2$ (Excuse type: no excuse, poor excuse, or reasonable excuse) × 2 (Request size: small or large).

In a $2 \times 2$ factorial experiment, there are two independent variables and both have two levels. For example, suppose we had a $2 \times 2$ (Excuse type: no excuse or reasonable excuse) × 2 (Size of request: small or large) experiment. The “×”—pronounced as “by”—indicates that the first variable is crossed (combined) with the second factor. That is, rather than conditions consisting of only a single manipulation (e.g., no excuse or reasonable excuse), each condition will consist of a manipulation of the first factor (e.g., no excuse or reasonable excuse) combined with a manipulation of the second factor (e.g., small request or large request). Thus, in a $2 \times 2$ (Excuse: none, reasonable) × 2 (Size of request: small, large) factorial, crossing 2 levels of 2 different independent variables would result in 4 ($2 \times 2$) different treatment conditions: (1) a no excuse, small request condition; (2) a no excuse, large request condition; (3) a reasonable excuse, small request condition; and (4) a reasonable excuse, large request condition (see the next table).1

<table>
<thead>
<tr>
<th>Size of Request</th>
<th>No Excuse</th>
<th>Reasonable Excuse</th>
<th>(“because I’m in a rush”)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Small (“I have 5 pages”)</td>
<td>.60</td>
<td></td>
<td>.94</td>
</tr>
<tr>
<td>Large (“I have 20 pages”)</td>
<td>.24</td>
<td></td>
<td>.42</td>
</tr>
</tbody>
</table>

In the $2 \times 2$ between-subjects factorial experiment, each participant is randomly assigned to experience one—and only one—of the four treatment combinations. Thus, in the example diagrammed previously, you would have four groups: (1) a no excuse, small request group; (2) a no excuse, large request group; (3) a reasonable excuse, small request group; and (4) a reasonable excuse, large request group.

---
1If we had 3 levels of excuse instead of just 2, we would have a $3 \times 2$ design instead of a $2 \times 2$. With a $3 \times 2$, we would have 6 ($3 \times 2$) different conditions. If we had three, 2-level factors (excuse type, request size, and gender of experimenter), we would have a $2 \times 2 \times 2$ design. With a $2 \times 2 \times 2$ experiment, we would have 8 ($2 \times 2 \times 2$) experimental conditions.
To better understand how a 2 × 2 between-subjects factorial experiment works, let’s turn to an actual 2 × 2 experiment: Pronin and Wegner’s (2007) experiment on manic thinking. In that experiment, the researchers were interested in seeing whether getting participants’ thoughts to race would boost participants’ moods—and whether this boost would occur even when people were thinking negative thoughts. To manipulate what participants thought, Pronin and Wegner had participants read aloud 60 statements that were either uplifting or depressing. To control how fast participants were thinking, Pronin and Wegner made participants read those statements either very quickly or very slowly. Participants randomly assigned to the uplifting statements groups read a neutral statement—“Today is no better or worse than another day”—and then read statements that became increasingly positive. For example, the second statement participants in the uplifting statements group read was “I do feel pretty good today, though,” whereas the last statement they read was “Wow! I feel great!” Participants randomly assigned to the depressing statements read the same neutral statement as the uplifting statements group (“Today is no better or worse than any other day”) but then read statements that became increasingly negative. For example, the second statement they read was “However, I feel a little low today,” whereas the last statement they read was “I want to go to sleep and never wake up.”

Half of the participants in the uplifting statements condition were randomly assigned to read the statements quickly (about twice as fast as students would normally read those statements) whereas the other half were to read the statements slowly (about half as fast as students would normally read those statements). Similarly, half the participants in the depressing statements condition were randomly assigned to read the statements quickly, whereas the other half were randomly assigned to read the statements slowly. Both fast and slow condition participants read statements aloud from a PowerPoint® presentation: The only difference was that the PowerPoint® presentation went nearly four times as fast in the fast condition as in the slow condition. After the participants read the statements, they filled out several scales, one of which was a mood scale. Thus, if you were to repeat the Pronin and Wegner (2007) 2 (Statement type: negative or positive) × 2 (Statement speed: slow or fast), you would randomly assign participants so that one-fourth of your participants were in each of the four conditions diagrammed in the following table:

<table>
<thead>
<tr>
<th>GROUP 1</th>
<th>GROUP 2</th>
</tr>
</thead>
<tbody>
<tr>
<td>Negative statements</td>
<td>Negative statements</td>
</tr>
<tr>
<td>Slow presentation</td>
<td>Fast presentation</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>GROUP 3</th>
<th>GROUP 4</th>
</tr>
</thead>
<tbody>
<tr>
<td>Positive statements</td>
<td>Positive statements</td>
</tr>
<tr>
<td>Slow presentation</td>
<td>Fast presentation</td>
</tr>
</tbody>
</table>
Each Column and Each Row of the $2 \times 2$ Factorial Is Like a Simple Experiment

You could view each row of the $2 \times 2$ factorial as a simple experiment. With that perspective, you would see the $2 \times 2$ factorial experiment as two simple experiments, both of which looked at whether participants are in better moods when statements are presented quickly than when statements are presented slowly. That is, as you can see from the following table, both experiments compare slow presentation to fast presentation.

<table>
<thead>
<tr>
<th>SIMPLE EXPERIMENT 1</th>
<th>GROUP 1</th>
<th>GROUP 2</th>
</tr>
</thead>
<tbody>
<tr>
<td>(Effect of slow vs. fast presentation for negative statements)</td>
<td>Negative statements</td>
<td>Negative statements</td>
</tr>
<tr>
<td></td>
<td>Slow presentation</td>
<td>Fast presentation</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>SIMPLE EXPERIMENT 2</th>
<th>GROUP 3</th>
<th>GROUP 4</th>
</tr>
</thead>
<tbody>
<tr>
<td>(Effect of slow vs. fast presentation for positive statements)</td>
<td>POSITIVE STATEMENTS</td>
<td>POSITIVE STATEMENTS</td>
</tr>
<tr>
<td></td>
<td>Slow presentation</td>
<td>Fast presentation</td>
</tr>
</tbody>
</table>

You could also view each column of the $2 \times 2$ factorial as a simple experiment. With that perspective, you would see the $2 \times 2$ factorial experiment as two different simple experiments, both of which looked at whether participants are in a better mood after reading positive statements than after reading negative statements (see the following table).

<table>
<thead>
<tr>
<th>SIMPLE EXPERIMENT 3</th>
<th>GROUP 1</th>
<th>GROUP 2</th>
</tr>
</thead>
<tbody>
<tr>
<td>(Effect of statement type [negative vs. positive] in the slow conditions)</td>
<td>Negative statements</td>
<td>Negative statements</td>
</tr>
<tr>
<td></td>
<td>Slow presentation</td>
<td>Fast presentation</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>SIMPLE EXPERIMENT 4</th>
<th>GROUP 2</th>
<th>GROUP 4</th>
</tr>
</thead>
<tbody>
<tr>
<td>(Effect of statement type [negative vs. positive] in the fast conditions)</td>
<td>Negative statements</td>
<td>Positive statements</td>
</tr>
<tr>
<td></td>
<td>Fast presentation</td>
<td>Fast presentation</td>
</tr>
</tbody>
</table>
If you looked at both the rows and the columns, you would see that the factorial experiment contains four simple experiments (see the following table).

<table>
<thead>
<tr>
<th>ROW CONTAINING SIMPLE EXPERIMENT 1</th>
<th>GROUP 1</th>
<th>COLUMN CONTAINING SIMPLE EXPERIMENT 3</th>
<th>COLUMN CONTAINING SIMPLE EXPERIMENT 4</th>
</tr>
</thead>
<tbody>
<tr>
<td>(Effect of slow vs. fast presentation for negative statement participants)</td>
<td>Negative statements</td>
<td>(Effect of negative vs. positive statements in slow presentation conditions)</td>
<td>(Effect of negative vs. positive statements in fast presentation conditions)</td>
</tr>
<tr>
<td>GROUP 2</td>
<td></td>
<td>Fast presentation</td>
<td></td>
</tr>
<tr>
<td>ROW CONTAINING SIMPLE EXPERIMENT 2</td>
<td>GROUP 3</td>
<td>Positive statements</td>
<td></td>
</tr>
<tr>
<td>(Effect of slow vs. fast presentation for positive statement participants)</td>
<td>Slow presentation</td>
<td>Fast presentation</td>
<td></td>
</tr>
</tbody>
</table>

**How One Experiment Can Do More Than Two**

To illustrate how similar each row of a $2 \times 2$ is to a simple experiment, suppose you had done a simple experiment involving only the two groups listed in the first row of the $2 \times 2$ (the negative statements/slow presentation group vs. the negative statements/fast presentation group). In that case, you would see the effect of, as the authors put it, “thinking slowly” vs. “thinking fast,” for participants who read only negative statements. In the same way, if you did the $2 \times 2$ experiment diagrammed above and compared only the two groups in the first row of the $2 \times 2$ (the negative statements/slow presentation group vs. the negative statements/fast presentation group), you would get the simple main effect of presentation speed for participants who read only negative statements.

**The $2 \times 2$ Yields Four Simple Main Effects**

Because the $2 \times 2$ contains four simple experiments, if we used certain statistical techniques, we could use the $2 \times 2$ to find four simple main effects:

1. the simple main effect for speed in the negative statements conditions (by looking at the first row and comparing the slow presentation, negative statements group with the fast presentation, negative statements group)
2. the simple main effect for speed in the positive statements conditions (by looking at the second row and comparing the slow presentation, positive statements group with the fast presentation, positive statements group)
3. the simple main effect for negative vs. positive statements in the slow presentation conditions (by looking at the first column and comparing the negative statements, slow presentation group with the positive statements, slow presentation group)
4. the simple main effect for negative vs. positive statements in the fast presentation conditions (by looking at the second column and comparing the negative statements, fast presentation group with the positive statements, fast presentation group)

The simplest way to estimate these simple main effects is to subtract the relevant group means from each other. To illustrate, suppose the cell means for our four groups were as follows:

<table>
<thead>
<tr>
<th>GROUP 1</th>
<th>GROUP 2</th>
</tr>
</thead>
<tbody>
<tr>
<td>Negative statements</td>
<td>Negative statements</td>
</tr>
<tr>
<td>Slow presentation</td>
<td>Fast presentation</td>
</tr>
<tr>
<td>4</td>
<td>6</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>GROUP 3</th>
<th>GROUP 4</th>
</tr>
</thead>
<tbody>
<tr>
<td>Positive statements</td>
<td>Positive statements</td>
</tr>
<tr>
<td>Slow presentation</td>
<td>Fast presentation</td>
</tr>
<tr>
<td>12</td>
<td>14</td>
</tr>
</tbody>
</table>

With these means, we could estimate four simple main effects: two speed (slow vs. fast) simple main effects (by looking at the two rows) and two statement type (positive vs. negative) simple main effects (by looking at two columns). Let’s first look for the two speed simple main effects by comparing the groups that differ in terms of speed but are the same in terms of whether they read positive or negative statements:

1. The simple main effect for speed in the negative statements conditions = 2 \( (6 - 4) \); see the first row.
2. The simple main effect for speed in the positive statements conditions = 2 \( (14 - 12) \); see the second row.

Now, let’s look for the two statement type simple main effects by comparing the groups that are different in terms of statement type but are the same in terms of speed:

3. The simple main effect for statement type (positive vs. negative) in the slow statements conditions = 8 \( (12 - 4) \); see the first column.
4. The simple main effect for statement type in the fast statements conditions = 8 \( (14 - 6) \); see the second column.

The following table displays the group means and estimates of our four simple main effects.
The 2 × 2 Yields Two Pairs of Simple Main Effects

We have shown you that the 2 × 2 can yield four simple main effects. However, the strength of the 2 × 2 is not that it produces four separate main effects. Instead, its strength is that it produces two pairs of simple main effects: (1) a pair of simple main effects relating to the first independent variable (e.g., two speed simple main effects) and (2) a pair of simple main effects relating to the second independent variable (e.g., two type of statement [uplifting vs. depressing] simple main effects). To capitalize on the two pairs of simple main effects that the 2 × 2 produces, researchers’ analyses focus on two things:

1. combining (averaging) each treatment’s pair of simple main effects to estimate each treatment’s overall, average effect
2. contrasting (subtracting) each treatment’s pair of simple main effects to determine whether the treatment has one effect on one group of participants but a different effect on a different group of participants

Averaging a Treatment’s Simple Main Effects Lets You Estimate the Overall Main Effect: The Average Effect of Varying a Factor

To combine a treatment’s simple main effects, you average them. The average of a treatment’s two simple main effects allows you to estimate the treatment’s overall main effect: the average effect of varying that treatment.

In the 2 (Speed of thought: slow or fast) × 2 (Type of thought: positive or negative), the researcher would average the two speed simple main effects to get an estimate of the overall main effect for speed. To illustrate, suppose the simple main effect of presentation speed was +2 in the negative statements condition (the fast presentation, negative statements participants scored 2 points higher on the mood scale than the slow presentation, negative statements participants). Furthermore, suppose that the simple main effect of presentation speed was +4 in the positive statement conditions (the fast presentation, positive statements participants scored 4 points higher on the mood scale than the slow presentation, positive statements participants). In that case, the estimate for the overall main effect of presentation speed would be 3 (because the average of 2 and 4 is 3).

Similarly, to estimate the overall main effect for (negative vs. positive) statement type, the researcher would average the two statement type simple main effects. If the overall statement type effect was statistically significant, it would mean that, on the average, participants who read negative statements were in a different mood than the participants who read positive statements.

One reason researchers emphasize overall main effects is convenience. It is easier to talk about one overall main effect than about two simple main effects.

However, a more important reason for averaging the two simple main effects into an overall main effect is that it allows us to make more general statements about that variable’s effects. Consider the advantage of averaging the two simple speed main effects. Because we combined two simple main effects, we are not confined to saying that speeding up thoughts improves mood if you are already thinking positive thoughts. Instead, we can say that, on the average, across conditions that varied from participants thinking...
negative thoughts to participants thinking positive thoughts, participants who thought faster were in better moods.

**Subtracting a Treatment’s Simple Main Effects Lets You Estimate the Interaction**

But what if the simple main effect for speed of thought is different in the negative thought condition than in the positive thought condition? Then:

a. You should *not* make a general statement about the effects of thought speed without mentioning that the effect of speeding up thought changes depending on whether the person is thinking negative thoughts or positive thoughts.

b. You should be happy that you can compare thought speed’s simple main effects with each other because that comparison lets you know that the effect of speeding up thought depends on whether the person is thinking negative thoughts or positive thoughts.

By comparing the two simple main effects of speed (the speed simple main effect for the negative statements condition and the speed simple main effect for the positive statements condition), you would be able to tell whether the effect of speeding up thoughts depended on whether participants are thinking positive or negative thoughts. If, for example, you found that that speeding up thoughts had a negative effect in the negative statements condition, but had a positive effect in the positive statements condition, you could say that the effect of speeding up thoughts depends on the type of statements participants read.

If the simple main effects of speed differ depending on the type of statement (positive or negative), there is an interaction between speed and statement type (see Table 12.1). If, on the other hand, speed’s simple main effects do not differ from each other (speed has the same effect in the negative statements condition as it has in the positive statements condition), you do not have an interaction. If you do not have an interaction, the effect of combining those variables is what you would expect from adding up their individual effects.

**Why You Want to Look for Interactions: The Importance of Moderating Variables**

Interactions are important and common (see Table 12.2). Treatments will tend to have one effect on one group but another effect on another group. For example, eating grapefruit is good for most people, but not for people who are taking certain kinds of medications. For those people, eating grapefruit may kill them. For them, the positive main effect for eating grapefruit is unimportant relative to the dangerous grapefruit × drug interaction.²

Interactions do not have to be dangerous. The only requirement for an interaction is that the effect of combining treatments is different from the sum of their individual effects. For example, there is an interesting interaction involving caffeine and nicotine, both of which are stimulants. Consuming caffeine increases physiological arousal—unless people have nicotine in their

²A popular and effective allergy medicine was taken off the market because of this deadly interaction.
system. For people who have a lot of nicotine in their system, caffeine actually reduces physiological arousal: The person who has smoked several cigarettes can wind down by drinking a caffeinated cola.\(^3\)

Interactions do not have to involve reversing the treatment’s original effect. To have an interaction, all that is required is that the effect of combining the treatments has an effect that is different from the sum of their individual effects. Thus, if two drugs each have a mild positive effect but taking both drugs together has an enormously positive effect, you have an interaction. Likewise, if one drug has a mild positive effect and another drug has no measurable effect, but taking both drugs together has an enormous effect, you have an interaction.

If neither drug has a measurable effect by itself but taking both drugs together has a strong effect, you have an interaction. If either drug by itself has a moderate positive effect but taking both drugs together still has no more than a moderate positive effect, you have an interaction. If either drug by itself has a moderate positive effect, but taking both drugs together has no effect, you have an interaction. In short, whether the relationship between

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\(^3\)We are indebted to an anonymous reviewer for this example.


**TABLE 12.2**

Ways of Thinking About Interactions

<table>
<thead>
<tr>
<th>VIEWPOINT</th>
<th>HOW VIEWPOINT RELATES TO INTERACTIONS</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Chemical Reactions</strong></td>
<td>Lighting a match, in itself, is not dangerous. Having gasoline around is not, in itself, dangerous. However, the <em>combination</em> of lighting a match in the presence of gasoline is explosive. Because the explosive effects of combining gas and lighting a match are different from simply adding their separate, individual effects, gasoline and matches interact.</td>
</tr>
<tr>
<td><strong>Personal Relationships</strong></td>
<td>John likes most people. Mary is liked by most people. <em>But</em> John dislikes Mary. Based only on their individual tendencies, we would expect John to like Mary. Apparently, however, like gasoline and matches, the combination of their personalities produces a negative outcome.</td>
</tr>
<tr>
<td><strong>Sports</strong></td>
<td>A team is not the sum of its parts. The addition of a player may do more for the team than the player’s abilities would suggest—or the addition may help the team much less than would be expected because the addition upsets team “chemistry.” In other words, the player’s skills and personality may interact with those of the other players on the team. Knowing the interaction between the team and the player—how the two will mesh together—may be almost as important as knowing the player’s abilities. Good pitchers get batters out. Poor hitters are easier to get out than good hitters are. <em>However,</em> sometimes a poor hitter may have a good pitcher’s “number” because the pitcher’s strengths match the hitter’s strengths. Similarly, some “poor” pitchers are very effective against some of the league’s best batters. Managers who can take advantage of these interactions can win more games than would be expected by knowing only the talents of the individual team members.</td>
</tr>
<tr>
<td><strong>Prescription Drugs</strong></td>
<td>Drug A may be a good, useful drug. Drug B may also be a good, useful drug. However, taking Drug A and B together may result in harm or death. Increasingly, doctors and pharmacists have to be aware of not only the effects of drugs in isolation but also of their combined effects. Ignorance of these interactions can result in deaths and in malpractice suits.</td>
</tr>
<tr>
<td><strong>Making General Statements</strong></td>
<td>Interactions indicate that you cannot talk about the effects of one variable without mentioning that the effect of that variable depends on a second variable. Therefore, if you have an interaction, when discussing a factor’s effect, you need to say “but,” “except when,” “depending on,” “only under certain conditions.” Indeed, you will often see results sections say that the main effect was “qualified by a _____ interaction” or “the effect of the _____ variable was different depending on the level of (the other) variable.”</td>
</tr>
</tbody>
</table>

| Visually                 | If you graph an interaction, the lines will not be parallel. That is, the lines either already cross or if they were extended, they would eventually cross.                                                                                                               |

(continued)
The treatments could be characterized as “better apart” (two is less than one), “it takes two” (alone they are nothing), “better together” (two is more than one plus one), or “one is enough” (one plus one only equals one), as long as the effect of combining treatments is different from the sum of their individual effects, you have an interaction.

In addition to knowing about drug interactions, most people suspect that the effect of an action depends on (interacts with) other factors. For example:

- Most people know that telling someone “congratulations” will have a good effect if she has just been promoted but a bad effect if she has just been fired.
- Most people suspect that, under some conditions, it pays to accuse others of something, but under some conditions, accusing others may backfire.

Research supports the popular notion that some treatments will have one effect on one group of participants, but a different effect on another group. For example, Rucker and Petty (2003) found that, of the two groups of participants who read about an employee who had a bad work ethic, the group that learned that the employee had accused his coworkers of having a bad work ethic liked the employee more than did the group that did not learn of the employee making such accusations. On the other hand, of the two groups of participants who read about an employee who had a good work ethic, the participants who learned that the employee had accused his coworkers of having a bad work ethic liked the employee less than did the participants who were not told that the employee had made any accusations. Thus, there was an employee reputation × accusation interaction.

The previous example illustrates that interactions—the effects of a combination of treatments being different from the sum of those variables’ individual effects—may involve social variables. Note, however, that interactions can involve any variables—even physical variables such as noise and lighting. For instance, consider the effects of two manipulated variables: (1) noise level and (2) perception of control. If you make a group of participants believe they

<table>
<thead>
<tr>
<th>VIEWPOINT</th>
<th>HOW VIEWPOINT RELATES TO INTERACTIONS</th>
</tr>
</thead>
<tbody>
<tr>
<td>Mathematically</td>
<td>If you have an interaction, the effect of combining the variables is not the same as adding their two effects. Rather, the effect is better captured as the result of multiplying the two effects. That is, when you add 2 to a number, you know the number will increase by 2, regardless of what the number is. However, when you multiply a number by 2, the effect will depend on the other number. When doubling a number, the effect is quite different when the number to be doubled is 4 than when it is 1,000 or than when it is −40. To take another example of the effect of multiplication, consider the multiplicative effects of interest rates on your financial condition. If interest rates go up, that will have a big, positive effect on your financial situation if you have lots of money in the bank; a small, positive effect if you have little money in the bank; and a negative effect on your finances if you owe money to the bank (you will have to pay more interest on your debt).</td>
</tr>
</tbody>
</table>

| TABLE 12.2 |
| Ways of Thinking About Interactions (Continued) |
have no control over the noise level in the room, increasing the noise level seriously harms performance. But for participants led to believe that they can control the noise level, increasing the noise level does not harm performance. Thus, noise level interacts with perceived control (Glass & Singer, 1972).

Because of this interaction between noise level and perceived control, you cannot simply say that noise hurts performance. You have to say that the effect of noise level on performance depends on (is moderated by) perceived control. In other words, rather than stating a simple rule about the effects of noise, you have to state a more complex rule. This complex rule puts qualifications on the statement that noise hurts performance. Specifically, the statement that noise hurts performance will be qualified by some phrase such as “depending on,” “but only if,” or “however, that holds only under certain conditions.” In short, as Gernsbacher (2007) puts it, if the rule suggested by a main effect is like the spelling rule “i before e,” the rule describing an interaction is more like “i before e except after c.” Note that both in the case of spelling and real life, the rule described by the interaction is not as simple as the main effect, but it is more accurate. Thus, as Stanovich (2007) points out, interactions encourage us to go beyond simplistic “either/or” thinking (e.g., is your performance due to your personality or your environment) to “and” thinking (e.g., how is your performance affected by your personality, the environment, and the interaction between your personality and the environment).

Because the concept of interaction is so important, let’s consider one more example. As a general rule, we can say that getting within 12 inches (30 cm) of another person will make that person uncomfortable. Thus, the main effect of getting physically closer to someone is to produce a negative mood. However, what if the person who comes that close is extremely attractive? Then, getting closer may elicit positive feelings. Because the effect of interpersonal distance is moderated by attractiveness, we can say that there is an interaction between distance and attractiveness.

In short, you now know two facts about interactions. First, if there is an interaction involving your treatment, it means that the treatment has one effect under one set of conditions but another effect under another set of conditions. Second, interactions play an important role in real life because in real life, the right answer often depends on the situation.

**Interesting Questions in Modern Psychology Are Often Questions About Interactions**

As psychology has progressed, psychologists have focused increasingly more attention on interactions. One reason psychologists focus on interactions is that psychologists have already discovered the main effects of many variables. We know how most individual variables act in isolation. Now, it is time to go to the next step—addressing the question, “What is the effect of combining these variables?” Put another way, once we learn what the general effect of a variable is, we want to find out what specific conditions may modify (moderate) this general, overall effect. Consequently, in Chapter 3, we encouraged you to generate research ideas that involved moderating variables. In other words, we encouraged you to do what many psychologists do—focus on interactions rather than main effects.

Another reason psychologists focus on interactions is that interactions are common. Consequently, psychologists now frame general problems and issues
in terms of interactions. Rather than asking, “What is the (main) effect of personality and what is the (main) effect of the situation?” psychologists are now asking, “How do personality and the situation interact?” Asking this question has led to research indicating that some people are more influenced by situational influences than others (Snyder, 1984).

Similarly, rather than looking exclusively at the main effects of heredity and the main effects of environment, many scientists are looking at the interaction between heredity and environment. In other words, rather than asking, “What is the effect of a certain environment?” they are asking, “Are the effects of a certain environment different for some people than for others?”

Looking for these interactions sometimes produces remarkable findings. For example, psychologists have found that certain children may thrive in an environment that would harm children who had inherited a different genetic predisposition (Plomin, 1993). Eventually, such research may lead to new ways of educating parents. For instance, rather than telling parents the one right way to discipline children, parent education may involve teaching parents to identify their child’s genetic predispositions and then alter their parenting strategies to fit that predisposition. In short, much of the recent research in psychology has involved asking questions that relate to interactions, such as “Under what conditions do rewards hurt motivation?”

**External Validity Questions Are Questions About Interactions**

We do not mean to imply that the interest in interactions is an entirely new phenomenon. Anyone interested in external validity is interested in interactions. If you are concerned that a treatment won’t work on a certain type of person (women, minorities, retired adults), you are concerned about a treatment × type of person interaction. If you are concerned that a treatment that worked in one setting (a hospital) won’t have the same effect in a different setting (a school), you are concerned about a treatment × setting interaction. If you are concerned that a treatment won’t have the same effect in another culture, you are concerned about a treatment × culture interaction. If you are concerned that the superiority of one treatment over another will diminish over time, you are concerned about a treatment × time interaction. In summary, determining the external validity of your findings is often a matter of determining whether your treatment interacts with time, setting, culture, or type of participant.

**Questions in Applied Psychology Are Often Questions About Interactions**

Understandably, applied psychologists have always been interested in interactions. One of the founders of applied psychology, Walter Dill Scott, was fascinated by the fact that some people will like an advertisement that others will hate. Therefore, he investigated personality × type of ad interactions.

Most applied psychologists have shared Scott’s interest in determining which treatments work on which type of people. For example, therapists know that a therapeutic approach (behavior therapy, drug therapy) that works well for some patients (e.g., individuals with phobias) may not work as well for others (e.g., individuals who are depressed). In other words, good therapists know about treatment × type of patient interactions.

In conclusion, the applied psychologist is keenly interested in interactions. When clients pay for advice, they do not want the expert to know only about
main effects. That is, they do not want the expert to stop at saying, “My recommended course of action works in the average case, and so it may work for you.” Instead, clients may quiz the expert about interactions involving the expert’s proposed treatment. For example, they may ask, “Are there circumstances in which this treatment might make things worse—and does my case fit those circumstances?” To answer this question—that is, to know when a treatment will be helpful and when it will be harmful—the expert must know about the interactions involving that treatment.

### Examples of Questions You Can Answer Using the 2 × 2 Factorial Experiment

Now that you have a general understanding of main effects and interactions, let’s apply this knowledge to a specific experiment. If you were to replicate Pronin and Wegner’s (2007) 2 (Statement type: positive statements vs. negative statements) × 2 (Speed: slow vs. fast) experiment we described earlier, you would look for three different kinds of effects (see Table 12.3).

First, you could look at the main effect of statement type: statement type’s average effect. You could estimate the overall main effect for statement type by averaging the two statement type simple main effects. For example, if, on the average, positive statement participants were in a better mood than participants who read negative statements, you would have a statement type main effect.

Second, you could look at the main effect of speed: speed’s average effect. You could estimate the overall main effect for speed by averaging the two speed simple main effects. For example, if, on the average, participants who were in the fast thought groups were in a better mood than participants in the slow thought conditions, you would have a speed main effect.

Third, you could look at the interaction between speed and statement type: the extent to which speed’s effect differs depending on what type of statement participants read. You could probably imagine at least four scenarios that would lead to an interaction:

1. If speeding up thoughts intensifies the effect of the statements, speeding up thoughts would, in the negative statement groups, make participants’ moods more negative but, in the positive statement groups, make participants’ moods more positive.
2. If speeding up thoughts weakens the effects of the statements (perhaps because the participants in the fast condition don’t have time to process the statements as much as participants in the slow condition), speeding up thoughts would, for negative thought groups, make participants’ moods less negative but, for the positive thought groups, make participants’ moods less positive.

3. If the only way to create manic thinking is to give participants both fast thoughts and positive thoughts, speeding up thoughts might only change mood in the positive thoughts condition. Put another way, positive thoughts might only improve mood in the fast condition.

4. If speeding up thoughts and thinking positive thoughts both use the same mechanism to boost mood (e.g., both distract participants from negative thoughts), the group getting both positive statements and fast presentation might not do better than the groups getting either positive statements or fast presentation.

As we have discussed, if there is an interaction, the effect of combining fast presentation with negative thoughts might be less, more, or even the reverse of what you would expect from knowing only the individual effects of speed and thought type. To begin to estimate the size and type of your interaction, you can subtract the two speed simple main effects from each other to get the difference between them.

If there is no difference between the two speed simple main effects, there is no interaction: Speed’s simple main effects are both the same, and the effect of speed does not depend on type of statement type. Without an interaction, if speed boosts mood by 2 points in the positive statement conditions, it also boosts mood by 2 points in the negative statements conditions.

To review, a significant main effect for statement type would mean that, on the average, varying statement type had an effect on mood. A significant main effect for speed would mean that, on the average, varying speed had an effect on mood. Finally, a significant interaction would mean that the combination of statement type and speed produces an effect that is different (more, less, or opposite) from what you would expect from knowing only statement type’s and speed’s separate effects.

To illustrate that an interaction indicates that the combination of factors has an effect that is different from the sum of the factor’s individual effects, imagine the following situation. Suppose the average effect of positive statements was to boost mood by 2 points and the average effect of fast presentation was also to boost mood by 2 points. If we asked you to guess how much better mood the participants who had the advantages of both receiving positive statements as well as a fast presentation speed (the positive statements/fast presentation group) were in relative to the participants who had neither of these advantages (the negative statements/slow presentation participants), you might, after adding up the effects of positive statements (+2) and fast statements (+2), say “4.” In other words, you would guess that, in this case, $2 + 2 = 4$. If there is no interaction, your guess would be right.

But if there is an interaction, your guess would be wrong: The positive statements/fast presentation participants would not have a mood that averaged 4 points higher than the mean for the negative statement/slow presentation participants.
participants. If the interaction magnified the effects of the two factors, the positive statements/fast presentation participants might, on the average, score 6 points higher on the mood scale than the negative statements/slow presentation participants.

If, on the other hand, the interaction reversed the effect of the two factors, the positive statements/fast presentation participants might, on the average, score 2 points lower than the negative statements/slow presentation participants. If the interaction was the result of one factor neutralizing the effect of another, the positive statements/fast presentation participants might, on the average, score no (0) points higher on the mood scale than the negative statements/slow presentation participants. In short, if you had a statement type × speed interaction, you couldn’t predict the mood of the positive statements/fast presentation group merely by adding the statement type effects to the speed effects.

As you can imagine, significant interactions force scientists to answer such questions as, “Does working in groups cause people to loaf?” by saying, “Yes, but it depends on . . .” or “It’s a little more complicated than that.” Psychologists do not give these kinds of responses to make the world seem more complicated than it is.

On the contrary, psychologists would love to give simple answers. Like all scientists, psychologists prefer parsimonious explanations (simple, elegant explanations that involve few principles) to more complex explanations. Therefore, psychologists would love to report main effects that are not qualified by interactions. Psychologists would like to say that speeding up people’s thoughts always increases mood. However, if interactions occur, scientists have the obligation to report them—and in the real world, interactions abound. Only the person who says “Give me a match; I want to see if my gas tank is empty” is unaware of the pervasiveness of interactions. Most of us realize that when variables combine, the effects are different from what you would expect from knowing only their individual, independent effects.

Because we live in a world where we are exposed to more than one variable at a time and because the variables we are exposed to often interact, you may be compelled to do an experiment that captures some of this complexity. But how would you describe the results from such a factorial experiment?

**POTENTIAL RESULTS OF A 2 × 2 FACTORIAL EXPERIMENT**

You would describe the results of a 2 × 2 factorial experiment in terms of (1) whether you had a main effect for your first independent variable, (2) whether you had a main effect for your second independent variable, and (3) whether you had an interaction. As you can see from Table 12.4, getting a main effect for your first independent variable does not mean that you will be more likely to get a main effect for your second independent variable or that you will be more likely to get an interaction. Instead, like the outcomes of three separate coin flips, the outcomes for the three different effects are independent. Thus, as you can see from Table 12.4 (and as is also true with three separate coin flips), there are eight basic patterns of results you could obtain.

If you did a study, how would you know which of these patterns of results you obtained? At some point, you would need to do a statistical analysis, such as an analysis of variance (ANOVA). Without such a statistical analysis, the patterns you observed in your data might be due to random error rather than
to statistically reliable treatment effects. Either before or after doing such an analysis, however, you would probably like to see what patterns exist in your data. Therefore, you might calculate the mean response for each group and then make a table of those means. In the next section, we will show you how those tables of means can help you make sense of your results.

One Main Effect and No Interaction

Let’s start by supposing you replicate the Pronin and Wegner (2007) experiment we discussed earlier. Using a 2 (positive statements vs. negative statements) × 2 (slow speed vs. fast speed) factorial experiment, suppose you found results like the ones displayed in Table 12.5. To understand your results, you might start looking at the experiment as though it were four separate simple experiments. Thus, if you look only at the first row, it is just like you are looking at the effects of speed in a simple experiment in which all participants read negative statements.

As you can see from the first row of Table 12.5, the slow speed/negative statements group was in the same mood (6) as the fast speed/negative statements group. Thus, varying speed had no noticeable effect in the negative statements condition.

To find out what happened in the positive statements groups, look at the second row. Note that looking at the second row is just like looking at a simple experiment that varied speed (while making all the participants read positive statements). As you can see by the fact that both the slow presentation and the fast presentation scored the same on the mood scale (8), varying speed had no noticeable effect in the positive statement condition.

Averaging the effect of speed over both the negative statements and the positive statements conditions, you find that speed’s average (overall) effect was zero. Put another way, the slow speed groups’ scores, on the average, were the same as the high speed groups’. Thus, there was no overall main effect for the speed manipulation.

Looking at the columns tells you about the effect of varying whether statements were negative or positive. For example, looking at the first column is like looking at a simple experiment that varied statement type (while having all participants read the statements slowly). As you can see, the positive

### Table 12.4

| 1. A Main Effect for Variable 1 | No Main Effect for Variable 2 | No Interaction |
| 2. No Main Effect for Variable 1 | A Main Effect for Variable 2 | No Interaction |
| 3. A Main Effect for Variable 1 | A Main Effect for Variable 2 | No Interaction |
| 4. A Main Effect for Variable 1 | A Main Effect for Variable 2 | An Interaction |
| 5. No Main Effect for Variable 1 | No Main Effect for Variable 2 | An Interaction |
| 6. A Main Effect for Variable 1 | No Main Effect for Variable 2 | An Interaction |
| 7. No Main Effect for Variable 1 | A Main Effect for Variable 2 | An Interaction |
| 8. No Main Effect for Variable 1 | No Main Effect for Variable 2 | No Interaction |

Note that having (or not having) a main effect has no effect on whether you will have an interaction.
statements group scores an average of 2 points higher \((8 - 6 = 2)\) than the negative statements group. Thus, there may be a simple main effect for statement type in the slow speed condition.

Looking at the second column shows you the effect of statement type for the fast-speed participants. In a way, looking at the second column is like looking at a simple experiment that manipulated statement type (while having all participants read the statements quickly). As you can see, the positive statement group scores an average of 2 points higher on the mood scale than the negative statement group \((8 - 6 = 2)\). Thus, there may be a simple main effect for statement type in the fast-speed condition.

Because statement type increases mood for both the slow-speed and the fast-speed participants, there seems to be an overall main effect for statement type. Our best estimate of this average effect of statement type is that positive statements increase mood 2 points more than negative statements do.\(^4\)

Because statement type’s effect does not differ depending on speed condition, there is no interaction between statement type and speed. Specifically, there is no interaction because positive statements increase mood by the same number

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\(^4\)Because of random error, you don’t know what the effect actually is. Indeed, without using statistical tests, you can’t claim that you have a significant main effect or an interaction. However, because our purpose in this section is to teach you how to interpret tables and graphs and because the tables and graphs you will see in journal articles will almost always be accompanied by a statistical analysis, we will pretend—in this section—that any differences between means are statistically significant and due entirely to treatment effects.
of points (2) in the slow statements condition as they do in the fast statements condition.

Although making tables of means is a useful way to summarize data, perhaps the easiest way to interpret the results of a factorial experiment is to graph the means. To see how graphing can help you interpret your data, graph the data in Table 12.5. Before you plot your data, start by beginning to make a graph of a simple experiment that manipulates speed. Once you have a vertical y-axis labeled “Mood,” and a horizontal x-axis that has labels for both slow presentation and fast presentation, you are ready to plot your data. Start by plotting two points representing the two means from the top row. Next, draw a line between those points and label that line “Negative statements.” Then, plot the bottom row’s two means. Draw a line between those two points and label that line “Positive statements.” Your graph should look something like Figure 12.1. If it doesn’t, please consult Box 12.1.

Figure 12.1 confirms what you saw in Table 12.5. Negative statements decreased mood relative to positive statements, as shown by the negative statements participants’ line being below the positive statements participants’ line. Speed did not affect mood, as shown by the fact that both lines stay perfectly level as they go from slow presentation (left) side to fast presentation (right) side of the graph.

Finally, there is no interaction between speed and statement type on mood, as shown by the fact that the lines are parallel.\(^5\) The lines are parallel because there are no lines. Instead, the key is to see whether the relationship between the dark bar and the light bar on the left side of the graph is the same as the relationship between the dark bar and the light bar on the right side of the graph. For example, if, on the left side of the graph, the dark bar is taller than the light bar, but on the right side of the graph, the dark bar is shorter than the light bar, you may have an interaction. Alternatively, you may convert the bar graph into a line graph by (a) drawing one line from the top, right corner of the first dark bar to the top, left corner of the other dark bar, and (b) drawing a second line from the top, right corner of the first light bar to the top, left corner of the other light bar.

\(^5\) If you have a bar graph instead of a line graph, you can’t simply look to see if the lines are parallel because there are no lines. Instead, the key is to see whether the relationship between the dark bar and the light bar on the left side of the graph is the same as the relationship between the dark bar and the light bar on the right side of the graph. For example, if, on the left side of the graph, the dark bar is taller than the light bar, but on the right side of the graph, the dark bar is shorter than the light bar, you may have an interaction. Alternatively, you may convert the bar graph into a line graph by (a) drawing one line from the top, right corner of the first dark bar to the top, left corner of the other dark bar, and (b) drawing a second line from the top, right corner of the first light bar to the top, left corner of the other light bar.
because speed is having the same effect on the positive statements group as it is on the negative statements group. In this case, speed is having no (0) effect on either group.

Note that if you graph your data, you need to see only whether the lines are parallel to know whether you have an interaction. If your lines are parallel, you do not have an interaction. If, on the other hand, your lines have different slopes, you may have an interaction.6

Instead of having no interaction and a main effect for statement type, you could have no interaction and a main effect for speed. This pattern of results is shown in Table 12.6. From the top row, you can see that in the negative statements groups, fast presentation increased mood by 5 points \( \frac{10 - 5}{5} = 5 \). Looking at the bottom row, you see that in the positive statements groups, fast presentation also increased mood scores by 5 points \( \frac{10 - 5}{5} = 5 \). By averaging the effect of speed over both the negative statements and the positive statements conditions, you could estimate that speed’s average effect, the overall main effect of speed, was 5.

Whereas looking at the rows tells you about the effects of speed, looking at the columns tells you about the effect of statement type. Looking at the

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6 Remember that because of random error, we don’t know what the effect actually is. To know whether we had an interaction, we would need to do a statistical significance test.
first column tells you about the effect of statement type in the slow presenta-
tion conditions. In the slow presentation conditions, the negative statement
participants were in the same mood as the positive statements participants
(both averaged 5 on the mood scale). Thus, there was no simple main effect
of statement type in the slow presentation conditions.

Looking at the second column (the fast presentation column) tells you
about the effect of statement type in the fast conditions. You can see that, in
the fast presentation condition, the negative statement participants were in
the same mood as positive statements participants (both averaged 10 on the
mood scale). Thus, there was no simple main effect for statement type in the
fast presentation condition.

To determine the overall main effect of statement type, compute the aver-
age of the two statement type simple main effects. Because there was no
(zero) observed effect for varying statement type in both the slow presenta-
tion condition (the first column) and the fast presentation condition (the second
column), there is no (zero) overall main effect for varying statement type.

To determine whether there is a statement type × speed interaction, you
could subtract the statement type simple main effects from each other
(0 − 0 = 0). Or, you could subtract the speed simple main effects from each
other (5 − 5 = 0). Either way, the result is zero, suggesting that you don’t
have a speed × statement type interaction. You do not have an interaction
because the effect of speed is not affected by the statement type variable:
Increasing presentation speed increases mood by 5 points, regardless of
whether statements are positive or negative.

| TABLE 12.6 |
| Main Effect for Speed, No Interaction |

<table>
<thead>
<tr>
<th>SLOW SPEED</th>
<th>FAST SPEED</th>
<th>SPEED SIMPLE MAIN EFFECTS</th>
</tr>
</thead>
<tbody>
<tr>
<td>Negative statements</td>
<td>5</td>
<td>10</td>
</tr>
<tr>
<td>Positive statements</td>
<td>5</td>
<td>10</td>
</tr>
<tr>
<td>Statement type simple main effects</td>
<td>0 (5 − 5 = 0)</td>
<td>0 (10 − 10 = 0)</td>
</tr>
</tbody>
</table>

Averaging a treatment’s simple main effects gives us the treatment’s overall main effect:

Simple main effect of **Statement type** in the slow presentation condition 0
Simple main effect of **Statement type** in the fast presentation condition 0
Average effect (overall main effect) of **Statement type** 0/2 = 2
Simple main effect of **Speed** in the negative statements condition 5
Simple main effect of **Speed** in the positive statements condition 5
Average effect (overall main effect) of **Speed** 10/2 = 5

Comparing a treatment’s simple main effects tells us whether there is an interaction:

Because there are no differences between statement type’s two simple main effects (both are 0), there is no interaction. In other words, because the effect of statement type is not affected by the speed with which the statements are presented, there is no interaction.
Two Main Effects and No Interaction

Table 12.7 reflects another pattern of effects you might obtain. From the first row, you can see that, in the negative statements groups, fast statements increased mood scores by 4 points \((8 - 4 = 4)\). Looking at the second row, you see that, in the positive statements groups, speed also increased mood scores by 4 points \((10 - 6 = 4)\).

Averaging the effect of speed over all the statement type conditions, you find that the average effect of speed (the overall main of speed) was to increase mood scores by 4 points.

Looking at the columns tells you about the effect of varying statement type. The first column tells you about what happens in the slow presentation conditions. As you can see, in the slow presentation conditions, the participants who read positive statements averaged 2 points higher \((6 - 4 = 2)\) on the mood scale than those who read negative statements. Looking at the second column, you see that, in the fast presentation conditions, participants who read positive statements score, on the average, 2 \((10 - 8 = 2)\) points higher on the mood scale than participants who read negative statements. Because positive statements increase mood in both the slow presentation and the fast presentation groups, it appears that there is a statement type main effect.

Comparing the two columns tells you that there is no interaction because the effect of statement type is unaffected by speed. As Table 12.7 demonstrates, the effect of statement type is independent of (does not depend on) speed. In this case, positive statements increase mood by 2 points, regardless of whether participants are in the slow or fast thought condition.
To look at this lack of statement type × speed interaction from a different perspective, look at the rows. Comparing the rows shows you that the effect of speed is unaffected by the type (positive or negative) of statement. Specifically, fast statements increase mood by 4 points for both the negative statement groups and the positive statements groups.

We have shown you two ways to use a table of means (like Table 12.7) to determine whether you have an interaction: (1) by comparing (subtracting) the simple main effects of the two rows, and (2) by comparing (subtracting) the simple main effects of the two columns. There is a third way. If either simple main effect for a factor is the same as that factor’s overall main effect, you do not have an interaction. Thus, in the current example, we know there is no interaction because the simple main effect of fast statements in the positive statements conditions (+4) is the same as the overall main effect of fast statements (+4).

Although a table of means gives you valuable information, you may understand your data better if you graph the means. To appreciate this point, look at a graph of Table 12.7’s means: Figure 12.2. As you can see from the negative statements line being below the positive statements line, positive statements increased mood relative to negative statements. As you can see from both lines sloping upward as they go from the slow statements (left) side to fast statements (right) side of Figure 12.2, fast statements, relative to slow statements, increased mood. Finally, as you can see from the parallel lines, there is no interaction between speed and statement type. The lines are parallel because speed affects the negative statements groups the same (parallel) way that it affects the positive statements groups.

**Two Main Effects and an Interaction**

Now imagine that you got a very different set of results from your statement type–speed study. For example, suppose you found the results in Table 12.8.

As the table shows, you have main effects for both speed and statement type. The average effect of fast statements is to decrease mood scores by...
3 points, and the average effect of positive statements is to increase mood scores by 5.

Although, on the average, fast statements have an effect, the specific effect of fast statements varies depending on whether participants read negative or positive statements. In the positive statements condition, fast statements, relative to slow statements, increased mood by 2 points (12 vs. 10). In the negative statements condition, on the other hand, fast statements decreased mood by 8 points (12 vs. 20). Because the effect of speed differs depending on statement type, there is an interaction.

To see this interaction, look at Figure 12.3a. As you can see, the lines are not parallel because the slope of the negative statements line is different from the slope of the positive statements line. This difference in slope indicates that the effect of speed is different for the negative statements groups than for the positive statements groups. In this case, the negative statements line slopes upward (indicating that negative statements participants are in a better mood in the fast statements condition than in the slow statements condition), whereas the positive statements line slopes downward (indicating that positive statements participants are in a worse mood in the fast condition than in the slow condition). When the lines slope in opposite directions—indicating that the effect a treatment has with one group of participants is opposite from that treatment’s effect on the other group of participants—the interaction is often called a **crossover (disordinal) interaction** (because the lines often cross).

Crossover interactions are also called **disordinal interactions** because they can’t be merely the result of having ordinal rather than interval data. That is,
even if your measure can’t tell you how much more of a quality one participant has than another, that problem with your measure won’t make it look like the treatment is increasing the quality in one condition but decreasing it in the other condition.

Such a measurement problem, however, could cause other types of interactions. To see how, consider Figure 12.3b, in which both lines slope downward but the negative statements line slopes downward more sharply than the positive statements line. As you can see from Figure 12.3b, the lines are not parallel—and, therefore, there is an interaction. Such an interaction could be due to the negative statements participants being more affected by the fast thought manipulation than the positive statements participants were. Although such an interaction could be due to the treatment having more of an effect in one condition than in another, such an interaction could also be due to an ordinal measure creating the illusion that the treatment has more of an effect in one condition than the other. For example, suppose the mood score was based on participants selecting the adjective that best describes them. If checking “omnipotent” is scored as “20,” checking “superior” is scored as “18,” checking “powerful” is scored as “12,” and checking “influential” is scored as “7,” this measure may be ordinal. With such an ordinal measure, although going from 20 to 18 is clearly less of a decrease in measured mood than going from 12 to 7, going from 20 to 18 (from omnipotent to merely superior) may not be less of a difference in actual mood than going from 12 to 7 (from powerful to influential). Because interactions that appear to be due to a treatment having more of an effect in one condition than in another could actually be an illusion caused by having ordinal data, such interactions are called ordinal interactions.

**FIGURE 12.3a** Main Effects for Statement type and Speed, and a Crossover (Disordinal) Interaction

*Note:* Numbers in parentheses represent the speed simple main effects. Thus, the simple main effect of speed was $-8$ in the positive statements condition but $+2$ in the negative statements condition.

**FIGURE 12.3b** Main Effects for Statement type and Speed and an Ordinal Interaction

*Note:* Numbers in parentheses represent the speed simple main effects. Thus, the simple main effect of speed was only $-2$ in the positive statements condition but was $-7$ in the negative statements condition.
You have seen that you can have main effects with interactions, but can you have interactions without main effects? To answer this question, consider the data in Table 12.9 and Figure 12.4a.

From the graph (Figure 12.4a), you can see that the lines are not parallel. Instead, the lines actually cross. In this case, the crossover interaction is due to speed having one kind of effect (increasing mood) in the negative statements condition, but having an opposite effect (decreasing mood) in the positive statements condition. (In this case, “X” marks the crossover interaction. However, graphs of crossover interactions don’t always look like Xs. As you can see from Figure 12.4b, a graph of a crossover interaction sometimes looks like a sideways “V” rather than an “X.”)

Although you have an interaction between statement type and speed, you do not have a main effect for either statement type or speed. As you can tell by looking at Table 12.9, the slow presentation groups have the same average mood as the fast presentation groups. Therefore, there isn’t a speed main effect. Similarly, because the negative statements groups have the same average mood as the positive statements groups, there isn’t a statement type main effect.

Thus, you would have to say that neither statement type nor speed has a main effect. Yet, you would not want to say that neither statement type nor speed has any effect. Instead, you would either say that (a) statement type has an effect, but its effect depends on the speed at which the statements are presented, or (b) speed has an effect, but its effect depends on the statement type.
presented, or (b) speed has an effect, but its effect depends on whether the statements are positive or negative.

Regardless of whether you emphasize the effect of statement type (as in the first statement) or the effect of speed (as in the second statement), you cannot talk about the effect of one variable without talking about the other. In short, if you have an interaction, the effect of one variable depends on the other—even when you don’t have any main effects.

An Interaction and One Main Effect

You have seen that you can have no main effects and an interaction. You have also seen that you can have two main effects and an interaction. Can you also have one main effect and an interaction? Yes—such a pattern of results is listed in Table 12.10 and graphed in Figure 12.5.

As Table 12.10 reveals, the average effect of varying statement type is zero. (The –2 effect of statement type in the slow condition is cancelled out by the +2 effect of statement type in the fast condition.) The average effect of varying speed, on the other hand, is to increase mood scores by 2. Note, however, that speed’s effect is uneven. In the negative statements condition, fast statements have no observable effect (10 – 10 = 0). But in the positive statements condition, speed has an effect (12 – 8 = 4). Because the effect of speed differs depending on statement type, there is a speed × statement type interaction.

Figure 12.5 tells the same story. By looking at that figure, you realize there may be an interaction because the lines are not parallel. They are not parallel because the effect of speed is dramatic in the positive statements conditions but undetectable in the negative statements conditions.
### Table 12.10 Main Effect for Speed With an Interaction

<table>
<thead>
<tr>
<th>Statement Type</th>
<th>Slow Speed</th>
<th>Fast Speed</th>
<th>Speed Simple Main Effects</th>
</tr>
</thead>
<tbody>
<tr>
<td>Negative statements</td>
<td>10</td>
<td>10</td>
<td>0 (10 - 10 = 0)</td>
</tr>
<tr>
<td>Positive statements</td>
<td>8</td>
<td>12</td>
<td>4 (12 - 8 = 4)</td>
</tr>
</tbody>
</table>

**Statement type simple main effects**

\[-2 \times (8 - 10) = -2\] \[+2 \times (12 - 10) = +2\]

Averaging a treatment’s simple main effects gives us the treatment’s overall main effect:

- Simple main effect of **Statement type** in the slow presentation condition $\overline{-2}$
- Simple main effect of **Statement type** in the fast presentation condition $\overline{+2}$
- Average effect (overall main effect) of **Statement type** $0/2 = 0$
- Simple main effect of **Speed** in the negative statements condition $0$
- Simple main effect of **Speed** in the positive statements condition $4$
- Average effect (overall main effect) of **Speed** $4/2 = 2$

Comparing a treatment’s simple main effects tells us whether there is an interaction:

Because there are differences between statement type’s two simple main effects (one is $-2$, the other is $+2$), there is an interaction. In other words, because the effect of statement type is affected by the speed with which the statements are presented, there is an interaction.

**Figure 12.5 Main Effect for Speed With an Interaction**

*Note: Numbers in parentheses represent the speed simple main effects. Thus, the simple main effect of speed was 4 in the positive statements condition but 0 in the negative statements condition. Because the simple main effect of speed differs depending on statement type, there is an interaction.*
Whereas you can glance at Figure 12.5 and instantly see the interaction, seeing the main effects requires more mental visualization. If there is a main effect for statement type, one of the statement type lines should, on the average, be higher than the other. When one line is always above the other, it is easy to tell whether there seems to be a main effect. In this case, however, the lines cross—making it hard to tell whether one line is, on the average, above the other. If you get a ruler and mark the midpoint of each line, you will see that the midpoint of both lines is at the same spot. Or, you may realize that the negative statements line is below the positive statements line just as often and to the same extent as it is above the positive statements line. In either case, you would conclude that there is no main effect for statement type.

To determine whether there is a main effect for speed, you could mentally combine the two lines. If you do that, you would “see” that this combined line slopes upward, indicating a positive main effect for speed. (If you can’t visualize such a line, you can create one in three steps. First, take a ruler and put a point halfway between the left ends of the two lines [i.e., a point halfway between the two slow statements points]. Second, put a point halfway between the right ends of the two lines [i.e., a point halfway between the two fast statements points]. Third, draw a line between the two points you just drew.) Alternatively, you could reason that because the positive statements line slopes upward and the negative statements line stays level, the average of the two lines would be to slope upward.

If you prefer not to think about lines at all, convert the graph into a table of means. To practice, take Figure 12.5 and see if you can convert it into a table resembling Table 12.10. Once you have your table of means, you will be able to see that the average for the fast statements groups is higher than the average for the slow statements groups.

**Table 12.11**

<table>
<thead>
<tr>
<th></th>
<th>SLOW SPEED</th>
<th>FAST SPEED</th>
</tr>
</thead>
<tbody>
<tr>
<td>Negative statements</td>
<td>12</td>
<td>12</td>
</tr>
<tr>
<td>Positive statements</td>
<td>12</td>
<td>12</td>
</tr>
</tbody>
</table>

**No Main Effects and No Interaction**

The last pattern of results you could obtain is to get no statistically significant results. That is, you could fail to find a statement type effect, fail to find a speed effect, and fail to obtain an interaction between statement type and speed. An example of such a dull set of findings (possibly caused by a lack of power) is listed in Table 12.11.

**ANALYZING RESULTS FROM A FACTORIAL EXPERIMENT**

You can now graph and describe all the possible patterns of results from a $2 \times 2$ experiment. But how would you analyze your results to determine whether a main effect or an interaction is significant?
You would probably use analysis of variance (ANOVA) to analyze your data. Using ANOVA to analyze a factorial experiment is similar to using ANOVA to analyze data from a single factor experiment. The main difference is that instead of testing for one main effect, you will be testing for two main effects and an interaction. Thus, your ANOVA summary table might look like this:

<table>
<thead>
<tr>
<th>SOURCE OF VARIANCE</th>
<th>SUM OF SQUARES (SS)</th>
<th>df</th>
<th>MEAN SQUARE (MS)</th>
<th>F</th>
</tr>
</thead>
<tbody>
<tr>
<td>Speed Main Effect (A)</td>
<td>900</td>
<td>1</td>
<td>900</td>
<td>9.00</td>
</tr>
<tr>
<td>Statement type Main Effect (B)</td>
<td>200</td>
<td>1</td>
<td>200</td>
<td>2.00</td>
</tr>
<tr>
<td>Interaction (A × B)</td>
<td>100</td>
<td>1</td>
<td>100</td>
<td>1.00</td>
</tr>
<tr>
<td>Error Term (within groups)</td>
<td>3600</td>
<td>36</td>
<td>100</td>
<td></td>
</tr>
<tr>
<td>Total</td>
<td>4800</td>
<td>39</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

### What Degrees of Freedom Tell You

Despite the fact that this ANOVA table has two more sources of variance than the ANOVA for the multiple-group experiment described in Chapter 11, most of the rules that apply to the ANOVA table for that design also apply to the table for a factorial design (see Box 12.2). In terms of degrees of freedom, you can still use the two rules we discussed in Chapter 11:

1. The number of treatment levels is one more than the treatment’s degrees of freedom. Because the ANOVA summary table above states that the degrees of freedom for speed is 1, we know that the study used two levels of speed. Likewise, because the degrees of freedom for statement type is 1, we know the study used two statement types. Thus, the ANOVA summary table tells us that the study used a 2 × 2 design.
2. The total number of participants is one more than the total degrees of freedom. Therefore, because the ANOVA table states that the total degrees of freedom was 39, we know that there were 40 (39 + 1) participants in the experiment.

The only new rule is for the interaction’s degrees of freedom. To calculate the interaction term’s degrees of freedom, multiply the degrees of freedom for the main effects making up that interaction. For a 2 × 2 experiment, that would be 1 (df for first main effect) × 1 (df for second main effect) = 1. For a 2 × 3 experiment, that would be 1 (the df for the first main effect would be 1) × 2 (the df for the second main effect) = 2.

### What F and p Values Tell You

To determine whether an effect was significant, you look at the p value for the effect. If the p value is less than .05, the effect is statistically significant. If you do not have the p values, compare the F for that effect to the value given in the F table (see Table 3 in Appendix F) under the appropriate number of degrees of freedom. If your obtained F is larger than the value in the table, the effect is statistically significant.
What Main Effects Tell You: On the Average, the Factor Had an Effect

Usually, you will want to start your inspection of the ANOVA results by seeing whether any of your overall main effects are significant. If you have a significant effect for a factor, the overall effect of that factor is either to increase or to decrease scores on the dependent measure. If you have a significant main effect, your next step would be to find out whether this main effect is qualified by an interaction.

If the interaction was not significant, your conclusions are simple and straightforward. Having no interactions means there are no “ifs” or “buts” about your main effects. That is, you have not found anything that would lead you to say that the main effect occurs only under certain conditions. For instance, if you have a main effect for statement type and no interactions, statement type had the same kind of effect throughout your experiment—no matter the speed at which participants read those statements. When you don’t have interactions, you can just talk about the overall main effects. Thus, your Results section might resemble the following:

A 2 (Statement type: positive statements, negative statements) × 2 (Speed: slow, fast) between-subjects ANOVA was conducted to assess the effects of statement type and speed on mood. Contrary to our hypothesis, this analysis did not find...
that the positive statements group was in a better mood (\(M = 11.8\)) than the negative statements group (\(M = 12.2\)), \(F(1, 48) = 2.14, \text{ns}\). However, the analysis did reveal the expected main effect for speed, with participants in the fast thought groups scoring higher on mood (\(M = 16\)) than participants in the slow thought groups (\(M = 8\)), \(F(1, 48) = 4.21, p = .04, \eta^2 = .12\). The speed main effect was not qualified by a speed × statement type interaction, \(F(1, 48) = 1.42, \text{ns}\).

If, on the other hand, you had an interaction, you would replace the last sentence with something like the following:

These findings are qualified, however, by a significant speed × statement type interaction, \(F(1, 48) = 4.60, p = .04, \eta^2 = .08\). In the positive statements conditions, the participants in the slow presentation condition scored almost as high on the mood scale (\(M = 16.1, SD = 3.33\)) as participants in the fast presentation condition (\(M = 16.3, SD = 3.46\)). However, in the negative statements conditions, participants in the slow presentation condition were in a worse mood (\(M = 6.11, SD = 3.11\)) than participants in the fast presentation condition (\(M = 10.1, SD = 3.22\)).

**What Interactions Usually Tell You: Combining Factors Leads to Effects That Differ From the Sum of the Individual Main Effects**

As you just saw, when you have a significant interaction, describing the results is more complicated than when you don’t have a significant interaction. You can’t just talk about one variable’s effect without also stating that the variable’s effect depends on (is moderated by, is qualified by) a second variable.

At a more concrete level, having an interaction means that a treatment factor has a different effect on one group of participants than on another. In our statement type–speed example, having an interaction would mean that the simple main effect of statement type in the slow statements condition is different from the simple main effect of statement type in the fast statements condition. In that case, because statement type’s simple main effects would differ, rather than talking only about statement type’s general, average, overall main effect, you would talk about the specific, individual, simple main effects that make up that overall main effect.

Before you can talk about those simple main effects, however, you must understand them. The easiest way to understand the pattern of the simple main effects—and thus understand the interaction—is to graph them. In addition to looking at the slope of each line, examine the relationship between your lines to see why they aren’t parallel.

If the lines are sloping in different directions, you have a disordinal interaction and you know that the interaction is not merely an artifact of having ordinal data. Therefore, you know that the treatment has one effect in one condition and a different effect in another.

If, on the other hand, both lines are sloping in the same direction but one is steeper than the other, you have an ordinal interaction and you know that

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7Interactions suggest that, rather than looking at the overall main effects, you should look at the individual simple main effects. One way to understand an interaction is to do statistical analyses on the individual simple main effects. The computations for these tests are simple. However, there are some relatively subtle issues involved in deciding which test to use.
your interaction may merely be an artifact of having ordinal data. Therefore, you can’t be confident that the interaction is due to the treatment having a stronger effect on one group than on another.

PUTTING THE 2 × 2 FACTORIAL EXPERIMENT TO WORK

You now understand the logic behind the 2 × 2 design. In the next sections, you will see how you can use the 2 × 2 to produce research that is more interesting, has greater construct validity, and has greater external validity than research produced by a simple experiment.

Looking at the Combined Effects of Variables That Are Combined in Real Life

Suppose you are aware of research showing that driving while talking on cell phones impairs driving performance and that you are aware that driving while drunk impairs driving performance, but you are unaware of any research looking at the combined effects of both these factors. Then, if you think a study examining both factors would have practical implications (some people use cell phones while driving drunk) or theoretical implications (to see whether inattention is the mechanism for both), you might propose a study that looked at both factors at once (you would use a driving simulator rather than having people actually drive). Similarly, you could look at how driving performance was affected by the interaction of cell phone use with any of the following variables: sleep deprivation, caffeine, number of passengers in the car, or driving conditions.

Ruling out Demand Characteristics

Suppose you design a simple experiment in which half of your participants think about their own death and the other half think about going to the dentist. You expect that participants made to think about death are more likely to have happy thoughts than people made to think about going to the dentist. A friend criticizes your proposal, suggesting that your findings would just be the result of participants playing along with your hypothesis. To test that possibility, you could add two more groups to your study: a group that imagines how they would feel if they were in the death-salience condition and a group that imagines how they would feel if they were in the dental-pain condition (you are now proposing a replication of DeWall & Baumeister, 2007). If the pattern of results for the groups that really experienced the treatment is different from the pattern of results for the groups that role-played receiving the treatment, you would show that your hypothesis was not as intuitive as your friend believed. Note that all simple experiments involve comparing two levels of treatment (e.g., treatment 1 vs. treatment 2), and that you could convert most of those experiments into 2 (treatment 1 vs. treatment 2) × 2 (imagined vs. direct experience) experiments just by adding two groups that imagine—rather that actually—experience the treatments.

Adding a Replication Factor to Increase Generalizability

The generalizability of results from a single simple experiment can always be questioned. Critics ask questions such as, “Would the results have been
different if a different experimenter had performed the study?” and “Would the results have been different if a different manipulation had been used?” Often, the researcher’s answer to these critics is to do a systematic replication: a study that varies from the original only in some minor aspect, such as using different experimenters or different stimulus materials.

For example, Morris (1986) found that students learned more from a lecture presented in a rock-video format than from a conventional lecture. However, Morris used only one lecture and one rock video. Obviously, we would have more confidence in his results if he had used more than one conventional lecture and one rock-video lecture.

Morris would have benefited from doing a $2 \times 2$ experiment. Because the $2 \times 2$ factorial design is like doing two simple experiments at once, Morris could have (1) obtained his original findings and (2) replicated them with a different set of stimulus materials. Specifically, in addition to manipulating the factor of presentation type (conventional lecture vs. rock-video lecture), he could also have manipulated the replication factor of stimulus sets: the particular stimulus materials shown to one or more groups of participants. For example, he could have done a $2 \times 2$ (presentation type [conventional lecture vs. rock-video format]) × (stimulus sets [material about Shakespeare vs. material about economics]) study. Because psychologists often want to show that the manipulation’s effect can occur with more than just one particular stimulus set, experimenters routinely include stimulus sets as a replication factor in their experiments.

Stimulus sets are not the only replication factor that researchers use. Some researchers employ more than one experimenter to run the study and then use experimenter as a factor in the design.

Some of these researchers use experimenter as a factor to show the generality of their results. Specifically, they want to show that certain experimenter characteristics (gender, attractiveness, status) do not alter the treatment’s effect.

Other researchers use experimenters as a factor to establish that the experimenters are not biasing the results. For instance, Ranieri and Zeiss (1984) were worried that experimenters might unintentionally influence participants’ responses to their experiment’s dependent measure: a self-report scale of mood. Therefore, they used three experimenters and randomly assigned participants to experimenter. If different experimenters had obtained different patterns of results, Ranieri and Zeiss would have suspected that the results might be due to experimenter effects rather than to the manipulation itself.

Thus far, we have discussed instances in which the investigator’s goal in using the factorial design was to increase the generalizability of the experimental results. Thus, in a study that uses stimulus set as a replication factor, researchers hope that the treatment × stimulus set interaction will not be significant. Similarly, most researchers who use experimenter as a factor hope that there will not be a treatment × experimenter interaction.

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8 However, psychologists have not all agreed that the traditional, fixed-effects analysis of variance should be used to analyze such studies (see Clark, 1973; Cohen, 1976; Coleman, 1979; Kenny & Smith, 1980; Richter & Seay, 1987; Wickens & Keppel, 1983; Wike & Church, 1976).
Using an Interaction to Find an Exception to the Rule: Looking at a Potential Moderating Factor

Often, however, researchers are interested in finding an interaction. For example, you may read about a study’s results and say to yourself, “But I bet that would not happen under ____ conditions.” In that case, you should do a study in which you essentially repeat the original experiment except that you add what you believe will be a moderating factor that will interact with the treatment.

To see how a moderating factor experiment would work, let’s look at a study by Jackson and Williams (1985). Although aware of the phenomenon of social loafing—individuals don’t work as hard on tasks when they work in groups as when they work alone—Jackson and Williams felt that social loafing would not occur on extremely difficult tasks. Therefore, they did a study, which, like most social-loafing studies, manipulated whether participants worked alone or in groups. In addition, they added what they thought would be a moderating factor—whether the task was easy or difficult (e.g., whether participants completed a simple maze or a challenging maze).

As expected, and as other studies had shown, social loafing occurred. But, social loafing occurred only when the task was easy. When the task was difficult, the reverse of social loafing occurred: Participants worked harder in groups than alone. This interaction between task difficulty and number of workers confirmed Jackson and Williams’s hypothesis that task difficulty moderated social loafing (see Figure 12.6).

To see how you could take advantage of Jackson and Williams’s research strategy, let’s review what they did. With part of their study, they replicated an existing finding (the social-loafing main effect). With the other part, they tested whether another variable would moderate (interact with) the social-loafing main effect. If you like this strategy of proposing a study that tests both a safe prediction (e.g., a replication) and a risky prediction (e.g., an untested interaction), consider a moderating factor study. Note that this strategy works well if you have an idea about how to neutralize a bad effect.

![Figure 12.6](image-url)

**Figure 12.6** Interaction Between Task Difficulty and Number of Coworkers on Effort

*Note: Effort was scored on a 1-to-7 scale, with higher numbers indicating more effort.*
(e.g., a training program that would reduce frustration’s effect of increasing aggression) or intensify a good effect (e.g., instructions that may improve the positive effects of a placebo). For more tips on designing a moderating factor study, see Chapter 3.

**Using Interactions to Create New Rules**

Although we have discussed looking for an interaction to find an exception to an existing rule, some interactions do more than complicate existing rules. Some interactions reveal new rules. Consider Tversky’s (1973) $2 \times 2$ factorial experiment. She randomly assigned students to one of four conditions:

1. Student expected a multiple-choice test and received a multiple-choice test.
2. Student expected a multiple-choice test and received an essay test.
3. Student expected an essay test and received a multiple-choice test.
4. Student expected an essay test and received an essay test.

She found an interaction between type of test expected and test received. Her interaction showed that participants did better when they got the same kind of test they expected (see Figure 12.7).

Similarly, a researcher might find an interaction between mood (happy, sad) at the time of learning and mood (happy, sad) at the time of recall. The interaction might reveal that recall was best when participants were in the same mood at the time of learning as they were at the time of recall. As you can see, the $2 \times 2$ experiment may be useful for you if you are interested in assessing the effects of similarity.

**Conclusions About Putting the 2 × 2 Factorial Experiment to Work**

As you have seen, expanding a simple experiment into a $2 \times 2$ experiment allows you to test more—and more interesting—hypotheses. You can look at the main effect of the factor you would have studied with the simple experiment, plus the main effect of an additional factor, plus the interaction...
between those two factors. In many cases, the hypothesis involving the interaction may be the most interesting.

HYBRID DESIGNS: FACTORIAL DESIGNS THAT ALLOW YOU TO STUDY NONEXPERIMENTAL VARIABLES

Rather than converting a simple experiment into a $2 \times 2$ experiment by adding a second experimental factor, you could convert a simple experiment into a $2 \times 2$ hybrid design by adding a nonexperimental factor. The nonexperimental factor could be any variable that you cannot randomly assign, such as age, gender, or personality type.

Hybrid Designs’ Key Limitation: They Do Not Allow Cause–Effect Statements Regarding the Nonexperimental Factor

In such a hybrid $2 \times 2$ design, you could make cause–effect statements about the effects of the experimental factor, but you could not make any cause–effect statements regarding the nonexperimental factor. Thus, although the study described in Table 12.12 includes gender of participant as a variable, the study does not allow us to say anything about the effects of a participant’s gender.

You can’t make cause–effect (causal) statements regarding the effects of the participant’s gender because your two groups may differ not only in terms of gender but also in hundreds of other ways. For example, they may differ in terms of college major, age, self-esteem, religiosity, parental support, or loneliness. Any one of the hundreds of potential differences between the groups might be responsible for the difference in behavior between the two groups. Therefore, you cannot legitimately say that gender differences—rather than any of these other differences—caused your two groups to behave differently.

To help emphasize that you can make causal statements only about those independent variables that you randomly assign, randomly assigned variables are often called “true” independent variables or “strong” independent variables. In contrast, predictor variables that are not randomly assigned are called “weak” independent variables to highlight the fact that you can’t determine whether they have an effect.

Reasons to Use Hybrid Designs

If you cannot make causal statements about the nonexperimental factor, why would you want to add a nonexperimental variable to your simple experiment? The most obvious and exciting reason is that you are interested in that nonexperimental variable.

To see how adding a nonexperimental variable (age of participant, introvert–extrovert, etc.) can spice up a simple experiment, consider the following simple experiment: Participants are either angered or not angered in a problem-solving task by a confederate who poses as another participant. Later, participants get an opportunity to punish or reward the confederate. Obviously, we would expect participants to punish the confederate more when they had been angered. This simple experiment, in itself, would not be very interesting.
Holmes and Will (1985) added a nonexperimental factor to this study—whether participants were Type A or Type B personalities. (People with Type A personalities are thought to be tense, hostile, and aggressive, whereas people with Type B personalities are thought to be more relaxed and less aggressive.) The results of this study were intriguing: If participants had not been angered, Type A participants were more likely to punish the confederate than Type B participants. However, if participants had been angered, Type A and Type B participants behaved similarly (see Figure 12.8).

Likewise, Hill (1991) could have done a relatively uninteresting simple experiment. He could have determined whether research participants are more likely to want to talk to a stranger if that stranger is supposed to be "warm" than if the stranger supposedly lacks warmth. The finding that people prefer to affiliate with nice people would not have been startling.

 Fortunately, Hill conducted a more interesting study by adding another variable: need for affiliation. He found that participants who were high in need for affiliation were very likely to want to interact with an allegedly warm stranger, but very unlikely to want to interact with a stranger who

### Table 12.12
The Hybrid Design: A Cross Between an Experiment and a Nonexperiment

<table>
<thead>
<tr>
<th>Statement Type</th>
<th>MEN</th>
<th>WOMEN</th>
<th>GENDER SIMPLE MAIN “EFFECTS”</th>
</tr>
</thead>
<tbody>
<tr>
<td>Negative</td>
<td>10</td>
<td>12</td>
<td>2 (12 – 10 = 2)</td>
</tr>
<tr>
<td>Positive</td>
<td>8</td>
<td>14</td>
<td>6 (14 – 8 = 6)</td>
</tr>
</tbody>
</table>

Statement type simple main effects $-2$ ($8 - 10 = -2$) $+2$ ($14 - 12 = +2$)

Averaging a factor’s simple main effects gives us the factor’s overall main effect:

Simple main effect of Statement type for men $-2$

Simple main effect of Statement type for women $+2$

Average effect (overall main effect) of Statement type $0/2 = 0$

Simple main “effect” of Gender in the positive statements condition $2$

Simple main “effect” of Gender in the negative statements condition $6$

Average “effect” (overall main effect) of Gender $8/2 = 4$

Comparing a treatment’s simple main effects tells us whether there is an interaction:

Because there are differences between statement type’s two simple main effects (i.e., $-2$ is different from $+2$), there is an interaction. In other words, because the effect of statement type is different for men than for women, there is a statement type $\times$ gender interaction.

Note that the hybrid $2 \times 2$ design answers two questions that the simple experiment does not:

1. Do male and female participants differ on the dependent variable? (Answered by the gender main effect.)
2. Does the effect of statement type differ depending on which group (men or women) we are examining? (Answered by the gender $\times$ treatment interaction.)
allegedly lacked warmth. For low need for affiliation participants, on the other hand, the alleged warmth of the stranger made little difference.

As you have seen, adding a nonexperimental factor can make a study more interesting. As you will see in the next sections, you can add a nonexperimental variable to a simple experiment for most of the same reasons you would add an experimental variable: to increase the generalizability of the findings, to look for a similarity effect, and to look for a moderating factor. In addition, you may add a nonexperimental factor to increase your chances of finding a significant effect for your experimental factor.

**Increasing Generalizability**

You could increase the generalizability of a simple experiment that used only men as participants by (a) using both men and women as participants and then (b) making gender of the participant a factor in your design. This design would allow you to determine whether the effect held for both men and women. For example, researchers (Crusco & Wetzel, 1984) wondered whether restaurant servers’ “Midas touch”—touching customers results in bigger tips—holds for both men and women customers. (It does.) Some effects do not generalize across genders. For example, whereas men were more likely to say “yes” to a stranger’s request to have sex than to say “yes” to a stranger’s request to go on a date, women were much less likely to say “yes” to a stranger’s request to have sex than to say “yes” to a stranger’s request to go on a date (Clark & Hatfield, 2003).

In addition to seeing whether an effect generalizes across genders, you could see whether an effect generalizes across age, experience, or personality. For example, researchers have found that sleep-deprived younger drivers benefit more from a short nap than older drivers (Sagaspe et al., 2007); that both police officers and experienced judges are more likely to think that a videotaped confession is voluntary when the camera recording the confession is focused more on the suspect than on the detective (Lassiter, Diamond, Schmidt, & Elek, 2007); that, on math problems, people who normally do
well in math are more likely to choke under pressure than people who normally do not do so well (Beilock & Carr, 2005); and that people with what could be described as aggressive personalities are just as affected by playing violent video games as other people (Anderson & Dill, 2000).

**Studying Effects of Similarity: The Matched Factors Design**

If you were interested in similarity, you might include some participant characteristic (gender, status, etc.) as a factor in your design, while manipulating the comparable (matching) experimenter or confederate factor. For example, if you were studying helping behavior, you could use style of dress of the participant (well-dressed/casual) and style of dress of the confederate as factors in your design. You might find this interaction: Well-dressed participants were more likely to help confederates who were well-dressed, but casually dressed participants were more likely to help confederates who were casually dressed. This interaction would suggest that similarity of dress influences helping behavior (see Figure 12.9).

**Finding an Exception to the Rule: The Moderating Factors Design**

Looking for the effects of similarity is not the only reason you would want to examine interactions involving participant characteristics. As we mentioned earlier, you might look at interactions involving participants to see whether a treatment that works with one type of person is as effective with another type of person. The treatment could be any intervention—from a therapy technique to a teaching style.

For instance, if you thought that intelligence would be a moderating variable for the effectiveness of computerized instruction, you might use intelligence as a factor in your design. To do this, you would first give your participants an IQ test and then divide them into two groups (above-average intelligence and below-average intelligence). Next, you would randomly assign the high-intelligence group to condition so that half of them were in computerized instruction and half were in lecture instruction. You would do the same for the low-intelligence group.
This hybrid study might reveal some interesting findings. Suppose you found that computerized instruction substantially increases learning for low-IQ children but slightly decreases learning for high-IQ children. If you had done only a simple experiment, you might have found a significant positive effect for the new teaching technique. On that basis, you might have made the terrible mistake of recommending that computerized instruction be used to teach all children.

**Boosting Power: The Blocked Design**

Suppose you were solely interested in seeing whether instructional technique had an effect and you had no interest in either IQ or the interaction between IQ and instructional technique. Even then, you might still include IQ as a factor in your experiment. Specifically, before the study begins, you might divide your participants into two blocks (groups): the low-IQ block and the high-IQ block. Then, you would randomly assign each member of the high-IQ group to instruction condition, thereby ensuring that half of the high-IQ participants are assigned to the computerized instruction condition and half are assigned to the lecture condition. Next, you would randomly assign each member of the low-IQ block to instruction condition.

In other words, you would do exactly the same study that we just recommended you do if you were looking at IQ as a moderating factor. However, this study would be called a blocked design: a factorial design in which, to boost power, participants are first divided into groups (blocks) on a participant variable (e.g., low-IQ block and high-IQ block) that is highly correlated with the dependent measure, and then participants from each block are randomly assigned to experimental condition.

The difference between doing this blocked design and doing the moderating factors study we just described is not what you are doing, but why you are doing it. If you are using a blocked design, you do not care about your blocking variable, and you do not care about the interaction between your blocking variable and your treatment. You are using the blocking variable solely to boost your chances of finding a statistically significant effect for your treatment.

To understand how the blocking variable will increase your chances of finding the treatment’s effect, you first have to understand that just like decreasing the amount of dust on a microscope’s lens increases your chances of seeing differences between cells, decreasing error variance increases your chances of seeing differences between treatment conditions. Then, you have to understand that blocked designs reduce error variance.

To understand how blocked designs reduce error variance, realize what error variance is—variability that is not accounted for in your study. If you use a simple experiment, individual differences in IQ are not accounted for; consequently, any variations in scores due to individual differences in IQ contribute to error variance. If, on the other hand, you use a blocked design that blocks on IQ, you account for some of the variance due to individual differences in IQ, thereby reducing your error variance. In a sense, you use your blocking variable to soak up variance that would otherwise be error variance. By shrinking the error variance, you make your treatment’s effect easier to spot.
CONCLUDING REMARKS

We hope that you understand how factorial designs can help you refine your existing research ideas and generate new research ideas. We know that understanding factorial designs, one of the most common research methods in psychology, will increase your ability to read, understand, and evaluate other people’s research.

SUMMARY

1. Factorial experiments allow you to look at the effects of more than one independent variable at a time.
2. The simplest factorial experiment is the one that looks at the effects of only two levels of two independent variables: the $2 \times 2$ (“two by two”) experiment.
3. In addition to allowing you to see the individual effects of two factors in one experiment, the $2 \times 2$ experiment allows you to see whether the factors’ combined effects are different from the sum of their individual effects.
4. Whenever the effect of combining two independent variables is different from the sum of their individual effects, you have an interaction. In other words, an interaction occurs when one independent variable’s effect depends on the level of a second (moderating) variable. For example, the independent variable may have one effect when the second factor is absent and a different effect when the second factor is present.
5. Interactions often indicate that a general rule does not always apply. For instance, a treatment $\times$ distraction interaction indicates that the treatment does not have the same effect on people who are being distracted as on people who are not being distracted.
6. Interactions can most easily be observed by graphing your data. If your two lines aren’t parallel, you may have an interaction.
7. A significant interaction usually qualifies main effects. Thus, if you find a significant interaction, you can’t talk about your main effects without referring to the interaction.
8. Sometimes, an interaction represents similarity. For instance, in a $2 \times 2$ factorial experiment, an interaction may reveal that it is best to be tested in the same place you learned the information.
9. The following summarizes the mathematics of an ANOVA summary table for a factorial design:

<table>
<thead>
<tr>
<th>SOURCE OF VARIANCE (SV)</th>
<th>SUM OF SQUARES (SS)</th>
<th>DEGREES OF FREEDOM ($df$)</th>
<th>MEAN SQUARE (MS)</th>
<th>$F$</th>
</tr>
</thead>
<tbody>
<tr>
<td>$A$</td>
<td>$SS_A$</td>
<td>Levels of $A–1$</td>
<td>$SSA/df_A$</td>
<td>$MS_A/MSE$</td>
</tr>
<tr>
<td>$B$</td>
<td>$SS_B$</td>
<td>Levels of $B–1$</td>
<td>$SSB/df_B$</td>
<td>$MS_B/MSE$</td>
</tr>
<tr>
<td>$A \times B$ Interaction</td>
<td>$SS(A \times B)$</td>
<td>$df_A \times df_B$</td>
<td>$SS/df_A \times B$</td>
<td>$MS(A \times B)/MSE$</td>
</tr>
<tr>
<td>Error</td>
<td>$SSE$</td>
<td>Participants – Groups</td>
<td>$SSE/df_E$</td>
<td></td>
</tr>
<tr>
<td>Total</td>
<td>$SS_A + SS_B +$</td>
<td>Participants – Groups –1</td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>$SS(AXB) + SSE$</td>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>
10. With the hybrid factorial design, you can look at an experimental factor and a factor that you do not manipulate (personality, gender, age) in the same study. However, because you did not manipulate the nonexperimental factor, you cannot say that you know anything about the effects of your nonexperimental factor.

11. Once you have an idea for a simple experiment, you can easily expand that idea into an idea for a factorial experiment. For example, you could add a replication factor (such as stimulus set) to try to establish the generalizability of your treatment’s effect. In that case, you would not be expecting a significant interaction. Alternatively, if you wanted to show that the treatment didn’t have the same effect under all circumstances, you could add a potential moderating variable. In that case, you would be expecting a significant interaction between the treatment and the factor that you believe will moderate its effect.

12. If you have a nonmanipulated factor (e.g., participant’s age), you can look at differences between groups on this factor. However, even though these differences are called main effects of the factor, do not make the mistake of thinking that these differences represent effects of the factor.

**KEY TERMS**

- factorial experiments (p. 418)
- interaction (p. 425)
- systematic replication (p. 451)
- simple main effect (p. 422)
- crossover (disordinal)
- stimulus sets (p. 451)
- overall main effect (p. 424)
- interaction (p. 441)
- blocked design (p. 458)

**EXERCISES**

1. What is the difference between
   a. a simple main effect and an overall main effect?
   b. an overall main effect and an interaction?
2. Can you have an interaction without a main effect?
3. Suppose an experimenter looked at the status of speaker and rate of speech on attitude change and summarized the experiment’s results in the following table. Describe the pattern of those results in terms of main effects and interactions. Assume that all differences are statistically significant.

<table>
<thead>
<tr>
<th>STATUS OF SPEAKER</th>
<th>Rate of Speech</th>
<th>Low Status</th>
<th>High Status</th>
</tr>
</thead>
<tbody>
<tr>
<td>Slow</td>
<td>10</td>
<td>15</td>
<td></td>
</tr>
<tr>
<td>Fast</td>
<td>20</td>
<td>30</td>
<td></td>
</tr>
<tr>
<td>Attitude Change</td>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

4. Describe the pattern of results in the following table in terms of main effects and interactions. Assume that all differences are statistically significant.

<table>
<thead>
<tr>
<th>STATUS OF SPEAKER</th>
<th>Rate of Speech</th>
<th>Low Status</th>
<th>High Status</th>
</tr>
</thead>
<tbody>
<tr>
<td>Slow</td>
<td>10</td>
<td>15</td>
<td></td>
</tr>
<tr>
<td>Fast</td>
<td>20</td>
<td>25</td>
<td></td>
</tr>
<tr>
<td>Attitude Change</td>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

5. Half the participants receive a placebo. The other half receive a drug that blocks the effect of endorphins (pain-relieving substances, similar to morphine, that are produced by the brain). Half the placebo group and half the drug group get acupuncture. Then, all participants are asked to rate the pain of various shocks on a 1-to-10 (not at all painful to very painful) scale. The results are as follows: placebo, no acupuncture
group, 7.2; placebo, acupuncture group, 3.3; drug, no acupuncture group, 7.2; drug and acupuncture group, 3.3.

a. Graph the results.

b. Describe the results in terms of main effects and interactions (making a table of the data may help).

c. What conclusions would you draw?

6. The following table is an incomplete ANOVA summary table of a study looking at the effects of similarity and attractiveness on liking. Complete the table. (Hint: If you are having trouble, consult Box 12.2 or the sample ANOVA summary table in Summary point 9.) Then, answer these three questions.

a. How many participants were used in the study?

b. How many levels of similarity were used?

c. How many levels of attractiveness were used?

<table>
<thead>
<tr>
<th>SV</th>
<th>SS</th>
<th>df</th>
<th>MS</th>
<th>F</th>
</tr>
</thead>
<tbody>
<tr>
<td>Similarity (S)</td>
<td>10</td>
<td>1</td>
<td>—</td>
<td>—</td>
</tr>
<tr>
<td>Attractiveness (A)</td>
<td>—</td>
<td>2</td>
<td>20</td>
<td>—</td>
</tr>
<tr>
<td>S × A interaction</td>
<td>400</td>
<td>—</td>
<td>200</td>
<td>—</td>
</tr>
<tr>
<td>Error</td>
<td>540</td>
<td>54</td>
<td>—</td>
<td>—</td>
</tr>
<tr>
<td>Total</td>
<td>990</td>
<td>59</td>
<td>—</td>
<td>—</td>
</tr>
</tbody>
</table>

7. A professor does a simple experiment. In that experiment, the professor finds that students who are given lecture notes do better than students who are not given lecture notes. Imagine that you are asked to replicate the professor’s simple experiment as a 2 × 2 factorial.

a. What variable would you add to change the simple experiment into a 2 × 2?

b. Graph your predictions.

c. Describe your predictions in terms of main effects and interactions.

8. A lab experiment on motivation yielded the following results:

<table>
<thead>
<tr>
<th>GROUP</th>
<th>PRODUCTIVITY</th>
</tr>
</thead>
<tbody>
<tr>
<td>No financial bonus, no encouragement</td>
<td>25%</td>
</tr>
<tr>
<td>No financial bonus, encouragement</td>
<td>90%</td>
</tr>
<tr>
<td>Financial bonus, no encouragement</td>
<td>90%</td>
</tr>
<tr>
<td>Financial bonus, encouragement</td>
<td>90%</td>
</tr>
</tbody>
</table>

a. Make a 2 × 2 table of these data.

b. Graph these data (for help with graphing, see Box 12.1).

c. Describe the results in terms of main effects and interactions. Assume that all differences are statistically significant.

d. Interpret the results.

9. A memory researcher looks at the effects of processing time and rehearsal strategy on memory.

<table>
<thead>
<tr>
<th>GROUP</th>
<th>PERCENT CORRECT</th>
</tr>
</thead>
<tbody>
<tr>
<td>Short exposure, simple strategy</td>
<td>20%</td>
</tr>
<tr>
<td>Short exposure, complex strategy</td>
<td>15%</td>
</tr>
<tr>
<td>Long exposure, simple strategy</td>
<td>25%</td>
</tr>
<tr>
<td>Long exposure, complex strategy</td>
<td>80%</td>
</tr>
</tbody>
</table>

a. Graph these data.

b. Describe the results in terms of main effects and interactions. Assume that all differences are statistically significant.

c. Interpret the results.

10. Suppose a researcher wanted to know whether lecturing was more effective than group discussion for teaching basic facts. Therefore, the researcher did a study and obtained the following results:

<table>
<thead>
<tr>
<th>SOURCE OF VARIANCE</th>
<th>SS</th>
<th>df</th>
<th>MS</th>
<th>F</th>
</tr>
</thead>
<tbody>
<tr>
<td>Teaching (T)</td>
<td>10</td>
<td>1</td>
<td>10</td>
<td>5</td>
</tr>
<tr>
<td>Introversion/Extroversion (I)</td>
<td>20</td>
<td>1</td>
<td>20</td>
<td>10</td>
</tr>
<tr>
<td>T × I interaction</td>
<td>50</td>
<td>1</td>
<td>50</td>
<td>25</td>
</tr>
<tr>
<td>Error</td>
<td>100</td>
<td>50</td>
<td>2</td>
<td></td>
</tr>
</tbody>
</table>

a. Graph the results.

b. Describe the results in terms of main effects and interactions. Assume that all differences are statistically significant.

c. Interpret the results.
a. What does the interaction seem to indicate?
b. Even if there had been no interaction between teaching and extroversion, would there be any value in including the introversion–extroversion variable? Explain.
c. What, if anything, can you conclude about the effects of introversion on learning?

WEB RESOURCES

1. Go to the Chapter 12 section of the book’s student website and
   a. Look over the concept map of the key terms.
   b. Test yourself on the key terms.
   c. Take the Chapter 12 Practice Quiz.

2. Download the Chapter 12 tutorial to practice the following:
   a. interpreting ANOVA tables
   b. interpreting graphs of results of factorial experiments.

3. Do an ANOVA using a statistical calculator by going to the “Statistical Calculator” link.
Matched Pairs, Within-Subjects, and Mixed Designs

The Matched-Pairs Design
Procedure
Considerations in Using Matched-Pairs Designs
Analysis of Data
Conclusions About the Matched-Pairs Design

Within-Subjects (Repeated Measures) Designs
Considerations in Using Within-Subjects Designs
Four Sources of Order Effects
Dealing With Order Effects

Randomized Within-Subjects Designs
Procedure
Analysis of Data
Conclusions About Randomized Within-Subjects Designs

Counterbalanced Within-Subjects Designs
Procedure
Advantages and Disadvantages of Counterbalancing
Conclusions About Counterbalanced Within-Subjects Designs

Choosing the Right Design
Choosing a Design When You Have One Independent Variable
Choosing a Design When You Have More Than One Independent Variable

Concluding Remarks
Summary
Key Terms
Exercises
Web Resources
The art of being wise is the art of knowing what to overlook.
—William James

CHAPTER OVERVIEW

In Chapters 10, 11, and 12, you learned that you could perform an internally valid experiment by independently and randomly assigning participants to groups. Although you understand the logic of randomly assigning participants to groups, you may still have two basic reservations about between-subjects designs.

First, you may believe that these designs are wasteful in terms of the number of participants they require. For example, in the simple experiment, each participant is either in the control group or in the experimental group. If each participant was in both the control group and the experimental group, one participant could do the job of two.

Second, you may be concerned that between-subject designs are not powerful enough. You may believe that between-subject differences could hide treatment effects that would be detected if each participant acted as his or her own control. To illustrate, suppose you use a simple experiment to examine the effect of a video game “The Sims” on cooperation. If the effect of playing “The Sims” is small, then random differences between your groups could hide this effect. For example, suppose random assignment resulted in a comparison group that was naturally much more cooperative than the Sims group. In that case, if the Sims game slightly increased the Sims group’s cooperation scores, the comparison group would still score higher on cooperation than the Sims group. Even if playing the game caused the Sims group to score slightly higher on cooperation than the comparison group, this difference may not be recognized as a treatment effect: In many cases, statistical tests could not rule out the possibility that such a small difference could be due to random differences between the two groups. If, on the other hand, you use each participant as his or her own control, the difference that the treatment created might be detected and found to be statistically significant.

You are rightfully concerned about the twin weaknesses of between-subjects experiments: They require many participants and have relatively little power to detect treatment effects. In this chapter, you will learn about designs that address these twin weaknesses: the matched-pairs design (a special type of between-subjects design) and two types of within-subjects
designs (sometimes called a “repeated-measures design”): the randomized within-subject design and the counterbalanced within-subjects design.

In the matched-pairs design, you first reduce between-subject differences by matching pairs of participants on a key characteristic (e.g., in a study of video game’s effect on aggression, you might match participants on their scores on an aggression test). Then, you let random assignment and statistics take care of the effects of the remaining differences between participants.

In the randomized within-subjects design, you avoid the problem of between-subject differences by using participants as their own controls (e.g., you would compare each participant’s score on the aggression measure after playing a violent video game with that same participants’ score after playing a nonviolent videogame). Then, you let randomization take care of the effects of the remaining uncontrolled variables. By limiting the variables that randomization has to account for, the pure within-subjects design often has impressive power. For all its power, however, the randomized within-subjects design has some serious weaknesses. To build on its power but avoid those weaknesses, many researchers use what they consider a refinement of the randomized within-subjects design—the counterbalanced within-subjects design.

After learning about the two main types of pure within-subjects designs, you will learn about mixed designs: designs in which at least one factor is a within-subjects factor, and at least one factor is a between-subjects factor. In mixed designs, all participants get all levels of the within-subjects factor(s), but different participants get different levels of the between-subjects factor(s). For example, you might use a mixed design in which all participants played both the violent video game and the nonviolent video game, but some participants played the games in a hot room whereas others played the game in a normal temperature room. Mixed designs are popular because they can combine the power of a within-subjects design with the strengths of a between-subjects design.

Finally, you will learn how to weigh the trade-offs involved in choosing among various experimental designs. Thus, by the end of this chapter, you will be better able to choose the best experimental design for your research problem.
THE MATCHED-PAIRS DESIGN

If you do not have enough participants to do a powerful simple experiment, you might use a design, such as a matched-pairs design, that requires fewer participants. As you will see, the matched-pairs design combines the best aspects of matching and random assignment: It uses matching to reduce the effects of irrelevant variables, and it uses random assignment to establish internal validity.

Procedure

In the matched-pairs design, you first measure your participants on a variable that correlates with the dependent measure. For example, if you were doing a memory experiment, you might first give all your participants a memory test. Next, you would rank their scores on this memory test from lowest to highest. Then, you would pair the two highest scorers, the next two highest scorers, and so on. This would give you pairs of participants with similar scores on the memory pretest. Finally, you would randomly assign one member of each pair to the control group and the other member to the experimental group (e.g., you might assign random numbers to all the participants and then put the member of the pair with the higher random number in the experimental condition and the lower-scoring member in the control condition).

Considerations in Using Matched-Pairs Designs

You now have a general idea of how to conduct a matched-pairs experiment. You also know how it compares to a simple experiment: Unlike a simple experiment, it uses matching; like a simple experiment, it uses random assignment (see Table 13.1). But should you use a matched-pairs experiment instead of a simple experiment? When considering a matched-pairs design, you ask four questions:

1. Can you find an effective matching variable?
2. Will matching give you more power?
3. Will matching harm external validity?
4. Will matching harm construct validity?

Finding an Effective Matching Variable

As we suggested earlier, you can make effective use of the matched-pairs design only if you can create pairs that are very similar to each other in

<table>
<thead>
<tr>
<th>TABLE 13.1</th>
<th>Comparing the Matched Design with the Simple Experiment</th>
</tr>
</thead>
<tbody>
<tr>
<td>MATCHED DESIGN</td>
<td>SIMPLE EXPERIMENT</td>
</tr>
<tr>
<td>First, <em>match</em> participants on key characteristics.</td>
<td><em>No matching.</em></td>
</tr>
<tr>
<td>Then, <em>randomly assign</em> each member of the pair to condition.</td>
<td><em>Randomly assign</em> participants to condition.</td>
</tr>
</tbody>
</table>
terms of the dependent measure. The most direct way to get such pairs is to start your study by giving all the participants the dependent measure as a pre-test and then matching participants based on their pretest scores. Thus, in a memory experiment, participants could be matched based on scores on an earlier memory test; in a maze-running experiment, participants could be matched based on scores on an earlier maze-running trial.

If you cannot match on pretest scores, you may have to search the research literature (see Web Appendix B) to find a matching variable. If you are lucky, you will find matching variables that other researchers have used. More likely, however, you will find out what variables correlate with your dependent measure. Unfortunately, after doing your library research, you may find that (a) there are no variables that have a strong, documented relationship with performance on the dependent measure, or that (b) there are good matching variables, but for ethical or practical reasons you cannot use them.

**Power**

You want to find an appropriate matching variable so that your study will have adequate power: the ability to find differences between conditions. Indeed, the reason you may choose a matched-pairs design is to avoid the power problems that plague researchers who use other types of between-subject designs.

As we discussed in Chapter 10, researchers who rely exclusively on random assignment to make groups similar lose power because individual differences between participants hide treatment effects. Specifically, because participants differ from each other, between-subjects researchers can’t assume that the treatment group and the no-treatment group are extremely similar before the start of the experiment—especially if the groups are small. Consequently, if the groups differ at the end of the experiment, these researchers may not know whether this difference is due to the treatment or to the groups being different before the experiment began. Indeed, if a simple experiment has fewer than 30 participants, even a large difference between the treatment and no-treatment groups could be entirely due to random error.

If matching makes your groups extremely similar to each other before the experiment begins, then there isn’t much random error due to individual differences to hide your treatment effects. Therefore, the same, small difference that would not be statistically significant with a simple experiment may be significant with a matched-pairs design.

How can a matched-pairs design give you more power than a simple experiment? The key, as we mentioned before, is that the matched-pairs design reduces random error, allowing the treatment effect to be seen as statistically significant. Mathematically, the matched-pairs design is more likely to find a statistically significant treatment effect because (a) the reduced random error results in larger $t$ values and (b) larger $t$ values are more likely to be statistically significant.

Why would the $t$ value be larger in a matched-pairs design? Recall that the $t$ value equals the difference between the means of the two conditions divided by an estimate of random error (the standard error of the difference). So, with less random error, the difference between groups is divided by less, and so the $t$ value becomes larger (and thus more likely to be statistically significant). For example, if the standard error of the difference for a simple
experiment is 6 seconds, then a difference of 6 seconds between conditions
would yield a \( t \) value of 1.0 (because \( 6/6 = 1.0 \))—a \( t \) value too low to be sta-
tistically significant. However, if a matched-pairs design reduced random
error so much that the standard error of the difference was only 1.0, then
that same difference of 6 seconds would yield a \( t \) value of 6.0 (because \( 6/1 =
6.0 \))—a \( t \) value that would probably be statistically significant. In other
words, if matching limits the effects of individual differences, you may be
able to find relatively small treatment effects.

But what if matching fails to reduce random error? For example, suppose
a researcher matched participants on shoe size. In that case, the \( t \) value will
be roughly the same as it would have been in the simple experiment because
matching hasn’t reduced the amount of random error in the study. In that
case, the matched-pairs design would then be less powerful than the simple
experiment.

To understand why poor matching leads to a matched-pairs design that
is less powerful than a simple experiment, you need to know two facts: (1)
Matched-pairs designs have half the degrees of freedom of a same-sized
simple experiment, and (2) all other things being equal, fewer degrees of free-
dom means less power. We’ll now take a closer look at these two facts.

By using a matched-pairs design instead of a simple experiment, you lose
half your degrees of freedom because, whereas degrees of freedom for a sim-
ple experiment equals number of participants – 2, the degrees of freedom for a
matched-pairs study equals number of pairs – 1. Thus, if you used 20 partici-
pants in a simple experiment, you would have 18 degrees of freedom (two
fewer than the number of participants). But if you used 20 participants
(10 pairs) in a matched-pairs experiment, you would have only 9 degrees of free-
dom (one fewer than the number of pairs).

### Critical Values of \( t \)

| LEVEL OF SIGNIFICANCE FOR TWO-TAILED \( t \) TEST |
|---|---|
| \( df \) | \( .05 \) |
| 1 | 12.706 |
| 9 | 2.262 |
| 18 | 2.101 |
| 60 | 2.000 |
| 120 | 1.980 |

Losing degrees of freedom can cause you to lose power. As you can see
by looking at this mini \( t \) table, the fewer degrees of freedom you have, the
larger your \( t \) value must be to reach significance. For example, with
18 degrees of freedom (what you’d have if you tested 20 participants in a
simple experiment), you would need only a \( t \) value of 2.101 for your results
to be statistically significant at the .05 level. On the other hand, with
9 degrees of freedom (what you’d have if you tested 20 participants
[10 pairs of participants] in a matched-pairs experiment), your \( t \) value
would have to be at least 2.262 to be statistically significant at the .05 level. That is, a difference between your treatment conditions that would have been big enough to be statistically significant if you had used a simple experiment might not be statistically significant with a matched-pairs design in which you matched on a variable that did not correlate with your measure. Thus, if you obtain the same $t$ value with the matched-pairs design as you would have obtained with a simple experiment, the matched-pairs design costs you power.

If your matching is any good, however, you should not get the same $t$ value with a matched-pairs design as with a simple experiment. Instead, you will get a larger $t$ value with a matched-pairs design because you have reduced a factor that shrinks $t$ values—random error due to differences between participants. Usually, the increase in the size of the $t$ value will more than compensate for the degrees of freedom you will lose. Thus, as long as you can match participants on a relevant variable, you will get more power by switching from a simple experiment to a matched-pairs design.

**External Validity**

Power is not the only consideration in deciding to use a matched-pairs design. You may use—or avoid—matching for reasons of external validity.

**Matched-Pairs Designs May Have Good External Validity.** A matched-pairs design may have more external validity than an equally powerful simple experiment. Why? Because unlike the simple experiment, the matched-pairs design can have power without limiting who can be in the experiment.

To obtain adequate power, a researcher using a simple experiment may have to severely restrict the kind of individual who can be in the study. That is, to reduce the degree to which differences between participants create random differences between treatment and no-treatment groups, the experimenter may be forced to use participants who are all very similar. For example, to create a simple experiment that would be as powerful as a matched-pairs design, an experimenter might need to limit participants to male, albino rats between 180 and 185 days of age. Another researcher might attempt to reduce random error due to individual differences by allowing only middle-class women with IQs between 115 and 120 to be in the experiment.

With a matched-pairs design, however, you can reduce random differences between the treatment and no-treatment groups without choosing participants who are all alike. Because you can reduce random error by matching up the participants you do have rather than by limiting the kinds of participants you can have, the matched-pairs design may allow you to generalize your results to a broader population.

**Matched-Pairs Designs May Have Poor External Validity.** Matched-pairs designs, however, do not always have better external validity than simple experiments. For example, if participants drop out of the study between the time they are tested on the matching variable and the time they are to perform the experiment, matching will reduce the generalizability of your results. For instance, suppose you start off with 16 matched pairs, but end up with only 10 pairs. In that case, your experiment’s external validity is compromised
because your results may not apply to individuals resembling the participants who dropped out of your experiment.

Even if participants do not drop out, matching may still harm external validity because your results generalize only to situations in which individuals perform the matching task before getting the treatment. To illustrate, imagine that an experimenter uses a matched-pairs design to examine the effect of caffeine on anxiety. In that experiment, participants take an anxiety test, then either consume caffeine (the experimental group) or do not (the control group), and then take the anxiety test again. Suppose that the participants receiving caffeine become more anxious than those not receiving caffeine.

Can the investigator generalize her results to people who have not taken an anxiety test before consuming caffeine? No, it may be that caffeine increases anxiety only when it is consumed after taking an anxiety test. For example, taking the anxiety test may make participants so concerned about their level of anxiety that they interpret any increase in arousal as an increase in anxiety. Because of the anxiety test, the arousal produced by caffeine—which might ordinarily be interpreted as invigorating—is interpreted as anxiety.

**Construct Validity**

In the caffeine study we just discussed, taking the anxiety test before and after the treatment might make participants aware that the experimenter is looking at the effects of a drug on anxiety. The participants’ awareness of the hypothesis may harm the study’s construct validity. For example, if participants believe that the hypothesis is that the drug will increase anxiety, they may act more anxious to help the researcher prove the hypothesis.

However, the fact that participants guess the hypothesis does not, by itself, ruin the experiment’s construct validity. For instance, if you used a treatment condition and a placebo condition, it does not matter whether participants think that taking a pill is supposed to increase anxiety. Because both groups have the same hypothesis (“The pill I took will increase my anxiety”), knowing the hypothesis would not cause the treatment group to differ from the placebo group. Therefore, a significant difference between groups would have to be due to the treatment (the drug in the treatment group’s pill).

If, on the other hand, your independent variable manipulation has poor construct validity, matching will make your manipulation’s weaknesses more damaging. To see how matching can magnify a manipulation’s weaknesses, imagine that the caffeine study used an empty control group (nothing was given to the participants who did not receive the treatment). The experimental group participants fill out an anxiety measure, take a pill, and then fill out another anxiety measure. The experimental group participants might think that the pill is supposed to increase their anxiety level, thereby causing them to be more anxious—or at least, to report being more anxious. The control group participants, not having been given a pill, would not expect to become more anxious. Consequently, a significant difference between the groups might be due to the two groups acting on different beliefs about what the researchers expected, rather than to any ingredient in the pill.
Analysis of Data

We have talked about how matching, by making your study powerful, can help you obtain a significant difference. We have also warned you about external validity and construct validity problems that should make you cautious when interpreting such significant differences. But how do you know whether you have a significant difference?

As we have already suggested, you should not use a regular, between-subjects t test. That test compares the overall, average score of the treatment group with the overall, average score of the no-treatment group.

With a matched-pairs design, you need a test that will allow you to compare the score of one member of a matched pair directly with the score of the other member—and to make that comparison for each of your pairs. If you have ratio or interval scale data, you can make those comparisons using the dependent groups t test. If you plan to do a dependent groups t test by hand, see Appendix E. If you plan to have a computer do a dependent groups t test for you, see Box 13.1.

BOX 13.1 Using the Computer to Conduct a Dependent Groups t Test

When looking for a computer program to do an analysis on a matched-pairs design or on a two-condition within-subjects design, realize that the test you are using may go by at least five names: (a) t test for correlated samples, (b) t test for dependent samples, (c) t test for paired samples, (d) repeated-measures t test, and (d) within-subjects t. Realize also that you are not limited to using a t test. For example, you could compute a within-subjects analysis of variance (see Box 13.2).

If you use a t test, the computer should provide you with at least three sets of information. First, it should tell you the number of observations you had in each condition. Thus, if you had four scores for condition 1, it should tell you that “n” for condition 1 was 4. Second, it should give you the mean (M) and the standard deviation (SD) for each condition. Third, it should give you the t value, the degrees of freedom (df) for the test, and the two-tailed probability (p) of obtaining a difference that great or greater between your two means if the null hypothesis were true. For example, a printout might look like the following two tables.

<table>
<thead>
<tr>
<th>CONDITION 1</th>
<th>CONDITION 2</th>
</tr>
</thead>
<tbody>
<tr>
<td>n</td>
<td>4</td>
</tr>
<tr>
<td>M</td>
<td>6.25</td>
</tr>
<tr>
<td>SD</td>
<td>0.95</td>
</tr>
<tr>
<td>t</td>
<td>df</td>
</tr>
<tr>
<td>15</td>
<td>3</td>
</tr>
</tbody>
</table>

You might report such results as follows.a “As predicted, significantly more words were recalled in the treatment condition (M = 6.25, SD = 0.95) than in the control condition (M = 2.5, SD = 1.29), t(3) = 15.0, p < .05.”

aM stands for mean, SD stands for standard deviation (a measure of the variability of the scores), and p stands for the probability of obtaining a difference between conditions at least that large if the treatment had no effect. SD will usually be calculated as part of computing t (for more about SD, see Appendix E).

If you have only ordinal data, you should use the sign test. If you don’t know what type of data you have, consult Chapter 5.

You can also analyze such data using a within-subjects ANOVA (see Box 13.2).
If you had conducted a matched-pairs study or a two-condition within-subjects study, you could analyze your data using a dependent groups $t$ test (see Box 13.1) or a within-subjects ANOVA. If, instead of using the dependent groups $t$ test as we did in Box 13.1, we used a within-subjects ANOVA, we would get similar results. For example, our printout might look like the following one.

**DESCRIPTIVE STATISTICS**

<table>
<thead>
<tr>
<th>CONDITION 1</th>
<th>CONDITION 2</th>
</tr>
</thead>
<tbody>
<tr>
<td>$n$</td>
<td>4</td>
</tr>
<tr>
<td>$M$</td>
<td>6.25</td>
</tr>
<tr>
<td>$SD$</td>
<td>0.95</td>
</tr>
</tbody>
</table>

**WITHIN-SUBJECTS ANOVA TABLE**

<table>
<thead>
<tr>
<th>SOURCE</th>
<th>$SS$</th>
<th>$df$</th>
<th>$MS$</th>
<th>$F$</th>
<th>$p$</th>
</tr>
</thead>
<tbody>
<tr>
<td>Treatment</td>
<td>27.68</td>
<td>1</td>
<td>27.68</td>
<td>225</td>
<td>.0006</td>
</tr>
<tr>
<td>Error</td>
<td>0.37</td>
<td>3</td>
<td>0.123</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

If you compare this ANOVA printout with the within-subjects printout in Box 13.1, you will note three similarities. First, the table listing the descriptive statistics in the within-subjects ANOVA printout is identical to the table listing the descriptive statistics in the within-subjects $t$ test printout. The computer reports the same number of observations per condition, the same average for each condition, and the same variability of scores within each condition, regardless of whether you use a within-subjects $t$ test or a within-subjects ANOVA.

Second, the $p$ value for the treatment (.0006) in the within-subjects ANOVA table is the same as the $p$ in the within-subjects $t$ test. Both tests are equally likely to find a significant result.

Third, the $df$ error (3) is the same as the $df$ for the $t$. In both cases, $df$ equals number of participants minus two.

Even the differences between the printouts reveal similarities. For example, the $F$ value (225) is the $t$ value (15) squared.

Given the similarities between the two types of analyses, you probably will not be surprised to learn that they would be written up similarly. Thus, you might report the above-described results as follows. “As predicted, significantly more words were recalled in the treatment condition ($M = 6.25$, $SD = 0.95$) than in the control condition ($M = 2.5$, $SD = 1.29$), $F(1,3) = 225.0$, $p < .05$.”

If you had more than two levels of your independent variable, you could not use a within-subjects $t$ test to analyze your data. You could, however, analyze such data with a multiple-level within-subjects ANOVA.

If you were to analyze such data with a multiple-level within-subjects ANOVA, your printout might resemble the printout of a two-level within-subjects ANOVA. Indeed, the most noticeable difference would be that your degrees of freedom will be different. For example, if you have 3 levels of the treatment, your treatment $df$ will be 2.

As we have suggested, if you switch from looking at the printout of a two-level within-subjects design to looking at the printout of a three-level within-subjects design, you probably will not see a big difference. However, if you switch from looking at the printout from one computer program to another, you may notice a big difference. For example, in one program, a three-level, within-subjects ANOVA printout might look like the following printout.

**WITHIN-SUBJECTS ANOVA TABLE**

<table>
<thead>
<tr>
<th>SOURCE</th>
<th>$SS$</th>
<th>$df$</th>
<th>$MS$</th>
<th>$F$</th>
<th>$p$</th>
</tr>
</thead>
<tbody>
<tr>
<td>Treatment</td>
<td>12.133</td>
<td>2</td>
<td>6.067</td>
<td>26</td>
<td>.0001</td>
</tr>
<tr>
<td>Error</td>
<td>1.867</td>
<td>8</td>
<td>0.233</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

However, the same analysis in another program might look like the table below—minus the footnotes. We added the footnotes to help you decipher the table.

**TESTS OF WITHIN-SUBJECTS EFFECTS**

<table>
<thead>
<tr>
<th>MEASURE</th>
<th>TYPE III SUM OF SQUARES ($ss$)$^a$</th>
<th>$df$</th>
<th>MEAN SQUARE$^b$</th>
<th>$F$</th>
<th>SIG.$^d$</th>
</tr>
</thead>
<tbody>
<tr>
<td>Treatment</td>
<td>12.133</td>
<td>2</td>
<td>6.067</td>
<td>26</td>
<td>.000</td>
</tr>
<tr>
<td>Error</td>
<td>1.867</td>
<td>8</td>
<td>.233</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

$^a$ Treat this column like the previous table’s sum of squares ($SS$) column.

$^b$ Mean Square is calculated by dividing the Sum of Squares (12.133) by the $df$ (2).

$^c$ $F = MS$ for the effect divided by $MS$ error. The bigger $F$ is, the more likely the results are to be statistically significant.

$^d$ This column represents how likely it is that one would obtain a result this large or larger if the null hypothesis were true. Traditionally, when the value in this column is less than .05, the results are considered “statistically significant.”

$^e$ If there are 2 degrees of freedom ($df$), then there must be three levels of the “Treatment” variable.
In summary, the matched-pairs design’s weaknesses stem from matching (see Table 13.2). If you can’t find an effective matching variable, matching may actually hurt power. If matching alerts participants to the purpose of your experiment, matching may hurt your construct validity. If participants drop out after the matching task, the results may not apply to individuals who have not been exposed to the matching task prior to getting the treatment.
out of the experiment between the time they are measured on the matching variable and the time they are to be given the treatment, matching costs you the ability to generalize your results to the participants who dropped out. Finally, even if participants do not get suspicious and do not drop out, matching still costs you time and energy.

Although matching has its costs, matching usually offers one big advantage—power without restricting your subject population. Because the matched-pairs design combines the power of matching with the internal validity promoting properties of random assignment, the matched-pairs design is hard to beat when you can study only a few participants.

**WITHIN-SUBJECTS (REPEATED MEASURES) DESIGNS**

One set of designs that can beat the matched-pairs design, at least in terms of power, are the *within-subjects designs* (also called *repeated-measures designs*). In all within-subjects designs, each participant receives all the levels or types of the treatment that the experimenter administers, and the participant is measured after receiving each level or type of treatment. In the simplest case, each subject would receive only two levels of treatment: no treatment and the treatment. For example, a participant might complete the dependent-measure task (e.g., take an aggression test), get a treatment (e.g., play a violent video game), and repeat the dependent-measure task again (e.g., retake the aggression test). The experimenter would estimate the effect of the treatment by comparing how each participant scored when receiving the treatment (e.g., after playing a violent video game) with how that same participant scored when not receiving the treatment (e.g., before playing the violent video game).

**Considerations in Using Within-Subjects Designs**

You now have a general idea of how a within-subjects (repeated-measures) experiment differs from a between-subjects design (for a review, see Table 13.3).

---

**Table 13.3**

Comparing Three Designs

<table>
<thead>
<tr>
<th>Role of random assignment</th>
<th>BETWEEN-SUBJECTS</th>
<th>MATCHED-PAIRS DESIGN</th>
<th>WITHIN-SUBJECTS</th>
</tr>
</thead>
<tbody>
<tr>
<td>Approach to dealing with the problem that differences between participants may cause differences between the treatment and no-treatment conditions.</td>
<td>Randomly assign participants to treatment condition.</td>
<td>Randomly assign members of each pair to condition.</td>
<td>Randomly assign to sequence of treatment conditions.</td>
</tr>
<tr>
<td>Allow random assignment and statistics to account for any differences between conditions that could be due to individual differences.</td>
<td>Use matching to reduce the extent to which differences between conditions could be due to individual differences. Then, use random assignment and statistics to deal with the effects of individual differences that were not eliminated by matching.</td>
<td>Avoid the problem of individual differences causing differences between conditions by comparing each participant’s performance in one condition with his or her performance in the other condition(s).</td>
<td></td>
</tr>
</tbody>
</table>
But what do you have to gain—or lose—by using a within-subjects design instead of a between-subjects design? As you’ll soon see, by using a within-subjects design instead of a between-subjects design, you will gain power; however, you may lose internal validity.

**Increased Power**

Despite potential problems with the within-subjects design’s internal validity, the within-subjects design is extremely popular because it increases power in two ways.

The first way is similar to how the matched-pairs design increases power—by reducing random error. As you may recall, the matched-pairs experimenter tries to reduce random error by reducing individual differences by comparing similar participants with one another. Within-subjects experimenters are even more ambitious: They want to eliminate random error due to individual differences. Therefore, they do not compare one participant with another participant; instead, they compare each participant’s score under one condition with that same participant’s score under another condition.

The second way the within-subjects design increases power is by increasing the number of observations you get from each participant. The more observations you have, the more random error will tend to balance out; the more random error balances out, the more power you will have. With between-subjects designs, the only way you can get more observations is to get more participants because you can only get one observation per participant. But in a within-subjects experiment, you get at least two scores out of each participant. In the simplest case, your participants serve double duty by being in both the control and experimental conditions. In more complex within-subjects experiments, your participants might do triple, quadruple, or even octuple duty. For example, in a study of how men’s muscularity affected women’s ratings of men, Frederick and Haselton (2007) had participants do octuple duty. Specifically, to test their hypothesis that muscularity—up to a point—would increase attractiveness ratings, Frederick and Haselton had women rate the attractiveness of eight drawings that varied in muscularity. If Frederick and Haselton had used a purely between-subjects design, each participant would have made only one rating. However, because they used a within-subjects design, each participant could rate all eight figures.

**Order Effects May Harm Internal Validity**

As you intuitively realize, the main advantage of within-subjects designs is their impressive power. By comparing each participant with him or herself, even subtle treatment effects may be statistically significant.

However, as you may also intuitively realize, the problem with comparing participants with themselves is that, even without the treatment, participants may change over time. Consequently, the order (first or last) in which an event occurs within a sequence of events can be very important. For example, the lecture that might have been fascinating had it been the first lecture you heard that day might be only tolerable if it is your fourth class of the day. Because order affects responses, if a participant reacts differently to the first treatment than to the last, we have a dilemma: Do we have a treatment effect or an order effect?
To get a better idea of how order (trial) effects can complicate within-subjects experiments, let’s examine a within-subjects experiment. Imagine being a participant in a within-subjects experiment where you take a drug (e.g., caffeine), play a video game, take a second drug (e.g., aspirin), and play the video game again.

If you perform differently on the video game the second time around, can the experimenters say that the second drug has a different effect than the first drug? No. The experimenters can’t safely make conclusions about the difference between the two drugs because they are comparing your performance on trial 1, when you had been exposed to only one treatment (drug 1), to your performance on trial 2, by which time you had been exposed to three “treatments”: (1) drug 1, (2) playing the game, and (3) drug 2 (see Table 13.4).

### Four Sources of Order Effects

In the next few sections, you will see how being exposed to “treatments” other than the second drug can hurt the study’s internal validity. We will start by showing you how the variable of order (first trial vs. second trial) may affect your performance. Specifically, we will look at four nontreatment reasons why you may perform differently on the task after the second treatment:

1. You may do better after the second treatment because you are performing the dependent-measure task a second time. For example, the practice you got playing the game after the first drug may help you when you play the game again.
2. You may do worse after the second treatment because you are bored with the dependent-measure task.
3. You may score differently because you are experiencing some delayed or lingering effects of the first treatment.
4. You may have figured out the experimental hypothesis right after you received the second treatment.

In summary, you need to be aware that the order in which participants get a treatment may affect the results. Thus, Treatment A may appear to have one kind of effect when it comes first, but may appear to have a different kind of effect when it comes second.

<table>
<thead>
<tr>
<th>EVENTS THAT OCCUR BEFORE BEING TESTED</th>
<th>Drug 1 Condition</th>
<th>Drug 2 Condition</th>
</tr>
</thead>
<tbody>
<tr>
<td>Between-Subjects Experiment</td>
<td>Get Drug 1</td>
<td>Get Drug 2</td>
</tr>
<tr>
<td>Within-Subjects Design</td>
<td>Get Drug 1</td>
<td>Get Drug 1</td>
</tr>
<tr>
<td></td>
<td>Play Video Game</td>
<td></td>
</tr>
<tr>
<td></td>
<td>Get Drug 2</td>
<td></td>
</tr>
</tbody>
</table>
**Practice Effects**

If you perform better after the second treatment than you did after the first treatment, your improvement may merely reflect **practice effects**: You may have learned from the first trial. The first trial, in effect, trained you how to play the video game—although that wasn’t the researcher’s plan. Not surprisingly, practice effects are common: Participants often perform better as they warm up to the experimental environment and get accustomed to the experimental task. Unfortunately, rather than seeing that you improved because of practice, the researcher may mistakenly believe that you improved due to the treatment.

**Fatigue Effects**

If your performance is not enhanced by practice, it may decline due to **fatigue effects**. You may do worse on later trials merely because you are becoming tired or less enthusiastic as the experiment goes on. Unfortunately, a researcher might interpret your fatigue as a treatment effect.

**Treatment Carryover Effects**

Practice and fatigue effects have nothing to do with any of the treatments participants receive. Often, practice and fatigue effects are simply due to getting more exposure to the dependent-measure task. Thus, in the video game example, performance may improve as you learn the game or worsen as you get bored with the game. However, exposure to the dependent measure is not the only thing that can affect performance in later trials. The effects of a treatment received before the first trial may affect responses in later trials. The effects of an earlier treatment on responses in later trials are called **carryover (treatment carryover) effects**.

To imagine treatment carryover effects, suppose that on Trial 1, the researcher gave you a tranquilizer and then measured your video game performance. On Trial 2, the researcher gave you an antidepressant and measured your video game performance. On Trial 3, the researcher gave you a placebo and measured your video game performance. If your performance was worst in the placebo (no-drug) condition, the researcher might think that your better performance on earlier trials was due to the drugs improving your performance. The researcher, however, could be wrong. Your poor performance in the placebo condition may be due to carryover effects from the previous treatments: You may just be starting to feel certain effects of the drugs that you consumed during the earlier trials. Depending on the time between the trials, you may be feeling either “high” or hung-over.

**Sensitization Effects**

A fourth factor that might cause you to perform differently after the second treatment is **sensitization**. Sensitization occurs when, after getting several different treatments and performing the dependent variable task several times, participants realize (become sensitive to) what the independent and dependent variables are, and thus, during the latter parts of the experiment, guess

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3 Fatigue effects could be viewed as cases in which performance is hurt by practice, whereas practice effects could be viewed as cases in which performance is improved by practice.
the experimental hypothesis and play along with it. For example, by the third trial of the video game experiment, you should realize that the experiment had something to do with the effects of drugs on video game performance.

Note that sensitization has two effects. First, it threatens construct validity because participants figure out what the hypothesis is and thus may be acting to support the hypothesis rather than reacting to the treatment. Second, it threatens internal validity because it makes participants behave differently during the last trial (when they know the hypothesis) than they did during the first trial (when they did not know the hypothesis).

**Review of the Four Sources of Order Effects**

You have seen that because of practice, fatigue, carryover, and sensitization, the sequence in which participants receive the treatments could affect the results. For example, suppose participants all received the treatments in this sequence: Treatment A first, Treatment B second, and Treatment C last. Even if none of the treatments had an effect, the effect of order (first vs. second vs. last) might make it look like the treatments had different effects.

If practice effects caused participants to do better on the last trial, participants would do best on the trial where they received Treatment C. Thus, even if none of the treatments had an effect, the investigator might mistakenly believe that Treatment C improves performance.

If, on the other hand, fatigue effects caused participants to perform the worst on the last treatment condition, participants would do worst on the trial where they received Treatment C. Thus, even if none of the treatments had an effect, the investigator might mistakenly believe that Treatment C decreases performance.

Treatment carryover effects might also affect performance on the last trial. For example, if the effect of Treatment B is helpful but delayed, it might help performance on the last trial. If, on the other hand, the effect of Treatment B is harmful but delayed, it might harm performance on the last trial. Thus, even if Treatment C has no effect, the investigator might mistakenly believe that Treatment C is harmful (if Treatment B’s delayed effect is harmful) or that Treatment C is helpful (if Treatment B’s delayed effect is helpful).

Sensitization might also create the illusion that Treatment C has an effect. The participants were most naive about the experimental hypothesis when receiving the first treatment (Treatment A), least naive when receiving the last treatment (Treatment C). Thus, the ability of the participant to play along with the hypothesis increased as the study went on. Changes in the ability to play along with the hypothesis may create order effects that could masquerade as treatment effects.

**Dealing With Order Effects**

You have seen that (a) the sources of order effects are practice, fatigue, carryover, and sensitization; and that (b) order effects threaten the internal validity of a within-subjects design. How can you use this knowledge to prevent order effects from threatening your experiment’s internal validity?
Minimizing Each of the Individual Sources of Order Effects

Perhaps the best place to start to reduce the effect of order is to attack the four root causes of order effects: practice, fatigue, carryover, and sensitization.

Minimizing Practice Effects. To minimize the effects of practice, you can give participants extensive practice before the experiment begins. For example, if you are studying maze running and you have the rats run the maze 100 times before you start administering treatments, they’ve probably learned as much from practice as they can. Therefore, it’s unlikely that the rats will benefit greatly from the limited practice they get during the experiment.

Minimizing Fatigue Effects. You can reduce fatigue effects by making the experiment interesting, brief, and undemanding.

Minimizing Treatment Carryover Effects. You can reduce carryover effects by lengthening the time between treatments to allow adequate time for the effect of earlier treatments to wear off before the participant receives the next treatment. For instance, if you were looking at the effects of drugs on how well rats run a maze, you might reduce treatment carryover effects by spacing your treatments a week apart (for example, antidepressant pill, wait a week, anti-anxiety pill, wait a week, placebo).

Minimizing Sensitization Effects. You can reduce sensitization by preventing participants from noticing that you are varying anything (Greenwald, 1976). For example, suppose you were studying the effects of different levels of full-spectrum light on typing performance. In that case, there would be three ways that you could prevent sensitization.

First, you could use very similar levels of the treatment in all your conditions. By using slightly different amounts of full-spectrum light, participants may not realize that you are actually varying amount of light.

Second, you could change the level of the treatment so gradually that participants do not notice. For example, while you gave participants a short break in between trials, you could change the lighting level watt by watt until it reached the desired level.

Third, you might be able to reduce sensitization effects by using good placebo treatments. In this example, rather than using darkness as the control condition, you could use light from a normal bulb as the control condition.

A General Strategy for Reducing Order Effects

To this point, we have given you some strategies to reduce practice effects, to reduce fatigue effects, to reduce carryover effects, and to reduce sensitization (see Table 13.5 for a review). However, by reducing the number of experimental conditions, you can reduce all four causes of order effects at once because there will be fewer opportunities for them to affect your study.

To see how fewer conditions leads to fewer order-effect problems, compare a within-subjects experiment that has 11 conditions with one that has only 2 conditions. In the 11-condition experiment, participants have 10 opportunities to practice on the dependent-measure task before they get
the last treatment; in the 2-condition experiment, participants only have one
opportunity for practice. The 11-condition participants have 11 conditions to
fatigue them; 2-condition participants only have 2. In the 11-condition exper-
iment, there are 10 treatments that could carry over to the last trial; in the 2-
condition experiment there is only 1. Finally, in the 11-condition experiment,
participants have 11 chances to figure out the hypothesis; in the 2-condition
experiment, they only have 2 chances.

Mixing Up Sequences to Try to Balance Out Order Effects: Randomizing
and Counterbalancing

Although you can take steps to reduce the impact of order, you can never be
sure that you have eliminated its impact. Therefore, if you gave all your parti-
cipants Treatment A first and Treatment B second, you could not be sure that
the difference between the average of the Treatment A scores and the average
of the Treatment B scores was due to a treatment effect. Instead, the differ-
cence could simply be due to an order (trials: first vs. second) effect.

To avoid confusing an order (trials) effect for a treatment effect, you
should not give all your participants the same sequence of treatments. For
example, in a two-condition study, you should not give all of your particip-
ants the treatments in this sequence: Treatment A first, Treatment B second.
Instead, some participants should get the treatment sequence: Treatment B
first and then Treatment A.

<table>
<thead>
<tr>
<th>EFFECT</th>
<th>EXAMPLE</th>
<th>WAYS TO REDUCE IMPACT</th>
</tr>
</thead>
<tbody>
<tr>
<td>Practice Effects</td>
<td>Getting better on the task due to becoming more familiar with the task or with the research situation.</td>
<td>Give extensive practice and warm-up before introducing the treatment.</td>
</tr>
<tr>
<td>Fatigue Effects</td>
<td>Getting tired as the study wears on.</td>
<td>Keep study brief, interesting.</td>
</tr>
<tr>
<td>Carryover Effects</td>
<td>Effects of one treatment lingering and affecting responses on later trials.</td>
<td>Use few levels of treatment. Allow sufficient time between treatments for treatment effects to wear off.</td>
</tr>
<tr>
<td>Sensitization</td>
<td>As a result of getting many different levels of the independent variable, the participant—during the latter part of the study—becomes aware of what the treatment is and what the hypothesis is.</td>
<td>Use subtly different levels of the treatment. Gradually change treatment levels. Use few treatment levels.</td>
</tr>
</tbody>
</table>
There are two basic approaches you could use to make sure that not all participants get the treatments in the same sequence: (1) Randomize the sequence of treatments for each participant, or (2) counterbalance the sequence of treatments.

**RANDOMIZED WITHIN-SUBJECTS DESIGNS**

You can mix up the sequences by randomly determining, for each participant, which treatment they get first, which treatment they get second, and so on. If you use this randomization strategy to sequence each participant’s series of treatments, you have a randomized within-subjects design.

**Procedure**

The randomized within-subjects design is very similar to the matched-pairs design. For example, the procedural differences between the two-condition, randomized, within-subjects experiment and matched-pairs experiment stem from a single difference: In the within-subjects experiment, you get a pair of scores from a single participant, whereas in the matched-pairs design, you get a pair of scores from a matched pair of participants. Thus, in the matched-pairs case, each participant only gets one treatment, but in the within-subjects experiment, each participant gets two treatments.

Other than each participant receiving more than one treatment, the two designs are remarkably similar. The matched-pairs researcher randomly determines, for each pair, who will get what treatment. In some pairs, the first member will get Treatment A, whereas the second member will get Treatment B; in other pairs, the first member will get Treatment B, whereas the second member will get Treatment A.

The within-subjects researcher randomly determines, for each individual, the sequence of the treatments. For some individuals, the first treatment will be Treatment A (and the second treatment will be Treatment B); for other individuals, the first treatment will be Treatment B (and the second treatment will be Treatment A). In short, whereas the matched-pairs experimenter randomly assigns members of pairs to different treatments, the within-subjects experimenter randomly assigns individual participants to different sequences of treatments.

To see the similarities and differences between the matched-pairs and within-subjects designs, imagine that we are interested in whether observers’ judgments about other people are influenced by irrelevant information. Specifically, we want to see whether pseudorelevant information (information that seems relevant but really isn’t relevant) affects whether observers see others as passive or assertive. Therefore, we produce pseudorelevant descriptions (“Bill has a 3.2 GPA and is thinking about majoring in psychology”) and “clearly irrelevant” descriptions (“Bob found 20 cents in a pay phone in the student union when he went to make a phone call”).

In a matched-pairs design, you would match participants—probably based on how assertively they tend to rate people. Then, one member of the pair would read a “pseudorelevant” description while the other read a “clearly irrelevant” description. After reading the information, each participant would rate the assertiveness of the student he read about on a 9-point scale ranging from “very passive” to “very assertive.”
In a randomized within-subjects design, on the other hand, each participant would read both “pseudorelevant” and “clearly irrelevant” descriptions. After reading the information, they would rate the assertiveness of each of these students on a 9-point scale ranging from “very passive” to “very assertive.” Thus, each participant would provide data for both the “pseudorelevant” condition and the “clearly irrelevant” condition. The sequence of the descriptions would be randomized, with some sequences having the pseudorelevant description first and others having the clearly irrelevant description first.

Hilton and Fein (1989) conducted such a randomized within-subjects experiment and found that participants judged the students described by pseudorelevant information as more assertive than students described by clearly irrelevant information. Consequently, Hilton and Fein concluded that even irrelevant information affects our judgments about people.

**Analysis of Data**

To analyze data from the two-condition within-subjects design, you can use the same dependent groups \( t \) test that you used to analyze matched-pairs designs.\(^4\) The only difference is that instead of comparing each member of the pair with the other member of that pair, you compare each participant with him or herself. Because the dependent groups \( t \) test can be used to analyze data from a within-subjects design, it can also be called the within-subjects \( t \) test.

You do not have to use a within-subjects \( t \) test. For example, instead of using a within-subjects \( t \) test (see Box 13.1), you could use a within-subjects analysis of variance (see Box 13.2).

**Conclusions About Randomized Within-Subjects Designs**

As you might expect from two designs that can be analyzed with the same technique, the randomized within-subjects design and the matched-pairs design are very similar. In terms of procedures, the only real difference is that the matched-pairs experimenter randomly assigns members of pairs to treatments, whereas the randomized within-subjects experimenter randomly assigns individual participants to sequences of treatments. Because both designs have impressive power, both should be seriously considered if participants are scarce.

The randomized within-subjects design, however, has some unique strengths and weaknesses stemming from the fact that it collects more than one observation per participant (see Table 13.6). Because it uses individual participants (rather than matched pairs) as their own controls, the randomized within-subjects design is more powerful than the matched-pairs design—and more useful when you want to generalize your results to real-life situations in which individuals get more than one “treatment.” Thus, if you were studying the effects of political ads, you might use a within-subjects design because, in real life, a person is likely to be exposed to more than one political ad about a candidate (Greenwald, 1976).

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\(^4\)If you have more than two conditions, you cannot use a \( t \) test. Instead, you must use either within-subjects analysis of variance (ANOVA) or multivariate analysis of variance (MANOVA).
Although there are benefits to collecting more than one observation per participant, having to contend with order effects (practice, fatigue, carryover, and sensitization) is a major drawback. As we have suggested, you can try to minimize order effects, and you can hope that randomization will balance out the sequence of your treatments so that each condition comes first about the same number of times as it comes last.

### COUNTERBALANCED WITHIN-SUBJECTS DESIGNS

Instead of merely hoping that chance might balance out the sequence of your treatments, you could make sure by using a counterbalanced within-subjects design. In this design, as in all within-subjects designs, each participant gets more than one treatment. Unlike other within-subjects designs, however, participants are randomly assigned to systematically varying sequences of conditions in a way that ensures that routine order effects are balanced out. Thus, if you were studying two levels (A and B) of a factor, the counterbalanced design would ensure that half your participants got Treatment A first and that half got Treatment B first. Now that you understand the main objective of counterbalancing, let’s look at an example to see how counterbalancing achieves this goal.

#### Procedure

If you were to use a counterbalanced design to study a two-level factor, you would randomly assign half of your participants to receive Treatment A first and Treatment B second, whereas the other half would receive Treatment B first and Treatment A second. By randomly assigning your participants to these counterbalanced sequences, most order effects will be neutralized. For example, if participants tend to do better on the second trial, this will not

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5 In football, for example, teams change sides every quarter and this usually balances out the effects of wind. However, if the wind shifts in the fourth quarter, counterbalancing fails to balance out the effects of wind. Similarly, if basketball teams change sides at the end of every half (as in international rules), but a rim gets bent (or fixed) during halftime, counterbalancing has failed to balance out the effects of different baskets.
help Treatment A more than Treatment B because both occur in the second position equally often.

**Advantages and Disadvantages of Counterbalancing**

By using a counterbalanced design, you have not merely balanced out routine order effects, but you have also added another factor to your design—the between-subjects factor of counterbalancing sequence. Adding the factor of counterbalancing sequence has two disadvantages and several advantages.

**Disadvantages of Adding a Counterbalancing Factor**

A minor disadvantage is that your statistical analysis is now more complex. Rather than using the dependent (within-groups) \( t \) test, you now have to use a mixed analysis of variance. This would be a major disadvantage if you had to compute statistics by hand. However, because computers can do these analyses for you, this disadvantage really is minor.

The major disadvantage of adding the two-level between-subjects factor of counterbalancing sequence is that you now need more participants than you did when you were planning to use a pure within-subjects design. You need two groups of participants to determine whether the two-level between-subjects factor of counterbalanced sequence has an effect. One of those groups will receive the A–B sequence, the other will receive the B–A sequence. To have enough power to see whether the A–B sequence leads to higher average scores than the B–A sequence, you will need at least 30 participants in each group. In the pure within-subjects design, on the other hand, we were not comparing one group against another. Thus, in a sense, by going from a pure within-subjects design to a counterbalanced design, you are going from having zero levels of a between-subjects factor to having two levels of a between-subjects factor. As you may recall from our discussion of multiple-group experiments (Chapter 11), the more levels of a between-subjects factor you have, the more participants you need.

As you go beyond two levels of the independent variable, the number of different possible sequences—and thus the levels of the between-subjects factor of counterbalancing—exploses. For example, if you have 3 levels, there are 6 possible sequences (ABC, BCA, CAB, ACB, BAC, CBA), and thus counterbalancing could be a 6-level factor; if you have 4 levels, counterbalancing could be a 24-level factor, and if you have 5 levels, counterbalancing could be a 120-level factor.

To avoid the problem of having too many levels of the between-subjects factor of counterbalancing, you have two options. First, if you can administer the same treatment more than once to the same participant, you can get by with a single sequence. Ideally, this sequence would involve all possible orders (e.g., ABC, BCA, CAB, ACB, BAC, CBA). However, if you could present each treatment only twice, a sequence in which you first present the treatments in one order (e.g., ABC) and then present them in the reverse order (e.g., CBA) offers some protection from order effects. Thus, if you had five treatments, you might present them in this sequence: ABCDEEDCBA.

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6 In most cases, 30 participants per group is too few. Usually, researchers should have at least 60 participants per group (Cohen, 1990).
Second, rather than randomly assigning participants to every possible sequence (as you would in complete counterbalancing), you randomly assign participants to as many sequences as you have levels of your independent variable. Thus, if you have four treatments (A, B, C, and D), you would randomly assign participants to four sequences.

The first key to this partial counterbalancing is to select a set of sequences that, like complete counterbalancing, has every condition occur in every position equally often (e.g., Treatment A occurs first just as often as it occurs second, third, and fourth—and what is true of Treatment A is true of all your treatments). The simplest way to do this is to have each condition appear once in each position. Thus, if you had four treatments, treatment A would appear first in one sequence, second in one sequence, third in one sequence, and fourth in one sequence—and the same would be true of treatments B, C, and D.

The second key to this partial counterbalancing is to have each condition come before every other condition just as many times as it comes after that condition (e.g., Treatment A comes before Treatment B twice and after Treatment B twice). To get such a set of sequences, you would use a Latin Square (see Box 13.3). Note, however, that even with partial counterbalancing, you need more participants than you would with a pure, randomized within-subjects design.

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**BOX 13.3 Latin Square Designs: The ABCs of Counterbalancing Complex Designs**

You have seen an example of the simplest form of counterbalancing in which one group of participants gets Treatment A followed by Treatment B (AB) and a second group gets Treatment B followed by Treatment A (BA). This simple form of counterbalancing is called AB, BA counterbalancing. Note that even this simple form of counterbalancing accomplishes two goals.

First, it guarantees every condition occurs in every position, equally often. Thus, in AB, BA counterbalancing, A occurs in first half the time and last half the time. The same is true for B: For half the participants, B is the first treatment they receive; for the other half, B is the last treatment they receive.

Second, each condition precedes every other condition just as many times as it follows that condition. That is, in AB, BA counterbalancing, A precedes B once and follows B once. This symmetry is called balance.

Although achieving these two objectives of counterbalancing is easy with only two conditions, with more conditions, counterbalancing becomes more complex. For example, with four conditions (A, B, C, D) you would have four groups. To determine what order the groups will go through the conditions, you would consult the following 4 x 4 Latin Square:

<table>
<thead>
<tr>
<th>POSITION</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
</tr>
<tr>
<td>Group 1</td>
</tr>
<tr>
<td>Group 2</td>
</tr>
<tr>
<td>Group 3</td>
</tr>
<tr>
<td>Group 4</td>
</tr>
</tbody>
</table>

(Continued)
Advantages of Adding a Counterbalancing Factor

The disadvantage of needing more participants is sometimes offset by being able to discover more effects. With the two-condition within-subjects experiment, you can obtain only one main effect (the treatment main effect). By adding the two-level factor of counterbalancing sequence, you converted the two-condition experiment into a 2 (the within-subjects factor of treatment) × 2 (the between-subjects factor of counterbalancing sequence) experiment, thus giving you more information. Specifically, you can look for two main effects and an interaction (see Table 13.7). By looking at these three effects, you can find out three things.

First, as was the case with the pure within-subjects design, you can find out whether the treatment had an effect by looking at the treatment main effect. In the experiment described in Table 13.7, you can look at the treatment main effect to find out whether forming images of words is a more effective memory strategy than making sentences out of the words.

Second, by looking at the counterbalancing sequence main effect, you find out whether the group of participants getting one sequence of treatments (A–B) did better than the participants getting the other (B–A) sequence. In the experiment described in Table 13.7, the question is, “Did Group 1 (who
formed images first and then formed sentences) recall more words than Group 2 (who formed sentences first and then formed images)?”

Third, by looking at the treatment × counterbalancing interaction, you find out whether participants score differently on their first trial than on their second. Looking at the treatment × counterbalancing interaction allows you to detect what some people call a “trials effect” and what others call an “order effect.”

But how can looking at an interaction tell you that participants score differently on the first trial than the second? After all, significant interactions usually indicate exceptions to general rules rather than indicating a general rule such as, “participants do better on the first trial.”

The first step to seeing why a significant treatment × counterbalancing interaction tells you that participants score differently on the first trial than on the second is to imagine such an interaction. Suppose that participants who get Treatment A first score highest after receiving Treatment A, but participants who get Treatment B first score highest after receiving Treatment B. At one level, this is an interaction: The rule that participants score highest when receiving Treatment A only holds when they receive Treatment A first. However, the cause of this interaction is an order (trials) effect: Participants score highest on the first trial.

**TABLE 13.7**

A 2 × 2 Counterbalanced Design

<table>
<thead>
<tr>
<th></th>
<th>GROUP 1</th>
<th>GROUP 2</th>
</tr>
</thead>
<tbody>
<tr>
<td>First Task</td>
<td>Form Images</td>
<td>Form Sentences</td>
</tr>
<tr>
<td>Second Task</td>
<td>Form Sentences</td>
<td>Form Images</td>
</tr>
</tbody>
</table>

Questions this study can address include the following:

1. Do people recall more when asked to form sentences than when asked to form images?
2. Do Group 1 participants recall more words than Group 2 participants? In other words, is one sequence of using the two different memory strategies better than the other?
3. Do people do better on the first list of words they see than on the second? That is, does practice help or hurt?
To get a clearer idea of what a counterbalanced study can tell us, let’s look at data from the memory experiment we mentioned earlier. In that experiment, each participant learned one list of words by making a sentence out of the list and learned one list of words by forming mental images. Thus, like a within-subjects design, each participant’s performance under one treatment condition (sentences) was compared with that same participant’s performance under another treatment condition (images).

Like a two-group between-subjects design, participants were randomly assigned to one of two groups. As would be expected from a counterbalanced design, the groups differed in terms of the counterbalanced sequence in which they received the treatments. Half the participants (the group getting the sentence–image sequence) formed sentences for the first list, then formed images to recall the second list. The other half (the group getting the image–sentence sequence) formed images to recall the first list, then formed sentences to recall the second list.

Now that you have a basic understanding of the study’s design, let’s examine the study’s results. To do so, look at both the table of means for that study (Table 13.8) and the analysis of variance summary table (Table 13.9).

### Table 13.8
Table of Means for a Counterbalanced Memory Experiment

<table>
<thead>
<tr>
<th>GROUP’S SEQUENCE</th>
<th>MEMORY STRATEGY</th>
<th>IMAGES</th>
<th>SENTENCES</th>
<th>IMAGES–SENTENCES DIFFERENCE</th>
</tr>
</thead>
<tbody>
<tr>
<td>Group 1 (images first, sentences second)</td>
<td></td>
<td>8</td>
<td>6</td>
<td>+2</td>
</tr>
<tr>
<td>Group 2 (sentences first, images second)</td>
<td></td>
<td>6</td>
<td>8</td>
<td>−2</td>
</tr>
</tbody>
</table>

14/2 = 7 14/2 = 7 Strategy

Counterbalancing Main Effect = 0

On the average, participants in both groups remembered a total of 14 words (8 in one condition, 6 in another)

Strategy Effect = 0

Average recalled in image condition was 7 ([8 + 6]/2).

Average recalled in sentence condition was 7([6 + 8]/2).

Order Effect = +2

Participants remember the first list best.

They averaged 8 words on the first list, 6 on the second.

The order (first vs. second) effect is revealed by an interaction involving counterbalancing group and rehearsal strategy.

That is, Group 1 did better in the image condition (8 to 6), but Group 2 did better in the sentence condition (8 to 6).
By looking at Table 13.9, we see that the main effect for the between-subjects factor of counterbalanced sequence is not significant. As Table 13.8 shows, members of both groups recalled, on the average, 14 words in the course of the experiment. Participants getting the treatment sequence A–B did not, on the average, recall more words than participants getting the sequence B–A.

Next, we see that the within-subjects factor of the memory strategy factor was also not significant. Because participants recalled the same number of words in the imagery condition (7) as they did in the sentence condition (7), we have no evidence that one strategy is superior to the other. Thus, there is no treatment effect.

Finally, we have a significant interaction of memory strategy and group sequence. By looking at Table 13.8, we see that this interaction is caused by the fact that Group 1 (which gets images first) recalled more words in the imagery condition whereas Group 2 (which gets sentences first) recalled more words in the sentences condition. In other words, participants do better on the first list than on the second.

What does this order (trials) effect mean? If the researchers were not careful in their selection of lists, the order effect could merely reflect the first list being made up of words that were easier to recall than the second list. The researchers, however, should not have made that mistake. Therefore, if the experiment were properly conducted, the order effect must reflect either

---

**Table 13.9**

ANOVA Summary Table for a Counterbalanced Design

<table>
<thead>
<tr>
<th>SOURCE</th>
<th>SS</th>
<th>df</th>
<th>MS</th>
<th>F</th>
<th>P</th>
</tr>
</thead>
<tbody>
<tr>
<td>Group Sequence (counterbalancing)</td>
<td>0</td>
<td>1</td>
<td>0</td>
<td>0</td>
<td>n.s.</td>
</tr>
<tr>
<td>Error Term for Between-Subjects</td>
<td>44</td>
<td>22</td>
<td>2</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Factor Memory Strategy</td>
<td>0</td>
<td>1</td>
<td>0</td>
<td>0</td>
<td>n.s.</td>
</tr>
<tr>
<td>Interaction Between Memory Strategy and Group Sequence (effect of order—first vs. second list) Within-Subjects Error Term</td>
<td>10</td>
<td>10</td>
<td>1</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

*n.s. is an abbreviation for not statistically significant.

Note: “p” values in an ANOVA summary table indicate the probability that the researchers could get differences between their conditions that were this big even if the variables were not related. That is, the p values tell you the probability that the difference between the groups could occur due to chance alone. Thus, the smaller the p value, the less likely the results are due only to chance—and the more likely that the variables really are related.

There are at least three ways to avoid this mistake: (a) extensively pretest the lists to make sure that both are equally memorable, (b) consult the literature to find lists that are equally memorable, and (c) counterbalance lists so that, across participants, each list occurred equally often under each instructional condition. The third approach is probably the best.
the effects of practice, fatigue, treatment carryover, or sensitization. In this case, it probably reflects the fact that the practice participants get on the first list hurts their memory for the second list. Psychologists do not consider this negative practice effect a nuisance. On the contrary, this negative practice effect is one of the most important and most widely investigated facts of memory—proactive interference.

Now that you understand the three effects (two main effects and the treatment × counterbalancing interaction) that you can find with a 2 × 2 counterbalanced design, let’s look at an experiment where the researcher is interested in all three effects. Suppose that Mary Jones, a politician, produces two commercials: an emotional commercial and a rational commercial. She hires a psychologist to find out which commercial is most effective so she’ll know which one to give more airtime. The researcher uses a counterbalanced design to address the question (see Table 13.10).

By looking at the treatment main effect, the researcher is able to answer the original question, “Which ad is more effective?” By looking at the counterbalancing sequence main effect, the researcher is able to find out whether one sequence of showing the ads is better than another, thus enabling him to answer the question, “Should we show the emotional ad first and then the rational ad or should we show the ads in the opposite sequence?” Finally, by looking at the ad × counterbalancing interaction, the researcher is able to determine if there is an order (trials) effect, leading him to be able to answer the question, “Are participants more favorable toward the candidate after they’ve seen the

### Table 13.10
Effects Revealed by a 2 × 2 Counterbalanced Design

<table>
<thead>
<tr>
<th>GROUP 1</th>
<th>GROUP 2</th>
</tr>
</thead>
<tbody>
<tr>
<td>First Ad</td>
<td>Second Ad</td>
</tr>
<tr>
<td>Emotional Ad</td>
<td>Rational Ad</td>
</tr>
<tr>
<td>Rational Ad</td>
<td>Emotional Ad</td>
</tr>
</tbody>
</table>

**Questions Addressed by the Design:**

1. Is the rational ad more effective than the emotional ad? (Main effect of the within-subjects factor of type of ad)
2. Is it better to show the emotional ad and then the rational ad or the rational ad and then the emotional ad? (Main effect of the between-subjects factor of counterbalancing sequence)
3. Are attitudes more favorable to the candidate after seeing the second ad than after seeing the first? (Ad by counterbalancing interaction)
second ad?” Obviously, he would expect that voters would rate the candidate higher after seeing the second ad than they did after seeing the first ad.

Let’s suppose that all three effects were statistically significant and the means were as follows:

<table>
<thead>
<tr>
<th>TYPE OF AD</th>
<th></th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Emotional Ad</td>
<td>Rational Ad</td>
</tr>
<tr>
<td>Group 1: (Emotional–Rational sequence)</td>
<td>4</td>
<td>6</td>
</tr>
<tr>
<td>Group 2: (Rational–Emotional sequence)</td>
<td>8</td>
<td>7</td>
</tr>
</tbody>
</table>

*Note:* Scores are rating of the candidate on a 1 (strongly disapprove of) to 9 (strongly approve of) scale.

As you can see from comparing the emotional ad column with the rational ad column, the treatment main effect is due to the rational ad, on the average, being more effective than the emotional ad. As you can see from comparing the Group 1 row with the Group 2 row, Group 2 likes the candidate more than Group 1. Thus, the between-groups counterbalancing sequence main effect suggests that it would be better to present the ads in the Rational–Emotional sequence (Group 2’s sequence) than in the Emotional–Rational sequence (Group 1’s sequence).

The table doesn’t make it as easy to see the order effect. To see whether participants liked the candidate better after the second trial than after the first, this table makes you interpret the treatment × counterbalancing interaction. To help you find the order effect in this table, we have underlined the mean for the ad that each group saw first. Thus, we underlined 4 because Group 1 saw the emotional ad first, and we underlined 7 because Group 2 saw the rational ad first. By recognizing that 4 + 7 is less than 8 + 6, you could determine that scores were lower on the first trial than on the second. To better see the order effect, you should rearrange the table so that the columns represent “Order of Ads” rather than “Type of Ad.” Your new table would look like this:

<table>
<thead>
<tr>
<th>ORDER OF ADS</th>
<th>First Ad</th>
<th>Second Ad</th>
</tr>
</thead>
<tbody>
<tr>
<td>Group 1: (Emotional–Rational sequence)</td>
<td>4</td>
<td>6</td>
</tr>
<tr>
<td>Group 2: (Rational–Emotional sequence)</td>
<td>7</td>
<td>8</td>
</tr>
</tbody>
</table>

As you can see from this table, the order effect reveals that people like the candidate more after the second ad. The ads *do* build on each other.

It’s possible, however, that the consultant may not have obtained an order effect. For example, suppose the consultant obtained the following pattern of results:
In this case, Group 1 participants (who get the rational ad last) and Group 2 participants (who get the rational ad first) both rate the candidate one point higher after seeing the rational ad than they do after seeing the emotional ad. Thus, there is no treatment by counterbalancing interaction. Because there is no treatment × counterbalancing interaction, there is no order effect. However, an easier way to see that there was no order effect would be to create the following table.

<table>
<thead>
<tr>
<th>ORDER OF ADS</th>
<th>First Ad</th>
<th>Second Ad</th>
</tr>
</thead>
<tbody>
<tr>
<td>Group 1: (Emotional–Rational sequence)</td>
<td>5</td>
<td>6</td>
</tr>
<tr>
<td>Group 2: (Rational–Emotional sequence)</td>
<td>6</td>
<td>5</td>
</tr>
</tbody>
</table>

With these data, the consultant would probably decide to just use the rational ad.

Instead of obtaining no order effect, the consultant could have obtained an order effect such that people always rated the candidate worse after the second ad. For example, suppose the consultant obtained the following results:

<table>
<thead>
<tr>
<th>ORDER OF ADS</th>
<th>First Ad</th>
<th>Second Ad</th>
</tr>
</thead>
<tbody>
<tr>
<td>Group 1: (Emotional–Rational sequence)</td>
<td>5</td>
<td>4</td>
</tr>
<tr>
<td>Group 2: (Rational–Emotional sequence)</td>
<td>6</td>
<td>4</td>
</tr>
</tbody>
</table>

If the consultant obtained these results, he would take a long, hard look at the ads. It may be that both ads are making people dislike the candidate, or it may be that the combination of these two ads does not work. Seeing both ads may reduce liking for the candidate by making her seem inconsistent. For example, one ad may suggest that she supports increased military spending while the other may suggest that she opposes increased military spending.

**Conclusions About Counterbalanced Within-Subjects Designs**

As you can see from this last example, the counterbalanced design does more than balance out routine order effects. It also tells you about the impact of
both trials (order: first vs. second) and sequence (e.g., rational then emotional ad vs. emotional ad then rational ad). Therefore, you should use counterbalanced designs when

1. you want to make sure that routine order effects are balanced out
2. you are interested in sequence effects
3. you are interested in order (trials) effects

You will usually want to balance out order effects because you don’t want order effects to destroy your study’s internal validity. That is, you want a significant treatment main effect to be due to the treatment, rather than to order effects.

You will often be interested in sequence effects because real life is often a sequence of treatments (Greenwald, 1976). That is, most of us are not assigned to receive either praise or criticism; to see either ads for a candidate or against a candidate; to experience only success or failure, pleasure or pain, and so on. Instead, we usually receive both praise and criticism, see ads for and against a candidate, and experience both success and failure. Counterbalanced designs allow us to understand the effects of receiving different sequences of these “treatments.” In counterbalanced designs, the main effect for the between-subjects factor of counterbalancing sequence can help you answer questions like the following:

- Would it be better to eat and then exercise—or to exercise and then eat?
- Would it be better to meditate and then study—or to study and then meditate?
- If you are going to compliment and criticize a friend, would you be better off to criticize, then praise—or to praise, then criticize?

Order (trials) effects, on the other hand, will probably interest you if you can control whether a particular event will be first or last in a series of events. Thus, you might be interested in using a counterbalanced design to find out whether it’s best to be the first or the last person interviewed for a job. Or, if you want to do well in one particular course (research methods, of course), should you study the material for that course first or last? To find out about these order effects, you’d use a counterbalanced design and look at the treatment × counterbalancing interaction.

**CHOOSING THE RIGHT DESIGN**

If you want to compare two levels of an independent variable, you have several designs you can use: matched pairs, within-subjects designs, counterbalanced designs, and the simple between-subjects design. To help you choose among these designs, we will briefly summarize the ideal situation for using each design.

**Choosing a Design When You Have One Independent Variable**

The matched-groups design is ideal when

1. you can readily obtain participants’ scores on the matching variable without arousing their suspicions about the purpose of the experiment
2. the matching variable correlates highly with the dependent measure
3. participants are scarce

The pure within-subjects design is ideal when
1. sensitization, practice, fatigue, or carryover effects are not problems
2. you want a powerful design
3. participants are scarce
4. you want to generalize your results to real-life situations, and in real life, individuals tend to be exposed to both levels of the treatment

The \(2 \times 2\) counterbalanced design is ideal when
1. you want to balance out the effects of order
2. you are interested in order effects, sequence effects, or both
3. you have enough participants to meet the requirement of a counterbalanced design
4. you are not concerned that being exposed to both treatment levels will alert participants to the purpose of the experiment

The pure between-subjects design is ideal when
1. you think fatigue, practice, sensitization, or carryover effects could affect the results
2. you have access to a relatively large number of participants
3. you want to generalize your results to real-life situations, and in real life, individuals tend to receive either one treatment or the other, but not both

**Choosing a Design When You Have More Than One Independent Variable**

Thus far, we have discussed how to choose a design when you are studying the effects of a single variable (see Table 13.11). Often, however, you may want to investigate the effects of two or more variables.

In that case, you would appear to have three choices: a between-subjects factorial design, a within-subjects factorial design, and a counterbalanced design. However, counterbalancing becomes less attractive—especially for the beginning researcher—as the design becomes more complicated. Thus, as a general rule, beginning researchers who plan on manipulating two independent variables usually are choosing between a two-factor within-subjects design and a two-factor between-subjects design.

**Using a Within-Subjects Factorial Design**

You should use a pure within-subjects design when
1. you can handle the statistics (you will have to use within-subjects analysis of variance or multivariate analysis of variance)
2. sensitization, practice, fatigue, and carryover effects are not problems
3. you are concerned about power
4. in real-life situations, people are exposed to all your different combinations of treatments
Using a Between-Subjects Factorial Design
On the other hand, you should use a between-subjects design when

1. you are worried about the statistics of a complex within-subjects design
2. you are worried that order effects would destroy the internal validity of a within-subjects design
3. you are not worried about power
4. in real-life situations, people are exposed to either one combination of treatments or another

Using a Mixed Design
Sometimes, however, you will find it difficult to choose between a completely within-subjects design and a completely between-subjects design. For example, consider the following two cases.

Case 1: You are studying the effects of brain lesions and practice on how well rats run mazes. On the one hand, you do not want to use a completely within-subjects design because you consider brain damage to occur “between subjects” in real life (because some individuals suffer brain damage and others do not). On the other hand, you do not want to use a completely between-subjects design because you

<table>
<thead>
<tr>
<th>TABLE 13.11</th>
<th>Ideal Situations for Different Designs</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>SIMPLE EXPERIMENT</strong></td>
<td><strong>MATCHED GROUPS</strong></td>
</tr>
<tr>
<td>Participants are plentiful.</td>
<td>Participants are very scarce.</td>
</tr>
<tr>
<td>Order effects could be a problem.</td>
<td>Order effects could be a problem.</td>
</tr>
<tr>
<td>Power isn’t vital.</td>
<td>Power is vital.</td>
</tr>
<tr>
<td>In real life, people usually only get one or the other treatment, rarely get both.</td>
<td>In real life, people usually only get one or the other treatment, rarely get both.</td>
</tr>
<tr>
<td>Multiple exposure to dependent measure will tip participants off about hypothesis.</td>
<td>Exposure to matching variable will not tip participants off about hypothesis.</td>
</tr>
<tr>
<td>Exposure to different levels of the independent variable will tip participants off about hypothesis.</td>
<td>Exposure to different levels of the independent variable will tip participants off about hypothesis. Matching variable is easy to collect and correlates highly with the dependent measure.</td>
</tr>
</tbody>
</table>
think that practice occurs “within subjects” in real life (because all individuals get practice and, over time, the amount of practice an individual gets increases).

Case 2: You are studying the effects of subliminal messages and electroconvulsive therapy on depression. You expect that if subliminal messages have any effect, it will be so small that only a within-subjects design could detect it. However, you feel that electroconvulsive shock should not be studied in a within-subjects design because of huge carryover effects (see Table 13.12).

Fortunately, in these cases, you are not forced to choose between a totally within-subjects factorial and a totally between-subjects factorial. As you know from our discussion of counterbalanced designs, you can do a study in which one factor is varied between subjects and the other is varied within subjects. Such designs, called mixed designs, are analyzed using a mixed analysis of variance. (To learn how to interpret the results of a mixed analysis of variance, see Box 13.4.)

In both Case 1 and Case 2, the mixed design allows us to have both internal validity and power. In Case 1, we could make lesions a between-subjects variable by randomly assigning half the participants to get lesions and half not. That way we do not have to worry about carryover effects from the brain lesions. We could make practice a within-subjects variable by having each participant run the maze three times. Consequently, we have the power to detect subtle differences due to practice (see Table 13.13 and Figure 13.1).

In Case 2, we could make ECS therapy a between-subjects variable by randomly assigning half the participants to get electroconvulsive (ECS) therapy and half not. That way, we do not have to worry about carryover effects from the ECS. Then, we would expose all participants to a variety of subliminal messages, some designed to boost mood and some to be neutral. By comparing the average overall depression scores from the ECS therapy group to that of the no-ECS group, we could assess the effect of ECS. By comparing participants’ scores following the “positive” subliminal messages to their scores following “neutral” subliminal messages, we could detect even rather subtle effects of subliminal messages.

In a mixed design, you are able to test not only the main effects of two treatments but also the interaction of those treatments. In Case 1, the interesting statistical effects will probably involve the interaction rather than the two

| Should a Factor Be a Between-Subjects Factor or a Within-Subjects Factor? |
|---------------------------------|---------------------------------|
| **MAKE FACTOR BETWEEN SUBJECTS** | **MAKE FACTOR WITHIN SUBJECTS** |
| Order effects pose problems.    | Order effects are not a problem. |
| Lack of power is *not* a concern. | Lack of power is a serious concern. |
| You want to generalize the results to situations in which participants receive either one treatment or another. | You want to generalize the results to situations in which participants receive all levels of the treatment. |
If you use a mixed design, you will probably have a computer analyze your data for you. Often, both entering the data and interpreting the printout are straightforward. For example, suppose you had two groups (one received Treatment X, the other Treatment Y), had each participant go through three trials, and collected the following data.

<table>
<thead>
<tr>
<th>PARTICIPANT</th>
<th>GROUP</th>
<th>TRIAL 1</th>
<th>TRIAL 2</th>
<th>TRIAL 3</th>
</tr>
</thead>
<tbody>
<tr>
<td>Steve</td>
<td>X</td>
<td>1</td>
<td>3</td>
<td>7</td>
</tr>
<tr>
<td>Mary</td>
<td>X</td>
<td>2</td>
<td>4</td>
<td>6</td>
</tr>
<tr>
<td>Todd</td>
<td>X</td>
<td>3</td>
<td>6</td>
<td>7</td>
</tr>
<tr>
<td>Melissa</td>
<td>X</td>
<td>4</td>
<td>5</td>
<td>7</td>
</tr>
<tr>
<td>Tom</td>
<td>Y</td>
<td>4</td>
<td>5</td>
<td>7</td>
</tr>
<tr>
<td>Amy</td>
<td>Y</td>
<td>5</td>
<td>4</td>
<td>7</td>
</tr>
<tr>
<td>Rob</td>
<td>Y</td>
<td>4</td>
<td>5</td>
<td>6</td>
</tr>
<tr>
<td>Kara</td>
<td>Y</td>
<td>4</td>
<td>4</td>
<td>7</td>
</tr>
</tbody>
</table>

You might input the data as follows.

<table>
<thead>
<tr>
<th>GROUP</th>
<th>TRIAL 1</th>
<th>TRIAL 2</th>
<th>TRIAL 3</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>1</td>
<td>3</td>
<td>7</td>
</tr>
<tr>
<td>1</td>
<td>2</td>
<td>4</td>
<td>6</td>
</tr>
<tr>
<td>1</td>
<td>3</td>
<td>6</td>
<td>7</td>
</tr>
<tr>
<td>1</td>
<td>4</td>
<td>5</td>
<td>7</td>
</tr>
<tr>
<td>2</td>
<td>4</td>
<td>5</td>
<td>7</td>
</tr>
<tr>
<td>2</td>
<td>5</td>
<td>4</td>
<td>7</td>
</tr>
<tr>
<td>2</td>
<td>4</td>
<td>5</td>
<td>6</td>
</tr>
<tr>
<td>2</td>
<td>4</td>
<td>4</td>
<td>7</td>
</tr>
</tbody>
</table>

Your printout might be relatively straightforward and resemble the following.

<table>
<thead>
<tr>
<th>T 1 MEAN</th>
<th>T 2 MEAN</th>
<th>T 2 MEAN</th>
</tr>
</thead>
<tbody>
<tr>
<td>Group 1</td>
<td>2.5</td>
<td>4.5</td>
</tr>
<tr>
<td>Group 2</td>
<td>4.25</td>
<td>4.5</td>
</tr>
<tr>
<td>Total</td>
<td>3.375</td>
<td>4.5</td>
</tr>
</tbody>
</table>

However, in some programs, entering your data and interpreting the printout can be more complicated. To make sure that the computer has done the analysis you expected, check your printout carefully.

If your printout contains only one error term, the computer is analyzing your data as if you have a completely between-subjects design. If you take the MS for any treatment or interaction and divide it by your one and only MSE, you will get the F for that effect.

If, on the other hand, every main effect and every interaction has its own error term, the computer is analyzing your data as if you have a completely within-subjects design. In that case, if you have three effects (two main effects and an interaction effect), you will have three error terms.

Even if the computer seems to be analyzing your study as a mixed design, check the computer printout to be sure that it has correctly identified which factors are within and which are between. Start by looking at the degrees of freedom for all your main effects. If your between-subjects factor(s) have more levels than your within-subjects factor(s), then the degrees of freedom for your between-subjects main effect should be larger than the degrees of freedom for your within-subjects main effect. In any event, make sure that the df for each of your variable’s main effects is one fewer than the number of levels of that variable. For example, if you have 4 levels of the between variable and 2 levels of the within variable, be sure that the degrees of freedom for the between variable is 3 and that the degrees of freedom for the within variable is 1.

Next, focus on your between-subjects factor(s). All between-subjects main effects—and all

(Continued)
main effects. That is, we would not be terribly surprised to find a main effect for lesion, telling us that the brain-lesioned rats performed worse. Nor would we be surprised to find a main effect for practice, telling us that participants improve with practice. However, we would be interested in knowing about the practice × lesion interaction. A significant practice × lesion interaction would tell us that one group of rats was benefiting from practice more than another. In this case, as you can see from Figure 13.1, the nonlesion

---

### Table 13.13

<table>
<thead>
<tr>
<th>SOURCE OF VARIANCE</th>
<th>df</th>
<th>SS</th>
<th>MS</th>
<th>F</th>
<th>P</th>
</tr>
</thead>
<tbody>
<tr>
<td>Brain Lesion</td>
<td>1</td>
<td>51.0</td>
<td>51.0</td>
<td>10.0</td>
<td>.0068</td>
</tr>
<tr>
<td>Between-Subjects Error</td>
<td>14</td>
<td>72.4</td>
<td>5.1</td>
<td></td>
<td></td>
</tr>
<tr>
<td>Trials</td>
<td>2</td>
<td>26.6</td>
<td>13.3</td>
<td>11.1</td>
<td>.0003</td>
</tr>
<tr>
<td>Lesions × Trials</td>
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<td>13.7</td>
<td>6.8</td>
<td>5.7</td>
<td>.0083</td>
</tr>
<tr>
<td>Within-Subjects Error</td>
<td>28</td>
<td>33.6</td>
<td>1.2</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

*Note:* The mean square error for the within-subjects term is much smaller than the between-subjects error term (1.2 to 5.1), giving the design tremendous power for detecting within-subjects effects. This table corresponds to the graph in Figure 13.1.

---

8 The lesion main effect would be especially unsurprising if our control group didn’t get any surgery. However, such empty control groups are rare. Typically, the control group would be a “sham lesion” control group that got brain surgery and was treated the same as the treatment group except that, instead of being injected with a chemical that would destroy (lesion) part of the brain, they would be injected with a harmless saline solution.
group benefits most from practice. In Case 2, although we would be interested in both the ECS and subliminal message main effects, we might be most interested in the interaction between ECS and subliminal messages: Such an interaction would tell us whether the ECS group was more influenced by the subliminal messages than the no-ECS group.

In many mixed designs, both a main effect and the interaction will be of interest. For example, Hebl and Mannix (2003) found a between-subjects main effect indicating that participants who saw a picture of a male job applicant sitting next to an overweight woman rated the job applicant more harshly than participants who saw a picture of the same man sitting next to an average-weight woman. This between-subjects main effect was of interest. The interaction between this main effect and the within-subjects variable of rating dimension (willingness to hire applicant, applicant’s professional qualities, applicant’s interpersonal skills) was also of interest because Hebl and Mannix wanted to see whether being seen with an overweight woman influenced hiring judgments more than it affected judgments about the applicant’s interpersonal skills.

Note the problems Hebl and Mannix would have had in interpreting their results if they had used either a completely within-subjects or a completely between-subjects design. If they had used a completely within-subjects design, each participant would rate the applicant both (1) after seeing the applicant in the presence of an overweight woman and (2) after seeing the applicant in the presence of an average-weight woman. Participants would have found the study strange and would probably have figured out the hypothesis, thereby making the weight of woman main effect hard to interpret.

If Hebl and Mannix had used a completely between-subjects design, one group of participants would make hiring judgments, another group would make interpersonal skills judgments, and yet another group would make judgments about the applicant’s professional qualities. Because each participant would be providing one set of ratings rather than the three sets that Hebl and Mannix’s participants did, each participant in a between-subjects design would be providing only 1/3 as much data as the participants in Hebl and Mannix’s actual study. Because participants would be providing less
data, the study would have been less powerful than Hebl and Mannix’s actual study. Thus, if Hebl and Mannix had used a completely between-subjects design and failed to find an effect for the interaction, a scientist reading their work would wonder whether they would have succeeded in finding an interaction had they used a more powerful design.

As you can see from Hebl and Mannix’s study and from our two hypothetical cases (Case 1 and Case 2), the mixed design has two major strengths. First, it allows you to examine the effects of two independent variables and their interaction. Second, instead of trading off the needs of one variable for the needs of another, you are able to give both variables the design they need. Because of its versatility, the mixed design is one of the most popular experimental designs.

CONCLUDING REMARKS

This chapter has expanded your ability to read about and conduct research. When reading reports of either within-subjects or mixed designs, you now know to ask

1. whether the multiple measures and manipulations may have led participants to figure out the hypothesis
2. what steps (e.g., counterbalancing) were taken to reduce order effects (practice, fatigue, carryover, and sensitization)—and whether those steps were sufficient to ensure the study’s internal validity
3. whether a between-subjects design might have been more internally valid

When planning, conducting, or analyzing research, you now can

1. do experiments to determine the effect of a treatment and have a reasonable chance of finding the treatment effect even if the effect is small and you have access to only a few participants
2. replicate between-groups experiments that failed to find an effect with a more powerful design that is more likely to find an effect
3. use counterbalancing to control for order effects
4. take steps to minimize practice, fatigue, carryover, and sensitization, thereby minimizing order effects
5. do research assessing the effects of order (trials) and the effect of interactions involving trials (e.g., does the effect of one treatment get stronger when it is repeatedly presented whereas the effect of another treatment weakens with repeated exposures?)
6. do research to determine the effect of different treatment sequences (e.g., is it more effective to have cognitive therapy followed by antidepressants or to have antidepressants followed by cognitive therapy?)
7. determine whether you should use a pure between-subjects experiment, a matched-pairs experiment, a within-subjects design, or a mixed design
8. interpret computer printouts of analysis of variance (ANOVA) analyses of within-subjects as well as mixed designs
SUMMARY

1. The matched-pairs design uses matching to reduce the effects of random differences between participants and uses random assignment and statistics to account for the remaining effects of random error. Because of random assignment, the matched-pairs design has internal validity. Because of matching, the matched-pairs design has power.

2. Because the matched-pairs design gives you power without limiting the kind of participant you can use, you may be able to generalize your results to a broader population than if you had used a simple experiment.

3. The matched-pairs design’s weaknesses stem from matching: Matching may sensitize participants to your hypothesis and participants may drop out of the study between the time of the matching and the time the experiment is performed.

4. Within-subjects designs are also known as repeated-measures designs.

5. The two-condition within-subjects design gives you two scores per participant.

6. The within-subjects design increases power by eliminating random error due to individual differences and by increasing the number of observations that you obtain from each participant.

7. Both the matched-pairs design and the two-condition pure within-subjects design can be analyzed by the dependent groups t test. Complex within-subjects designs require more complex analyses. Specifically, they should be analyzed by within-subjects analysis of variance (ANOVA) or by multivariate analysis of variance (MANOVA).

8. Because of practice, fatigue, carryover, and sensitization effects, the participant may respond one way if receiving a treatment first and a different way if receiving the treatment last. These order effects may make it difficult to assess a treatment’s real effect.

9. To reduce the effects of order, you should randomly determine the sequence in which each participant will get the treatments or use a counterbalanced design.

10. In the counterbalanced design, participants are randomly assigned to systematically varying sequences of conditions to ensure that routine order effects are balanced out.

11. Order effects (often called trials effects) are different from sequence effects. Order effects refer to whether participants respond differently on one trial (e.g., the first) than on some other trial (e.g., the last). Order is a within-subjects factor in a counterbalanced design.

12. Order effects can be detected by looking at the treatment × counterbalancing sequence interaction.

13. Sequence effects refer to whether participants respond differently to getting a series of treatments in one sequence than getting the treatments in a different sequence. For example, the group of participants who get the treatments arranged in the sequence Treatment A, then Treatment B may have higher overall average scores than the group of participants who get the treatments arranged in the sequence Treatment B, then Treatment A. Sequence is a between-subjects factor.

14. A counterbalanced design allows you to assess the effect of (a) the treatment, (b) receiving different counterbalanced sequences of treatments, and (c) order (whether participants respond differently on the first trial than on the last).

15. Because you must include the between-subjects factor of counterbalancing in your analyses, counterbalanced designs require more participants than pure within-subjects designs.

16. If you want to compare two levels of an independent variable, you can use a matched-pairs design, a within-subjects design, a counterbalanced design, or a simple between-subjects design.

17. Mixed designs have both a within- and a between-subjects factor. Counterbalanced designs are one form of a mixed design.

18. Mixed designs should be analyzed with a mixed analysis of variance or a multivariate analysis of variance.
KEY TERMS

mixed designs (p. 465)
matched-pairs design (p. 466)
power (p. 467)
dependent groups t test (p. 471)
within-subjects designs (repeated-measures designs) (p. 474)

order (p. 475)
order (trial) effects (p. 476)
practice effects (p. 477)
fatigue effects (p. 477)
carryover (treatment carryover) effects (p. 477)
sensitization (p. 477)
randomized within-subjects design (p. 481)
counterbalanced within-subjects design (p. 483)
sequence effects (p. 493)

EXERCISES

1. What feature of the matched-pairs design makes it
   a. an internally valid design?
   b. a powerful design?
2. A researcher uses a simple between-subjects experiment involving 10 participants to
   examine the effects of memory strategy (repetition vs. imagery) on memory.
   a. Do you think the researcher will find a significant effect? Why or why not?
   b. What design would you recommend?
   c. If the researcher had used a matched-pairs study involving 10 participants,
      would the study have more power? Why? How many degrees of freedom
      would the researcher have? What type of matching task would you suggest? Why?
3. An investigator wants to find out whether hearing jokes will allow a person to persevere
   longer on a frustrating task. The researcher matches participants based on their reaction to
   a frustrating task. Of the 30 original participants, 5 quit the study after going through the “frustration
   pretest.” Beyond the ethical problems, what problems are there in using a matched-pairs design in this situation?
4. What problems would there be in using a within-subjects design to study the “humor-
   perseverance” study (discussed in question 3)? Would a counterbalanced design solve
   these problems? Why or why not?
5. Why are within-subjects designs more powerful than matched-pairs designs?
6. Two researchers hypothesize that spatial problems will be solved more quickly when
   the problems are presented to participants’ left visual fields than when stimuli are
   presented to participants’ right visual fields. (They reason that messages seen in the left
   visual field go directly to the right brain, which is often assumed to be better at processing spatial information.) Conversely,
   they believe verbal tasks will be performed more quickly when stimuli are presented to
   participants’ right visual fields than when the tasks are presented to participants’ left
   visual fields. What design would you recommend? Why?
7. A student hypothesizes that alcohol level will affect sense of humor. Specifically, the
   student has two hypotheses. First, the more people drink, the more they will laugh at
   slapstick humor. Second, the more people drink, the less they will laugh at other forms
   of humor. What design would you recommend the student use? Why?
8. You want to determine whether caffeine, a snack, or a brief walk has a more beneficial
   effect on mood. What design would you use? Why?
9. Using a driving simulator and a within-subjects design, you want to compare the
   differences between driving unimpaired, driving while talking on a cell phone, and
   driving while legally intoxicated.
   a. Which order effects do you have to worry about? Why?
b. To what degree would counterbalancing solve the problems caused by order effects?
c. How would you try to prevent order effects from harming the validity of your study?

10. A researcher wants to know whether music lessons increase scores on IQ subtests and whether music lessons have more of an effect on some subtests (e.g., more of an effect on math than on vocabulary) than others.
   a. Would you make music lessons a between- or within-subjects factor? Why?

b. Would you make subtests a between- or within-subjects factor? Why?
c. If the researcher did an analysis of variance (ANOVA) on the data, the researcher would obtain three effects. Name those three effects.
d. What effect would the researcher look for to determine whether music lessons increase scores on IQ subtests?
e. What effect would the researcher look for to determine whether music lessons have more of an effect on math subtests than on vocabulary subtests?

WEB RESOURCES

Go to the Chapter 13 section of the book’s student website and
1. Look over the concept map of the key terms.
2. Test your self on the key terms.
3. Take the Chapter 13 Practice Quiz.
4. Download the Chapter 13 tutorial to practice
   a. distinguishing between order and sequence effects
   b. interpreting printouts from within-subjects designs
   c. choosing among designs
5. Do an analysis on data from a within-subjects design using a statistical calculator by going to the “Statistical Calculator” link.
Single-\(n\) Designs and Quasi-Experiments

**Inferring Causality in Randomized Experiments**

- Establishing Covariation: Finding a Relationship Between Changes in the Suspected Cause and Changes in the Outcome Measure
- Establishing Temporal Precedence: Showing That Changes in the Suspected Cause Come Before Changes in the Outcome Measure
- Battling Spuriousness: Showing That Changes in the Outcome Measure Are Not Due to Something Other Than the Suspected Cause

**Single-\(n\) Designs**

- Battling Spuriousness by Keeping Nontreatment Factors Constant: The A–B Design
- Variations on the A–B Design
- Evaluation of Single-\(n\) Designs
- Conclusions About Single-\(n\) Designs

**Quasi-Experiments**

- Battling Spuriousness by Accounting for—Rather Than Controlling—Nontreatment Factors
- Time-Series Designs
- The Nonequivalent Control-Group Design
- Conclusions About Quasi-Experimental Designs

**Concluding Remarks**

- Summary
- Key Terms
- Exercises
- Web Resources
CHAPTER OVERVIEW

To solve real-world problems, applied psychologists must identify the problems’ causes. One powerful tool applied psychologists use to identify causes is the randomized experiment. However, when applied psychologists cannot randomly assign participants to treatment, they turn to two other types of studies: single-
$n$ designs and quasi-experiments. In this chapter, you will learn about these two types of studies and about how they compare to the randomized experiment. After reading this chapter, you will be able to design a study to determine the effect of a real-life treatment.

INFERRING CAUSALITY IN RANDOMIZED EXPERIMENTS

Whether you use a randomized experiment or any other design, you must satisfy three criteria if you are to infer that one variable (e.g., smiling at others) causes a change in another variable (others helping you). Specifically, you must establish

1. covariation (that changes in the treatment are associated with changes in behavior)
2. temporal precedence (that changes in the treatment occur before changes in behavior)
3. that the change in behavior is not due to something other than the treatment

Establishing Covariation: Finding a Relationship Between Changes in the Suspected Cause and Changes in the Outcome Measure

Before you can show that the treatment causes a change in behavior, you must first establish covariation: that changes in the treatment are accompanied by changes in the behavior. Therefore, to show that smiling causes people to help you, you must show that people are more helpful to you when you smile than when you do not.

In the randomized experiment, you would establish covariation by seeing whether the amount of help you received when you smiled was greater than when you did not smile. If the average amount of helping was the same in both groups, you would not have covariation. Because you would not have covariation (variations in smiling would not correspond with variations in helping), you would not conclude that the treatment had an effect. If, on the
other hand, you received more help in the smiling condition than in the no-smile condition, you would have covariation.

**Establishing Temporal Precedence: Showing That Changes in the Suspected Cause Come Before Changes in the Outcome Measure**

Establishing covariation, by itself, does not establish causality. You must also establish temporal precedence: that the treatment comes before the change in behavior. In other words, you must show that you smile at others before they help you. Otherwise, it may be that you react with a smile after people help you. Without temporal precedence, you can’t determine which variable is the cause and which is the effect. Thus, one reason correlational designs fail to establish that changes in the “first” variable caused changes in the “second” variable is that such designs often don’t allow you to know which variable changed first. For example, if we find that successful companies have employees with high morale, we don’t know that high morale causes success: After all, it could be that success causes high morale (Rosenzweig, 2007).

In a randomized experiment, you automatically establish that the treatment comes before the change in behavior (temporal precedence) by manipulating the treatment. You always present the independent variable (smiling) before you present the dependent measure task (giving participants an opportunity to help).

**Battling Spuriousness: Showing That Changes in the Outcome Measure Are Not Due to Something Other Than the Suspected Cause**

In addition to establishing temporal precedence (that the cause came before the effect), you must show that the covariation you observed could be due only to the treatment. Ideally, you would do this by showing that the treatment is the only thing that varies. Therefore, to show that your smiling causes others to help you, you must show that everything—except for your smiling—is the same during the times that you smile and the times that you do not smile.

**The Value of Battling Spuriousness**

It’s difficult to prove that the only difference between the times when you get help and times when you don’t is your smile. But without such proof, you can’t say that your smiling causes people to be more helpful. Why not? Because you might be smiling more when the weather is nice or when you are with your friends. These same conditions (being with friends, nice weather) may be the reason you are getting help—your smile may have nothing to do with it. If you cannot be sure that everything else was the same, the relationship between smiling and helpfulness may be spurious: due to other variables. Because correlational designs do not rule out spuriousness, you can’t use those designs to make cause–effect statements.

**Battling Spuriousness Without Keeping All Nontreatment Variables Constant**

In the randomized experiment, you do not keep everything—except for the treatment variable—constant. There are some nontreatment variables, such as individual differences, that you can’t control. There may be other nontreatment variables that you choose not to control. For example, you may decide to do your experiment in a real-world setting where you can’t keep temperature, noise, and other factors constant.
How do you deal with these nontreatment variables that aren’t being controlled? You use random assignment so that these uncontrolled variables are now random variables. As you will see in the next two sections, there are two advantages of converting nontreatment variables into random variables: (1) Random variables should not influence one group significantly more than another, and (2) statistics can be used to estimate the effects of random variables.

**Random Variables Affect All Groups (Almost) Equally.** One advantage of random assignment is that the nontreatment variables should not substantially affect one group more than the other. Random assignment should spread those variables more or less equally into each of your groups, just as an electric mixer should distribute ingredients fairly equally to both sides of the bowl. With random assignment, your conditions will be equivalent except for the effects of the independent variable and the chance impact of random variables. Therefore, as a result of random assignment, only random variables stand in the way of keeping irrelevant variables constant.

**Statistics Can Help You Estimate the Effects of Random Variables.** If you could remove those random variables, you would be able to keep everything constant, thereby isolating the treatment as the cause of the change in behavior. Unfortunately, in the randomized experiment, you cannot keep nontreatment variables constant, and you cannot remove them. However, you can use statistics to estimate their effects: If the difference between groups is greater than the estimated effects of random variables, the results are declared “statistically significant.”

If you find a statistically significant effect for your treatment variable, you can argue that your treatment variable causes a change in scores on the dependent measure. However, you may be wrong. Even with statistics, you can’t perfectly estimate the effects of random variables 100% of the time. If you underestimate the effects of random variables in your study, then you may falsely label a chance difference as a treatment effect. In technical terminology, you may make a Type 1 error.

Fortunately, before you do the study, you establish what your chances are of making a Type 1 error. Usually, most investigators make the chances of committing a Type 1 error fairly remote. Specifically, most investigators set the probability of mistaking chance variation as a genuine treatment effect at less than 5 in 100 ($p < .05$).

**SINGLE-n DESIGNS**

Can we make reasonable inferences about the causes of an effect without random assignment? Yes. Psychological pioneers such as Wundt, Helmholtz, Ebbinghaus, Fechner, and Skinner often did so by conducting studies that involved intensively studying a single participant.

Although these researchers were intensively studying individual participants, their research did not involve clinical case histories. They did not look back at events that happened in an individual’s life, try to determine that a particular event came before the individual started acting in a certain way, and then trust that no other event could be responsible for the participant acting that way. Instead, these pioneers isolated the cause of the key behavior by controlling the events that occurred in the participant’s life.
To get a general sense of how their approach differs from the case study approach (a detailed description of an individual), consider Skinner’s experimental study of superstitious behavior. Skinner did not find a person who already engaged in superstitious behavior and then try to identify which of the person’s thousands of genes, millions of life experiences, or billions of interactions between events and genes was responsible for the superstitious behavior. Nor did he look for people who claimed to have become less superstitious after an event (e.g., after going through primal scream therapy) and then assume that no other event within the person (becoming more mature) or outside the person (experiencing success) could be responsible for the change.

Instead, in a highly controlled environment (a Skinner box), Skinner induced and then eliminated superstitious behavior. Skinner arranged for a hungry pigeon to receive food “at regular intervals with no reference whatsoever to the bird’s behavior” (Skinner, 1948, p. 168). Skinner was able to induce behavior that could be called superstitious, extinguish such behavior, and recondition it. He also demonstrated that behavior that could be described as superstitious was most likely when there was a 15-second interval between reinforcements. By systematically introducing and withdrawing the treatment, by observing changes in the behavior following changes in the treatment, and by not allowing other changes in the pigeon’s environment, Skinner was able to make a convincing case that the treatment was the cause of the pigeon’s superstitious behavior.

Note that the approach of a single-n researcher such as Skinner is like that of a physicist performing an experiment whereas the approach of a case study researcher is like that of a naturalist observing a rare specimen. Specifically, Skinner and other researchers who use the single-n approach are able to do three things researchers who use case studies cannot (see Table 14.1).

First, Skinner was able to establish covariation because he was able to see how behavior changed as he repeatedly introduced and removed the treatment. Thus, he was able to establish a reliable, coincidence-free connection between the treatment and the superstitious behavior. The case study researcher, on the other hand, does not establish covariation. For example, suppose such a researcher studied the case of a Russian lead brother who allegedly recovered from a mental illness after being thrown into an icy river (Henderson, 1985). Even if the story is true, the researcher has not established a reliable connection between being thrown into a cold river and mental health improvement (just as a reporter who finds a lottery winner has not established a reliable connection between playing Lotto and making money).

<table>
<thead>
<tr>
<th>TABLE 14.1</th>
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<tbody>
<tr>
<td>Designs and Causality</td>
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<table>
<thead>
<tr>
<th></th>
<th>ESTABLISH COVARIATION</th>
<th>MANIPULATE TREATMENT TO ESTABLISH TREATMENT COMES BEFORE EFFECT</th>
<th>RULE OUT OTHER EXPLANATIONS FOR RELATIONSHIP</th>
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</thead>
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<td>Quasi-experimental study</td>
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<tr>
<td>Single-n studies</td>
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</table>
Second, Skinner was able to establish that the connection between rewards and superstitious behavior was a cause–effect connection because he was able to rule out nontreatment factors. By showing that, before he introduced the rewards, the pigeon rarely produced the behavior, Skinner established that he had kept relevant nontreatment factors relatively constant. The case study researcher, on the other hand, cannot rule out the effects of other factors.

Third, Skinner and others can easily replicate (repeat) the study to verify the findings. If skeptical others obtain similar results, we can be more confident of the reliability of the original study’s findings (to learn more about why researchers are skeptical of case studies, see Box 14.1).

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**BOX 14.1**

**Why Case Studies Are Not (Scientifically) Convincing**

<table>
<thead>
<tr>
<th>QUESTION</th>
<th>PROBLEM</th>
<th>EXAMPLE/EXPLANATION</th>
</tr>
</thead>
</table>
| Did it happen?    | Informal observation can be flawed due to     | • Thousands of people have reported seeing aliens.  
|                   | 1. Misperception                             | • People have “observed” that  
|                   |                                               | • rotten food turned into insects;  
|                   |                                               | • the sun revolved around the earth;  
|                   |                                               | • planets had round orbits;  
|                   |                                               | • the earth was flat.  
|                   | 2. Misremembering                            | • People often think they were worse off than they were.  
|                   |                                               | • Nurses “remember” more psychiatric patients being admitted during full moons.  
|                   | 3. Misreporting                              | • Exaggerating or lying about an improvement, especially if the person likes the researcher or therapist. Technically, this is called “obeying demand characteristics.”  
| Does it happen    | We may be unable to replicate a case study,   | • Correlations in psychology are rarely 1.0, meaning that psychological rules have exceptions. Therefore, we do not know whether a case is an example of what typically happens or an example of an exception to the typical case. Thus, psychologists are not convinced by “I know someone who...” evidence.  
| consistently?     | thus making it difficult to know how often   | • If we just looked at people who made the biggest returns on their investments—lottery winners, gamblers, stock market speculators—we would conclude that the way to make money was to take large risks (Rosenzweig, 2007). However, our case study research would be misleading because we would not be looking at all those who lost money on such risky investments. Thus, despite the many cases of people who have won the lottery, no responsible financial consultant would tell a retired person to invest his or her savings in lottery tickets.  
|                   | the event occurs.                            | (Continued)                                                                      |
Why did it happen?

Because there is no control group, we cannot rule out other explanations for the findings, such as

1. Coincidence
   - Psychological problems may appear, disappear, and improve over time. If a treatment is administered during one of these times, the treatment may get credit—or blame—for the change (Painter, 2008). For example, after being subjected to medical treatments now known to be harmful (e.g., having an operation to put asbestos over one’s heart, eating lizard dung), some people get better.
   - One week, you receive an e-mail telling you a stock is going up. It does. The next week, you receive an e-mail telling you another stock is going down. It does. The next week, you receive an e-mail telling you another stock is going up. It does. Although you might be impressed, the “expert” stock picker has used a simple trick. The trick starts by sending out thousands of e-mails, half predicting that a stock will go up, half predicting that a stock will go down. Then, the trickster waits until the stock goes up or down. He doesn’t send any more e-mail to the people to whom he sent the wrong prediction. To the people to whom he sent the correct prediction, he will send half of them a prediction that another stock will go up and the other half a “down” prediction. He repeats this several times. Then, he asks the people to whom he has sent a series of accurate predictions to invest their money with him (Stanovich, 2007). Note that although this dishonest scheme is taking advantage of coincidence, even the success of legitimate investment gurus can be explained by coincidence (Mlodinow, 2008; Whyte, 2005).

2. Researchers unintentionally and nonverbally telling participants what to do.
   - People thought that Clever Hans (“the mathematical horse”) tapped out correct answers to math questions because he knew math. In actuality, he knew body language: He stopped tapping when people stopped looking at his feet.
   - People thought that severely impaired autistic children could communicate complex thoughts using facilitated communication—a technique in which a helper “steadied” their hands as they typed. The effect turned out to be a Ouija board type effect, similar enough to Clever Hans that Wegner, Fuller, and Sparrow (2003), described it as a case of “Clever Hands.”
3. Participant bias

- If people believe that a treatment will work, they will tend to feel better after receiving that treatment. Physicians know the power of the placebo effect.
- Participants may change other behaviors or attitudes when taking the treatment—and those other changes may cause the desired results (Painter, 2008). For example, a person may start taking vitamins and start exercising at the same time, but credit the weight loss to the vitamins rather than to the exercise (Painter, 2008).

Like researchers using experimental designs, researchers using single-\(n\) designs establish that the cause comes before the effect (temporal precedence) by introducing the treatment variable before presenting the dependent measure task. Thus, like a researcher using a randomized experiment, a researcher using a single-\(n\) design would smile at the participant before giving the participant an opportunity to help. Like researchers using experimental designs, researchers using single-\(n\) designs establish covariation by comparing the different treatment conditions (comparing the amount of help received in the smiling vs. no-smiling conditions). However, unlike researchers using experimental designs, researchers using single-\(n\) designs do not rely on randomization and statistical tests to rule out the effects of nontreatment factors (rule out spuriousness).

Instead, the single-\(n\) researcher strives to keep nontreatment factors constant. That is, rather than letting nontreatment factors vary and then statistically accounting for the effects of those variables, single-\(n\) researchers try to stop nontreatment factors from varying, thereby isolating the treatment's effect (see Table 14.2).

**Battling Spuriousness by Keeping Nontreatment Factors Constant: The A–B Design**

To understand how single-\(n\) researchers keep nontreatment factors constant, let’s examine the simplest single-\(n\) design, the A–B design. In the A–B design, as in all single-\(n\) designs, the researcher studies a single participant and tries to make sure that the participant’s behavior on the dependent-measure task occurs at a consistent rate. If we were studying the effects of rewards on how often a chicken pecked at a bar, we would first make sure the chicken was pecking at a constant rate. The process of ensuring that the behavior occurs at a steady, consistent rate is called establishing a stable baseline. This first step, the baseline behavior, is designated as A. Next, the researcher introduces the treatment and then compares posttreatment behavior (B) with baseline behavior (A).
As with all single-\(n\) designs, the A–B design strives to keep everything but the treatment constant. Specifically, the A–B design tries to make sure that differences between the conditions are not due to either of the two basic types of nontreatment variability: (a) between-subjects variability unrelated to the treatment and (b) within-subjects variability unrelated to the treatment.

As with all single-\(n\) designs, the A–B design makes sure that between-subjects variability can’t cause the difference between treatment conditions. The difference between scores in the A condition and the B condition can’t possibly be due to differences between participants because the participant in A was the same individual who was in the B condition.

Within-subjects variability, however, is a problem. An individual’s moods and behaviors may naturally vary from moment to moment. Thus, in a sense, the same participant could be a different participant during the A phase of the study than during the B phase. So, how does the single-\(n\) researcher know that the treatment, rather than natural within-subjects variability, is responsible for the change in the participant’s behavior?

The single-\(n\) researcher is confident that the difference between no-treatment and treatment conditions is not due to random within-subject variability because she has established a stable baseline. The baseline shows that the subject’s behavior is not varying.

But how does a single-\(n\) researcher obtain a stable baseline? To obtain a stable baseline, the single-\(n\) researcher must hold constant all those variables that might affect the participant’s responses.

If the researcher does not know what the relevant variables are, the participant’s environment must be kept as constant as possible. Consequently, the

### Table 14.2

<table>
<thead>
<tr>
<th>Requirement</th>
<th>Randomized Experiments</th>
<th>A–B Single-(n) Design</th>
</tr>
</thead>
<tbody>
<tr>
<td>Temporal Precedence (treatment came before changes in scores)</td>
<td>Introduce treatment before there is a change in the dependent variable.</td>
<td>Introduce treatment before there is a change in the dependent variable.</td>
</tr>
<tr>
<td>Covariation (different treatment conditions score differently on measure)</td>
<td>Observe difference between treatment and control conditions.</td>
<td>Observe difference between conditions A (baseline) and B (posttreatment behavior).</td>
</tr>
<tr>
<td>Accounting for Irrelevant Variables (determining that the change in behavior is not due to nontreatment factors)</td>
<td>1. Use independent random assignment to make sure all irrelevant factors vary randomly rather than systematically. 2. Then, use statistics to account for effects of these random factors. If the difference between groups is greater than would be expected as a result of these random factors, the difference is assumed to be the effect of the one nonrandom, systematically varied factor: the treatment.</td>
<td>1. Eliminate between-subject variables by using only one participant. 2. Control relevant environmental factors. Demonstrate that those factors have been controlled by establishing a stable baseline. Then, introduce treatment. If change occurs, that change is assumed to be due to the treatment.</td>
</tr>
</tbody>
</table>
researcher might perform the study under highly controlled conditions in a soundproof laboratory.

If the researcher knows what the relevant variables are, only the relevant variables need to be kept constant. Thus, if a researcher knew that parental praise was the only relevant variable in increasing studying behavior, the researcher would need to control only that one variable. However, the researcher usually does not know which variables can be safely ignored. Psychology has not advanced to the state where we can catalog what variables affect and don’t affect every possible response.

The researcher looks at the baseline to check whether she has succeeded at controlling key variables. If the baseline is not stable, the researcher continues to control variables until the behavior becomes stable.

But what if a researcher cannot achieve a stable baseline? Then, the researcher planning to use an A–B design has a problem: Changes in behavior that occur after the treatment is introduced may be due to something other than the treatment. Consequently, the researcher might not know whether the change in behavior is due to (a) normal fluctuations in the participant’s behavior or (b) treatment effects.

There is still hope for the researcher who can’t achieve a stable baseline. As you can see from Figure 14.1, if the participants’ behavior changes dramatically after the treatment is introduced, A–B researchers can make a convincing case that the results are not due to normal baseline fluctuations.

Although it is difficult to achieve a stable baseline, we should point out that single-n researchers often do achieve a stable baseline. They are especially successful when they put a simple organism (e.g., a pigeon) in a simple environment (e.g., a Skinner box) and have it perform a simple behavior (e.g., peck a disk).

![Figure 14.1](image-url)

**Figure 14.1** One Behavior Modification Program Appears to Reduce a Client’s Cigarette Smoking

*Note:* In Figure 14-1a, the decrease in cigarettes smoked after the treatment was introduced on Day 7 seems to be due to the treatment. In Figure 14-1b, on the other hand, it is unclear whether the decrease in cigarettes smoked after Day 7 is due to anything more than normal fluctuations in the participant’s behavior.
To this point, you have seen how the single-\( n \) researcher using an A–B design can hold individual difference variables and relevant environmental variables constant. But how does the researcher know that the difference between conditions is not due to *maturation*: natural biological changes in the organism, such as those due to development or fatigue?

The single-\( n \) researcher may limit maturation by choosing an organism that she knows won’t mature substantially during the course of the study. She might use a pigeon or a rat because the extent of their maturation as it relates to certain tasks (bar pressing and pecking) is well documented.

Or, as you will soon see, the researcher may use a design that will allow her to account for maturation. But before looking at a design that accounts for maturation, let’s look at an example of the A–B design.

In an early study of the effects of psychoactive drugs, Blough (1957) wanted to study the impact of LSD on a pigeon’s visual perception. His first step was to place the pigeon in a highly controlled environment—a Skinner box—equipped with a light that lit up a spot.

By varying how bright the light was, Blough could make the spot easier—or more difficult—to see. To determine whether the pigeon could see the spot, the pigeon was conditioned to peck at disk “1” when the spot was visible and to peck at disk “2” when the spot was not visible.

Before Blough administered his independent variable (LSD), he had to make sure that no other variables were influencing the pigeon’s behavior. To do this, he had to keep all the relevant variables in the pigeon’s environment constant. Therefore, he placed the pigeon in the Skinner box and carefully observed the pigeon’s behavior. If he had succeeded in eliminating all non-treatment variables, the pigeon’s behavior would be relatively stable—the relationship between pecking and illumination would be constant. If he had failed, he would have observed erratic fluctuations in the pigeon’s pecking.

Once the pigeon’s behavior was stable, Blough was ready to introduce the independent variable, LSD. After administering the LSD, Blough compared the pigeon’s behavior after the treatment (B), to its behavior before the treatment (A). Blough found that after taking the LSD, the pigeon experienced decreased visual ability. Specifically, the pigeons pecked at disk 2 (cannot see spot) under a level of illumination that—prior to treatment—always led to a peck at disk 1. Because Blough had ensured that nontreatment variables were not influencing the pigeon’s behavior, he concluded that the LSD was the sole cause of the decrease in visual ability.

Blough’s study was exceptional because he knew that the pigeon’s behavior on this task normally wouldn’t change much over time. In studies with other kinds of participants or tasks, the researcher would not know whether participants would change, develop, or learn over time. Therefore, most researchers are not so confident that they have controlled all the important variables. In fact, as you will soon see, researchers know that two potentially important nontreatment variables have changed from measurement at baseline (A) to measurement after administering the treatment (B).

First, because the posttest occurs after the pretest, participants have had more practice on the posttest task. In technical terminology, their improved performance may be due to **testing**: the effects of doing the dependent measure task on subsequent performance on that task. For example, the practice a participant gets doing the task during the A phase may help the participant do better during the B phase.
Second, because the posttest occurs after the pretest, changes from pretest to posttest may be due to maturation. For instance, the participant’s behavior may have changed over time due to fatigue, boredom, or development.

**Variations on the A–B Design**
Because psychologists want to know that their results are due to the treatment rather than to testing or maturation, single-\(n\) researchers rarely use the A–B design. Instead, they use variations on the A–B design such as the reversal design, psychophysical designs, and the multiple-baseline design.

**The Reversal Design: Giving and Taking Away**
In the reversal design, also known as the A–B–A design and the A–B–A reversal design, the researcher measures behavior (A), then administers the treatment and measures behavior (B), and then withdraws the treatment and measures behavior again (A).

To see why the A–B–A design is superior to the A–B design, consider one in a series of classic single-\(n\) studies demonstrating that behavior modification was an effective therapy for patients in mental hospitals (Ayllon & Azrin, 1968). In a mental hospital, Ayllon and Azrin worked with individuals who had been diagnosed as psychotic to see if a token economy was an effective way of increasing socially appropriate behavior. In a typical study, Ayllon and Azrin first identified an appropriate behavior (e.g., feeding oneself). Next, the researchers observed how often a certain patient performed that behavior. This phase of collecting baseline data for a patient could be labeled A. They then attempted to reinforce that behavior with a “token.” Like money, the token could be exchanged for desirable outcomes such as candy, movies, social interaction, or privacy. During the treatment phase (labeled B), Ayllon and Azrin gave the patient tokens for each instance of the socially appropriate behavior and measured the behavior. They found that the patient performed more socially appropriate behaviors after the tokens were introduced. Therefore, a token economy increases socially appropriate behavior, right?

If Ayllon and Azrin’s study had ended here, you could not be confident about that conclusion. Remember, with an A–B design, you don’t know whether a change in behavior is due to maturation, testing, or the treatment.

Fortunately, Ayllon and Azrin expanded the A–B design to an A–B–A design by stopping the treatment while continuing to observe their patient’s behavior. After removing the treatment, the incidence of socially appropriate behavior decreased. Consequently, they were able to determine that the treatment (tokens) increased socially appropriate behavior.

If, after withdrawing the treatment, socially appropriate behavior had continued to increase, they would not have concluded that the increase in socially appropriate behavior was due to the treatment. Instead, they would have concluded that the increase could be due to maturation or testing.

We should point out that the results were not quite as neat as we described. Admittedly, they found that socially appropriate behavior increased when they introduced the tokens and decreased when they stopped giving out tokens. Removing the tokens, however, did not cause the behavior to fall back all the way to baseline levels. Instead, the behavior fell back to near-baseline levels.

If tokens caused the effect, shouldn’t their withdrawal cause the behavior to fall to baseline rather than near baseline? Admittedly, if the dependent
measure (the rate of socially appropriate behavior) returned to baseline level, it would help make the case that the treatment had an effect. However, most behaviors won’t return to baseline after you withdraw the treatment because of:

1. maturation effects
2. testing effects
3. carryover effects: the treatment’s effects persisting even after the treatment has been removed

Because of these three effects, you might be willing to say that the treatment had an effect, even if the behavior did not return to baseline. For example, you might be willing to say that the treatment had an effect if the participant’s behavior was substantially different during treatment phase (B) than during either the pretreatment (A) and posttreatment (A) conditions (see Figure 14.2).

Unfortunately, even if posttreatment behavior returns to baseline, if the effects of practice or maturation are cyclical, your claim that the treatment caused an effect could be wrong. For instance, suppose performance was affected by menstrual cycles. Performance might be good during the pretreatment phase (before menstruation), poor during the treatment phase (during menstruation), and good during the posttreatment phase (after menstruation). Although such an unsteady effect of maturation or testing would be unlikely, it is possible.1

To rule out the possibility that apparent treatment effects are due to some simple cyclical pattern involving either maturation or practice, you might extend the A–B–A design. For example, you might make it an A–B–A–B design. Ayllon and Azrin expanded their design to an A–B–A–B design and

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1 A similar problem could result if the individual you studied regularly went through periods of depression followed by periods of normal mood followed by depression (cyclical depression).
found that reintroduction of the token rewards led to an increase in the socially appropriate behavior.

Expanding beyond even the A–B–A–B design allows you to rule out the possibility of an even more complicated maturational or practice cycle. The more you expand the design, the less likely that maturation or practice would increase performance every time the treatment is introduced, but never increase performance when the treatment is removed. Thus, it would be very hard to describe a cycle of maturation and practice effects that could mimic treatment effects in an A–B–A–B–A–B–A–B–A–B design.

**Psychophysical Designs**

Psychophysical designs extend the A–B–A–B–A design. In psychophysical designs, participants are asked to judge stimuli. For instance, they may be asked to rate whether one light is brighter than another, one weight is heavier than another, or one picture is more attractive than another. The idea is to see how variations in the stimulus relate to variations in judgments. Because the dependent variable is psychological judgment and the independent variable is often some variation of a stimulus’s physical characteristic (loudness, intensity, etc.), the name psychophysics is appropriate.

Because a participant can make psychophysical judgments quickly, a participant in a psychophysical experiment will be asked to make many judgments. Indeed, in a few exceptional cases, participants have been asked to make 67,000 judgments!

With so many judgments, you might worry about maturation effects. Participants might get tired as the research session goes on—and on.

In addition, you might be concerned about treatment carryover effects. Specifically, you might worry that earlier stimuli may affect ratings of later stimuli. Suppose you were rating how heavy you thought a 50-pound weight was. If the last 10 weights you had judged were all about 100 pounds, you might tend to rate 50 pounds as light. However, if the last 10 weights had all been around 10 pounds, you might tend to rate 50 pounds as heavy. Similarly, if you were judging how wealthy a person making $50,000 was, your rating would be affected by whether the previous people you had judged had been multimillionaires or poverty stricken (Wedell & Parducci, 1988).

Because of treatment carryover and maturation, the order of the treatments may affect the results. To deal with potential order effects, researchers often follow the advice of Gustav Fechner—psychophysics’ inventor—by presenting each stimulus more than once and counterbalancing the order in which they present the stimuli. For example, if the researcher was interested in ratings of two stimuli (A and B), the researcher would present Stimulus A before Stimulus B half the time; the other half of the time, Stimulus B comes before Stimulus A. If Stimulus A receives different ratings when it is presented first than when it is presented last, the researchers know there are order effects. However, thanks to counterbalancing, these order effects should not make the average of Stimulus A’s ratings different from the average of Stimulus B’s.

In summary, maturation, testing, and carryover may cause order effects. To deal with these order effects, psychophysical designs often use three techniques:

1. multiple ratings
2. averaging
3. counterbalancing
The Multiple-Baseline Design

Another single-n design that rules out the effects of maturation, testing, and carryover is the multiple-baseline design. In a typical multiple-baseline design, you collect baselines for several key behaviors. For example, you might collect baselines for a child making her bed, putting away her toys, washing her hands, and vacuuming her room. Then, you would reinforce one of those key behaviors. If the behavior being reinforced (putting away her toys) increases, you might suspect that reinforcement is causing the behavior to increase.

Unfortunately, the increase in the desired behavior might be due to the child becoming more mature or due to some other nontreatment effect. To see whether the child’s improvement in behavior is due to maturation or some other nontreatment factor, you would look at her performance on the other tasks. If those tasks are still being performed at baseline level, then nontreatment factors such as maturation and testing are not improving performance on those tasks and are probably also not increasing the particular behavior you decided to reinforce. Therefore, you would be relatively confident that the improvement in putting away toys was due to reinforcement.

To be even more confident that the reinforcement is causing the change in behavior, you would reinforce a second behavior (washing hands) and compare it against the other nonreinforced behaviors. You would continue the process until you had reinforced all the behaviors, hoping to find that when you reinforced hand washing, hand washing increased—but that no other behavior increased. Similarly, when you reinforced tooth brushing, you would hope tooth brushing—and only tooth brushing—increased. If increases in behavior coincided perfectly with reinforcement, you would be confident that reinforcement was responsible for the increases in behavior (see Figure 14.3).

Evaluation of Single-n Designs

You have now examined some of the more popular single-n designs. Before leaving these designs, let’s see how they stand up on three important criteria: internal, construct, and external validity.

Internal Validity

One strategy the single-n researcher uses to achieve internal validity is to keep many relevant variables constant. The single-n researcher holds individual difference variables constant by studying a single participant and may hold environmental variables constant by placing that participant in a highly controlled environment. For example, the single-n researcher may study a single rat pressing a bar inside a soundproof Skinner box.

Like the within-subjects researcher (see Chapter 13), the single-n researcher must worry that the changes in the participant’s behavior could be due to the participant naturally changing over time (maturation) or due to the participant getting practice on the dependent-measure task (testing). Not surprisingly, within-subjects and single-n researchers may adapt similar strategies to deal with the threats of maturation and testing.

Both within-subjects and single-n researchers may try to rule out maturation by keeping their study so short that there is not enough time for maturation to occur. Both may try to reduce the effects of testing by giving participants extensive practice on the task before introducing the treatment,
thereby reducing the chances that participants will benefit from any additional practice they get during the research study.

You don’t have to take the single-\(n\) researchers’ word that participants got enough practice. By showing that the response rate is stable before the treatment is introduced (the stable baseline), single-\(n\) researchers show that neither the practice nor anything else is causing the participant to improve during the latter part of the pretreatment phase.
Like the within-subjects experimenter, the single-
experiment must be concerned about treatment carryover effects. Because of carryover, investigators using an A–B–A design frequently find that participants do not return to the original baseline. These carryover problems multiply when you use more levels of the independent variable and/or when you use more than one independent variable. Because carryover effects are a serious concern, most single-n researchers minimize carryover’s complications by doing studies that have only two levels of a single independent variable. That is, rather than use an A–B–C–D–E–F–G–F–E–D–C–B–A design, most single-n researchers only use A–B–A–B designs. However, as you will soon see, internal validity concerns are not the only reason for simpler designs. Construct validity concerns also lead to choosing simpler designs.

**Construct Validity**

Although there are similarities between the single-n researcher and the within-subjects researcher in how they deal with internal validity concerns, those researchers have even more in common when they attack threats to construct validity (see Table 14.3). For both researchers sensitization (participants figuring out the hypothesis because they have been exposed to several levels of the treatment) poses a serious problem, and both researchers use the same solutions. Specifically, both try to reduce the effects of sensitization by

1. using placebo treatments
2. using very few levels of treatment
3. making the difference between the treatment conditions so subtle that participants don’t realize that anything has changed (such as gradually varying the loudness of a stimulus)

<table>
<thead>
<tr>
<th>TABLE 14.3</th>
<th>Similarities Between Within-Subjects Experiments and Single-n Designs</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>PROBLEM</strong></td>
<td><strong>SINGLE-n EXPERIMENT</strong></td>
</tr>
<tr>
<td>Practice effects may harm internal validity.</td>
<td>Provide extensive practice before introducing treatment.</td>
</tr>
<tr>
<td>Fatigue or maturation may harm internal validity.</td>
<td>Keep study brief.</td>
</tr>
<tr>
<td>Assorted order effects may harm internal validity.</td>
<td>Counterbalance sequence of treatments.</td>
</tr>
<tr>
<td>Carryover effects may harm internal validity.</td>
<td>Use few levels and few variables. Wait a long time between treatments.</td>
</tr>
<tr>
<td>Participants may learn what the study is about (sensitization), thus harming construct validity.</td>
<td>1. Use placebo treatments. 2. Use few levels of treatment. 3. Gradually increase or decrease intensity of treatment.</td>
</tr>
</tbody>
</table>
External Validity

You may be satisfied with both the single-\(n\) design’s internal validity and its construct validity. However, you probably question its external validity because you are concerned about (a) generalizing from a sample of one to most people and (b) generalizing from research conducted in highly controlled circumstances to real life.

To reduce your concerns about generalizing from a single participant, the single-\(n\) researcher would make four points. First, although it is risky to generalize from the sample of one that the single-\(n\) researcher uses, it is also risky to generalize from the nonrepresentative sample that most other experimenters use. If the participants who volunteer for a multiple-participant study are not a representative sample of any recognizable group, it is difficult to argue that such a study has more generalizability than a single-\(n\) study (Dermer & Hoch, 1999).

Second, even if a multiple-participant (multiple-\(n\)) experiment used a representative sample, the results may apply to groups but not to individuals. Just as a study may find that the average American family has 2.2 children even though no individual American family has 2.2 children, multiple-\(n\) experiments may find general truths that do not apply to any individual. For example, suppose that your treatment helps half the people but hurts the other half. Your multiple-\(n\) experiment might find no effect for the treatment (Dermer & Hoch, 1999).

Third, single-\(n\) researchers establish the external validity of their findings by replicating their studies. By demonstrating that the treatment has the same effect on each individual studied, they provide some evidence that the effect generalizes across individuals (Dermer & Hoch, 1999). In contrast, note that replicating a multiple-\(n\) experiment numerous times might fail to establish that the results apply to most people. For example, one could use multiple large random samples to replicate a multiple-\(n\) experiment numerous times, consistently obtain an average treatment effect, and fail to realize that the effect occurred only for certain types of participants.

Fourth, when single-\(n\) researchers investigate universal, fundamental processes, the results obtained from one individual can be generalized to the entire species. For example, the results of classical conditioning experiments performed on a single individual can be generalized to other members of that species.

To reduce your concerns about generalizing from research conducted in highly controlled circumstances, the single-\(n\) researcher would make three points. First, lab studies tend to have excellent external validity (Anderson, Lindsay, & Bushman, 1999).

Second, the setting to which you want to generalize may be just as highly controlled as the lab setting. For instance, you may want to generalize the results to clients in a biofeedback lab.

Third, not all single-\(n\) studies are conducted in lab settings. Many times, the setting is the real world. Single-\(n\) studies have been done in homes, schools, and businesses.

In short, the single-\(n\) design does not get high marks for external validity. However, under some circumstances, the results from a study using a single-\(n\) design may have a high degree of generalizability.
Conclusions About Single-\textit{n} Designs

We have evaluated the single-\textit{n} designs in terms of internal, construct, and external validity. Overall, single-\textit{n} designs, although not possessing the internal validity of a true, randomized experiment, have some internal validity. Generally, single-\textit{n} designs can have adequate construct validity. Thus, often the decision about whether to use a single-\textit{n} design comes down to whether the researcher is worried about external validity. Consequently, single-\textit{n} designs are most useful under two circumstances: (a) when the researcher does not need to show that the results generalize to other individuals and (b) when the researcher can argue that the results from one participant generalize to other individuals.

In some applied situations, the investigator is interested in the causes of one particular individual’s behavior—not in generalizing the results to others. Suppose you were trying to change your own behavior or the behavior of a family pet. Or, suppose a therapist is treating a client and wants to see if the treatment is having a measurable effect on that particular patient. In all these cases, the single-\textit{n} design would be the best way to evaluate the effect of the treatment.

In some situations, generalizing the results from one participant to a larger group may be reasonable. For example, suppose that you want to make statements about fundamental, universal processes that we understand fairly well. Then, according to single-\textit{n} researchers, you should use a single-\textit{n} design. After all, it would be wasteful to study many participants if the treatment has the same effect on everyone. Because all people tend to respond similarly to reinforcements, the single-\textit{n} design is commonly used in behavior modification research. Likewise, because everyone seems to respond similarly to psychophysical manipulations, the single-\textit{n} design is also a popular alternative to the randomized experiment in psychophysical research.

QUASI-EXPERIMENTS

Another popular alternative to the randomized experiment is the quasi-experiment. Like true experiments, quasi-experiments involve administering a treatment. Unlike true experiments, though, participants are not randomly assigned to treatment (Cook & Campbell, 1979).²

Ideally, researchers could determine a treatment’s effect by randomly assigning participants to different treatments. Researchers, however, do not run the world.

People who do run the world usually won’t relinquish their power to researchers. Those in control want to decide who gets which treatment, rather than letting researchers use random assignment to determine who gets which treatment. Judges usually like to decide what sentence to give, rather than leaving it up to random assignment. Parents want to determine whether their children should watch violent television, rather than leaving it up to random assignment. Bosses usually want to choose who gets training. Cable companies

² According to this definition, single-\textit{n} designs are quasi-experiments. However, people usually think of single-\textit{n} designs as being different from quasi-experiments because, relative to other quasi-experiments, single-\textit{n} experiments study fewer participants under more controlled conditions.
probably want to decide who to serve based on geography and income rather than on random assignment.

Even when money and power aren’t issues, some people object that random assignment is not fair. On one hand, this argument seems absurd. What could be fairer than allowing everyone who wants a treatment an equal chance at it? On the other hand, a good case can be made that the treatment should be given to the people who are the most needy or the most qualified.

For a variety of reasons, researchers are often unable to randomly assign participants to condition. Even when researchers can randomly assign, the internal validity of those studies may be weak because the random assignment does not stick (Ehrenberg, Brewer, Gamoran, & Williams, 2001). The random assignment may not stick because

1. participants assigned to receive one condition may get themselves re-assigned so they can receive what they consider the better treatment (e.g., the drug rather than the placebo, the enrichment program rather than the ordinary program)
2. participants drop out of one group much more than another (Ehrenberg et al., 2001)

Even if a researcher finds a situation in which the researcher can (a) randomly assign participants and (b) get the assignment to stick, that situation is probably not typical. Consequently, there may be questions about that field experiment’s external validity (Ehrenberg et al., 2001).

As you have seen, researchers wishing to use random assignment to evaluate the effects of real-world treatments face three problems: (1) the powers-that-be may prohibit the study; (2) participants may reassign themselves to condition, thereby ruining the study’s internal validity; and (3) studying participants who fully cooperate with random assignment may involve studying a nonrepresentative group of participants, thereby harming the study’s external validity. Consequently, when evaluating the effects of many real-world treatments—from therapy, to training programs, to introducing new technology to social programs—using quasi-experimental designs is often the researcher’s best option.

Because quasi-experimental designs are so useful for assessing the effects of real-life treatments, we will devote the rest of this chapter to these designs. We will begin by discussing the general logic behind quasi-experimental designs. Then, we will take a more detailed look at some popular quasi-experimental designs.

**Battling Spuriousness by Accounting for—Rather Than Controlling—Nontreatment Factors**

Like experimenters, quasi-experimenters try to establish temporal precedence by showing that the change in participants occurred after the researchers administered the treatment. Also like experimenters, quasi-experimenters assess covariation by comparing treatment vs. nontreatment conditions. However, unlike experimenters, quasi-experimenters do not rule out spuriousness by randomizing the effects of nontreatment factors and then statistically control for those random effects. Furthermore, unlike single-\(n\) researchers, quasi-experimenters do not rule out spuriousness by keeping nontreatment factors constant.
Identifying Nontreatment Factors: The Value of Campbell and Stanley’s Spurious Eight

The challenge in quasi-experiments is to rule out the effects of nontreatment variables without either the aid of random assignment or the ability to control nontreatment variables. The first step in meeting this challenge is to identify all the variables other than your treatment that might account for the change in participants’ scores. After you have identified those nontreatment factors, you will try to demonstrate that those nontreatment factors did not account for the change in participants’ scores. After you have ruled out all those nontreatment factors, you can argue that your treatment caused the effect.

To identify every possible nontreatment factor that could threaten your study’s internal validity might seem like an unmanageable task. However, Campbell and Stanley (1963) made the task manageable by discovering that all these potential threats to internal validity fall into eight general categories. Thus, rather than dealing with an almost infinite number of specific threats to internal validity, researchers can focus on the following eight general threats to internal validity:

1. **Testing**: apparent treatment effects that are really due to participants having learned from the pretest. For example, practice on the pretest may improve performance on the posttest.
2. **Maturation**: apparent treatment effects that are really due to natural biological changes—from changes due to growing and developing to changes due to becoming more tired or more hungry.
3. **History**: apparent treatment effects that are really due to events in the outside world that are unrelated to the treatment.
4. **Instrumentation**: apparent treatment effects that are really due to changes in the measuring instrument. For example, the researcher may use a revised version of the measure on the retest.
5. **Regression (regression toward the mean, statistical regression)**: apparent treatment effects that are really due to the tendency for participants who receive extreme scores on the pretest to receive less extreme scores on the posttest.
6. **Mortality (attrition)**: apparent treatment effects that are really due to participants dropping out of the study. For instance, suppose that participants who would score poorly drop out of the treatment condition, but not out of the no-treatment condition. In that case, the treatment group would score higher than the no-treatment group, even if the treatment had no effect.
7. **Selection**: apparent treatment effects that are really due to the different treatment groups being different from each other before the study started.
8. **Selection-maturation interaction**: apparent treatment effects that are really due to groups that scored similarly on the pretest naturally growing apart and therefore scoring differently from each other on the posttest.

As you will soon see, the eight threats to validity fall into three general categories. First, there are those environmental and physiological events—other than the treatment—that cause individuals to change. Second, there are errors in measurement that cause changes in individuals’ scores. Third, there are problems related to the fact that treatment and no-treatment groups—because
different individuals are in the two groups—may differ from each other even when the treatment has no effect.

**Three Reasons Individuals Change Even Without Treatment.** The first three threats to validity—testing, maturation, and history—include all the nontreatment factors that can cause individual participants to change. The first two—testing and maturation—are threats we talked about in terms of the single-

\textit{n} design. As you may recall, we were concerned that testing (the participant learning from performing the dependent measure task several times) might cause the participant’s behavior to change between the A and B phases of an A–B design. We were also concerned that maturation (any changes in the participant’s internal, physiological environment, such as changes due to growing old or becoming hungry) might cause the participant’s behavior to change. Maturation is a concern because many conditions improve over time (Painter, 2008). However, because we could isolate the participant from the larger world and could keep the laboratory environment constant, we were—unlike the quasi-experimenter—unconcerned about history (any nontreatment changes in the external environment).

**How Measurement Errors Can Look Like a Treatment Effect.** The next two threats, instrumentation and statistical regression, can cause participants in the treatment conditions to have different scores than they did in the no-treatment condition even though the participants themselves have not changed. With instrumentation, participants are tested with one measuring instrument in one condition and a different measuring instrument in another condition. No wonder their scores are different.

Statistical regression is harder to spot. To understand statistical regression (also called regression and regression toward the mean), remember that most scores contain some random error. Usually, however, random error’s net effect on the overall average score is zero because the scores that random error pushes upward are balanced out by the scores that random error pulls downward.

But what if we select only those participants whose scores have been pushed way up by random error? When we retest them, their scores will go down. Their scores going down might fool us into thinking they had really changed. In fact, all that has happened is that random error isn’t going to push up all these scores again (just as lightning is unlikely to strike the same place twice). Instead, this second time, random error will push some scores up, some scores down, and have almost no effect on the remaining scores.

You might wonder how we could select scores that have been pushed up by random error. One way is to select extreme scores. For example, if we select only those people who got 100% on an exam, we know that random error did not decrease their scores. However, random error (lucky guesses, the scorer failing to see a question that was missed) could have increased those scores. Thus, if we give these people a test again, their scores are likely to go down. This tendency for extreme scorers to score less extremely when they are retested is called regression toward the mean.

Regression toward the mean is a powerful effect. Whether watching a baseball player on a hitting streak (or in a hitting slump), watching the economy, or observing a patient, you will find that extreme events tend to revert back to more normal levels.
Until now, we have talked about factors that could change an individual’s scores. We explained that a participant in the treatment condition may change for reasons having nothing to do with the treatment (maturation, testing, history). We have also talked about how an individual’s score can change, even though the individual doesn’t really change (instrumentation, regression). In some cases, these changes in individual participants’ scores could cause a treatment group to score differently from a no-treatment group.

**Three Differences Between Treatment and No-Treatment Groups That Have Nothing to Do With the Treatment.** Even when the individual scores are accurate and unaffected by treatment-irrelevant influences, the treatment group may differ from the no-treatment group simply because the participants in the treatment group have different characteristics than those in the no-treatment group. The three treatment-irrelevant factors that could cause participants in the treatment condition to systematically differ from participants in the no-treatment condition are mortality, selection, and selection-maturation.

Mortality (attrition) would be a problem if your poor performers may have dropped out of the treatment condition. In that case, your treatment condition scores would be higher than your no-treatment condition scores—even if your treatment had no effect.

Selection would be a problem if you were comparing groups that were different before the study began. As the saying goes, “that’s not fair—you’re comparing apples and oranges.” If your treatment group started out being different from your no-treatment group, the differences between your group’s scores at the end of the study may not be due to the treatment. Therefore, you shouldn’t conclude that the difference in scores between your two groups is due to the treatment. Even if you selected two groups who scored similarly on your measure before you introduced the treatment, you can’t conclude that they would have scored similarly at the end of the study because of selection-maturation interactions: Groups that scored similarly in the pretest may naturally mature at different rates.

**Using Logic to Combat the Spurious Eight**

Once you have identified the threats to internal validity, you must determine which threats are automatically ruled out by the design and which threats you can eliminate through logic (see Table 14.4). Quasi-experimental designs differ in their ability to automatically rule out the eight threats to internal validity. Some designs rule out most of these threats; some rule out only a few. Yet, even with a quasi-experimental design that automatically rules out only a few of these threats, you may occasionally be able to infer causality.

To illustrate the potential usefulness of quasi-experimental designs, we will start by looking at a design that most people would not even consider to be in the same class as a quasi-experimental design: the pretest–posttest design. As the name suggests, you test one group of participants, administer a treatment, and then retest them.

This design does not rule out many threats automatically; hence, its low status as a design. However, because you are comparing individuals against themselves, it does automatically rule out selection and selection-maturation interactions.

Although the pretest–posttest design does not automatically rule out mortality, instrumentation, regression, maturation, history, and testing, you may
still be able to rule out these threats. If nobody dropped out of your study, mortality (attrition) is not a problem. If you were careful enough to use the same measure and administer it in the same way, instrumentation is not a problem. If there were only a few minutes between the pretest and posttest, history is unlikely.

If there were only a few minutes between pretest and posttest, maturation is also unlikely. About the only maturation that could occur in a short period would be boredom or fatigue. If performance was better on the posttest than on the pretest, then you could rule out boredom and fatigue—and thus maturation.

You might even be able to rule out regression. The key to ruling out regression is to realize that regression occurs when extreme pretest scores that were inflated (or deflated) by random error revert back to more average scores on the retest. Therefore, to rule out regression, you need to make the case that random error had not inflated (or deflated) pretest scores by establishing either that

1. your measure was so reliable (so free of random error) that random error would have little impact on pretest scores
2. participants in the study did not have pretest scores that were extreme

<table>
<thead>
<tr>
<th>THREATS</th>
<th>PRECAUTIONS</th>
</tr>
</thead>
<tbody>
<tr>
<td>History</td>
<td>Isolate participants from external events during the course of the study.</td>
</tr>
<tr>
<td>Maturation</td>
<td>Conduct the study in a short period to minimize the opportunities for maturation.</td>
</tr>
<tr>
<td></td>
<td>Use participants who are maturing at slow rates.</td>
</tr>
<tr>
<td>Testing</td>
<td>Only test participants once.</td>
</tr>
<tr>
<td></td>
<td>Give participants extensive practice on task prior to collecting data so that they won’t benefit substantially from practice they obtain during the study.</td>
</tr>
<tr>
<td></td>
<td>Know what testing effects are (from past data) and subtract out those effects.</td>
</tr>
<tr>
<td></td>
<td>Use different versions of the test to decrease the testing effect.</td>
</tr>
<tr>
<td>Instrumentation</td>
<td>Administer same measure, the same way, every time.</td>
</tr>
<tr>
<td>Mortality</td>
<td>Use rewards, innocuous treatments, and brief treatments to keep participants from dropping out of the study.</td>
</tr>
<tr>
<td></td>
<td>Use placebo treatments or subtly different levels of the treatment so that participants won’t be more likely to drop out of the treatment condition.</td>
</tr>
<tr>
<td></td>
<td>Make sure participants understand instructions so that participants aren’t thrown out for failing to follow directions.</td>
</tr>
<tr>
<td>Regression</td>
<td>Don’t choose participants on basis of extreme scores.</td>
</tr>
<tr>
<td></td>
<td>Use reliable measures.</td>
</tr>
<tr>
<td>Selection</td>
<td>Match on all relevant variables.</td>
</tr>
<tr>
<td></td>
<td>Don’t use designs that involve comparing one group of participants with another.</td>
</tr>
<tr>
<td>Selection</td>
<td>Match on all relevant variables, not just on pretest scores. In addition, use tips from earlier in this table to reduce the effects of variables—such as history and maturation—that might interact with selection. In other words, reducing the role of maturation will also tend to reduce selection by maturation interactions.</td>
</tr>
</tbody>
</table>

### TABLE 14.4
Steps Quasi-Experimenters May Take to Minimize Threats to Internal Validity

<table>
<thead>
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</tr>
<tr>
<td></td>
<td>Use reliable measures.</td>
</tr>
<tr>
<td>Selection</td>
<td>Match on all relevant variables.</td>
</tr>
<tr>
<td></td>
<td>Don’t use designs that involve comparing one group of participants with another.</td>
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</tr>
</tbody>
</table>
Thus far, in this particular study, you have been able to rule out every threat except testing—and you might even be able to rule out testing. For instance, if participants did not know they had been observed (e.g., you unobtrusively recorded how long they gazed into each other’s eyes), testing should not be a problem. Or, if you used a standardized test, you might know how much people tend to improve when they take the test the second time. If your participants improved substantially more than people typically improve upon retesting, you could rule out the testing effect as the explanation for your results.

As you have seen, the pretest–posttest design, by itself, has poor internal validity because it automatically eliminates only a few threats to internal validity. But, as you have seen, you may be able to use your wits to rule out the remaining threats and thereby infer causality (see Table 14.5 for a review). Furthermore, as you will soon see, by extending the pretest–posttest design, you can create a quasi-experimental design that eliminates most threats to internal validity—the time-series design.

<table>
<thead>
<tr>
<th>THREAT</th>
<th>HOW TO DEAL WITH IT</th>
</tr>
</thead>
<tbody>
<tr>
<td>Selection</td>
<td>Automatically eliminated because participants are tested against themselves.</td>
</tr>
<tr>
<td>Selection by Maturation</td>
<td>Automatically eliminated because participants are tested against themselves.</td>
</tr>
<tr>
<td>Mortality</td>
<td>Not a problem if participants don’t drop out. Conduct study over short period of time and use an undemanding treatment.</td>
</tr>
<tr>
<td>Instrumentation</td>
<td>Standardize the way you administer the measure.</td>
</tr>
<tr>
<td>Regression</td>
<td>Do not select participants based on extreme scores. Use a reliable measure.</td>
</tr>
<tr>
<td>Maturation</td>
<td>Minimize the time between pretest and posttest.</td>
</tr>
<tr>
<td>History</td>
<td>Minimize the time between pretest and posttest.</td>
</tr>
<tr>
<td>Testing</td>
<td>Use an unobtrusive measure. Have data from previous studies about how much participants’ scores tend to change from test to retest.</td>
</tr>
</tbody>
</table>

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**Time-Series Designs**

Like the pretest–posttest design, the time-series design tests and retests the same participants. However, rather than use a single pretest and a single posttest, the time-series design uses several pretests and posttests. Thus, you could call time-series designs “pre–pre–pre–pre–post–post–post–post” designs.

To illustrate the differences between the pretest–posttest design and the time-series design, suppose you are interested in seeing whether a professor’s disclosures about her struggles to learn course material affect how students evaluate her. Let’s start by examining how you would use a pretest–posttest design to find the effect of such disclosures.

With a pretest–posttest design, you would have a class evaluate the professor before she tells them about her struggles to learn course material. Then, you would have them rate her after she discloses her problems. If you observed a difference between pretest and posttest ratings, you would be
tempted to say that the difference was due to the disclosure. However, the
difference in ratings might really be due to history, maturation, testing, mor-
tality, instrumentation, or regression. Because you have no idea of how much
of an effect history, maturation, testing, mortality, and instrumentation may
have had, you cannot tell if you had a treatment effect.

**Estimating the Effects of Threats to Validity With a Time-Series Design**

What if you extended the pretest–posttest design? That is, what if you had
students rate the professor after every lecture for the entire term, even though
the professor would not disclose her problems with learning material until the
fifth week? Then, you would have a time-series design.

What do you gain by all these pretests? From plotting the average ratings
for each lecture, you know how much of an effect maturation, testing, instru-
mentation, and mortality tend to have (see Table 14.6). In other words, when
you observe changes from pretest to pretest, you know those changes are not
due to the treatment. Instead, those differences must be due to maturation,
testing, history, instrumentation, or mortality.

For example, suppose ratings steadily improve at a rate of .2 points per
week during the 5-week, predisclosure period. If you then found an increase
of .2 points from Week 5 (when the professor made the disclosures about
her problems) to Week 6, you would not attribute that increase to the disclo-
sures. Instead, you would view such a difference as being due to the effects of
history, maturation, testing, or instrumentation. If, on the other
hand, you found a much greater increase in ratings from Week 5 to Week 6
than you found between any other 2 consecutive weeks, you might conclude

<table>
<thead>
<tr>
<th>TABLE 14.6</th>
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</table>
| How Pretest–Posttest Designs and Time-Series Designs Stack Up in Terms of Dealing With
<p>| Campbell and Stanley’s Threats to Internal Validity |
|</p>
<table>
<thead>
<tr>
<th><strong>TYPE OF DESIGN</strong></th>
<th><strong>PRETEST–POSTTEST</strong></th>
<th><strong>TIME-SERIES</strong></th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>THREAT TO VALIDITY</strong></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Selection</td>
<td>Automatically eliminated.</td>
<td>Automatically eliminated.</td>
</tr>
<tr>
<td>Selection × Maturation Interactions</td>
<td>Automatically eliminated.</td>
<td>Automatically eliminated.</td>
</tr>
<tr>
<td>Mortality</td>
<td>Through logic and careful planning, this threat can be eliminated.</td>
<td>Through logic and careful planning, this threat can be eliminated.</td>
</tr>
<tr>
<td>Instrumentation</td>
<td>Through logic and careful planning, this threat can be eliminated.</td>
<td>Through logic and careful planning, this threat can be eliminated.</td>
</tr>
<tr>
<td>Maturation</td>
<td>Problem!</td>
<td>Often, you will be able to estimate the extent to which differences between your groups could be due to maturation.</td>
</tr>
<tr>
<td>History</td>
<td>Problem!</td>
<td>Problem!</td>
</tr>
<tr>
<td>Regression</td>
<td>Problem!</td>
<td>You should be able to determine whether regression is a plausible explanation for the difference between conditions.</td>
</tr>
</tbody>
</table>
that the professor’s disclosures about her struggles to learn course material improved her student evaluations (see Figure 14.4).

**Problems in Estimating Effects of Nontreatment Factors**

Unfortunately, that conclusion could be wrong. Your conclusion is valid only if you can correctly estimate the effects of history, maturation, mortality, testing, and instrumentation during the time that the treatment was administered. On the surface, it seems safe to assume that you can estimate the effects of those variables. After all, for the pretest period, you know what the effects of those variables were. Thus, you may feel safe assuming that the effects of those variables were the same during the treatment period as they were during the pretest period. But this assumption is correct only if the effects of history, maturation, mortality, instrumentation, and testing are relatively consistent over time. In other words, your conclusions about the treatment’s effect could be wrong if there is a sudden change in any one of these non-treatment factors (see Table 14.7).

Sudden changes in these nontreatment factors are possible. As you will see, history and regression tend to produce sudden changes, and the effects of testing, instrumentation, mortality, and maturation are not always slow and consistent across time.

**History.** To see how history could produce a sudden change, imagine just some of the many specific events that could affect performance on the posttest. For instance, ratings of the professor might change as a result of students getting the midterm back, the professor becoming ill, the professor reading a book on teaching, and so on. Unlike the single-$n$ design, the time-series design does not control all these history effects. Indeed, you could argue that the
The time-series design’s lack of control over history, and thus its vulnerability to history, prevents it from reaching experimental-design status.

Although history is the one threat to which the time-series is extremely vulnerable, you can try to reduce its effects. One strategy is to have a very short interval between testing sessions, thus giving history fewer opportunities to have an effect.

In addition to reducing the effects of history, you can also try to do a better job of estimating its effects. One key to estimating history’s effects is to know the past by collecting extensive baseline data. Ideally, you would collect baseline data for several years to help you identify any patterns that might otherwise be mistaken for a treatment effect. For instance, your baseline would alert you to cyclical patterns in student evaluations, such as students being very positive toward the professor during the first 2 weeks of the term, more negative toward the professor after the midterm examination, and then becoming more favorable during the last week of the term. Consulting your baseline data would prevent you from mistaking these cyclical fluctuations for a treatment effect.

Regression. Like the effects of history, regression effects will not change steadily from week to week. After all, regression is due to chance measurement error, and chance measurement error will not change steadily and predictably from week to week. Although you cannot use a time-series design to measure regression’s effect, you can use time-series designs to determine if regression is a likely explanation for your results. Specifically, you should suspect regression if

1. the ratings immediately before the treatment are extremely high or extremely low relative to the previous ratings
2. the posttreatment ratings, although very different from the most immediate pretreatment ratings, are not substantially different from earlier pretreatment ratings

### Table 14.7
Threats to Time-Series Designs

<table>
<thead>
<tr>
<th>Threat</th>
</tr>
</thead>
<tbody>
<tr>
<td>History: By far the most serious threat</td>
</tr>
<tr>
<td>Regression (although you should be able to tell whether regression could be a problem)</td>
</tr>
<tr>
<td>Any other inconsistent effect. Usually, the only inconsistent effects will be history and regression. Usually, maturation, mortality, testing, and instrumentation will have consistent effects that you can estimate. However, if their effect is inconsistent, it could imitate a treatment effect. Thus, the following are possible, but unlikely, threats to a time-series study’s validity</td>
</tr>
<tr>
<td>Inconsistent maturation effects</td>
</tr>
<tr>
<td>Inconsistent testing effects</td>
</tr>
<tr>
<td>Inconsistent mortality effects (if you don’t have any dropouts or if the number of dropouts is consistent throughout the study, you probably don’t have a mortality problem)</td>
</tr>
<tr>
<td>Inconsistent instrumentation effects (if you do your study properly, you shouldn’t have instrumentation effects)</td>
</tr>
</tbody>
</table>
Inconsistent Effects From Threats That Are Often Consistent. The effects of history and regression are difficult to estimate because they are likely to be inconsistent. Although the effects of instrumentation, mortality, testing, and maturation are less likely to be inconsistent, when they are inconsistent, it causes problems.

Inconsistent Instrumentation Effects. If you administered the same rating scale in the same way for the first 5 weeks, your measurements from Weeks 1 through 5 would not be affected by instrumentation. As a result, your estimate for the amount of change to expect between Week 5 and Week 6 would not include any effect for instrumentation. However, suppose that you ran out of copies of the original rating scale during Week 6 and decided, while you were going to the trouble to run off more copies, that you would make some minor corrections to the form. Consequently, you handed out a refined version of your rating scale during Week 6—the same week the professor started telling her class about her struggles to learn course material. In that case, you might have an instrumentation effect that could not have been estimated based upon the previous weeks’ data. Therefore, you might mistake an instrumentation effect for a treatment effect.

Inconsistent Mortality Effects. Similarly, if mortality does not follow a consistent pattern, you might mistake mortality’s effects for treatment effects. For example, suppose that the last week to drop the course was the same week the professor started to tell the class about her problems. In that case, a disproportionate number of students who did not like the professor might drop out during that week. Consequently, the professor’s ratings might improve because of attrition (mortality) rather than because of her disclosures.

Inconsistent Testing Effects. In the study we’ve been discussing, the effect of testing should be gradual and consistent. However, the effect of testing will not be consistent in every study. In some studies, for example, participants will, in a flash of insight, discover the rule behind the task, and, as soon as they discover the rule, their performance increases dramatically.

Inconsistent testing effects are not limited to situations in which participants are aware of having an insight. That is, practice does not always produce steady, continuous improvement. As you know from experience, after weeks of work with little to show for it, you may suddenly improve.

Inconsistent Maturation Effects. Similarly, maturation’s effect may sometimes be discontinuous. For instance, suppose you measure young children every 3 months on a motor abilities test. Then, you expose them to an enriched environment and measure them again. Certainly, you will see a dramatic change, but is this change due to the treatment? Or, is it due to the children jumping to a more advanced developmental stage (for example, learning to walk)?

You cannot escape sudden, sporadic maturation by studying adults. Even in our teacher evaluation study, participants might mature at an inconsistent rate. That is, first-year students might grow up quickly after getting their first exams back, or students might suddenly develop insight into the professor’s teaching style. If this sudden development occurred the same week the professor started to disclose her struggles to learn course material, maturation could masquerade as a treatment effect.
Eliminating, Rather Than Estimating, Threats to Internal Validity

In short, the time-series design can accurately estimate and thus rule out some threats to validity (see Table 14.8), but there are certain effects that it cannot accurately estimate. Therefore, when using a time-series design, do not focus so much on estimating the impact of the eight threats to validity that you don’t try to eliminate those eight threats.

Try to eliminate the threat of instrumentation by using the same measuring instrument each time and administering it the same way. In our student evaluation study, we would give students the same rating scales and the same instructions each time.

Likewise, try to eliminate mortality. If you had students sign their rating sheets, you could eliminate mortality by analyzing data from only those students who had perfect attendance.

If you can’t eliminate a threat, at least try to reduce its effects. Try to reduce the effects of both maturation and history by keeping the interval between pretest and posttest short. Minimize the likelihood of regression effects by choosing the time that you will administer the treatment well in advance—don’t administer the treatment as an immediate reaction to extremely low ratings.

Variations on the Traditional Time-Series Design

Now that you are familiar with the basic logic behind the time-series design, you are ready to see how to extend that design. One simple way of extending a time-series design is to increase the number of pretest and posttest...
measurements you take. Increasing the number of pretest and posttest measurements you take has two advantages.

First, the more measurements you take, the better you should be at estimating the combined effects of maturation, history, mortality, testing, and instrumentation. Thus, you are less likely to mistake these effects for a treatment effect.

Second, the more measurements you have, the less likely it is that an unusual history, maturation, mortality, testing, or instrumentation effect would influence only the one, posttreatment measurement. To illustrate the advantages of having more measurements, suppose you measure student reactions on only the 5th, 6th, and 7th weeks. You administer the treatment between the 6th and 7th weeks. Would it be an unusual coincidence if history, maturation, mortality, or testing had more of an effect between the 6th and 7th weeks than between the 5th and 6th weeks? No—consequently, any of these threats to validity might easily imitate a treatment effect. However, what if you had students evaluate the teacher from Week 1 to Week 12? Then, it would be quite a coincidence for a threat to have an extraordinarily large effect between the 6th (the same week you gave the treatment) and 7th weeks, but not have such an effect between any of the other weeks.

**Reversal Time-Series Designs.** In addition to taking more measurements, you can extend your time-series design by administering and withdrawing the treatment. That is, you can imitate the single-\( n \) researcher’s reversal design.

For example, you might test (pretest), administer the treatment, test again (posttest), withdraw the treatment, and test again. You might even withdraw and introduce the treatment several times.

To see the beauty of this reversal time-series design, imagine that you were able to get increases each time the professor tells her class about her struggles to learn course material, then decreases when she stops talking about her problems, followed by increases when the professor again tells her class about her studying woes. With that pattern of results, you would be confident that the disclosures made a difference.

Despite the elegance of the reversal design, ethical and construct validity problems may prevent you from using it. The ethical problems are the most serious: In some situations, you cannot ethically withdraw the treatment after you have administered it (e.g., psychotherapy, reinforcement for wearing seatbelts).

The construct validity problems can also be serious. Specifically, withdrawing and re-administering the treatment may alert participants to your hypothesis. Consequently, your results may be due to participants guessing the hypothesis and playing along.

To prevent participants from guessing the hypothesis or becoming resentful when you withdraw the treatment, use placebo treatments or multiple levels of the treatment. If you were to use this design for your student evaluations study, you might have a placebo condition in which the professor discloses innocuous facts about studying experiences. Alternatively, you might use several levels of disclosure ranging from innocuous to intimate.

**Two-Group Time-Series Design.** A final way of extending the time-series design is to collect time-series data on two groups. One group, the comparison group, would not get the treatment. The advantage of using a comparison
group is that it allows you to rule out certain history effects. In your disclosure study, the comparison group might be another section of the same professor’s class. If, after the treatment was administered, the ratings went down only in the treatment group, you could rule out general history effects (midterm blues, spring fever) as an explanation of the results.

However, you can’t rule out every history effect because the two classes may have different histories. For example, the afternoon class may be subjected to an overheated classroom whereas the morning class is not.

**The Nonequivalent Control-Group Design**

You do not have to use a time-series design. For example, rather than using a two-group time-series design, you could simply (a) give one group the treatment, then (b) measure both groups. Such a study would be called a nonequivalent control-group design. Essentially, the nonequivalent control-group design is the simple experiment without random assignment.

Because of the nonequivalent control-group design’s similarity to the simple experiment, it has many of the simple experiment’s strengths. For example, because every participant is tested only once, the nonequivalent control-group design, like the simple experiment, is not vulnerable to maturation, testing, or instrumentation. Furthermore, because of the control group, the nonequivalent group design, like the simple experiment, can usually deal with the effects of history, maturation, and mortality.

**The Nonequivalent Control-Group Design Is Extremely Vulnerable to Selection**

Because this design does not use random assignment, the control and treatment groups are not equivalent. Indeed, to make it clear that the control group is not equivalent to the treatment group, some have argued that using the term control group to describe the no-treatment group is inappropriate and should be replaced with the term contrast group (Wilkinson & the Task Force on Statistical Inference, 1999). Because the no-treatment and treatment groups are not equivalent, selection is a serious threat in this design.

**Why Matching Doesn’t Make Groups Equivalent**

To address the selection threat, investigators often attempt either to ensure that each participant in the control group is identical in several key respects to a participant in the treatment group or to ensure that groups have the same average scores on key variables. These key variables may be background variables (age, gender, IQ) that are expected to correlate with scores on the dependent measure or they may be actual scores on the dependent measure (pretest scores).

Although you might think that matching would succeed at making the nonequivalent control group equivalent to the treatment group, realize two important points about matched participants:

1. Matched participants or groups are matched only on a few variables rather than on every variable.
2. Matched participants or groups are not matched on characteristics directly, but on imperfect measures of those characteristics.
You Can’t Match on Everything. Just because two groups are matched on a few variables, you shouldn’t think that they are matched on all variables. They aren’t. The unmatched variables may cause the two groups to score differently on the dependent measure (see Table 14.9).

For instance, suppose you decide to use a nonequivalent group design to test your hypothesis about the effect of self-disclosing problems with learning material. To make the two classes similar, you match the classes on IQ scores, grade point averages, proportion of psychology majors, proportion of females and males, and proportion of sophomores, juniors, and seniors. However, you have not matched them in terms of interest in going on to graduate school, number of times they had taken classes from this professor before, and a few hundred other variables that might affect their ratings of the professor. These unmatched variables, rather than the treatment, may be responsible for the difference between your treatment and control groups.

Because investigators realize that they cannot match participants on every factor that may influence task performance, some investigators try to match participants on task performance (pretest scores). Yet, even when groups are matched on pretest scores, unmatched variables can cause the groups to score differently on the posttest. Just because two groups of students start out with the same enthusiasm for a course, you cannot be sure that they will end the term with the same enthusiasm. For example, one group may end the term with more enthusiasm because that group began the course with a clearer understanding of what the course would be like, what the tests would be like, and how much work was involved. Consequently, although both groups might rate the professor the same at first, the groups may differ after they get the first exam back. For instance, because the naïve group had misconceptions about what the professor’s exams would be like, they may rate the professor more harshly than the experienced group.

### Table 14.9

How Two Nonequivalent Control-Group Designs Stack Up in Terms of Dealing With Threats to Internal Validity

<table>
<thead>
<tr>
<th>THREAT TO VALIDITY</th>
<th>UNMATCHED</th>
<th>MATCHED</th>
</tr>
</thead>
<tbody>
<tr>
<td>Selection</td>
<td>Big problem!</td>
<td>Problem</td>
</tr>
<tr>
<td>Selection × Maturation</td>
<td>Problem</td>
<td>Problem</td>
</tr>
<tr>
<td>Regression</td>
<td>Not a problem</td>
<td>Big problem!</td>
</tr>
<tr>
<td>Mortality</td>
<td>Should not be a problem</td>
<td>Should not be a problem</td>
</tr>
<tr>
<td>Instrumentation</td>
<td>Should not be a problem</td>
<td>Should not be a problem</td>
</tr>
<tr>
<td>Maturation</td>
<td>Automatically eliminated by the design</td>
<td>Automatically eliminated by the design</td>
</tr>
<tr>
<td>Testing</td>
<td>Automatically eliminated by the design</td>
<td>Automatically eliminated by the design</td>
</tr>
<tr>
<td>History</td>
<td>Automatically eliminated by the design</td>
<td>Automatically eliminated by the design</td>
</tr>
</tbody>
</table>
Although this change in student attitudes toward the professor might appear to be a treatment effect, it is not. Instead, the difference between the two groups is due to the groups differing on variables that they were not matched on—and those differences causing the groups to grow apart. Technically, there was a selection by maturation interaction. Because of interactions between selection and other variables, even matching on pretest scores does not free you from selection problems.

What can be done about interactions between selection and other variables? One approach is to assume that nature prefers simple, direct main effects to complex interactions. Thus, if an effect could be due to either a treatment main effect or an interaction between selection and maturation, assume that the effect is a simple treatment main effect. Be aware, of course, that your assumption could be wrong.

If you want to go beyond merely assuming that selection-maturation interactions are unlikely, you can make them less likely by making the groups similar on as many selection variables as possible. You can match the groups not only on pretest scores but also on other variables. With such extensive matching, there would be fewer variables on which the groups differed and, therefore, fewer selection variables to interact with maturation. Hence, you would reduce the chance of selection-maturation interactions occurring.

You have seen that one way to reduce interactions between selection variables and maturation is to reduce differences between groups that might contribute to selection. The other way to reduce interactions between selection and maturation is to reduce opportunities for maturation. After all, if neither group can mature, then you won’t have a selection-maturation interaction. To reduce the potential for a selection by maturation interaction, you may decide to present the posttest as soon after the pretest as possible.

You Match on Measures of Variables—Not on Variables. As you have seen, failing to match on every relevant variable sets you up for selection-maturation interactions. Another problem with matching is that participants must be matched on observed scores, rather than on true scores.

Observed scores are not the same as true scores because observed scores are contaminated by measurement error. As a result of this measurement error, two groups might appear to be similar on certain variables, although they are actually different on those variables.

How can participants score the same on a measure of a variable, but actually be different in terms of that variable? To see how, suppose a researcher wanted to examine the effect of a drug on treating clinical depression. The researcher has received approval and patients’ permissions to give the drug to the 10 individuals at her small psychiatric facility who have been diagnosed with severe depression. However, she realizes that if the participants improve after getting the drug, it proves nothing. Maybe the patients would get better anyway. She wants to have a comparison group that does not get the drug. After getting a phone call asking her to give a guest lecture at a nearby college, she gets an idea. She could use some college students as her comparison group. After testing hundreds of students, she obtains a group of 10 college students who score the same on the depression scale as her group of 10 individuals who are hospitalized for depression.

But are the two groups equal in terms of depression? Probably not. The college student participants’ scores are extremely depressed relative to the
average college student. The fact that the participants’ scores are extremely different from the mean (average) sets up regression toward the mean.

Regression toward the mean occurs because extreme scores tend to have an extreme amount of random error. Thus, when the students are tested again, their scores will be less extreme because their scores will not be as dramatically swayed by random error. On the posttest, the college student participants will probably score more like average college students—less depressed. In this case, because of regression toward the mean, a drug that has no effect may appear to hurt recovery from depression.

How can you stop from mistaking such a regression effect for a treatment effect? One approach is to reduce regression. As we mentioned earlier, there are two ways to reduce the potential for regression effects. First, because regression takes advantage of random measurement error, you can reduce regression by using a measure that is relatively free of random measurement error: a reliable measure. Second, because extreme scores tend to be more influenced by random error than less extreme scores, don’t select participants who have extreme pretest scores.

A trickier approach to combat regression is to obtain results that regression cannot account for. In our depression example, regression would tend to make it look like the college students had improved more than the individuals who were hospitalized for depression. However, if you found the opposite results—the individuals who were hospitalized for depression improved in mood more than college students—regression would not be an explanation for your results. Thus, one approach to eliminating regression is to get results exactly opposite from what regression would predict.

There is no way to guarantee that your treatment’s effect will push scores in exactly the opposite direction of where regression would push scores. Furthermore, even if the treatment effect goes against the regression effect, regression effect may cancel or even overwhelm the treatment effect. That is, even though your treatment had a positive effect, the treatment group’s scores—because of regression—may still decline. When regression and selection by maturation are both pushing scores in the opposite direction of the treatment’s effect, they may overwhelm the effects of even moderately effective treatments.

To illustrate how regression and selection by maturation can hide a treatment’s effect, consider research attempting to determine the effects of social programs. Sometimes researchers try to find the effect of a social program by matching a group of individuals who participate in the program with individuals who are not eligible. For example, researchers compared children who participated in Head Start with an upper-income group of children who had the same test scores. Unfortunately, this often meant selecting a group of upper-income children whose test scores were extremely low compared to their upper-income peers. Consequently, on retesting, these scores regressed back up toward the mean of upper-income children. Because of this regression toward the mean effect, scores in the no-treatment group increased more than scores in the Head Start group.

Not only was regression a problem, but there was also the potential for a selection by maturation interaction—especially for studies that looked for long-term effects of Head Start. Even if the groups started out the same, the upper-income group, because of superior health, nutrition, and schools, might mature academically at a faster rate than the disadvantaged group.
Thus, not surprisingly, some early studies of Head Start that failed to take regression and selection by maturation into account made it look like Head Start harmed, rather than helped, children.

In conclusion, matching is not the perfect solution that it first appears to be (see Table 14.10). Therefore, the nonequivalent control-group design is a flawed way of establishing that a treatment has an effect.

**Conclusions About Quasi-Experimental Designs**

Unfortunately, all quasi-experimental designs are flawed methods of establishing that a treatment caused an effect. Although quasi-experiments ensure temporal precedence and assess covariation, quasi-experiments do not automatically rule out the effects of nontreatment factors. To compensate for the inability of their designs to automatically rule out the effects of nontreatment factors, quasi-experimenters use a variety of tactics.

Quasi-experimenters may combine two quasi-experimental designs, using one design to cover for another’s weaknesses. For example, they may use a time-series design to rule out selection biases and then use a nonequivalent control-group design to rule out history effects.

Quasi-experimenters may also identify a specific threat to their study’s internal validity and then take specific steps to minimize that threat (for a review, see Table 14.4). For instance, they may eliminate instrumentation biases by administering the same measure, the same way, every time.

Finally, they may rule out some threats by arguing that the particular threat is not a likely explanation for the effect. For example, they may argue that mortality was low and therefore not a threat or that pretest scores were not extreme and so regression was not a problem.

When arguing that nontreatment factors are unlikely explanations for their results, quasi-experimenters often cite the law of parsimony: the assumption that the explanation that is simplest, most straightforward, and makes the fewest assumptions is the most likely. Thus, the time-series researcher argues that the simplest assumption to make is that the effects of maturation, instrumentation, testing, and mortality are consistent over time. Therefore, a dramatic change after introducing the treatment should not be viewed as a complex, unexpected maturation effect, but as a simple, straightforward treatment effect.

Clearly, the quasi-experimenter’s job is a difficult one, requiring much creativity and effort. But there are rewards. Quasi-experimenters can often study the effects of treatments that couldn’t be studied with conventional

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**Table 14.10**

Problems With Trying to Make Groups Equivalent by Matching

<table>
<thead>
<tr>
<th>Problem</th>
<th>Implication</th>
</tr>
</thead>
<tbody>
<tr>
<td>You cannot match on all variables.</td>
<td>Selection by maturation interactions possible.</td>
</tr>
<tr>
<td>You cannot match on true scores. Instead, you have to match on observed scores—and observed scores are affected by random error</td>
<td>Regression effects possible.</td>
</tr>
</tbody>
</table>
experimental designs. For example, quasi-experimenters can study treatments that could not—or should not—be randomly assigned, such as the effects of disasters, new laws, new technology, and new social programs. Furthermore, because quasi-experimenters often study real-world treatments, their studies sometimes have more external validity than traditional experiments.

CONCLUDING REMARKS

Quasi-experiments and single-\(n\) designs are extremely useful—if you want to infer that a treatment causes an effect and you cannot use random assignment. If you want to infer causality and you can use random assignment, you should probably use one of the designs described in Chapters 10–13. If you do not want to infer causality, you should use one of the methods discussed in Chapters 7 and 8.

SUMMARY

1. To infer that a treatment causes an effect, you must show that changes in the amount of the treatment are accompanied by changes in participants’ behavior (covariation), that changes in the treatment come before changes in the behavior (temporal precedence), and that nothing other than the treatment is responsible for the change in behavior (the change is not due to spuriousness).
2. By comparing treatment and nontreatment conditions, you can determine whether the cause and the effect covary.
3. When you introduce the treatment, you make sure that the treatment comes before the change in behavior, thereby establishing temporal precedence.
4. Randomization is an effective way of ruling out the likelihood that nontreatment factors may be responsible for the change in behavior.
5. Like randomized experiments, single-\(n\) designs introduce the treatment to ensure temporal precedence and compare conditions to assess covariation.
6. Single-\(n\) researchers try to identify the important, nontreatment variables, and then they try to stop those variables from varying within their study.
7. Single-\(n\) researchers prevent individual difference variables from varying within their study by limiting their study to examining a single participant. That is, differences between subjects (between-subjects variability) cannot make the treatment condition score higher than the control condition because the treatment condition subject and the control condition subject are the same individual.
8. Single-\(n\) researchers may keep many environmental variables constant by keeping the participant in a highly controlled environment.
9. The A–B–A reversal design and the multiple-baseline design are used by single-\(n\) researchers to rule out the effects of maturation and testing.
10. When it comes to construct validity, the single-\(n\) researcher and the within-subjects researcher use very similar approaches. To prevent participants from figuring out the hypothesis, both researchers may use (a) few levels of the independent variable, (b) placebo treatments, and/or (c) gradual variations in the levels of the independent variable.
11. Unlike single-\(n\) researchers, quasi-experimenters cannot keep relevant nontreatment factors from varying.
12. Quasi-experimenters must explicitly rule out the eight threats to internal validity: history, maturation, testing, instrumentation, mortality (attrition), regression, selection, and selection by maturation interactions.
13. Instrumentation can be ruled out by using the same measure, the same way, every time.
14. You can rule out mortality (attrition) threat to your study’s validity if you can prevent participants from dropping out of your study.
15. You can probably rule out regression if participants were not chosen on the basis of their extreme scores or if your measuring instrument is extremely reliable.
16. The time-series design is very similar to the A–B single-n design. The main differences are that the time-series design (a) studies more participants, (b) does not control the variables necessary to establish a stable baseline, and (c) doesn’t isolate participants from history the way the single-n design does. Because of its lack of control over environmental variables, it is vulnerable to history effects.
17. The nonequivalent control-group design resembles the simple experiment. However, because participants are not randomly assigned to groups, selection is a serious problem in the nonequivalent control-group design.
18. Although quasi-experimental designs are not as good as experimental designs for inferring causality, they are more versatile.

**KEY TERMS**

covariation (p. 505) testing (p. 514) pretest–posttest design
temporal precedence (p. 506) reversal design A–B–A design
spurious (p. 506) A–B–A reversal design (p. 515)
single-n design (p. 511) carryover effects (p. 516)
A–B design (p. 511) multiple-baseline design (p. 518)
stable baseline (p. 511) quasi-experiment (p. 522)
baseline (p. 512)
maturation (p. 514)

**EXERCISES**

1. Suppose that the means for the treatment and no-treatment conditions are the same. If so, which requirement of establishing causality has not been met?
2. If the study does not manipulate the treatment, which requirement of establishing causality will be difficult to meet?
3. If participants are not randomly assigned to condition, which requirement for establishing causality will be almost impossible to meet?
4. Compare and contrast how single-n designs and randomized experiments account for nontreatment factors.
5. What arguments can you make for generalizing results from the single-n design?
6. How do the A–B design and the pretest–posttest design differ in terms of
   a. procedure?
   b. internal validity?
7. How does the single-n researcher’s A–B–A design differ from the quasi-experimenter’s reversal time-series design in terms of
   a. procedure?
   b. internal validity?
8. Design a quasi-experiment that looks at the effects of a course on simulating parenthood, including an assignment that involves taking care of an egg, on changing the expectations of junior-high school students about parenting. What kind of design would you use? Why?
9. An ad depicts a student who has improved his grade-point average from 2.0 to 3.2 after a stint in the military. Consider Campbell and Stanley’s “spurious eight.” Is the military the only possible explanation for the improvement?
10. One study found that students who had been held back a grade did worse in school than students who had not been held back. Based on this evidence, some people concluded holding students back a grade harmed students.

a. Does this evidence prove that holding students back harms their performance? Why or why not?

b. If you were a researcher hired by the Department of Education to test the assertion that holding students back harms them, what design would you use? Why?

WEB RESOURCES

1. Go to the Chapter 14 section of the book’s student website and
   1. Look over the concept map of the key terms.
   2. Test yourself on the key terms.
   3. Take the Chapter 14 Practice Quiz.
2. Read the interactive story that reviews different threats to internal validity.
3. Consider an alternative to using quasi-experiments by reading “Web Appendix: Field Experiments.”
Putting It All Together
Writing Research Proposals and Reports

Aids to Developing Your Idea
The Research Journal
The Research Proposal

Writing the Research Proposal
General Strategies for Writing the Introduction
Specific Strategies for Writing Introduction Sections for Different Types of Studies
Writing the Method Section
Writing the Results Section
Writing the Discussion Section
Putting on the Front and Back

Writing the Research Report
What Stays the Same or Changes Very Little
Writing the Results Section
Writing the Discussion Section

Concluding Remarks
Summary
Key Terms
Web Resources
It takes less time to do a thing right than it does to explain why you did it wrong.
—Henry Wadsworth Longfellow

If you fail to plan, you plan to fail.
—W. Clement Stone

CHAPTER OVERVIEW

Your research should be carefully planned before you test your first participant. Without such planning, you may fail to have a clear hypothesis, or you may fail to test your hypothesis properly. In short, poor planning leads to poor execution.

Poor execution can lead to unethical research. At best, it wastes participants’ time; at worst, it harms participants. Therefore, the purpose of this chapter is to help you avoid unethical research by showing you how to plan and report the results of your study. If you follow our advice, your research should be humane, valid, and meaningful.

AIDS TO DEVELOPING YOUR IDEA

In this section, you will learn about two major research tools: the research journal and the research proposal. Many scientists regard the research journal and the research proposal as essential to the development and implementation of sound, ethical research.

The Research Journal

We recommend that you keep a research journal: a diary of your research ideas and your research experiences. Keeping a journal will help you in at least three ways: (1) You’ll have a record of why and how you did what you did; (2) writing to yourself helps you think through decisions; and (3) a research journal can help you prepare your research proposal.

Because the journal is for your eyes only, it does not have to be neatly typed and free of grammatical errors. What is in the journal is much more important than how it is written.

What should you put in your journal? You should jot down every idea you have about your research project. At the beginning of the research process, when you are trying to develop a research hypothesis, use your research journal for brainstorming. Write down any research ideas that you think of and indicate what stimulated each idea. When you decide on a given idea, explain why you decided on that particular research idea. When reading related research, summarize and critique it in your journal. If you do quote any material, be sure to put that material in quotation marks. Otherwise, you will not be able to remember whether you have paraphrased or quoted that material when it comes time to write your paper. Whether you quote, paraphrase, summarize, or critique a source, write down the authors, year,
title, and publisher for that source. This source information will come in handy when you write your research proposal. In short, whenever you have an insight, find a relevant piece of information, or make a design decision, record it in your journal.

To use the information in your journal, you will have to organize it. One key to effective organization is to write down only one idea per page. Another key is to rewrite or rearrange your entries every couple of days. Your goal in rearranging entries should be to put them in an order that makes sense to you. For example, your first section may deal with potential hypotheses, your second section may deal with ideas related to the introduction section of your paper, and your third section may deal with methods and procedures.

The Research Proposal

Like the research journal, the purpose of the research proposal is to help you think through each step of your research project. In addition, the research proposal will let others, such as your professor, think through your research plan so that they can give advice that will improve your study. By writing the proposal, you will have the opportunity to try out ideas and explore alternatives without harming a single participant. In other words, the process of writing the proposal will help you make intelligent and ethical research decisions.

Although the research proposal builds on the research journal, it is much more formal than the journal. When you write the proposal, you will have to go through several drafts. The result of this writing and rewriting will be a proposal that is not only clear, but also conforms in content, style, and organization to the guidelines given in the *Publication Manual of the American Psychological Association* (2001).

We want to emphasize that it is not enough to have good ideas: You must present them in a way that people will receive them. History is full of examples of people who had good ideas but got little credit because they expressed them poorly. Conversely, some people have become famous more for how well they expressed their ideas than for the originality of their ideas.

If you write using American Psychological Association (APA) style, you will have a better chance of expressing your ideas well. Think of APA style as a kind of language that makes it easier for professionals in the psychology field to communicate with one another.

If, on the other hand, you fail to write a research proposal or article that conforms to APA style, most professors will judge the content of your proposal more harshly. They will feel that if you cannot follow that style, you are incapable of doing good research.

To reiterate, following APA format is important. Indeed, one of the best-known professors of research design cites learning APA style as one of the most important things students learn from his design class (Brewer, 1990).

As we have stressed, following APA style will help you communicate the content of your proposal. However, before you worry about how to communicate your content clearly, you need to have content: Style without substance is worthless. The substance of your proposal will be your statements regarding

1. why your general topic is important
2. what your hypothesis is
3. how your hypothesis is consistent with theory or past research
4. how your study fits in with existing research
5. how you define your variables
6. who your participants will be
7. what procedures you will follow
8. how you will analyze your data
9. what implications you hope your results will have for theory, future research, or real life

The research proposal’s substance makes it the foundation for your study, and its substance and style make it the foundation of the final research report. To be more specific, the introduction and the method sections you write for your research proposal should be highly polished drafts of the introduction and method sections of your final report, whereas other parts of the research proposal will serve as rough drafts of the abstract, results, and discussion sections of your final report.

WRITING THE RESEARCH PROPOSAL

Now that you know what a research proposal is, it is time for you to begin writing one. We will first show you how to write the introduction.

General Strategies for Writing the Introduction

The purpose of the introduction is to demonstrate to your readers that you have read the relevant research and thoroughly understand your research question. Once you have articulated the reasoning behind your hypothesis, you will explain your general strategy for testing the hypothesis. After reading the introduction, your reader should know

1. why your research area is important
2. what your hypothesis is
3. why your prediction makes sense
4. why your study is the best way to test the hypothesis

Establishing the Importance of Your Study

Before you can persuade people that your study is important and interesting, you must let them know exactly what concepts you are studying, and then explain why those concepts are important. To establish that your concepts are important, you will probably want to use one of the following three strategies:

1. prevalence: presenting statistical or other evidence of how often people encounter the basic principle or topic
2. relevance: presenting a case study or other arguments to illustrate how the concept has important implications for real life or for testing a theory
3. precedence: demonstrating that the concept has captured the interest of other researchers

Demonstrate the Concept’s Prevalence. One strategy for showing that your study is important is to show that your general topic area is a common part of real life. Sometimes, authors boldly assert that the phenomenon they are
studying is common. For example, authors may write “____ is a part of everyday life” or “People are bombarded with ____.”

Rather than asserting “Most people have experienced ____,” you might document the prevalence of the concept by presenting statistical evidence. Thus, if you were studying widowhood, you might present statistics on the percentage of people who are widowed. In the absence of statistics, you could use quotations from influential people or organizations (e.g., the American Psychological Association) to stress the prevalence of your concept.

Demonstrate the Concept’s Relevance to Real Life. Rather than emphasizing the concept’s prevalence, you might emphasize its relevance. For example, you might stress the practical problems that might be solved by understanding the concept. Alternatively, you might demonstrate the problem’s relevance by presenting a real-life example of your concept in action. Giving an example of the concept is a very good way to both define the concept and provide a vivid picture of its importance at the same time.

Demonstrate Historical Precedence. Finally, you might show that there is a historical precedence for your study. You could emphasize the great minds that have pondered the concept you will study, the number of people through the ages who have tried to understand the behavior, or the length of time that people have pondered the concept. Normally, you will also want to show that the research topic has—or should have—been important to both researchers and theorists.

Writing the Literature Review

One way of establishing historical precedence is to summarize research done on the topic. In addition to helping the reader understand your research question, citing research shows the reader that the field considers your general research area important. That is, if the field did not consider these concepts important, investigators would not be researching these areas, and their findings would not be published. Thus, it is not uncommon for introductions to include statements such as, “The focus of research for the past 20 years . . .” or “Historically, research has emphasized. . . .”

However, even if you do not use the literature review to establish the importance of the general concepts, you will still want to write it to show how your particular study fits in with existing work. In other words, although you can select one of many ways to show that your general concepts are important, the only way to show that your particular research study is important is to write a literature review. Hence, all introductions should contain a literature review.

Goals of the Literature Review. Because the literature review is designed to sell your particular study, you need to do more than merely summarize previous work. You must also use the summary to set the stage for your study. You will do so by showing that your study (a) corrects a weakness in
previous research or (b) builds on and extends previous research. In short, you need to make the reader feel that there is a need for your research.

**Deciding Which Research to Review.** We have addressed the goals of the literature review. You know why you should review the literature. Now, let’s talk about what you will review. Instead of reviewing informal sources such as magazine articles and people’s personal websites, you will review either printed or online versions of journal articles (see Web Appendix B to learn how to find articles to review). When citing research reported in scholarly journal articles, your focus will usually be on reviewing recent research. However, you may also review one or two older, classic works as well as recent research. Critiquing—rather than merely summarizing—the articles you cite will show that you have thought about what you have read. By analyzing the strengths and weaknesses of a number of articles, you will establish that you have done your homework.

Although critiquing these journal articles may establish you as a scholar, realize that your goal is not simply to establish your credibility. Instead, your primary goal is to show how your study follows from existing research.

You may feel that these two goals (establishing your expertise versus showing that your study follows from existing research) conflict. On the one hand, you want to establish that you know what you are talking about. Therefore, you may feel that you should cite all research ever done in the field. On the other hand, you want to use the literature review to set up your research study. In that case, you want to cite and analyze only those studies that bear directly on your study. To help you resolve the apparent conflict between these two goals, we offer two tips.

First, realize that your main goal is to set up your study. Thus, you will be offering in-depth critiques of only those studies that directly apply to your study.

Second, realize that introductions begin by talking about the general area and then focus on the specific research question. Thus, you should cite classic research that establishes the importance of your general topic. However, if those classic findings are only indirectly related to your work, you should probably cite them only in your first paragraph.

Not knowing what to include in a literature review is one of the two main problems students have in writing the literature review. The other problem is that their literature review often seems disorganized.

If you are going to write an organized literature review, you must start organizing before you start writing. Begin by grouping together the studies that seem to have something in common. If you have summaries of all your studies on large index cards, you might find that you have the following four stacks of cards:

1. a stack that emphasizes the importance of the general concept
2. a stack that deals with problems with previous research
3. a stack that deals with reasons to believe that your hypothesis will not be supported
4. a stack that deals with reasons to believe that your hypothesis will be supported
Alternatively, you may find that you have three piles:

1. a stack that deals with how to measure your outcome variable
2. a stack that deals with studies that obtained a certain finding
3. a stack that deals with studies that obtained the opposite finding

Regardless of the specific content of your stack, the fact that you have stacks shows that you have some way of organizing the studies. Now, you have to convert those organized stacks into an organized literature review. Your first step is to turn each stack into a paragraph.

To help convert these piles into meaningful paragraphs, write a sentence summarizing what all the cards have in common. Each stack’s sentence could be the topic sentence for a paragraph, with the rest of the stack providing evidence and citations for the statements made in that sentence (Kuehn, 1989).

Once you have finished a draft of your literature review, read it aloud. After fixing problems you find as you read the literature review aloud, outline it. Then, rate your literature review on the following five-point scale:

1. Very few recent journal articles are cited.
2. Enough reports of original research are cited, but the articles are not clearly summarized.
3. Enough articles are cited and articles are clearly summarized, but a reader might not understand either (a) why those articles are being cited or (b) why they are being cited in that order.
4. Enough recent articles are cited, and articles are either (a) integrated with other summaries or (b) critiqued.
5. Enough recent articles are cited and articles are both (a) integrated with other summaries and (b) critiqued.

Note that your literature review should do more than evaluate other people’s work: It should also set the stage for your study. For example, the measure you praise will be in your study; the manipulation you attack will not. Your literature review should do such a good job of setting the stage for your study that just from reading your literature review, a clever reader could guess what your hypothesis is and how you plan to test it.

However, you won’t make readers guess the rationale for your hypothesis and for your study. After summarizing the relevant research, spell out the reasoning that led to your hypothesis so clearly that your readers will know what your hypothesis is before you actually state it.

**Stating Your Hypothesis**

Even though your readers may have guessed your hypothesis, leave nothing to chance: *State your hypothesis!* To emphasize a point that can’t be emphasized enough, state your hypothesis boldly and clearly so that readers can’t miss it. Let them know what your study is about by writing, “The hypothesis is. . . .”

When you state your hypothesis, be sensitive to whether you’ll be testing it with an experiment or with a correlational study. Because only experiments allow you to test cause–effect hypotheses, your hypothesis should include the word causes (or synonyms for causes, such as affects, impacts, influences, leads to, and makes) only if you plan to conduct an experiment. If you don’t plan on directly manipulating your predictor
variable, you have a correlational study and therefore can test only whether two or more variables are related. Thus, if you were surveying people about their lifestyles and moods, your hypothesis should not be “A sedentary lifestyle causes depression” but rather “A sedentary lifestyle is related to depression.”

**Review of the Basic Elements of an Introduction**

We have given you some general advice about how to write an introduction—an important section that will probably be between one-fourth and one-third the length of your final paper. You have seen the importance of clearly defining your concepts, critically summarizing research, carefully explaining the reasoning behind your hypothesis, and stating your hypothesis. Because of the importance of summarizing research, explaining the reasoning behind hypotheses, and stating hypotheses, you are probably not surprised to find that some authors include subheadings such as “Overview of Past Research,” “Theoretical Background,” and “Hypotheses” (sometimes labeled “Predictions”) in their introductions. Although you do not need to include such subheadings, you should outline your introduction, and your outline should incorporate headings such as “Overview of Past Research,” and “Hypotheses.”

**Specific Strategies for Writing Introduction Sections for Different Types of Studies**

Although most introductions follow the same general outline, the specific way you justify your study will depend on the kind of study you are doing. In the next section, you will learn how to justify six common types of studies:

1. exploratory
2. direct replication
3. systematic replication
4. conceptual replication
5. replication and extension
6. theory testing

**The Exploratory Study**

In introducing an exploratory study—a study investigating a new area of research—you must take special care to justify your study, your hypothesis, and your procedures. You must compensate for the fact that your reader will not have any background knowledge about this new research area.

**New Is Not Enough.** Because of the lack of research in the area, you will not be able to use the common strategy of showing that your topic is important by showing that it has inspired a lot of research. Although you will be able to show that your research area has been ignored, that will not be enough to justify your study: Many research areas (e.g., the psychology of tiddlywinks) have been ignored for good reasons. To justify your study, you must convince your readers that it is a tragedy that your research question has been overlooked. Make them believe this wrong must be righted to help psychology advance as a science.

One approach you can use to justify your exploratory study is to discuss hypothetical or real-life cases that could be solved or understood by answering
your research question. For example, consider how Latané and Darley (1968) opened their pioneering work on helping behavior. Not only did they state that there was a lack of research on helping behavior, but they also bolstered their research justification by referring to the case of murder victim Kitty Genovese. Ms. Genovese was brutally attacked for more than 30 minutes in the presence of more than 30 witnesses—none of whom intervened. Thus, Latané and Darley effectively convinced readers that understanding why people fail to help is an important research area.

To reiterate, your first step in justifying an exploratory study is to show that the area is important. Once you have convinced your readers, you can further excite them by emphasizing that you are exploring new frontiers.

**Spell Out Your Reasoning.** In an exploratory study, as in all studies, you must spell out the rationale for your hypothesis. Because you are studying an unexplored dimension, you must give your readers the background to understand your predictions. Therefore, be extremely thorough in explaining the logic behind your predictions—even if you think your predictions are just common sense. Not everyone will share your opinion.

Beyond spelling out the common sense logic of your prediction, try to explain how your prediction is consistent with (a) theory and (b) research on related variables. For example, suppose you are interested in seeing how low-sensation seekers and high-sensation seekers differ in their reactions to stress. You might argue that your hypothesis is consistent with arousal theory—the theory that we all have an ideal level of arousal (Berlyne, 1971). That is, you might argue that high-sensation seekers like stress because it raises their arousal up to the optimal level, whereas low-sensation seekers hate stress because it raises their arousal beyond the optimal level.

In addition to—or instead of—using theory to support your hypothesis, you could use research on related concepts. Thus, in our example, you might start by arguing that introversion–extroversion and sensation-seeking are related concepts. Then, you might argue that because introversion and sensation-seeking are related, and because stress has different effects on introverts and extroverts, stress should also have different effects on low-sensation seekers vs. high-sensation seekers.

**Defend Your Procedures.** In addition to explaining your predictions, you may have to take special care in explaining your procedures. If you are studying variables that have never been studied before, you can’t tell the reader that you are using familiar, well-accepted measures and manipulations. Instead, you may have to invent—and justify—your own measures and manipulations. Therefore, you will need to explain, either in the introduction or in the method section, why your manipulations and measures are valid.

**The Direct Replication**

Rather than doing a completely original exploratory study, you may decide to do the opposite. That is, you may decide to do a direct (exact) replication: a repetition of an original study. Before doing a direct replication, you must be very clear about why you are repeating the study. If you are not careful, the reader may think you performed the study before you realized that someone else had already done the study. Even if you do spell out why you repeated
the study, some journal reviewers will find the fact that you did a direct replication a legitimate reason to reject the paper for publication (Fiske & Fogg, 1990). However, you can use a two-pronged strategy to persuade people that your study is worth doing.

**Document the Original Study’s Importance.** First, to justify a direct replication, you should show that the original study was important. To do this, discuss its impact on psychology. To get some objective statistics about the number of times the study has been cited, you can use Google Scholar or the Social Science Citation Index, both of which are described in Web Appendix B.

**Explain Why the Results Might Not Replicate.** After establishing the study’s importance, try to convince your readers that the study’s results might not replicate. There are basically four arguments you can make in support of the idea that the findings won’t replicate.

1. The findings appear to contradict other published work.
2. The original study’s statistically significant results may be a Type 1 error (mistaking a coincidence for a reliable relationship; declaring a chance difference statistically significant).
3. The original study’s null results (failure to find significant results) may be a Type 2 error (a failure to find a real relationship).
4. People or times have changed so much from when the original study was performed that a replication would produce different results.

Perhaps the strongest argument you can make for replicating the study is to show that the findings appear to contradict other published work. The more you can make the case that other findings directly contradict the findings of the study you wish to replicate, the stronger the case for a replication.

One reason that the original study may be inconsistent with other published work is that the statistically significant result in the original study could be the result of a Type 1 error. Thus, if you showed that the original study’s results would not have been significant at the conventional $p = .05$ level or that the authors used an unconventional statistical technique that inflated their chances of making a Type 1 error, you would have a strong case for replicating the study.

But what if the original study reported nonsignificant (null) results? Then, you could argue that random error or poor execution of the study may have hidden real differences. That is, you could argue that the null results were due to a Type 2 error. If the original study’s findings seem to conflict with several other published papers that did find a significant relationship between those variables, you have a compelling rationale for replicating the study.

If you can’t reasonably argue that the original results are due to either a Type 1 or Type 2 error, you still might be able to justify a direct replication on the grounds that the study would come out differently today. For example, you might want to replicate a conformity study because you believe that as a result of cohort differences in parenting style, teenagers today are less conforming than teenagers were when the original study was conducted. Regardless of what approach you take, you must present a compelling rationale for any study that is merely a rerun of another study.
The Systematic Replication

Rather than repeating the study, you might conduct a **systematic replication**: a study that makes a minor modification of the original study. The systematic replication accomplishes everything the direct replication does and more. Therefore, every reason for doing a direct replication is also a reason for doing a systematic replication. In addition, you can justify a systematic replication by showing that modifying the procedures would improve the original study’s power (ability to find relationships), construct validity, or external validity.

**Improved Power.** As we mentioned earlier, if you thought the original study’s null results were due to Type 2 error, you could just redo the original study. However, if you just repeat the study, you may just repeat its Type 2 error. Therefore, instead of repeating the original study, you might make a minor change in procedure to improve power. For example, you might use more participants, more extreme levels of the predictor/independent variable, or a more sensitive measure (e.g., replacing yes/no questions with *strongly agree, agree, neutral, disagree,* and *strongly disagree* questions) than the original study used.

**Improved Construct Validity.** You might also want to modify the original study if you thought that the original study’s results were biased by demand characteristics (clues that suggest to the participant how the researcher wants the participant to behave). Thus, you might repeat the study using a double-blind procedure (making sure that neither the participant nor the person who has direct contact with the participant knows what type of treatment the participant has received) to reduce subject and researcher bias.

**Improved External Validity.** If you are replicating a study to improve external validity, you should explain why you suspect that the results may not generalize to different stimulus materials, levels of the treatment variable, or participants. For example, even if it seems obvious to you why a study done on rats might not apply to humans, spell out your reasons for suspecting that the results wouldn’t generalize.

The Conceptual Replication

Most of the reasons for conducting a systematic replication are also relevant for introducing and justifying a **conceptual replication**: a study that is based on the original, but uses different methods to better assess the true relationships between the variables being studied. In addition to having the same advantages as the systematic replication, the conceptual replication has several other unique selling points, depending on how you changed the original study.

**Using a Different Measure.** Your conceptual replication might differ because you used a different way of measuring the dependent measure than the original authors did. In that case, you should show that your measure is more reliable, sensitive, or valid than the original measure. To make the case for your measure, you may want to cite other studies that used your measure. As in the legal arena, precedent carries weight in psychology. If someone else
published a study using a given measure, the measure automatically gains some credibility.

**Using a Different Manipulation.** Instead of trying to use a different measure of a construct, you might want to use a different manipulation of a construct. For example, if one researcher induced stress in participants by suggesting that they would get painful electric shocks, you might decide to replicate the study, but induce stress by giving participants a very short period of time to do certain mathematical problems. If you use a different manipulation, you should start by defining the variable you are trying to manipulate. Next, you should discuss weaknesses of previous manipulations. Then, show how your manipulation avoids those weaknesses. Conclude by showing that your manipulation is consistent with definitions of the concept you are trying to manipulate.

**Using a Different Design.** If you are changing the original study’s design, let your readers know why you are making the change. For example, suppose you believe that the original study failed to find a significant effect because it used a relatively low powered design: a between-subjects experiment that compared a treatment group to a no-treatment group. If you are repeating the study using a more powerful design—a within-subjects (repeated measures) experiment that compares each participant’s response in the treatment condition to that participant’s response in the no-treatment condition—tell your readers that you switched to a within-subjects design to boost your chances of finding a significant effect.

**The Replication and Extension**

Your study may go beyond a conceptual replication by looking at additional factors or measures. In that event, your introduction would not only contain everything a conceptual replication would, but also a rationale for the additional factors or measures.

**Rationale for Additional Factors.** For example, suppose the original author found that people loaf when working in groups. You might think of a situation (e.g., a group in which all members were good friends) in which social loafing wouldn’t occur. Thus, you might include friendship as a factor in your design. Be sure to state (a) your reasons for including the factor and (b) your predictions regarding the factor.

**Rationale for Additional Dependent Measures.** Instead of adding a predictor/independent variable to a study, you might add an outcome/dependent measure. Your purpose would be to discover how the treatment produces the effect. In other words, you are trying to show that a certain mental or physiological reaction is both (a) triggered by the treatment and (b) the mediating mechanism by which the treatment has its effect on behavior.

How would you go about finding out the invisible processes underlying an observable effect? In a social-loafing experiment, you might collect measures of participants’ perceptions of others to find out the cognitive processes responsible for social loafing (such as perceptions that their efforts are not being noticed). Or, you might monitor arousal levels in an attempt to
discover the physiological reasons for social loafing (e.g., lower physiological arousal in a group setting). However, even if you found that working in a group reduced arousal or changed perceptions, you could not say that these changes, in turn, caused the loafing.

Not surprisingly, then, the tricky part about writing an introduction to a process study is to persuade your readers that you really are going to be able to pin down the underlying causes of a phenomenon. You must do more than merely show that these processes occur before the phenomenon occurs because these processes could be incidental side effects of the treatment. For instance, a fever may appear before you get ill—and may intensify as you get ill—but a fever doesn’t cause you to be ill. It’s a side effect of your illness. In the same way, a mental or physiological event may accompany a change in behavior but not be the cause of that behavioral change.

Critics usually will not accept evidence that the treatment had certain effects on a physiological or mental process as proof that the treatment works by altering that process. Instead, the proof some want is more direct: Show that the treatment doesn’t work the same way when you mess with the process the treatment is supposedly manipulating (Sigall & Mills, 1998).

To show how clever some of these process-testing experiments can be, pretend that you and a friend are participants in the following experiment (Steele, Southwick, & Critchlow, 1981). Participants in your condition are asked to write an essay favoring a big tuition increase. According to dissonance theory, you will

1. feel unpleasant tension after writing this essay
2. reduce this tension by being less opposed to tuition increases

As dissonance theory would predict, you now are less opposed to tuition increases. But did you feel that unpleasant tension, and did you change your attitudes as a way to reduce that unpleasant tension? In other words, was dissonance the mediating mechanism for your attitude change?

To find out, let’s look at participants in your friend’s condition. Those participants also received the treatment. That is, like you, they wrote an essay favoring a big tuition increase. Unlike you, however, the experimenter set it up so that your friend and people in your friend’s condition did not experience prolonged unpleasant tension after writing the essay. Specifically, the researcher set it up so that right after writing the essay, participants in your friend’s group thought they had finished the dissonance study and were now participating in an unrelated study that involved judging beverages. Actually, that “study” was just a way of getting your friend and the other participants in that condition to drink alcohol without realizing that the researchers were using alcohol to reduce any unpleasant arousal (dissonance) caused by writing an essay that disagreed with their attitudes.

Consistent with the researchers’ predictions, the effect of preventing that group from feeling dissonance was to prevent attitude change: People in the alcohol condition did not change their views about tuition increases. This study provides strong evidence that having people write counterattitudinal essays has its effect by creating unpleasant tension that people try to reduce. (For more about how to test hypotheses involving mediating variables, see Chapter 3.)
In summary, you can extend an existing study by adding measures or manipulations. Such extensions may provide insights into how a treatment has its effect. When proposing such a study, remember that you must (a) justify why you are adding the measure or manipulation and (b) explain your predictions regarding the additional measure or manipulation.

**The Theory-Testing Study**

If you are testing a prediction from a theory, there’s good news and bad news. The good news is that you won’t have to spend much effort justifying your study’s importance. Almost everyone assumes that testing a theory is important.

The bad news is that not everyone will agree that your predictions follow from the theory. To convince them, you must clearly spell out how your predictions follow from the theory. By being clear, everyone will follow your logic, and some may even agree with it.

**Writing the Method Section**

You have reviewed the literature, developed a hypothesis, decided how to measure your variables, and stated your reasons for testing your hypothesis. Your preliminary work, however, is still not done. You must now decide exactly what specific actions you will take. In other words, although you probably have decided on the general design (e.g., a simple experiment), your plan is not complete until each detail of your study has been thought through and written down.

In your journal, specify exactly what procedures you will follow. For example, what instructions will participants be given? Who will administer the treatment? Where? Will participants be run in groups or individually? How should the researcher interact with participants? Although your answers must be accountable to issues of validity, your paramount concern must always be ethics. You do not have the right to harm another.

Once you have thoroughly thought out each step of your study, you are ready to write the method section of your proposal. This is the “how” section—here you will explain exactly how you plan to conduct your study. However, keep in mind that—just like the introduction—the method section is written on two levels. As you will recall, at one level, the introduction summarizes existing research; at another level, it sells the need for your study by pointing out deficiencies in existing research. Similarly, at one level, the method section tells the reader what you are going to do; at another level, it sells the reader on the idea that what you plan to do is the correct thing.

To sell the reader on what you plan to do, tell your reader about the wise design choices you have made. Thus, in the method section, point out that your measure is valid, that your manipulation is widely accepted, or that you are doing something a certain way to reduce demand characteristics, researcher biases, random error, or some other problem.

In short, selling the value of a research strategy is a never-ending job. If possible, you should sell your strategy in each of the method section’s subsections.

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1 When writing your paper, please label this section “method” rather than “methods.”
The method must include two subsections: a participants section and a procedure section. However, it may include overview, design, apparatus, materials, manipulations, and dependent measures subsections.

**Participants**

In the participants section, you will describe the general characteristics of your participants. State how many participants you plan to have, how many will be men, how many will be women, their ages, and how you plan to obtain or recruit them. You should also indicate whether they will be tested individually or in groups. If they will be tested in groups, you should state the size of the groups. If you plan to exclude data from some participants, state the rule that you will use to exclude participants (such as excluding all participants who score above 16 on the Beck Depression Inventory).

The participants section is written in a straightforward and somewhat mechanical fashion. In fact, it is so mechanical that you can often model yours after a participants section you find in an article or after the following sample participants section.

*Participants*

The participants will be 80 introductory psychology students (52 men and 28 women) from Clarion University who will be given extra credit for their participation. Participants will be run individually and will be randomly assigned to experimental condition.

However, you should be aware of two serious problems with copying or paraphrasing parts of articles that convey approximately what you want to say.²

First, you may end up committing plagiarism: using someone else’s words, thoughts, or work without giving proper credit. Plagiarism is considered a serious act of academic dishonesty. Indeed, at some institutions, students convicted of plagiarism are expelled. Furthermore, concerns about plagiarism are no longer limited to colleges and universities. More and more, the world economy is based on information. Thus, more and more, businesses and individuals are concerned about the theft of ideas (now called “intellectual property”). Therefore, if you quote someone’s work, use quotation marks; and if you paraphrase or in any sense borrow an idea from a source, cite that source.

Second, you will rarely find a section that says exactly what you want to say. So, rarely copy things word for word. For example, do not copy our sample participants section verbatim. Instead, create one that best describes how participants will be recruited and assigned in your study.

**Design or Design Summary (Optional)**

Like the participants section, the design section is easy to write. Merely describe the design of your study. For an experiment, state the number of levels (values) of each independent (treatment) variable and whether the independent variable is a between-subjects variable (each participant gets only one level of the variable) or a within-subjects variable (each participant gets all

² We thank an anonymous reviewer for noting these problems.
the levels of the variable that are used in the experiment). Then, tell the reader what the dependent variable (measure) is. For example, you might write, “The design is a 2 (source expertise: nonexpert vs. expert) × 2 (information type: unimportant vs. important) between-subjects design. The dependent measure is the number of items recalled.”

**Apparatus and Materials (Optional)**

Apparatus refers to laboratory equipment—not computers you will use to type up instructions or copiers you will use to duplicate materials. If you are not using equipment to present stimuli or to collect responses from participants, you do not need an apparatus section.

You can describe laboratory equipment in an apparatus section or in the procedure section. If you plan to use equipment made by a company, list the product’s brand name and the model name and/or number. If you designed your equipment, briefly describe it. You need to give enough detail so that readers will have a general idea of what it looks like. If your apparatus is unusual, include a photo or diagram of it in the appendix.

If you are showing participants photographs, having them listen to a tape, or giving them a booklet of tests, you may need a materials section. If all your materials are measures, you may label your materials section “Measures”; if they are all tests, you may label your materials section “Tests.” If your tests and questionnaires are straightforward or well-known, you may decide to embed your description of them in the procedure section rather than in a separate section.

If you used a test or questionnaire, provide at least one example of a typical item. This gives readers a feel for what the participants will see. In addition, if the measure has been published, reference the source of the measure. Finally, include a copy of your test or questionnaire in the appendix.

**Procedure**

As the name suggests, your procedure section will be a summary of what you actually are going to do. However, contrary to what the name suggests, the focus is on what happens to participants. Readers should be able to visualize what it would be like to be a participant in your study. Note how the sample paper (Appendix B) does a good job of showing what happens from the participants’ perspective.

Like the authors of the sample paper, you can make it easy for readers to make a movie in their head of what happened to participants. Just use these two tactics:

1. Start with the first thing that happened to the participants, then discuss the second thing that happened to participants, and continue in chronological order, so that the last part of the procedure deals with the last thing that happened to participants.
2. Keep the focus on participants by making the word “participants” the subject of most sentences. That is, most sentences should deal with what participants do or see.

In addition to having trouble figuring out how to sequence and present information about procedures, beginning authors have trouble with what to put in and what to leave out of the procedure section. They know they are
supposed to provide enough information so that a reader could replicate (repeat) the study, but they still ask, "How much detail should I include?"

To help you answer this question, we offer five suggestions.

First, be sure to include enough information so that the reader will understand how you operationalized your independent and dependent variables. To help the reader understand your independent variable manipulation, include key elements of instructions to participants, especially when the experimental group receives different instructions from the control group. To help the reader understand the dependent measure, introduce it in a simple and straightforward manner (e.g., "The dependent measure was . . . ").

Second, include any methodological wrinkles that you believe are critical to the study’s internal, external, or construct validity. For example, if you used a placebo treatment or double-blind procedures to reduce bias, tell the reader.

Third, read the procedure sections of several related studies and mimic their style—but avoid plagiarism. Reading these sections will show you how to provide your readers with the right level of detail—enough so they could replicate the study, but not so much that they feel overwhelmed.

Fourth, leave out most of the “behind the scenes” details about events that participants don’t see. Don’t write, “Booklets were made by cutting sheets of paper in half, typing them up on a computer, and then using a copier” and don’t name the people who took care of those details. Statements such as “Tom randomly assigned participants to groups” or “Our nice secretary copied the booklets” do not belong in the method section. Send those people a card, thank them when you win an Academy Award, or acknowledge their contribution in the Author Notes section of your paper—just keep their names out of the method section.

Fifth, don’t worry if your procedure section seems too brief. You can include your complete protocol (detailed list of what the researchers said and did) in the appendix of your proposal.

**Writing the Results Section**

In a proposal, you may not have a results section. After all, because the study hasn’t been done, there are no results to report. Thus, your professor may advise you to replace the results section with a “Design and Data Analysis” section or even skip the section entirely.

If you do have a results, data analysis, or related section, the main goal is to show that you would know how to code and analyze participants’ responses. As was the case with the method section, your goal is not only to tell the reader what you are going to do, but also to sell the reader on the idea that you are doing the right thing. Thus, it is important to be clear about not only what analysis you are going to do, but why. Ideally, your proposal should answer four questions:

1. What data will be analyzed? That is, how will a participant’s response be converted into a score?
2. What statistical test will be used on those scores?
3. Why can that statistical test be used? Thus, you might show that the data meet the assumptions of the statistical test or you might cite a text or article that supports the use of the test under these conditions.
4. Why should the analysis be done? Usually, you will remind the reader of the hypothesis you want to test. To emphasize the value of the analysis, you may want to describe what results of that analysis would support your hypothesis and what outcomes would not. You might even—with your professor’s permission—plug in imaginary outcomes of your study to give the reader a concrete example of how your proposed analyses will help test your hypotheses.

To illustrate how a results section might accomplish these goals, study the following sample results section:

**Results**

I will sum participants’ responses to the two 5-point altruism items to come up with an altruism score for each participant that will range from 2 (*very low*) to 10 (*very high*). Those scores will be subjected to a $2 \times 2$ between-subjects analysis of variance.

I hypothesize that mood will affect altruism. If the results turn out as I predict, positive-mood participants will score significantly higher on my altruism scale than negative-mood participants. This significant main effect would indicate support for the hypothesis that mood influences altruism. Furthermore, I also predict a significant mood by arousal interaction. Analyses of simple main effects will show that negative-mood participants who are in the high-arousal condition will score lower on altruism than negative-mood participants in the low-arousal condition. In contrast, positive-mood participants in the high-arousal condition will score higher on altruism than positive-mood participants in the low-arousal condition.

As you can see, the results section shows the reader what data will be put into the analysis, what analyses will be done, and what results from the analyses will support the hypotheses.

**Writing the Discussion Section**

Once you have decided how you will analyze your data, you are ready to discuss how you will interpret them. By referring back to both the literature you discussed in the introduction and the arguments you made there, you should be able to address two key questions:

1. What would be the implications for interpreting existing theory and research if your hypothesis is supported?
2. What would be the implications if the results don’t support your hypothesis?

In addition to addressing these two key questions, the **discussion** is the place to present the limitations of your study, to speculate about what research should be done to follow up on your study, and to discuss the practical implications of your study.

Writing this section is difficult because you do not know how the study will turn out. Probably the easiest thing to do is to imagine that your study turned out as you expected. In that case, your discussion can be primarily a rehash of the introduction.

To be more specific, your discussion should probably devote a paragraph to at least four of the following six points:
1. relating the predicted results to the hypothesis ("Consistent with my predictions, . . .")
2. relating the predicted results to previous research and theory discussed in the introduction ("This study joins others in showing . . ." or "The findings are consistent with ___ theory.")
3. discussing the limitations of the study ("However, because the current research is only correlational, one cannot say that the variables are causally related" or "The results may not generalize to noncollege students.")
4. discussing future research that would build on the present study ("Future research might consider testing the generality of this effect.")
5. discussing practical or theoretical implications of the research findings
6. summarizing the importance of remembering or building on the study’s major findings ("To summarize, I found that the effectiveness of rewards depended on the participant’s personality. This finding suggests that teachers should not use salient rewards on intrinsically motivated students. Furthermore, in light of these findings, learned industriousness theory must be revised. In short, this research takes a step toward better understanding creativity.")

Almost all authors devote the first paragraph of the discussion to the first of these six points (relating the results to the hypothesis). In fact, you will often see the first sentence of the discussion has both the words support and hypothesis in it. Similarly, almost all authors devote the second paragraph to the second of these points (relating the predicted results to previous research and theory discussed in the introduction). However, authors vary in how much they discuss the remaining four points.

Sometimes, authors use subheadings to signal which of the remaining four points they will highlight. Thus, if you browse discussion sections, you will see subheadings such as "Comparisons With Previous Research," "Limitations of the Current Study," "Suggestions for Future Research," "Implications," and "Concluding Remarks."

Do you need to have a separate paragraph for all six of these paragraphs? No. Usually, the content and organization of your discussion will be fine as long as you

1. connect your discussion to your introduction
2. explain how your study will contribute to existing knowledge
3. outline it

**Putting on the Front and Back**

You’ve written the introduction, method, results, and discussion sections. Now it’s time to return to the beginning of your proposal. Specifically, it’s time to type the title page and the abstract.

**Title and Title Page**

The title is the first thing readers will see; therefore, it should be simple, direct, and informative. Ideally, your title should be a brief statement about the relationship between your predictor/independent and criterion/dependent variables.
Avoid being too cute or obscure. If there is some catchy saying that you must include, use a colon and add a subtitle (e.g., “The Effect of Eating Sugar on Anxiety: A Bittersweet Dilemma”).

The title should appear centered on a separate piece of paper. One double-spaced line below the title, center your name. For more information about typing and formatting the title page, see Appendix A.

The title should also appear, centered, at the top of the first page of your introduction. Thus, for the introduction, the title takes the place of the heading “Introduction.”

Abstract
Once readers have read your title, they will continue to the next section—the abstract: a short, one-paragraph summary of your research proposal.

According to Jolley, Murray, and Keller (1992), most abstracts are organized around six sentences:

1. the general research topic (For example, “Love is a common topic in popular music.”)
2. the number of participants and their treatment
3. how the dependent measure will be collected (“Participants will fill out the Reuben Love–Like Scale 10 min after receiving the treatment.”)
4. the hypothesis (“The hypothesis is that listening to love ballads will raise scores on the Love–Like Scale.”)
5. the main results—those that relate to your hypothesis (Include this in your final research report, not in the proposal.)
6. the implications of your results (a sentence or two at the end; this miniature version of your discussion section might read something like, “The findings call into question ___ theory’s assumption that _____” or “The results suggest that future research needs to address whether __ interacts with ____.”)

References
Now that you have the title and abstract written, it’s time to compile your reference list. To help you organize your references, we suggest you write each reference on an index card and alphabetize the cards. If you have more than one reference for an author, put the cards for that author in chronological order (from oldest to most recent). By writing references on cards before you type them, you reduce the chances of making two common errors: (a) not including all your references (which can lead to charges of plagiarism), and (b) not typing all your references in alphabetical order. (However, if you have all your references in one electronic file, you can compile and alphabetize your references without index cards.)

Once you have your references organized, you need to format them in APA style. The easiest way to do that is to use the reference section of the sample paper (Appendix B) as a model. Thus, if you need to write the reference for a journal article with two authors, follow the example of the sample paper’s first reference.

One problem with using any model is that you may think you are doing what the model is doing when you aren’t. To make sure that you are following the model in the sample paper, check your references page against the
reference checklist in Appendix A. (For more specifics about how to reference, see this chapter’s website.)

**Author Note**

The Author Note starts on the page after the references. It begins with the centered heading: Author Note. In the first paragraph, put your name followed by a comma, then your school’s name followed by a period. In the next paragraph, thank anyone who helped you with the study or with the paper. In the final paragraph, tell readers where to write you. To write an Author Note, follow the example in the sample paper (Appendix B) and check your Author Note against the Author Note checklist in Appendix A.

**WRITING THE RESEARCH REPORT**

If you wrote a research proposal, much of the work on your research report already has been done. Essentially, your research proposal was the first draft of your research report. The next few pages will help you convert that first draft into a polished, complete research report.

**What Stays the Same or Changes Very Little**

The title page and references from your proposal can be transferred to your research report without any changes. However, you will need to make minor changes to the introduction, method, and abstract.

You need to revise your introduction so that you describe what you did (past tense) rather than what you plan to do (future tense). For example, you no longer plan to test the hypothesis that X causes Y; instead, you tested the hypothesis that X caused Y.

Whereas you had to make only one change to the introduction, you will need to make three changes in the method section. First, you will need to change the method section to reflect any changes you made in how you conducted the study. Usually, the procedures you initially proposed are not the ones you end up following. Sometimes, after reading your proposal, your professor will ask you to make some modifications. Sometimes an ethics committee may mandate some changes. Often, after testing out your procedures on a few participants, you will make some changes so that the actual study will run more smoothly.

Second, you probably will have to make some minor changes in the participants section. Prior to running the study, you can rarely anticipate who your participants will be and how many you will have to exclude.

Third, you need to rewrite the method section in the past tense. In the proposal, you told readers what you were going to do; in the report, you tell them what you did.

Like your method section, your abstract needs only minor modifications. Specifically, you need to add a sentence to describe the main results, a sentence to discuss the implications of those results, and you need to check that the participant and procedure information are still accurate.

Unlike the minor changes you made to the abstract, introduction, and method, you will have to make major changes to the results and discussion sections before you can include them in your final report. Because these two
sections change the most from proposal to final report, the rest of this chapter will be devoted to them.

**Writing the Results Section**

There are two main purposes of the results section: (a) to show the reader that you competently analyzed the data, and (b) to tell the reader what you found. To accomplish these goals, you will report from one to five kinds of results:

1. results describing the distribution of participants’ scores
2. results supporting the validity of your measure
3. results of the manipulation check
4. results relating to your hypothesis
5. other statistically significant results

**Results Describing the Distribution of Scores**

At the beginning of your results section, you might include a subsection that describes the distribution of scores on your dependent variable. Thus, you might give the mean and the standard deviation (or range) of scores.\(^3\) For example, you might report, “The scores on the measure were normally distributed (\(M = 75\), range = 50–100).”

Most authors do not include a section that describes the distribution of scores. If you do include such a section, it probably will be for one of the following five reasons:

1. to make a case that the sample is representative of some population by showing that the scores are very similar to the population’s distribution of scores
2. to argue that your data meet the assumptions of the statistical tests by showing that the scores were normally distributed or that the different groups had the same variances
3. to show that your data had to be transformed or that the data could not be analyzed by a certain statistical test because the data were not normally distributed
4. to argue that there should be no problems due to ceiling effects, floor effects, or restriction of range because there was a wide range of scores and those scores were normally distributed
5. to emphasize descriptive statistics that are of interest in their own right, as would be the case if reporting the percentage of the sample who had married before the age of 20

**Results Supporting the Measure’s Validity**

Like the section describing the distribution of scores, the section supporting the measure’s validity often is omitted. If you are using an accepted, validated measure, you probably will omit this section. If you choose to include this section, you probably will stress the results that emphasize the measure’s

\(^3\)If the data are not normally distributed, you may want to provide a graph of the raw scores.
1. test–retest or alternate-forms reliability, indicating that the measure is not unduly influenced by random error, as shown by participants getting the same score from one day to the next (for more on test–retest reliability, see Chapter 5)

2. interobserver reliability, indicating that the measure is objectively scored, as shown by different observers giving the participants the same scores (for more on interobserver reliability, see Chapter 5)

3. internal consistency, indicating that the items of a test or subscale are all measuring the same thing, as shown by people who score high on a characteristic according to one question on the test also scoring high on that characteristic according to other questions on the test (for more on internal consistency, see Chapter 5)

Results of the Manipulation Check

If you used a manipulation check, you should put these findings near the beginning of the results section. Although these results usually will be statistically significant and unsurprising, it is important to demonstrate that you manipulated what you said you would manipulate. Thus, reporting the outcome of your manipulation check is a good lead into discussing results relating to your hypothesis: Once you have shown the reader that you manipulated the variable you planned to manipulate, the reader is ready to know whether that variable produced the effects you expected.

Results Relating to Your Hypothesis

Your results section does not have to describe the distribution of scores, provide evidence for the validity of the measure, or describe the results of a manipulation check. However, it must describe the results relating to the hypothesis. In writing the results section, your main goal should always be to make it very easy for your readers to know how the hypothesis did.

To make it easy for readers to know how the hypothesis fared, tell your readers what the hypothesis was and whether it was supported. Then, use descriptive statistics (usually averages like means) and the results of the statistical test to link the results to the hypothesis. For example, if your hypothesis was that people who own cats are more likely to hug their children, report what the data said about this hypothesis: “The hypothesis that people who own cats would be significantly more likely to hug their children was supported. Cat owners hugged their children on the average 4.6 (SD = 1.6) times a day per child, whereas people who did not own cats hugged their children on the average 2.3 (SD = 1.5) times a day, \( F(1,64) = 18.2, p < .05. \)”

Other Significant Results

After reporting results relating to your hypothesis (whether or not the results were significant), you should report any other statistically significant results. Even if the results are unwanted and make no sense to you, significant results must be reported. Therefore you might report: “There was an unanticipated relationship between gender of the child and cat ownership. Parents of girls owned more cats (\( M = 2.0, SD = 1.0 \)) than parents of boys (\( M = 1.0, SD = 1.8 \)), \( F(1,64) = 20.1, p < .05. \)”
Four Tips That Will Help You Write the Results Section

Although you now know what a results section is, you may not believe that you know enough to write a decent one. To write a good results section, you need to realize that the goal of the results section is to help the reader understand what you found. To help your reader understand what you found, we offer four tips: (1) start off simply, (2) explain what you are doing, (3) use means or other summary statistics to make the pattern of your results more concrete, and (4) focus on your hypothesis.

Tip 1: Start Off Simply. Sometimes, beginning writers lose their audience at the very beginning of the results section. To avoid that problem, start out simply and slowly. You might begin the section by just explaining what the scores meant. Your goal would be to give the reader some sense as to what a participant who had a low score did differently than a person getting a high score.

What if the meaning of the scores is too obvious? Or, what if you explained how scores were computed in the method section? Then, you might start the results section with a simple analysis. For example, you might discuss results relating to the degree to which the different coders coded the data similarly (e.g., “Raters agreed 98% of the time”). Or, you might discuss other results that should be predictable and easy to understand, such as the results of the manipulation check (e.g., “As predicted, the attractive (M = 7.2) pictures were rated as more attractive than the unattractive (M = 2.1) pictures, t(28) = 81.2, p < .05”).

When discussing a set of analyses, one strategy is to start off by discussing simple findings and then moving to more complex findings. For example, report relationships between a treatment and the outcome variable (e.g., main effects) before discussing how that relationship is moderated by another variable (e.g., interactions involving that main effect). Another strategy is to discuss general findings before moving to more specific findings. Thus, you might first report that the treatment had an effect (e.g., by reporting the results of the overall F test) before talking about which particular groups differed from each other (e.g., by reporting the results of more specific follow-up tests).

Tip 2: Don’t Report Results—Analyze Them. Do not, however, merely report results. That is, do not, in effect, shove the results of the computer printout in the reader’s face and say “Here, see if you can make sense of this!” Instead, follow our second tip, which is to give the reader your analysis of the results.

Your analysis will not include every statistic the computer generated. Instead, you will give the reader only those statistics that make a point.

In addition to giving the reader an analysis only if the analysis makes a point, you will tell the reader what the point is. The reader should not be left wondering, “Why is she telling me this?” For example, if you are doing an analysis to see whether your manipulation check worked, you will let the reader know by writing something like, “As a check on the attractiveness manipulation, I conducted a t test on participants’ ratings of the pictures. As predicted, the attractive (M = 7.2) pictures were rated as more attractive than the unattractive (M = 2.1) pictures, t(28) = 81.2, p < .05.” To further
help the reader realize the purpose of the analysis, you might even label that subsection “Attractiveness Manipulation Check.”

**Tip 3: Use Summary Statistics to Make the Findings More Concrete.** Note that as we focused on telling the reader the general purpose and outcome of the analysis, we also presented the specific means for each group. By supplementing the general, abstract information (e.g., one group scored significantly higher than the other group) with specific, concrete information (the actual means), we went beyond giving the reader a general idea of what we found to letting the reader actually see what we found. Therefore, make your results section easier to understand by supplementing the results of statistical tests with the relevant means, frequencies, correlations, or other summary statistics.

**Tip 4: Focus on the Hypothesis.** The fourth, and most important tip, is to ask the question, “After reading the results section, will the reader know whether the results supported the hypothesis?” One way to determine whether you have achieved this goal is to ask a friend to read your results section. See whether your friend can answer these five questions:

1. What was the hypothesis?
2. Was the hypothesis supported?
3. What statistical test was used to find this out?
4. What were the results of that test (value of the statistic and the probability value, or \( p \) value: the chances of obtaining this pattern of results if only chance were at work)?
5. Did the averages (or some other summary statistic, such as percentages) for the different conditions help you understand whether the prediction was supported? If not, would a table or graph make things clearer?

By focusing on helping the reader understand whether the results supported the hypothesis, you will end up doing many of the things that we just suggested. You will leave out information that is irrelevant and distracting. You will include all information that helps the reader understand the results section such as what the scores represent, why the analysis is being done, and what the analysis shows.

**Conclusions About Writing the Results Section**

In short, you should try to make your results section as clear and understandable as possible. If you focus your results section on your hypothesis and have empathy for your reader, you should be able to write an understandable and useful results section.

**Writing the Discussion Section**

If the results matched your predictions, the discussion section you wrote for your proposal might work as the discussion section for the final report. However, there are two reasons why it will probably have to be substantially modified. First, it is unlikely that you will get exactly the results you expected. Second, during the course of conducting the research or writing the paper, you probably will think of problems or implications that you did not think of when you wrote your proposal.
As you revise the discussion section, realize that although you are making a case, you should argue like an impartial judge who has come to certain conclusions after carefully weighing all the evidence rather than like a crusading attorney who is trying to prove a point. In presenting your arguments, be sure to take the following seven steps:

1. Briefly review the research question or hypothesis.
2. Briefly summarize the results, relating them to the hypothesis.
3. Interpret the results in light of the arguments made in your introduction.
4. Acknowledge alternative explanations for your results, trying to dismiss these alternatives, if possible.
5. Discuss unexpected findings, and speculate on possible reasons for them.
6. Discuss, in general terms, future research. What would you do if you were to follow up on this research (Assume and had an unlimited budget)? Follow-up research might focus on improving the methodology of your study, exploring unexpected findings, trying to rule out alternative explanations for your findings, testing the generality of your findings, looking for practical implications of the findings, looking for variables that might have similar effects, or looking for mental or physiological factors that mediate the observed relationship.
7. Discuss the practical or theoretical implications of your findings.

Once you have written your discussion section, you are nearly finished. However, you will need to write several drafts before you have a paper that meets APA’s requirements for style and format. To meet APA standards, your paper must be clear and well organized. It must be free of grammatical errors, spelling errors, biased language, wordiness, and informal language. Fortunately, your computer’s spelling and grammar checker can help you catch and fix spelling errors, typographical errors, and grammatical errors, as well as problems due to using sexist or overly informal language (for specific advice on how to use your computer to edit your paper, see the Chapter 15 section of this text’s student website). To edit your paper so that it conforms to APA format, check your “next-to-final draft” against the checklist in Appendix A. In addition, make sure that your paper matches the format of the model paper in Appendix B.

CONCLUDING REMARKS

If you carefully followed the advice in this book, you should have just completed a carefully planned, meaningful, and ethical research project. Congratulations—and best wishes for your continued success as a researcher!

SUMMARY

1. The research journal and proposal will help you plan and conduct ethical and valid research.
2. The research proposal is more formal than the research journal and should conform to style described in APA style.
3. In the introduction of your proposal, you need to summarize and critique relevant research. This critique should set up the reasons you
think that your hypothesis (a) will be supported, (b) should be tested, and (c) should be tested the way you are going to test it.

4. In the introduction, state your hypothesis, explain why your predictions make sense, and explain why your study will provide a valid test of your hypothesis.

5. Before writing the method section, you should carefully plan out each step of your study.

6. Once you have planned out every detail of your study, you should formalize your plan in the method, results, and discussion sections in your proposal.

7. The method section is the “how” section in which you explain how you plan to conduct your study and why you are going to do it that way.

8. In the proposal’s results section, you will discuss how you plan to analyze your results.

9. In the discussion section, you will explore the implications of your anticipated research findings for theory, future research, or real life.

10. Once you finish the body of the proposal, write the abstract (a brief summary of the proposal), the title page, and the reference section. Much of your final report will be based on your proposal—provided you wrote a good proposal.

11. The title page and reference sections of your proposal can be transferred directly to your final report. After you change the appropriate parts of the introduction to the past tense, it can be transferred to your final report. After you change the appropriate parts of the method section to the past tense, it may also be transferred (with only minor modifications) to the final report.

12. Try to make the results section as understandable as possible. Tell the reader what you are trying to find out by doing the analysis, and then explain what you actually did find out from doing the analysis.

13. In the results section, be sure to stress whether the results supported or failed to support your hypothesis.

14. In the discussion section, summarize the main findings of your study and relate these to the points you made in the introduction.

15. Writing involves a great deal of rewriting.

16. Do not plagiarize! Keep notes about what you read so that you can cite it. Realize that even if you didn’t quote a source, you still have to cite it if you borrowed from it or got some ideas from it.

**KEY TERMS**

- research journal (p. 544)
- introduction (p. 546)
- exploratory study (p. 550)
- direct (exact) replication (p. 551)
- systematic replication (p. 553)
- conceptual replication (p. 553)
- method section (p. 556)
- plagiarism (p. 557)
- discussion (p. 560)
- abstract (p. 562)
- results section (p. 564)
- probability value (p value) (p. 567)

**WEB RESOURCES**

1. Go to the Chapter 15 section of the book’s student website and
   a. Look over the concept map of the key terms.
   b. Test yourself on the key terms.
   c. Take the Chapter 15 Practice Quiz.
   d. Download the Chapter 15 tutorial.

2. Use the “Fast Start” link to download software that will help you make sure that your title page adheres to APA format.

3. Get some help in putting your reference page in APA format by clicking on the “Referencer” link.

4. Get more tips on finding articles to cite in your paper by clicking on the “Literature Search” link.
APA Format Checklist

TITLE PAGE

1. I have a separate title page.
2. At the top right-hand corner, I have
   a. a short, two- or three-word “mini-title” of my paper. This “mini-title” is the first two or three words of my title
   b. the number “1,” indicating that it is page 1. The “1” is on the same line as the mini-title, just five spaces to the right of it (flush right)
3. I have put the “mini-title” of my paper and the page number into the “header” of my document, so that the “mini-title” and page number appear on the top right-hand corner of each page.
4. One double-spaced line below the mini-title and the page number, I have a line that
   a. starts at the left margin (about an inch from the left edge of the page)
   b. begins with the words “Running head:” followed by a two- to six-word phrase that describes my paper’s topic (Note that the running head is not the same as the mini-title.)
5. My two-to-six-word running head is in all-capital letters and is fewer than 50 characters (including spaces) long.
6. I centered the title and capitalized the first letters of each word in the title (except for words like “and” and “of”).
7. My title is simple and to the point. It contains the names of the key variables (in an experiment, the independent and dependent variables; in a correlational study, the predictor and criterion variables).
8. My name (first name, middle initial, and last name) is
   a. one double-spaced line below the title
   b. centered
   c. not accompanied by the word “by”
9. My school’s name is
   a. one double-spaced line below my name
   b. centered

10. The rest of the page is blank.

**ABSTRACT**

1. My Abstract is on its own separate page.
2. On the top right-hand corner, I have the number “2,” indicating that the Abstract is on page 2. The “2” is five spaces to the right of the mini-title.
3. The heading “Abstract” is centered at the top of page 2.
4. The text of my Abstract starts one double-spaced line below its heading (its heading is “Abstract”).
5. My Abstract is a single, un-indented paragraph, and it contains fewer than 121 words.
6. To keep my Abstract as brief as possible, I used digits rather than writing out numbers.
7. I avoided starting any of my sentences with a number.
8. I avoided using the first person (e.g., “I,” “my,” “our,” or “we”).
9. I included a brief summary of the following sections of my paper:
   a. the introduction: my hypothesis (what I studied and why)
   b. the participants section: who the participants were
   c. the procedure: what the participants did
   d. the results: whether the data supported the hypothesis
   e. the discussion: the meaning of the results

**CITING SOURCES**

1. I gave credit where credit was due.
   a. I cited any source from which I got ideas—even if I did not quote that source. When I summarized or paraphrased from a source, I cited that source. To minimize the chances that I plagiarized, I did the following:
      i. If I had any paragraph without a citation in the Introduction or Discussion sections of my paper, I went back to my notes to make sure that I had not left out a citation.
      ii. If I had any doubt about whether to cite a source, I cited it.
   b. If I obtained information from a secondary source, I cited and referenced the secondary source.

2. I quoted appropriately.
   a. I listed the page number of the source from which I got the quote (something I would not do for a paraphrased citation).
   b. I put quotation marks around quotes shorter than 40 words.
c. For quotes of 40 or more words, I separated the quote from the rest of my paper by indenting the whole quotation five spaces from the left margin.

3. My citations are free of common content errors.
   a. When citing authors, I limited myself to stating authors’ last names. I did not mention authors’ first names, professional titles (e.g., “Dr.”), or professional affiliations.
   b. When citing sources, I used parentheses. I did not use footnotes to cite sources.
   c. I did not mention any article titles in the text of my paper.

4. I followed the rules regarding parentheses.
   a. When I mentioned the authors in the sentence, I put only the date in parentheses (e.g., “Jolley and Mitchell (2006) argued that . . .”).
   b. If the authors’ names are not part of the sentence, I put their names and the date in parentheses. I separated the last author’s name from the date with a comma: “Some have argued that . . . (Jolley & Mitchell, 2006).”
   c. If the multiple-author citation was part of the sentence, I used “and” to connect authors’ last names; however, if the multiple-author citation was in parentheses, I used “&” to connect authors’ last names.
   d. When I cited several articles within one set of parentheses, I did the following:
      i. I listed the articles in alphabetical order. I did not put them in order by date.
      ii. I separated the articles from each other with semicolons: “(Brickner, 1980; Jolley, 2003; Mitchell, 2005; Ostrom, 1965; Pusateri, 2007; Williams, 2009).”

5. I correctly cited multiple-author papers.
   a. If the paper has more than six authors, I listed only the first author’s last name followed immediately (with no comma) by “et al.” (e.g., Glick et al., 2002).
   b. If I discussed a paper with three to five authors, I mentioned all the authors’ last names the first time I cited that paper.
   c. If I discussed a paper with three to five authors and had already cited the paper, I used the first author’s last name, followed immediately (with no comma) by et al. (e.g., First et al., 2009).
   d. I checked all my citations that used the phrase “et al.” to make sure that I had (a) correctly used such citations and (b) correctly punctuated such citations.
      i. I did not overuse “et al.” citations.
         1. I never used “et al.” the first time I introduced a paper with fewer than six authors.
         2. I never used “et al.” with a two-author paper.
ii. I correctly punctuated my “et al.” citations.
   1. I never put a period after “et” (e.g., “et al.”—not “et. al.”).
   2. I never put a comma between the first author’s last name and “et al” (e.g., “First et al.”—not “First, et al.”).

6. I cited the appropriate literature.
   a. It is clear what the articles cited have to do with my study.
   b. Most of my citations are to recent journal articles describing actual research studies. Few, if any, of my citations are to secondary sources such as textbooks, magazines, and newspapers.

INTRODUCTION

1. My Introduction begins on a separate page (page 3).
2. My article’s title is centered at the top of the first page of the Introduction.
3. To be sure that my Introduction was organized, I outlined it before writing it.
4. It is clear why my topic area is important.
5. It is clear why testing my hypothesis is important: I showed how my study builds on previous work or fills a gap in previous work.
6. It is clear why I believe that the hypothesis might be true. To make the logic behind my hypothesis clear, I explained relevant concepts and theories.
7. My hypothesis is clearly stated.
8. A reader should be able to foresee much of the rest of the paper (especially the essence of the Method section) after reading my Introduction.
9. I checked my Introduction against the “Citing Sources” checklist.

METHOD SECTION

1. I wrote the Method section of my research report in the past tense.
2. I put the heading “Method” (not “Methods”) one double-spaced line below the last line of the Introduction, and I centered that heading.
3. I divided the Method section into at least two subsections (Participants and Procedure).
4. I put the heading Participants flush against the left margin, and I put that heading one double-spaced line below the heading “Method.” (Do not use the word “subjects” if you studied humans.)
5. I italicized that heading (e.g., Participants).
6. I indented the text for the Participants section, and I began that text on the next double-spaced line after the Participants heading.
7. If I started a sentence with a number (such as, “Twenty undergraduates were participants”), I spelled out the number. (Note: You can write: “Participants were 20 undergraduates,” but you cannot write: “20 undergraduates were participants.”)
8. I have been specific about
   a. how I selected or recruited my sample of participants or nonhuman animal subjects
   b. how participants were compensated (if they were compensated)
   c. major demographic characteristics
      i. number of participants of each gender
      ii. age of participants (average age and either standard deviation or range of ages)
      iii. other demographic characteristics, if appropriate
   d. the number of participants who dropped out of the study
   e. the number of participants whose data were not analyzed and the reasons for not analyzing those data
   f. how participants were assigned to condition

9. I made it clear that participants were treated ethically.

10. I put the heading Procedure (a) in italics, (b) one double-spaced line after the last line of the previous subsection, and (c) flush against the left margin.

11. I indented the text for the Procedure section five spaces, and I started it one double-spaced line after the Procedure heading.

12. If I used standard laboratory equipment, I identified the manufacturer and model name and/or number.

13. I used complete sentences. For example, I did not merely provide a bulleted list of my materials or an outline of my operational definitions.

14. I focused on what happened to participants and what participants did—and presented the information in order from the first thing that happened to the last thing that happened.

15. Someone reading my report could replicate (repeat) my study.
   a. It is clear how (under what conditions) I tested each participant.
   b. It is clear how I turned each participant’s response into a score.

16. I made a case for the study’s validity.
   a. It is clear what I did to reduce the effects of researcher bias.
   b. It is clear how a control or comparison group ruled out an alternative explanation for a difference between groups.
   c. It is clear that the measure being used is reliable and valid.
      i. I cited evidence of the measure’s reliability and validity.
      ii. I reported any data that I, as part of conducting the study, collected that related to the measure’s validity. For example, if I had data related to the extent to which two different observers’ scores agreed when scoring the same response, I reported those data.
   d. I gave my measure(s) and manipulation(s) names that are closely tied to my operational definitions (e.g., “Introversion Test Score”) rather than using a general name that may not be valid (e.g., “shyness”).
   e. I made it clear why my study is a good way to test my hypothesis.
1. I centered the title “Results” one double-spaced line after the last line of the Method section. (I did not skip to a new page to begin the Results section.)

2. I wrote the Results section of my research report in the past tense.

3. I italicized all the letters that represent statistical symbols and abbreviations for statistical variables (e.g., “p” as the abbreviation for probability value), except Greek letters (α, β).

   Wrong: . . . t = 9.08, p < .05.

   Right: . . . t = 9.08, p < .05.

4. When I reported the result of a statistical test, I put the statistic, the degrees of freedom for the test, the value of the statistic, and the level of significance (the p value). The format, except for the spacing, conforms to what is shown below:

<table>
<thead>
<tr>
<th>Statistic</th>
<th>df</th>
<th>Numerical value of the test</th>
<th>Probability</th>
</tr>
</thead>
<tbody>
<tr>
<td>F</td>
<td>(2,46) =</td>
<td>3.85,</td>
<td>p &lt; .05</td>
</tr>
<tr>
<td>t</td>
<td>(24) =</td>
<td>3.0,</td>
<td>p &lt; .001</td>
</tr>
<tr>
<td>r</td>
<td>(24) =</td>
<td>.71,</td>
<td>p &lt; .01</td>
</tr>
</tbody>
</table>

5. I included enough information about descriptive statistics to help readers know more than just the outcome of the statistical significance test. For example, if I used a t test or analysis of variance, I presented the means and standard deviations.

6. I determined my professor’s views about reporting analyses beyond that of significance tests. Thus, I know whether my professor required me to follow the Publication Manual of the American Psychological Association’s suggestions that I
   a. include a confidence interval
   b. report an estimate of effect size, such as Cohen’s d (e.g., “F(2,46) = 3.85, p < .05, d = .27”)

7. I made it clear to the reader
   a. what data I used in the analyses (how behaviors were turned into scores)—unless (a) I had already made the scoring clear in the Method section or (b) the scoring system was obvious
   b. what analyses I used on those data
   c. what significance level I used (if I used a significance test)
   d. why I did that analysis
e. which groups scored significantly higher (I usually did this by including, in the text, average scores for my different groups. The summary statistics I included in text [averages] were usually sufficient to help the reader see the pattern in my data. However, I used a table or a graph if [a] I had more than four conditions, or [b] my professor required one.)

f. whether the results support my hypothesis

8. If I used tables, I made sure that

a. each table added meaningful information beyond that which was presented in the text of my Results section

b. each table was referred to in the text of my paper (e.g., “As Table 1 indicates . . .”)

c. each table’s number corresponded to when I referred to it in text (e.g., the first table I mentioned in text was Table 1)

d. I double-spaced everything in each table

e. I put each table on a separate page

f. I put all my tables located near the end of my report—after the References

g. My tables comply with the format illustrated by the following two tables

### TABLE 1
**Pearson Product Moment Correlation for Self-Esteem**

<table>
<thead>
<tr>
<th>Group</th>
<th>Attractiveness</th>
<th>Fitness</th>
</tr>
</thead>
<tbody>
<tr>
<td>Female</td>
<td>.65***</td>
<td>.50**</td>
</tr>
<tr>
<td>Male</td>
<td>.35*</td>
<td>.70***</td>
</tr>
</tbody>
</table>

*p < .05. **p < .01. ***p < .001.

### TABLE 2
**Analysis of Variance for Self-Esteem**

<table>
<thead>
<tr>
<th>Source</th>
<th>df</th>
<th>F</th>
</tr>
</thead>
<tbody>
<tr>
<td>Exercise (E)</td>
<td>2</td>
<td>9.75**</td>
</tr>
<tr>
<td>Error</td>
<td>57</td>
<td>(2.56)</td>
</tr>
</tbody>
</table>

Note. Value enclosed in parentheses represents mean square error. **p < .01.
9. I referred to all graphs as figures (“Figure” 1, not “Graph” 1).
10. I gave each figure an informative heading.
11. I put each figure on a separate page.
12. I labeled both the x and y axes of each graph.
13. In pencil, on the back of each figure, I
   a. made it clear where the top of the figure was by writing the word “top” on the top of the page
   b. made it clear what manuscript the figure belonged to by writing my manuscript’s short title (the first two to three words of the title)
   c. made it clear what the figure was by writing the figure number
14. I put all my figures at the end of my report.

DISCUSSION

1. I centered the title “Discussion” and put it one double-spaced line after the last line of the Results section.
2. My first sentence describes whether the results support, fail to support, or refute my hypothesis, and my first paragraph summarizes my main findings.
3. I used the present tense when discussing my conclusions.
4. I compared my Discussion against the citing sources checklist.
5. I interpreted my results in the context of the theory, past research, and practical issues that I introduced in my Introduction. For example, I compared my results to what other researchers found.
6. I tried to explain results that were not predicted, and I admitted when my explanations were speculations.
7. I addressed alternative explanations for my results. I tried to rule out these alternative explanations, but when I could not, I admitted that I could not.
8. I pointed out the weaknesses and limitations of my study. I even sketched out future research that could be done to correct these weaknesses or overcome these limitations.
9. If I believed I could make a case for generalizing my results (I had a representative sample, the results were similar to what others had found, etc.), I made such a case.
10. I treated nonsignificant results as inconclusive.
   a. I did not use nonsignificant results as proof that a treatment had no effect.
   b. I did not use nonsignificant results that were almost significant as evidence that the treatment had an effect.

REFERENCES

1. I started my References section on a separate page. I indicated the start of that page by centering the word “References” at the top of the page.
2. Everything is double-spaced.
3. My references are listed in alphabetical order (according to the last name of the first author).
4. The first line of each reference is not indented. Instead, it is flush against the left margin.
5. When a reference takes up more than one line, those additional lines are indented.
6. I started each reference with the authors’ last names and initials, followed by the year of publication (in parentheses), and then a period.
7. I did not use the authors’ first or middle names.
8. For all journal articles, I wrote down the volume number. (The volume number [e.g., 30] is different from the year [e.g., 2007]. The volume number can usually be found on the journal’s cover, the journal’s table of contents, and at the bottom of the first page of each article.)
9. Every reference—unless it ends with a URL or a DOI—ends with a period.
10. If a reference I obtained online has a digital object identifier (DOI), I included that DOI instead of using a URL. (For more on electronic references, check the Chapter 15 section of this book’s student website.)
11. If there is more than one author for a source, I separated authors’ names with commas. (There is a comma after every author’s name—except for the last author’s name.)
12. I used italics correctly.
   a. I italicized the titles of all books.
   b. I italicized the titles of all journals.
   c. I italicized the volume numbers of every journal article cited.
   d. I put the titles of journal articles in normal, non-italicized type.
13. I correctly capitalized the names of books and titles of articles. That is, I capitalized only
   a. proper nouns (e.g., Asia, Skinner)
   b. the first word of titles of articles and books
   c. the first word following a colon in the title of an article or book
14. I used abbreviations appropriately.
   a. When citing journal articles, I avoided both the word “pages” and the abbreviation “pp.”
   b. When mentioning where a book was published, I abbreviated, rather than wrote out, the name of the state. I used the two-letter state abbreviations (e.g., PA for Pennsylvania) that the U.S. Postal Service uses. I remembered that these abbreviations are capitalized and do not contain periods.
15. All the references in this section are also cited in my paper. If a reference was not cited, I either added that citation to the body of my paper or I deleted the reference.
16. All the sources cited in my paper are also listed in this section except for
   a. “personal communication” citations
   b. original works that I did not read but instead learned about through a secondary source
   c. classical works such as the Bible
AUTHOR NOTE

1. My Author Note begins on the page following the appendixes (if I do not have appendixes, it begins on the page following the References) with the centered heading “Author Note.”
2. My Author Note makes disclosures about who, if anyone, helped me with my paper.
3. My Author Note includes my name, the name of my school, and information about how to contact me.
4. The first paragraph of my Author Note is not a sentence. Instead, it contains my name, a comma, my department (e.g., “Department of Psychology), a comma, and the name of my school.
5. The next to the last paragraph of my Author Note acknowledges people who helped me with my study or my paper.
6. The final paragraph begins with “Correspondence concerning this article should be addressed to” and is followed by an appropriate mailing address and by your e-mail address (e.g., E-mail:mitchell@clarion.edu).

GENERAL FORMAT

1. I double-spaced everything.
2. I put the first two or three words of the title, then five spaces, and then the page number at the top, right-hand corner of every page—except for those pages containing figures.
3. I started every paragraph by indenting five spaces with only two exceptions:
   a. I did not indent the Abstract.
   b. I did not indent Notes at the bottom of tables.
4. I did not use terms or labels that devalue, stereotype, exclude, or offend people belonging to any group (e.g., people older than I am, people with mental illnesses, people who have a different racial or ethnic background than I have). Instead, I used terms that were emotionally neutral or respectful.
5. I did not use sexist language (e.g., referring to males as “men” but referring to females as “girls,” referring to the typical participant as “he” when most of your participants were women).
7. I used complete sentences (all of my sentences have subjects and verbs).
8. I was careful about not making statements that went beyond the evidence. Specifically, I
   a. reported what I observed (e.g., “took 10 seconds before pressing the button”) rather than what I inferred (e.g., “they hesitated and worried about potential embarrassment before pressing the button”)
   b. did not use the word “prove”
   c. did not claim something was a fact when it was an opinion
   d. did not make cause–effect statements without having evidence from an experiment
9. To help my paper sound professional, I
   a. outlined my paper to make sure it was organized
   b. read my paper aloud
   c. split up, shortened, or eliminated long sentences
   d. eliminated unnecessary words and redundant sentences
   e. used a grammar checker to weed out wordy phrases, sexist language,
      and other unprofessional language

10. My paper’s appearance is professional. It
   a. is neatly typed
   b. is free of typographical errors
   c. has at least 1-in (2.54 cm) margins

11. I did not hyphenate words at the end of a line.
12. I put all my first-level headings (e.g., Abstract, Method, Results, Discussion, References, etc.) in a plain (not italicized, not boldfaced) font and centered them. I capitalized only the first letters of words of these headings. (Note that “Introduction” is not one of the first-level headings. Instead of “Introduction,” the title is centered on the top of page 3.)

13. I italicized all my second-level headings (major subheadings such as Participants, Procedure, etc.) and put them flush against the left margin (I did not indent them). I capitalized only the first letters of words of these subheadings.

14. I did not include anyone’s first name or affiliation in my paper (except for the title page).

15. The order of the sections in my paper is as follows: title page, Abstract, Introduction, Method, Results, Discussion, References, Appendixes, Author Note, tables, list of figure captions, and figures.

16. I used white, 8.5 × 11 in (22 × 28 cm), 20-pound, bond, nonerasable paper.

17. I typed my paper using
   a. 12-point type
   b. Times Roman, Times New Roman, or Courier font
   c. black print
   d. dark, easy-to-read print
   e. only one side of the paper

18. I avoided using
   a. contractions
   b. exclamation points
   c. hyphens at the end of lines
   d. boldfacing
   e. underlining
   f. one-sentence paragraphs
Sample APA-Style Paper

The Dark Side of Self-Perception:

Black Uniforms and Aggression

Mark G. Frank and Thomas Gilovich

Cornell University
Abstract

Black is viewed as the color of evil and death in virtually all cultures. With this association in mind, we were interested in whether a cue as subtle as the color of a person’s clothing might have a significant impact on the wearer’s behavior. To test this possibility, we performed a laboratory experiment to determine whether wearing a black uniform can increase a person’s inclination to engage in aggressive behavior. We found that participants who wore black uniforms showed a marked increase in intended aggression relative to those wearing white uniforms. Our discussion focuses on the theoretical implications of these data for an understanding of the variable, or “situated,” nature of the self.
The Dark Side of Self-Perception: Black Uniforms and Aggression

A convenient feature of the traditional American Western film was the ease with which the viewer could distinguish the good guys from the bad guys: The bad guys wore the black hats. Of course, film directors did not invent this connection between black and evil, but built upon an existing association that extends deep into American culture and language. Americans can be hurt by others by being “blacklisted,” or “blackballed,” or “blackmailed” (Williams, 1964). When the Chicago White Sox deliberately lost the 1919 World Series as part of a betting scheme, they became known as the Chicago Black Sox, and to this day the “dark” chapter in American sports history is known as the Black Sox Scandal. In a similar vein, Muhammad Ali has observed that Americans refer to white cake as “angel food cake” and dark cake as “devil’s food cake.”

These anecdotes concerning people’s negative associations to the color black are consistent with the research literature on color meanings. In one representative experiment, groups of college students and seventh graders who were asked to make semantic differential rating of colors were found to associate black with evil, death, and badness (Williams & McMurty, 1970). Moreover, this association between black and evil is not strictly an American or Western phenomenon because college students in Germany, Denmark, Hong Kong, and India (Williams, Moreland, & Underwood, 1970) and Ndembu tribesmen in Central Africa (Turner, 1967) all report that the color black connoted evil and death. Thus, Adams and Osgood (1973) concluded that black is seen, in virtually all cultures, as the color of evil and death.

The intriguing question is whether these associations influence people’s behavior in important ways. For example, does wearing black clothing lead the wearer to actually act more aggressively?

This possibility is suggested by studies on anonymity and “deindividuation” which show that a person’s clothing can affect the amount of aggression he or she expresses. In one study, female participants in a “learning” experiment were asked to deliver shocks to another participant whenever she made a mistake. Under the pretense of minimizing individual identities, one half of the participants wore nurses’ uniforms (a prosocial cue),
and the other half wore outfits resembling Ku Klux Klan uniforms (an antisocial cue). As predicted, participants who wore nurses uniforms delivered less shock to the “learner” than did participants who wore the Ku Klux Klan uniforms, which demonstrates that the cues inherent in certain clothes can influence the wearer’s aggressive behavior (Johnson & Downing, 1979).

Although such studies are suggestive, they involve rather contrived situations that raise troubling questions of experimental demand. Accordingly, we decided to seek parallel evidence for a link between clothing cues and aggressiveness by examining the effect of a much more subtle cue, the color of a person’s uniform.

There are a couple of difficulties that confront any attempt to test whether wearing a black uniform tends to make a person more aggressive. First, any such test is fraught with the usual ethical problems involved in all research on human aggression. Second, because black is associated with violence, observers may be biased when judging the behavior of participants wearing black. The usual solution to these twin problems is to use some version of the bogus shock paradigm (Buss, 1961). However, we chose not to use this procedure because of the difficulty in finding participants who—given the publicity of Milgram’s (1965, 1974) work—would not view the proceedings with extreme suspicion.

Our solution to these problems was to collect “behavioroid” data (Carlsmith, Ellsworth, & Aronson, 1976) in the form of the participants’ intended aggressive behavior. Volunteers for an experiment on competition were led to believe that they would be vying against other participants in several competitive events. They were also led to believe that they could exercise some control over which events they were to participate in by selecting their 5 most preferred events from a list of 12. The 12 events varied in the amount of aggressiveness they called for, allowing us to use participants’ choices as a measure of their readiness to engage in aggressive action. By means of a suitable cover story, we elicited participants’ choices twice: once individually when wearing their usual clothes, and later as a team of 3 wearing black or white jerseys. We hypothesized that wearing black jerseys would induce participants to view themselves as more mean and aggressive and thus would produce more of a “group shift” toward aggressive choices by
participants wearing black jerseys than by those wearing white (Drabman & Thomas, 1977; Jaffe, Shapir, & Yinon, 1981).

Method

Overview

Participants participated in groups of 3 in an experiment ostensibly on the “psychology of competition.” Each group was told that they would be competing against another team of 3 on a series of 5 games of everyone’s choosing. To find out their preferences, they were asked to individually rank order 5 activities from a group of 12. After making their choices, the participants were outfitted in either white or black uniforms in the guise of facilitating team identity. Then, while the experimenter was supposedly administering instructions to the other team, the 3 participants were told to discuss their individual choices and to decide as a group on the rank ordering of the 5 activities they would like to include in the competition. This second ranking allowed us to assess whether the participants would choose more aggressive games as a group after donning black uniforms than after putting on white uniforms. Finally, as an auxiliary measure of aggression, participants were administered a brief version of Murray’s (1943) Thematic Apperception Test (TAT) to assess their level of aggressive ideation.

Participants

The participants were 72 male students from Cornell University who were paid $3 for their participation. They were run in groups of 3, with the members of each group unacquainted with one another.

Procedure

As the participants reported for the experiment they were brought together in one room and led to believe that another group of participants was assembling in a different room. Participants were told

You will be competing, as a team, on a series of five games against another group of 3 participants who are waiting in the next room. I matched the two teams for size as you came
in, so the contests should be fair. This study is designed to mimic real-life competition as closely as possible . . . [and so] . . . we want you to choose the games you want to play.

Participants were then given a list of descriptions of 12 games and were asked to indicate, individually, which games they would like to play. They were asked to choose 5 of the 12 games and to rank order those 5. After reminding the participants not to discuss their choices with one another, the experimenter left the room, ostensibly to elicit the choices of the other team.

Upon his return, the experimenter collected the participants’ individual choices and stated that “now I would like you to make a group decision as to which games you will play, because many times people’s preferences are so divergent that we need to use a group choice to serve as a tie-breaker when deciding on which games to play.” The experimenter further explained, “to make the experiment more like real-world competition and to build team cohesion, I would like you to put these uniforms on over your shirts. From now on you will be referred to as the black [white] team.” The participants were then given black or white uniforms with silver duct-tape numerals (7, 8, and 11) on the backs.

The experimenter once again left the room to allow the participants to make their group choices and then returned after 5 min. He then explained,

Now that I have everyone’s individual and team selections, I will go and set up the five games that received the most votes. While I am doing this, I want you to complete a standard psychological task to get all of you in the same state of mind before we start.

Participants were asked to write a brief story about a scene depicted in a TAT card (Card 18 BM from Murray’s, 1943, original series). Participants were given 4 min to write a story based on the following questions: (a) What is happening in the picture? (b) What is being thought by the characters in the picture? (c) What has led up to this picture? and (d) What will happen to the characters in the picture?

After 4 min the experimenter returned, collected the TAT protocols, and thoroughly debriefed the participants. All participants seemed surprised (and many disappointed) to learn that the experiment was over. The debriefing interview also made it clear that none
of the participants had entertained the possibility that the color of the uniforms might have been the focus of the experiment.

Dependent Measures

The primary measure in this experiment was the level of aggressiveness involved in the games participants wanted to include in the competition. A group of 30 participants had earlier rated a set of descriptions of 20 games in terms of how much aggressiveness they involved. The 12 games that had received the most consistent ratings and that represented a wide spectrum of aggressiveness were then used as the stimulus set in this experiment. These 12 games were ranked in terms of these aggressiveness ratings and assigned point values consistent with their ranks, from the most aggressive (12, 11, and 10 points for “chicken fights,” “dart gun duel,” and “burnout,” respectively) to the least aggressive (1, 2, and 3 points for “basket shooting,” “block stacking,” and “putting contest,” respectively). Participants were asked to choose the 5 games that they wanted to include in the competition and to rank order their choices in terms of preference. To get an overall measure of the aggressiveness of each participant’s preferences, we multiplied the point value of his first choice by 5, his second choice by 4, and so forth, and then added these 5 products. When comparing the choices made by the participants individually (without uniforms), we compared the average individual choices of the 3 participants with their group choice.

The second dependent measure in this experiment was participants’ responses to the TAT card. Participants’ TAT stories were scored on a 5-point aggressiveness scale (Feshbach, 1955). Stories devoid of aggression received a score of 1, those with a little indirect aggression a score of 2, those with considerable indirect or a little direct aggression a 3, those with direct physical aggression a 4, and those with graphic violence a 5. These ratings were made by two judges who were unaware of the participants’ condition. The judges’ ratings were in perfect agreement on 47% of the stories and were within one point on another 48%.
The mean levels of aggressiveness in participants’ individual and group choices are presented in Table 1. As expected, there was no difference in participants’ individual choices across the two groups (Ms = 113.4 vs. 113.5) because they were not wearing different-colored uniforms at the time these choices were made. However, the participants who donned black uniforms subsequently chose more aggressive games (mean change in aggressiveness = 16.8), whereas those who put on white uniforms showed no such shift (mean change = 2.4). A 2 × 2 mixed ANOVA of participants’ choices yielded a significant interaction between uniform color and individual-group choice $F(1,22) = 6.14, p < .05$, indicating that the pattern of choices made by participants in black uniforms was different from that of those wearing white. Wearing black uniforms induced participants to seek out more aggressive activities, matched-pairs $t(11) = 3.21, p < .01$; wearing white uniforms did not, matched-pairs $t(11) = 1.00, ns$.

The participants who wore black uniforms also tended to express more aggressive ideation ($M = 3.20$) in their TAT stories than did participants wearing white uniforms ($M = 2.89$), although this difference was not significant, $t(70) < 1$.

Discussion

The results of this experiment support the hypothesis that wearing a black uniform can increase a person’s inclination to engage in aggressive behavior. Participants who wore black uniforms showed a marked increase in intended aggression relative to those wearing white uniforms.

It should be noted, however, that our demonstration involved only intended aggression. It did not involve actual aggression. It would have been interesting to have allowed our participants to compete against one another in their chosen activities and seen whether those in black jerseys performed more aggressively. We refrained from doing so because of ethical and methodological difficulties (i.e., the difficulty of
objectively measuring aggression, especially given that observers tend to be biased toward viewing people wearing black uniforms as being more aggressive). Nevertheless, the results of this experiment make the important point that in a competitive setting at least, merely donning a black uniform can increase a person’s willingness to seek out opportunities for aggression. If the wearing of a black uniform can have such an effect in the laboratory, there is every reason to believe that it would have even stronger effects on the playing field (or rink), where many forms of aggression are considered acceptable behavior.

One question raised by this research concerns the generality of the effect of uniform color on aggression. It is very unlikely that donning any black uniform in any situation would make a person more inclined to act aggressively. We do not believe, for example, that the black garments worn by Catholic clergymen or Hassidic Jews make them any more aggressive than their secular peers. Rather, it would seem to be the case that the semantic link between the color black and evil and aggressiveness would be particularly salient in domains that already possess overtones of competition, confrontation, and physical aggression.

Perhaps the most important question raised by this research concerns the exact mechanisms by which the color of a uniform might affect the behavior of the wearer. Our own explanation for this phenomenon centers upon the implicit demands on one’s behavior generated by wearing a particular kind of uniform. To wear a certain uniform is to assume a particular identity, an identity that not only elicits a certain response from others but also compels a particular pattern of behavior from the wearer (Stone, 1962). Wearing an athletic uniform, for example, thrusts one into the role of athlete, and leads one to “try on” the image that such a role conveys. When the uniform is that of a football or hockey player, part of that image—and therefore part of what one “becomes”—involves toughness, aggressiveness, and “machismo.” These elements are particularly salient when the color of one’s uniform is black. Just as observers see those in black uniforms as tough, mean, and aggressive, so too does the person wearing that uniform (Bem, 1972). Having inferred such an identity, the person then remains true to the image by acting more aggressively in certain prescribed contexts.
More broadly construed, then, our results serve as a reminder of the flexible or “situated” nature of the self (Alexander & Knight, 1971; Goffman, 1959; Mead, 1934; Stone, 1962). Different situations, different roles, and even different uniforms can induce people to try on different identities. Around those who are socially subdued or shy, an individual may become a vivacious extrovert; around true socialites, that same individual may retreat into a more reserved role. Some of the identities that people try to adopt are unsuitable, and those identities are abandoned. Abandoning such identities reassures people that at their core lies a “true” self. To a surprising degree, however, the identities people are led to adopt do indeed fit, and people continue to play them out in the appropriate circumstances. Perhaps the best evidence for this claim is the existence of identity conflict, such as that experienced by college students who bring their roommates home to meet their parents. This is often a disconcerting experience for many students because they cannot figure out how they should behave or “who they should be”—with their parents they are one person and with their friends they are someone else entirely.

The present investigation demonstrates how a seemingly trivial environmental variable, the color of one’s uniform, can induce such a shift in a person’s identity. This is not to suggest, however, that in other contexts the direction of causality might not be reversed. The black uniforms worn by gangs like the Hell’s Angels, for example, are no doubt deliberately chosen precisely because they convey the desired malevolent image. Thus, as in the world portrayed in the typical American Western, it may be that many inherently evil characters choose to wear black. However, the present investigation makes it clear that in certain contexts at least, some people become the bad guys because they wear black.
References


Author Note

Mark G. Frank, Department of Psychology, Cornell University; Thomas Gilovich, Department of Psychology, Cornell University.

We are grateful to Lauren Ostergren and Mark Schmuckler for their assistance in collecting our data and to Daryl Bem for commenting on an earlier version of the manuscript.

Correspondence concerning this article should be addressed to Mark Frank, Department of Psychology, Cornell University, Ithaca, New York 14850.
Table 1
Mean Level of Aggressiveness Contained in Participants’ Chosen Activities as a Function of Uniform Condition

<table>
<thead>
<tr>
<th>Uniform color</th>
<th>Mean individual choice (without uniforms)</th>
<th>Group choice (with uniforms)</th>
<th>Change in aggression</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Mean (M)</td>
<td>SD</td>
<td>Mean (M)</td>
</tr>
<tr>
<td>White</td>
<td>113.4</td>
<td>23.9</td>
<td>115.8</td>
</tr>
<tr>
<td>Black</td>
<td>113.5</td>
<td>18.4</td>
<td>130.3</td>
</tr>
</tbody>
</table>
A Checklist for Evaluating a Study’s Validity

QUESTIONS ABOUT CONSTRUCT VALIDITY (ARE THE RESEARCHERS MEASURING AND MANIPULATING THE VARIABLES THEY CLAIM TO BE?)

1. Was the manipulation valid (does it manipulate what it claims to manipulate)?
   a. Is the manipulation consistent with definitions of the construct that is allegedly being manipulated?
   b. If the treatment manipulation involved using a sample of specific stimuli (e.g., particular men’s names and women’s names) to represent a broad, general variable that has many members (e.g., all men’s and all women’s names), did the researcher use a good enough sample of stimuli to make the case that the difference between conditions was due to differences in the underlying construct? For example, if “David” produced a different reaction than “Dana,” that difference might be due to some factor other than gender (“David” is longer, more common, and more closely associated with the Bible’s King David). Thus, we would be more confident saying that the effect was due to gender of the name if the researcher had obtained the same effect using several other pairs of names (e.g., “Larry” and “Mary”). Similarly, if the researchers used one male experimenter and one female experimenter and then talked about a gender of experimenter effect, the manipulation’s effect may be due to some other difference between the experimenters besides gender.
   c. Did the researchers use a manipulation check: a question or set of questions designed to determine whether participants perceived the manipulation in the way that the researcher intended? For example, the researcher might ask questions to see whether participants in the
“good mood” condition rated themselves as being in a better mood than the participants in the “neutral mood” condition. (For more on manipulation checks, see Chapter 5.)

d. Are more or better control (no-treatment) conditions needed? For example, if the researcher claims to be manipulating “violence of video game” by having participants play either a violent video game or a nonviolent video game, are both games equally interesting and equally challenging? If the games differ in respects unrelated to violence, the researcher should not claim that the manipulation is a violence manipulation. In short, the control condition[s] and the experimental [treatment] condition[s] should be identical except for those aspects directly related to the construct being manipulated. (For more on control groups, see Chapter 11.)

2. Is the measure **valid**: does it measure what it claims to measure?

a. Is it **reliable**: does it produce stable, consistent scores that are not strongly influenced by random error? Reliability (consistency) is a prerequisite for validity (accuracy). One index of reliability—called test–retest reliability—assesses whether participants score about the same when they are retested as when they were originally tested. If test–retest reliability is below .70, the measure is not very reliable. Indeed, many people are displeased with test–retest reliabilities below .80. Even if the authors do not provide the measure’s test–retest reliability—an index of the measure’s overall resistance to random error—the authors may provide indexes of the measure’s vulnerability to specific sources of random error. The specific index of reliability you would want would depend on what specific sources of unreliability concerned you the most. For example, if the measure involved making raters judge something, you should be concerned that the raters might not be reliable. Therefore, look for evidence that different raters judging the same thing made similar judgments. Percentage of times judges agreed, correlations between raters, and Cohen’s kappa might all serve as evidence of observer agreement. If, on the other hand, participants are filling out a rating scale measure, you do not need to worry about scorers being inconsistent or scorers disagreeing with each other. Instead, you need to be worried about questions that disagree with each other (e.g., according to one question, the participant is outgoing; according to another question, the participant is shy). If the questions are measuring the same concept, their answers should agree with each other. In technical terminology, this within the test (internal) agreement (consistency) is called internal consistency. Therefore, to get at your concern that the questions may not be measuring the same concept, you would want some index of internal consistency (sometimes called internal reliability) such as inter-item correlations (which should be above .30) or Cronbach’s alpha—often abbreviated as alpha, Cronbach’s $\alpha$, or just $\alpha$—(which should be above .70).
b. If the score a participant gets depends on a scorer’s judgment, is this judgment trustworthy? The author should provide some evidence that independent raters obtain similar scores (e.g., some measure of rater agreement such as percentage of times raters agree, correlations between raters, or Cohen’s kappa). Furthermore, the researcher should have used scoring that was blind—scorers did not know what treatment the participant had received (if the study was an experiment) or the participant’s gender and other characteristics (if the study was a correlational study).

c. Did research show that the measure correlated with other measures of that same construct? (You would expect their measure of outgoingness to correlate with other measures of outgoingness.)

d. Did research show that their measure was uncorrelated with measures of unrelated constructs? (You would expect their measure of outgoingness to be uncorrelated with agreeableness and intelligence.)

e. Was the measure consistent with accepted definitions of the construct?

3. Could the researchers have biased the study’s results?

a. Were researchers “blind”—or did they know which participants were expected to score higher?

b. Did the lack of detailed and clearly spelled out procedures make it easy for researchers to bias the results?

4. Could participants have figured out the hypothesis? If so, they might have tried to “help” the researcher get the “right” results.

a. Could participants have learned about the study from former participants?

b. Were participants experienced enough to figure out the hypothesis (for instance, senior psychology majors who had participated in several studies)?

c. Was the hypothesis a fairly easy one to figure out?

d. Did the research use a no-treatment (empty) control group—rather than a control group that got a fake (placebo) treatment? (If one group got a pill and one didn’t, the participants getting the pill might expect their behavior to change whereas participants not getting a pill would not expect their behavior to change.)

e. Did the researcher fail to make the study a double-blind study, thus allowing either the participants or the researcher to know which treatment the participants were receiving?

f. Was it obvious to participants what was being measured? For example, did participants fill out a self-report scale, such as “Rate your happiness on a 1–5 scale”?

g. Did the study lack experimental (research) realism: the ability to engage participants in the task? If participants do not take the task seriously, their responses probably should not be taken seriously: At best, the participants do not show any reaction to the manipulation; at worst, they show a false reaction—they fake the response they think will support the researcher’s hypothesis.
h. Did the researchers fail to have an effective “cover story” that disguised the true purpose of the study? For example, rather than telling participants they were being given a cola to see its effect on arousal, it would be better to tell participants that they were drinking the cola as part of a taste test.

**QUESTIONS ABOUT INTERNAL VALIDITY (CAN WE CONCLUDE THAT ONE FACTOR CAUSED AN EFFECT?)**

1. Was an experimental design used? If not, the study probably does not have internal validity. To help determine whether a study is an experiment, realize that (a) all experiments involve manipulating (administering) a treatment and (b) there are essentially two types of experiments: (1) between-subjects experiments that compare individuals who were randomly assigned to receive a treatment to individuals who were given a different treatment (to see how to randomly assign participants, see Table 6 of Appendix F), and (2) within-subjects experiments that compare individuals when they were given a treatment with those same individuals when they were given a different treatment.

Most experiments are of the first type: between-subjects experiments that compare a group that was randomly assigned to receive the treatment with one or more groups that were randomly assigned to receive different treatment(s). (Such studies are sometimes called randomized controlled trials [RCTs].) Random assignment allows researchers to make a strong case that the difference between the actions of participants in the different conditions is due to the treatment manipulation rather than to nontreatment factors (for more on why random assignment helps establish internal validity, see Chapter 2 or Chapter 10).

Many studies that compare participants who received the treatment against those same participants when those participants had either not received the treatment or had received a different treatment are not within-subjects experiments. For such a study to be an experiment, the study must control for (a) participants naturally changing over time and (b) participants changing as a result of practice on the task. To show you that studies without such controls do not provide valid results, imagine that Dr. N. Ept does two studies. In the first study, he has participants eat, immediately gives them a vitamin pill, and then immediately has them eat again. He notes that participants eat less the second time and concludes that the vitamin pill decreases appetite (he and his design ignore the possibility that, pill or no pill, participants may not be as hungry after having just eaten). In the second study, he has participants play a video game, take a vitamin pill, and play the video game again. If participants score higher the second time they play the video game, Dr. N. Ept credits the pill (rather than practice). If participants score lower the second time they play the game, Dr. N. Ept blames the pill (rather than boredom or fatigue).

As you can see, when participants are compared with themselves, you must ask how the researchers were able to separate the effects of when participants received the treatment (e.g., receiving one treatment first and
the other treatment second) from what treatment participants received (e.g., nonviolent video game vs. violent video game). Specifically, to do a version of Dr. N. Ept’s study that had internal validity, the researchers must have used at least one of the following two techniques.

First, the researchers might have half the participants play the nonviolent video game first, while the other half play the violent video game first. The researchers, by making sure that half of the participants get the sequence violent game–nonviolent game and half get the sequence nonviolent game–violent game, have ensured that if participants tend to be more violent at the beginning of the study, this tendency will not affect the violent game condition more than the nonviolent condition. This technique of balancing out order effects by giving participants systematically different sequences is called counterbalancing. The second technique is to randomize the order of treatments (e.g., a coin flip would determine whether the participant played the nonviolent or violent game first). To learn more about within-subjects designs, see Chapter 13.

Regardless of the type of experiment, ask what experimenters did to make it so they could say that the difference between treatment conditions was due to the treatment rather than to something else. Usually, experimenters will try to neutralize the effects of nontreatment factors in at least one of the following three ways:

i. Preventing the nontreatment factor from being a variable by keeping the nontreatment factor constant. Thus, to control for time of day, the researcher might test all participants at the same time of day.

ii. Preventing the nontreatment factor from affecting one condition more than another by counterbalancing: systematically rotating it between conditions to balance out the effect of that variable. Thus, to control for time of day, the researcher might alternate testing sessions. For example, on the first day, the treatment group might be tested in the morning and the no-treatment group might be tested in the afternoon. On the next day, the situation would be reversed.

iii. Using random assignment to randomize—and then statistically account for—nontreatment variables. Thus, to control for time of day, the researcher would randomly assign participants to condition. With random assignment, there would be no systematic difference between participants in terms of when they were tested. Instead, any differences in time of testing would be unsystematic differences. Consequently, if the difference between groups’ scores was statistically significant, it is unlikely that the difference in scores is due solely to time of day—or to any other—unsystematic, chance difference.

a. Did more participants drop out of the treatment group than out of the control group? If so, the groups’ different dropout rates—not the groups’ different treatments—may be responsible for the differences between the average scores of the groups.

b. Was there a reliable difference between the scores in the different conditions? If not, there is no evidence of an effect—and thus no point in talking about its cause.
2. If the study was not an experiment, the study probably does not have internal validity. Thus, if the researcher suggests a cause–effect conclusion, ask

a. **Could the researcher have cause and effect reversed?** In some nonexperimental research, what the researcher thinks is a cause may actually be an effect. For example, surveys show that people who watch more television tend to have lower self-esteem. If a researcher concluded that television-viewing caused low self-esteem, the researcher could be wrong. It might be that low self-esteem causes people to watch television (Moskalenko & Heine, 2003). Note that if the researchers measured participants on both variables several times (such designs are usually called either longitudinal designs or prospective designs), researchers may be able to determine which variable changed first.

b. **Could the researcher have ignored a third variable?** In some nonexperimental research, two variables may be statistically related because both are effects of some other variable. For example, both low self-esteem and television-viewing may be side effects of having few friends: People who have few friends may have low self-esteem and may watch a lot of television (Moskalenko & Heine, 2003). As we explain in Appendix E, some researchers who have nonexperimental data use statistical techniques such as partial correlations, multiple regression, and structural equation modeling to try to rule out third variables.

**QUESTIONS ABOUT EXTERNAL VALIDITY (CAN THE RESULTS BE GENERALIZED TO OTHER PEOPLE, PLACES, AND TIMES?)**

1. Do the study’s conclusions describe what people do or think (e.g., “30% of Americans approve of the President.”) or does the study focus on causes of behavior (e.g., “Negative ads cause drop in President’s popularity.”)? Usually, external validity is much more of a concern for studies that try to describe behavior than for studies that try to explain the causes of behavior.

2. Would results apply to the average person?
   a. Were participants human?
   b. Were participants distinct in any way?
   c. Were the participants too homogeneous? That is, were there certain types of individuals (women, minorities) who were not included in the study?
   d. Was the dropout rate high—or high among certain groups (e.g., were all the dropouts participants over 65 years old)? If so, the results apply only to those who stayed in the study.
   e. Is there any specific reason to suspect that the results would not apply to a different group of participants?
f. If the researchers used a survey and tried to generalize their results to a wider group,
   i. What was that larger group?
   ii. Did they have a large and random sample from that group?
3. Would the results generalize to different settings? Can you pinpoint a difference between the research setting and a real-life setting and give a specific reason why this difference would prevent the results from applying to real life?
4. Would the results generalize to different levels (amounts) of the treatment variable?
   a. Was a wide range of treatment amounts tested?
   b. Were realistic amounts of the treatment variable tested?
   c. Were at least three different amounts of the treatment variable tested? If only two amounts are tested, it is extremely risky to generalize to untested levels.

QUESTIONS ABOUT POWER (HOW GOOD WAS THE STUDY AT FINDING DIFFERENCES?)

1. If the study failed to find a difference between groups or conditions, ask
   a. Were participants homogeneous (similar) enough so that differences between participants would not hide a treatment effect—or did between-subject differences mask the treatment effect? (To illustrate the impact of homogeneity, consider the following analogy. If all participants have the same singing range but one group is asked to sing a moderately high note whereas the other is not, you could easily hear the difference between the groups. If, however, some people had low voices and some had high voices, the group differences would be harder to detect.)
   b. Were enough participants used? (In a sense, more participants means more voices, which makes differences between the groups easier to hear. Note that in our singing example, if we had 2 singers in each group and the singers had widely different ranges, we might have trouble hearing the difference especially if the two lowest voices were randomly assigned to the group that was asked to sing high]. If, on the other hand, we had 100 participants in each group, the difference between groups would be easy to hear—regardless of whether singers’ voices were homogeneous.)
   c. Was the study sufficiently standardized? That is, did lack of consistency in how the study was conducted and lack of control over the testing environment create so much treatment-unrelated background noise that a treatment effect would not be heard?
   d. Did conditions differ enough on the treatment/predictor variable? (To return to our singing analogy, if we had asked one group to sing very high and others to sing very low, we would have easily detected a difference. If, however, we had asked one group to sing one note
above their best note and the other group to sing their best note, we might not have detected a difference.)

e. Were the measures sensitive enough? Just as a sensitive bathroom scale can detect differences that less sensitive scales would miss, sensitive measures can detect differences an insensitive measure would miss. If our instrument to measure pitch was unreliable (the needle bounced around randomly, was not valid (it was affected by how loud instead of how high voices were), or did not provide a wide range of scores (it only registered “high” or “low” rather than B, C-sharp, etc.), our measure would be insensitive. Put another way, sensitive measures tend to be reliable, valid, and provide a range of scores (for more on sensitivity, see Chapter 6).

f. Could the failure to find a difference be due to a floor or ceiling effect?

i. In a floor effect, a problem with the measure makes it so participants who are, in reality, extremely low on the variable do not score lower on the measure of the variable than people who are merely low on the variable. Because participants who actually differ from each other are not scoring differently from one another, the researcher may not find differences between conditions. Suspect a floor effect if everyone is scoring low on the measure.

ii. The ceiling effect is the reverse of the floor effect. Everyone is scoring so high on the measure that participants who are, in reality, very high on the variable can’t score higher on the measure of the variable than participants who are somewhat high on that variable. Because participants are “maxing” out the scale, the researcher may not find differences between conditions. For example, if all the participants scored 100% on a memory test, the participants who have a memory for the information that is better than the average participant’s are not able to show their better memory on this test. Thus, even if every participant in the treatment group had a better memory for the material than anyone in the no-treatment group, there would be no difference between the groups on the measure because both groups would average 100%. Suspect a ceiling effect if everyone is scoring high on the measure.

**QUESTIONS ABOUT STATISTICAL ANALYSES**

1. Do the data meet the assumptions of the statistical test? If the results were published in an APA or APS journal, you can assume that the data meet the assumptions of the test. If you are looking at an unpublished paper, however, you may need to ask questions. For example, if the researchers did an independent groups t test, was each participant’s response independent—unaffected by how other participants responded? (To learn more about the independent groups t test, see Chapter 10 or Appendix E.)

2. Are the researchers running a high risk of making a Type 1 error: declaring a difference statistically significant (reliable) even though, in reality,
the difference is not reliable? The purpose of statistical significance tests is to prevent us from mistaking a chance difference for a real one. However, bad luck or author recklessness sometimes defeats this safeguard. To determine whether they may be making a Type 1 error, ask the following three questions.

a. Are they doing multiple statistical tests without correcting for the fact that their reported significance level is only valid if they are doing a single test? For example, if they use a .05 (5%) significance level, they are saying there is a less than a 5 in 100 chance of getting these results by chance alone. That’s fair—if they did only one test. If, however, they did 100 tests, 5 tests could turn out significant by chance alone. In other words, it is one thing to do one test and have a 5% chance of getting a false positive; it is another thing to do 100 tests and be assured of false positives. Even worse, some authors, rather than telling you about the 95 tests that were not significant, will act like they only did the 5 tests that were significant. One clue that the authors are reporting only the tests that supported their position is if there are measures they mention in the Method section that are not discussed in the Results section. This practice of hiding failed analyses reminds us of the spam e-mailers who send half their list a prediction that a stock will go up and tell the other half that the stock will go down. If it goes up, they contact the first half of their list; if it goes down, they contact the second half. (They do not tell the group they re-contact about their wrong predictions.)

b. Are they using unconventionally high significance levels (the higher the significance level, the higher the risk of a Type 1 error)? For example, if they are using a \( p < .20 \) level rather than the traditional \( p < .05 \) level, they are taking more than 4 times (\( 4 \times .05 = .20 \)) the risk of making a Type 1 error than most researchers take.

c. Has the study been replicated? Replication, rather than statistical significance, is the best evidence that the findings are reliable. If you know of failures to replicate, or if you suspect that the studies that do not get significant results are not getting published, the significant results of the study may reflect a Type 1 error.

3. Did the authors represent differences between two means as real even though

a. A statistical test had been performed and the differences were not statistically significant? For example, some researchers report nonsignificant results as “trends” or as “marginally significant.”

b. No statistical significance test had been performed that directly tested whether those two means were significantly different from each other?

4. Did the authors represent significant differences as being large without providing evidence of that claim? Statistical significance suggests the differences are reliable, not that they are big. To show how big a difference is, researchers must use effect size indexes (e.g., \( r, r^2 \), eta squared \( [\eta^2] \), omega-squared \( [\omega^2] \), Cohen’s \( d \)).
Practical Tips for Conducting an Ethical and Valid Study

For help on almost all the “nuts and bolts” of planning and conducting a study, go to www.cengage.com/psychology/mitchell.
Introduction to Statistics

For help on choosing, interpreting, or conducting statistical tests, go to www.cengage.com/psychology/mitchell.
Statistics and Random Numbers Tables

DIRECTIONS FOR USING TABLE 1

Use the left column (the column labeled $df$) to find the row labeled with the number of degrees of freedom ($df$) that your study had. For the simple experiment, that number equals the number of participants minus two. Thus, if you had 32 participants, you would go down the $df$ column until you reached the number 30. Then, unless you have a one-tailed test, read across that row until you find the entry in the column corresponding to your level of significance (e.g., if you were using a significance or alpha level of $.05$, you would stop at the entry in the $.05$ column). The number in that cell will be the critical value of $t$ for your study. To be statistically significant, the absolute value of $t$ that you obtain from your study must be greater than the value you found in the table. For example, suppose $df = 30$ and $p < .05$ (two-tailed test). In that case, to be statistically significant, the absolute value of the $t$ you calculated must be greater than 2.042.

DIRECTIONS FOR USING TABLE 2

Use the column labeled $df$ to find the row that has the same number of degrees of freedom that your study had. (To calculate your $df$, subtract one from the number of columns in your chi-square, then subtract one from the number of rows, and then multiply those results together. Thus, with a $2 \times 2$ chi-square, you would have $1 df$ [because $(2-1) \times (2-1) = 1 \times 1 = 1$], and with a $3 \times 2$ chi-square, you would have $2 df$ [because $(3-1) \times (2-1) = 2 \times 1 = 2$]). Then, unless you have a one-tailed test, go across the row until you find the entry in the column corresponding to your level of significance. The number in that cell will be the critical value of chi-square for your study. To be statistically significant, your chi-square value must be greater than the value you found in the table. For example, if $df = 1$ and your significance level is $p < .05$, then your chi-square value must be greater than 3.84146.
### TABLE 1
Critical Values of $t$

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Source: This table is abridged from Table 12 of the *Biometrika Tables for Statisticians* (Vol. 1, 3rd ed.) by E. S. Pearson and H. O. Hartley (Eds.), 1970, New York: Cambridge University Press. Used with the kind permission of the Biometrika trustees.
### Table 2: Critical Values for Chi-Square Tests

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Source: This table is taken from Table 8 of the Biometrika Tables for Statisticians (Vol. 1, 3rd ed.) by E. S. Pearson and H. O. Hartley (Eds.), 1970, New York: Cambridge University Press. Used with the kind permission of the Biometrika trustees.
DIRECTIONS FOR USING TABLE 3

Find the column that matches your degrees of freedom for the effect (the first \( df \)) and then go down that column until you hit the row that matches the degrees of freedom for your error term (the second \( df \)). Thus, if you had 1 \( df \) for the effect and 23 for the error term, you would start at the column labeled “1” and go down until you reached the row labeled “23.” There, you would find the critical value: 4.28. Thus, to be statistically significant at the \( p < .05 \) level, your obtained \( F \) would have to be greater than 4.28.

### TABLE 3

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**Source:** This table is abridged from Table 18 of the *Biometrika Tables for Statisticians* (Vol. 1, 3rd ed.) by E. S. Pearson and H. O. Hartley (Eds.), 1970, New York: Cambridge University Press. Used with the kind permission of the Biometrika trustees.
USING TABLE 4 TO COMPUTE TREND ANALYSES

Suppose you had the following significant effect for sugar on aggression.

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<th>DF</th>
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### TABLE 4

Coefficients of Orthogonal Polynomials

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<td>Lin (Quad)</td>
<td>Lin (Quad)</td>
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<td>–1 1</td>
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<td>5</td>
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</table>

| Weighting Factor | 2 6 | 20 4 | 20 | 10 14 10 70 |

<table>
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<th>6-condition case trend</th>
<th>7-condition case trend</th>
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<td>Lin (Quad) (Cubic)</td>
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<td>70 84 180 28 252</td>
<td>28 84 6 154 84 924</td>
</tr>
</tbody>
</table>

Weighting Factor | 70 84 180 28 252 |

Source: This table is adapted from Table VII of *Statistics* (pp. 662–664) by W. L. Hays, 1981, New York: Holt, Rinehart and Winston. Copyright © 1982 by Holt, Rinehart and Winston, Inc. Adapted by permission.
How would you compute a trend analysis for this data? You would start by calculating an $F$ ratio for the linear and quadratic effects so that you could complete the following ANOVA table.

<table>
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<th>$F$</th>
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<td>Quadratic Trend</td>
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</tr>
</tbody>
</table>

Before you generate an $F$ ratio, you must have a sum of squares. To compute the sum of squares for a trend, you must first get the sum of the scores for each condition/group. In this case, you will need the sum (total) of the scores for each of three groups: (a) the no sugar group, (b) the 50 mg of sugar group, and (c) the 100 mg of sugar group. One way to get the sum of scores for a condition is to add up (sum) all the scores for that condition. Another way to get the sum of scores for each condition is to multiply each condition’s average by the number of scores making up each average. Thus, if one condition’s mean was 10 and there were 8 scores making up that mean, the sum for that condition would be $10 \times 8$, which is 80.

Next, arrange these sums by placing the total for the condition connected with the lowest level of the independent variable (e.g., no sugar condition) first, the sum for the condition with the next highest level of the independent variable next, and so on. In our example, you would order your sums like the following:

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</tr>
<tr>
<td>50 mg</td>
</tr>
<tr>
<td>100 mg</td>
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</tbody>
</table>

Now you are ready to consult the tables of orthogonal polynomials in Table 4. Because this example involves three conditions, you would look for the three-condition table. The table reads as follows:

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</tbody>
</table>
To get the numerator for the sum of squares for the linear trend, multiply the sum for the first level of the independent variable by the first (Condition 1) value in the “Linear” column of the three-condition table (−1), the second sum by the second value in the “Linear” column of that table (0), and the third sum by the third value in the “Linear” column (+1). Next, get a sum by adding these three products together. Then, square that sum. So, for the sugar example we just described, you would do the following calculations:

\[ [(-1 \times 10) + (0 \times 50) + (1 \times 12)]^2 \]

which equals

\[ (-10 + 0 + 12)^2 \]

which equals

\[ (2)^2 \]

which equals

\[ 4 \]

To get the denominator for the sum of squares, multiply the weighting factor for the linear trend (2) by the number of observations in each condition. Because there were eight observations in each condition, the denominator would be 16 (2 \times 8).

To get the sum of squares linear, divide the numerator by the denominator. In this case, the numerator (4) divided by the denominator (16) equals .25.

Once you have computed the sum of squares for the linear trend, the rest is easy. All you have to do is compute \( F \) ratio by dividing the mean square linear by the mean square error and then see if that result is significant.

Calculating the mean square linear involves dividing the sum of squares linear by the degrees of freedom linear. Because the degrees of freedom for any trend is always 1.00, you could divide your sum of squares (.25) by 1.00 and get .25. Or, you could simply remember that a trend’s mean square is always the same as its sum of squares.

Getting the mean square error is also easy: Just find the mean square error in the printout (it is the same error term that was used to calculate the overall \( F \)). In this example, the MSE is 10.

So, to get the \( F \) value for this linear comparison, you would divide the mean square for the comparison (.25) by the mean square error used on the overall main effect (10.0). Thus, the \( F \) would be .25/10, or .025. Because the \( F \) is below 1.00, this result is not significant.

But how large would the \( F \) have had to be to be significant? That depends on how many trends you were analyzing. If you had decided to look only at the linear trend, the significant \( F \) at the .05 level would have to exceed the value in the \( F \) table for 1 degree of freedom (the \( df \) for any trend) and 21 degrees of freedom (the \( df \) for this study’s error term). That value is 4.32.

If, however, you are going to analyze more than one trend, you must correct for the number of \( F \)s you are going to compute. The correction is simple: You divide the significance level you want (say .05), by the number of trends you will test. In this example, you are looking at two trends so you are
computing two Fs. Therefore, you should use the critical value of F for the significance level of .05/2 which is .025. So, rather than look in an F table listing the critical values of F for $p < .05$, you would look in an F table listing the critical values of F for $p < .025$. In this example, you would only declare a trend significant at the .05 level if the F for that trend exceeds the critical value for F $(1,21)$ at the .025 level: 5.83.

Obviously, the $F$ for the linear component, $F(1,21) = .025$, falls far short of the critical value of 5.83. But what about the quadratic component? To determine whether the quadratic component is significant, you would follow the same steps as before. The only difference is that you would look at the “Quadratic” column of the table for the three-condition case instead of the “Linear” column.

Thus, you would first multiply each condition’s treatment sums by the appropriate constants listed in the “Quadratic” column, add them together to get a sum, and square that sum. In other words,

$$[(1\times10) + (-2\times50) + (1\times12)]^2$$

which equals

$$[10 + (-100) + 12]^2$$

which equals

$$(−78)^2$$

which equals

6084

Now that you have the numerator for your sum of squares (6084), you need to compute the denominator. As when you computed the denominator for the linear component’s SS, you compute the denominator for the quadratic’s SS by multiplying the number of observations in each condition (8) by the weighting factor. The difference is that whereas the weighting factor for the linear component was 2, the weighting factor for the quadratic component is, as the table tells us, 6. Thus, the denominator for the SS quadratic is 8 (the number of observations in each condition) $\times$ 6 (the weighting factor for the quadratic effect), which is 48.

To compute the SS quadratic, divide your numerator (6084) by your denominator (48). The result is 126.7 (because $6084/48 = 126.7$).

Note that 126.7, your SS quadratic, is also your MS quadratic because $MS$ quadratic is always the same as $SS$ quadratic. (The reason $MS$ quadratic is always the same as $SS$ quadratic is because (a) $MS$ quadratic always equals $SS$ quadratic divided by $df$ quadratic, (b) $df$ quadratic always equals 1, and (c) $SS/1$ always equals $SS$.)

To get the $F$ for the quadratic trend, you would divide the $MS$ quadratic (126.7) by $MS$ error (10). Therefore, the $F$ for the quadratic trend is $126.7/10 = 12.67$. As before, the critical value for the comparison is the $F$ value for the .025 significance level with 1 and 21 degrees of freedom is 5.83. Because our $F$ of 12.67 exceeds the critical value of 5.83, we have a statistically significant quadratic trend.
By adding the results of these two trend analyses to the previous ANOVA results, we can now produce the following table:

<table>
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<tr>
<th>Source</th>
<th>df</th>
<th>SS</th>
<th>MS</th>
<th>F</th>
</tr>
</thead>
<tbody>
<tr>
<td>Sugar Main Effect</td>
<td>2</td>
<td>126.95</td>
<td>63.47</td>
<td>6.35*</td>
</tr>
<tr>
<td>Linear</td>
<td>1</td>
<td>0.25</td>
<td>0.25</td>
<td>0.02</td>
</tr>
<tr>
<td>Quadratic</td>
<td>1</td>
<td>126.70</td>
<td>126.70</td>
<td>12.67*</td>
</tr>
<tr>
<td>Error Term</td>
<td>21</td>
<td>210.00</td>
<td>10.00</td>
<td></td>
</tr>
</tbody>
</table>

*Significant at .05 level.

From looking at the table, you see that if you add up the degrees of freedom for all the trends involved in the sugar main effect (1 + 1), you get the total df for the sugar main effect (2). More importantly, note that if you add up the sum of squares for the quadratic and linear trends (126.70 + .25), you get the sum of squares for the overall effect (126.95). This fact gives you a way to check your work. Specifically, if the total of the sums of squares for all the trends does not add up to the sum of squares for the overall effect, you have made a mistake.

**USING TABLE 5 TO COMPUTE POST HOC TESTS**

Suppose you do an experiment in which you compare the effects of three colors on mood. For example, one third of your participants are put in a blue room, one third are put in a green room, and one third are put in a yellow room. If your ANOVA tells you that the color has an effect, you still do not know which colors significantly differ from each other. To find out which conditions differ from each other, you can use post hoc tests, such as the Tukey test after an analysis of variance finds a significant main effect for a multilevel factor.

To see how you could use Table 5 to compute post hoc tests, suppose that an investigator studies 24 participants (8 in each group) to examine the effect of color (blue, green, or yellow) on mood. As you can see from the following table, the investigator’s ANOVA table reveals a significant effect of color.

<table>
<thead>
<tr>
<th>Source</th>
<th>Sum of squares</th>
<th>Degrees of freedom</th>
<th>Mean square</th>
<th>F</th>
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</thead>
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<td>Color</td>
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<td>2</td>
<td>32.0</td>
<td>4.0*</td>
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<tr>
<td>Error</td>
<td>168</td>
<td>21</td>
<td>8.0</td>
<td></td>
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</tbody>
</table>

*Significant at .05 level.
The means for the three color conditions are

<table>
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<tr>
<th>Color</th>
<th>Mean</th>
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</thead>
<tbody>
<tr>
<td>Blue</td>
<td>10.0</td>
</tr>
<tr>
<td>Green</td>
<td>5.0</td>
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<tr>
<td>Yellow</td>
<td>8.0</td>
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</tbody>
</table>

The question is, “Which conditions differ from one another?” Does yellow cause a different mood than green? Does blue cause a different mood than yellow? To find out, we need to do a post hoc test. For this example, we will do the Tukey test.

The formula for the Tukey test is

\[
\frac{\text{Mean}_1 - \text{Mean}_2}{\sqrt{\text{MSE} \times \frac{1}{\text{number of observations per condition}}}}
\]

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<tr>
<th>df error</th>
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<th>3</th>
<th>4</th>
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<th>6</th>
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</table>

Source: This table is abridged from Table 29 of the *Biometrika Tables for Statisticians* (Vol. 1, 3rd ed.) by E. S. Pearson and H. O. Hartley (Eds.), 1970, New York: Cambridge University Press. Used with the kind permission of the Biometrika Trustees.
Because the mean square error is 8 (see original ANOVA table) and there are 8 participants in each group, the denominator in this example will always be

\[ \sqrt{8 \times \frac{1}{8}} \]

which equals

\[ \frac{\sqrt{8}}{8} \]

which equals

\[ \sqrt{1} \]

which equals

1

The numerator, because it is the difference between the means, will change, depending on what means you are comparing. If you are comparing blue mean and green mean, the numerator would be the blue mean (10) minus the green mean (5), which equals 5 (because 10 - 5 = 5). So, to see whether the blue and green conditions differ significantly, you would do the following calculations.

\[ \frac{10.0 \text{(blue mean)} - 5.0 \text{(green mean)}}{\sqrt{8 \times \frac{1}{8}}} = \frac{5.0}{\sqrt{1}} = \frac{5.0}{1.0} = 5.0 \]

To find out whether 5.0 is significant, go to Table 5 and look at the column labeled “3” because you have three means (blue, green, yellow). Then, go down the column until you hit row 21 because you have 21 degrees of freedom in your error term (as you can see by looking at the original ANOVA table). The value in that table is 3.57. This is the critical value that you will use in all your comparisons. If your Tukey statistic for a pair of means is larger than this critical value, there is a significant difference between conditions. Because 5.0 is greater than 3.57, your result is significant at the .05 level.

But, do blue and yellow differ? To find out, compute the Tukey statistic using the blue mean (10) minus the yellow mean (8) as the numerator, as we have done below:

\[ \frac{10.0 - 8.0}{\sqrt{8 \times \frac{1}{8}}} = \frac{2.0}{\sqrt{1}} = \frac{2.0}{1.0} = 2.0 \]

Because 2.0 is less than our critical value of 3.57, the difference between blue and yellow is not statistically significant at the .05 level.

Do yellow and green differ?

\[ \frac{8.0 - 5.0}{\sqrt{8 \times \frac{1}{8}}} = \frac{3.0}{\sqrt{1}} = \frac{3.0}{1.0} = 3.0 \]

Because 3.0 is less than our critical value of 3.57, the difference between yellow and green is not statistically significant at the .05 level.
DIRECTIONS FOR USING TABLE 6

If you are doing an experiment, you can use Table 6 to randomly assign participants to treatment condition. If you are doing a survey, you can use Table 6 to generate a random sample.

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<td>2</td>
<td>31</td>
<td>45</td>
<td>94</td>
<td>54</td>
<td>72</td>
<td>10</td>
<td>48</td>
<td>52</td>
<td>7</td>
<td>12</td>
<td>34</td>
<td>28</td>
<td>11</td>
<td>95</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

Randomly Assigning Participants to Groups in an Experiment

STEP 1: Across the top of a piece of paper, write down your conditions. Under each condition, draw a line for each participant you will need. In this example, we had three conditions and needed 12 participants.

<table>
<thead>
<tr>
<th>Group 1</th>
<th>Group 2</th>
<th>Group 3</th>
</tr>
</thead>
<tbody>
<tr>
<td>_______</td>
<td>_______</td>
<td>_______</td>
</tr>
<tr>
<td>_______</td>
<td>_______</td>
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<td>_______</td>
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<tr>
<td>_______</td>
<td>_______</td>
<td>_______</td>
</tr>
</tbody>
</table>

STEP 2: Turn to Table 6. Roll a die to determine in which column in the table you will start.

STEP 3: Assign the first number in the column to the first space under Group 1, the second number to the second space, and so on. When you have filled the spaces for Group 1, put the next number under the first space under Group 2. Similarly, when you fill all the spaces under Group 2, place the next number in the first space under Group 3. Thus, if we had started in the second column, our sheet of paper would now look like this:

<table>
<thead>
<tr>
<th>Group 1</th>
<th>Group 2</th>
<th>Group 3</th>
</tr>
</thead>
<tbody>
<tr>
<td>28</td>
<td>54</td>
<td>70</td>
</tr>
<tr>
<td>71</td>
<td>27</td>
<td>42</td>
</tr>
<tr>
<td>94</td>
<td>19</td>
<td>20</td>
</tr>
<tr>
<td>66</td>
<td>7</td>
<td>10</td>
</tr>
</tbody>
</table>

STEP 4: Assign the first person who participates in your study to the condition with the lowest random number. The second participant will be in the condition with the second lowest random number, and so on. Thus, in this example, your first participant would be in Group 2 and your second participant would be in Group 3. To be more specific,

- Participant 1 (7) = Group 2
- Participant 2 (10) = Group 3
- Participant 3 (19) = Group 2
- Participant 4 (20) = Group 3
- Participant 5 (27) = Group 2
- Participant 6 (28) = Group 1
- Participant 7 (42) = Group 3
Participant 8 (54) = Group 2
Participant 9 (66) = Group 1
Participant 10 (70) = Group 3
Participant 11 (71) = Group 1
Participant 12 (94) = Group 1

Using Table 6 to Get a Random Sample

STEP 1: Determine how large your sample will be.

STEP 2: Get a list of your population and put a line next to each individual’s name.

STEP 3: Turn to Table 6. Roll a die to determine in which column in the table you will start.

STEP 4: Assign the first number in the column to the first name on your list, the second number to the second space, until you have assigned numbers to all your names.

STEP 5: Put your participants in order based on their random number. Thus, the individual with the lowest random number next to his or her name would be the first on the list, the individual with the second lowest random number would be the second, and so on.

STEP 6: Go down the list to get your sample. If your sample size will be 50, pick the first 50 individuals on the list. If your sample size will be 100, pick the first 100 individuals on the list.
A–B design The simplest single-n design, consisting of measuring the participant’s behavior at baseline (A) and then measuring the participant after the participant has received the treatment (B).

A–B–A reversal design See reversal design.

Abstract A short (fewer than 120 words), one-page summary of a research proposal or an article.

Alpha (α) If referring to a measure, see Cronbach’s alpha; otherwise, see probability value.

Analysis of variance (ANOVA) A statistical test for analyzing data from experiments that is especially useful when the experiment has more than one independent variable or more than two levels of an independent variable.

Archival data Data from existing records and public archives.

Baseline The participant’s behavior on the task before receiving the treatment. A measure of the dependent variable as it occurs without the experimental manipulation. Used as a standard of comparison in single-subject and small-n designs.

Between-groups variance (mean square treatment, mean square between) An index of the degree to which group means differ. An index of the combined effects of random error and treatment. This quantity is compared to the within-groups variance in ANOVA. It is the top half of the $F$ ratio. If the treatment has no effect, the between-groups variance should be roughly the same as the within-groups variance. If the treatment has an effect, the between-groups variance should be larger than the within-groups variance.

Bias Systematic errors that can push the scores in a given direction. Bias may lead to “finding” the results that the researcher wanted.

Blind (also called masked) A strategy of making the participant or researcher unaware of what condition the participant is in.

Blocked design A factorial design in which, to boost power, participants are first divided into groups (blocks) on a subject variable (e.g., low-IQ block and high-IQ block). Then, participants from each block are randomly assigned to experimental condition. Ideally, a blocked design will be more powerful than a simple, between-subjects design.

Carryover (treatment carryover) effect The effect of a treatment administered earlier in the experiment persists so long that it is present even while participants are receiving additional treatments. It is often a problem with single-subject and within-subjects designs because you do not know whether the participant’s behavior is due to the treatment just administered or to a lingering effect of a treatment administered some time ago.

Ceiling effect The effect of treatment(s) is underestimated because the dependent measure is not sensitive to psychological states above a certain level. The measure puts an artificially low ceiling on how high a participant may score.

Central limit theorem If numerous large samples (30 or more scores) from the same population are taken, and you plot the mean for each of these samples, your plot would resemble a normal curve—even if the population from which you took those samples was not normally distributed.

Chi square ($\chi^2$) test A statistical test you can use to determine whether two or more variables are related. Best used when you have nominal data.

Coefficient of determination ($r^2$ or $\eta^2$) The square of the correlation coefficient; tells the degree to which knowing one variable helps to know another. This measure of effect size can range from 0 (knowing a participant’s score on one variable tells you absolutely nothing about the participant’s score on the second variable) to 1.00 (knowing a participant’s score on one variable tells you the participant’s exact score on the second variable). A coefficient of determination of .09 is considered medium, and a coefficient of determination of .25 is considered large.
Cohen’s $d$ A measure of effect size that tells you how different two groups are in terms of standard deviations. Traditionally, a Cohen’s $d$ of .2 is considered small, .5 is considered moderate, and .8 is considered large.

Conceptual replication A study that is based on the original study but uses different methods to assess the true relationships between the treatment and dependent variables better. In a conceptual replication, you might use a different manipulation or a different measure.

Confounding variables Variables, other than the independent variable, that may be responsible for the differences between your conditions. There are two types of confounding variables: ones that are manipulation irrelevant and ones that are the result of the manipulation. Confounding variables that are irrelevant to the treatment manipulation threaten internal validity. For example, the difference between groups may be due to one group being older than the other rather than to the treatment. Random assignment can control for the effects of those confounding variables. Confounding variables that are produced by the treatment manipulation hurt the construct validity of the study because even though we may know that the treatment manipulation had an effect, we don’t know what it was about the treatment manipulation that had the effect. For example, we may know that an “exercise” manipulation increases happiness (internal validity), but not know whether the “exercise” manipulation worked because people exercised more, got more encouragement, had a more structured routine, practiced setting and achieving goals, or met new friends. In such a case, construct validity is questionable because it would be questionable to label the manipulation an “exercise” manipulation.

Construct A mental state such as love, intelligence, hunger, and aggression that cannot be directly observed or manipulated with our present technology.

Construct validity The degree to which a study, test, or manipulation measures and/or manipulates what the researcher claims it does. For example, a test claiming to measure aggressiveness would not have construct validity if it really measured assertiveness.

Content analysis A method used to categorize a wide range of open-ended (unrestricted) responses. Content analysis schemes have been used to code the frequency of violence on certain television shows and are often used to code archival data.

Content validity The extent to which a measure represents a balanced and adequate sampling of relevant dimensions, knowledge, and skills. In many measures and tests, participants are asked a few questions from a large body of knowledge. A test has content validity if its content is a fair sample of the larger body of knowledge. Students hope that their psychology tests have content validity.

Control group Participants who are randomly assigned to not receive the experimental treatment. These participants are compared to the treatment group to determine whether the treatment had an effect.

Convenience sampling Including people in your sample simply because they are easy (convenient) to survey. It is hard to generalize the results accurately from a study that used convenience sampling.

Convergent validity Validity demonstrated by showing that the measure correlates with other measures of the construct.

Correlation coefficient A number that can vary from $-1.00$ to $+1.00$ and indicates the kind of relationship that exists between two variables (positive or negative as indicated by the sign of the correlation coefficient) and the strength of the relationship (indicated by the extent to which the coefficient differs from 0). Positive correlations indicate that the variables tend to go in the same direction (if a participant is low on one variable, the participant will tend to be low on the other). Negative correlations indicate that the variables tend to head in opposite directions (if a participant is low on one, the participant will tend to be high on the other).

Counterbalanced within-subjects design Design that gives participants the treatments in different sequences. These designs balance out routine order effects.

Covariation Changes in the treatment are accompanied by changes in the behavior. To establish causality, you must establish covariation.

Cronbach’s alpha A measure of internal consistency. To be considered internally consistent, a measure’s Cronbach’s alpha should be at least above .70 (most researchers would like to see it above .80).

Crossover (disordinal) interaction When an independent variable has one kind of effect in the presence of one level of a second independent variable, but a different kind of effect in the presence of a different level of the second independent variable. Examples: Getting closer to people may increase their attraction to you if you have just complimented them, but may decrease their attraction to you if you have just insulted them. Called a crossover interaction because the lines in a graph will cross. Called disordinal interaction because it cannot be explained by having ordinal rather than interval data.

Debriefing Giving participants the details of a study at the end of their participation. Proper debriefing is one of the researcher’s most serious obligations.

Degrees of freedom (df) An index of sample size. In the simple experiment, the df for your error term will always be two less than the number of participants.

Demand characteristics Characteristics of the study that suggest to the participant how the researcher wants the participant to behave.

Demographics Characteristics of a group, such as gender, age, social class.

Dependent groups t test A statistical test used with interval or ratio data to test differences between two conditions on a single dependent variable. Differs from the between-groups t test in that it is to be used only when you are getting two scores from each participant (within-subjects design) or when you are using a matched-pairs design.

Dependent variable (dependent measure) The factor that the experimenter predicts is affected by the independent variable; the participant’s response that the experimenter is measuring.

Descriptive hypothesis A hypothesis about a group’s characteristics or about the correlations between variables; a hypothesis that does not involve a cause–effect statement.

Dichotomous questions Questions that allow only two responses (usually “yes” or “no”).

Direct (exact) replication Repeating a study as exactly as possible, usually to determine whether or not the same results will be obtained. Direct replications are useful for establishing that the findings of the original study are reliable.
Discriminant validity When a measure does not correlate highly with a measure of a different construct. Example: A violence measure might have a degree of discriminant validity if it does not correlate with the measures of assertiveness, social desirability, and independence.

Discussion The part of the article, immediately following the results section, that discusses the research findings and the study in a broader context and suggests research projects that could be done to follow up on the study.

Disordinal interaction See crossover (disordinal) interaction.

Double-barreled question A statement that contains more than one question. Responses to a double-barreled question are difficult to interpret. For example, if someone responds, “No,” to the question “Are you hungry and thirsty?” we do not know whether he is hungry, but not thirsty; not hungry, but thirsty; or neither hungry nor thirsty.

Double-blind technique A strategy for improving construct validity that involves making sure that neither the participants nor the people who have direct contact with the participants know what type of treatment the participants have received.

Empty control group A group that does not get any kind of treatment. The group gets nothing, not even a placebo. Usually, because of participant and experimenter biases that may result from such a group, you will want to avoid using an empty control group.

Environmental manipulation A manipulation that involves changing the participant’s environment rather than giving the participant different instructions.

Eta squared ($\eta^2$) An estimate of effect size that ranges from 0 to 1 and is comparable to $r$-squared.

Ethical Conforming to the American Psychological Association’s principles of what is morally correct behavior. To learn more about these guidelines and standards, see Appendix D.

Ex post facto research When a researcher goes back, after the research has been completed, looking to test hypotheses that were not formulated prior to the beginning of the study. The researcher is trying to take advantage of hindsight. Often an attempt to salvage something out of a study that did not turn out as planned.

Experiment A study that allows researchers to disentangle treatment effects from natural differences between groups, usually by randomly assigning participants to treatment group. In medicine, such studies may be called controlled clinical trials or randomized clinical trials.

Experimental design A design in which (a) a treatment manipulation is administered and (b) that manipulation is the only variable that systematically varies between treatment conditions.

Experimental group Participants who are randomly assigned to receive the treatment.

Experimental hypothesis A prediction that the treatment will cause an effect.

Experimental (research) realism When a study engages the participant so much that the participant is not merely playing a role (helpful participant, good person).

Experimenter bias Experimenter being more attentive to participants in the treatment group or giving different nonverbal cues to treatment group participants than to other participants. When experimenter bias is present, differences between groups may be due to the experimenter rather than to the treatment.

Exploratory study A study investigating (exploring) a new area of research. Unlike replications, an exploratory study does not follow directly from an existing study.

External validity The degree to which the results of a study can be generalized to other participants, settings, and times.

Extraneous factor Factor other than the treatment. If we cannot control or account for extraneous variables, we can’t conclude that the treatment had an effect. That is, we will not have internal validity.

$F$ ratio Analysis of variance (ANOVA) yields an $F$ ratio for each main effect and interaction. In between-subjects experiments, the $F$ ratio is a ratio of between-groups variance to within-groups variance. If the treatment has no effect, $F$ will tend to be close to 1.0.

Face validity The extent to which a measure looks, on the face of it, to be valid. Face validity has nothing to do with actual, scientific validity. That is, a test could have face validity and not real validity or could have real validity, but not face validity. However, for practical/political reasons, you may decide to consider face validity when comparing measures.

Factor analysis A statistical technique designed to explain the variability in several questions in terms of a smaller number of underlying hypothetical factors.

Factorial experiment An experiment that examines two or more independent variables (factors) at a time.

Fatigue effect Decreased performance on a task due to being tired or less enthusiastic as a study continues. In a within-subjects design, this decrease in performance might be incorrectly attributed to a treatment.

File drawer problem A situation in which the research not affected by Type 1 errors languishes in researchers’ file cabinets, whereas the Type 1 errors are published.

Fixed-alternative question Item on a test or questionnaire in which a person must choose an answer from among a few specified alternatives. Multiple-choice, true–false, and rating-scale questions are all fixed-alternative questions.

Floor effect The effects of treatment(s) are underestimated because the dependent measure artificially restricts how low scores can be.

Frequency distribution A graph on which the frequencies of the scores are plotted. Thus, the highest point on the graph will be over the most commonly occurring score. Often, frequency distributions will look like the normal curve.

Functional relationship The shape of a relationship. Depending on the functional relationship between the independent and dependent variable, a graph of the relationship might look like a straight line or might look like a U, an S, or some other shape.

Hawthorne effect When members of the treatment group change their behavior not because of the treatment itself, but because they know they are getting special treatment.

History Events in the environment—other than the treatment—that have changed. Differences between conditions that may seem to be due to the treatment may really be due to history.

Hypothesis A testable prediction about the relationship between two or more variables.

Hypothesis-guessing When participants alter their behavior to conform to their...
guess as to what the research hypothesis is. Hypothesis-guessing can be a serious threat to construct validity, especially if participants guess right.

Hypothesis testing The use of inferential statistics to determine if the relationship found between two or more variables in a particular sample holds true in the population.

Instrumental bias The way participants were measured changed from pretest to posttest. In instrumentation bias, the actual measuring instrument is the actual measuring instrument.

Illusory correlation When there is really no relationship (a zero correlation) between two variables, but people perceive that the variables are related.

Independence Factors are independent when they are not causally or correlationally linked. Independence is a key assumption of most statistical tests. In the simple experiment, observations must be independent. That is, what one participant does should have no influence on what another participant does and what happens to one participant should not influence what happens to another participant. Individually assigning participants to the treatment or no-treatment condition and individually testing each participant are ways to achieve independence.

Independent random assignment Randomly determining for each individual participant which condition he will be in. For example, you might flip a coin for each participant to determine to which group he will be assigned.

Independent variable The variable being manipulated by the experimenter. Participants are assigned to a level of independent variable by independent random assignment.

Inferential statistics Procedures for determining the reliability and generalizability of a particular research finding.

Informed consent If participants agree to take part in a study after they have been told what is going to happen to them, you have their informed consent.

Institutional review board (IRB) A committee of at least five members—one of whom must be a nonscientist—that reviews proposed research in an effort to protect research participants.

Instructional manipulation Manipulating the treatment by giving written or oral instructions.

Interview A survey in which the researcher orally asks questions.

Interviewer bias When the interviewer influences participant’s responses. For example, the interviewer might verbally or nonverbally reward the participant for giving responses that support the hypothesis.

Interaction An interaction occurs when a relationship between two variables (e.g., X and Y) is affected by (is moderated by) the amount of a third variable (Z). You are probably most familiar with interactions involving drugs (e.g., two drugs may both be helpful but the combination of the two drugs is harmful or a drug is helpful, except for people with certain conditions). If you need to know how much of one variable participants have received to say what the effect of another variable is, you have an interaction between those two variables. If you graph the results from an experiment that has two or more independent variables, and the lines you draw between your points are not parallel, you may have an interaction. See also moderator variable.

Internal consistency The degree to which each question on a scale correlates with the other questions. Internal consistency is high if answers to each item correlate highly with answers to all other items.

Internal validity The degree to which a study establishes that a factor causes a difference in behavior. If a study lacks internal validity, the researcher may falsely believe that a factor causes an effect when it really doesn’t.

Interrater agreement The percentage of times the raters agree.

Interrater reliability An index of the degree to which different raters give the same behavior similar ratings.

Interval scale data Data that give you numbers that can be meaningfully ordered along a scale (from lowest to highest) and in which equal numerical intervals represent equal psychological intervals. That is, the difference between scoring a “2” and a “1” and the difference between scoring a “7” and a “6” are the same not only in terms of scores (both are a difference of 1), but also in terms of the actual psychological characteristic being measured. Interval scale measures allow us to compare participants in terms of how much of a quality participants have—and in terms of how much more of a quality one group may have than another.

Interview A survey in which the researcher orally asks questions.

Manipulation check A question or set of questions designed to determine whether participants perceived the manipulation in the way that the researcher intended.

Matched-pairs design An experimental design in which the participants are paired off by matching them on some variable
assumed to be correlated with the dependent variable. Then, for each matched pair, one member is randomly assigned to one treatment condition, and the other gets the other treatment condition. This design usually has more power than a simple, between-groups experiment.

**Matching** Choosing your groups so that they are similar (they match) on certain characteristics. Matching reduces, but does not eliminate, the threat of selection bias.

**Maturation** Changes in participants due to natural growth or development. A researcher may think that the treatment had an effect when the difference in behavior is really due to maturation.

**Mean** An average calculated by adding up all the scores and then dividing by the number of scores.

**Median** If you arrange all the scores from lowest to highest, the middle score will be the median.

**Median split** The procedure of dividing participants into two groups (“highs” and “lows”) based on whether they score above or below the median.

**Mediating variable** Variables inside the individual (such as thoughts, feelings, or physiological responses) that come between a stimulus and a response. In other words, the stimulus has its effect because it causes changes in mediating variables, which, in turn, cause changes in behavior.

**Method section** The part of the article immediately following the introduction. Whereas the introduction explains why the study was done, the method section describes what was done. For example, it will tell you what design was used, what the researchers said to the participants, what measures and equipment were used, how many participants were studied, and how participants were selected. The method section could also be viewed as a “how we did it” section. The method section is usually subdivided into at least two subsections: participants and procedure.

**Mixed design** An experimental design that has at least one within-subjects factor and one between-subjects factor.

**Mode** The score that occurred most often; the most frequent score. For example, 2 is the mode of the following data set: 2, 2, 2, 6, 10, 50.

**Moderator variable** Variable that can intensify, weaken, or reverse the effects of another variable. For example, the effect of wearing perfume may be moderated by gender: If you are a woman, wearing perfume may make you more liked; if you are a man, wearing perfume may make you less liked.

**Mortality (attrition)** Participants dropping out of a study before the study is completed. Sometimes, differences between conditions may be due to participants dropping out of the study rather than to the treatment.

**Multiple-baseline design** A single-subject or small-n design in which different behaviors receive baseline periods of varying lengths prior to the introduction of the treatment variable. Often, the goal is to show that the behavior being rewarded changes, whereas the other behaviors stay the same until they too are reinforced.

**Multiple regression** A statistical technique that can take data from several predictors and an outcome variable to create a formula that weights the predictors in such a way as to make the best possible estimates of the outcome variable given those predictors. In linear multiple regression, this equation is for the straight line that best predicts the outcome data. Often, with multiple regression, you not only are able to predict your outcome variable with accuracy, but you are also able to tell which predictors are most important for making accurate predictions. For more information on multiple regression, see Appendix E.

**Naturalistic observation** A technique of observing events as they occur in their natural setting.

**Negative correlation** An inverse relationship between two variables (such as number of suicide attempts and happiness).

**95% confidence interval** A range in which you can be 95% sure that the population mean falls.

**Nominal-dichotomous item** A question that presents participants with only two—usually very different—options (e.g., “Are you for or against animal research?”). Such questions are often yes/no questions and often ask the participant to classify herself or himself into one of two different categories.

**Nominal scale numbers** Numbers that do not represent different amounts of a characteristic but instead represent different kinds of characteristics (qualities, types, or categories); numbers that substitute for names.

Nonequivalent control-group design A quasi-experimental design that, like a simple experiment, has a treatment group and a no-treatment comparison group. However, unlike the simple experiment, random assignment does not determine which participants get the treatment and which do not.

**Nonreactive measure** Measurement that is taken without changing the participant’s behavior; also referred to as unobtrusive measure.

**Nonresponse bias** The problem caused by people who were in your sample refusing to participate in your study. Nonresponse bias is one of the most serious threats to a survey design’s external validity.

**Nonsignificant results** See null results.

**Normal curve** A bell-shaped, symmetrical curve that has its center at the mean.

**Normal distribution** If the way the scores are distributed follows the normal curve, scores are said to be normally distributed. For example, a population is said to be normally distributed if 68% of the scores are within one standard deviation of the mean, 95% are within two standard deviations of the mean, and 99% of the scores are within three standard deviations of the mean. Many statistical tests, including the t test, assume that sample means are normally distributed.

**Null hypothesis** The hypothesis that there is no relationship between two or more variables. The null hypothesis can be disproven, but it cannot be proven.

**Null results (nonsignificant results)** Results that fail to disconfirm the null hypothesis; results that fail to provide convincing evidence that the factors are related. Null results are inconclusive because the failure to find a relationship could be due to your design lacking the power to find the relationship. In other words, many null results are Type 2 errors.

**Observer bias** Bias created by the observer seeing what the observer wants or expects to see.

**Open-ended question** Question that does not ask participants to choose between the responses provided by the researcher (e.g., choosing “a,” “b,” or “c” on a multiple-choice question or choosing a number between 1 and 5 on a rating scale measure) but instead asks the participant to generate a response.
Essay and fill-in-the-blank questions are open-ended questions.

Operational definition A publicly observable way to measure or manipulate a variable; a “recipe” for how you are going to measure or manipulate your factors.

Order The place in a sequence (first, second, third, etc.) when a treatment occurs.

Order (trial) effects A big problem with within-subjects designs. The order in which the participant receives a treatment (first, second, etc.) will affect how participants behave.

Ordinal scale numbers Numbers that can be meaningfully ordered from lowest to highest. Ranks (e.g., class rank, order in which participants finished a task) are ordinal scale numbers.

Overall main effect The overall or average effect of an independent variable. 

p < .05 level A traditional significance level; if the variables are unrelated, results significant at this level would occur less than 5 times out of 100. Traditionally, results that are significant at the p < .05 level are considered statistically reliable and thus replicable.

Parameter estimation The use of inferential statistics to estimate certain characteristics of the population (parameters) from a sample of that population.

Parameters Measurements describing populations; often inferred from statistics, which are measurements describing a sample.

Parsimony See law of parsimony.

Participant bias Participants trying to behave in a way that they believe will support the researcher’s hypothesis.

Participant observation An observation procedure in which the observer participates with those being observed. The observer becomes “one of them.”

Placebo treatment A fake treatment that we know has no effect, except through the power of suggestion. It allows experimenters to see if the treatment has an effect beyond that of suggestion. For example, in medical experiments, participants who are given placebos (pills that do not contain a drug) may be compared to participants who are given pills that contain the new drug.

Plagiarism Using someone else’s words, thoughts, or work without giving proper credit.

Psychological Abstracts A useful resource that contains abstracts from a wide variety of journals. The Abstracts can be searched by year of publication, topic of article, or author. For more about the Abstracts, see Web Appendix B.

Psychological construct See construct.

Glossary

**Population** The entire group that you are interested in. You can estimate the characteristics of a population by taking large random samples from that population.

**Positive correlation** A relationship between two variables in which the two variables tend to vary together—when one increases, the other tends to increase. (For example, height and weight have a positive correlation: The taller one is, the more one tends to weigh; the shorter one is, the less one tends to weigh.)

**Post hoc test** Usually refers to a statistical test that has been performed after an ANOVA has obtained a significant effect for a factor. Because the ANOVA says only that at least two of the groups differ from one another, post hoc tests are performed to find out which groups differ from one another.

**Post hoc trend analysis** A type of post hoc test designed to determine whether a linear or curvilinear relationship is statistically significant (reliable).

**Power** The ability to find statistically significant differences when differences truly exist; the ability to avoid making Type 2 errors.

**Practice effect** The change in a score on a test (usually a gain) resulting from previous practice with the test. In a within-subjects design, this improvement might be incorrectly attributed to receiving a treatment.

**Pretest-posttest design** A before-after design in which each participant is given the pretest, administered the treatment, then given the posttest.

**Probability value (p value)** The chances of obtaining a certain pattern of results if there really is no relationship between the variables.

**Proportional stratified random sampling** Making sure that the sample is similar to the population in certain respects (for instance, percentage of men and women) and then randomly sampling from these groups (strata). Has all the advantages of random sampling with even greater accuracy.

**PsychoINFO** The computerized version of Psychological Abstracts.

**Quadratic relationship** A relationship on a graph shaped like a “U” or an upside down “U.”

**Quasi-experiment** A study that resembles an experiment except that random assignment played no role in determining which participants got which level of treatment. Usually, quasi-experiments have less internal validity than experiments.

**Questionnaire** A written survey instrument.

**Quota sampling** Making sure you get the desired number of (meet your quotas for) certain types of people (certain age groups, minorities, etc.). This method does not involve random sampling and usually gives you a less representative sample than random sampling would. However, it may be an improvement over convenience sampling.

**Random assignment** See independent random assignment.

**Random digit dialing** Finding participants for telephone interviews by taking the area code and the 3-digit prefixes that you are interested in and then adding random digits to the end to create 10-digit phone numbers. You may use this technique when (a) you cannot afford to buy a list of phone numbers and then randomly select numbers from that list or (b) you want to contact people with unlisted numbers.

**Random error** Variations in scores due to unsystematic, chance factors.

**Randomized controlled trials (RCTs)** Laboratory experiments in which participants are randomly assigned to one of two (or more) groups. These studies have impressive internal validity, especially relative to correlational studies.

**Random sampling** A sample that has been randomly selected from a population. If you randomly select enough participants, those participants will usually be fairly representative of the entire population. That is, your random sample will reflect its population. Often, random sampling is used to maximize a study’s external validity. Note that random sampling—unlike random assignment—does not promote internal validity.

**Randomized within-subjects design** As in all within-subjects designs, all participants receive more than one level or type of treatment. However, to make
sure that not every participant receives the series of treatments in the same sequence, the researcher randomly

determines which treatment comes first, which comes second, and so on. In other

words, participants all get the same treatments, but they receive different

sequences of treatments.

Ratio scale data The highest form of measurement. With ratio scale numbers, the difference between any two con-

secutive numbers is the same (see interval scale). But in addition to having interval scale properties, in ratio scale measure-

ment, a zero score means the total absence of a quality. (Thus, Fahrenheit is not a ratio scale measure of temperature because 0 degrees Fahrenheit does not mean there is no temperature.) If you have ratio scale numbers, you can meaningfully form ratios between scores. If IQ scores were ratio (they are not; very few measurements in psychology are), you could say that someone with a 60 IQ was twice as smart as someone with a 30 IQ (a ratio of 2 to 1). Furthermore, you could say that some-

one with a 0 IQ had absolutely no intelligence whatsoever.

Regression toward the mean The tendency for scores that are extremely unusual to revert back to more-normal levels on the retest. If participants are chosen because their scores were extreme, these extreme scores may be loaded with extreme amounts of random measurement error. On retesting, participants are bound to get more-normal scores as random measurement error abates to more-normal levels. This regression effect could be mistaken for a treatment effect.

Reliability A general term, often referring to the degree to which a participant would get the same score if retested (test–retest reliability). Reliability can, however, refer to the degree to which scores are free from random error. A measure can be reliable, but not valid. However, a measure cannot be valid if it is not also reliable.

Repeated-measures design See within-subjects design.

Replicable Repeatable. A skeptical researcher should be able to repeat another researcher’s study and obtain the same pattern of results.

Replicate Repeat, or duplicate, an original study.

Research journal A relatively informal notebook in which you jot down your

research ideas and observations. The research journal can be a useful resource when it comes time to write the research proposal. Note: Despite the fact that they sound similar, the term “research journal” is not similar to the term “scientific journal.” The term “scientific journal” is used to distinguish journals from magazines. In contrast to maga-

zines, scientific journals tend (1) not to have ads for popular products, (2) not to have full-page color pictures, (3) to have articles that follow APA format (having abstract, introduction, method, results, discussion, and reference sections), and (4) to have articles that have been peer-reviewed.

Researcher effect Ideally, you hope that the results from a study would be the same no matter who was conducting it. However, it is possible that the results may be affected by the researcher. If the researcher is affecting the results, there is a researcher effect.

Research Ethics Board See Institutional Research Board.

Researcher expectancy effect When a researcher’s expectations affect the results. This is a type of researcher bias.

Response set Habitual way of responding on a test or survey that is independent of a particular test item (for instance, a participant might always check “agree” no matter what the statement is).

Restriction of range To observe a sizable correlation between two variables, both must be allowed to vary widely (if one variable does not vary, the variables cannot vary together). Occasionally, investigators fail to find a relationship between variables because they study only one or both variables over a highly restricted range. Example: comparing NFL offensive linemen and saying that weight has nothing to do with playing offensive line in the NFL on the basis of your finding that great offensive tackles do not weigh much more than poor offensive tackles. Problem: You com-

pared only people who ranged in weight from 315 to 330 pounds.

Results section The part of an article, immediately following the method sec-

tion, that reports statistical results and relates those results to the hypotheses. From reading this section, you should know whether the results supported the hypotheses.

Retrospective self-report Participants telling you what they said, did, or

believed in the past. In addition to prob-

lems with ordinary self-report (response sets, giving the answer that a leading question suggests, etc.), retro-

spective self-report is vulnerable to memory biases. Thus, retrospective self-reports should not be accepted at face value.

Reversal design (A–B–A design, A–B–A reversal design) A single-subject or small-n design in which baseline measure-

ments are made of the target behavior (A), then an experimental treatment is given (B), and the target behavior is measured again (A). The A–B–A design makes a more convincing case for the treatment’s effect than the A–B design.

Scatterplot A graph made by plotting the scores of individuals on two variables (e.g., each participant’s height and weight). By looking at this graph, you should get an idea of what kind of relationship (positive, negative, zero) exists between the two variables.

Selection (or selection bias) Apparent treatment effects being due to comparing groups that differed even before the treatment was administered (comparing apples with oranges).

Selection by maturation interaction Treatment and no-treatment groups, although similar at one point, would have grown apart (developed differently) even if no treatment had been administered.

Self-administered questionnaire A ques-

tionnaire filled out in the absence of an investigator.

Semistructured interview An interview constructed around a core of standard questions; however, the interviewer may expand on any question in order to explore a given response in greater depth.

Sensitive, sensitivity The degree to which a measure is capable of distinguishing between participants who differ on a variable (e.g., have different amounts of a construct or who do more of a certain behavior).

Sensitization After getting several dif-

dent treatments and performing the dependent variable task several times, participants may realize (become sensi-

tive to) what the hypothesis is. Sensiti-

zation is a problem in within-subjects designs.

Sequence effect Participants who receive one sequence of treatments score...
differently than those participants who receive the same treatments in a different sequence when you have a sequence effect.

Significance level See probability value.

Simple experiment A study in which participants are independently and randomly assigned to one of two groups, usually to either a treatment group or to a no-treatment group. It is the easiest way to establish that a treatment causes an effect.

Simple main effect The effects of one independent variable at a specific level of a second independent variable. The simple main effect could have been obtained merely by doing a simple experiment.

Single blind To reduce either subject biases or researcher biases, you might use a single-blind experiment in which either the participant (if you are most concerned about subject bias) or the person running participants (if you are most concerned about researcher bias) is unaware of who is receiving what level of the treatment. If you are concerned about both subject and researcher bias, then you should probably use a double-blind study.

Single-n designs See single-subject design.

Single-subject design Design that tries to establish causality by studying a single participant and arguing that the covariation between treatment and changes in behavior could not be due to anything other than the treatment. A key to this approach is to prevent factors other than the treatment from varying. Single-n designs are common in operant conditioning and psychophysical research. See also A–B design, A–B–A reversal design, multiple-baseline design.

Social desirability bias A bias resulting from participants giving responses that make them look good rather than giving honest responses.

Spurious When the covariation observed between two variables is not due to the variables influencing each other, but because both are being influenced by some third variable. For example, the relationship between ice cream sales and assaults in New York is spurious—not because it does not exist (it does!)—but because ice cream does not cause assaults, and assaults do not cause ice cream sales. Instead, high temperatures probably cause both increased assaults and ice cream sales. Beware of spuriousness whenever you look at research that does not use an experimental design.

Stable baseline When the participant’s behavior, prior to receiving the treatment, is consistent. Single-n experimenters try to establish a stable baseline.

Standard deviation A measure of the extent to which individual scores deviate from the population mean. The more scores vary from each other, the larger the standard deviation will tend to be. If, on the other hand, all the scores are the same as the mean, the standard deviation would be zero.

Standard error of the difference An index of the degree to which random sampling error may cause two sample means representing the same populations to differ. In the simple experiment, if we are to find a treatment effect, the difference between our experimental-group mean and control-group mean will usually be at least twice as big as the standard error of the difference. To find out the exact ratio between our observed difference and the standard error of the difference, we conduct a t test.

Standard error of the mean An index of the degree to which random error may cause the sample mean to be an inaccurate estimate of the population mean. The standard error will be small when the standard deviation is small, and the sample mean is based on many scores.

Standardization Treating each participant in the same (standard) way. Standardization can reduce both bias and random error.

Statistical regression See regression (toward the mean).

Statistical significance When a statistical test says that the relationship we have observed is probably not due to chance alone, we say that the results are statistically significant. In other words, because the relationship is probably not due to chance, we conclude that there probably is a real relationship between our variables.

Stimulus set The particular stimulus materials that are shown to two or more groups of participants. Researchers may use more than one stimulus set in a study so that they can see whether the treatment effect replicates across different stimulus sets. In those cases, stimulus sets would be a replication factor.

Stooge Confederate who pretends to be a participant, but is actually a researcher’s assistant. The use of stooges raises ethical questions.

Stratified sampling See proportionate stratified sampling.

Straw theory An oversimplified version of an existing theory. Opponents of a theory may present and attack a straw version of that theory but claim they have attacked the theory itself.

Structured interview An interview in which all respondents are asked a standard list of questions in a standard order.

Subject bias (subject effects) Ways the participant can bias the results (guessing the hypothesis and playing along, giving the socially correct response, etc.).

Summated score When you have several Likert-type questions that all tap the same dimension (such as attitude toward democracy), you can add up each participant’s responses to those questions to get an overall, total (summated) score.

Survey A nonexperimental design useful for describing how people think, feel, or behave. The key is to design a valid questionnaire, test, or interview and administer it to a representative sample of the group you are interested in.

Systematic replication A study that varies from the original study only in some minor aspect. For example, a systematic replication may use more participants, more standardized procedures, more levels of the independent variable, or a more realistic setting than the original study.

T test The most common way of analyzing data from a simple experiment. It involves computing a ratio between two things: (1) the difference between your group means, and (2) the standard error of the difference (an index of the degree to which group means could differ by chance alone). If the difference you observe is more than three times bigger than the difference that could be expected by chance, then your results are probably statistically significant. We can only say “probably” because the exact ratio that you need for statistical significance depends on your level of significance and on how many participants you have.

Temporal precedence The causal factor comes before the change in behavior. Because the cause must come before the effect, researchers trying to establish causality must establish that the factor alleged to be the cause was introduced...
before the behavior changed (temporal precedence).

**Test–retest reliability** A way of assessing the amount of random error in a measure by administering the measure to participants at two different times and then correlating their results. If the measure is free of random error, scores on the retest should be highly correlated with scores on the original test.

**Testing effect** Participants score differently on the posttest as a result of what they learned from taking the pretest. Occasionally, people may think the participants’ behavior changed because of the treatment when it really changed due to testing.

**Theory** A set of principles that explain existing research findings and that can be used to make new predictions can lead to new research findings.

**Time-series design** A quasi-experimental design in which a series of observations are taken from a group of participants before and after they receive treatment. Because it uses many times of measurement, it is an improvement over the pretest–posttest design. However, it is still extremely vulnerable to history effects.

**Trend analysis** See post hoc trend analysis.

**Type 1 error** Rejecting the null hypothesis when it is in fact true. In other words, declaring a difference statistically significant when the difference is really due to chance.

**Type 2 error** Failure to reject the null hypothesis when it is in fact false. In other words, failing to find a relationship between your variables when there really is a relationship between them.

**Unobtrusive measurement** Recording a particular behavior without the participant knowing you are measuring that behavior. Unobtrusive measurement reduces subject biases such as social desirability bias and obeying demand characteristics.

**Unstructured interview** When the interviewer has no standard set of questions that he or she asks each participant—virtually worthless approach for collecting scientifically valid data.

**Valid** Usually, a reference to whether a conclusion or claim is justified. A measure is considered valid when it measures what it claims to measure. See also construct validity, internal validity, and external validity.

**Variability between group means** See between-groups variance.

**Within-groups variance (mean square within, mean square error, error variance)** An estimate of the amount of random error in your data. The bottom half of the $F$ ratio in a between-subjects analysis of variance.

**Within-subjects design (repeated-measures design)** An experimental design in which each participant is tested under more than one level of the independent variable. The sequence in which the participants receive the treatments is usually randomly determined. See also randomized within-subjects design and counterbalanced within-subjects designs.

**Zero correlation** When there doesn’t appear to be a linear relationship between two variables. For practical purposes, any correlation between −.10 and +.10 may be considered so small as to be nonexistent.


Brewer, W. J. (2005, March 24). E-mail surveys may be first step in effort to cripple progress of Title IX. *USA Today*, p. D3.


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Practical Tips for Conducting an Ethical and Valid Study

PLANNING YOUR PROCEDURES

You have reviewed the literature, developed a hypothesis, operationalized your variables, and given sound reasons for testing your hypothesis. However, your preliminary work is still not done. You must go from having a general idea of what you are going to do (e.g., “I am going to test my hypothesis using a simple experiment”) to having a specific plan.

Writing out your plan helps you meet two APA guidelines designed to stop you from doing an unethical study. First, APA guidelines state that you should seek out the advice of experienced researchers to determine whether the study should be done. Based on your detailed proposal, those researchers can give you informed advice. Second, the guidelines state that you should obtain, if your school requires it, prior approval from your school to conduct research (see Institutional Approval, section 8.01, in Box 1). To get your school’s approval, you will need to submit a written proposal.

If your study is ethical, writing the proposal will help you do two things to make the study more ethical. First, it will help you anticipate and reduce any risks to the people who would participate in the study—a key APA ethical guideline (see Avoiding Harm, section 3.04 of the APA ethical code, in Box 1). Second, you can share your written plan so that others can tell you about safeguards and alternatives you did not consider.

ETHICAL CONSIDERATIONS IN HUMAN RESEARCH

Because having a good written plan is so important, you will probably have to submit such a plan to your professor before doing any research. However, your professor’s approval may not be enough. For example, your professor may tell you that you must submit your research to the department’s ethics
2.05 Delegation of Work to Others

Psychologists who delegate work to employees, supervisees, or research or teaching assistants or who use the services of others, such as interpreters, must take reasonable steps to (1) avoid delegating such work to persons who have a multiple relationship with those being served that would likely lead to exploitation or loss of objectivity; (2) authorize only those responsibilities that such persons can be expected to perform competently on the basis of their education, training, or experience, either independently or with the level of supervision being provided; and (3) see that such persons perform these services competently. (See also Standards 2.02, Providing Services in Emergencies; 3.05, Multiple Relationships; 4.01, Maintaining Confidentiality; 9.01, Bases for Assessments; 9.02, Development and Use of Assessments; 9.03, Informed Consent in Assessments; and 9.07, Assessment by Unqualified Persons.)

3.04 Avoiding Harm

Psychologists take reasonable steps to avoid harming their clients/patients, students, supervisees, research participants, organizational clients, and others with whom they work, and to minimize harm where it is foreseeable and unavoidable.

3.10 Informed Consent

a. When psychologists conduct research or provide assessment, therapy, counseling, or consulting services in person or via electronic transmission or other forms of communication, they obtain the informed consent of the individual or individuals using language that is reasonably understandable to that person or persons except when conducting such activities without consent is mandated by law or governmental regulation or as otherwise provided in this Ethics Code. (See also Standards 8.02, Informed Consent to Research; 9.03, Informed Consent in Assessments; and 10.01, Informed Consent to Therapy.)

b. For persons who are legally incapable of giving informed consent, psychologists nevertheless (1) provide an appropriate explanation, (2) seek the individual’s assent, (3) consider such persons’ preferences and best interests, and (4) obtain appropriate permission from a legally authorized person, if such substitute consent is permitted or required by law. When consent by a legally authorized person is not permitted or required by law, psychologists take reasonable steps to protect the individual’s rights and welfare.

c. Psychologists appropriately document written or oral consent, permission, and assent. (See also Standards 8.02, Informed Consent to Research; 9.03, Informed Consent in Assessments; and 10.01, Informed Consent to Therapy.)

4. Privacy and Confidentiality

4.01 Maintaining Confidentiality

Psychologists have a primary obligation and take reasonable precautions to protect confidential information obtained through or stored in any medium, recognizing that the extent and limits of confidentiality may be regulated by law or established by institutional rules or professional or scientific relationship. (See also Standard 2.05, Delegation of Work to Others.)

4.02 Discussing the Limits of Confidentiality

a. Psychologists discuss with persons (including, to the extent feasible, persons who are legally incapable of giving informed consent and their legal representatives) and organizations with whom they establish a scientific or professional relationship (1) the relevant limits of confidentiality and (2) the foreseeable uses of the information generated through their psychological activities. (See also Standard 3.10, Informed Consent.)

b. Unless it is not feasible or is contraindicated, the discussion of confidentiality occurs at the outset of the relationship and thereafter as new circumstances may warrant.
4.04 Minimizing Intrusions on Privacy
a. Psychologists discuss confidential information obtained in their work only for appropriate scientific or professional purposes and only with persons clearly concerned with such matters.

5.01 Avoidance of False or Deceptive Statements
a. Public statements include but are not limited to paid or unpaid advertising, product endorsements, grant applications, licensing applications, other credentialing applications, brochures, printed matter, directory listings, personal resumes or curricula vitae, or comments for use in media such as print or electronic transmission, statements in legal proceedings, lectures and public oral presentations, and published materials. Psychologists do not knowingly make public statements that are false, deceptive, or fraudulent concerning their research, practice, or other work activities or those of persons or organizations with which they are affiliated.
b. Psychologists do not make false, deceptive, or fraudulent statements concerning (1) their training, experience, or competence; (2) their academic degrees; (3) their credentials; (4) their institutional or association affiliations; (5) their services; (6) the scientific or clinical basis for, or results or degree of success of, their services; (7) their fees; or (8) their publications or research findings.

6. Record-Keeping and Fees

6.01 Documentation of Professional and Scientific Work and Maintenance of Records
Psychologists create, and to the extent the records are under their control, maintain, disseminate, store, retain, and dispose of records and data relating to their professional and scientific work in order to (1) facilitate provision of services later by them or by other professionals, (2) allow for replication of research design and analyses, (3) meet institutional requirements, (4) ensure accuracy of billing and payments, and (5) ensure compliance with law. (See also Standard 4.01, Maintaining Confidentiality.)

6.02 Maintenance, Dissemination, and Disposal of Confidential Records of Professional and Scientific Work
a. Psychologists maintain confidentiality in creating, storing, accessing, transferring, and disposing of records under their control, whether these are written, automated, or in any other medium. (See also Standards 4.01, Maintaining Confidentiality; and 6.01, Documentation of Professional and Scientific Work and Maintenance of Records.)

8. Research and Publication

8.01 Institutional Approval
When institutional approval is required, psychologists provide accurate information about their research proposals and obtain approval prior to conducting the research. They conduct the research in accordance with the approved research protocol.

8.02 Informed Consent to Research
a. When obtaining informed consent as required in Standard 3.10, Informed Consent, psychologists inform participants about (1) the purpose of the research, expected duration, and procedures; (2) their right to decline to participate and to withdraw from the research once participation has begun; (3) the foreseeable consequences of declining or withdrawing; (4) reasonably foreseeable factors that may be expected to influence their willingness to participate such as potential risks, discomfort, or adverse effects; (5) any prospective research benefits; (6) limits of confidentiality; (7) incentives for participation; and (8) whom to contact for questions about the research and research participants’ rights. They provide opportunity for the prospective participants to ask questions and receive answers. (See also Standards 8.03, Informed Consent for Recording Voices and Images in Research; 8.05, Dispensing with Informed Consent for Research; and 8.07, Deception in Research.)

(Continued)
b. Psychologists conducting intervention research involving the use of experimental treatments clarify to participants at the outset of the research (1) the experimental nature of the treatment; (2) the services that will or will not be available to the control group(s) if appropriate; (3) the means by which assignment to treatment and control groups will be made; (4) available treatment alternatives if an individual does not wish to participate in the research or wishes to withdraw once a study has begun; and (5) compensation for or monetary costs of participating including, if appropriate, whether reimbursement from the participant or a third-party payor will be sought. (See also Standard 8.02a, Informed Consent to Research.)

8.03 Informed Consent for Recording Voices and Images in Research
Psychologists obtain informed consent from research participants prior to recording their voices or images for data collection unless (1) the research consists solely of naturalistic observations in public places, and it is not anticipated that the recording will be used in a manner that could cause personal identification or harm or (2) the research design includes deception, and consent for the use of the recording is obtained during debriefing. (See also Standard 8.07, Deception in Research.)

8.04 Client/Patient, Student, and Subordinate Research Participants
a. When psychologists conduct research with clients/patients, students, or subordinates as participants, psychologists take steps to protect the prospective participants from adverse consequences of declining or withdrawing from participation.
b. When research participation is a course requirement or opportunity for extra credit, the prospective participant is given the choice of equitable alternative activities.

8.05 Dispensing With Informed Consent for Research
Psychologists may dispense with informed consent only (1) where research would not reasonably be assumed to create distress or harm and involves (a) the study of normal educational practices, curricula, or classroom management methods conducted in educational settings; (b) only anonymous questionnaires, naturalistic observations, or archival research for which disclosure of responses would not place participants at risk of criminal or civil liability or damage their financial standing, employability, or reputation, and confidentiality is protected; or (c) the study of factors related to job or organization effectiveness conducted in organizational settings for which there is no risk to participants’ employability and confidentiality is protected or (2) where otherwise permitted by law or federal or institutional regulations.

8.06 Offering Inducements for Research Participation
a. Psychologists make reasonable efforts to avoid offering excessive or inappropriate financial or other inducements for research participation when such inducements are likely to coerce participation.
b. When offering professional services as an inducement for research participation, psychologists clarify the nature of the services, as well as the risks, obligations, and limitations. (See also Standard 6.05, Barter With Clients/Patients.)

8.07 Deception in Research
a. Psychologists do not conduct a study involving deception unless they have determined that the use of deceptive techniques is justified by the study’s significant prospective scientific, educational, or applied value and that effective nondeceptive alternative procedures are not feasible.
b. Psychologists do not deceive prospective participants about research that is reasonably expected to cause physical pain or severe emotional distress.
committee or that you must submit your research to your school’s Institutional Review Board (IRB).

**Dealing With the IRB**

What will determine whether you have to submit your research to your school’s IRB? If you are doing research that you want to present at a conference or publish in a journal, you will need to submit your study to your school’s IRB.

But what if you are doing a study for a class assignment and have no intention of presenting or publishing your results? We can’t give you a simple answer to this question because, although all IRBs are governed by the same laws, all IRBs do not interpret the laws in the same ways. By law, IRBs are supposed to evaluate research and, by law, research is defined as “a systematic investigation, including research development, testing and evaluation, designed to develop or contribute to generalizable knowledge” (45 C.F.R. Part 46, Section 46.102). Given the law, it seems clear that your study would not have to be reviewed by the IRB. In practice, however, about half of all IRBs believe that such class projects need to be reviewed.
If you have to submit your research to an IRB, you will probably need to fill out a form like the one in Box 2. As you can tell from that form, if your study does need to be reviewed by an IRB, you will have to do much more than say that you want to do some research. You must have a specific hypothesis to be tested, and you must have your procedures clearly spelled out.
out—including what you will say to participants before they agree to be in the study, and what you will say to them after they have participated in the study.

**Understanding the Different Levels of IRB Review**

If your study must go through the IRB process, it will go through one of three levels of review. The levels differ primarily in terms of how many people will evaluate your proposal. In the least rigorous review, “exempt from full board review,” the IRB chairperson may be the only one to review your proposal. In the “expedited review,” the IRB chairperson and one other person may be the only ones to review your proposal. In the most rigorous review, called “full board review,” the entire IRB—a committee which must consist of at least one nonscientist and at least one person not affiliated with your school—may read and debate your proposal.

The level of review you get does not affect the kind of proposal you submit. In every case, you should submit a detailed, polished proposal. However, the level of review you get does affect how far in advance you must submit your proposal. If your proposal is classified as exempt from full board review, you may get approval to start your study in less than a week after you submit your proposal. If, on the other hand, your proposal must undergo full board review, you will probably not get approval to start your study for at least three weeks after you submit your proposal.

The level of review you get will depend on your study and the IRB chair. If your research involves minimal risk, the chair might agree to exempting your research from full board review. Usually, to get an exempt rating, you would have to be able to answer “no” to questions 2–11 in Box 2 (the sample review form). You may be surprised to find that offering extra credit (question 2) could get your research negative attention from the IRB. One reason that giving participants extra credit can get you into trouble is that some students may feel they need extra credit to pass the course. Those students may feel they have no choice but to participate. In such a case, you would be in danger of violating APA principle 8.06a: “offering excessive . . . inducements for research participation when such inducements are likely to coerce participation.”

If you are going to offer extra credit, you need to reassure the committee that students will not feel forced to participate. One way to reassure the committee is to make it clear that you will provide an alternative extra credit assignment (such as having students read and summarize a research article) for those who cannot or do not want to participate in your study.

Now that you realize how IRBs react to giving extra credit as an incentive, you can probably guess how they react to giving money as an incentive: They are not enthusiastic. Their concern, shared by APA, is that people may get an offer they do not feel they can refuse. Thus, as APA’s guidelines suggest (see 8.06 in Box 1), you should probably avoid paying participants. If you must pay them, the pay should usually be low—about minimum wage.

Note that questions 4 and 5 require you to think about who will be in your sample. To get approval for your project, you usually will have to limit your participants to students at your school. Thus, you should probably answer “no” to question 4. Answering question 5 (about vulnerable and special populations) is trickier. For example, what are you going to do about the 17-year-old
freshman who wants to be in your study? If you would include that person, many IRBs will still consider your research exempt (even though you are testing a minor)—but not all. Similarly, although most IRBs would encourage you to exclude participants who are not legally competent, some may consider excluding those people discrimination.

Questions 6 and 7 show that the more anonymous the participant will be, the more likely the research will be rated exempt. Question 8 shows that the less sensitive the information you are collecting, the more likely the research will be reviewed at the exempt level. Similarly, Questions 9 and 10 (about whether your study will create physical or psychological stress) show that the more harm your study may create, the more closely it will be reviewed.

Question 11, which asks about deception, is a tricky one because, as Forsyth (2008) points out, “Technically, IRB’s do not permit deception; rather, they permit investigators to omit an element of the consent process” (p. 7). If your study involves deception, you will probably have to convince the IRB that the deception does not hurt the participants or violate their rights (e.g., participants would have participated even if they had known of the deception), that the deception was necessary to get accurate answers to the research question, and that participants will be fully debriefed as soon as possible (Forsyth, 2008).

Question 12, (“Can participants withdraw without penalty?”), on the other hand, should be an easy question. If you answer “no,” the committee would reject your proposal—and believe that you needed to be educated about participants’ rights.

In short, it is hard to predict how a particular IRB chair will classify your research. However, if you are not studying a vulnerable population, you are not collecting sensitive information, and you are carefully safeguarding the data, your research might be exempt. Your chances of getting an exempt status are better if you are not manipulating a treatment to see whether it has effect. Thus, if you are observing, surveying, interviewing people, or using any of the methods described in Chapter 7, you are more likely to get an exempt review than if you do an experiment.

**Avoiding IRB Problems**

Regardless of what level of review your research receives, you should write a proposal that makes the IRB more likely to trust that you will act in a professional and ethical manner (Forsyth, 2004). Specifically, according to Forsyth (2004), to maximize the chances that your IRB approves your proposal, you should make sure your proposal

1. is free of typos
2. includes an informed consent form (a form describing the study and that the participant signs, thereby indicating that the participant agrees to participate in the research), like the one in Box 3 that
   - uses simple, nontechnical language
   - uses the word “research” in it
   - states any foreseeable risks or discomforts that might cause the participant to decide not to participate
   - states whom to contact if participants have a concern
   - states that the participant’s participation is totally voluntary
states that the participant can quit the study at any time, without giving a reason, and without any penalty

• states that the participant’s responses will be confidential (if responses won’t be confidential, this should be explained)

• describes the steps you will take to protect confidentiality of data, including such details as where you will keep the data, who will have access to the data, and a statement that the computer files will be password protected

3. contains a confidentiality form—a written pledge to keep the data confidential, and not to talk about the participants to anyone other than the investigators—signed by everyone who will work on the research
4. states the steps you have taken to make participants anonymous, such as not having them put their names on the answer sheet
5. states the steps you have taken to keep participants’ responses confidential such as assigning each participant a code number and storing the code numbers and the participants’ names in one place and the data in a different place
6. includes a debriefing form (a summary or a script of what the researcher will tell the participant about the study after the participant has finished the study) that

   • uses simple, nontechnical language
   • is about one full page typed
   • describes the hypotheses, why the procedures were used, and why the study was important

**Weighing and Reducing Risks**

Even if your research is approved by a review board, you must be extremely careful not to harm your participants. Ideally, your participants should feel just as well when they leave the study as they did when they began. Unfortunately, even in the most harmless of studies, protecting your participants from discomfort is much easier said than done.

Realize that any experience may be traumatic to some participants. Trauma can occur from things you would never think of as being traumatic. Because any study has risks and because you will not know all of the risks, do not begin any study without your professor’s permission.

To begin to sensitize yourself to the risks involved in your proposed study, list the 10 worst things that could possibly happen to participants. If you are using human participants, be aware that not everyone will react in the same way. Some may experience trauma because the study triggers some painful memory, or they may feel badly because they think they did poorly or because they think their behavior ruined your study. Realize that because some of your participants may be under a lot of stress, some may be grieving, and some may have a mental illness, some of your participants may be unsettled by manipulations or stimuli that you might not consider upsetting. Because participants are often fragile, you should list some serious consequences in your worst-case scenario.

**Recruiting Participants in a Way That Reduces Risk**

Because any study has the potential for harm, the possibility of severe consequences does not mean that your professor will not allow you to do the study. However, you and your professor should think about ways to minimize the risks.

**Screen Participants.** One method of minimizing risks is to screen out “vulnerable participants.” For instance, if there is any reason to believe that your study may increase heart rate or blood pressure, you may want to make sure that only people in good health participate. If your study might harm people with low self-esteem, you may want to use only well-adjusted participants
who have high levels of self-esteem. Therefore, you might give a measure of self-esteem to potential participants to eliminate those with low self-esteem.

**Provide Informed Consent.** Not only should you screen participants, but you should also let participants screen themselves. That is, participants should be volunteers who give their *informed consent:* They should know what the study is about before volunteering for it.

How informed is informed consent? Very informed, when it comes to telling participants about any unpleasant aspect of the study. If participants are going to get shocked or exposed to loud noise or extreme cold, they should be informed of this beforehand. Consequently, if your study does involve unpleasantness, you may have difficulty getting participants to volunteer.

Informed consent is considerably less informed when it comes to more innocuous aspects of the study. After all, the study would be ruined if participants knew everything that would happen (and why it happened) before it happened. So, although participants are usually told the truth, they are not always told the whole truth. For example, a memory experiment’s description would mention that participants have to memorize words, but might omit the fact that the researcher is looking at the order in which the words are recalled or that there is a surprise recall of all the lists at the end of the study.

Because participants are not fully informed about your study, there may be some things about it that they dislike. For example, suppose a participant finds the task too difficult or finds it upsetting to try the surprise recall task. What can you do?

One protection against these unexpected problems is to make sure participants understand that they can quit the study at any time. So, before the participants begin your study, tell them that if they find any aspect of the study uncomfortable, they can *and should* escape this discomfort by quitting the study. Assure them that it is their duty to quit if they experience discomfort and that they will still get full credit.

**How to Modify the Study to Reduce Risk**

You have seen that you can minimize ethical problems by letting participants know what they are in for and by letting them gracefully withdraw from the study. You should also minimize harm by making your study as humane as possible. You can make your study more ethical by reducing the strength of your treatment manipulation, carefully selecting stimulus materials, and by being a conscientious researcher.

**Be More Positive and Less Negative.** Instead of comparing an unpleasant manipulation with a neutral one, consider comparing a pleasant manipulation with a neutral one. For example, if you want to look at the effects of mood on memory, rather than compare participants you have put into a bad mood with neutral mood participants, compare participants you have put in a good mood with neutral mood participants.

If you must use an unpleasant manipulation, consider making it minimally unpleasant. Rather than focusing exclusively on how using extreme levels of your predictor variable may help you get a significant change in the criterion variable, recognize that extreme levels may harm your participants.
For example, 24 hours of food deprivation is more likely to cause hunger than 12 hours. However, 24 hours of deprivation is more stressful to the participant. In short, if you plan an unpleasant manipulation, make your participants’ welfare a priority by minimizing unpleasant consequences as much as possible.

**Make Your Stimulus Materials More Neutral.** By modifying your stimulus materials, you may be able to prevent them from triggering unpleasant memories. For instance, if you were interested in the effects of caffeine on memory for prose, you would not want the prose passage to cover some topic like death, divorce, alcoholic parents, or rape. Instead, you would want to use a passage covering a less traumatic topic such as sports. If the sports article referred to someone’s death or hospitalization, you might want to delete that section of the article.

**How to Conduct the Study in a Way That Reduces Risk**

Often, it is not the study that causes ethical problems, but the researcher’s arrogance. For example, an arrogant researcher may rush through research sessions providing only superficial explanations and almost no time for questions and feedback. Although we know of a few participants who were hurt as a direct result of a research manipulation, we know of many more who were hurt because the researcher failed to treat them with respect. To ensure that you are sensitive, courteous, and respectful to all of your human participants, you should give your participants three things: time, power, and a thorough debriefing.

**Give Participants Your Time.** First, when scheduling your research sessions, make sure you leave a 10-minute gap between the end of one session and the beginning of the next. Some investigators feel that, like a physician, they should efficiently schedule people one after another. Their attempt at efficiency results in participants having to wait for the investigator, the investigator having to rush through the formalities of greeting participants, or—even worse—the investigator rushing through debriefing (debriefing involves explaining the purpose of the study and addressing all the participant’s questions and concerns). Thus, the overly efficient investigator, like the overly efficient physician, appears not to care. Although such careless and uncaring behavior may sometimes be tolerated in physicians, it is never acceptable for psychological researchers.

After a research participant has given an hour of his or her time, you should be more than willing to answer any questions the participant has. Furthermore, if you rush through greeting or debriefing each participant, the participants will see you as uncaring. Consequently, they will be less likely to tell you about any psychological discomfort they felt and less likely to accept any aid you might offer. Thus, the first step is to walk, rather than to run, participants through your study.

**Give Participants Power.** Second, give the participants power. That is, allow participants to rate your study on a scale such as the one in Table 1. Give
each participant’s rating sheet to your instructor. Following this simple procedure helps you to be a conscientious and courteous researcher.

**Debrief Participants.** Third, thoroughly debrief your participants. Although you should try to anticipate and prevent every possible bad reaction a participant may have to being in your study, you will fail. Inevitably, your procedures will still cause some unpleasantness. After the study is over, you should try to address this unpleasantness by informing participants about the study, reassuring them that their reactions were normal, and expressing your appreciation for their participation.

You should also listen to participants and be sensitive to any unexpected, unpleasant reactions to your study. By being a good listener, you will often be able to undo any damage you have unwittingly done.

Occasionally, however, ordinary debriefing will not undo the harm caused to the research participant. For participants who are upset with their responses, you should ask them whether they want you to destroy their data. For participants whom you cannot calm down, you take them to talk to a professor, counselor, or friend—even if this means canceling the next research session.

In addition to detecting and removing any harm that may have been produced by your study, during debriefing you should do the following:

1. Correct any misleading impressions you gave the participant (e.g., if you implied that you had a device that could read people’s minds or if you gave them false feedback about their performance on a task, you should explain that those statements are false).
2. Summarize the study in nontechnical terms (many departments believe this summary should be both written and oral, the written part being about one full page typed, describing the hypotheses, why the procedures were used, and why the study was important).
3. Provide participants an opportunity to ask whatever questions they may have (many departments want you to provide a phone number for participants to call so research participants can ask follow-up questions).
4. Thank the participant for participating.
5. Explain why deception was necessary (if deception was used).

---

**TABLE 1**

Sample Debriefing Rating Scale

<table>
<thead>
<tr>
<th>WORTHLESS</th>
<th>−3</th>
<th>−2</th>
<th>−1</th>
<th>+1</th>
<th>+2</th>
<th>+3</th>
<th>VALUABLE</th>
</tr>
</thead>
</table>

If you wish to explain your rating or to make comments on this study, either positive or negative, please do so below.

*Note:* This scale is a slightly modified version of a scale that has been used at The Ohio State University.
Debriefing is a good time to assess the degree to which you and your co-investigators are conducting the study in an ethical manner. To do so, ask participants to complete an anonymous questionnaire that assesses their perceptions of the study. Such a questionnaire might include the following questions:

1. Could you quit the study at any time?
2. Were you given enough information to decide whether you wanted to participate? If not, what should you have been told before you took part in the study?
3. What was the purpose of this research?
4. Were you treated with respect?
5. Was the researcher polite?
6. Did you have all your questions answered?
7. Were you deceived in any way? If so, did the researcher provide justification for the deception? Are you satisfied with that justification? Why or why not?
8. Did you experience more discomfort than you would in your day-to-day activities? If so, did the researcher provide sufficient justification for discomfort? What caused this discomfort?
9. Do you think your responses will be kept confidential?

In summary, you should be very concerned about ethics. Because ethics involves weighing the costs of the study against the potential benefits, you should do everything you can to minimize the risk of participants becoming uncomfortable. If, despite your efforts, a participant experiences discomfort, you should use the debriefing to reduce that discomfort.

ETHICAL CONSIDERATIONS IN ANIMAL RESEARCH

As in human research, conducting research with nonhuman animals in an ethical manner is vital. Unethical treatment of animals is inhumane and, in many cases, illegal. However, we have not spent much time on ethics in animal research for two reasons.

First, the basic concepts that govern human research also govern animal research. For example, pain and discomfort should be minimized. Likewise, any study that inflicts stress must be justifiable on the basis that (a) the study is likely to produce some benefit that outweighs the risks, and (b) there is no other way to get that potential benefit.

Second, because humane treatment of animals is so important, APA has taken the following three steps to almost guarantee that you cannot do animal research without knowing APA’s ethical standards:

1. If you conduct research with animal participants, you must be trained in the humane care, handling, and maintenance of animals.
2. As a student, you cannot conduct research with animals unless you are supervised by someone who is well trained in both animal research and in how to handle, care for, and maintain animals.
3. A copy of the ethical guidelines relating to animal research must be posted in the animal lab. (See Box 4.)
I. Justification of the Research

A. Research should be undertaken with a clear scientific purpose. There should be a reasonable expectation that the research will (a) increase knowledge of the processes underlying the evolution, development, maintenance, alteration, control, or biological significance of behavior; (b) determine the replicability and generality of prior research; (c) increase understanding of the species under study; or (d) provide results that benefit the health or welfare of humans or other animals.

B. The scientific purpose of the research should be of sufficient potential significance to justify the use of animals. Psychologists should act on the assumption that procedures that would produce pain in humans will also do so in other animals.

C. The species chosen for study should be best suited to answer the question(s) posed. The psychologist should always consider the possibility of using other species, nonanimal alternatives, or procedures that minimize the number of animals in research, and should be familiar with the appropriate literature.

D. Research on animals may not be conducted until the protocol has been reviewed by an appropriate animal care committee, for example, an institutional animal care and use committee (IACUC), to ensure that the procedures are appropriate and humane.

E. The psychologist should monitor the research and the animals’ welfare throughout the course of an investigation to ensure continued justification for the research.

II. Personnel

A. Psychologists should ensure that personnel involved in their research with animals be familiar with these guidelines.

B. Animal use procedures must conform with federal regulations regarding personnel, supervision, record-keeping, and veterinary care.*

C. Behavior is both the focus of study of many experiments as well as a primary source of information about an animal’s health and well-being. It is therefore necessary that psychologists and their assistants be informed about the behavioral characteristics of their animal subjects so as to be aware of normal, species-specific behaviors and unusual behaviors that could forewarn of health problems.

D. Psychologists should ensure that all individuals who use animals under their supervision receive explicit instruction in experimental methods and in the care, maintenance, and handling of the species being studied. Responsibilities and activities of all individuals dealing with animals should be consistent with their respective competencies, training, and experience in either the laboratory or the field setting.

III. Care and Housing of Animals

The concept of psychological well-being of animals is of current concern and debate and is included in Federal Regulations (United States Department of Agriculture [USDA], 1991). As a scientific and professional organization, APA recognizes the complexities of defining psychological well-being.

Procedures appropriate for a particular species may be inappropriate for others. Hence, APA does not presently stipulate specific guidelines regarding the maintenance of psychological well-being of research animals. Psychologists familiar with the species should be best qualified professionally to judge measures such as enrichment to maintain or improve psychological well-being of those species.

A. The facilities housing animals should meet or exceed current regulations and guidelines (USDA, 1990, 1991) and are required to be inspected twice a year (USDA, 1989).

B. All procedures carried out on animals are to be reviewed by a local animal-care committee to ensure that the procedures are appropriate and humane.

The committee should have representation from within the institution and from the


(Continued)
local community. In the event that it is not possible to constitute an appropriate local animal-care committee, psychologists are encouraged to seek advice from a corresponding committee of a cooperative institution.

C. Responsibilities for the conditions under which animals are kept, both within and outside of the context of active experimentation or teaching, rests with the psychologist under the supervision of the animal-care committee (where required by federal regulations) and with individuals appointed by the institution to oversee animal care. Animals are to be provided with humane care and healthful conditions during their stay in the facility. In addition to the federal requirements to provide for the psychological well-being of nonhuman primates used in research, psychologists are encouraged to consider enriching the environments of their laboratory animals and should keep abreast of literature on well-being and enrichment for the species with which they work.

IV. Acquisition of Animals

A. Animals not bred in the psychologist’s facility are to be acquired lawfully. The USDA and local ordinances should be consulted for information regarding regulations and approved suppliers.

B. Psychologists should make every effort to ensure that those responsible for transporting the animals to the facility provide adequate food, water, ventilation, space, and impose no unnecessary stress on the animals.

C. Animals taken from the wild should be trapped in a humane manner and in accordance with applicable federal, state, and local regulations.

D. Endangered species or taxa should be used only with full attention to required permits and ethical concerns. Information and permit applications can be obtained from:

Fish and Wildlife Service
Office of Management Authority
U.S. Dept. of the Interior
4401 N. Fairfax Dr., Rm. 432
Arlington, VA 22043
703-358-2104

Similar caution should be used in work with threatened species or taxa.

V. Experimental Procedures

Humane consideration for the well-being of the animal should be incorporated into the design and conduct of all procedures involving animals, while keeping in mind the primary goal of experimental procedures—the acquisition of sound, replicable data. The conduct of all procedures is governed by Guideline I.

A. Behavioral studies that involve no aversive stimulation, or overt sign of distress from, the animal are acceptable. These include observational and other noninvasive forms of data collection.

B. When alternative behavioral procedures are available, those that minimize discomfort to the animal should be used. When using aversive conditions, psychologists should adjust the parameters of stimulation to levels that appear minimal, though compatible with the aims of the research. Psychologists are encouraged to test painful stimuli on themselves, whenever reasonable. Whenever consistent with the goals of the research, consideration should be given to providing the animals with control of the potentially aversive stimulation.

C. Procedures in which the animal is anesthetized and insensitive to pain throughout the procedure and is euthanized before regaining consciousness are generally acceptable.

D. Procedures involving more than momentary or slight aversive stimulation, which is not relieved by medication or other acceptable methods, should be undertaken only when the objectives of the research cannot be achieved by other methods.

E. Experimental procedures that require prolonged aversive conditions or produce tissue damage or metabolic disturbances require greater justification and surveillance. These include prolonged exposure to extreme environmental conditions, experimentally induced prey killing, or infliction of physical trauma or tissue damage. An animal observed to be in a state of severe distress or chronic pain that cannot be alleviated and is not essential to the purposes of the research should be euthanized immediately.
F. Procedures that use restraint must conform to federal regulations and guidelines.

G. Procedures involving the use of paralytic agents without reduction in pain sensation require particular prudence and humane concern. Use of muscle relaxants or paralytics alone during surgery, without general anesthesia, is unacceptable and should be avoided.

H. Surgical procedures, because of their invasive nature, require close supervision and attention to humane considerations by the psychologist. Aseptic (methods that minimize risks of infection) techniques must be used on laboratory animals whenever possible.

1. All surgical procedures and anesthetization should be conducted under the direct supervision of a person who is competent in the use of the procedures.
2. If the surgical procedure is likely to cause greater discomfort than that attending anesthetization, and unless there is specific justification for acting otherwise, animals should be maintained under anesthesia until the procedure is ended.
3. Sound postoperative monitoring and care, which may include the use of analgesics and antibiotics, should be provided to minimize discomfort and to prevent infection and other untoward consequences of the procedure.
4. Animals cannot be subjected to successive surgical procedures unless these are required by the nature of the research, the nature of the surgery, or for the well-being of the animal. Multiple surgeries on the same animal must receive special approval from the animal-care committee.

I. When the use of an animal is no longer required by an experimental protocol or procedure, in order to minimize the number of animals used in research, alternative uses of the animals should be considered. Such uses should be compatible with the goals of research and the welfare of the animal. Care should be taken that such an action does not expose the animal to multiple surgeries.

J. The return of wild-caught animals to the field can carry substantial risks, both to the formerly captive animals and to the ecosystem. Animals reared in the laboratory should not be released because, in most cases, they cannot survive, or they may survive by disrupting the natural ecology.

K. When euthanasia appears to be the appropriate alternative, either as a requirement of the research or because it constitutes the most humane form of disposition of an animal at the conclusion of the research:

1. Euthanasia shall be accomplished in a humane manner, appropriate for the species, and in such a way as to ensure immediate death, and in accordance with procedures outlined in the latest version of the American Veterinary Medical Association (AVMA) Panel on Euthanasia.
2. Disposal of euthanized animals should be accomplished in a manner that is in accord with all relevant legislation, consistent with health, environmental, and aesthetic concerns, and approved by the animal-care committee. No animal shall be discarded until its death is verified.

VI. Field Research

Field research, because of its potential to damage sensitive ecosystems and ethologies, should be subject to animal-care committee approval. Field research, if strictly observational, may not require animal-care committee approval (USDA, 1989, p. 36126).

A. Psychologists conducting field research should disturb their populations as little as possible—consistent with the goals of the research. Every effort should be made to minimize potential harmful effects of the study on the population and on other plant and animal species in the area.

B. Research conducted in populated areas should be done with respect for the property and privacy of the inhabitants of the area.

C. Particular justification is required for the study of endangered species. Such research on endangered species should not be conducted unless animal-care committee approval has been obtained and all requisite permits are obtained (see IVD).
Because you will be shown how to take care of the animals, because you will be supervised, and because the guidelines will be right in the lab, you probably will not violate ethical principles out of ignorance. However, because violating ethical procedures in animal research may violate federal law, you should be very careful.

If you are conducting research with animals, you should consult APA’s ethical guidelines for animal research (see Box 4). In addition, you should work closely with your research supervisor. Finally, figure out some strategy so that you do not forget to take care of your animals. Unless you have a system, it is easy to forget to check on your animals during the weekend. Animals need food, water, gentle handling, and a clean living environment every single day.

MAXIMIZE THE RESEARCH’S BENEFITS: THE OTHER SIDE OF THE ETHICS COIN

We have discussed ways of minimizing harm to animal subjects and human participants. However, minimizing harm is not enough to ensure that your study is ethical. You must also ensure that the potential benefits will be greater than the potential harm. Thus, an extremely harmless study can be unethical if the study has no potential benefits. In other words, just as you owe it to your participants to reduce potential harm, you owe it to your participants to maximize the potential benefits of your study. You maximize that potential by making sure your study provides accurate information. To provide accurate information, your study needs to have power and validity.

Have Adequate Power

One of the most serious obstacles to obtaining accurate information is lack of power (power is the ability to detect relationships). There is no point in doing a study that is so powerless that it will fail to find anything.

To have power, you should use a strong manipulation, a sensitive dependent measure, well-standardized procedures, a sensitive design, and enough participants. Often, your biggest obstacle to finding a significant effect will be a lack of participants.

As a general rule, you should have at least 16 participants in each group. However, the number of participants you need in each group will be affected by the sensitivity of your design, how similar your participants are to each other, the number of scores you get from each participant, the size of the difference you expect to find between conditions, and the sensitivity of your dependent measure.

If you have a within-subjects design, a reliable and sensitive dependent variable, and expect a rather large difference between your conditions, you may be able to use fewer than 16 participants per group. If, on the other

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1 Having more participants will give you more power. Indeed, some (Cohen, 1990) would consider 64 participants per group to be a reasonable minimum. We have talked about minimums. Are there maximums? Could you have a design that was too powerful? Some would argue that in some cases, researchers use so many participants that even the smallest of effects, no matter how practically and theoretically insignificant, would be statistically significant. However, having an overpowered design is rarely a problem for novice researchers.
hand, you are using a between-subjects design, heterogeneous participants, a relatively insensitive dependent measure, and a manipulation that has only a small effect, you may want at least 100 participants per condition.

**Have Adequate Construct Validity**

After ensuring that your study has adequate power, we would like to be able to tell you that you can take it easy and relax. Unfortunately, however, you cannot relax. Power is not your only concern when conducting psychological research. You must also ensure that the construct validity of your results is not destroyed by

1. researchers failing to conduct your study in an objective, standardized way
2. participants reacting to how they think you want them to react to the treatment, rather than reacting to the treatment itself

**Minimize Researcher Bias**

If you use more than one investigator, you may be able to detect researcher effects by including the researcher as a factor in your design. In other words, randomly assign participants to both a condition and to a researcher. For example, if you have two treatment conditions (A and B) and two researchers (1 and 2), you would have four conditions: (1) A1, (2) B1, (3) A2, and (4) B2. After having Researcher 1 run conditions 1 and 2 and Researcher 2 run conditions 3 and 4, you could do an analysis of variance (ANOVA) using researcher as a factor to see whether different researchers got different results.\(^2\)

Using ANOVA to detect researcher effects can be useful. However, there are at least two reasons why using it may not eliminate researcher effects.

First, this statistical approach will tell you only whether one researcher is getting different results than other researchers. If all your researchers are biased, you may not get a significant researcher effect. (Besides, if you are the only researcher, you cannot use researcher as a factor in an ANOVA.)

Second, and more importantly, detecting researcher effects is not the same as preventing researcher effects. To prevent researcher effects, you must address the three major causes of failing to conduct studies in an objective and standardized manner: (1) the loose-protocol effect, (2) the failure-to-follow-protocol effect, and (3) the researcher-expectancy effect.

**Avoid the Loose-Protocol Effect.** Some studies fall victim to the *loose-protocol effect:* The instructions are not detailed enough to enable the researchers to behave in a standardized way. Fortunately, you can avoid the loose-protocol effect.

Before you start your study, carefully plan everything. As a first step, you should write a set of instructions that chronicles the exact procedure for each participant. These procedures should be so specific that by reading and

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2 You may want to consult with your professor as to the type of ANOVA you should use. Experts argue about whether one should use a conventional ANOVA model or a “random effects” ANOVA model.
following your instructions, another person could run your participants the same way you do.

To make your instructions specific, you might want to write a computer program based on these instructions. Because computers do not assume anything, writing such a program forces you to spell out everything down to the last detail. If you cannot program, just write the script as though a robot were to administer the study. Write each step, including the actual words that researchers will say to the participants. The use of such a script will help standardize your procedures, thus reducing threats to validity.

Once you have a detailed draft of your protocol, give it a test run. For example, to ensure that you are as specific as you think you are, pretend to be a participant and have several different people run you through the study using only your instructions. See how each individual behaves. This may give you clues as to how to tighten up your procedures. In addition, you should run several practice participants. Notice whether you change procedures in some subtle way across participants. If so, adjust your instructions to get rid of this variability.

At the end of your test runs, you should have a detailed set of instructions that you and any co-investigator can follow to the letter. To double-check your protocol, be sure it addresses all the questions listed in Table 2.

Avoid the Failure-to-Follow-Protocol Effect. Unfortunately, even if you write your protocol (procedures) in detail, you or your co-investigators may still fail to follow it. To avoid the researcher failure-to-follow-protocol effect, you need to make sure that all investigators (a) know the procedures and (b) are motivated to follow those procedures.

**TABLE 2**

Protocol Checklist for Research With Human Participants

- I have my professor’s permission to conduct the study.
- I have operational definitions of any variables that I will manipulate or measure.
- I have a suitable place to run my participants.
- I know how many participants I will need.
- I know how I will recruit and select my participants.
- I know how I will make the sign-up sheets available to potential participants.
- I have included a description of the study (including how long it takes and whether participants will get money or extra credit) on the sign-up sheet.
- If I am offering extra credit, I know how I will notify professors about which students participated.
- I have developed a consent form.
- If I am conducting an experiment, I know how I will assign participants to condition.
- I have written a detailed research protocol.
- I have written out the oral instructions I will give the participants.
- I have written out what I will say during debriefing.
- I now consistently follow the protocol.
To make sure investigators learn the procedures, you should hold training sessions. Supervise investigators while they practice the procedures on each other and on practice participants.

Once researchers know the right way to run the study, the key is to make sure that they are motivated to run the study the same way every time. To do this, you might have them work in pairs. While one researcher runs the participants, the other will listen in through an intercom or watch through a one-way mirror. You may even wish to record research sessions.

If your researchers still have trouble following procedures, you may need to automate your study. For instance, you might use a computer to present instructions, administer the treatment, or collect the dependent measure. Because computers can follow instructions to the letter, they can help standardize your procedures. Of course, computers are not the only machines that can help. Other machines that could help you give instructions and present stimuli include automated slide projectors, tape recorders, and DVD players. Countless other devices could help you record data accurately, from electronic timers and counters to noise-level meters.

**Avoid the Researcher-Expectancy Effect.** The final source of researcher bias is the researcher-expectancy effect: researchers’ expectations affecting the results. You can take three steps to prevent the researcher-expectancy effect:

1. Be very specific about how investigators are to conduct themselves. Remember, researcher expectancies probably affect the results by changing the investigator’s behavior rather than by causing the investigator to send telepathic messages to participants.

2. Do not let the investigators know the hypothesis.

3. Do not let investigators know what condition the participant is in—making the investigator “blind.” Although making investigators blind is easiest in drug experiments where participants take either a placebo or the real drug, you can make investigators blind in nondrug experiments. For example, if you present stimuli in booklets, you can make the booklets for different conditions look very similar. In that way, an investigator running a group of participants might not know whether the participant was in the experimental or control condition. For some studies, you may be able to use a second investigator who does nothing except collect the dependent measure. You could easily keep this second investigator in the dark about what treatment the participant received.

**Minimize Participant Bias**

Unfortunately, in psychological research, you must be aware not only of researcher effects, but also of participant bias: participants trying to behave in a way that they believe will support the researcher’s hypothesis. Fortunately, there are various ways to prevent participants’ expectancies from biasing your results.

**Consider “Blind Techniques”**. For starters, you might make your researcher blind to reduce the chance that the participant will get any ideas from the researcher. Thus, the techniques for reducing researcher expectancies that we just discussed may also reduce the effects of participants’ expectancies. In
addition to making the researcher blind, you should also try to make the participant blind.

Consider Between-Subject Designs. You may also be able to prevent participants from guessing your hypothesis by skillfully choosing your research design. In experimental investigations, for example, you might use a between-subject design rather than a within-subject design because participants who are exposed to only one treatment condition are less likely to guess the hypothesis than participants who are exposed to all treatment conditions.

Use Placebo Treatments So Participants Don’t Know What You Are Manipulating. Another design trick you can use to reduce the impact of participants’ expectancies is to give the participants who do not receive the treatment a placebo (fake) treatment. Placebo treatments prevent participants from knowing that they are not getting the real treatment. Therefore, if you have comparison condition(s), use placebo treatment(s) rather than no-treatment condition(s). That way, all groups think they are receiving the treatment. Thus, any treatment effect you find will not be due to participants changing their behavior because they expect the treatment to have an effect.

Use Unobtrusive Measurement Strategies So Participants Don’t Know What You Are Measuring. Participants are less likely to know the hypothesis if they do not know what you are measuring. Obviously, if participants do not even know you are observing them, as in some field experiments, they will not know what you are measuring. Thus, if your hypothesis is an obvious one, you might consider doing either (a) a field study or (b) a lab study in which you put participants in one room and secretly monitor them from another room.

Even if the participant knows you are watching, the participant does not have to know what you are watching. That is, you can use unobtrusive measures. For example, you might put the participant in front of a computer and ask the participant to type an essay. Although the participant thinks you are measuring the essay’s quality, you could have the computer programmed to monitor speed of typing, time between paragraphs, number of errors made, and number of times a section was rewritten. In addition, you might also tape-record and videotape the participant, monitoring his or her facial expressions, number of vocalizations, and loudness of vocalizations.

Create Experimental Realism So Participants Don’t Play a Role. Rather than trying to hide or disguise the study’s purpose, you might try to prevent participants from thinking about the study’s purpose by designing a study that has a high degree of experimental realism: psychologically engaging participants in the task. If your study has a high degree of experimental realism, participants are not constantly saying to themselves: “What does the researcher really want me to do?” or “If I were a typical person, how would I behave in this situation?” Note that experimental realism does not mean the study is like real life; it means that participants are engrossed in the task. As you
know from video games, even an artificial task can be very high in experimental realism.

**Summary: Maximize Benefits**

Before now, you might have been surprised to see experimental realism and other strategies for reducing participant effects in a section on ethics. However, you now know that planning an ethical study involves taking into account many factors. Not only must you ensure the safety of your participants, but you must also demonstrate the validity of your methods. To avoid overlooking an important ethical consideration, consult Box 1 and your professor.

**BEYOND THE PROPOSAL: THE PILOT STUDY**

Planning can go only so far. So, even after you have carefully designed your study, modified it based on comments from your professor, and been given your professor’s go-ahead to run it, you may still want to run several participants (friends, family members, other members of the class) just for practice. By running practice participants, you will get some of the “bugs” out of your study. Specifically, by running and debriefing practice participants, you will discover

1. whether participants perceived your manipulation the way you intended
2. whether you can perform the study the same way every time or whether you need to spell out your procedures in more detail
3. whether you are providing the right amount of time for each of the research tasks and whether you are allowing enough time in between tasks
4. whether your instructions were clear
5. whether your cover story was believable
6. whether you need to revise your stimulus materials
7. how participants like the study
8. how long it takes you to run and debrief a participant

In short, running practice participants helps you to fine-tune your study. Because it is so useful, many professional investigators run enough practice participants to constitute a small study—what researchers call a *pilot study*.

**CONDUCTING THE ACTUAL STUDY**

The dress rehearsal is over. You have made the final changes in your procedures and your proposal. Now you are ready for the real thing—to conduct your study. This section will show you how.

**Be Prompt, Prepared, and Polite**

As you may imagine, some of your prospective participants may be apprehensive about the study. Participants often are not sure whether they are in the right place—or even whether the researcher is a Dr. Frankenstein.

To put your participants at ease, let them know they are in the right place, and be courteous. You should be both friendly and businesslike. The expert investigator greets the participant warmly, pays close attention to the
participant, and seems concerned that the participant knows what will happen in the study. The expert investigator is obviously concerned that each participant is treated humanely and that the study is done professionally.

Being professional does not hurt how participants view you. Why? First, most participants like knowing that they are involved in something important. Second, some will view your professionalism as a way of showing that you value their time—which you should.

So, how can you exude a professional manner? Some novice investigators think that they appear professional when they act aloof and unconcerned. Nothing could be less professional. Participants are turned off by an indifferent, apathetic attitude. They feel that you do not care about the study and that you do not care about them.

To appear professional, you should be neatly dressed, enthusiastic, well-organized, and prompt. “Prompt” may be an understatement. You should be ready and waiting for your participants at least 10 minutes before the study is scheduled to begin. Once your participants arrive, concentrate exclusively on the job at hand. Never ask a participant to wait a few minutes while you socialize with friends.

What do you lose by being a “professional” investigator? Problem participants. If you seem enthusiastic and professional, your participants will also become involved in doing your study—even if the tasks are relatively boring. Thus, if you are professional in your manner and attitude, you will probably not even have to ask the participants to refrain from chatting throughout the study. Similarly, participants will stop asking questions about the study if you say, “I will explain the purpose at the end of the study.”

**Tips on Getting Participants to Follow Instructions: Repeat, Repeat, Repeat, and Test**

After you have established rapport, you need to give your participants instructions. To get participants to follow instructions to the letter, you might

1. repeat the instructions
2. orally paraphrase the instructions
3. have participants read the instructions
4. run participants individually
5. invite participants to ask questions
6. have participants demonstrate that they understand the instructions by quizzing them or by giving them a practice trial before beginning the study

**Stick to the Protocol**

Once the study has begun, try to follow the procedure to the letter. Consistently following the same procedures improves power and reduces the possibility of bias. Therefore, do not let participants change your behavior. For instance, imagine you are investigating long-term memory. You want to expose participants to information and then see what they can write down. However, if you do this, participants may be writing down information that is in short-term memory. Thus, you would not be assessing long-term memory. Therefore, you add a counting backward task that should virtually eliminate all of the information from short-term memory. Specifically, in your
memory study, participants are exposed to information, are supposed to count backward from a number like 781 by 3s for 20 seconds, and then are asked to recall the information. Ideally, their recall will represent only what they have in long-term memory.

Unfortunately, many participants will find the counting task unpleasant, embarrassing, or simply an unwanted nuisance. Consequently, some participants will thank you for telling them they can stop; others will plead nonverbally for you to stop. Clearly, you cannot let any of these strategies stop you from making them count backward for the full 20 seconds. If you vary your procedures from participant to participant based on each participant’s whims, your study will have questionable validity.

Debrief

Once the study is over, you should debrief your participants. In debriefing, you should first try to find out whether the participants suspected the hypothesis. Simply ask participants what they thought the study was about. Then, explain the purpose of your study.

If you deceived your participants, you need to make sure they are not upset about it. You also need to make sure that they understand why deception was necessary. Participants should leave the study appreciating the fact that there was one and only one reason you employed deception: It was the only way to get good information about an important issue.

Making sure participants accept your rationale for deception is crucial for three reasons. First, you do not want your participants to feel humiliated or angry. Second, if they get mad, they may not only be mad at you, but also at psychologists in general. Perhaps that anger or humiliation will stop them from visiting a psychologist when they need help. Third, the unhappy participant may spread the word about your deception, ruining your chances of deceiving other participants.

After explaining the purpose of the study, you should answer any questions the participants have. Although this may sometimes seem like a waste of time, you owe it to your participants. They gave you their time, and now it is your turn.

After you have dealt with participants’ questions and doubts, give them an opportunity to rate how valuable they felt the study was. This encourages you to be courteous to your participants, lets you know whether your study is more traumatic than you originally thought, and makes participants feel that you respect them because you value their opinions.

After participants rate your study, you should assure them that their responses during the study will be kept confidential. Tell them that no one but you will know their responses. Then, ask the participants not to talk about the study because it is still in progress. For example, you might ask them not to talk about the study until next week. Finally, you should thank your participants, escort them back to the waiting area, and say good-bye.

ETHICAL CONCERNS AFTER THE STUDY IS OVER: THE NEED TO PROTECT CONFIDENTIALITY

You might think that once a participant leaves the study, your responsibilities to that participant end. Wrong! You are still responsible for guaranteeing the
participant’s privacy. Knowledge about a given participant is between you (the investigator) and the participant—no one else. Never violate this confidentiality. To ensure confidentiality, you should take the following precautions:

1. Assign each participant a number. When you refer to a given participant, always use the assigned number—never that participant’s name.
2. Never store a participant’s name and data in a computer—this could be a computer hacker’s delight.
3. If you have participants write their names on booklets, tear off and destroy the cover of the booklet after you have analyzed the data.
4. Store a list of participants and their numbers in one place and the data with the participants’ numbers on it in another place.
5. Don’t gossip! There is rarely a reason to talk casually about a participant’s behavior. Even if you do not mention any names, other people may guess or think they have guessed the identity of your participant. We realize that it is hard to keep a secret. However, to talk freely about someone who participated in your study is to betray a trust. Furthermore, keeping secrets will, for many of you, be an important part of your professional role: Therapists, researchers, consultants, lawyers, and physicians all must keep their clients’ behaviors confidential.
Introduction to Statistics

CHOOSING THE CORRECT ANALYSIS

To analyze statistical data correctly, you must choose the correct statistical test. The test you should use when you have interval data is not the same test you should use when you have nominal data. The test you should use when you are comparing each participant with himself or herself is not the same test you should use when you are comparing one group to another group. The test that would work when you only had two conditions may not work when you are comparing more than two conditions. In other words, there are at least three factors you should take into consideration when choosing a statistical test: (a) the scale of measurement—the type of numbers—that your measure provides (to learn more about scales of measurement, see the table below or see Chapter 6); (b) the type of comparison you are making (one group of participants compared to one or more other groups [between-subjects] or each participant compared to himself or herself [within-subjects]); and (c) the number of conditions you have. In the next three sections, we will show you how to take each of these three factors into account so that you can choose the right analysis for your study.

Scales of Measurement

Often, the type of statistical test depends on what type of data you have. For example, you will do one test if your scores do not represent amounts of a quality but instead represent what kind or type of response a participant made (e.g., responses are categorized as helped or did not help, cheated or did not cheat, or preferred one product over another product), and you will do a different test if your scores represent amounts of a quality (e.g., how loud a person yelled, how much they agreed with a statement). To get more specific information about how the type of data you have affects how you should summarize and analyze those data, see the following table (if you want more information on scale of measurement, see Chapter 6).
<table>
<thead>
<tr>
<th>Scale of measurement</th>
<th>Example</th>
<th>Average</th>
<th>Measure of correlation</th>
<th>Typical statistical analysis</th>
</tr>
</thead>
<tbody>
<tr>
<td>Nominal</td>
<td>When numbers represent categories that are not ordered, such as 1 = yelled, 2 = frowned, 3 = cried</td>
<td>Mode (most common score) or simply describe the percentage of participants in each category</td>
<td>Phi coefficient</td>
<td>Chi-square</td>
</tr>
<tr>
<td>Ordinal</td>
<td>Ranks (e.g., 1st, 2nd, 3rd)</td>
<td>Median (middle score)</td>
<td>Spearman’s rho</td>
<td>Mann-Whitney (if testing two groups), Kruskal-Wallis (if testing more than two groups), Friedman test (if using within-subjects design)</td>
</tr>
<tr>
<td>Interval</td>
<td>Rating scales</td>
<td>Mean</td>
<td>Pearson r</td>
<td>t test, ANOVA</td>
</tr>
<tr>
<td>Ratio</td>
<td>Height, magnitude estimation</td>
<td>Mean</td>
<td>Pearson r</td>
<td>t test, ANOVA</td>
</tr>
</tbody>
</table>

**Within-Subjects Versus Between-Subjects Designs**

Another factor that determines which statistics you should use is whether you are using a within-subjects design (comparing each participant with himself or herself) or a between-subjects design (comparing one group of participants with a different group of participants). For example, if you were using a two-condition within-subjects design, rather than using an independent groups t test or a between-subjects ANOVA, you should use either a dependent groups t test or a within-subjects ANOVA.

**Number of Conditions**

Finally, you must also consider the number of conditions you are comparing. For example, if you have interval data and are comparing only two conditions, you can use a t test. If, however, you are comparing more than two conditions, you must use ANOVA instead. To get more specific information about how the number of conditions should affect how you analyze your data, consult the following table.

<table>
<thead>
<tr>
<th>Type of data</th>
<th>Two</th>
<th>More than two</th>
</tr>
</thead>
<tbody>
<tr>
<td>Nominal, between-subjects</td>
<td>Chi-square</td>
<td>Chi-square</td>
</tr>
<tr>
<td>Nominal, within-subjects or matched pairs</td>
<td>McNemar test</td>
<td>Cochran Q test</td>
</tr>
<tr>
<td>Ordinal, between-subjects</td>
<td>Mann-Whitney test</td>
<td>Kruskal-Wallis test</td>
</tr>
</tbody>
</table>
Performing the Correct Analysis: An Overview of the Rest of This Appendix

If you refer to the information we just discussed or follow our flowchart (see Figure 1), you will choose the right statistical test. But should you conduct a statistical significance test on your data? Not everyone agrees that you should (to understand both sides of this issue, read Box 1).

Despite the controversy surrounding significance testing, most experts agree that statistical significance provides good evidence that a finding is reliable. Largely because statistically significant tests are helpful in preventing us from mistaking a coincidence for a genuine relationship, almost all articles you read will report the result of a significance test. Therefore, the rest of this appendix will be devoted to discussing the logic and computations behind the most commonly used statistical tests.

We will begin by discussing the independent groups $t$ test. Learning about the $t$ test will not only teach you about one of the most commonly used statistical techniques, but it will also give you the foundation for understanding other statistical techniques. We will then discuss the most common technique for analyzing the results of an experiment that has more than two groups: ANOVA. Next, we will show you how to compute a dependent $t$ test so you can analyze data from a matched-pairs design or a two-condition within-subjects experiment.

After talking about techniques commonly used to analyze the results of experiments, we will discuss techniques commonly used to analyze data from surveys and other correlational research. We will begin by talking about how to compute the Pearson $r$. Then, we will show you how to calculate and interpret the coefficient of determination. Next, we will show you how to find out if a Pearson $r$ in your sample indicates that the two variables are really related in the population. Following this discussion of techniques that are commonly used when you have interval data, we show you how to do comparable analyses when you have nominal data. Finally, we will discuss more sophisticated ways of analyzing correlational data, including multiple regression, mediational analyses, and factor analysis.
Figure 1 Choosing the Right Statistical Test
Although many have criticized the use of statistical significance tests, psychologists—even most of the critics of such tests—still use them (Greenwald, Gonzalez, Harris, & Guthrie, 1996). To understand why, we will consider the major objections to statistical significance and how defenders of the statistical significance tests would respond to those objections. As you can see, the responses to the attacks on statistical significance fall into three general categories: (a) the attack reflects a problem not with statistical significance tests themselves but with how people use or think about statistical significance tests, (b) the attack would still be made if people used alternatives to significance tests, or (c) the attack is misguided.

### Objection to statistical significance testing

<table>
<thead>
<tr>
<th>Objection to statistical significance testing</th>
<th>Reply to objection</th>
<th>Defender’s general comment about the attack</th>
</tr>
</thead>
</table>
| The significance test doesn’t tell you anything because the null is always false. Everything is connected to everything else. That is, two variables will always be related. | 1. The evidence for the view that the null is always false is less than overwhelming. Scientists who have really wanted to believe that a treatment had an effect have used strong treatments and large sample sizes, and still failed to find significant effects. Indeed, most psychologists know that their work will not be published unless their results are statistically significant and yet they often fail to obtain significant effects for the variables of interest.  
2. As Hagan (1998) points out, if opponents mean that every treatment has some effect on the measured dependent variable, then that means that (a) there are no Type 1 errors, (b) all null results are Type 2 errors, and (c) quack therapies really work.  
3. Even if the null was always false, we would still want to know the direction of the effect (does it help or hurt?). Significance testing is good at detecting the direction of an effect (Harris, 1997). | The attack is misguided. |
| The p < .05 level is arbitrary. Why would a p of .051 fail to be significant, whereas a p of .049 would be significant? | 1. Before significance testing, people could just decide that their results “felt real and reliable.” Currently, with the .05 criterion, they have to meet some objective standard.  
2. In the situation described, any reasonable investigator would follow up on any interesting hypothesis that had a p value of .051. Usually, the investigator would replicate the study using more participants so that the study would have more power.  
3. Generally, if we are going to err, we should error on the side of caution. By sticking to the p < .05 level, we are unlikely to report that a treatment has one kind of effect when the treatment actually has the opposite effect. | The problem is not as serious as critics allege—and alternative methods have similar problems. |

(Continued)
<table>
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<tr>
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<tr>
<td>4. As Greenwald, Gonzalez, Harris, and Guthrie (1996) point out, people need “yes versus no” answers to many questions, such as “Is this treatment superior to a placebo?” (p. 178). When we must decide whether to act or not to act, we must use an arbitrary cutoff. For example, how sure do you have to be that going to a doctor would be the best thing to do before you actually go? If we used the same tactics as those who argue that the .05 significance level is arbitrary, we could make any cutoff seem arbitrary. For example, if you said “60%,” we could reply, “so you would not go if you were 59.99% sure?” Note, however, that you are not being irrational: You have to have some cutoff or you would never act.</td>
<td></td>
<td></td>
</tr>
<tr>
<td>5. An alternative approach, using confidence intervals instead of significance tests, has the same problem. (To learn more about confidence intervals, see Box 10.2.)</td>
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</tbody>
</table>

The logic behind statistical significance is not—according to the rules of formal deductive logic—valid (Cohen, 1994). Statistical significance does not tell us how likely it is that the null is false. Instead, it gives us the probability of getting a set of results given that the null is true (Cohen, 1994).

1. The fact that significance testing is not valid according to the rules of formal logic does not mean it is illogical (Hagan, 1998). Most of what physical scientists do is not valid in terms of formal, deductive logic (T. A. Lavin, personal communication, July 18, 2002).

2. Philosophers would say that the arguments behind significance testing are logically valid abductive arguments (J. Phillips, personal communication, September 4, 2005).

3. Hagan (1998) argues that DNA testing uses a similar logic.

4. With simulated data, Type 1 error rates are what significance tests would predict (Estes, 1997).

5. In practice, significance tests (a) are very good at telling us the direction of an effect and (b) provide information about the probability that a replication of the study would obtain a significant effect (Greenwald et al., 1996).

Statistical significance is misunderstood.

1. Many think null results mean accepting the null (Shrout, 1997).

Would physics researchers change their methodology because the average person did not understand their methods? If there is a concern about significant results being misunderstood, there are alternatives to eliminating significance testing. For example, the public or the media could be educated about what the problem is due to people misunderstanding the term “statistical significance.”
<table>
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<tbody>
<tr>
<td>2. Many think statistical significance means the same as important (Shrout, 1997).</td>
<td>“statistical significance” means or the term could be changed so that people did not confuse its meaning with the meaning of the word “significant.” Similarly, Scarr (1997) suggests that the term “reliable” replace “significance.”</td>
<td>not with statistical significance itself.</td>
</tr>
<tr>
<td>Statistical significance is not a measure of effect size. It is a measure of sample size and effect size. Therefore, we should measure effect size instead.</td>
<td>1. “Effect size” does not give you a pure measure of a variable’s effect because “effect size” depends on (a) the power of the original manipulation, (b) how homogenous the sample is, and (c) the reliability and sensitivity of the dependent measure. Thus, with a different treatment manipulation, measure, or sample, you will obtain a different effect size. In addition, an effect that would be large in a well-controlled laboratory study might be tiny in a real-world setting. Even when we (a) study variables in real world settings and (b) use measures that give us estimates of effect size, we still are unable to establish the relative strength of variables (e.g., the nature/nurture debate on IQ).</td>
<td>The problem is not as serious as critics claim.</td>
</tr>
<tr>
<td>Significant effects may be small.</td>
<td>2. Estimates of effect size can be obtained from significance tests (see Box 10.2).</td>
<td></td>
</tr>
<tr>
<td></td>
<td>3. As Prentice and Miller (1992) point out, the fact that a weak manipulation of a variable has any effect at all can be convincing evidence for the importance of that variable.</td>
<td></td>
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<tr>
<td></td>
<td>4. A large effect size on a trivial variable (ratings on a scale) may be unimportant, whereas a small effect size on an important variable (health) may be important.</td>
<td></td>
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<tr>
<td></td>
<td>5. A large effect that does not persist may be less important than a small, lasting effect that accumulates over time.</td>
<td></td>
</tr>
<tr>
<td></td>
<td>1. Small effects may be very important (a) when evaluating the relative validity of two theories, (b) when looking at an important variable (e.g., the effect size for aspirin on preventing heart attacks is tiny, but has enormous practical implications), and (c) when looking at variables that have effects that accumulate over time (e.g., if we produce even a tiny effect for a single commercial we present in the lab, the implications may be enormous because the person will</td>
<td></td>
</tr>
<tr>
<td></td>
<td>The problem is with people misunderstanding the meaning of statistical significance rather than with statistical significance tests.</td>
<td></td>
</tr>
<tr>
<td>Objection to statistical significance testing</td>
<td>Reply to objection</td>
<td>General comment about the attack</td>
</tr>
<tr>
<td>---------------------------------------------</td>
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<td>---------------------------------</td>
</tr>
</tbody>
</table>
| Significance testing made our science unreliable, unlike physical sciences. | probably see more than a million ads in the course of a lifetime).  
2. Any informed person could determine whether the effect was small. | The attack is misguided. |
| | 1. Our findings are as replicable as those in physics (Hedges, 1987).  
2. Health research’s abandonment of statistical significance seems to have made their research more conflicting rather than less.  
3. Significance reduces our risk of mistaking a chance difference for a genuine effect. It also prevents us from believing that our data support whatever pattern we desire. Thus, significance testing has made our findings more—not less—reliable (Scarr, 1997).  
4. Impressions that studies conflict often reflect a misunderstanding of significance tests. If one study is significant and the other is not, then one study refutes the null and the other fails to refute the null. The two studies are not in conflict because the second study does not support the null.  
5. Other social scientists tend to want to model our approach because it has been so successful in producing reliable, objective findings. | |
| Significance tests are misused. | “Everything can and will be misused” (Abelson, 1997). | The attack is misguided. |
| The p value doesn’t tell you the probability that you would get similar results if you repeated the study. For example, if your results are significant at the $p = .05$ level, there is only about a 50% chance that if you repeated the study, you would again get significant results in the predicted direction. Therefore, at the very least, researchers should use $p_{rep}$ rather than $p$. (For more information on $p_{rep}$, see the text’s website). | There is a relationship between the $p$ value and the chance of obtaining the same results in an exact replication (Greenwald et al., 1996). $p_{rep}$ is based on $p$ and is controversial. | This is a problem with people misunderstanding statistical significance rather than with significance testing. |
To use the independent groups \( t \) test, you must meet the following three criteria:

1. You must have two groups.
2. Your observations must be independent.
3. You must be able to assume that your data are either interval or ratio.

In addition, each of your groups should have approximately the same variance, and your scores should be normally distributed.

As long as your data meet these assumptions, you can use the \( t \) test to analyze your data. Thus, the \( t \) test can be used to look at differences on any measure, such as between men and women, computer users vs. nonusers, or any two independent groups. However, the most common use of the \( t \) test is to analyze the results of a simple (two-group, between-subjects) experiment.

To understand why you can use the \( t \) test to analyze the results of a simple experiment, remember why you did the simple experiment. You did it to find out whether the treatment would have an effect on a unique population—all the individuals who participated in your experiment. More specifically, you wanted to know the answer to the hypothetical question, “If I had put all my participants in the experimental condition, would they have scored differently.
than if I had put all of them in the control condition?” To answer this question, you need to know the averages of two populations:

- Average of Population 1: what the average score on the dependent measure would have been if all your participants had been in the control group
- Average of Population 2: what the average score on the dependent measure would have been if all your participants had been in the experimental group

Unfortunately, you cannot measure both of these populations. If you put all your participants in the control condition, you won’t know how they would have scored in the experimental condition. If, on the other hand, you put all your participants in the experimental condition, you won’t know how they would have scored in the control condition.

**Estimating What You Want to Know**

Because you cannot directly get the population averages you want, you do the next best thing—you estimate them. You can estimate them because—thanks to independent random assignment—you started your experiment by dividing all your participants (your population of participants) into two random samples: one of these random samples from your original population of participants was the experimental group; the other random sample was the control group.

The average score of the random sample of your participants who received the treatment (the experimental group) is an estimate of what the average score would have been if all your participants received the treatment. The average score of the random sample of participants who received no treatment (the control group) is an estimate of what the average score would have been if all of your participants had been in the control condition.

**Calculating Sample Means**

Even though only half your participants were in the experimental group, you can assume that the experimental group is a fair sample of your entire population of participants. Thus, the experimental group’s average score should be a reasonably good estimate of what the average score would have been if all your participants had been in the experimental group. Similarly, you can assume that the control group’s average score is a fairly good estimate of what the average score would have been if all your participants had been in the control group. Therefore, the first step in analyzing your data will be to calculate the average score for each group. Usually, the average you will calculate is the mean: the result of adding up all the scores and then dividing by the number of scores (e.g., the mean of 0, 2, and 4 would be \[\frac{0 + 2 + 4}{3} = \frac{6}{3} = 2\]).

**Comparing Sample Means**

Once you have your two sample means, you can compare them. We can compare them because we know that, before the treatment was administered, both groups represented a random sample of the population consisting of
every participant who was in the study. Thus, if the treatment had no effect, at the end of the experiment, the control and experimental groups would both still be random samples from that population.

As you know, two random samples from the same population will be similar to each other. For example, two random samples of the entire population of New York City should be similar to each other, two random samples from the entire population of students at your school should be similar to each other, and two random samples from the entire group of participants who were in your study should be similar to each other. Thus, if the treatment has no effect, at the end of the experiment, the experimental and control groups should be similar to each other.

Because random samples of the same population should be similar, you might think all we need to do is subtract the control group mean from the experimental group mean to find the effect. But such is not the case: Even if the treatment has no effect, the means for the control group and experimental group will rarely be identical. To illustrate, suppose that Dr. N. Ept made a serious mistake while trying to do a double-blind study. Specifically, although he succeeded in not letting his assistants know whether the participants were getting the real treatment or a placebo, he messed up and had all the participants get the placebo. In other words, both groups ended up being random samples of the same population—participants who did not get the treatment. Even in such a case, the average scores (the means) of the two groups may be very different.

Dr. N. Ept’s study illustrates an important point: Even when groups are random samples of the same population, they may still differ because of random sampling error. You are aware of random sampling error from reading about public opinion polls that admit to a certain degree of sampling error or from reading about two polls of the same population that produced slightly different results.

Because of random sampling error, some random samples will not be representative of their parent population. Because of the possibility that a sample may be strongly affected by random sampling error, your sample means may differ even if the real, parent population means do not.

**Inferential Statistics: Judging the Accuracy of Your Estimates**

We have told you that random error can throw off your estimates of population means. Because of random error, the treatment group mean is an imperfect estimate of what would have happened if all the participants had received the treatment and the control group mean is an imperfect estimate of what would have happened if none of the participants had received the treatment. Thus, the difference between your experimental group mean and control group mean could be due to random error. Consequently, finding a difference between the treatment group mean and the no-treatment group mean doesn’t prove that you have a treatment effect.

If the difference between your group means could be due to random error, how can you determine whether a difference between the sample means is due to the treatment? The key is to know how much of a difference random error could make. If the actual difference between your group means was much bigger than the difference that chance would be likely to make, you could conclude that the treatment had an effect.
Estimating the Accuracy of Individual Sample Means

How can you determine whether the difference between your sample means is too large to be due to random error? Knowing the accuracy of each of your individual sample means should help. For example, suppose you knew the control group mean was within one point of its true population mean. Furthermore, suppose you knew that the experimental group mean was also within one point of its real population mean. In other words, you knew that (a) the estimate for what the mean would be if everybody had been in the control group was not off by more than one point, and that (b) the estimate for what the mean would be if everyone had been in the experimental group was also not off by more than one point.

If you knew all that, and if your control group mean differed from your experimental group mean by 20 points, then you would know that your two sample means represent different population means. In other words, you could assume that if all your participants had been given the treatment, they would have scored differently than if they had all been deprived of the treatment.

If, on the other hand, the two group means had differed by less than one point but each of your estimates could be off by a point, a one-point difference between the groups could easily be due to random error. In that case, you would not be able to conclude that the treatment had an effect.

Consider Population Variability: The Value of the Standard Deviation. You have seen that a key to determining whether your treatment had an effect is to determine how well your two sample means reflect their population means. But how can you do that?

One factor that affects how well a mean based on a random sample of the population reflects its population mean is the amount of variability in the population. If there is no variability in the population, all scores in the population will be the same as the mean. Consequently, there would be no sampling error. For example, if everyone in the population scored a 5, the population mean would be 5, and the mean of every random sample would also be 5. Thus, because all Roman Catholic cardinals hold very similar positions on the morality of abortion, almost any sample of Roman Catholic cardinals you took would accurately reflect the views of Roman Catholic cardinals on that issue.

If, on the other hand, scores in a population vary considerably (e.g., ranging anywhere from 0 to 1,000), independent random samples from that population could be extremely inaccurate. In that case, you might get sample means ranging from 0 to 1,000. Thus, two sample means from such a heterogeneous population could be very different.

To recap, you have seen that the variability of scores in a population affects how accurately individual samples will reflect that population. Because the extent of the variability of scores in the population influences the extent to which we have random sampling error, we need an index of the variability of scores within a population.

The ideal index of the population’s variability is the population’s standard deviation: a measure of the extent to which individual scores deviate
from the population mean. Unfortunately, to get that index, you have to know the population mean (for the control condition, the average of the scores if all the participants had been in the control condition; for the experimental condition, the average of the scores if all the participants had been in the experimental condition). Obviously, you don’t know the population mean for either the control or experimental condition—that’s what you are trying to find out!

Although you cannot calculate the population standard deviation, you can estimate it by looking at the variability of scores within your samples. In fact, by following the steps in Box 2, you can estimate what the standard deviation would have been if everyone had been in the control group (by looking at variability within the control group) and what the standard deviation would have been if all your participants had been in the experimental group (by looking at variability within the experimental group).

One reason the standard deviation is a particularly valuable index of variability is that many populations can be completely described simply by knowing the standard deviation and the mean. You probably already know that the mean is valuable for describing many populations. You know that for many populations, most scores will be near the mean and that as many scores will be above the mean as will be below the mean.

What you may not know is that for many populations, you can specify precisely what percentage of scores will be within a certain number of

<table>
<thead>
<tr>
<th>BOX 2</th>
<th>How to Compute a Standard Deviation</th>
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</thead>
<tbody>
<tr>
<td><strong>STEP 1:</strong></td>
<td><strong>STEP 2:</strong></td>
</tr>
<tr>
<td>Calculate the mean (M).</td>
<td>Subtract scores from mean (105) to get differences.</td>
</tr>
<tr>
<td>108 — 105 = +3</td>
<td>(+3)^2 = +9</td>
</tr>
<tr>
<td>104 — 105 = −1</td>
<td>(−1)^2 = +1</td>
</tr>
<tr>
<td>104 — 105 = −1</td>
<td>(−1)^2 = +1</td>
</tr>
<tr>
<td><strong>104 —</strong> 105 = −1</td>
<td>(−1)^2 = +1</td>
</tr>
<tr>
<td>420 = Total</td>
<td><strong>SS = 12</strong></td>
</tr>
<tr>
<td><strong>Mean = 420/4 = 105</strong></td>
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</tbody>
</table>

**STEP 4:** Add (sum) the squared differences obtained in step 3 to get sum of squared differences, otherwise known as sum of squares. Sum of squares is often abbreviated as (SS). Sum of squares (SS) = 12.

**STEP 5:** Get variance by dividing SS (which was 12) by one less than the number of scores (4−1 = 3). This division yields a variance of 4 (because 12/3 = 4).

**STEP 6:** Get the standard deviation by taking the square root of variance. Because the variance is 4, the standard deviation is 2 (because the square root of 4 is 2).

For those preferring formulas,

\[ S = \sqrt{\frac{\sum(X - M)^2}{N - 1}} \]

where \( X \) stands for the individual scores, \( M \) is the sample mean, \( S \) is the estimate of the population’s standard deviation, and \( N \) is the number of scores (so, \( N - 1 \) is one less than the number of scores).
standard deviations of the mean. For instance, you can say that 68% of the scores will be within one standard deviation of the mean, 95% will be within two standard deviations of the mean, and 99% of the scores will be within three standard deviations of the mean. If a population’s scores are spread out (distributed) in this manner, the population is said to be *normally distributed*.

As the term “normally distributed” suggests, many populations are normally distributed—from test scores to the heights of American women. Because normally distributed populations are common, graphing the distribution of scores in a population will often produce a *normal curve*: a bell-shaped, symmetrical curve that has its center at the mean (see Figure 2).

It’s convenient to summarize an entire distribution of scores with just two numbers: the mean, which gives you the center of a normal distribution; and the standard deviation, which gives you an index of the width of the distribution. It’s comforting to know that 68% of the scores will be within one standard deviation of the mean, that 95% of the scores will be within two standard deviations of the mean, and that virtually all the scores will be within three standard deviations of the mean.

But the standard deviation has more uses than merely describing a population. You could use the standard deviation to make inferences about the population mean. For example, suppose you don’t know the population’s mean, but you know that the distribution is normally distributed and that its standard deviation is 3. Then, you don’t need much data to make certain inferences about that population. Specifically, you know that if you randomly selected a single score from that population, there would be a 68% chance that the population mean would be within 3 points (one standard deviation) of that score and a 95% chance that the population mean would be within 6 points (two standard deviations) of that score.

![The Normal Curve](image)

**Figure 2** The Normal Curve
Consider Sample Size: The Role of the Standard Error. Of course, to estimate your control group’s population mean, you would not use just one score. Instead, you would use the mean you calculated by averaging all the scores from your control group. Intuitively, you realize that using a sample mean based on several scores will give you a better estimate of the population mean than using a single score.

You also intuitively realize that your sample mean will be a better estimate of the population mean if your sample mean is based on many scores than if it is based on only a few scores. In other words, the bigger your independent random sample, the better your random sample will tend to reflect the population—and the closer its mean should be to the population mean.

As you have seen, the accuracy of your sample mean depends on (a) how much the scores vary and (b) how many scores you use to calculate that mean. Thus, a good index of the degree to which a sample mean may differ from its population mean must include both factors that influence the accuracy of a sample mean, namely:

1. population variability (the less population variability, the more accurate the sample mean will tend to be)
2. sample size (the larger the sample, the more accurate the sample mean will tend to be)

Although the standard deviation tells you how much the scores vary, it does not take into account how many scores the sample mean is based on. The standard deviation will be the same whether the sample mean is based on 2 scores or 2,000. Because the standard deviation does not take into account sample size, the standard deviation is not a good index of your sample mean’s accuracy. Furthermore, both population variability and sample size are included in the formula for the standard error of the estimate of the mean (also called the standard error): an index of the degree to which random error may cause a sample mean to be an inaccurate estimate of its population mean.

The standard error (of the estimate of the population mean) equals the standard deviation (a measure of population variability) divided by the square root of the number of participants (an index of sample size). Thus, if the standard deviation were 40 and you had 4 people in your sample, the standard error would be

$$\frac{40}{\sqrt{4}} = \frac{40}{2} = 20$$

Note that dividing by the square root of the sample size means that the bigger the sample size, the smaller the standard error. Thus, the formula reflects the fact that you have less random sampling error with larger samples. Consequently, in the example above, if you had used 100 participants instead of 4, your standard error would have shrunk from $20(40/\sqrt{4})$ to $4(40/\sqrt{100})$.

What does the standard error tell you? Clearly, the larger the standard error, the more likely a sample mean will misrepresent the population mean. But does this random error contaminate all samples equally or does it heavily infest some samples while leaving others untouched? Ideally, you would like to know precisely how random error is distributed across samples. You want
to know what percentage of samples will be substantially tainted by random error so that you know what chance your sample mean has of being accurate.

**Using the Standard Error.** Fortunately, you can know how sample means are distributed. By drawing numerous independent random samples from a normally distributed population and plotting the means of each sample, statisticians have shown that the distribution of sample means is normally distributed. Specifically, most (68%) of the sample means will be within one standard error of the population mean, 95% will be within two standard errors of the population mean, and 99% will be within three standard errors of the population mean. Therefore, if your standard error is 1.0, you know that there’s a 68% chance that the true population mean is within 1.0 points of your sample mean, a 95% chance that the population mean is within 2.0 points of your sample mean, and a 99% chance that the population mean is within 3.0 points of your sample mean.

When you can assume that the population is normally distributed, you can estimate how close your sample mean is to the true population mean. You do this by taking advantage of the fact that sample means from normally distributed populations will follow a very well-defined distribution: the normal distribution. But what if the underlying population isn’t normally distributed?

Even then, as the central limit theorem states, the distribution of sample means will be normally distributed—if your samples are large enough (30 or more participants). To understand why the central limit theorem works, realize that if you take numerous large random samples from the same population, your sample means will differ from one another for only one reason—random error. Because random error is normally distributed, your distribution of sample means will be normally distributed—regardless of the shape of the underlying population. Consequently, if you take a large random sample from any population, you can use the normal curve to estimate how closely your sample mean reflects the population mean.

**Estimating Accuracy of Your Estimate of the Difference Between Population Means**

Because you know that sample means are normally distributed, you can determine how likely it is that a sample mean is within a certain distance of its population mean. But in the simple experiment, you are not trying to find a certain population mean. Instead, you are trying to find out whether two population means differ. As we mentioned earlier, you want to know whether there was a difference between two hypothetical population means: (a) what the mean score would have been if all your participants had been in the control group, and (b) what the mean score would have been if all your participants had been in the experimental group. Put another way, you are asking the question: “If all the participants had received the treatment, would they have scored differently than if they had all been in the control group?”

Because you want to know whether the treatment made a difference, your focus is not on the individual sample means, but on the difference between the two means. Therefore, you would like to know how differences between sample means (drawn from the same population) are distributed.
How the Differences Between Means Are Distributed: The Large Sample Case.

Statisticians know how differences between sample means drawn from the same population are distributed because they have repeated the following steps thousands of times:

1. Take two random samples from the same population.
2. Calculate the means of the two samples (Group 1 and Group 2).
3. Subtract the Group 1 mean from the Group 2 mean to get the difference between Group 1 and Group 2.

From this work, statisticians have established three basic facts about the distribution of differences between sample means drawn from the same population.

First, if you subtracted the Group 1 mean from the Group 2 mean an infinite number of times, the average of all these differences would equal zero. This is because, in the long run, random error averages out to zero. Because random error averages out to zero, the mean of all the Group 1 means would be the true population mean—as would the mean of all the Group 2 means. Because the Group 1 means and the Group 2 means both average out to the same number, the average difference between the Group 1 and Group 2 means would be zero.

Second, the distribution of differences would be normally distributed. This makes sense because (a) the only way random samples from the same population can differ is because of random error, and (b) random error is normally distributed.

Third, the standard unit of variability for the distribution of differences between means is neither the standard deviation nor the standard error. Instead, it is the standard error of the difference between means.

The standard error of the difference between means is larger than the standard error of the mean. This fact shouldn’t surprise you. After all, the difference between sample means is influenced by the random error that affects the control group mean and by the random error that affects the experimental group mean. In other words, sample means from the same population could differ because the first sample mean was inaccurate, because the second sample mean was inaccurate, or because both were inaccurate.

The formula for the standard error of the difference between means reflects the fact that this standard error is the result of measuring two unstable estimates. Specifically, the formula is

$$
\sqrt{\frac{s_1^2}{N_1} + \frac{s_2^2}{N_2}}
$$

where \(s_1\) is the estimate of the population standard deviation for Group 1, and \(s_2\) is the estimate of the population standard deviation for Group 2, \(N_1\) is the number of participants in Group 1, and \(N_2\) is the number of participants in Group 2.

We know that with large enough samples, the distribution of differences between means would be normally distributed. Thus, if the standard error of the difference was 1.0, we would know that (a) 68% of the time, the true difference would be within one point of the difference we observed; (b) 95% of the time, the true difference would be within two points of the difference we observed; and (c) 99% of the time, the true difference would be within three
points of the difference we observed. In that case, if our two sample means (the control group mean and the experimental group mean) differed by more than three points, we would be confident that the treatment had an effect. In other words, we would be confident that the groups were samples from populations that had different means. Therefore, we would conclude that if all the participants had received the treatment, their mean score would be different than if they had all been in the control condition.

If, however, we observed a difference of 1.0, we realize that such a difference might well reflect random error, rather than the groups coming from different populations. That is, with a difference of 1.0 and a standard error of the difference of 1.0, we could not disprove the null hypothesis. In other words, we would not be able to conclude that the treatment had an effect.

**How Differences Are Distributed: The Small Sample Case.** Although the distribution of differences would be normally distributed if you used large enough samples, your particular experiment probably will not use enough participants. Therefore, you must rely on a more conservative distribution, especially designed for small samples: the $t$ distribution.

Actually, the $t$ distribution is a family of distributions. The member of the $t$ distribution family that you use depends on the sample size. That is, with a sample size of 10, you will use a different $t$ distribution than with a sample size of 11.

The larger your sample size, the more the $t$ distribution will be shaped like the normal distribution. The smaller your sample size, the more spread out your $t$ distribution will be (see Figure 3). Thus, with small samples, a difference between means of more than two standard errors of the difference

![Figure 3](image-url)
might not be statistically significant (whereas such a difference would be significant with a large sample).

Although the particular \( t \) distribution you use depends on sample size, you do not determine which particular \( t \) distribution to use by counting how many participants you have. Instead, you determine how many degrees of freedom (\( df \)) you have.

To calculate your degrees of freedom, simply subtract 2 from the number of participants in your experiment. For example, if you had 32 participants, your \( df \) would be 30 (because \( 32 - 2 = 30 \)).

**Executing the \( t \) Test**

You now understand that the difference between your experimental group mean and control group mean could be due to random error. You also realize that to estimate the chances that a difference between means could be due to random error, you need to do two things.

First, you need to compare the difference between the means to the standard error of the difference. In other words, you need to find out how far apart—in terms of standard errors of the difference—the two group means are.

Second, you need to use a \( t \) distribution to figure out how likely it is that two means could differ by that many standard errors of the difference. The particular \( t \) distribution you will use depends on your degrees of freedom.

Now that you understand the basic logic behind the \( t \) test, you’re ready to do one. Start by subtracting the means of your two groups. Then, divide this difference by the standard error of the difference (see Box 3). The number you will get is called a \( t \) ratio. Thus, \( t = \frac{\text{difference between means}}{\text{standard error of the difference}} \). Less technically, the \( t \) ratio is simply the difference between your sample means divided by an index of random error.

Once you have your \( t \) ratio and your degrees of freedom, refer to a \( t \) table to see whether your \( t \) ratio is significant. Specifically, you would look under the row corresponding to your degrees of freedom. As we mentioned

---

**BOX 3  Calculating the Between-Subjects \( t \) Test for Equal-Sized Groups**

\[
t = \frac{\text{Group 1 Mean} - \text{Group 2 Mean}}{\text{Standard Error of the Difference}}
\]

And where the standard error of the difference can be calculated in either of the following 2 ways:

1. \[
\sqrt{\frac{S_1^2}{N_1} + \frac{S_2^2}{N_2}}
\]

   Where \( S_1 = \) standard deviation of Group 1 (see Box 1), \( S_2 = \) standard deviation of

   Group 2, \( N_1 = \) number of participants in Group 1, and \( N_2 = \) number of participants in Group 2.

2. \[
\sqrt{\frac{SS \text{ Group 1} + SS \text{ Group 2}}{N - 2}} \times (1/N_1 + 1/N_2)
\]

   Where \( SS = \) the sum of squares (see Box 1), \( N_1 = \) the number of participants in Group 1, \( N_2 = \) the number of participants in Group 2, and \( N = \) the total number of participants.
before, the degrees of freedom are two fewer than the number of participants. Thus, if you studied 32 participants, you would look at the t table in Appendix F under the row labeled 30 df.

When comparing the t ratio you calculated to the value in the table, act like your t ratio is positive. That is, even if you have a negative t ratio, treat it as if it is a positive t ratio. In other words, take the absolute value of your t ratio.

If the absolute value of your t ratio is not bigger than the number in the table, your results are not statistically significant at the \( p < .05 \) level. If, on the other hand, the absolute value of your t ratio is bigger than the number in the table, your results are statistically significant at the \( p < .05 \) level.

If your results are statistically significant at the \( p < .05 \) level, there’s less than a 5% chance that the difference between your groups is solely due to chance. Consequently, you can be reasonably sure that your treatment had an effect. You might report your results as follows: “As predicted, the experimental group’s mean recall (8.12) was significantly higher than the control group’s (4.66), \( t(30) = 3.10, p < .05 \).”

ANOVA: ANALYZING DATA FROM A MULTIPLE-GROUP EXPERIMENT

To analyze data from a multiple-group experiment, most researchers use analysis of variance. To use analysis of variance, your observations must be independent, and you must be able to assume that your data are either interval or ratio. Although ANOVA also assumes that your scores are normally distributed and that each of your groups should have approximately the same variance, you can often work around these latter two assumptions. For example, if you have more than 30 participants in each group, you do not have to worry about whether your scores are normally distributed.

In analysis of variance, you set up the F ratio: a ratio of the between-groups variance (measuring differences between the different group averages, differences that could be due to the treatment as well as to random error) to the within-groups variance (measuring differences between each group’s average score and the individual scores making up that average, differences that could only be due to random error). To use more precise terminology, you set up a ratio of mean square between (MSB) to mean square within (MSW).

To calculate mean square within groups, you must first calculate the sum of squares for each group. Start by subtracting each score from its group mean, squaring each of those differences, and then adding up all those squared differences. If you had the following three groups, your first calculations would be as follows.

<table>
<thead>
<tr>
<th></th>
<th>Group 1</th>
<th>Group 2</th>
<th>Group 3</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>5</td>
<td>6</td>
<td>14</td>
</tr>
<tr>
<td>2</td>
<td>4</td>
<td>5</td>
<td>12</td>
</tr>
<tr>
<td>3</td>
<td>3</td>
<td>4</td>
<td>10</td>
</tr>
</tbody>
</table>

Group Mean: 4 5 12
Sum of squares within for Group 1:

\[(5 - 4)^2 + (4 - 4)^2 + (3 - 4)^2 = (1)^2 + (0)^2 + (-1)^2 = 1 + 0 + 1 = 2\]

Sum of squares within for Group 2:

\[(6 - 5)^2 + (5 - 5)^2 + (4 - 5)^2 = (1)^2 + (0)^2 + (-1)^2 = 1 + 0 + 1 = 2\]

Sum of squares within for Group 3:

\[(14 - 12)^2 + (12 - 12)^2 + (10 - 12)^2 = (2)^2 + (0)^2 + (-2)^2 = 4 + 0 + 4 = 8\]

To get the sum of squares within groups, you add (sum) all of these sums of squares together (2 + 2 + 8 = 12).

To get the mean square within groups, you divide the sum of squares within groups (SSW) by the within-groups’ degrees of freedom. In a multiple-group experiment, the within-groups’ degrees of freedom equals the number of participants–number of groups. You had 9 participants and 3 groups. Therefore, your within-groups’ degrees of freedom is 6 (because 9 – 3 = 6). In this case, because your sum of squares within is 12 and your within-groups degrees of freedom is 6, your MSW is 2 (12/6).

To get the mean square between groups, calculate the variance of the group means as follows:

Calculate the mean of the group means \((4 + 5 + 12)/3 = 21/3 = 7\).

Subtract each group mean from the overall mean and square each difference:

\[4 - 7 = -3; \quad -3 \text{ squared} = 9\]
\[5 - 7 = -2; \quad -2 \text{ squared} = 4\]
\[12 - 7 = 5; \quad 5 \text{ squared} = 25\]

Add up all these squared differences \((25 + 9 + 4 = 38)\).

Divide this term by one less than the number of groups. Because you have three groups, divide by two. So, your between groups variance is 19 \((38/2 = 19)\).

To transform your variance between groups to a mean square between, multiply it by the number of participants in each group. In this case, you have three participants per group, so you multiply 19 \(\times 3\) and get 57.

Your \(F\) ratio is the ratio of mean square between (MSB) to mean square within (MSW). In this case, your MSB is 57 and your MSW is 2. Therefore, your \(F\) ratio is 57/2, or 28.5.

Thus, at this point, your ANOVA summary table would look like this:

<table>
<thead>
<tr>
<th>Source of variance</th>
<th>Sum of squares</th>
<th>Degrees of freedom</th>
<th>Mean square</th>
<th>(F) ratio</th>
</tr>
</thead>
<tbody>
<tr>
<td>Treatment</td>
<td>?</td>
<td>?</td>
<td>57</td>
<td>28.5</td>
</tr>
<tr>
<td>Error</td>
<td>12</td>
<td>6</td>
<td>2</td>
<td></td>
</tr>
</tbody>
</table>

To fill in the rest of the table, you need to know the sum of squares treatment and the degrees of freedom for the treatment. The degrees of freedom \((df)\) for the treatment is one less than the number of groups. Because you
have 3 groups, your $df$ for the treatment is 2. To get the sum of squares for the treatment, simply multiply the $df$ for the treatment by the mean square for the treatment ($2 \times 57 = 114$).

Thus, your completed ANOVA summary table would look like this:

<table>
<thead>
<tr>
<th>Source of variance</th>
<th>Sum of squares</th>
<th>Degrees of freedom</th>
<th>Mean square</th>
<th>$F$ ratio</th>
</tr>
</thead>
<tbody>
<tr>
<td>Treatment</td>
<td>114</td>
<td>2</td>
<td>57</td>
<td>28.5</td>
</tr>
<tr>
<td>Error</td>
<td>12</td>
<td>6</td>
<td>2</td>
<td></td>
</tr>
</tbody>
</table>

To determine whether the $F$ of 28.5 is significant at the $p < .05$ level, you would look in the $F$ table (Table 3 of Appendix F) for the critical $F$ value for 2 degrees of freedom in the numerator and 6 degrees of freedom in the denominator. If 28.5 is larger than that value, the results would be statistically significant.

**ANALYZING DATA FROM THE TWO-CONDITION WITHIN-SUBJECTS EXPERIMENT (OR THE MATCHED-PAIRS DESIGN): THE DEPENDENT $t$ Test**

If you are comparing two conditions (treatment and no treatment), but your observations are not independent because you are collecting a treatment and no-treatment score from each participant, you cannot use the independent groups $t$ test. Similarly, you cannot use an independent $t$ test if your scores are not independent because you used a matched-pairs design.

If you are using a two-condition within-subjects design (or a matched-pairs design) and you have interval data, you could analyze your data with a dependent groups (within-subjects) $t$ test. The formula for the dependent $t$ boils down to dividing the average difference between the conditions by the standard error of the difference. However, to calculate the $t$ by hand, you need to execute the following seven steps.

**STEP 1:** For each matched pair (in the matched-pairs design) or for each participant (in the two-condition, within-subjects design), subtract the Condition 2 score from the Condition 1 score.

<table>
<thead>
<tr>
<th>Pair or participant</th>
<th>Condition 1 score</th>
<th>Condition 2 score</th>
<th>Difference</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>3</td>
<td>2</td>
<td>1</td>
</tr>
<tr>
<td>2</td>
<td>4</td>
<td>3</td>
<td>1</td>
</tr>
<tr>
<td>3</td>
<td>5</td>
<td>4</td>
<td>1</td>
</tr>
<tr>
<td>4</td>
<td>2</td>
<td>1</td>
<td>1</td>
</tr>
<tr>
<td>5</td>
<td>3</td>
<td>2</td>
<td>1</td>
</tr>
<tr>
<td>6</td>
<td>5</td>
<td>2</td>
<td>3</td>
</tr>
</tbody>
</table>
STEP 2: Sum up the differences between each pair of scores, then divide by the number of pairs of scores to get the average difference.

STEP 3: Calculate the variance for the differences by subtracting each difference from the average difference. Square each of those differences, sum them up, and divide by one less than the number of pairs of scores.
STEP 4: Take the square root of the variance of the differences to get the standard deviation of the differences.

Standard deviation of the differences = \( \sqrt{\text{variance of the differences}} = \sqrt{1.77} = 1.33 \)

STEP 5: Get the standard error of the difference by dividing the standard deviation of the differences by the square root of the number of pairs of scores.

\[
\frac{\text{Standard deviation of the differences}}{\sqrt{N}} = \frac{1.33}{\sqrt{10}} = .42
\]

STEP 6: Set up the \( t \) ratio by dividing the average difference (\( AD \)) by the standard error of the difference (\( SED \)).

\[
t = \frac{AD}{SED} = \frac{1}{.42} = 2.38
\]

STEP 7: Calculate the degrees of freedom by subtracting 1 from the number of pairs of scores. In this example, because we have 10 pairs of scores, we have 9 degrees of freedom. Then, compare your obtained \( t \) value to the \( t \) value needed to be statistically significant. That value is listed in Table 1 of Appendix F. In this case, the \( t \) value needed to be significant at the .05 level with 9 degrees of freedom is 2.262. Because our value (2.380) is higher than that, our results are statistically significant at the \( p < .05 \) level.

CORRELATIONAL ANALYSES

If you are examining the relationship between scores on two or more variables, you may decide to use a correlational analysis. The type of analysis you use will depend on (a) whether you want to describe the data from your sample or whether you want to make inferences about the population that you sampled from and (b) whether your data are at least interval scale (your scores tell you how much of a characteristic that participant has).

If you want to describe your data—and you have interval data—you would probably compute a Pearson \( r \). If, on the other hand, your data are less than interval (scores do not tell how much more of a quality one participant has than another), you may choose to describe the relationship between your variables using a phi coefficient.

If you want to make inferences about whether the variables that are related in your sample are really related in the population, the type of test you should use depends on your data. If you have interval data (your scores can tell you not only that one participant has more of a quality than another but can also tell you how much more of the quality that participant has), you should determine whether the Pearson \( r \) between the variables is significantly different from zero. If, on the other hand, you have nominal data (higher scores do not reflect more of a variable but instead reflect different kinds of responses), you should do a chi-square test. Soon, we will show you how to perform these tests. However, before we show you how to determine whether the relationship you observed in your sample indicates that the variables are
related in the population, we will start by showing you how to describe the relationship that you observed in your sample.

**Computing the Pearson $r$**

If two variables are related, you can describe that relationship with a scatter-plot. However, if both variables are interval-scale variables, you will probably also want to know what the Pearson $r$ correlation coefficient is between the two variables.

The formula for the Pearson $r$ is

$$
\frac{\Sigma XY - [(\Sigma X \times \Sigma Y)/N]}{N \times sd x \times sd y}
$$

where $\Sigma XY = \text{multiplying each pair of scores together and then adding up all those products, } \Sigma X = \text{the sum of all the scores on the first variable, } \Sigma Y = \text{the sum of all the scores on the second variable (so } \Sigma X \times \Sigma Y \text{ means to add up all the scores on the first variable, add up all the scores on the second variable, and then multiply those two sums), } N = \text{number of participants, } sd x = \text{standard deviation of the } x \text{ scores (the first set of scores), and } sd y = \text{standard deviation of the } y \text{ scores (the second set of scores).}$

This formula for the Pearson $r$ makes sense once you realize three important facts.

1. The formula must produce an index of the degree to which two variables (which we will denote as $X$ and $Y$) vary together.
2. The formula must produce positive numbers when the variables are positively correlated, negative numbers when the variables are inversely related, and the number zero when the variables are unrelated.
3. The formula must produce numbers between $-1$ and $+1$. That is, the formula can’t produce numbers above $+1$ (or below $-1$), no matter how many scores there are and no matter how large those scores may be.

Because the Pearson $r$ is an index of the degree to which two variables vary together, each pair of scores is multiplied together. Specifically, the $X$ member of each pair is multiplied by the $Y$ member of the pair. We then add up all these $X \times Y$ products. Note that if $X$ and $Y$ are positively correlated, we will be multiplying the biggest $X$ values by the biggest $Y$ values and get some large products. If, on the other hand, $X$ and $Y$ are negatively correlated, we will be multiplying the biggest $X$ values by the smallest $Y$ values and the biggest $Y$ values by the smallest $X$ values, thus giving us relatively small products. Although these products will be relatively small, they won’t be negative if $X$ and $Y$ are always positive (e.g., we are correlating height and salary).

So, how do we get a negative correlation coefficient (which we need when $X$ and $Y$ are inversely related) if scores on $X$ and $Y$ are all positive? Given we would never get a negative number if all we did was multiply $X$ times $Y$ for each pair of scores and then added up those products, there must be more to the Pearson $r$ formula than just adding up all the $X \times Y$ products.

To allow ourselves to get negative numbers when the variables are negatively (inversely) related, we subtract a number from the sum of the $X \times Y$ products. That number is an estimate of what the sum of all the $X \times Y$ products would have been if the two sets of scores were completely unrelated. Thus, if the variables are positively related, subtracting this estimate will still
leave us with a positive number. If the variables are not related, subtracting this estimate will leave us with zero. If the variables are inversely related, subtracting this estimate from the actual product of $X \times Y$ will result in a negative number.

To this point, we have a formula that can produce positive and negative numbers. The formula does not, however, meet our final criterion for the correlation coefficient: Coefficients must always be between $-1$ and $+1$. The numbers produced by our incomplete version of the correlation formula might be far outside of the $-1$ to $+1$ range, especially if

1. we have many pairs of scores
2. the scores are extremely spread out

The more $XY$ pairs there are, the more scores there will be to add up and the larger the total will tend to be. Similarly, the more spread out the scores, the more extreme the products of the scores can be. For example, if scores range from 1 to 5 on both variables, the individual $X \times Y$ products cannot be greater than 25 (because $5 \times 5 = 25$). However, if the scores on both variables can range from 1 to 10, the $X \times Y$ products can be as large as 100 ($10 \times 10$).

You have seen that our incomplete formula would produce “correlation coefficients” that would be far outside the $-1$ to $+1$ boundaries of conventional correlation coefficients. More importantly, the correlation coefficients would be influenced by two factors that have nothing to do with the extent to which two variables are related to each other: (a) the number of pairs and (b) the variability (spread) of the distributions. Therefore, we need to add one more step to our formula. Specifically, we need to take the number we have obtained so far and divide it by an index composed of (a) the number of $XY$ pairs, (b) a measure of the variability of the $X$ scores (the first set of scores), and (c) a measure of the variability of the $Y$ scores (the second set of scores).

By adding this final step, you now have a formula that will produce a correlation coefficient that will range between $-1$ and $+1$, regardless of whether you compute a correlation based on 5 pairs or 5,000 pairs and regardless of whether participants’ raw scores range from 1.5 to 1.6 or from 200 to 200,000. Thus, as we stated before, one formula for the Pearson $r$ is

$$
\frac{\Sigma X Y - (\Sigma X \times \Sigma Y)/N}{N \times sd_x \times sd_y}
$$

where $\Sigma X Y$ = multiplying each participant’s $x$ score (the participant’s score on the first variable) by that participant’s $y$ score (the participant’s score on the second variable) and then adding up all those products, $(\Sigma X \times \Sigma Y)$ = adding up all the $x$ scores, getting a total, adding up all the $y$ scores, getting a total, and then multiplying the total of the $x$ scores by the total of the $y$ scores, $N$ = number of participants, $sd_x$ = standard deviation of the $x$ scores (the first set of scores), and $sd_y$ = standard deviation of the $y$ scores (the second set of scores).

To see this formula in action, imagine that you collected data from five students at your school on self-esteem ($X$) and grade-point average ($Y$). Furthermore, assume that self-esteem and grade-point average are interval-scale variables. To see if the variables were related, you would use the following steps to compute a Pearson $r$. 

---

26  APPENDIX E • Introduction to Statistics
STEP 1: List each pair of scores in the following manner:

<table>
<thead>
<tr>
<th></th>
<th>Score for X</th>
<th>Score for Y</th>
<th>X Times Y</th>
</tr>
</thead>
<tbody>
<tr>
<td>First pair of scores</td>
<td>1</td>
<td>1</td>
<td>1</td>
</tr>
<tr>
<td>Second pair of scores</td>
<td>2</td>
<td>2</td>
<td>4</td>
</tr>
<tr>
<td>Third pair of scores</td>
<td>3</td>
<td>2</td>
<td>6</td>
</tr>
<tr>
<td>Fourth pair of scores</td>
<td>4</td>
<td>4</td>
<td>16</td>
</tr>
<tr>
<td>Fifth pair of scores</td>
<td>5</td>
<td>3</td>
<td>15</td>
</tr>
</tbody>
</table>

STEP 2: Sum the scores in each column (to get ΣX, ΣY, ΣXY).

<table>
<thead>
<tr>
<th></th>
<th>Score for X</th>
<th>Score for Y</th>
<th>X times Y</th>
</tr>
</thead>
<tbody>
<tr>
<td>First pair of scores</td>
<td>1</td>
<td>1</td>
<td>1</td>
</tr>
<tr>
<td>Second pair of scores</td>
<td>2</td>
<td>2</td>
<td>4</td>
</tr>
<tr>
<td>Third pair of scores</td>
<td>3</td>
<td>2</td>
<td>6</td>
</tr>
<tr>
<td>Fourth pair of scores</td>
<td>4</td>
<td>4</td>
<td>16</td>
</tr>
<tr>
<td>Fifth pair of scores</td>
<td>5</td>
<td>3</td>
<td>15</td>
</tr>
</tbody>
</table>

\[
\Sigma X = 15 \quad \Sigma Y = 12 \quad \Sigma XY = 42
\]

STEP 3: Calculate the means for variables X and Y.

\[
\frac{15}{5} = 3 \quad \text{(Mean of } X = \bar{X}) \quad \frac{12}{5} = 2.4 \quad \text{(Mean of } Y = \bar{Y})
\]

STEP 4: Calculate the sum of squares (SS) for variables X and Y.

<table>
<thead>
<tr>
<th>(X − X̄)^2</th>
<th>(Y − Ȳ)^2</th>
</tr>
</thead>
<tbody>
<tr>
<td>(1 − 3)^2  = 4</td>
<td>(1 − 2.4)^2 = 1.96</td>
</tr>
<tr>
<td>(2 − 3)^2  = 1</td>
<td>(2 − 2.4)^2 = 0.16</td>
</tr>
<tr>
<td>(3 − 3)^2  = 0</td>
<td>(2 − 2.4)^2 = 0.16</td>
</tr>
<tr>
<td>(4 − 3)^2  = 1</td>
<td>(4 − 2.4)^2 = 2.56</td>
</tr>
<tr>
<td>(5 − 3)^2  = 4</td>
<td>(3 − 2.4)^2 = 0.36</td>
</tr>
</tbody>
</table>

\[
10 \quad 5.2
\]
STEP 5: Calculate the variance for X and Y (Variance = SS/N).

\[ \frac{10}{5} = 2.0 \quad \frac{5.2}{5} = 1.04 \]

STEP 6: Calculate the standard deviations for X and Y (sd = square root of the variance).

\[ \sqrt{2.0} = 1.41 \quad \sqrt{1.04} = 1.02 \]

STEP 7: Multiply the total of the first set of scores (ΣX) by the total of the second set of scores (ΣY). (We calculated these two sums in Step 2). Then, divide by the number of pairs of scores.

\[ \frac{(15 \times 12)}{5} = \frac{180}{5} = 36 \]

STEP 8: Subtract the result that we calculated in Step 7 (36) from the sum we calculated in Step 1 (42).

\[ 42 - 36 = 6 \]

STEP 9: Divide the result (6) by the number of pairs times the standard deviation of X times the standard deviation of Y.

\[ \frac{6}{(5 \times 1.41 \times 1.02)} = .83 \]

Calculating the Coefficient of Determination

One problem with correlation coefficients is that they give you only a rough idea of the strength of the relationship between two variables. For example, if you compared a relationship described by a correlation of .1 with a relationship described by a correlation of .5, you would probably not immediately realize that the .5 relationship was 25 times stronger than the .1 relationship. Squaring the correlation coefficient gives you a better index of the strength of the relationship: the coefficient of determination.

The coefficient of determination represents the degree to which knowing a participant’s score on one variable helps you know (determine) the participant’s score on the other variable. The coefficient of determination can range from 0 (knowing participants’ scores on one variable is absolutely no help in guessing what their scores will be on the other variable) to +1.00 (knowing participants’ scores on one variable allows you to know exactly what their scores will be on the other variable). If you had a correlation of +1, you would have a coefficient of determination of 1 (because +1 × +1 = 1.00). Similarly, if you had a correlation coefficient of −1, you would have a coefficient of determination of 1 (because −1 × −1 = 1.00). Thus, with either a +1 or −1 correlation coefficient, if you know a participant’s score on one variable, you can predict that person’s score on the other variable with 100% (1.00) accuracy.

The coefficient of determination tells you the amount of scatter in your scatterplot. If the coefficient of determination is near 1, there is almost no scatter in your scatterplot. If you draw a straight line through your scatterplot, most of the points would be on or near that line. If, on the other hand, the coefficient of determination is near zero, there is a lot of scatter in your
scatterplot. If you draw a straight line through the scatterplot of that data, very few of the points will be close to your straight line.\textsuperscript{1}

To get a better idea of what the coefficient of determination indicates, imagine the following scenario. Participants take a test. The average score for those participants is 30. For each participant, the researcher has recorded the participant number (“1” for the first participant, “2” for the second, etc.) and the participant’s score on the test. The researcher plots these data. As you can see from Figure 4 (and the researcher confirms by computing a correlation coefficient), there is no relationship between participant number and participant test score.

The researcher then asks you to predict people’s scores on the test knowing only the average score (30). For every participant, you should guess “30.” The researcher could represent your predictions as a line that went across the graph (see Figure 5).

To see how far off your guesses were, the researcher could look at the distance between each of the data points and your prediction line. To assign you a score that would provide a rough index of how far off your estimates were, the researcher could (a) for each participant, measure the difference between the data point representing the participant’s actual score and the point on the prediction line representing the participant’s predicted score, (b) square each of those differences, and then (c) add (sum) up all those squared differences. If your guesses had been perfectly accurate, the researcher would have obtained a score of 0 on this crude index. However, your guesses were not perfect: You obtained a score of 1,000 on the researcher’s makeshift index of inaccuracy.

\textbf{FIGURE 4} Plot Indicating No Relationship Between Participant Number and Scores

\textsuperscript{1}There are two cases in which you can have a zero correlation and yet draw a line through all the points: (1) when the line goes straight up and (2) when the line goes straight across the graph. However, you could draw such lines only when there was no variability in scores for one of the variables. In our self-esteem and grade-point average example, you would have a zero correlation if all your participants scored a 5 on the self-esteem measure (producing a vertical line). You would also get a zero correlation if all your participants had a 3.0 grade-point average (producing a horizontal line).
Next, the researcher asks you to predict the scores again, but this time gives you a piece of worthless information (the participant’s number). If you had to guess what a certain person’s score was, you would not base your guess on the worthless information. Instead, you should again guess the mean: “30.” Because, just as before, for every participant, you are guessing “30,” your prediction line would be the same as before and your score on her unsophisticated index of inaccuracy would be the same as before: 1,000.

What you are doing now is regression: you are using your knowledge of how two variables are associated to predict one from the other. Your prediction line is a regression line. Your goal in regression is for your predicted scores to match the actual scores. In other words, your predicted scores should match the actual scores on two key characteristics: (1) the average of your predicted scores should be the same as the average of the actual scores, and (2) your predicted scores should differ from each other as much as the actual scores vary from each other (and so your predicted scores should vary around the mean to the same extent that the actual scores vary around the mean). In this case, you accomplished the first goal: the mean of your predicted scores is the same as the mean of the actual scores (both were 30). However, you failed miserably at the second goal: Your predicted scores are all the same as the mean (30) so they do not vary from each other to the same degree that the actual scores vary from each other. Given that your actual scores vary but your predicted scores do not, your predicted scores cannot match the actual scores.

In technical terminology, the coefficient of determination measures the accuracy of your predictions by looking at “the percent of variance accounted for.” In other words, the coefficient of determination assesses the accuracy of predictions by looking at the overlap between the predicted scores and the actual scores. Mathematically, this overlap is expressed as a ratio of
how much your predicted scores vary around the mean

how much the actual scores vary around the mean

In this case, your accuracy, as measured by the coefficient of determination, is

\[
0 \left( \text{none of your predicted scores vary from the mean} \right) = 0
\]

Ideally, you would like perfect accuracy: You would like your predicted scores to perfectly match up with the actual scores in terms of both mean and variation around the mean. If the variability of the predicted scores was the same as the variability of the actual scores, your ratio of predicted variance to actual variance—and your coefficient of determination—would be 1. For example, if the actual variance was 6, and the variance of your predicted scores was also 6,

\[
\frac{6}{6} = 1
\]

Although it may be unrealistic to expect perfect predictions that account for all the variance in scores, you would like to make predictions that account for some of the variance in the scores and are thus better than just guessing the mean. To make better predictions, you need a predictor that correlates with test scores. The more that predictor is correlated with test scores, the more your estimates will improve. As you can see from Table 1, if the \( r \) between your predictor and the test is .1, knowing the person’s scores on the predictor reduces the error in your guesses only slightly. Even with an \( r \) of .2, your score on her particular index of inaccuracy would still be practically 1,000—what it was when you guessed “30” (the mean) for everybody’s score.

Put another way, correlations between −.2 and +.2 do little to improve the accuracy of predictions. As you can see from Table 1, an \( r \) of even .2 produces a coefficient of determination \( (r^2) \) that is very close to zero.

**Determining Whether a Pearson \( r \) Is Statistically Significant**

In addition to determining whether the relationship between your variables in the sample data is substantially above zero, you may want to determine whether the relationship between the variables is different from zero in the population. To illustrate why you might want to determine whether the Pearson \( r \) in the sample data indicates that the two variables are related in the population, suppose you collected self-esteem and grade-point average data from a random sample of 5 students at your school and found that \( r = +.58 \). In that case, you could use your sample data to determine whether there is a relationship between self-esteem and grade-point average for the entire school.

**STEP 1:** Compute a \( t \) value, using the formula

\[
t = \frac{r \times \sqrt{(N - 2)}}{\sqrt{1 - (r \times r)}}
\]

where \( r \) = the Pearson \( r \) and \( N \) = number of participants.
Note that, all other things being equal, the bigger $N$ is, the bigger $t$ will be. Also, note that the bigger $r$ is, the bigger $t$ will tend to be. (Not only does a larger $r$ increase the size of the numerator, but it shrinks the size of the denominator.) In other words, the larger the relationship and the more participants you have, the greater the chance of finding a statistically significant result.

\[ t = \frac{.58 \times \sqrt{(5 - 2)}}{\sqrt{1 - (.58 \times .58)}} \]
\[ = \frac{.58 \times 1.73}{\sqrt{1 - .34}} \]
\[ = \frac{1.00}{.81} = 1.23 \]

**STEP 2:** After computing the $t$ value, look the value up in the $t$ table (Table 1 in Appendix F) under 3 degrees of freedom ($N-2$) for the .05 level of significance. That value is 3.182. Because 1.23 does not reach that value, you would conclude that the correlation coefficient was not significantly greater than zero. Note that your results are inconclusive: If

**TABLE 1**

<table>
<thead>
<tr>
<th>$r^a$</th>
<th>$r^2$ (also called $\eta^2$)</th>
<th>Index of inaccuracy$^b$</th>
</tr>
</thead>
<tbody>
<tr>
<td>0</td>
<td>.00</td>
<td>1000</td>
</tr>
<tr>
<td>.1</td>
<td>.01</td>
<td>990</td>
</tr>
<tr>
<td>.2</td>
<td>.04</td>
<td>960</td>
</tr>
<tr>
<td>.3</td>
<td>.09</td>
<td>910</td>
</tr>
<tr>
<td>.4</td>
<td>.16</td>
<td>840</td>
</tr>
<tr>
<td>.5</td>
<td>.25</td>
<td>750</td>
</tr>
<tr>
<td>.6</td>
<td>.36</td>
<td>640</td>
</tr>
<tr>
<td>.7</td>
<td>.49</td>
<td>510</td>
</tr>
<tr>
<td>.8</td>
<td>.64</td>
<td>360</td>
</tr>
<tr>
<td>.9</td>
<td>.81</td>
<td>190</td>
</tr>
<tr>
<td>1.0</td>
<td>1.00</td>
<td>0</td>
</tr>
</tbody>
</table>

$^a$Note two indications that accuracy of prediction increases as $r$ increases: (a) $r^2$ increases and (b) an index of inaccuracy decreases.

$^b$The numbers in this column are the total of the squared errors in prediction you would make if you (a) based all your predictions of participants’ scores entirely on a best-fitting prediction line that used one predictor, (b) that one predictor correlated with participants’ scores to the degree stated in the leftmost (“$r$”) column, and (c) you were predicting all the participants’ scores for the one particular sample we used for this example. Lower scores indicate more accuracy (less inaccuracy), whereas higher scores indicate less accuracy (more inaccuracy). Thus, 0 on the index reflects perfect accuracy (no errors in prediction).
you had used a larger sample, you might have found a statistically significant relationship.

**Computing a $2 \times 2$ Chi-Square and the Phi Coefficient**

Calculating the Pearson $r$ is a good way to describe the relationship between two interval-scale variables in your sample. Testing whether a Pearson $r$ is statistically significant is a good way to determine whether there is a relationship between two interval-scale variables in the population.

But what if, instead of having interval scale data, you only have nominal data? In that case, rather than calculating a Pearson $r$, you should compute a phi coefficient—and instead of testing whether the Pearson $r$ is statistically significant, you should do a chi-square test.

To see how to do such tests, imagine that you asked men and women whether they believed gay men deserved the same employment opportunities as heterosexual men. If you wanted to know whether there was a gender difference in their responses, you could find out by calculating a chi-square using the following steps.

**STEP 1:** Set up a table like the following one.

<table>
<thead>
<tr>
<th></th>
<th>Women</th>
<th>Men</th>
<th>Total</th>
</tr>
</thead>
<tbody>
<tr>
<td>Yes</td>
<td>$A$</td>
<td>$B$</td>
<td>$A + B$</td>
</tr>
<tr>
<td>No</td>
<td>$C$</td>
<td>$D$</td>
<td>$C + D$</td>
</tr>
<tr>
<td>Total</td>
<td></td>
<td></td>
<td>$(N) = \text{Total Number of Participants}$</td>
</tr>
</tbody>
</table>

**STEP 2:** Replace the letter $A$ with the number of women who said “yes.”

Replace the letter $B$ with the number of men who said “yes.”

Replace the letter $C$ with the number of women who said “no.”

Replace the letter $D$ with the number of men who said “no.”

Replace $N$ with the total number of participants.

By the end of this process, your table might look like the following one.

<table>
<thead>
<tr>
<th></th>
<th>Women</th>
<th>Men</th>
<th>Total</th>
</tr>
</thead>
<tbody>
<tr>
<td>Yes</td>
<td>20 ($A$)</td>
<td>15 ($B$)</td>
<td>35</td>
</tr>
<tr>
<td>No</td>
<td>55 ($C$)</td>
<td>10 ($D$)</td>
<td>65</td>
</tr>
<tr>
<td>Totals</td>
<td>75</td>
<td>25</td>
<td>$(N) 100$</td>
</tr>
</tbody>
</table>
STEP 3: Multiply the number in the (B) square by the number in the (C) square. Then, multiply the number in the (A) square by the number in the (D) square. For our data, that would be

\[ B \times C = 15 \times 55 = 825 \]
\[ A \times D = 20 \times 10 = 200 \]

STEP 4: Plug in the appropriate numbers in the following formula:

\[ \chi^2 = \frac{N (B \times C - A \times D)^2}{(A + B) \times (C + D) \times (A + C) \times (B + D)} \]
\[ = \frac{100 \times (825 - 200)^2}{35 \times 65 \times 75 \times 25} \]
\[ = \frac{100 \times 390,625}{4,265,625} = \frac{39,062,500}{4,265,625} = 9.158 \]

STEP 5: Turn to the Chi-Square Table (Table 2 in Appendix F), and find the row corresponding to 1 degree of freedom. (For a 2 \times 2 chi-square, your degrees of freedom will always be 1 because \( df \) equals the number of rows minus 1 times the number of columns minus 1. Because a 2 \times 2 chi-square has 2 rows and 2 columns, its \( df = (2 - 1) \times (2 - 1) = 1 \times 1 = 1 \).)

STEP 6: Determine whether your chi-square is one-tailed or two-tailed. If you predicted only that the groups would differ, then you have a two-tailed test. For example, if you predicted only that there would be a difference between the genders in views toward gay men’s employment rights, you have a two-tailed test. If, on the other hand, you predicted which group would score higher than the other, then you have a one-tailed test. Thus, if you predicted that men were less likely to think that gay men should have equal employment opportunities, then you have a one-tailed test.

STEP 7: If you have a two-tailed test with a value of 3.84 or more, your test is significant at the .05 level. Our value of 9.158 exceeds that value, so our test would be significant at the .05 level.

To compute the phi coefficient, use the following formula:

\[ \phi = \frac{B \times C - A \times D}{\sqrt{(A + B) \times (C + D) \times (A + C) \times (B + D)}} \]

In this case,

\[ \frac{825 - 200}{\sqrt{4,265,625}} = .30 \]

**Introduction to Multiple Regression**

Thus far, we have used correlational analyses to look at the relationship between two variables. However, some correlational analyses, such as multiple regression, can be used to look at the relationships among several variables. With most standard regression analyses, you end up with an equation that uses one or more predictors to predict scores on a question or measure.
For example, suppose that you conducted a survey composed exclusively of 5-point questions and you want to find a set of predictors that will help you predict the answer to question 6. If only one of the predictors is useful, your regression equation might be the answer to question 5 = the predicted score on question 6. By substituting the possible values of question 5 into the equation, we could make use of that equation to construct the following table:

<table>
<thead>
<tr>
<th>Participant’s score on question 5</th>
<th>Participant’s predicted score on question 6 (( \hat{Y} ))</th>
<th>Participant’s actual score on question 6 (( Y ))</th>
<th>Difference (residuals)</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>1</td>
<td>1</td>
<td>0</td>
</tr>
<tr>
<td>2</td>
<td>2</td>
<td>2</td>
<td>0</td>
</tr>
<tr>
<td>3</td>
<td>3</td>
<td>3</td>
<td>0</td>
</tr>
<tr>
<td>4</td>
<td>4</td>
<td>4</td>
<td>0</td>
</tr>
<tr>
<td>5</td>
<td>5</td>
<td>5</td>
<td>0</td>
</tr>
</tbody>
</table>

If we wanted to compare predicted scores (column 2 of our table) to the actual scores (column 3 of our table), we could subtract those two sets of scores. The differences between the predicted and actual scores are called residuals.

We could also compare the predicted scores to the actual scores with a graph. If we plotted a line based on the scores predicted by the equation (the numbers in the third column of our table), and then plotted the actual scores (the numbers in the fourth column of our table), we would construct the following graph:

If two of your predictors were useful, your equation might be \( \frac{2}{3} \times \text{the answer to question 5} + \frac{1}{3} \times \text{the predicted answer to question 10} = \text{the predicted score on question 6} \). By substituting the possible values for questions 5 and 10 into the equation, we could use that equation to create the following table:
<table>
<thead>
<tr>
<th>Participant’s score on question 5</th>
<th>Participant’s score on question 10</th>
<th>Participant’s predicted score on question 6</th>
<th>Participant’s actual score on question 6</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>1</td>
<td>1.00</td>
<td>1.00</td>
</tr>
<tr>
<td>1</td>
<td>2</td>
<td>1.33</td>
<td>1.33</td>
</tr>
<tr>
<td>1</td>
<td>3</td>
<td>1.67</td>
<td>1.67</td>
</tr>
<tr>
<td>1</td>
<td>4</td>
<td>2.00</td>
<td>2.00</td>
</tr>
<tr>
<td>1</td>
<td>5</td>
<td>2.33</td>
<td>2.33</td>
</tr>
<tr>
<td>2</td>
<td>1</td>
<td>1.67</td>
<td>1.67</td>
</tr>
<tr>
<td>2</td>
<td>2</td>
<td>2.00</td>
<td>2.00</td>
</tr>
<tr>
<td>2</td>
<td>3</td>
<td>2.33</td>
<td>2.33</td>
</tr>
<tr>
<td>2</td>
<td>4</td>
<td>2.67</td>
<td>2.67</td>
</tr>
<tr>
<td>2</td>
<td>5</td>
<td>3.00</td>
<td>3.00</td>
</tr>
<tr>
<td>3</td>
<td>1</td>
<td>2.33</td>
<td>2.33</td>
</tr>
<tr>
<td>3</td>
<td>2</td>
<td>2.67</td>
<td>2.67</td>
</tr>
<tr>
<td>3</td>
<td>3</td>
<td>3.00</td>
<td>3.00</td>
</tr>
<tr>
<td>3</td>
<td>4</td>
<td>3.33</td>
<td>3.33</td>
</tr>
<tr>
<td>3</td>
<td>5</td>
<td>3.67</td>
<td>3.67</td>
</tr>
<tr>
<td>4</td>
<td>1</td>
<td>3.00</td>
<td>3.00</td>
</tr>
<tr>
<td>4</td>
<td>2</td>
<td>3.33</td>
<td>3.33</td>
</tr>
<tr>
<td>4</td>
<td>3</td>
<td>3.67</td>
<td>3.67</td>
</tr>
<tr>
<td>4</td>
<td>4</td>
<td>4.00</td>
<td>4.00</td>
</tr>
<tr>
<td>4</td>
<td>5</td>
<td>4.33</td>
<td>4.33</td>
</tr>
<tr>
<td>5</td>
<td>1</td>
<td>3.67</td>
<td>3.67</td>
</tr>
<tr>
<td>5</td>
<td>2</td>
<td>4.00</td>
<td>4.00</td>
</tr>
<tr>
<td>5</td>
<td>3</td>
<td>4.33</td>
<td>4.33</td>
</tr>
<tr>
<td>5</td>
<td>4</td>
<td>4.67</td>
<td>4.67</td>
</tr>
<tr>
<td>5</td>
<td>5</td>
<td>5.00</td>
<td>5.00</td>
</tr>
</tbody>
</table>
Alternatively, we could use the equation and the actual scores (the last two columns of the table) to construct the following graph:

The line that we have drawn through the points is called a regression line. If you have the computer draw a regression line for your data, the line should appear to fit those data: The line’s predicted scores should be close to the actual scores. If you could perfectly predict scores, every data point would be on your regression line (as in the two previous examples). If your equation was fairly accurate, then most of the points would be close to your regression line. If your equation was not very accurate, then the line would not fit the points.

You will not need to eyeball your data to determine how accurate your regression equation is. Almost all computerized statistics programs will provide an indicator of how accurate your equation is. This estimate of how well your predictors, as a group, predict your outcome measure is called “multiple \( R \)-squared.” Multiple \( R \)-squared can range from 0 (using the regression equation to predict each participant’s score would be no more accurate than predicting that each participant’s score was the mean score) to 1 (your prediction equation can predict scores in your sample with 100% accuracy). (Note that most statistics programs will refer to multiple \( R \)-squared as either “\( R^2 \)” or “\( R \) square.”)

Most statistics programs will also provide you with an indication of which predictors are least important for predicting your outcome variable and which are most important. The least important predictors will tend to be left out of the final regression equation. The most important ones tend to be those that, when added to the equation, increase \( R \)-squared the most.\(^2\)

**How to Avoid Being Tricked by Multiple Regression**

As we have said, computer programs can provide you with important information. However, that information may be misleading, especially if the

\(^2\)Another way to determine the relative contributions of your predictors is to look at their beta weights in the final, standardized regression formula. The larger the beta weight is (often referred to as standardized coefficients and often abbreviated as \( \beta \)), the bigger the predictor’s contribution.
analysis is a stepwise regression and the ratio of participants to predictors was less than 15 to 1 (e.g., there were 30 participants and 3 predictors).

The equation that the computer generates may be greatly affected by an extreme score from a single research participant. Consequently, the regression equation that you get in one sample may be very different from the one that you would get if you were to repeat your study. To determine whether a few extreme scores are dramatically affecting the equation, you should scan the data for extreme scores and re-run your analysis without those extreme scores. If you obtain essentially the same results on this second analysis, you can be relatively confident that your results are not being thrown off by an extreme score.

The multiple $r^2$ can be deceiving because it will tend to give you an inflated impression of how well the predictors correlate with the outcome variable. Keep in mind that the equation did not really predict your outcome variable. Instead, after looking at your outcome variable, an equation was generated to fit the data from your particular sample. Thus, just as you would not be surprised if someone was able to draw a line to fit your plotted data, you should not be surprised if a computer could fit a line to your existing data. Given a large number of predictor variables and a small number of scores, a formula can be made to fit almost any set of scores. Regression is like “the Texan who shoots holes in the side of the barn and then draws a bull’s-eye around the bullet holes” (Carroll, 2003, p. 375). Consequently, you may find that a multiple $r^2$ that seems large (e.g., .50) is not statistically different from chance. Therefore, before deciding whether a regression equation can predict scores on your outcome variable, you should determine whether the multiple $r^2$ is statistically significant. To do this, look for an $F$ test (ANOVA) testing either “Model,” “Regression,” or “$R^2$.” To be statistically significant, the $p$ value of the test (often abbreviated as either “Sig.” or “Prob > $F$”) should be less than .05.

A significant multiple $r^2$ tells you that your equation does more than just capitalize on chance: It produces an equation that fits the data better than an equation that used variables that were uncorrelated with your outcome variable. In other words, if you were to use the same equation on a new sample of data, your multiple $r^2$ would be greater than 0. However, you probably want to know more than that your equation’s $r^2$, after adjusting for chance, is greater than zero. You want to know how much greater than zero. To find out, look at the adjusted $r^2$. The adjusted $r^2$ subtracts a value from the multiple $r^2$ to take into account that even an equation full of variables that were uncorrelated with the outcome variable could be made to produce values that would correlate with the outcome variable. In short, if you look at the multiple $r^2$ instead of the adjusted $r^2$, you can be fooled about how good you are at predicting participants’ scores.

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3You may be able to spot an extreme score in a graph of your data by just looking for scores that seem to be almost off the graph. Another tactic is to look for scores that are more than 3 standard deviations from the mean. If your computer program lists the $h$ values or $D$ values of data points, consider extreme scores to be those with $h$ values above .5 or $D$ values greater than 1.
Not only can you be fooled about how good your equation is at predicting scores, but you may also be fooled about the relative importance of an individual predictor variable. The amount that a predictor increases $r^2$ often depends on (a) when it was entered into the equation and (b) whether related variables were already entered into the equation.

To illustrate that it matters when the predictor is added, suppose we were doing a survey and trying to predict responses to item 11 (whether people strongly disagree, disagree, neither agree nor disagree, agree, or strongly agree with the statement “I like college students”). Suppose agreement with item 6 (“College is stressful for students”) significantly correlates with answers to “I like college students.” In that case, if item 6 was the first variable we entered into the equation, item 6 would be certain to be a statistically significant predictor for two reasons. First, it doesn’t have to do much: It only has to make $r^2$ significantly greater than zero. Second, it doesn’t have to share credit with any other variables: Any increase in $r^2$ is attributed to item 6.

If, on the other hand, we added item 6 to the equation only after entering all the other items as predictors, adding item 6 might not significantly improve our equation’s ability to predict item 11 responses because (a) we already have a large $r^2$ so improving it significantly would be difficult and (b) some of the variability that item 6 could account for has already been eaten up by related, competing variables (especially if we had the following items: “Colleges need to spend more time on students’ emotional development” and “College students work hard on their studies” that, like item 6, tap into concerns about college being stressful). Thus, if we looked at the “Model Summary” section of an SPSS printout, we might find that the “$R^2$ Change” for our model with question 6 added was not significantly different from our model without question 6 (e.g., “Sig. $F$ Change” was greater than .05). Similarly, if we looked under the “Coefficients” table in the printout, we might find that the variable we labeled “Question 6” was not significant (e.g., the “$t$” associated with question 6 was less than 2 and the “Sig.” in the Question 6 column was greater than .05).

To help you understand and remember how a regression equation may mislead you about the relative importance of a predictor, realize that the regression equation is sensitive to the unique contribution of each predictor. In a way, the same things that would allow you to make a large and unique contribution to an electronic discussion list are the same things that allow a predictor to make a large and unique contribution to the equation. It is easier to make a large and unique contribution if you are one of the first to enter the discussion, just as it is easier for a predictor to have a large and significant effect if it is the first entered into the equation. It is also easier to make a large and unique contribution if your viewpoint is different from that of the people who have already entered the discussion. Thus, a comment that you make in one list might be unique and contribute much, whereas the same comment might seem redundant in another list. Similarly, whether a predictor appears to be relevant may depend on the other variables in the equation. In more technical terminology, intercorrelations among predictors (sometimes called collinearity or multicollinearity) can cause the regression equation to underestimate the strength of a particular predictor variable.

Therefore, before deciding that a variable is unimportant for predicting your outcome variable, there are two things you should do. First, look at the Pearson $r$ between the potential predictor and (a) the outcome variable and
(b) the predictors that did make it into the regression equation. You may find that the potential predictor correlates well with the outcome variable but was left out of the equation because it correlates highly with a predictor that is already in the equation. In such a case, you might see what happens when you enter your potential predictor variable into the regression equation while leaving out predictors that correlate highly with that variable. Second, see whether your computer program provides the variance-inflation factor (VIF) statistic. If the VIF is greater than 5, do not trust the equation’s estimates about the relative importance of your predictors.

**Using Regression to Test for Moderator Variables**

Although the results from multiple regression can be misleading, multiple regression is a flexible technique that has many uses. It can even help you find a moderator variable: a variable that alters the relationship between two other variables; a predictor that, when occurring in combination with another predictor, is related to the outcome measure in a way that could not be predicted from knowing only the individual predictors’ relationships with the outcome measure.

To see how multiple regression can help you find a moderator variable, consider the following example. First, suppose that (a) newly married couples who had positive expectations tended to be happier with the marriage than those who entered with negative expectations, and (b) couples who tended to be skilled at interacting with each other in a positive constructive manner were happier with the marriage than those who were not skilled. From these findings, we might create a crude regression-type equation in which we would say that $a \text{(expectations)} + b \text{(skills)} = c \text{(predicted marital happiness)}$. To plug numbers into our equation, we could give couples a $+1$ for positive expectations but a $-1$ for negative expectations and a $+1$ for good skills but a $-1$ for poor skills. Thus, a couple with positive expectations ($+1$) and good skills ($+1$) would have a predicted score $2 (1 + 1 = 2)$, whereas a couple with low expectations ($-1$) and poor skills ($-1$) would have a predictor score of $-2 (-1 + -1 = -2)$. In this model, our prediction is just a function of adding the values of our individual variables. Thus, a couple with good skills ($+1$) and low ($-1$) expectations would get a 0. Let’s say that this additive model predicted actual marital happiness with some degree of accuracy.

To see whether we had a moderator variable, we would need to see whether certain combinations of expectations and skills (e.g., positive expectations combined with positive skills) had effects that were beyond what we would get from just adding the values of the individual variables together. For example, suppose couples with positive expectations ($+1$) and positive skills ($+1$) did not score a 2 but instead scored a 3 on our marital happiness scale. Or, suppose that couples with negative expectations ($-1$) and negative skills ($-1$) did not score a $-2$ but instead scored a 0 on our marital happiness scale. In both cases, adding the individual, average values of the predictors does not give us the right predicted value. Put another way, both cases suggest that skills moderate expectations.

How could we get multiple regression to tell us that the combination of our predictors has a relationship with marital happiness that is more than—and different from—the sum of the predictors’ individual relationships with marital happiness? The basic strategy would be to see whether adding a
variable that represents the combination of the two variables can improve the equation. In this case, the goal would be to better predict marital satisfaction by changing the formula “expectation + skills = satisfaction” to “expectation + skills + combination of expectations and skills = satisfaction.”

To get the term expressing the combination (interaction) of the two variables, we could multiply the scores of the individual variables together. Multiplying those values gives us a positive number when there is a match between expectations and skills (the combination of positive expectations with positive skills produces +1, as does the combination of negative expectations with negative skills) and a negative number when there is a mismatch between expectations and skills (positive expectations combined with negative skills produces a −1, as does negative expectations combined with positive skills). Thus, our new formula is not

\[ a \text{ (expectations)} + b \text{ (skills)} = c, \]

but rather

\[ a \text{ (expectations)} + b \text{ (skills)} + a \times b \text{ (combination of expectations and skills)} = c. \]

As you can see from Table 2, the two equations make different predictions. If the formula including a term expressing the combination (interaction) of the two variables does a significantly better job of predicting actual marital happiness, you have solid evidence that skill is a moderator variable. As it turns out, McNulty and Karney (2004) found that an equation including the interaction (combination) term does do a better job of predicting actual marital happiness. Thus, skill does moderate the effect of expectations: Couples with positive skills are better off having high expectations, but couples with poor skills are better off having low expectations.

### Table 2

<table>
<thead>
<tr>
<th>Couple’s characteristics</th>
<th>A</th>
<th>B</th>
<th>A × B</th>
<th>Formula 1 prediction (A + B)</th>
<th>Formula 2 prediction (A + B + A × B)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Positive expectations</td>
<td>1</td>
<td>1</td>
<td>+1</td>
<td>2</td>
<td>3</td>
</tr>
<tr>
<td>Positive skills</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Positive expectations</td>
<td>1</td>
<td>−1</td>
<td>−1</td>
<td>0</td>
<td>−1</td>
</tr>
<tr>
<td>Negative skills</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Negative expectations</td>
<td>−1</td>
<td>1</td>
<td>−1</td>
<td>0</td>
<td>−1</td>
</tr>
<tr>
<td>Positive skills</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Negative expectations</td>
<td>−1</td>
<td>−1</td>
<td>+1</td>
<td>−2</td>
<td>−1</td>
</tr>
<tr>
<td>Negative skills</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

*Note: Column A refers to expectations (positive = +1, negative = −1) and Column B refers to skills (positive = +1, negative = −1).*
To help yourself see whether skill—or any other moderator variable—modifies the relationship between two other variables, you could go back and compute two correlation coefficients between those two other variables: (1) a correlation between the two other variables for those cases that are above the mean on the moderator variable and (2) a correlation between the two other variables for those cases that are below the mean on the moderator variable. For example, you might find that the correlation between expectations and marital happiness is +.30 for couples who have above average skills, but that the correlation between expectations and marital happiness is −.20 for couples who have below average skills.4

Using Multiple Regression to Look for Mediator Variables: Answering “How” Questions

Suppose that, instead of showing that you have found a moderator variable, you want to show that you have found a mediating variable: a mental or physiological mechanism that causes the relationship between two other variables. That is, you may want to show that your predictor variable (Variable 1) does not have a direct effect on your outcome variable (Variable 3), but instead affects a mediating variable (Variable 2) and that mediating variable, in turn, affects your outcome variable (Variable 3). How can you make the case for this chain of events?

To make the case that, like a chain reaction involving three dominoes, the first affects the second, which in turn, affects the third, you can use multiple regression. For example, take Sargent’s (2004) finding that people who most believe in punishing criminals tend to score low on the need for cognition scale: a measure of how much people enjoy thinking. You might suspect that the reason for this relationship is that people who (1) don’t like to think (2) may not think of the cultural, environmental, and situational reasons for a person’s behavior and therefore would have a (3) greater desire to punish the person for the person’s behavior.

To see whether thinking about situational causes for behavior mediates the relationship between need for cognition and punishment, you would measure all three variables. Then, you would go through Baron and Kenney’s (1986) four steps (see Figure 6):

1. You would establish that need for cognition was related to punishment by finding a significant correlation between those two variables. (If you were going to argue that knocking over the first domino causes the second domino to fall, which, in turn causes the third domino to fall, you would have to show that knocking over the first domino correlates with the third domino falling. Likewise, if you want to argue that your predictor influences the outcome variable, your predictor better correlate with the outcome variable.)

2. You would establish that need for cognition was related to your measure of thinking about situational, rather than personal, causes for behavior.

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4 If you want to see whether the correlation coefficients are significantly different, go to this book’s website to do the appropriate statistical test.
by finding a significant correlation between the two variables. (If you were going to argue that knocking over the first domino causes the second domino to fall, which, in turn causes the third domino to fall, you would have to show that knocking over the first domino correlates with the second domino falling. Likewise, if you want to argue that your predictor influences the outcome variable by influencing the mediating variable, your predictor better correlate with the mediating variable.)

3. You would show that your mediating variable has an effect beyond that of your predictor by showing that when you add your mediating variable (thinking about situational causes) to a regression equation that has already used your predictor (need for cognition), your mediating variable improves the equation’s ability to predict the amount of punishment a person gives. (If you were going to argue that knocking over the first

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**FIGURE 6** Mediating Variables
Making the Case for Cause–Effect Relationships: Attempts to Answer “Why” Questions With Correlational Data

When we were discussing mediators, we were asking how a predictor variable had an effect. Before finding a mediator, we usually need to first establish that the predictor variable had an effect.
How do we know that the predictor had an effect? Sometimes, we know because an experiment allowed us to establish it. But if we had only correlational data, how can researchers argue that the predictor had an effect on the outcome variable? After all, correlational techniques cannot establish cause–effect relationships because (1) with correlation, you do not know which variable came first so you can mistake causes for effects and (2) because both your variables may be effects of some other (third) variable, this third variable may be responsible for the relationship between your two variables. However, some researchers try to overcome these two problems with correlational data.

Researchers are sometimes able to establish which of their variables came first by using longitudinal and prospective methods—methods in which they measure a variable one time and then measure a second variable later. For example, if you collected individuals’ scores on a mental health measure when they were 7 and then, 20 years later, you collected their college grade-point average, you know their college grade-point average could not have caused them to score poorly on a mental health measure when they were 7.

In terms of ruling out third variables, researchers may be able to rule out some third variables by statistically controlling them. Usually, researchers would measure the suspected third variable and then try to rule out its effects using either a simple technique such as a partial correlation or ANCOVA or using a sophisticated technique such as structural equation modeling.

A partial correlation between two variables attempts to calculate the association between two variables when the effects of a third variable are accounted for. Thus, if the relationship between two variables (e.g., mother’s skill at reading her child’s mind and child’s self-esteem) was due to a third variable (divorce leading to mothers being worse at reading their child’s mind and divorce hurting a child’s self-esteem), the partial correlation between mother’s mind reading and child’s self-esteem (controlling for divorce) would be zero.

In analysis of covariance (ANCOVA), a researcher might create two groups (children whose mothers were accurate mind readers and children whose mothers were poor mind readers) and use moms’ self-esteem as a variable (a covariate) in the analysis. If, even after statistically controlling for moms’ self-esteem, children of accurate mind readers had higher self-esteem than the children of poor mind readers, you could be confident that mom’s self-esteem wasn’t the third variable causing both poor mind reading and poor self-esteem. The problem is that you don’t know whether there is some other third variable causing both poor mind reading and poor self-esteem. Structural equation modeling (SEM) is better than ANCOVA or partial correlations at ruling out the effects of third variables. However, like ANCOVA and partial correlations, SEM can account for only third variables that the researcher knew about and measured. Furthermore, SEM, like ANCOVA and partial correlations, can confuse cause and effect. For example, if the child’s high self-esteem causes the mother’s accurate mind reading, all three methods might incorrectly conclude that the mother’s accurate mind reading causes the child’s high self-esteem.

In short, researchers cannot use correlational methods to make cause–effect statements. However, they can often make a better case that one variable has an effect on another by using logic and sophisticated statistical techniques than by using correlation coefficients alone.
**Introduction to Factor Analysis**

We have shown you how researchers can use correlational analyses (a) to describe the relationship between two variables (with the Pearson $r$, the coefficient of determination, and the phi coefficient), (b) to determine whether two variables that were related in a sample are also related in the population (testing to see whether the Pearson $r$ is statistically different from 0 or using the chi-square test), (c) to determine which combination of predictors allows you to best estimate scores on a measure, (d) to identify moderator variables, (e) to identify mediating variables, and (f) to make a case that one variable causes changes in another. However, we have not shown you a very common use of correlational analyses: to help assess the validity of a measure.

To see how this works, suppose you want to measure love, and you think that love has two different dimensions (sexual attraction and willingness to sacrifice for the other). Furthermore, you believe that these dimensions are relatively independent. For example, you believe that a person could be high on sexual attraction, but low on willingness to sacrifice—and vice versa.

One approach would be to make up a love scale that had two different subscales. If the subscales are really measuring two different things, then

1. A participant’s answers to each question in the first subscale should correlate (correspond, agree) with each other.
2. A participant’s answers to each question in the second subscale should correlate with each other.
3. A participant’s score on the first subscale should not correlate highly with that participant’s scores on the second subscale.

In our case, all the responses to items related to sexual attraction should correlate with one another, and all the responses to items related to sacrifice should correlate with one another. However, the sexual attraction items should not correlate highly with the sacrifice items.

A more sophisticated and extremely common approach to determining whether the items on a test correlate with each other is to do a factor analysis (Reis & Stiller, 1992). We can define factor analysis as a statistical technique designed to divide the many questions on a test into as few coherent groups as possible. Put another way, rather than explaining how participants answer the test by talking about how participants answer each individual question, factor analysis tries to explain participants’ patterns of answers in terms of a smaller number of underlying hypothetical factors.

The logic behind factor analysis is straightforward: We assume that when participants’ answers to one group of questions correlate with each other, then those questions all measure the same factor. For example, imagine that we have a 10-item test. In that test, participants answered the first six questions similarly: If we know how they answered any one of those questions, we can make a reasonable prediction about how they answered the other five. Similarly, their responses to the last four items were highly correlated. However, their responses to the first six questions did not correlate very well with their answers to the last four questions. In such a case, factor analysis would say that because the test seems to be composed of two groups of items, the test measures two factors. In technical terminology, the first six items of the test would load on one factor, the last four items would load on
another factor. Each question’s factor loading tells us the degree to which it appears to be measuring a given factor.

Factor loadings, like correlation coefficients, can range from $-1$ to $+1$. Ideally, questions designed to measure a certain factor would have a factor loading of $1.0$. However, because of unreliability and other measurement error, a question’s factor loadings will usually be well below $1.0$. Indeed, a factor loading of $+.7$ is considered very high and some researchers are happy when a question has a factor loading above $+.3$.

You have seen that factor analysis tries to find out how many factors are being measured by a test and how well individual questions measure those factors. But what results would you want to obtain from a factor analysis of your love scale? In this case, you would hope for two outcomes.

First, you would hope that the factor analysis supported the view that there were two different factors being measured by the test. You would be disappointed if the factor analysis reported that, based on participants’ responses, your test seemed to be composed of three types of items. If the factor analysis supports the view that there are two factors, you might be able to report something like, “The two-factor solution accounts for a large amount (at least $60\%$) of the variability in participants’ responses.”

Second, you would hope that the factor analysis found that the items that you thought made up the sexual attraction subscale all corresponded to one factor and the items that made up the sacrifice subscale all corresponded to another factor. In technical terminology, you would hope that all the sexual attraction items loaded on one factor, and all the sacrifice items loaded on a different factor. Specifically, because factor loadings are like a correlation between the test question and the factor, you would want all your sexual attraction items to have high loadings (above $.5$) on the factor you want to label sexual attraction and near zero loadings on the factor that you want to label sacrifice. Conversely, you would want all your sacrifice items to have very low factor loadings on the factor that you want to label sexual attraction and very high loadings on the factor you want to label sacrifice.